

## HW2 Answers

1a. S: B (bottom), T (top)

A: drive, stop

T:  $T(B, \text{drive}, B) = 0.3$        $T(B, \text{drive}, T) = 0.7$

$T(B, \text{stop}, B) = 1$        $T(B, \text{stop}, T) = 0$

$T(T, \text{drive}, T) = 0.8$        $T(T, \text{drive}, B) = 0.2$

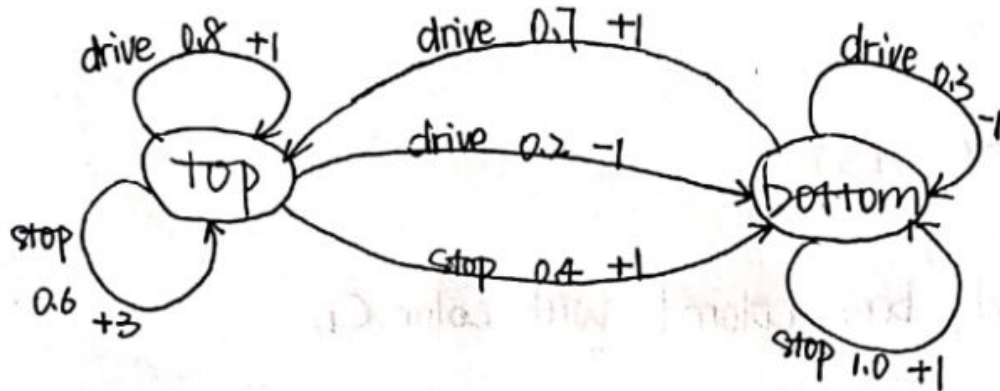
$T(T, \text{stop}, T) = 0.6$        $T(T, \text{stop}, B) = 0.4$

R:  $R(B, \text{drive}, B) = -1$        $R(B, \text{drive}, T) = 1$

$R(B, \text{stop}, B) = 1$        $R(B, \text{stop}, T) = 3$

$R(T, \text{drive}, T) = 1$        $R(T, \text{drive}, B) = -1$

$R(T, \text{stop}, T) = 3$        $R(T, \text{stop}, B) = 1$



1b.

(Collect from student's answer)

1c.  $V1(T) = \max(0.8*(1+0.8*0)+0.2*(-1+0.8*0), 0.6*(3+0.8*0)+0.4*(1+0.8*0)) = 2.2$

$V1(B) = \max(0.7*(1+0.8*0)+0.3*(-1+0.8*0), 1*(1+0.8*0)) = 1$

$V2(T) = \max(0.8*(1+0.8*2.2)+0.2*(-1+0.8*1), 0.6*(3+0.8*2.2)+0.4*(1+0.8*1)) = 3.576$

$V2(B) = \max(0.7*(1+0.8*2.2)+0.3*(-1+0.8*1), 1*(1+0.8*1)) = 1.872$

1d.  $V1(T) = 0.8*(1+0.8*0)+0.2*(-1+0.8*0) = 0.6$

$V1(B) = 0.7*(1+0.8*0)+0.3*(-1+0.8*0) = 0.4$

$V2(T) = 0.8*(1+0.8*0.6)+0.2*(-1+0.8*0.4) = 1.048$

$V2(B) = 0.7*(1+0.8*0.6)+0.3*(-1+0.8*0.4) = 0.832$

1e.  $\pi(T) = \text{argmax}[\text{drive: } 0.8*(1+0.8*1.048)+0.2*(-1+0.8*0.832),$

$\text{stop: } 0.6*(3+0.8*1.048)+0.4*(1+0.8*0.832)] = \text{stop}$

$\pi(B) = \text{argmax}[\text{drive: } 0.7*(1+0.8*1.048)+0.3*(-1+0.8*0.832),$

$\text{stop: } 1*(1+0.8*0.832)] = \text{stop}$

2a. `-color(X, C2)`

2b. `-color(X, C)`

2c. "Neighbor" is a symmetric restatement of "arc". To get the same results, we will need to state both  $\text{arc}(A,B)$  and  $\text{arc}(B,A)$ , and replace the "neighbor" instances with "arc". Removing the "neighbor" rule will let the program miss half of the connections. For instance, the program won't know "belgium and france" are adjacent from  $\text{arc}(\text{france}, \text{belgium})$ . As a consequence, you might find the program suggesting the same color to adjacent countries.