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TITLE:

Treatment of Middle East respiratory syndrome with a combination of lopinavir/ritonavir and interferon-β1b (MIRACLE trial): statistical analysis plan for a recursive two-stage group sequential randomized controlled trial

ABSTRACT:

ABSTRACT: The MIRACLE trial (MERS-CoV Infection tReated with A Combination of Lopinavir/ ritonavir and intErferon-β1b) investigates the efficacy of a combination therapy of lopinavir/ ritonavir and recombinant interferon-β1b provided with standard supportive care, compared to placebo provided with standard supportive care, in hospitalized patients with laboratory-confirmed MERS. The MIRACLE trial is designed as a recursive, two-stage, group sequential, multicenter, placebo-controlled, double-blind randomized controlled trial. The aim of this article is to describe the statistical analysis plan for the MIRACLE trial. The primary outcome is 90-day mortality. The primary analysis will follow the intention-to-treat principle. The MIRACLE trial is the first randomized controlled trial for MERS treatment. TRIAL REGISTRATION: ClinicalTrials.gov, NCT02845843. Registered on 27 July 2016.

Background:

Middle East respiratory syndrome (MERS) is a viral respiratory disease caused by the Middle East respiratory syndrome coronavirus (MERS-CoV). MERS cases continue to occur and are often associated with respiratory and multiorgan failure [1]. There is no antiviral treatment with proven efficacy at present [1, 2].

The MIRACLE trial (MERS-CoV Infection tReated with A Combination of Lopinavir/ritonavir and intErferon-β1b) is the first randomized controlled trial for MERS treatment. The study protocol has been previously published [3].

There are several challenges in a trial for treatment of a disease like MERS: (1) there is not enough information on the effect size of the lopinavir/ritonavir and interferon-β1b provided with standard supportive care compared to placebo provided with standard supportive care to conduct adequate planning for the study sample size; (2) MERS is a sporadic, unpredictable, and rare disease, which makes it difficult to plan a separate pilot study to collect the necessary information needed for the planning of the main trial. To overcome these challenges, we designed the MIRACLE trial as a recursive two-stage adaptive trial, which is a relatively new method for group sequential trials [4–7]. The approach is based on the conditional error principle, which allows for flexible and continuous adjustment of the trial parameters using data observed during prior stages without inflation of the type I error [8]. Another advantage of this method is the flexibility in setting the timing and the number of needed interim analyses. Such flexibility is necessary in a situation where recruitment rate is unpredictable and a sudden flux in recruitment of patients could happen at any time. Finally, the design takes advantage of the accumulated information throughout the trial from every single recruited patient as opposed to a traditional two-study approach (pilot followed by the main trial).

In this article, we describe the MIRACLE trial statistical analysis plan (SAP) in advance of trial completion. We identify the procedures to be followed for the primary and secondary analyses for the trial. The SAP was written by the study steering committee members led by the principal investigator, who remains blinded to both group allocation and to study results until after completing patient recruitment, patient follow-up, and completion and locking of the database. The final study report will follow the guidelines of the Consolidated Standards of Reporting Trials (CONSORT) for reporting randomized controlled trials [9, 10].

The trial is being conducted according to the standard requirements of Good Clinical Practice E6 [11]. The SAP was developed in accordance with the International Council for Harmonisation guidelines (E9 Statistical principles for clinical trials and E3 clinical study reports guidelines) [12, 13] and with the Guidelines for the Content of Statistical Analysis Plans in Clinical Trials [14].

Study design ::: Methods:

The MIRACLE trial is a recursive, two-stage, group sequential, multicenter, randomized, placebo-controlled, double-blind trial. The trial includes hospitalized patients who are 18 years old or older with laboratory-confirmed MERS in addition to evidence of acute organ dysfunction that is judged related to MERS. Inclusion and exclusion criteria have been detailed in a previously published protocol manuscript [3]. Patients are randomized to receive lopinavir/ritonavir and recombinant

interferon-β1b or placebo. Randomization is stratified according to center and according to whether the patients require mechanical ventilation (invasive or non-invasive) at the time of enrollment, as mechanical ventilation is a major, but pragmatic, surrogate for severity of illness. The study interventions continue for 14 days or until hospital discharge. Patients are followed up daily until day 28 or hospital discharge and then at day 90.

Study population ::: Methods:

A CONSORT flow diagram of the trial progress will be constructed (Fig. 1). The number of randomized patients to each group will be reported as well as the number of randomized patients who received the interventions. We will also report the number of screened patients (defined as all hospitalized patients with MERS) who met the eligibility criteria but were not enrolled and the reasons for non-enrollment.

The intention-to-treat population consists of all enrolled patients whether or not they received the allocated intervention, and will be used for the primary analysis. A per-protocol analysis will be conducted for patients who received the allocated interventions (defined by any dose of the study intervention).

Data ::: Methods:

Baseline characteristics

Baseline characteristics will be presented for the two study groups (Additional file 1: Table S1) including age, sex, and body mass index, the presence of co-infections, nosocomial versus community-acquired MERS infection, Acute Physiology and Chronic Health Evaluation (APACHE) II scores, Sequential Organ Failure Assessment scores, and the Karnofsky Performance Status Scale score [3]. We will report comorbidities and the interventions received before randomization for the patients in each group. We will report baseline laboratory values (international normalization ratio, platelet count, hemoglobin, white blood cell count, lymphocyte count, liver enzymes, glucose, serum amylase, blood urea nitrogen, creatinine, creatine kinase, lactate) and respiratory and vital parameters in addition to the location of the patient at time of randomization.

Intervention data ::: Methods:

For each group we will report the time of hospital admission to randomization and the time of randomization to the first dose received of the study drugs. We will report the received study intervention and its duration for each group, in addition to the missing or incomplete doses and protocol violations (Additional file 1: Table S2 and Table S8).

Co-interventions ::: Methods:

We will compare any use of vasopressors, renal replacement therapy, neuromuscular blockade, mechanical ventilation, extracorporeal membrane oxygenation (ECMO), nitric oxide, prone ventilation, and tracheostomy. We will also compare the use of intravenous immunoglobulin, antiviral therapy, antibiotics, corticosteroids, and statins (Additional file 1: Table S2).

Primary and secondary outcomes ::: Methods:

The primary outcome is 90-day mortality (Additional file 1: Table S3). The primary outcome is defined as all-cause mortality after enrollment in the trial within 90 days, as either an inpatient or outpatient.

Secondary outcomes and subgroups are defined as presented in Table 1 and Additional file 1: Table S4, and S5).

In addition, we will compare the physiological parameters among patients treated in the treatment group and the control group.

Data and Safety Monitoring Board and interim analyses ::: Statistical analysis ::: Methods: A detailed interim analysis plan is reported in the MIRACLE protocol [3]. The trial is designed as a recursive, two-stage, group sequential randomized trial. The first interim analysis will be conducted when 34 subjects (17 per group) have completed 90 days of follow-up. This is about 17.5% of the total sample size needed for the classical design (a classic two-group design requires a total of 194 subjects (97 subjects per group) to have an 80% power at a significance level of 5% using a one-sided Z test for difference in proportion to detect 20% absolute risk reduction in 90 days mortality among subjects receiving treatment (20%) compared to a control

group (40%)). A Data and Safety Monitoring Board (DSMB) will be convened to review the unblinded data (efficacy and safety) and advise on continuation or termination of the trial. The determination of the stopping boundaries in the first two-stage design was calculated using the conditional power method based on the summing stage-wise p values. At the first interim analysis, the DSMB will determine whether the trial should be terminated for futility or not using the following boundaries and their corresponding decisions (Table 2).

Demographics and clinical characteristics ::: Statistical analysis ::: Methods: We will summarize and report the demographics and baseline clinical characteristics using descriptive statistics. As appropriate, the chi-square test or Fisher's exact test will be used to compare the categorical variables, which will be reported as numbers and percentages. Student's t test or the Mann-Whitney U test will be used as appropriate to compare the continuous variables, which will be reported as means and standard deviations or as medians and

Analysis of adverse events ::: Statistical analysis ::: Methods:

All adverse events will be grouped using Common Terminology Criteria for Adverse Events (CTCAE) Version 4 of the National Institutes of Health (NIH) (Additional file 1: Table S6). Adverse events will be grouped into aggregate groups and reported for the entire study period (Additional file 1: Table S7). All results will be summarized in terms of frequency and percentage and will be compared across study arms using Fisher's exact test. All results will be declared statistically significant with a p value < 0.05.

Analysis of the primary outcome and continuous planning of the trial ::: Statistical analysis ::: Methods:

2) be the index for the two-stage design in the kth stage. Let r1ki and r2ki be the proportions of 90 days mortality in the standard of care and treatment group respectively. Then the Z test statistic for the difference in proportion can be calculated as follows: \documentclass[12pt]{minimal}

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interquartile ranges.

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\right)+{r} 2\left(1-{r} {2 ki}\right)\right]/2}, \$\$\end{document}\six ki=r1ki1-r1ki+r21-r2ki/2, \documentclass[12pt]{minimal}

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\end{document}δki=r1ki-r2ki,
where nki is the sample size per group for the ith two-stage design of the kth stage. In the interim
analysis (i.e., at each i = 1 of the kth two-stage), the primary outcome will be evaluated, and the
trial sample size will be re-estimated for the subsequent stage based on the observed effect size
using the following formula assuming a conditional power of 80% (Pc = 0.8) to decide if the trial
should continue:
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\dot{\theta}
Here ak, 2 is the precalculated rejection boundary for efficacy at the second stage of the two-
stage design at the kth stage, and pk, 1 is the raw table probability corresponding to the Zki
statistic. At the first interim analysis, should the data suggest that another stage of the two-stage
steps is required, we will recalculate the conditional error and new boundaries will be calculated
for K = 2. Let \beta k + 1, 1, \alpha k + 1, 1 be the rejection boundaries for futility and efficacy for the first (i =
1) of the two-stage step of the kth + 1 stage. Then the conditional error is:
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_{k+1,2\kern0.5em }\left({\beta}_{k+1,1}-{\alpha}_{k+1,1}\ \right)-\frac{1}{2}\left({\beta}_{k+1,1}^2-
{\alpha}_{k+1,1}^2\right,k=0,1,\dots\ K, $\end{document}
Apk,1=\alpha k+1,1+\alpha k+1,2\beta k+1,1-\alpha k+1,1-12\beta k+1,12-\alpha k+1,12,k=0,1,...K
where A(p0, 1) is the type I error, which is set to 0.05. The new ak + 1, 2 boundary for the kth + 1
stage for pre chosen \beta k + 1, 1, \alpha k + 1, 1 will be calculated as follows:
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\{k+1,1\}\ . $$\end{document}\ak+1,2=Apk,1+12\betak+1,12-\ak+1,12-\ak+1,1\betak+1,1-\ak+1,1.
At the end of the trial, the treatment will be declared efficacious if the calculated stage-wise
ordered p value pk, 2 is less than ak, 2. The adjusted p value will be obtained using backward
recursion as follows:
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k=2,\end{array}\left({\frac{1,1}+\left(p_{i,1}+p_{i,2}\right)\left({\frac{1,1}+p_{i,2}\right)}\right)
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PK0-1,2=tfork=1,ak0,1+t\beta k0,1-ak0,1-12\beta 2k0,1-a2k0,1fork=2,Pi-1,2=ai,1+pi,1+pi,2\beta i,1-ai,1-12
\beta_{2i,1-\alpha_{2i,1}} for i=1,...,K_{0-1}
where K0 is the total number of two-stage stages, and t is the sum of stage-wise raw p values.
Finally, the adjusted overall 95% one-sided confidence interval will be calculated by:
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                           stage-wise and the last stage of the kth two-stage design confidence interval bound. The last
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where nk0, 1 and nk0, 2 are the sample sizes for the first and second stage of the last kth two-stage design, and pk0, 1, pk0, 2 are the stage-wise adjusted p values.

In order to stay consistent with the method that was used in calculating the boundaries for the trial, we will not account for stratification in the primary outcome analysis. In general, this approach is acceptable and it preserves both type I and type II errors as long as the weighted average of the effect size stays close to the hypothesized effect size [15]. Furthermore, as long as the sample size re-estimation at the interim analysis was based on the weighted average of the effect size, the overall power of the trial will be preserved.

Secondary analyses of the primary outcome, secondary outcomes, and subgroups ::: Statistical analysis ::: Methods:

With the exception of the analysis of the primary outcome, all other analyses will be tested using regular statistical methods and will be two-sided. A secondary adjusted analysis will be conducted using multiple logistic regression analysis, in which death within 90 days will be modeled as the dependent variable, and a set of baseline variables that are strongly believed to affect the outcome of MERS will be included as independent variables. Those variables will include at minimum the following: age, community-acquired versus hospital-acquired infection, mechanical ventilation, center, and Sequential Organ Failure Assessment score. Ninety-day median survival time will be summarized and reported using Kaplan–Meier curves and will be compared between the study groups using the log-rank test (Additional file 1: Figure S1). Analysis of secondary outcomes will be compared in the intention-to-treat cohort only. Subgroup analyses will be conducted if patient numbers permit (e.g., no fewer than five patients in subgroups of interest) in a priori defined subgroups (Additional file 1: Table S5). Multivariable logistic regression will be used to report the results of tests of interactions for these subgroups.

Handling of missing data ::: Statistical analysis ::: Methods:

All missing data will be reviewed and characterized in terms of their pattern (e.g., missing completely at random, missing at random, etc.). For missing completely at random, all analyses will be based on a list-wise deletion approach where only observations with complete values will be considered for analysis. For variables with values missing at random, multiple imputation techniques will be utilized to impute the missing values, as suggested by Rubin [16].

Adjustment multiplicity testing for the secondary analyses ::: Statistical analysis ::: Methods: To adjust for multiple testing, we will use the false discovery rate (FDR) as described by Benjamini and Hochberg [17]. In this procedure all hypothesis tests will be sorted in ascending order based on their calculated p value. All hypothesis tests below an index K will be rejected, where K is calculated as follows:

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where i = m, ..., 1, m is the total number of tested hypotheses, and q = 0.05.

Additional details about the SAP are available in Additional file 2.

Trial status ::: Discussion: Recruitment started in November 2016 and is currently ongoing.