Assignment 2

Madeline Schiappa

Simulation

- The simulation iterates through each probability of a node and edge birth, through the number of simulations, and then the number of time steps.
- During each time step, it adds the number of nodes and edges to a set variable,
 - Once all the simulations complete for that probability, it divides it by the number of simulations in order to get the "expected value"
- The simulation also does this for .8 percent to calculate a simulated degree distribution and an expected degree distribution from an analytical solution.

Figure 2

The shapes are the simulated expected value and the lines are the analytical expected value of nodes.

def expected_nodes(p, q, t):

return (p - q) * t + 2 * q

```
p = 0.6
350
           p = 0.75
           p = 0.9
300
250
200
150
100
 50
      100
            150
                   200
                          250
                                 300
                                        350
                                               400
                                                      450
                                                             500
```

```
def run_expected_nodes(p, time_steps):
    nodes = list()
    for t in range(time_steps):
        nodes.append(expected_nodes(p, 1 - p, t + 1))
    return nodes
```

Figure 3

The shapes are the simulated expected value and the lines are the analytical expected value of edges.

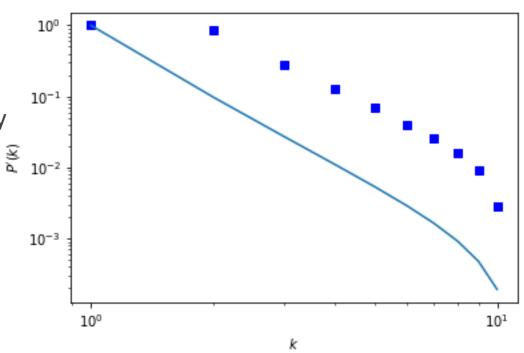
```
def expected_edges(p, q, t):
    # a = (2.0*q)/(p-q)
    e = (p * (p - q)) * t
    # return (1+a)*e
    return e
```

```
p = 0.6
350
           p = 0.75
           p = 0.9
300
250
200
150
100
 50
                                 300
                                              400
                                                     450
                                                            500
                   200
                          250
                                       350
     100
            150
```

```
def run_expected_edges(p, time_steps):
    edges = list()
    for t in range(time_steps):
        edges.append(expected_edges(p, 1 - p, t + 1))
    return edges
```

Figure 5

This compares the expected cumulative degree of the simulated and the analytically derived expected.



```
def expected_degree_dist(p, k):
    return k ** (-1 - ((2 * p) / (2 * p - 1)))
```