SS EXPERIMENT LAB 10

TITLE: Sampling theorem

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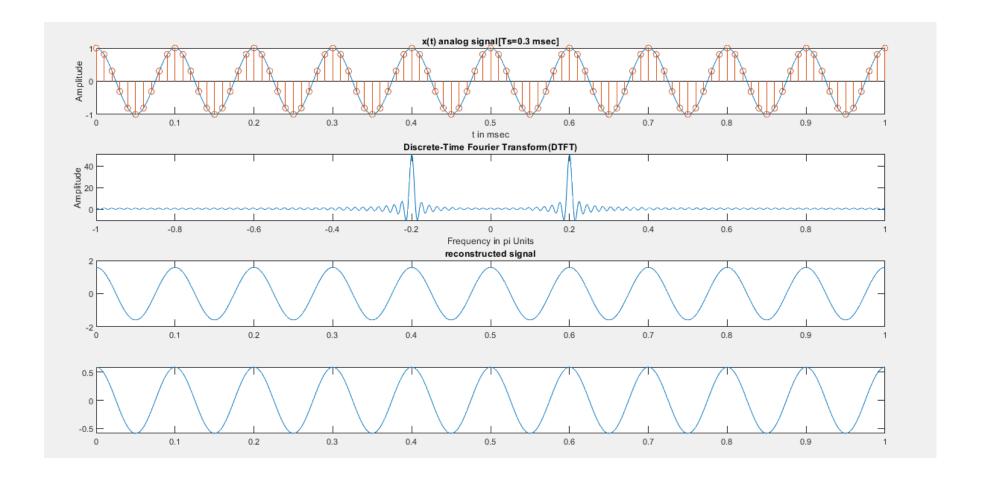
OBSERVATION: In this lab, I learned the Sampling theorem

1. Consider an analog signal $x(t) = \cos(20\pi t)$, $0 \le t \le 1$. Supposed the signal is sampled at T = 0.01, 0.07 and 0.1 to obtain the discrete-time signal x(n). Write a MATLAB program to perform the following operations:

- I. Plot the signal x(n) for each value of T
- II. Reconstruct the analog signal $x_r(t)$ from the samples x(n) for each T case with ideal interpolation and plot them.
- III. Determine the reconstruction error i.e. $x(t) x_r(t)$ for each T cases and plot them.
- IV. Plot the DTFT of x(n) signal for each value of T

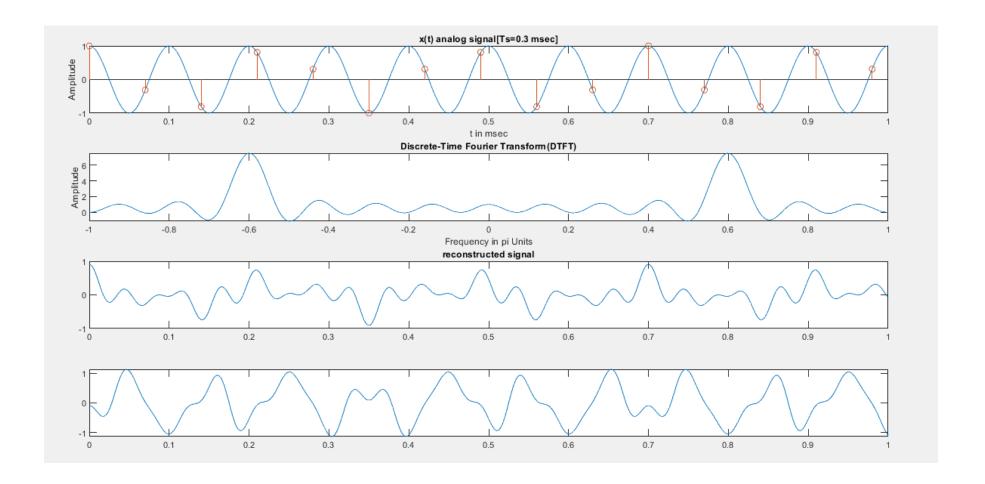
```
clear;
  clc;
  close all;
  figure;
  Dt = 0.002;
  t = 0:Dt:1;
 xa = cos(20*pi*t);
 Ts = 0.01;
 n = 0:1:100;
 x = cos(20*pi*n*Ts);
 K = 500;
 XW=[];
 k=1;
 w_indx=[];
 Xph=[];
□ for w= -pi:pi/K:pi
     tmp = sum(x .* exp(-j*n*w));
     Xw(k) = real(tmp);
     w indx(k) = w;
      k=k+1;
  end
  subplot (4,1,1);
 plot(t,xa);
 xlabel('t in msec');
 ylabel('Amplitude');
  title('Discrete Signal- x(n)');
 hold on
  stem(n*Ts,x);
  title('x(t) analog signal[Ts=0.3 msec]');
  hold off
  subplot (4,1,2);
 plot(w_indx/pi,Xw);
```

```
xlabel('Frequency in pi Units');
 ylabel('Amplitude');
 title('Discrete-Time Fourier Transform(DTFT)');
 i=1;
 y=zeros(1,501,'double');
- for tl=0:Dt:1
     for n1=-10000:10000
         y(i)=y(i)+\cos(20*pi*nl*Ts)*sinc(pi*20*(tl-(nl*Ts)));
     end
     i=i+1;
 -end
 subplot (4,1,3);
 plot(t,y);
 title('reconstructed signal');
 subplot (4,1,4);
 plot(t,y-xa);
```



```
clear;
  clc;
  close all;
 figure;
 Dt = 0.002;
  t = 0:Dt:1;
 xa = cos(20*pi*t);
 Ts = 0.07;
 n = 0:1:14;
 x = cos(20*pi*n*Ts);
 K = 500;
 XW=[];
 k=1;
 w indx=[];
 Xph=[];
□ for w= -pi:pi/K:pi
     tmp = sum(x .* exp(-j*n*w));
     Xw(k) = real(tmp);
     w indx(k) = w;
      k=k+1;
  end
  subplot (4,1,1);
 plot(t,xa);
 xlabel('t in msec');
 ylabel('Amplitude');
 title('Discrete Signal- x(n)');
 hold on
  stem(n*Ts,x);
 title('x(t) analog signal[Ts=0.3 msec]');
 hold off
  subplot(4,1,2);
 plot(w_indx/pi,Xw);
```

```
xlabel('Frequency in pi Units');
 ylabel('Amplitude');
 title('Discrete-Time Fourier Transform(DTFT)');
 i=1;
 y=zeros(1,501,'double');
- for tl=0:Dt:1
    for n1=-10000:10000
         y(i) = y(i) + \cos(20*pi*nl*Ts)*sinc(pi*20*(tl-(nl*Ts)));
     end
     i=i+1;
 -end
 subplot (4,1,3);
 plot(t,y);
 title('reconstructed signal');
 subplot (4,1,4);
 plot(t,y-xa);
```



```
clear;
  clc;
  close all;
  figure;
  % Analog signal
 Dt = 0.002;
  t = 0:Dt:1;
 xa = cos(20*pi*t);
  % Discrete-time signal
 Ts = 0.1;
 n = 0:1:10;
 x = cos(20*pi*n*Ts);
 % DTFT
 K = 500;
 % number of points
 XW = [];
  k=1;
 w_indx=[];
 Xph=[];
□ for w= -pi:pi/K:pi
     tmp = sum(x .* exp(-j*n*w));
     Xw(k) = real(tmp);
     w indx(k) = w;
      k=k+1;
 -end
 subplot (4,1,1);
 plot(t,xa);
 xlabel('t in msec');
  ylabel('Amplitude');
 title('Discrete Signal- x(n)');
  hold on
  stem(n*Ts,x);
```

```
title('x(t) analog signal[Ts=0.3 msec]');
 hold off
 subplot (4,1,2);
 plot(w_indx/pi,Xw);
 xlabel('Frequency in pi Units');
 ylabel('Amplitude');
 title('Discrete-Time Fourier Transform(DTFT)');
 i=1;
 y=zeros(1,501,'double');
- for t1=0:Dt:1
      for n1=-10000:10000
           y(i) = y(i) + \cos(20 \cdot pi \cdot nl \cdot Ts) \cdot sinc(pi \cdot 20 \cdot (tl - (nl \cdot Ts)));
      end
      i=i+1;
  end
  subplot (4,1,3);
 plot(t,y);
 title('reconstructed signal');
 subplot (4,1,4);
 plot(t,y-xa);
```

