

## Lab1 -Decision Tree

### Information

MONK-3 has 5% noise in a training data

- MONK-1\ a1 == a2 || a5 ==1
- MONK-2\ ( $a_i == 1$  for exactly two  $i = 1..6$ )
- MONK-3\ ( $a5 == 1 \ \&\& \ a4 == 1$ ) || ( $a5 != 4 \ \&\& \ a2 != 3$ )

### Assignment0

MONK-3 makes a decision tree algorithm learn, because it has 5% noise in the training data. The others don't have any noise, so these are easier for the decision algorithm to learn than MONK-3

### Assignment1

monk-1: 1.0 monk-2: 0.957117428264771 monk-3: 0.9998061328047111

### Assignment2

- Uniform Distribution

The entropy become maximum value. Suppose that we have  $P(X = x_n) = \frac{1}{N}$  where  $X$  takes the value  $X = [x_1, x_2, \dots, x_N]$  ( $N = \{1, \dots\}$ ). Then, entropy is

$$Entropy(S) = -\sum_{n=1}^N P(X = x_n) \log_2 P(X = x_n) = -\sum_{n=1}^N \frac{1}{N} \log_2 \frac{1}{N} = N \times \frac{1}{N} \log_2 N = \log_2 N$$