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CLASS	SY CSE(DS)
BATCH	D

Exp1-A

AIM	To implement the various functions e.g. linear, non-linear, quadratic, exponential etc.
PROGRAM	<pre> #include <stdio.h> #include <math.h> float func1(int n); //(3/2)^n function float func2(int n); // n cube function int func3(int n); // n(linear) function float func4(int n); // 2^n function double func5(double n); // logn function int func6(int n); // 2^2^n+1 function double func7(double n); // n*logn function double func8(double n); // log(Log(n)) function double func9(double n); // 2^logn function double func10(double n); // n^log(Log(n)) function double factorial(int n); // Factorial function float func1(int n){ return pow(1.5,n); } float func2(int n){ return n*n*n; } int func3(int n){ return n; } float func4(int n){ return pow(2,n); } double func5(double n){ return (log(n))/log(2); } int func6(int n){ return pow(2,pow(2,n+1)); } </pre>

```

double func7(double n){
    return n*(log(n));
}

double func8(double n){
    return log(log(n));
}

double func9(double n){
    return pow(2,log(n));
}

double func10(double n){
    return pow(n,log(log(n)));
}

double factorial(int n){
    if(n==0 || n==1)
        return 1;
    else
        return n*factorial(n-1);
}

int main(){
    int n;
    float output;
    int choice;

    do{
        printf("\nEnter 1 for (3/2)^n function\nEnter 2 for
n^3(cubic) function\nEnter 3 for n(linear) function\nEnter 4
for 2^n function\nEnter 5 for lgn function\nEnter 6 for 2^2^n+1
function\nEnter 7 for nlogn function\nEnter 8 for loglogn
function\nEnter 9 for 2^logn function\nEnter 10 for n^loglogn
function\nEnter 11 for n! function\nEnter 0 for exit\n");
        scanf("%d",&choice);

        switch(choice){
            case 1:printf("Input\toutput\n");
                for(int n=0;n<=100;n+=10){
                    output=func1(n);
                    printf("%d\t%.2f\n",n,output);
                }
            break;

```

```
case 2:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func2(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 3:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func3(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 4:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func4(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 5:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func5(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 6:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func6(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 7:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func7(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 8:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func8(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
case 9:printf("Input\toutput\n");
    for(int n=0;n<=100;n+=10){
        output=func9(n);
        printf("%d\t%.2f\n",n,output);
    }
    break;
```

	<pre> case 10:printf("Input\toutput\n"); for(int n=0;n<=100;n+=10){ output=func10(n); printf("%d\t%.2f\n",n,output); } break; case 11:printf("Input\toutput\n"); for(int i=0;i<=20;i+=2){ output=factorial(i); printf("%d\t%.2f\n",i,output); } break; default: printf("program finished"); break; }}while(choice!=0); return 0; } </pre>
OUTPUT	<pre> Enter 1 for (3/2)^n function Enter 2 for n^3(cubic) function Enter 3 for n(linear) function Enter 4 for 2^n function Enter 5 for lgn function Enter 6 for 2^2^n+1 function Enter 7 for nlogn function Enter 8 for loglogn function Enter 9 for 2^logn function Enter 10 for n^loglogn function Enter 11 for n! function Enter 0 for exit 1 Input output 0 1.00 10 57.67 20 3325.26 30 191751.06 40 11057332.00 50 637621504.00 60 36768468992.00 70 2120255143936.00 80 122264599134208.00 90 7050392827330560.00 100 406561191922499580.00 </pre>

Enter 1 for $(3/2)^n$ function
Enter 2 for n^3 (cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^{2^n+1} function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for $2^{\log n}$ function
Enter 10 for $n^{\log \log n}$ function
Enter 11 for n! function
Enter 0 for exit

2

Input	output
0	0.00
10	1000.00
20	8000.00
30	27000.00
40	64000.00
50	125000.00
60	216000.00
70	343000.00
80	512000.00
90	729000.00
100	1000000.00

Enter 1 for $(3/2)^n$ function
Enter 2 for n^3 (cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^{2^n+1} function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for $2^{\log n}$ function
Enter 10 for $n^{\log \log n}$ function
Enter 11 for n! function
Enter 0 for exit

3

Input	output
0	0.00
10	10.00
20	20.00
30	30.00
40	40.00
50	50.00
60	60.00
70	70.00
80	80.00
90	90.00
100	100.00

```

Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
4
Input    output
0         1.00
10        1024.00
20        1048576.00
30        1073741824.00
40        1099511627776.00
50        1125899906842624.00
60        1152921504606847000.00
70        1180591620717411300000.00
80        1208925819614629200000000.00
90        1237940039285380300000000000.00
100       1267650600228229400000000000000.00

```

```

Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
5
Input    output
0         -1.#J
10        3.32
20        4.32
30        4.91
40        5.32
50        5.64
60        5.91
70        6.13
80        6.32
90        6.49
100       6.64

```

```
Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
```

```
6
Input  output
0      4.00
10     -2147483648.00
20     -2147483648.00
30     -2147483648.00
40     -2147483648.00
50     -2147483648.00
60     -2147483648.00
70     -2147483648.00
80     -2147483648.00
90     -2147483648.00
100    -2147483648.00
```

```
Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
```

```
7
Input  output
0      -1.#J
10     23.03
20     59.91
30     102.04
40     147.56
50     195.60
60     245.66
70     297.39
80     350.56
90     404.98
100    460.52
```



```

Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit

```

```

8
Input  output
0      -1.#J
10     0.83
20     1.10
30     1.22
40     1.31
50     1.36
60     1.41
70     1.45
80     1.48
90     1.50
100    1.53

```

```

Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^logn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit

```

```

9
Input  output
0      0.00
10     4.93
20     7.98
30     10.56
40     12.90
50     15.05
60     17.08
70     19.01
80     20.85
90     22.62
100    24.34

```



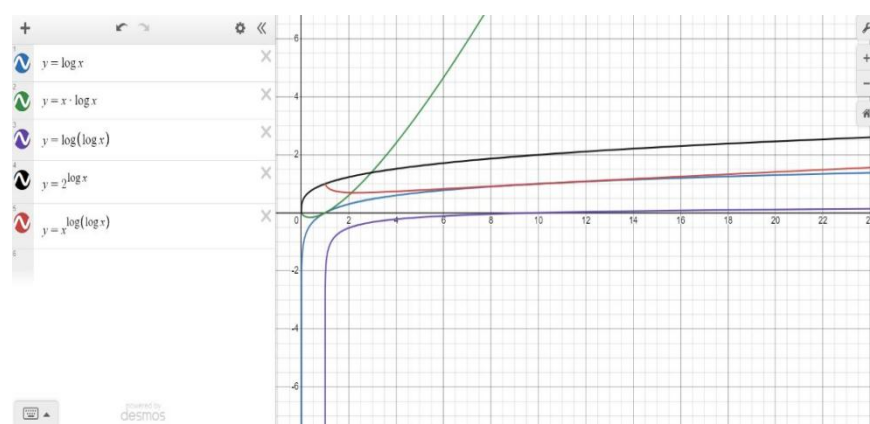
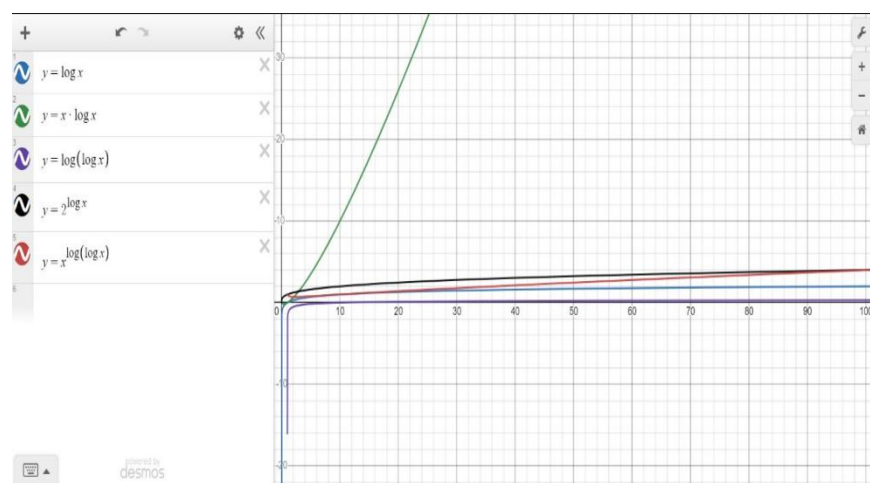
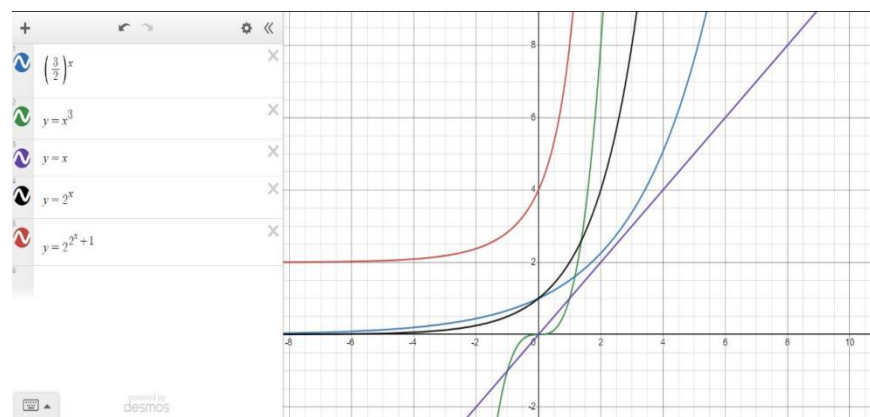
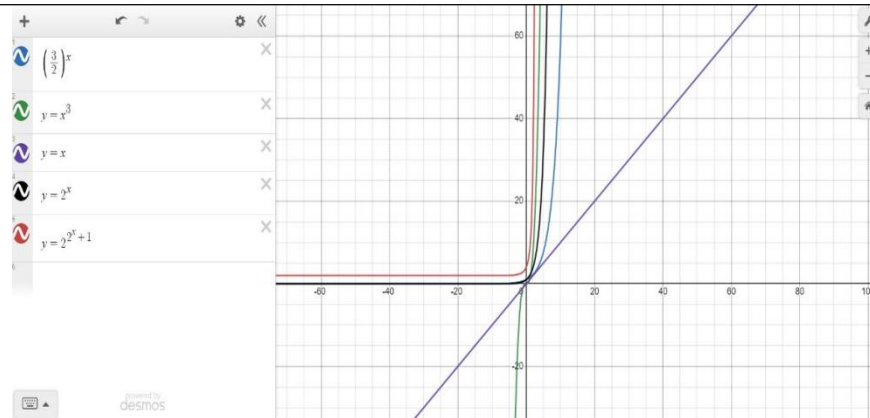
```
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^lgn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
```

```
10
Input  output
0      -1.#J
10     6.82
20     26.76
30     64.30
40     123.37
50     207.72
60     320.99
70     466.72
80     648.39
90     869.46
100    1133.34
```

```
Enter 1 for (3/2)^n function
Enter 2 for n^3(cubic) function
Enter 3 for n(linear) function
Enter 4 for 2^n function
Enter 5 for lgn function
Enter 6 for 2^2^n+1 function
Enter 7 for nlogn function
Enter 8 for loglogn function
Enter 9 for 2^lgn function
Enter 10 for n^loglogn function
Enter 11 for n! function
Enter 0 for exit
```

```
11
Input  output
0      1.00
2      2.00
4      24.00
6      720.00
8      40320.00
10     3628800.00
12     479001600.00
14     87178289152.00
16     20922790576128.00
18     6402373530419200.00
20     2432902023163674600.00
```

GRAPHS



CONCLUSION 1) Among all, $2^{2^x} + 1$ increases to infinity the fastest.

	<p>2)amongst all,$\log(\log(x))$ tends to zero as the number increases from 0-100</p> <p>3)$x.\log x$ function does not saturate as the other log functions.</p> <p>4)$\log x$ and $x^{\log(\log x)}$ intersects</p> <p>5)Other Increasing and decreasing nature of the graphs is observed.</p>
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Exp1-B

AIM	Experiment on finding the running time of an algorithm.(Insertion and Selection sort)
ALGORITHM	<p>Insertion sort-</p> <p>Step 1 - If the element is the first element, assume that it is already sorted. Return 1.</p> <p>Step2 - Pick the next element, and store it separately in a key.</p> <p>Step3 - Now, compare the key with all elements in the sorted array.</p> <p>Step 4 - If the element in the sorted array is smaller than the current element, then move to the next element. Else, shift greater elements in the array towards the right.</p> <p>Step 5 - Insert the value.</p> <p>Step 6 - Repeat until the array is sorted.</p> <p>Selection sort-</p> <p>Step 1 – Set MIN to location 0</p> <p>Step 2 – Search the minimum element in the list</p> <p>Step 3 – Swap with value at location MIN</p> <p>Step 4 – Increment MIN to point to next element</p> <p>Step 5 – Repeat until list is sorted</p>
PROGRAM	<pre> #include<stdio.h> #include<stdlib.h> #include<time.h> void swap(int*a , int*b){ int temp = *a; *a = *b; *b = temp; } void selSort(int* arr , int size){ for(int i=0;i<size-1;i++){ int minId = i; for(int j=i+1;j<size;j++){ if(arr[j]<arr[minId]){ </pre>

```

        minId = j;
    }
}
if(i!=minId){
    swap(&arr[i],&arr[minId]);
}
}
}

void insertSort(int *arr, int n){
    int i, key, j;
    for (i = 1; i < n; i++)
    {
        key = arr[i];
        j = i - 1;
        while (j >= 0 && arr[j] > key)
        {
            arr[j + 1] = arr[j];
            j = j - 1;
        }
        arr[j + 1] = key;
    }
}

int main(){
    for(int i=1;i<=1000;i++){
        int j=0;
        int numberArray[100000];
        FILE *f;
        f = fopen("new.txt","r");
        for (j = 0; j < 100000; j++){
            fscanf(f, "%d,", &numberArray[j] );
        }
        fclose(f);
        clock_t t;
        t = clock();
        // insertSort(numberArray,i*100);
        selSort(numberArray,i*100);
        t = clock() - t;
        double time_taken = ((double)t)/CLOCKS_PER_SEC;
        printf("%f\n",time_taken);
    }
}

```

RESULT

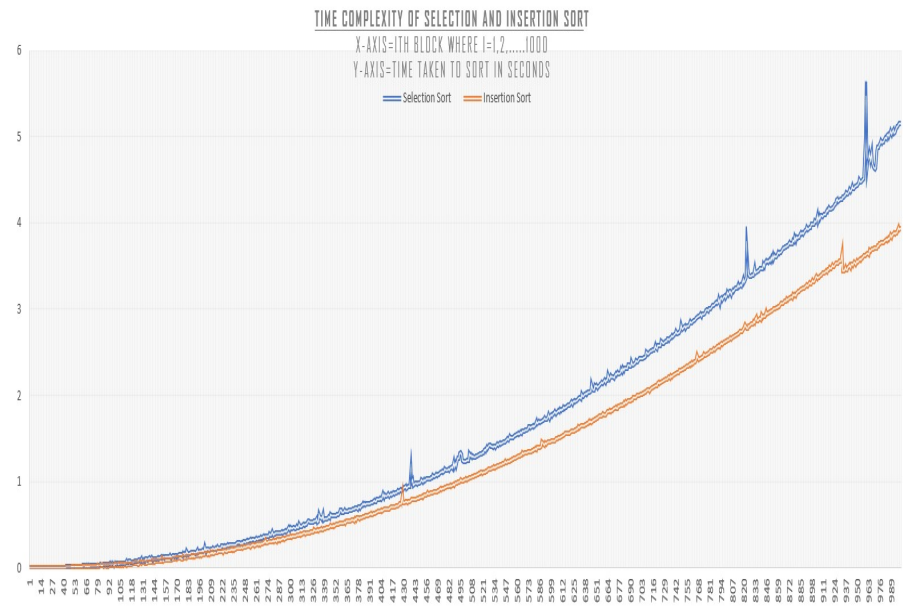
Selection Sort-

	4.369000	
	4.381000	
	4.358000	
	4.397000	
	4.376000	
	4.384000	
	4.402000	
	4.408000	
	4.420000	
	4.434000	
	4.458000	
	4.459000	
	4.459000	
	4.505000	
	4.472000	
	4.530000	
	4.518000	
	4.512000	
	4.556000	
	4.522000	
	4.570000	
	4.534000	
	4.553000	
	4.598000	
	4.593000	
	4.593000	
	4.584000	
	4.599000	
	4.652000	
	4.648000	
	4.626000	
	4.637000	
	4.662000	
	4.671000	
	4.688000	
	4.681000	
	4.698000	
	4.730000	
	4.733000	
	4.758000	
	5.084000	
	5.082000	
	5.120000	
	5.143000	
	5.133000	

Insertion sort-

0.164000
0.164000
0.167000
0.169000
0.172000
0.174000
0.175000
0.174000
0.177000
0.180000
0.180000
0.182000
0.183000
0.186000
0.189000
0.190000
0.193000
0.195000
0.195000
0.196000
0.198000
0.199000
0.200000
0.204000
0.208000
0.207000
0.209000
0.213000
0.213000
0.216000
0.217000
0.220000
0.221000
0.226000
0.228000
0.229000
0.230000
0.238000
0.232000
0.236000
0.237000
0.241000

GRAPH



CONCLUSION

For 6000-1000 inputs, time taken by selection sort and insertion sort are nearly same (still insertion sort takes less time) but as the number of input size increases, the time difference of sorting also increases. From the graph we can see for large number of inputs insertion sort takes less time to sort. Hence, Insertion sort is better than selection sort.