Multi-Domain Active Learning for Semi-Supervised Anomaly Detection

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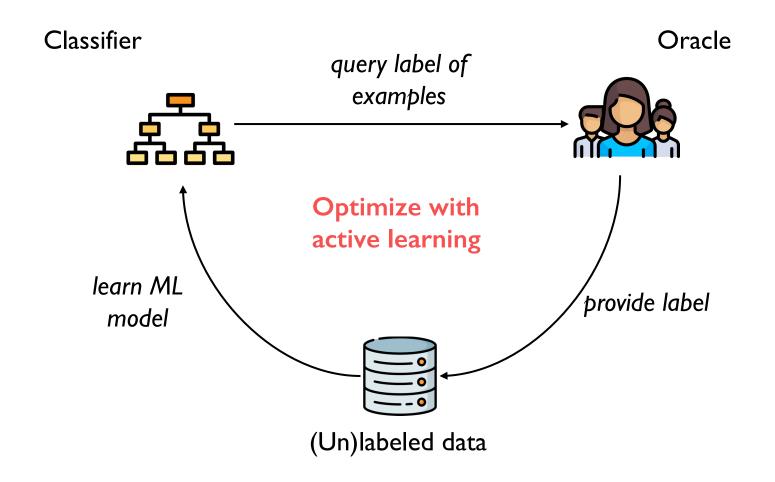






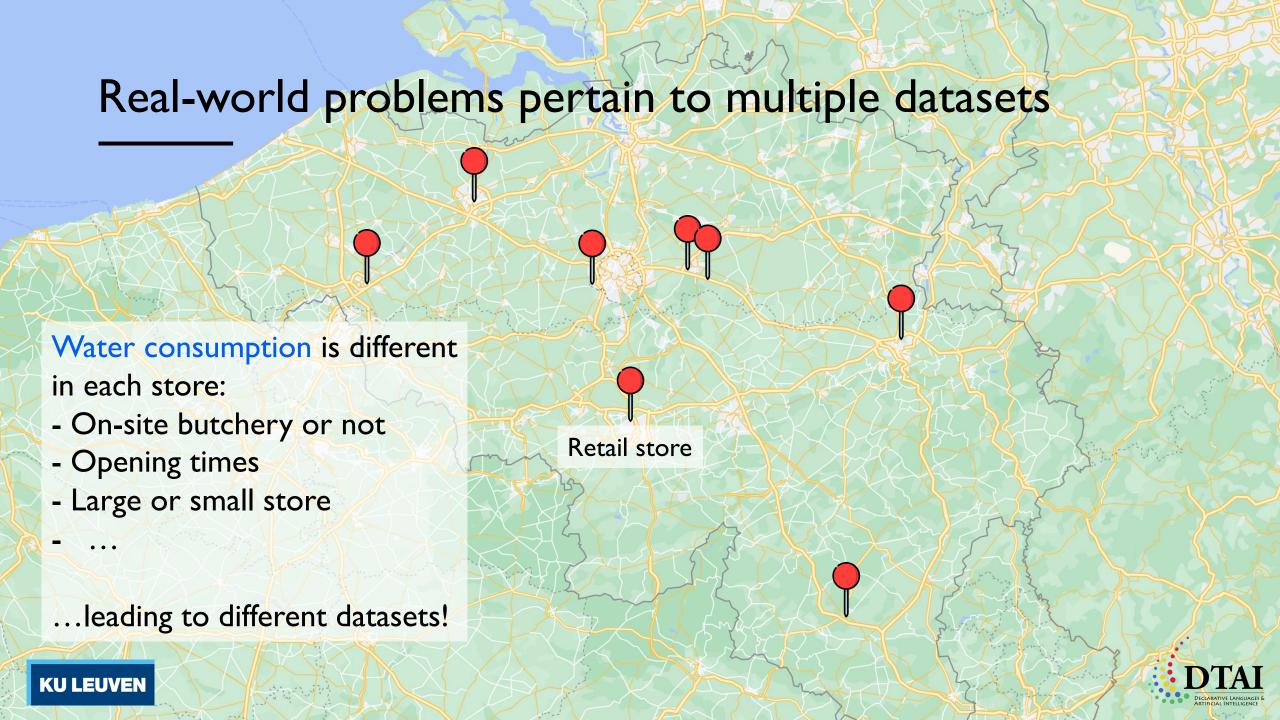


Active learning

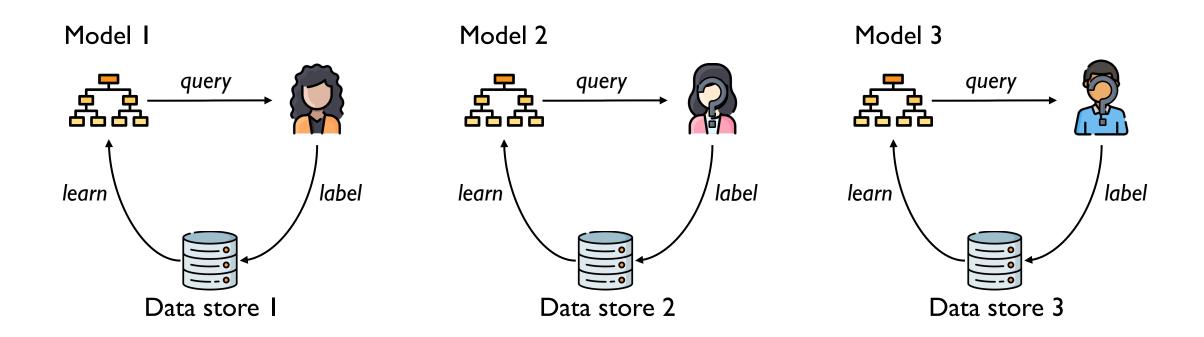








Different datasets necessitate different models



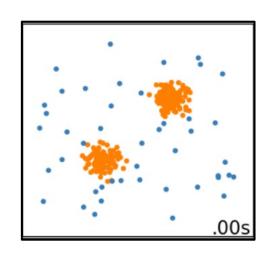
What if we only have I expert that has limited time to answer queries?

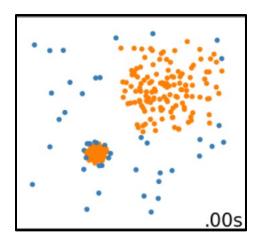


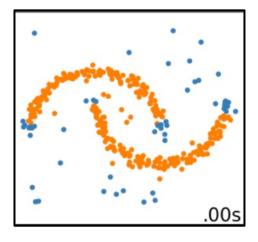


1) Some datasets require more expert labels than others

Labeling payoff = marginal gain of acquiring another label for a given dataset







LOW labeling payoff

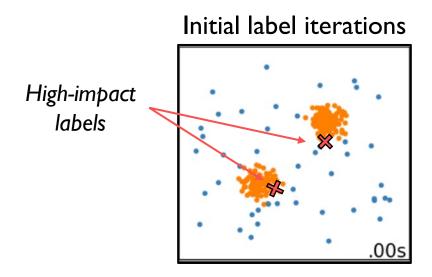
HIGH labeling payoff

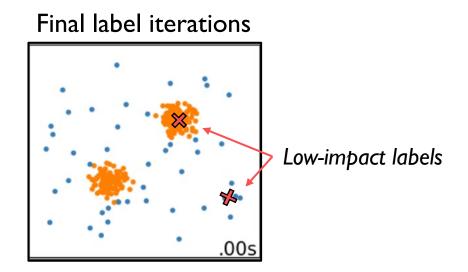




2) Active learning entails diminishing labeling payoff

The more labels given by the oracle for a dataset, the less the marginal gain of providing an additional label









Multi-domain active learning

GIVEN: a multi-domain dataset M consisting of K datasets, a fixed query budget T, and an expert oracle O

DO: learn a classifier for each of the K datasets with active learning

Pool-based active learning with a query batch size of one

Central to this problem is the exploration versus exploitation trade-off

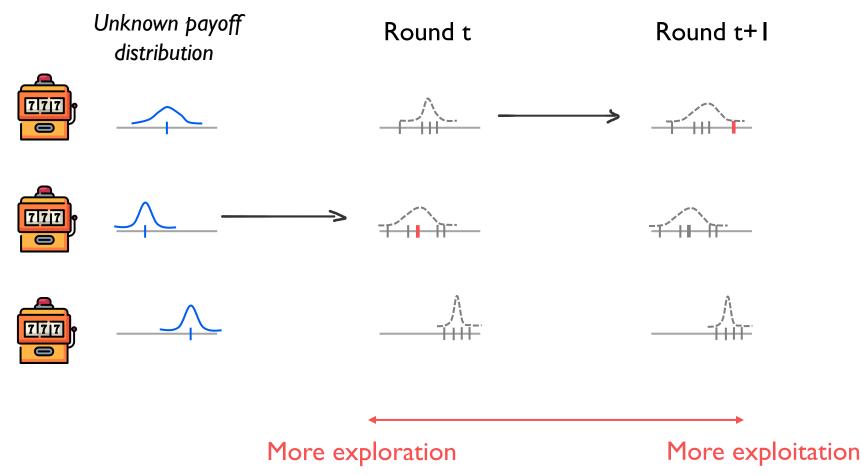
= figuring out which datasets are most useful to label

= providing the most labels in datasets that need it most





Exploration-exploitation with multi-armed bandits (MAB)





- 2) observe reward/payoff
- 3) estimate reward distribution





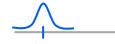
An MAB algorithm to tackle multi-domain active learning

Labeling payoff distribution













Solving active learning via a multi-armed bandit approach is challenging:

- I. How to equate groups of examples with the arms that the MAB can choose from?
- 2. How to select an individual example to query?
- 3. How do we quantify the *reward* for asking a query and getting the label?
- 4. How do we deal with the diminishing returns of labeling an additional example?





I. An MAB algorithm chooses between arms

Each arm corresponds to selecting a group of examples from which to query one

I. Arm = one of the K datasets to query an example from

$$|arms| = K$$

√ less exploration needed

X less fine-grained control

2. Arm = a cluster in a dataset to query an example from

$$|arms| = K \times C$$

X more exploration needed

√ more fine-grained control





2. Randomly select the final query example from a group

The MAB algorithm chooses one arm at each iteration Each arm corresponds to selecting a group of examples

- I. Select an example in the group randomly
 - X not necessarily query most informative examples
 - √ unbiased estimate of the reward distribution
- 2. Select an example in the group heuristically
 - √ select examples with highest estimated labeling payoff
 - X distorts the reward distribution estimate







3. Playing an arm results in an observed reward

The reward of each action taken by the MAB algorithm reflects the labeling payoff

I. Reward = entropy reduction in the predictions of the underlying classifier

$$r = \sum_{x \in D^k} \left[H_{f_+^k}(x) - H_{f^k}(x) \right]$$

2. Reward = number of examples for which the prediction of the classifier changes

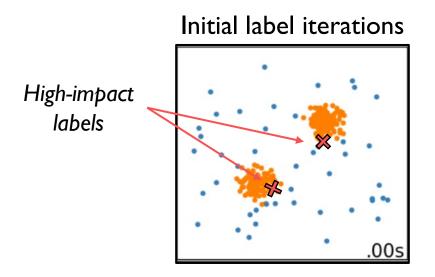
$$r = 1 - \frac{Y_{f_{+}^{k}} \cdot Y_{f^{k}}}{\|Y_{f_{+}^{k}}\| \|Y_{f^{k}}\|}$$

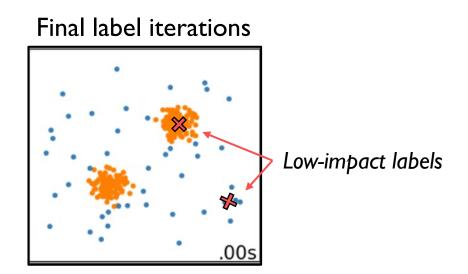




4. Model diminishing labeling payoff with rotting bandits

The more labels given by the oracle for a dataset, the less the marginal gain of providing an additional label





ALBA uses the <u>Sliding Window Average</u> (SWA) rotting bandit algorithm





Our Active Learning Bandits (ALBA) algorithm in full

Input: multi-domain dataset M, budget T, oracle \mathcal{O} , number of clusters \mathcal{C}

Output: set of trained classifiers

- 1. $A \leftarrow \text{divide each dataset } \in M \text{ into } C \text{ clusters}$
- 2. F ← Train an initial classifier for each dataset ∈ M
- 3. WHILE t < T:
- 4. $k \leftarrow SWA$ picks a cluster $\in A$ based on the reward distribution
- 5. $x \leftarrow randomly select example in cluster k$
- 6. l \leftarrow query x and receive label from O
- 7. update the classifier for the corresponding dataset
- 8. compute reward and update cluster k's reward distribution
- 9. t = t + 1





Differences between ALBA and active learning

Classic active learning

- I. Estimates labeling payoff of every single example
- 2. Estimates labeling payoff of an example before it is queried
- 3. Works for a single dataset with a single classifier

Active learning Bandits (ALBA)

- Estimates labeling payoff of groups of examples
- 2. Directly observes true payoff *after* an example is queried
- 3. Works for multiple datasets, each with its own classifier





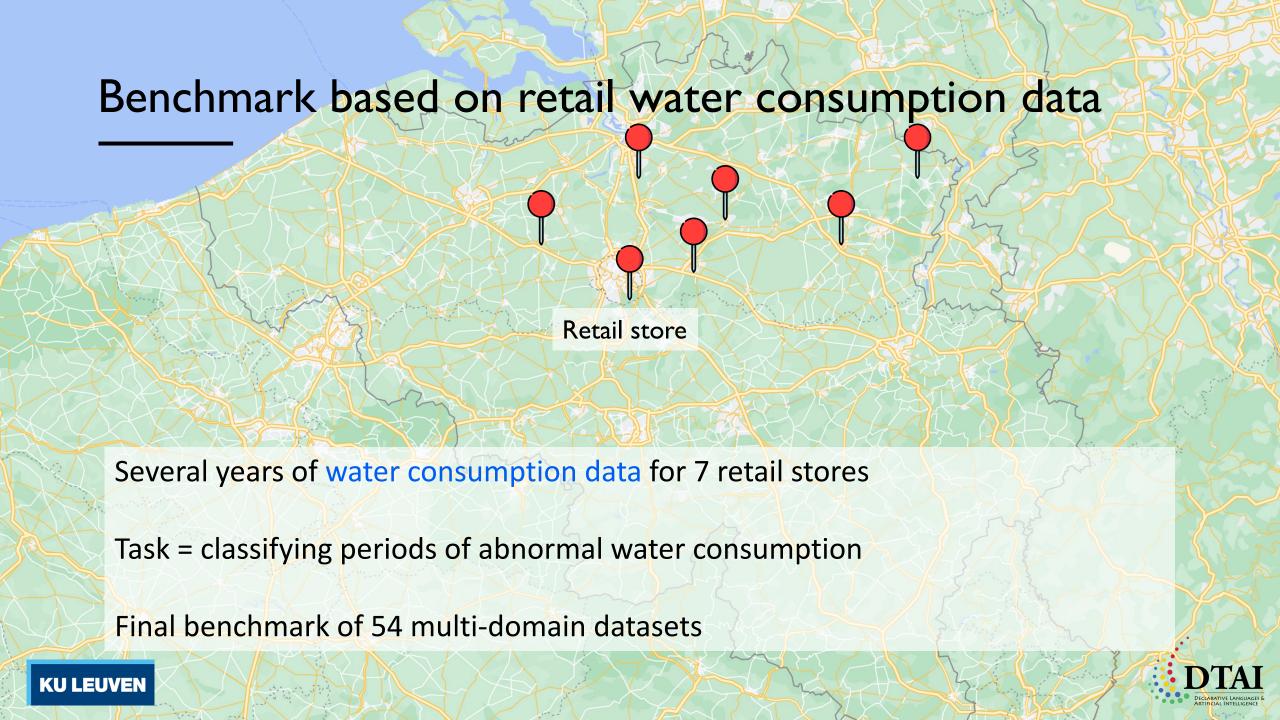
Experimental evaluation

Our paper addresses three research questions:

- QI: does ALBA outperform the existing active learning baselines for multi-domain active learning
- Q2: how does the division in groups of examples impact ALBA's performance
- Q3: how do the choice of reward function and query selection strategy impact ALBA's performance

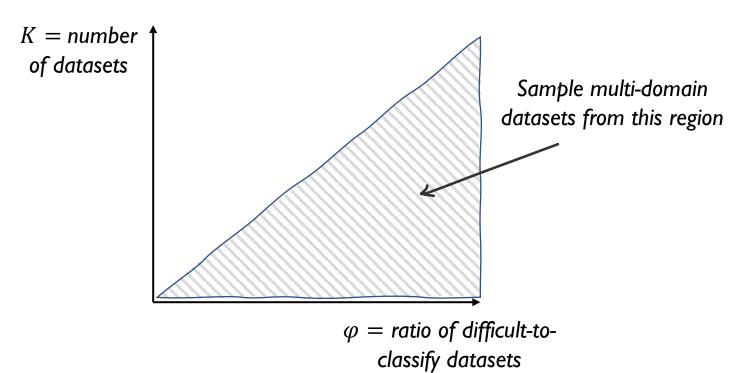






Benchmark based on retail water consumption data

From the 7 datasets, we constructed a full benchmark of 54 multi-domain datasets







Baselines and evaluation

7 baselines

Combine all datasets into I dataset and learn a single classifier:

- C-RAND: acquire new labels randomly
- C-UC: acquire new labels heuristically

Treat each dataset independently and learn a separate classifier for each dataset:

- I-U: acquire no labels
- I-RAND: acquire new labels randomly
- I-UC: acquire new labels heuristically
- I-R-RAND: I-RAND + max queries / dataset
- I-R-UC: I-UC + max queries / dataset

Evaluation

Area under the ROC curve measures the base performance of each anomaly classifier (we use the SSDO detector)

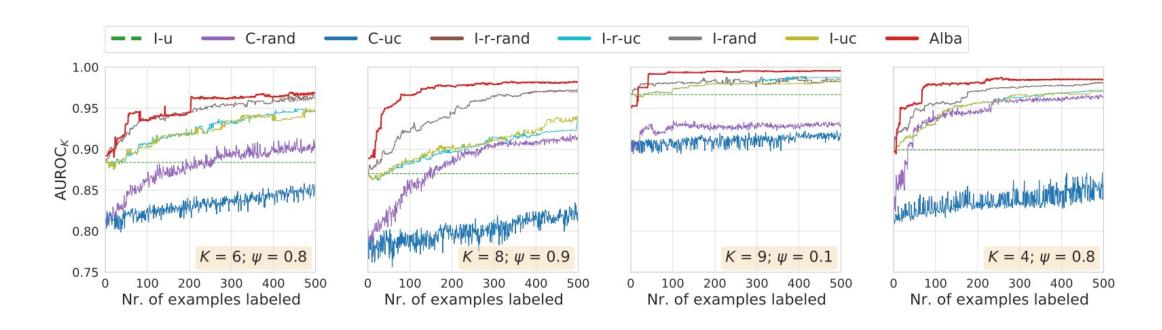
AUROC averaged over the K classifiers

The learning curve plots the AUROC as a function of the number of queried & labeled examples

Area under the learning curve (AULC)
measures the impact of the active learning
strategy (higher = better)



QI: ALBA outperforms the active learning baselines (1/2)



Friedman test: not all methods perform similarly

Bonferroni-Dunn test: Alba is significantly better @ 100 query rounds





Q1: ALBA outperforms the active learning baselines (2/2)

	Nr. c	Nr. of times ALBA:		Ranking
Method	wins	draws	loses	Avg. \pm SD
ALBA	-	-	-	1.315 ± 0.894
I-rand	48	2	4	2.639 ± 0.573
I-R-RAND	48	2	4	2.639 ± 0.573
I-U	48	2	4	4.333 ± 1.656
I-UC	53	0	1	5.157 ± 0.551
I-R-UC	53	0	1	5.231 ± 0.497
C-RAND	54	0	O	6.741 ± 0.865
C-U C	54	0	0	7.944 ± 0.404

(a)	Results	@	100	query	rounds
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	Nr. o	Nr. of times ALBA:		Ranking
Method	wins	draws	loses	Avg. \pm SD
ALBA	-	-	-	1.306 ± 0.710
I-RAND	45	2	7	2.417 ± 0.507
I-R-RAND	46	1	7	2.417 ± 0.507
I-R-UC	54	0	0	4.537 ± 0.686
I-UC	53	1	0	4.546 ± 0.512
I-U	54	0	0	6.370 ± 0.818
C-RAND	54	0	0	6.491 ± 0.717
C-uc	54	0	0	7.917 ± 0.382

(b) Results @ 500 query rounds

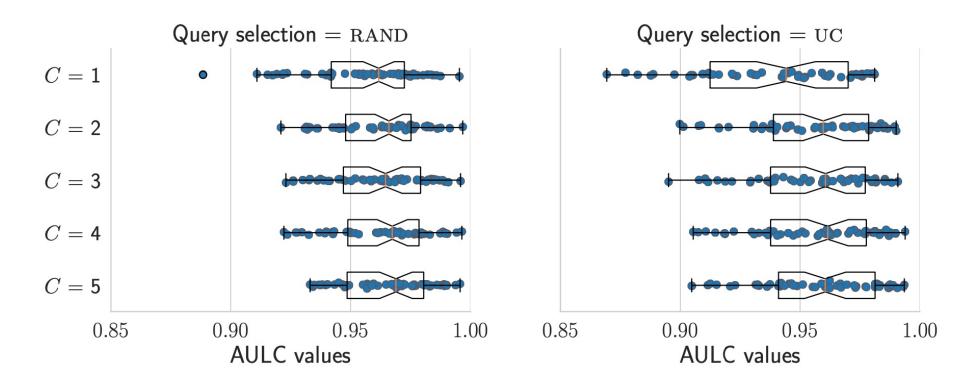
Friedman test: not all methods perform similarly

Bonferroni-Dunn test: Alba is significantly better @ 100 query rounds





Q2: More clusters improves ALBA's performance



Correlation: higher C = higher ALBA performance





Q3: cosine reward function + random example selection

	Query sel. strategy	Ranking Avg. \pm SD
cosine	rand	1.806 ± 0.813
cosine	uc	2.944 ± 0.926
entropy	rand	2.241 ± 0.843
entropy	uc	3.009 ± 0.825

Reward function: cosine > entropy

Example selection strategy: random > heuristic (uncertainty sampling)





Conclusions

- I. Multi-armed bandit strategies are an effective tool for multi-domain active learning
- 2. Our contribution, the ALBA algorithm, outperforms existing AL algorithms
- 3. Constructing a large benchmark helped us gain insight in the performance

Feel free to ask any question!

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https://github.com/Vincent-Vercruyssen/ALBA-paper



