

Dual Jet Interaction, Magnetically Arrested Flows, and Flares in Accreting Binary Black Holes

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Abstract

Supermassive binary black holes in galactic centers are potential multimessenger sources in gravitational waves and electromagnetic radiation. To find such objects, isolating unique electromagnetic signatures of their accretion flow is key. With the aid of three-dimensional general-relativistic magnetohydrodynamic (GRMHD) simulations that utilize an approximate, semi-analytic, super-imposed spacetime metric, we identify two such signatures for merging binaries. Both involve magnetic reconnection and are analogous to plasma processes observed in the solar corona. The first, like colliding flux tubes that can cause solar flares, involves colliding jets that form an extended reconnection layer, dissipating magnetic energy and causing the two jets to merge. The second, akin to coronal mass ejection events, involves the accretion of magnetic field lines onto both black holes; these magnetic fields then twist, inflate, and form a trailing current sheet, ultimately reconnecting and driving a hot outflow. We provide estimates for the associated electromagnetic emission for both processes, showing that they likely accelerate electrons to high energies and are promising candidates for continuous, stochastic, and/or quasi-periodic higher energy electromagnetic emission. We also show that the accretion flows around each black hole can display features associated with the magnetically arrested state. However, simulations with black hole spins misaligned with the orbital plane and simulations with larger Bondi radii saturate at lower values of horizon-penetrating magnetic flux than standard magnetically arrested disks, leading to weaker, intermittent jets due to feedback from the weak jets or equatorial flux tubes ejected by reconnecting field lines near the horizon.

Keywords: Active galactic nuclei, Supermassive black holes, Accretion, Magnetohydrodynamical simulations, General relativity

1. INTRODUCTION

Supermassive black hole (SMBH) binaries are expected to form as a natural consequence of galaxy mergers (Kormendy & Ho 2013). The recent detection of an isotropic, low-frequency background gravitational wave signal by pulsar timing arrays (PTAs) provides strong observational evidence that such systems are relatively common (Agazie et al. 2023a; EPTA Collaboration et al. 2023; Reardon et al. 2023). These observations, however, cannot yet resolve individual in-spiralling binaries (Agazie et al. 2023b). Future space-based gravitational wave missions like the Laser Interferometer Space Antenna (LISA, Flanagan & Hughes 1998; Amaro-Seoane et al. 2007; Berry & Gair 2013) promise to provide more precise localization for SMBH binary sources near and during merger. Electromagnetically, while there are a hand-

ful of promising candidates (Valtonen et al. 2008; Dotti et al. 2009; Liu et al. 2019; Jiang et al. 2022; Pasham et al. 2024; Kiehlmann et al. 2024), no observed galaxy has been fully confirmed to host a SMBH binary with close enough separation to be in the gravitational-wave regime.

In order to make progress, predictive modelling of electromagnetic emission provided by the accretion flows surrounding SMBH binaries is critical. In particular, it is imperative to isolate emission mechanisms that are unique to binary accretion systems in order to distinguish them from active galactic nuclei (AGN) containing only a single SMBH, which are typically highly variable and red-noise dominated. One possibility is that the time-dependent gravitational potential of the binary can induce hydrodynamic periodicity in the flow, which can then correlate to periodicity in the otherwise stochastic

thermal emission (see, e.g., D’Orazio & Charisi 2023 for a recent review). Another possibility is that there might be distinct non-thermal emission channels in SMBH binary accretion flows. The latter possibility will be the main focus of this work.

One recently proposed mechanism for unique non-thermal emission in SMBH binary accretion flows is magnetic reconnection between the interacting jets powered by the accretion of magnetic fields onto two rapidly spinning black holes (Gutiérrez et al. 2024, see also Palenzuela et al. 2010a). Magnetic reconnection, where opposing field lines are driven together and rapidly reorient into a new configuration, converts magnetic energy into kinetic and thermal energy while also potentially accelerating electrons to high energies (e.g., Sironi & Spitkovsky 2014a). These high energy electrons can radiate at higher electromagnetic frequencies than the bulk of the accretion disk emission and significantly alter the spectral energy distribution (SED, Gutiérrez et al. 2024), e.g., with a non-thermal component. The collision of jets with toroidally dominant magnetic field is analogous to collisions of flux tubes in the solar corona, a process that has been proposed as an explanation for certain types of solar flares (Sturrock et al. 1984; Hanaoka 1994; Falewicz & Rudawy 1999; Linton et al. 2001).

In order to evaluate these and other hypothetical emission mechanisms, it is important to understand the possible accretion states of SMBH binary systems. For instance, magnetically arrested disk (MAD) accretion flows (Narayan et al. 2003; Igumenshchev et al. 2003; Tchekhovskoy et al. 2011) have been widely studied in single black hole systems (e.g., Narayan et al. 2012; Ripperda et al. 2020, 2022; Chatterjee & Narayan 2022) and are the favored models for Event Horizon Telescope targets M87* (Chael et al. 2019; Event Horizon Telescope Collaboration et al. 2019) and Sagittarius A* (Akiyama et al. 2022; Ressler et al. 2020; Ressler et al. 2023), as well as possibly most AGN with observable jets (Zamaninasab et al. 2014; Nemmen & Tchekhovskoy 2015; Liska et al. 2022; Li et al. 2024). The MAD state is formed when enough net magnetic flux is accreted onto a black hole to partially inhibit accretion, leading to quasi-periodic cycles of flux accumulation and ejection that may be the source of near-infrared and X-ray flares (e.g., Porth et al. 2020; Dexter et al. 2020; Ripperda et al. 2022). MAD accretion flows are associated with the most powerful jets, with Poynting efficiencies (measured with respect to accretion power) that can be $\gtrsim 100\%$ when the black hole is rapidly spinning (Tchekhovskoy et al. 2011). In contrast, so-called Standard and Normal Evolution (SANE) flows display weaker jets (e.g., Penna et al. 2013) and more small-scale turbulent variability. From the small set of magnetohydrodynamic (MHD) simulations of binary accretion to date (e.g., Noble et al. 2012; Shi et al. 2012; Paschalidis et al. 2021;

Combi et al. 2022), the MAD state in binaries has only been studied in recent work (Ressler et al. 2024; Most & Wang 2024).

Moreover, there are only a few general relativistic simulations of binary black hole accretion in the literature, including both force-free electrodynamic simulations (Palenzuela et al. 2010b, 2009, 2010a; Moesta et al. 2012; Alic et al. 2012) and general relativistic magnetohydrodynamic (GRMHD) simulations. This is important because general relativity is required in order to realistically capture the near-horizon flows that are likely the dominant source of emission. Previous GRMHD simulations can generally be divided into two categories. The first has focused on accreting disk-like structures (Farris et al. 2012; Paschalidis et al. 2021; Combi et al. 2021; Lopez Armengol et al. 2021; Avara et al. 2023), while the second has focused on a more uniform distribution of low angular momentum gas (Giacomazzo et al. 2012; Kelly et al. 2017; Cattorini et al. 2021; Fedrigo et al. 2024). Simulations that fall into the latter category have been limited to binaries with initial separation distances of $\lesssim 16M$, where M is the total mass of the two black holes. This means that the gas and magnetic field had only a short amount of time to evolve before merger; as a consequence, no clear jet or outflow was observed. Furthermore, the effective Bondi radii of the gas in these simulations were quite small, $\lesssim 10r_g$ (here $r_g = GM/c^2$ is the gravitational radius corresponding to the total mass, M , of the system, where G is the gravitational constant and c is the speed of light), meaning that the dynamical ranges of accretion that could be studied were restricted.

In order to limit free parameters and isolate key physics and emission mechanisms, here we focus on the low angular momentum accretion flow scenario (which may be realistic for the large-scale feeding in some lower-luminosity galactic centers, e.g., Ressler et al. 2018, 2020). Unlike previous work on low angular momentum SMBH binary flows, however, we study gas with significantly larger Bondi radii ($150\text{--}500r_g$) and the largest binary separation distances to date ($25\text{--}27r_g$). This allows us to run our simulations for much longer, $\sim 4\text{--}6 \times 10^4 r_g/c$ or 70–100 orbits (compared with \sim a few $10^3 r_g/c$ or $\lesssim 10$ orbits in previous work). We do this in full GRMHD using our new implementation of the semi-analytic super-imposed Kerr-Schild metric (Combi et al. 2021; Ressler et al. 2024; Combi & Ressler 2024) in Athena++ (White et al. 2016; Stone et al. 2020).

In this work, we propose a new flaring mechanism that could potentially result in non-thermal emission involving reconnection caused by “magnetic bridges” (connected flux tubes) forming between the two in-spiralling black holes. Heating/energization of the plasma that could result in flaring happens when magnetic field lines accrete onto both black holes, get twisted by the orbital motion, and ultimately break

off due to magnetic reconnection. This process effectively extracts orbital energy in the form of thermal and kinetic energy while also likely being a source of high energy particle energization. The mechanism is analogous to coronal mass ejections in the solar corona (Chen 2011), and has also been proposed for neutron star-neutron star in-spirals (Piro 2012; Most & Philippov 2020; Most & Philippov 2022), neutron star-black hole in-spirals (McWilliams & Levin 2011; Carrasco et al. 2021; Most & Philippov 2023), and other stellar binary systems (Lai 2012; Cherkis & Lyutikov 2021; see also earlier work on planetary magnetospheres, Goldreich & Lynden-Bell 1969). We also present the first demonstration of jet-jet interactions in GRMHD simulations.

This letter is organized as follows. §2 describes our numerical set-up, §3 presents our results, while §4 synthesizes these results and concludes. Unless stated otherwise, we adopt units of $G = c = 1$.

2. METHODS

To simulate the accretion flow onto binary black holes we use a version of the GRMHD portion of Athena++ (White et al. 2016; Stone et al. 2020) that has time-dependent metric capabilities as described in Ressler et al. (2024). For the metric itself, we use the superimposed Kerr-Schild metric described in Combi et al. (2021) and Combi & Ressler (2024) that is constructed by superimposing two linearly boosted Kerr black holes in Cartesian Kerr-Schild coordinates. Note that we do not include the final temporal interpolation to the remnant black hole and thus limit our study to the in-spiral phase leading up to merger. The orbits of the black holes in the simulations are calculated from the post-Newtonian (PN) orbital equations using CBwaves (Csizmadia et al. 2012), assuming initially circular orbits, with initial separation distances equal to $d_{\text{BH},0}$. The angular momentum of the initial orbit points in the $+z$ direction, with black hole dimensionless spin three-vectors of χ_1 and χ_2 .

We initialize the domain with uniform mass density and pressure parameterized by the Bondi radius $r_B = 2M/c_{s,0}^2$, where $c_{s,0}$ is the initial sound speed. Since the simulations are scale free we set the initial rest-mass density, ρ_0 , to unity and thus the initial pressure is given by $P_0 = 2M/(\gamma r_B)$, where γ is the adiabatic index and we have used the non-relativistic expression for the sound speed appropriate for relatively large Bondi radii. The fluid velocities are set such that the gas is initially at rest (i.e., the bulk Lorentz factor is unity). The magnetic field is chosen to be uniform in the $+z$ direction with magnitude set such that the initial $\beta = 2P/(b^\mu b_\mu) = 100$, where b^μ is the comoving magnetic field in Lorentz-Heaviside units (that is, a factor of $1/\sqrt{4\pi}$ has been absorbed in b^μ). Such coherent magnetic field conditions may be realized if, e.g., the large-scale circumbinary

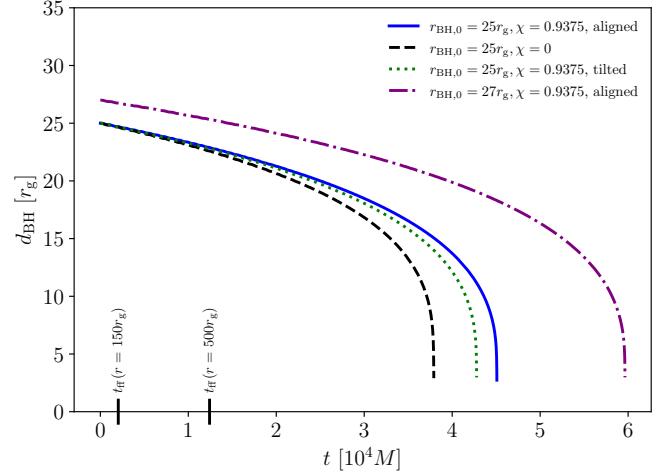


Figure 1. Binary separation distance, d_{BH} vs. time for our four orbital configurations. The free fall times at the two choices for Bondi radii, t_{ff} , are also shown on the x -axis. The time that it takes for the binaries to merge is a strong function of the initial separation distance, $d_{\text{BH},0}$, with the $d_{\text{BH},0} = 27r_g$ orbit taking an extra $\sim 2 \times 10^4 M$ than $d_{\text{BH},0} = 25r_g$ orbits. Orbits with nonzero black hole spin aligned with the orbital angular momentum generally take longer to merge due to the additional net angular momentum.

accretion flow itself is magnetically arrested (Most & Wang 2024).

In this work we focus on equal mass binaries: $M_1 = M_2 \equiv 0.5M$, where M_i are the masses of the individual black holes. We measure length and time with respect to $M_{\text{tot}} \equiv M = 2M_1$, so that $r_g = M = 2M_1$.

2.1. Grid Structure and Numerical Details

Our simulations cover a box of $(1600 r_g)^3$ with a base resolution of 128^3 numerical grid points. Using adaptive mesh refinement (AMR) we then add 9 extra levels of refinement approximately every factor of 2 in radial distance from each black hole. For each black hole this results in a 128^3 grid being placed within $-1.56r_g \leq X, Y, Z \leq 1.56r_g$, where X, Y , and Z are the black hole rest frame coordinates centered on the black hole, with cell separations of $\Delta x \approx 0.024 r_g$ (or ≈ 28 cells from the origin to the event horizon). Since the event horizon is larger for the $\chi = 0$ simulation, we use only 8 extra levels of refinement, meaning that the finest level of 128^3 cells is placed within $-3.12r_g \leq X, Y, Z \leq 3.12r_g$, with cell separations of $\Delta x \approx 0.048 r_g$ (or ≈ 21 cells from the origin to the event horizon).

We update the spacetime metric every 10 timesteps for improved numerical efficiency. Since the black holes are always moving at velocities $\lesssim 0.3c$, the errors incurred by this choice are small when compared with the errors incurred by the GRMHD fluid evolution as argued in Ressler et al. (2024).

We utilize the same modifications to the fluid and spacetime metric within the event horizons as described in detail

in Ressler et al. (2024). These modifications do not affect the flow outside the event horizon and ensure numerical stability.

We use the HLLE Riemann solver (Einfeldt 1988) and the piece-wise parabolic method (Colella & Woodward 1984) for reconstruction. The density floor is $10^{-6}(r/r_g)^{-3/2}$ and the pressure floor is $3.33 \times 10^{-9}(r/r_g)^{-5/2}$, with $\sigma \equiv b^\mu b_\mu/\rho \leq 100$ and $\beta \geq 0.001$ enforced via additional density and pressure floors, respectively. Additionally, the velocity of the gas is limited such that the maximum bulk Lorentz factor is < 50 .

2.2. Specific Runs

For this work, we run a total of four simulations, summarized in Table 1. Three of the simulations use $d_{\text{BH},0} = 25r_g$ and $r_B = 150r_g$. Of these three, the first uses two rapidly rotating black holes ($\chi_1 = \chi_2 = 0.9375$) aligned with the orbital angular momentum in the $+z$ direction. The second uses two non-spinning black holes ($\chi_1 = \chi_2 = 0$). The third uses two rapidly rotating black holes ($\chi_1 = \chi_2 = 0.9375$) both inclined with respect to the $+z$ axis such that initially $\chi_1 = [\chi_1 \sin(45^\circ), 0, \chi_1 \cos(45^\circ)]$ and $\chi_2 = [\chi_2 \sin(-45^\circ), 0, \chi_2 \cos(-45^\circ)]$. That is, the spins are initially tilted by 45° in opposite directions such that they are perpendicular to each other. The fourth simulation uses a significantly larger Bondi radius and a slightly larger binary separation distance, $r_B = 500r_g$ and $d_{\text{BH},0} = 27r_g$ with two rapidly rotating black holes ($\chi_1 = \chi_2 = 0.9375$) aligned with the orbital angular momentum in the $+z$ direction.

Our motivation for choosing these particular Bondi radii are primarily computational. Realistic values of r_B for the centers of galaxies are likely orders of magnitude larger (e.g., Garcia et al. 2005; Wong et al. 2011; Runge & Walker 2021), though for SMBH binary-hosting galaxies r_B may be moderately lower if the surrounding gas temperatures are higher as a result of the galaxy merger). Larger Bondi radii, however, require longer simulation run-times in order to reach inflow equilibrium and so studying flows with $r_B \gtrsim 1000r_g$ becomes computationally infeasible in a single simulation. We are thus limited to studying smaller Bondi radii so that the duration of the simulations are at least several free-fall times at r_B . Increasing r_B from $150r_g$ to $500r_g$ for one simulation then allows us to investigate how this choice may affect our results. We note that even $r_B = 150r_g$ is significantly larger than the $r_B \lesssim 10r_g$ used in previous GRMHD simulations.

Since all of our simulations use $\chi_1 = \chi_2$, in what follows we define $\chi = \chi_1 = \chi_2$. We refer to the $d_{\text{BH},0} = 25r_g$, $\chi = 0.9375$, $r_B = 150r_g$, aligned run as the ‘fiducial’ simulation. We refer to the $d_{\text{BH},0} = 25r_g$, $\chi = 0$, $r_B = 150r_g$ run as the ‘ $\chi = 0$ ’ simulation. We refer to the $d_{\text{BH},0} = 25r_g$, $\chi = 0.9375$, $r_B = 150r_g$, tilted run as the ‘tilted’ simulation. Finally, we refer to the $d_{\text{BH},0} = 27r_g$, $\chi = 0.9375$, $r_B = 500r_g$ run as the ‘ $r_B = 500r_g$ ’ simulation.

2.3. Binary Orbits

The orbital separation distances as calculated from CBWAVES for the four configurations are shown as a function of time in Figure 1. For the $d_{\text{BH},0} = 25r_g$ separation runs, merger occurs somewhere between $3.8\text{--}4.5 \times 10^4 M$ (or 70–86 orbits), where the shorter time corresponds to nonspinning black holes ($\chi = 0$) and the longer time corresponds to aligned $\chi = 0.9375$ black holes. The tilted $\chi = 0.9375$ binary falls somewhere in between (note that in this case both spin vectors are positive when projected onto the orbital angular momentum axis, which is aligned with the z -direction). This is because the binaries with nonzero black hole spin have a larger total angular momentum (including orbital angular momentum and black hole spin), which takes longer to shed via gravitational waves. The $d_{\text{BH},0} = 27r_g$ binary merges on a slightly longer timescale, $\approx 6 \times 10^4 M$ (or 102 orbits), consistent with an $d_{\text{BH},0}^4$ scaling.

These merger timescales can be compared to the free-fall times at the Bondi radii, defined as

$$t_{\text{ff}}(r) = \frac{\pi}{2\sqrt{2}} \left(\frac{r}{r_g} \right)^{3/2} M, \quad (1)$$

where this expression is valid only for r much greater than the orbital radius because it assumes Newtonian gravity and spherical symmetry. For $r_B = 150r_g$ and $r_B = 500r_g$, t_{ff} is $\approx 2,040 M$ and $\approx 12,420 M$, respectively. So for $r_B = 150r_g$ we can simulate up to ~ 19 free-fall times while for $r_B = 500r_g$ we can simulate up to ~ 5 free-fall times before merger.

For the orbital configuration with black hole spins initially tilted with respect to the orbital angular momentum axis (the z -axis), the spin directions will precess with time. In general, the orbital angular momentum direction would also precess with time. Because of our choice of to have the net black hole spin $\chi_1 + \chi_2$ aligned with the orbital angular momentum axis, however, the latter is constant with time. The spins, on the other hand, precess about the z -axis in a clockwise fashion such that the net spin, $\chi_1 + \chi_2$, remains constant in both direction and magnitude. The period of this precession is initially $\approx 2 \times 10^4 M$, much longer than the orbital period, and grows shorter as the binary approaches merger.

3. RESULTS

3.1. General Flow Properties

Figure 2 shows the time evolution of the total mass accretion rate (i.e., the sum of the accretion rate onto each black hole) normalized to the Bondi rate, $(|\dot{M}_1 + \dot{M}_2|)/\dot{M}_B \equiv |\dot{M}|/\dot{M}_B$, the normalized total magnetic flux threading the two black holes,

$$\phi_{\text{BH}} = \frac{\Phi_{\text{BH},1} + \Phi_{\text{BH},2}}{\sqrt{|\dot{M}_1|} + \sqrt{|\dot{M}_2|}}, \quad (2)$$

the total electromagnetic outflow efficiency measured at $r = 50r_g$, η_{EM} , and the maximum distance from the origin

Simulation Name	$d_{\text{BH},0}$	r_B	χ	$\chi_1(t=0)$	$\chi_2(t=0)$	$t_{\text{merger}} [10^4 M]$	N_{orbits}	$T_{\text{orbit}}(t=0)[M]$	$v_{\text{orbit}}(t=0)[c]$
Fiducial	$25r_g$	$150r_g$	0.9375	[0,0, χ]	[0,0, χ]	4.51	86	834	0.094
$\chi = 0$	$25r_g$	$150r_g$	0	[0,0,0]	[0,0,0]	3.79	70	827	0.094
Tilted	$25r_g$	$150r_g$	0.9375	$\frac{\sqrt{2}}{2} [\chi, 0, \chi]$	$\frac{\sqrt{2}}{2} [-\chi, 0, \chi]$	4.28	81	832	0.094
$r_B = 500r_g$	$27r_g$	$500r_g$	0.9375	[0,0, χ]	[0,0, χ]	5.96	102	932	0.091

Table 1. Parameters and orbital quantities for our four simulations. Here $d_{\text{BH},0}$ is the initial binary separation distance, r_B is the Bondi radius of the gas, χ_i are the spin vectors of the two black holes, χ is the magnitude of the black hole spins, t_{merger} is the time it takes for the black holes to merge, N_{orbits} is the number of orbits before merger, T_{orbit} is the orbital period, and v_{orbit} is the orbital speed.

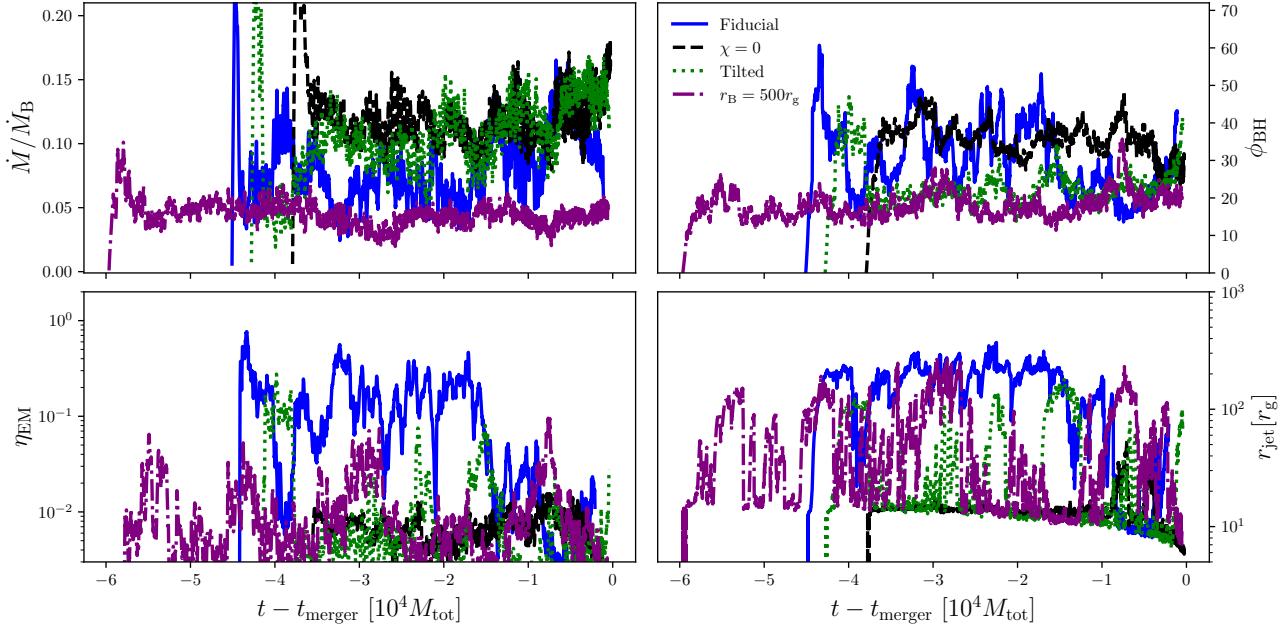


Figure 2. Time series of accretion and jet-related quantities. Top left: total accretion rate, \dot{M} , onto both black holes normalized to the Bondi rate, \dot{M}_B . Top right: Total dimensionless magnetic flux threading both black holes, ϕ_{BH} (calculated from Equation 2). Bottom left: Electromagnetic efficiency measured at $50r_g$, η_{EM} . Bottom right: Maximum distance from the origin reached by the jets, r_{jet} , measured as the maximum distance at which gas with $\sigma > 1$ is found. In calculating ϕ_{BH} and η_{EM} , the accretion rates in the denominator have been averaged over one orbital time. All simulations show approximate saturation of magnetic flux at some mean value. The fiducial and $\chi = 0$ simulations saturate at higher horizon-penetrating magnetic fluxes ($\phi_{\text{BH}} \sim 30\text{--}50$) and display strong variability. The tilted and $r_B = 500r_g$ simulations, on the other hand, saturate at $\phi_{\text{BH}} \approx 20\text{--}30$, with less variability. Correspondingly, the jet efficiencies in the fiducial simulation are the largest, with $\eta_{\text{EM}} \sim 20\text{--}30\%$ on average, while the tilted and $r_B = 500r_g$ simulations only occasionally rise above 1%. This shows that both larger Bondi radii and tilted accretion flows can inhibit the formation of strong jets in equal mass black hole binaries.

reached by the jets, r_{jet} , in our four simulations. Here \dot{M}_B is calculated from the initial conditions using the total mass of the two black holes, $\Phi_{\text{BH},i}$ is calculated by first transforming the three-magnetic field, B^i , to locally spherical coordinates in each black hole's rest frame, then integrating $|B^r|$ over the surface of the horizon, and r_{jet} is defined as the maximum radius at which there is any gas with $\sigma > 1$.

Both the fiducial and $\chi = 0$ simulations saturate at relatively high values of ϕ_{BH} , $\sim 40\text{--}50$, displaying variability characteristic of the magnetically arrested state (namely, there are cycles of flux accumulation followed by dissipa-

tion¹ centered on a saturated mean value). Note that we avoid precisely classifying our simulations as “magnetically arrested” due to the ambiguity of the term as we discuss in Appendix A. Both the tilted and $r_B = 500r_g$ simulations display lower values of ϕ_{BH} than the other two simulations, $\sim 20\text{--}30$, though they also saturate around a mean value and show some hints of flux accumulation and dissipation. Only the fiducial simulation shows moderately efficient (though variable) jets, with η_{EM} typically between 20–60%. The other

¹ The flux accumulation and dissipation cycles are clearer when $\Phi_{\text{BH},i}$ (the unnormalized magnetic flux threading the event horizon) is plotted for one of the black holes. We plot the normalized ϕ_{BH} instead because its magnitude is typically used to classify the magnetically arrested state.

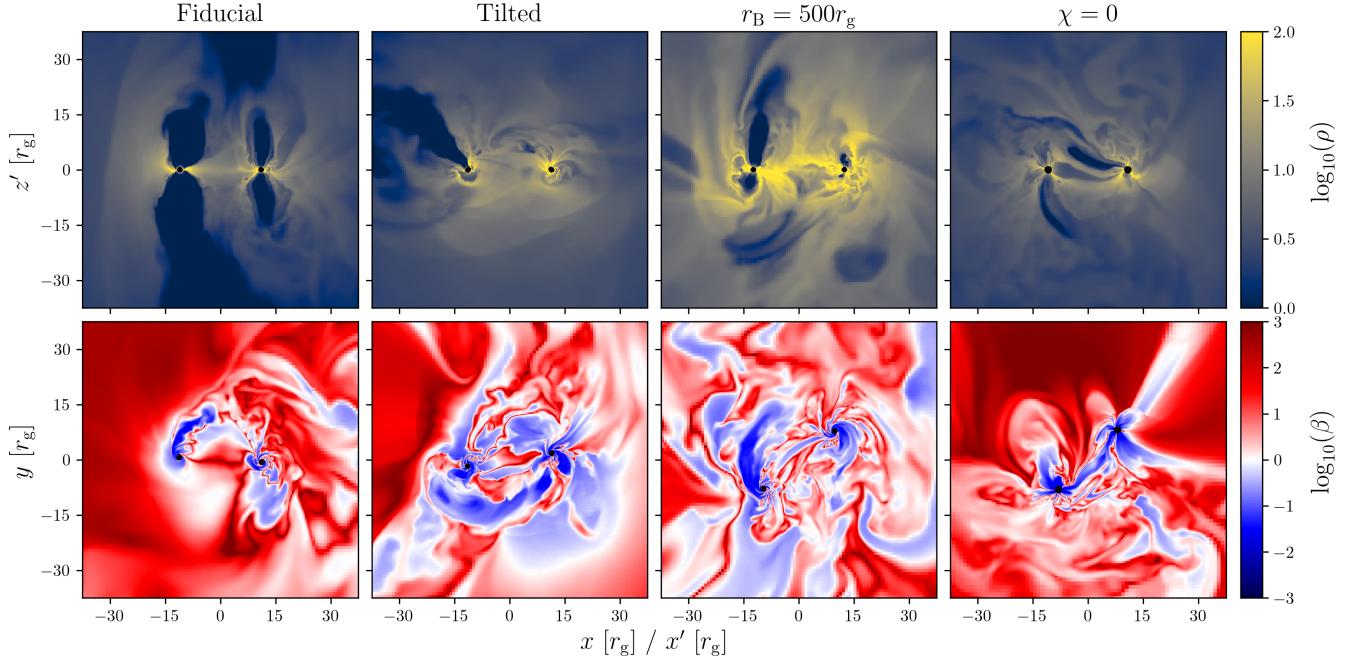


Figure 3. Top: Slices of rest-mass density, ρ , in the co-orbiting frame at representative times in our four simulations. Here x' and z' are the coordinates in the co-orbiting frame. Bottom: Equatorial slices of plasma β at representative times in our four simulations. Only the fiducial simulation shows a clear structure of an accreting midplane and poloidal jet. The other simulations show more unstructured accretion flows, with occasional weak and intermittent jets in the tilted and $r_B = 500r_g$ simulations. In the midplane, regions of low β are seen propagating outwards from the near-horizon flow and mixing with the gas at larger radii. These include both “flux tubes” like those seen in MAD accretion flows and bubbles blown out by weak jets (in the case of the tilted simulation). The low β regions are particularly large and mix to particularly large radii in the tilted and $r_B = 500r_g$ simulations. Such mixing likely inhibits the accumulation of net magnetic flux on the event horizon, required for sustained jet launching. Animations of this figure are available for the fiducial, $\chi = 0$, tilted, and $r_B = 500r_g$ simulations.

simulations show efficiencies generally at the $\lesssim 1\%$ level with occasional transient periods of efficiencies $\lesssim 10\%$. Because of the increased outflow, the fiducial simulation also displays lower accretion rates than the tilted and $\chi = 0$ simulations, $\dot{M}/\dot{M}_B \sim 8\%$ compared to $\sim 12\%$. The $r_B = 500r_g$ simulation has an even lower accretion rate as expected due to the larger initial Bondi radius, with $\dot{M}/\dot{M}_B \sim 5\%$. Specifically, this is caused by the radial dependence of the mass density with radius, which we find to be $\propto r^{-1}$, consistent with the general result for hot turbulent flows around black holes (Pen et al. 2003; Ressler et al. 2021; Ressler et al. 2023; Xu 2023). Larger Bondi radius flows then have lower accretion rates relative to the Bondi rate by a factor of $\propto r_B^{-1/2}$ (or ~ 0.5 for the specific case of $r_B=500 r_g$ vs. $r_B=150 r_g$).

To understand why the fiducial and $\chi = 0$ simulations saturate at higher values of ϕ_{BH} than the tilted and $r_B = 500r_g$ simulations despite similar initial conditions, in Figure 3 we plot slices of mass density in the corotating frame $x'-z'$ and slices of plasma β in the x - y plane for each simulation. Only the fiducial simulation shows a clear structure of an accreting midplane and low density polar outflows for each black hole. The other simulations show more complicated structures, with low density polar regions associated with outflows only present intermittently. In the midplane, all simulations show

“flux tubes” of highly magnetized regions buoyantly rising to larger radii. These flux tubes are a result of flux ejection near the event horizon, typical for flows showing signs of being magnetically arrested (e.g., Tchekhovskoy et al. (2011)). They contain predominantly vertical magnetic fields and are formed by reconnection of midplane current sheets (see Ripperda et al. 2022 for more details on this mechanism). The flux tubes are ejected due to magnetic field lines accreting with the radially infalling gas that subsequently pile up near the horizon, form a thin layer due to the build-up of magnetic pressure, and ultimately reconnect. For the tilted simulation, weak jets are also sometimes seen in the midplane appearing similar to larger flux tubes. Comparing the four simulations, the tilted and $r_B = 500r_g$ simulations show the largest regions of low β ; these regions also extend to larger radii compared with those in the fiducial and $\chi = 0$ simulations. In the tilted case, this is because of the misaligned (though weak) jets interacting with the midplane accretion flow. In the $r_B = 500r_g$ case, it is caused by the larger dynamical range of the flow resulting in an extended region of turbulence that affects the magnetic flux that can reach the horizon coming from larger scales. More precisely, since field lines are being accreted from a larger initial radius, the (near-equatorial) current sheets that form at the horizon when the

flux accumulates are also longer, naturally leading to larger flux tubes that get propelled to larger radii. In both the tilted and $r_B = 500r_g$ simulations, therefore, feedback in the form of strongly magnetized regions alters the flow enough to reduce the net magnetic flux reaching the event horizon and prevent strong jets from forming.

We note, however, that all of our simulations show this “flux tube feedback”; the effect is just stronger in the tilted and $r_B = 500r_g$ simulations. This is evidenced by the saturation of magnetic flux for all simulations in Figure 2 and by the noticeable flux tubes ejected in the midplane seen in Figure 3, both of which are reminiscent of magnetically arrested flows. Whether or not our simulations can be truly classified as magnetically arrested is partly semantic, as we argue in Appendix A. Generally, flux tubes are ejected in the direction opposite of the black hole motion (see bottom row of Figure 3, where the black holes are moving in a counter-clockwise direction). This is because the current sheets that form from accreted poloidal magnetic field are preferentially formed “behind” the black holes as they drag the accreted field lines (see, e.g., Palenzuela et al. 2010; Neilsen et al. 2011; Most & Philippov 2023 for binaries, and Penna 2015; Cayuso et al. 2019; Kim & Most 2024 for boosted isolated black holes). As a result, the current sheets are larger (i.e., have more reconnecting surface) and magnetic reconnection dissipates more energy than for stationary black holes, all else being equal. Such enhanced dissipation may be the reason that even our fiducial and $\chi = 0$ simulations do not reach the maximal values of ϕ_{BH} (50–70) or jet efficiency ($> 100\%$) seen in “traditional” MAD flows (e.g., Tchekhovskoy et al. 2011; Narayan et al. 2012; Ressler et al. 2021; Chatterjee & Narayan 2022; Lalakos et al. 2023; Ressler et al. 2023). Nevertheless, precisely quantifying the effect of black hole orbital motion on the feedback-regulated accretion of magnetic flux and disentangling that from fluid effects is difficult without a larger parameter survey. If indeed orbital motion is enough to prevent maximally efficient jets from forming, this would have important consequences for jet feedback in and observations of SMBH binary AGN.

It is instructive to compare our findings to single black hole accretion simulations. Our result that larger Bondi radius flows heave weaker jets and lower horizon-penetrating magnetic flux is consistent with recent findings in single black hole accretion for low angular momentum flows (Lalakos et al. 2023; Galishnikova et al. 2024; Kim & Most 2024), where it is argued that both jet and flux tube feedback tangle the incoming magnetic field. On the other hand, simulations of tilted accretion flows around single black holes have found that only highly misaligned ($\gtrsim 60^\circ$) flows result in lower horizon-penetrating magnetic flux and weaker jets (Ressler et al. 2023; Chatterjee et al. 2023). The difference here is that the misalignment is with respect to the orbital plane of

the binary, not the angular momentum of the gas. For an isolated black hole, rapid spin and strong magnetic fields can align the accretion flow and jet with the spin axis as long as the tilt angles are not extreme ($\gtrsim 60^\circ$). Conversely, in binary accretion flows, the orbital angular momentum is either unchanged by black hole spin (if $\chi_1 + \chi_2$ is constant) or changes on long time scales (if $\chi_1 + \chi_2$ varies due to spin-orbit coupling, see, e.g., Ressler et al. 2024). This means that any jet (even weak jets) will often collide with the incoming accretion flow in the orbital plane and partially inhibit the accretion of net magnetic flux. It is unclear whether the black hole spins of SMBH binaries in the in-spiral and merger phases are expected to be aligned, as it depends on the accretion and dynamical history of the two black holes leading up to the gravitational-wave emitting regime. If misaligned spins are common, SMBH binary AGN with strong jets may be rarer than their single black hole AGN counterparts. It will be important to study a larger range of parameter space (including circumbinary disk accretion) in order to investigate the generality of this finding.

Another important finding shown in Figure 2 is that ϕ_{BH} in both the fiducial and $\chi = 0$ simulations decrease shortly before merger (within $\sim 5 \times 10^3 M$). This is particularly evident in the fiducial simulation where the jet power and radius drop substantially at that time (with ϕ_{BH} dipping to ~ 30 , comparable to the tilted and $r_B = 500r_g$ simulations). The reason for this is that at these late times the black holes’ orbital velocities start increasing rapidly, changing the geometry of the accretion flow and reducing the amount of net vertical flux being accreted.

3.2. Jet Propagation

Figure 4 shows volume renderings of the three simulations with nonzero black hole spins at four different representative times on a $(75r_g)^2$ scale. Regions with high σ are highlighted in orange/yellow and high density regions are highlighted in blue. Jets in the fiducial simulation are persistent, propagate to large radii, and spiral around each other as the black holes orbit. Jets in the tilted simulation start out clear and structured, following the black hole spin axes and colliding once an orbit. As time proceeds, however, the jets die off and only very rarely appear structured. They also only rarely reach any significant distance from the black holes (see also the bottom right panel of Figure 2). This is likely caused by feedback from the misaligned black holes inhibiting the infall of magnetic flux, limiting the jets’ power. Jets in the $r_B = 500r_g$ simulation never have a clear or consistent structure, though they do occasionally reach to relatively large radii (see also the bottom right panel of Figure 2). They also often propagate at semi-random angles with respect to the aligned black hole spins. This is likely caused by the increased amount of

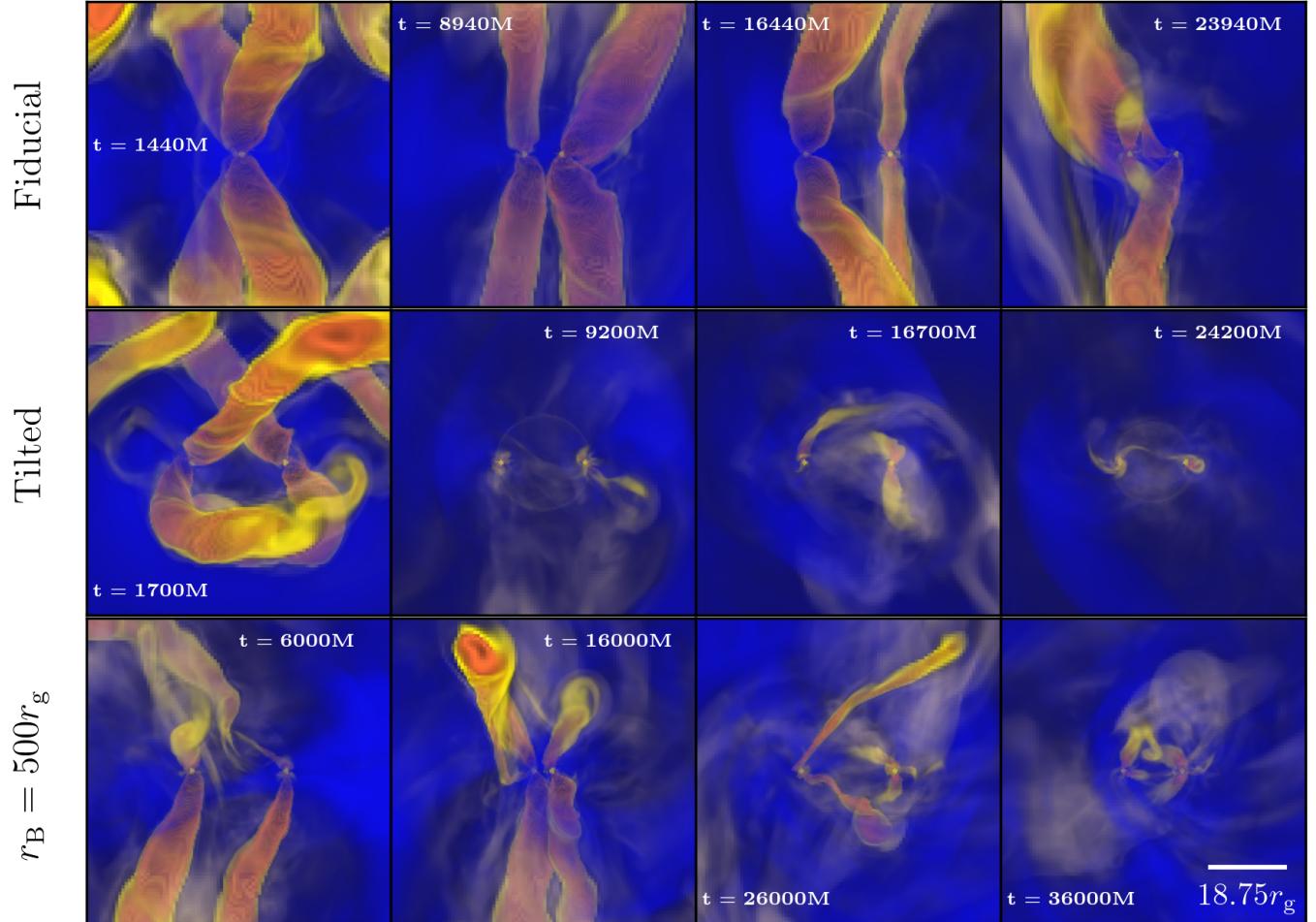


Figure 4. Three-dimensional volume renderings of our fiducial (top row), tilted (middle row) and $r_B = 500r_g$ (bottom row) simulations at five different representative times, highlighting regions of high magnetization, σ , in orange/yellow and regions of high ρ in blue. Each panel is on a scale of $(75r_g)^2$. Jets in the fiducial simulation are much more sustained and propagate more effectively than in both the tilted and $r_B = 500r_g$ simulations. In the latter two simulations the jets are sporadic and intermittent. This result may imply that sustained jets are more difficult to form in SMBH binary systems when the spins are misaligned with the orbital plane. Whether or not this result holds for different types of large-scale accretion flows (e.g., circumbinary disks) requires future study. Animations of this figure are available for the fiducial, tilted, and $r_B = 500r_g$ simulations.

turbulence in the accretion flow as discussed in the previous subsection.

Because all simulations contain a significant amount of low angular momentum gas above the orbital plane, all of the jets are also subject to the kink instability. This instability occurs when jets with toroidally dominant magnetic fields push against infalling or stationary gas (Begelman 1998; Lyubarskii 1999), causing them to wobble or even completely disrupt in extreme cases. For a low angular momentum density distribution of $\rho \propto r^{-1}$ as we find in our simulations (see previous subsection), disruption by the kink instability is likely inevitable (Bromberg et al. 2011; Bromberg & Tchekhovskoy 2016; Tchekhovskoy & Bromberg 2016; Ressler et al. 2021; Lalakos et al. 2023). This may be why all of the jets in our simulations stall by distances of $\sim 300r_g$ (bottom right panel of Figure 2). On the other hand, at these

distances 1) the narrow jets become difficult to resolve without specifically targeted mesh refinement and thus may be subject to larger numerical dissipation and 2) the jets may be affected by the boundary of the simulation, located at a distance of $\sim 800r_g$. While it is important to understand this instability for observations of jets and their emission, a detailed analysis is beyond the scope and focus of this work.

3.3. Jet Collisions and Dissipation

Focusing now on the fiducial simulation with consistent jets, we show slices through the jet cores of plasma β with magnetic field lines overplotted at three different distances from the black holes in Figure 5. These slices are shown next to a three-dimensional rendering of the jet and are taken at a representative time. The two Blandford & Znajek (1977) jets tend to have the same polarity of magnetic field because the

black hole spins are aligned and the accreted vertical magnetic field is typically of the same sign for both black holes. Because of this, when the jet cores first touch at $z \approx 50r_g$ the magnetic field lines are pointed in opposite directions at the contact surface. This results in magnetic reconnection as evidenced by the presence of an 'X' point, reminiscent of the coalescence of two flux tubes (Lyutikov et al. 2017; Ripperda et al. 2019). The reconnection occurs as the jets propagate outwards and continue to be driven together. Ultimately (by $z \gtrsim 150r_g$), the jet cores fully merge into a single clockwise loop of magnetic field lines, similar to what has been observed in force-free simulations (Palenzuela et al. 2010a). This process of consistent magnetic reconnection not only dissipates magnetic energy and converts it into kinetic and thermal energy but could also be a source of high energy particle acceleration.

Measuring the properties upstream of the X -point at $z = 50r_g$ in Appendix B.1, we find that σ and β are essentially at their maximum and minimum values, respectively (which are set by enforcing a mass density/pressure floor). In reality, therefore, their values would be much higher since the mass density would likely be much lower, and dominated by pair production and mass-loading of the jet, two physical processes not captured here. We also find that the reconnection layer has a significant guide field (that is, a non-reconnecting field perpendicular to the reconnecting plane), with the magnitude of b^z measured in a frame co-moving with the jets (i.e., the poloidal field) roughly equal to the magnitude of the in-plane reconnecting field (i.e., the toroidal field of the jet) as measured in the same frame.

The ratio between the magnitude of the guide field and the magnitude of the reconnecting field is known to be an important parameter in studies of magnetic reconnection, with large values tending to lower the amount of magnetic energy dissipation and the maximum energy of accelerated particles while steepening the nonthermal particle energy spectrum (Zenitani & Hoshino 2008; Sironi & Spitkovsky 2012). Precisely quantifying this effect in three-dimensional simulations for the parameter regime relevant to this work is still an active area of research. However, for a guide field of comparable strength to the reconnecting field as we have here, some recent work has found that this effect may be only moderate in three-dimensional simulations, with the energy gain of electrons in one case reduced by $\lesssim 20\%$ compared with weak guide field reconnection (Werner & Uzdensky 2024), and in another case a maximum particle energy reduced by a factor of ~ 2 , with a steepening of the nonthermal power law spectral index by ~ 1.5 to ~ 3 (Hoshino 2024). Note that we quote these numbers only as preliminary estimates, further study of three-dimensional guide field reconnection in the precise parameter regime appropriate for colliding jets is needed.

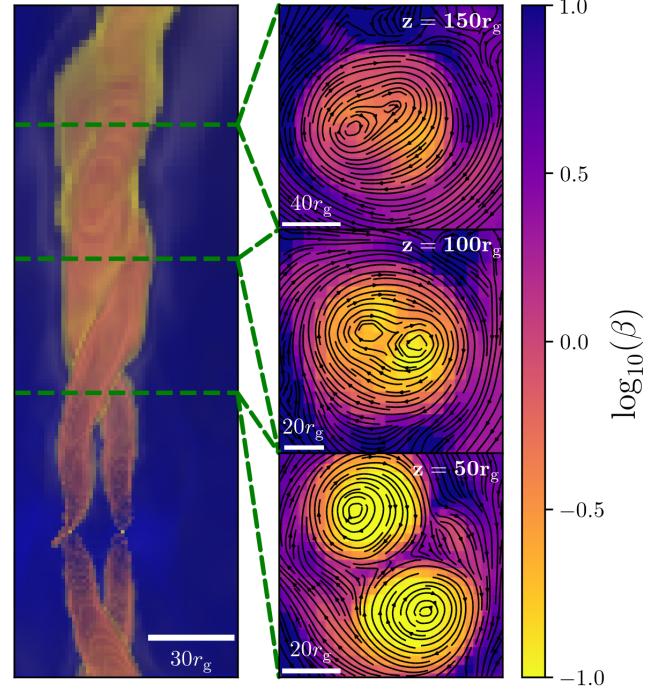


Figure 5. Evidence of magnetic reconnection between two jets in our fiducial simulation. Left: three-dimensional rendering of the jets in a representative time. Right: slices of plasma parameter β through the $z = 50r_g$ (bottom panel), $z = 100r_g$ (middle panel), and $z = 150r_g$ (top panel) planes. Since the spins of the black holes have the same polarity, the in-plane magnetic fields in the jet cores are usually oriented in clockwise loops. Because of this, 'X'-points are formed when the jets initially touch, with oppositely directed field lines driven to reconnect and dissipate. This is seen as the jet propagates to larger radii and the cores merge into one. This reconnection layer can accelerate electrons to nonthermal energies which could radiate at high electromagnetic frequencies (as estimated in the main text and Appendix B.1). An animated version of this figure is available [here](#).

In order to obtain more insight into how the jet-jet reconnection layer might appear electromagnetically, in Appendix B.1 we estimate the energy released by reconnection between the two jets as

$$\frac{(L_{\text{rec}})_{\text{jet}}}{L} \approx 0.02 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{l_{\text{rec}}}{20r_g} \right)^2, \quad (3)$$

where L is the total thermal luminosity of the accretion flow. $u_{b,\text{rec}}$ is the magnetic energy density of the reconnecting field, and l_{rec} is the length of the current sheet. Alternatively we can write this as

$$(L_{\text{rec}})_{\text{jet}} \approx 3 \times 10^{42} \frac{\text{erg}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{l_{\text{rec}}}{20r_g} \right)^2 \times f_{\text{Edd}} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}, \quad (4)$$

where f_{Edd} is the Eddington ratio of the source and η_{rad} is the radiative efficiency of the flow. We further estimate that the reconnection happens in the radiative regime and that this energy would be emitted at the so-called “synchrotron burn-off limit” of

$$(v_{\text{synch}})_{\text{jet}} \approx 2.5 \times 10^{22} \text{ Hz}, \quad (5)$$

independent of other parameters. This frequency is much higher than the estimated thermal synchrotron peak frequency (by at least a factor of $> 10^4$, see Appendix B.3) and thus would outshine the thermal emission at this frequency.

We note that the formation of a reconnection layer between the jets crucially depends on the magnetic polarity of the jets being the same. For jets with opposite polarity (which would form, e.g., when the z -component of the spins are anti-aligned), instead of forming a reconnection layer between them the jets may instead bounce off of each other (Linton et al. 2001). This bouncing may induce a “tilt-kink” instability where reconnection happens on the outer layers of the jets (Ripperda et al. 2017a,b). If strong jets in misaligned flows are possible (see discussion in previous subsection), then various other intermediate geometries are possible, subject to more or less magnetic reconnection and higher levels of quasi-periodic variability. Future work should explore the broader range of parameter space.

3.4. Magnetic Bridges

For simulations without persistent jets, we also find evidence of another type of flaring event. During these events, what we call “magnetic bridges” (connected flux tubes) form between the two black holes that can twist magnetic fields, erupt, and drive hot outflows via reconnection analogous to scenarios proposed for interacting neutron star magnetospheres (Most & Philippov 2020; Most & Philippov 2023).

One way of identifying potential flaring mechanisms in GRMHD simulations is through their heating properties (e.g., Most & Quataert 2023). As a clear example, we plot a time series of three-dimensional renderings of magnetic field lines overplotted on two-dimensional slices of entropy per unit mass, $s = k_B/[m_p(\gamma - 1)] \log(P/\rho^\gamma)$, for the tilted simulation in Figure 6. Here k_B is Boltzmann’s constant and m_p is the proton mass. In this time series, not all magnetic field lines are shown, but only those which pass through at least one black hole event horizon *and* which pass within $10r_g$ of both black holes. Field lines that pass through only the first black hole are colored yellow, field lines that pass through only the second black hole are colored blue, and field lines that pass through both are colored green. In the particular instance shown in Figure 6, field lines anchored to the first black hole initially pass close to the second black hole. These field lines start out in a relatively close bundle with predominantly straight field lines (Panel 1). The second black hole then captures several of these field lines (Panel 2),

after which they get significantly twisted and inflate (Panels 3–4). This twisting is caused by a relative rotation rate in the co-orbiting frame.² This process ultimately leads to reconnection and an eruption that can potentially power a flare (see also Yuan et al. 2019; Most & Philippov 2020). When this happens, a large amount of magnetic energy is released, heating up the nearby gas to mildly relativistic temperatures [$\Theta_p \equiv k_B T_g / (m_p c^2) \lesssim 1$, where T_g is the gas temperature] and propelling it out to larger radii (Panels 5–6). After this event the number of field lines connecting the two black holes is reduced (Panel 6) and ultimately goes back to ~ 0 . In particular, the launching of the eruption is associated with the transient formation of a trailing current sheet; in other contexts the reconnection of such trailing currents sheets has been shown to power subsequent high-energy emission (e.g., Parfrey et al. 2015; Most & Philippov 2020). We isolate the current sheet for this particular eruption in Appendix B.2 and show that it has negligible guide field (that is, all three components of the magnetic field change sign across the sheet) and is characterized by an upstream σ of \sim a few.

These types of eruptions in binary black hole systems differ from those containing at least one neutron star in an important way: closed magnetic flux tubes threading black holes decay or open up exponentially with time and are thus short lived (MacDonald & Thorne 1982; Lyutikov & McKinney 2011; Bransgrove et al. 2021). As a consequence, black holes fundamentally require accretion of plasma to both form and sustain magnetic loops threading their horizons (Gralla & Jacobson 2014). This means that black hole binary eruptions are directly affected by the turbulent gas flow, and as a result are more stochastic in nature compared with neutron star-black hole or neutron-star neutron-star eruptions where there is a natural periodicity to the formation of connected field lines (with eruptions happening \sim twice per orbit, Cherkis & Lyutikov 2021; Most & Philippov 2022, 2023). How often flaring events occur in the black hole binary case depends crucially on the ratio between the time-averaged coherence length of the magnetic field in the orbital plane and the binary separation distance. When this ratio is small (i.e., larger separation distances or earlier times), magnetic bridges can only form between the black holes when turbulence stochastically generates an instantaneously coherent field. In this regime flaring events are rare. When the ratio is closer to unity or larger (i.e., at shorter separation distances or later times closer to merger), magnetic bridges form constantly, and flaring events/eruptions are more frequent. In practice, this means that there will be some transition time when eruptions

² For each black hole the relative twisting motion depends on $\Omega_{\text{BH}} - \Omega_{\text{orbit}}$, where Ω_{BH} (Ω_{orbit}) is the effective rotation rate of the black hole (orbit). As a consequence, twisting can even happen for irrotational black holes ($\Omega_{\text{BH}} = 0$).

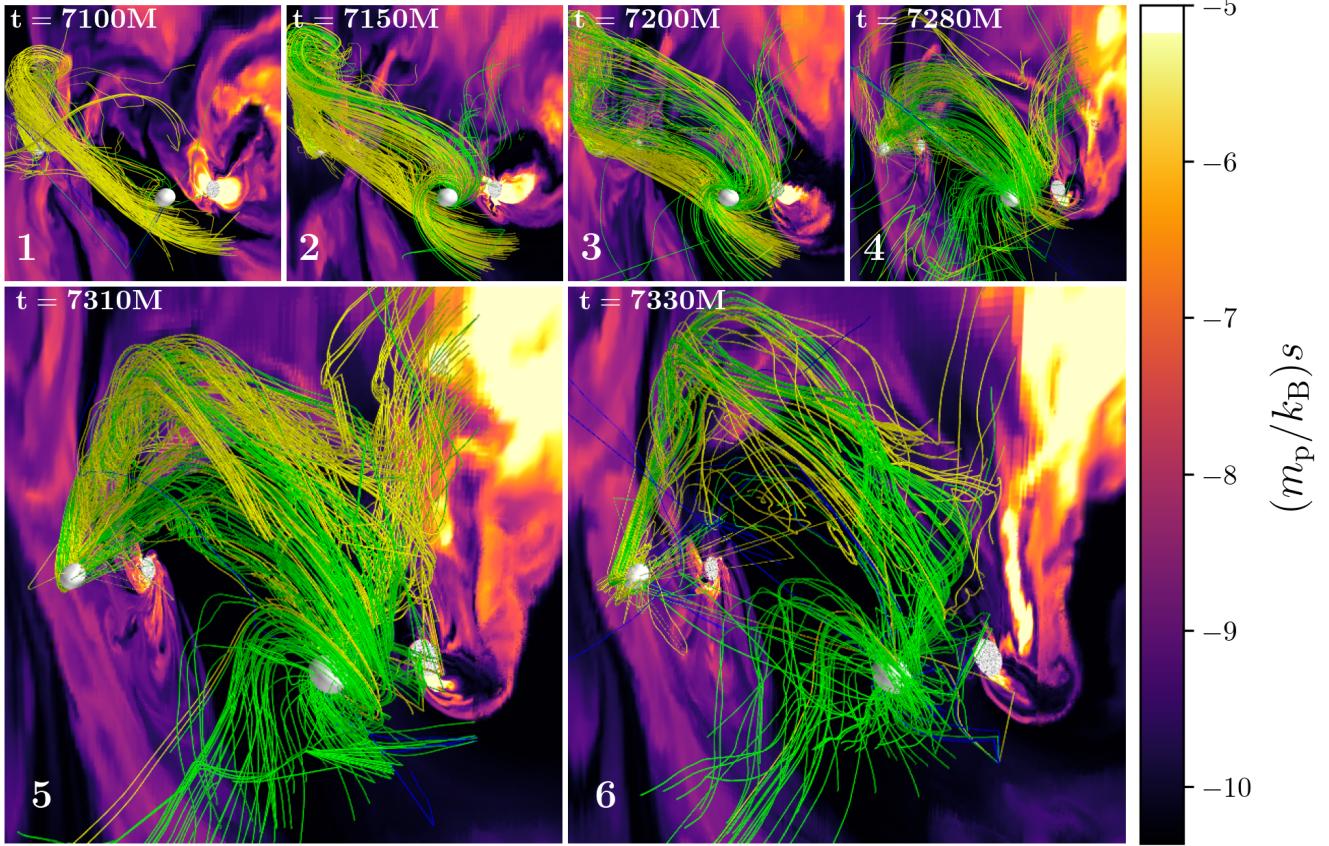


Figure 6. An example of a “magnetic bridge” flaring event in our tilted simulation. Shown in Panels 1–6 is a time series of three-dimensional representations of magnetic field lines in the corotating frame on top of a two-dimensional contour of entropy per unit mass, $s = 1/(\gamma - 1) \log(P/\rho^\gamma)$, in the x' - z' plane. Only field lines that thread at least one of the black hole event horizons *and* get closer than $10 r_g$ to the other black hole are shown. Yellow (blue) field lines are those which pierce the first (second) black hole’s event horizon (the first black hole is always positioned on the left in these plots) while green field lines are those which pierce both event horizons. The second black hole captures initially fairly straight field lines connected to the first black hole and through a combination of orbital and black hole spin motion twists them into a tangled tube. Finally, the field lines reconnect close to the second black hole, releasing magnetic energy and causing an eruption of high entropy gas that gets expelled to larger radii. This mechanism is a promising candidate for unique electromagnetically powered high-energy flaring signatures of SMBH binary AGN. An animation of this figure is available [here](#).

go from being rare to frequent, and possibly from stochastic to quasi-periodic as the binary separation distance decreases. In our simulations, this transition happens relatively close to merger, at separation distances $\lesssim 10\text{--}15 r_g$.

We caution against over-generalizing this result on eruption recurrence rates without further study over a wider range of parameter space. The coherence length of the magnetic field in the orbital plane likely depends on the assumed magnetic field topology and assumed angular momentum of the gas (larger angular momentum can coherently wrap the magnetic field in the toroidal direction, e.g., in the circumbinary disk scenario). Since we initialized the system with zero angular momentum and magnetic field purely in the vertical direction, the later quasi-periodic phase associated with frequency eruptions may not begin until particularly late times in our simulations. This is in contrast to circumbinary disk

scenarios where coherent loops could be accreted more often at larger separations (similar to Parfrey et al. 2015).

We find that when the black holes have strong jets (e.g., at most times in the fiducial simulation), magnetic bridges are prevented from forming and these types of eruptions do not occur. This is because any field line that is accreted onto one black hole is generally twisted up and assimilated onto the same black hole’s jet instead of lingering long enough to be accreted by the other black hole. Even when such field lines *do* get relatively close to the other black hole they tend to be blown away by that black hole’s jet instead of being accreted. Thus, these magnetic bridge eruptions happen only when the jet is suppressed, whether that be from a lower magnetic flux supply (as in the tilted and $r_{\text{BH}} = 500r_g$ simulations), from low or no black hole spin (as in the $\chi = 0$ simulation), or by the late-time suppression of ϕ_{BH} caused by accelerating orbital velocities (as in the fiducial simulations).

Quantifying the electromagnetic emission associated with the eruptions discussed in this subsection is difficult without a fully general relativistic radiative transfer calculation on top of a model for the plasma magnetization, density, and content (i.e., whether it is electron-positron pairs or electron-ion pairs) as well as the magnetic field strength near the event horizon. This is because quantities such as the Poynting flux or energy outflow measured from the simulations are not necessarily a good proxy for radiative signatures. Moreover, even if the total energy released is small compared to the overall luminosity of the system, it is likely that the hot plumes produced by eruptions radiate at much higher frequencies than the bulk of the accretion flow and would thus dominate the emission in that regime. Likewise, the strongest electromagnetic signature may come from accelerated, non-thermal particles. These particles are fundamentally not captured in our ideal GRMHD fluid approximation and thus understanding their acceleration and emission in detail will require more localized particle-in-cell simulations.

With those caveats in mind, we still find it instructive to make some order-of-magnitude estimates. In Appendix B.2 we roughly estimate the energetics of these events, finding that the total energy released by reconnection is

$$\frac{(L_{\text{rec}})_{\text{bridge}}}{L} \approx 0.08 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)_{r=r_H} \left| 0.075 \right| \times \left(\frac{r_H}{0.67 r_g} \right)^2 \left[\frac{\log(l_{\text{rec}}/r_H)}{2.7} \right], \quad (6)$$

or

$$(L_{\text{rec}})_{\text{bridge}} \approx 10^{43} \frac{\text{erg}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)_{r=r_H} \left| 0.075 \right| \left(\frac{r_H}{0.67 r_g} \right)^2 \times \left[\frac{\log(l_{\text{rec}}/r_H)}{2.7} \right] f_{\text{Edd}} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}, \quad (7)$$

emitted as synchrotron radiation at a frequency of

$$(\nu_{\text{synch}})_{\text{bridge}} \approx 3 \times 10^{20} \text{ Hz} \left(\frac{\sigma_{\text{bridge}}}{4} \right)^2 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)_{r=r_H} \left| 0.075 \right)^{1/2} \times f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{-1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2}. \quad (8)$$

where r_H is the event horizon radius of one of the black holes. This frequency is $\gtrsim 10^3$ times the thermal synchrotron peak that we estimate in Appendix B.3 but $\sim 10^{2-8}$ times less than the characteristic synchrotron frequency of the jet-jet emission that we estimate in Appendix B.1 depending on M and f_{Edd} , where larger values of $(\nu_{\text{synch}})_{\text{jet}} / (\nu_{\text{bridge}})_{\text{jet}}$ correspond to smaller Eddington ratios and/or larger black hole masses. That means that the three emission processes (one thermal and the others nonthermal) are likely distinguishable from each other and could be independently detectable.

4. DISCUSSION AND CONCLUSIONS

We have presented a suite of four 3D GRMHD simulations of SMBH binary accretion in low angular momentum environments. We varied the black hole spin directions and magnitudes as well as the initial Bondi radius of the gas. The simulations were run up until just before merger, $\approx 4-6 \times 10^4 M$ or 70 – 100 orbits for initial separations of 25–27 r_g . These are the longest run and largest separation distances studied to date in GRMHD simulations of binary black holes that include the event horizons. While a large fraction of parameter space in SMBH binary accretion still remains unexplored by both theory and simulations, in this work we have studied a very limited range of that parameter space in order to highlight several key areas that could be fruitful for future study and the interpretation and prediction of observations.

We find that feedback from the black holes can partially inhibit the accumulation of net magnetic flux on the event horizon in certain parameter regimes (Figure 2). This is true even though the initial magnetic field geometry contains a significant amount of ordered vertical flux in all simulations and the resulting near-horizon flow is highly magnetized ($\beta \lesssim$ a few on average). In particular, we have shown that simulations with black hole spins moderately tilted with respect to the orbital angular momentum and/or with flows that have an initially large Bondi radius reach saturated states with relatively lower horizon-penetrating dimensionless magnetic flux. This is because feedback through either misaligned jets or flux tube ejections is significant enough to regulate the amount of magnetic flux that ultimately reaches the black hole event horizons (Figure 3). As a result, only one of the three simulations with nonzero black hole spin displays persistent and structured jets that reach large radii (Figure 4). The other simulations show intermittent, weak, and quickly dissipated jets that only occasionally reach larger radii. Additionally, even the jets in the fiducial simulation do not reach $> 100\%$ efficiencies like those typically seen in magnetically arrested flows, possibly due to enhanced dissipation/feedback associated with longer current sheets that are extended by the orbital motion of the black holes. Thus we posit that strong jets in SMBH binary AGN systems very close to merger and decoupled from their large-scale accretion flows may be more rare than those in single SMBH AGN or SMBH binary AGN at earlier times in the in-spiral, though this possibility requires further investigation.

We have demonstrated two potential emission mechanisms that are unique to merging SMBH binary AGN (compared with single SMBH AGN). Both involve magnetic reconnection and are likely to accelerate electrons to high energies and produce high-frequency electromagnetic emission with characteristic luminosities $\lesssim 10\%$ of the total thermal luminosity of the accretion flow. The first mechanism occurs when the black holes power persistent jets and the spins are aligned. In

this case, the two jets form an extended reconnection layer that dissipates magnetic energy and causes the jets to merge (Figure 5, Appendix B.1). This is analogous to flux tube collisions in the solar corona (i.e., collisions of two footpoints at the solar surface), a probable cause of certain solar flares (Linton et al. 2001). This reconnection layer is characterized by a highly magnetized upstream flow ($\sigma \gg 1$ and $\beta \ll 1$) with a moderately strong guide field of comparable strength to the reconnecting field. Reconnection in this regime is known to be a source of high-energy particles that would radiate at higher frequencies than the accretion disk (as we estimate in Appendix B).

When the black holes have jets that are either weak or nonexistent, we have proposed and demonstrated a novel flaring mechanism. Analogous to coronal mass ejections in the sun or similar phenomena proposed in neutron star-neutron star and neutron star-black hole mergers (Most & Philippov 2020; Most & Philippov 2023), “magnetic bridge” (connected flux tube) eruption events occur when magnetic field lines get accreted by both black holes and subsequently get twisted and torqued by the orbital motion, forming an equatorial current sheet (Figure 6, Appendix B.2). When the tension on the field lines reaches a critical point, they break off through reconnection and create an unbound outflow of hot plasma. Unlike in mergers containing a neutron star, these flares require accreting plasma and thus are stochastic in nature, with occurrence rates that depend on the separation distance of the binary and the time-averaged coherence length of the magnetic field in the orbital plane. For large separation distances (short coherence lengths), flares are stochastic and more rare, relying on spontaneous, turbulent generation of coherent magnetic field. For short separation distances (long coherence lengths), eruptions are frequent and possibly even quasi-periodic. In either regime, this flaring mechanism is a promising candidate for providing energetic observational signatures of SMBH binary in-spirals and mergers

that are counterparts to merging low frequency gravitational wave sources.

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Software: `Athena++` (White et al. 2016; Stone et al. 2020), `CBwaves` (Csizmadia et al. 2012), `matplotlib` (Hunter 2007),

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APPENDIX

A. ON THE USE OF THE TERM “MAGNETICALLY ARRESTED”

The term ”magnetically arrested” has been widely adopted to describe a class of simulations in GRMHD (Narayan et al. 2003; Igumenshchev et al. 2003; Narayan et al. 2012; Tchekhovskoy et al. 2011; Event Horizon Telescope Collaboration et al. 2019; Akiyama et al. 2022; Chatterjee & Narayan 2022). Generally, these simulations are characterized by several key features:

- The accretion of a significant amount of poloidal magnetic flux onto the event horizon that tends to form a transient, reconnecting, equatorial current sheet.
- The saturation of dimensionless magnetic flux, $\phi_{\text{BH}} = \Phi_{\text{BH}} / \sqrt{|\dot{M}|}$ at values between 40–60, with cycles of slow increase followed by rapid dissipation.
- Jets with efficiencies $\gtrsim 100\%$ relative to the accretion power, $|\dot{M}|c^2$, when the black hole is rapidly spinning.
- The frequent ejection of low density, highly magnetized “flux tubes” by the reconnecting midplane current sheet that regulate the amount of accreted magnetic flux.
- A highly magnetized inner accretion flow, with accretion in the innermost region proceeding in thin streams.
- Accretion disks with sub-Keplerian orbital velocities

In previous literature, GRMHD simulations that start with an initial torus of gas (e.g., Fishbone & Moncrief 1976; Chakrabarti 1985; Penna et al. 2013), displayed a clear dichotomy between SANE and MAD flows; simulations either showed all of the above listed properties or none. Recent work on more spherical distributions of gas studying a larger dynamical range of accretion (Ressler et al. 2021; Lalakos et al. 2022; Kwan et al. 2023; Lalakos et al. 2023; Galishnikova et al. 2024), however, has complicated this picture. These authors have found that in certain parameter regimes you can have most of the traditional MAD features but with moderately lower horizon-penetrating magnetic fluxes ($\phi_{\text{BH}} \sim 10\text{--}30$) and without particularly strong jets. This is not due to a lack of available magnetic flux supply (as is the case for SANE flows) but due to a change in magnetic flux transport caused by feedback from either jets or flux tube ejections. Stronger feedback is found for simulations with larger Bondi radii, which results in less net magnetic flux reaching the event horizons and weaker jets. We would argue that such simulations are qualitatively in the

same accretion state as those with larger horizon-penetrating magnetic fluxes and stronger jets. In both cases, the magnetic flux threading the event horizon reaches a clear saturation where inflow and outflow of magnetic flux are roughly balanced in a time-averaged sense. Moreover, this saturation is governed by the same physical mechanisms. Inflow proceeds by accretion and outflow proceeds by the ejection of flux tubes and/or by jets (i.e., feedback).³ In contrast, the accretion of magnetic flux in SANE flows is generally not regulated by this feedback (since there are generally no equatorial current sheets that drive flux tube ejection), and ϕ_{BH} does not saturate at a mean value but instead shows more secular variability.

We therefore propose that instead of being a distinct state with universal characteristics, magnetically arrested accretion flows fall on a spectrum. When flux tube/jet feedback is strong, ϕ_{BH} can drop to moderate values and the jets are weak, but when feedback is weak ϕ_{BH} can reach maximal values and the jets can be $> 100\%$ efficient. In this sense, we could describe all of the flows in our simulations as “magnetically arrested,” as they all display reconnection-driven flux tube ejection and highly magnetized inner accretion flows. If we use the more traditional and strict definition of the MAD state, however, none of our simulations are fully MAD as even the most powerful jets are well below 100% efficiency.

Because of this ambiguity, in the main text we do not definitively refer to any of our simulations as either MAD or SANE. Instead we focus on highlighting the qualitative and quantitative features of MAD flows that are or are not present in each.

B. MEASURING THE PROPERTIES OF MAGNETIC RECONNECTION AND ESTIMATING ELECTROMAGNETIC EMISSION

We can roughly estimate the energy released by reconnection using $L_{\text{rec}} \approx u_{b,\text{rec}} l_{\text{rec}}^2 \beta_{\text{rec}} c$, where $u_{b,\text{rec}} = b_{\text{rec}}^2/2$ is the magnetic energy density of the reconnecting magnetic field (in Lorentz-Heaviside units), l_{rec} is the length of the reconnection layer (not to be confused with the width or thickness, which in reality is microscopic), and β_{rec} is the reconnection rate. Particle-in-cell simulations generally find $\beta_{\text{rec}} \approx 0.1$ (Sironi & Spitkovsky 2014b; Guo et al. 2014; Werner et al. 2016), so if we parameterize the overall luminosity of the accretion flow with a radiative efficiency of η_{rad} as $L = \eta_{\text{rad}} \dot{M} c^2$,

³ Note that since the feedback can also affect the inflow of magnetic fields, this is a nonlinear process.

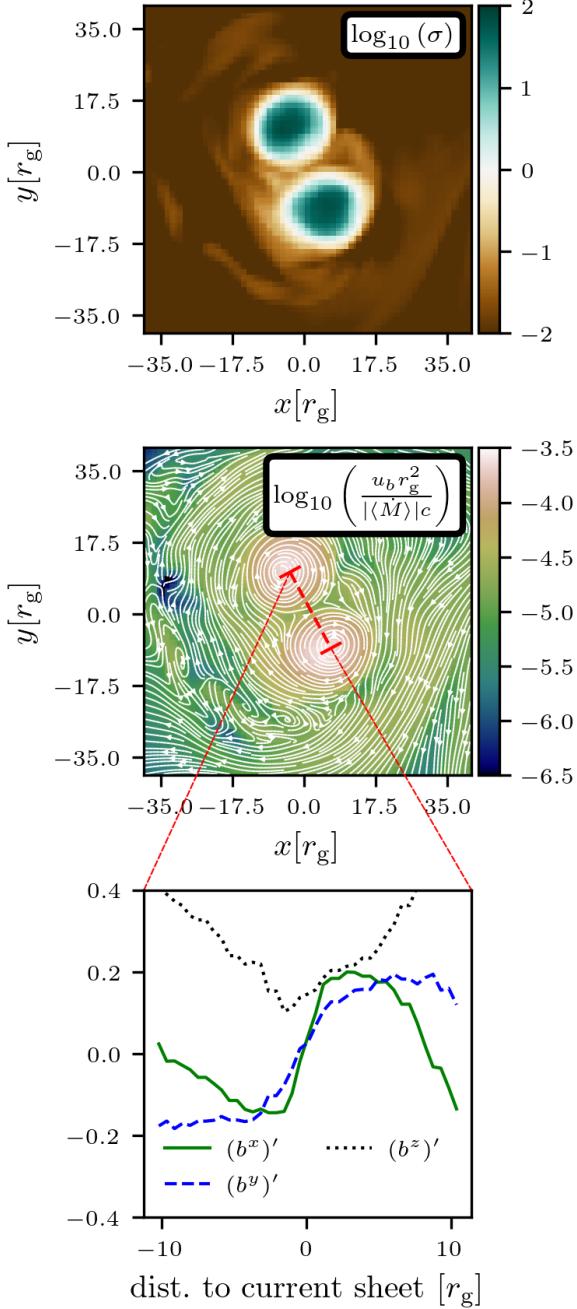


Figure 7. Properties of the magnetic reconnection layer formed by the two interacting jets at the time shown in Figure 5. Top: Two-dimensional slice of σ through the $z = 50r_g$ plane. Middle: Same as the top panel but for magnetic energy density normalized to the time-averaged accretion rate, $u_b r_g^2 / (|\dot{M}|c)$ with magnetic field lines overplotted. Bottom: One-dimensional profiles through the reconnection layer (along the line indicated in the middle panel) of the three spatial components of the co-moving magnetic field boosted into the jet frame, $(b^u)'$. The upstream flow is characterized by $\sigma \approx 100$, the imposed numerical limit (meaning that in reality it would be much larger) and a guide field of comparable strength to the reconnecting field.

we can write:

$$\frac{L_{\text{rec}}}{L} \approx \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1} \left(\frac{l_{\text{rec}}}{r_g} \right)^2. \quad (\text{B1})$$

Here $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ is essentially a dimensionless and scale-free measure of the magnetic field strength relative to the accretion power. Both $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ and l_{rec} we can directly measure from the simulations for each reconnection scenario.

To obtain estimates in cgs units, we can parameterize the Luminosity as $L = f_{\text{Edd}} L_{\text{Edd}}$, where f_{Edd} is the Eddington ratio and L_{Edd} is the Eddington luminosity. This results in

$$L_{\text{rec}} \approx 1.3 \times 10^{44} \frac{\text{erg}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{l_{\text{rec}}}{r_g} \right)^2 f_{\text{Edd}} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}. \quad (\text{B2})$$

Furthermore, we can parameterize the magnetic field strength in a similar way:

$$B_{\text{cgs}} \approx 7 \times 10^6 \text{ G} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)^{1/2} f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{-1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2} \quad (\text{B3})$$

corresponding to an electron gyro-frequency [$\omega_b = eB/(m_e c)$]:

$$\omega_b \approx 1.2 \times 10^{14} \frac{\text{rad}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)^{1/2} f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{-1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2}. \quad (\text{B4})$$

B.1. Interacting Jets

In Figure 7 we isolate the properties of the jet-jet reconnection layer at $z = 50r_g$ by plotting two-dimensional slices of σ and $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ as well as a one-dimensional profile of the three spatial components of the co-moving magnetic field boosted to the jet frame. The boost is performed using the average coordinate velocity of the jet at this distance, $0.7c$ in the $+z$ direction. We find that the upstream $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ is $\sim 5 \times 10^{-5}$ while l_{rec} is $\sim 20r_g$. This implies that

$$\frac{(L_{\text{rec}})_{\text{jet}}}{L} \approx 0.02 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{l_{\text{rec}}}{20r_g} \right)^2, \quad (\text{B5})$$

or

$$(L_{\text{rec}})_{\text{jet}} \approx 3 \times 10^{42} \frac{\text{erg}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right) \left(\frac{l_{\text{rec}}}{20r_g} \right)^2 \times f_{\text{Edd}} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}. \quad (\text{B6})$$

The upstream σ is the ceiling value set by the density floor, meaning that in reality it depends on how the jet is mass-loaded. We can estimate a more realistic value by using the Goldreich & Julian (1969) number density, n_{GS} , needed

to sustain the induced electric field in the jet (see also discussion in Section 4.1 of Ripperda et al. 2022), $\sigma_{e,GS} = b^2/(m_e n_{GS} c^2)$, where $n_{GS} = \lambda \Omega_{\text{BH}} b / (2\pi c e)$, λ is a multiplicity factor $\lesssim 10^3$ (Mościbrodzka et al. 2011; Chen & Yuan 2020; Crinqueand et al. 2020), and $\Omega_{\text{BH}} = \chi c / (2r_{\text{H}})$. This results in

$$(\sigma_e)_{\text{jet}} \approx 2 \times 10^{10} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \middle| 5 \times 10^{-5} \right)^{1/2} \left(\frac{\lambda}{10^3} \right)^{-1} \times f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2}, \quad (\text{B7})$$

where we have substituted $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c) \sim 5 \times 10^{-5}$ and the approximate upper limit on λ of 10^3 . Without radiative cooling, electrons accelerated by reconnection would reach $\Gamma_e \approx \sigma_e$. However, radiative back reaction on the particles will limit their Lorentz factors to be less than a critical value, $\Gamma_{e,\text{cool}}$, obtained by equating the radiative drag force of a particle with the force provided by the accelerating electric field, $\Gamma_{e,\text{cool}}^2 \approx 3m_e^2 c^4 / (2e^3 \sqrt{b^2})$ (e.g., Uzdensky et al. 2011; Ripperda et al. 2022). For our parameters we find

$$\Gamma_{e,\text{cool}} \approx 4 \times 10^5 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \middle| 5 \times 10^{-5} \right)^{-1/4} \times f_{\text{Edd}}^{-1/4} \left(\frac{M}{10^6 M_\odot} \right)^{1/4} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{1/4}. \quad (\text{B8})$$

For all Eddington ratios $\gtrsim 10^{-7}$ and $\lambda \lesssim 10^3$, we estimate that $\Gamma_{e,\text{cool}} < \sigma_e$, meaning that particle acceleration in the jet-jet reconnection layer is radiatively limited. As a result we can estimate the characteristic photon frequency at which the accelerated electrons would emit synchrotron radiation using $\nu_{\text{synch}} = \Gamma_{e,\text{cool}}^2 \omega_b / (2\pi)$:

$$(\nu_{\text{synch}})_{\text{jet}} \approx 2.5 \times 10^{22} \text{ Hz}. \quad (\text{B9})$$

This is the so-called “synchrotron burn-off limit” and is independent of any other parameters.

In the bottom panel of Figure 7, we find that the jet-jet reconnection occurs with significant guide field, $\sqrt{b_z b^z} / \sqrt{b_x b^x + b_y b^y} \sim 1$. As discussed in the main text, this level of guide field will moderately limit the maximum Lorentz factor of the accelerated electrons, though precisely quantifying this effect in the regime of interest is still an ongoing area of research.

B.2. Magnetic Bridge Eruptions

Isolating the current sheet associated with the eruption shown in Figure 6 of the main text is more difficult than the jet interaction layer because it doesn’t align with any particular coordinate plane. Part of it can be seen, however, in the $x - z$ plane centered on the second black as we show

in Figure 8. In this figure we plot two-dimensional slices of $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ on two different scales, a two-dimensional slice of σ on the smaller scale, and a one-dimensional profile of the three spatial components of the co-moving magnetic field. The current sheet is seen as a region of low b^2 that attaches to the black hole near the midplane on the left side of the figure and then loops around the bottom of the black hole and turns towards positive z . We have confirmed that this is the current sheet associated with the flux tube plotted in Figure 6. Since the magnetic field strength in this flux tube generally decays with distance from the black hole as $b^2 \propto l^{-2}$, the dissipated power from reconnection is dominated by the near-horizon region. More precisely, we should differentiate Equation (B1) with respect to l_{rec} and integrate along the length of the current sheet, giving

$$L_{\text{rec}}/L \approx \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \right)_{r=r_{\text{H}}} \left(\frac{r_{\text{H}}}{r_g} \right)^2 2 \log \left(\frac{l}{r_{\text{H}}} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}. \quad (\text{B10})$$

From Figure 8 we can estimate $u_{b,\text{rec}} r_g^2 / (|\dot{M}|c)$ at the event horizon as ≈ 0.075 and $l_{\text{rec}} \approx 10r_g$. Since the event horizon radius for this simulation is $r_{\text{H}} \approx 0.67r_g$, we estimate

$$\frac{(L_{\text{rec}})_{\text{bridge}}}{L} \approx 0.08 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \middle| 0.075 \right)_{r=r_{\text{H}}} \times \left(\frac{r_{\text{H}}}{0.67r_g} \right)^2 \left[\frac{\log(l_{\text{rec}}/r_{\text{H}})}{2.7} \right], \quad (\text{B11})$$

or

$$(L_{\text{rec}})_{\text{bridge}} \approx 10^{43} \frac{\text{erg}}{\text{s}} \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \middle| 0.075 \right)_{r=r_{\text{H}}} \left(\frac{r_{\text{H}}}{0.67r_g} \right)^2 \times \left[\frac{\log(l_{\text{rec}}/r_{\text{H}})}{2.7} \right] f_{\text{Edd}} \left(\frac{M}{10^6 M_\odot} \right) \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1}. \quad (\text{B12})$$

From Figure 8 it is also clear that the upstream near-horizon σ is \sim a few and that there is negligible guide field (that is, all three spatial components of the field change sign across the current sheet). In this regime we expect electrons to be accelerated to Lorentz factors of $\Gamma_e \sim \sigma_e$, where $\sigma_e \approx \sigma m_p/m_e$, m_e and m_p are the electron and proton masses, respectively, and we have assumed that the plasma is composed of hydrogen ions. Using $\sigma \approx 4$, we find $\Gamma_e \sim 7300(\sigma_{\text{bridge}}/4)$. For all reasonable black hole masses and Eddington ratios, this Lorentz factor is smaller than the synchrotron cooling limit (Equation B8). Thus we estimate:

$$(\nu_{\text{synch}})_{\text{bridge}} \approx 3 \times 10^{20} \text{ Hz} \left(\frac{\sigma_{\text{bridge}}}{4} \right)^2 \left(\frac{u_{b,\text{rec}} r_g^2}{|\dot{M}|c} \middle| 0.075 \right)^{1/2} \times f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{-1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2}. \quad (\text{B13})$$

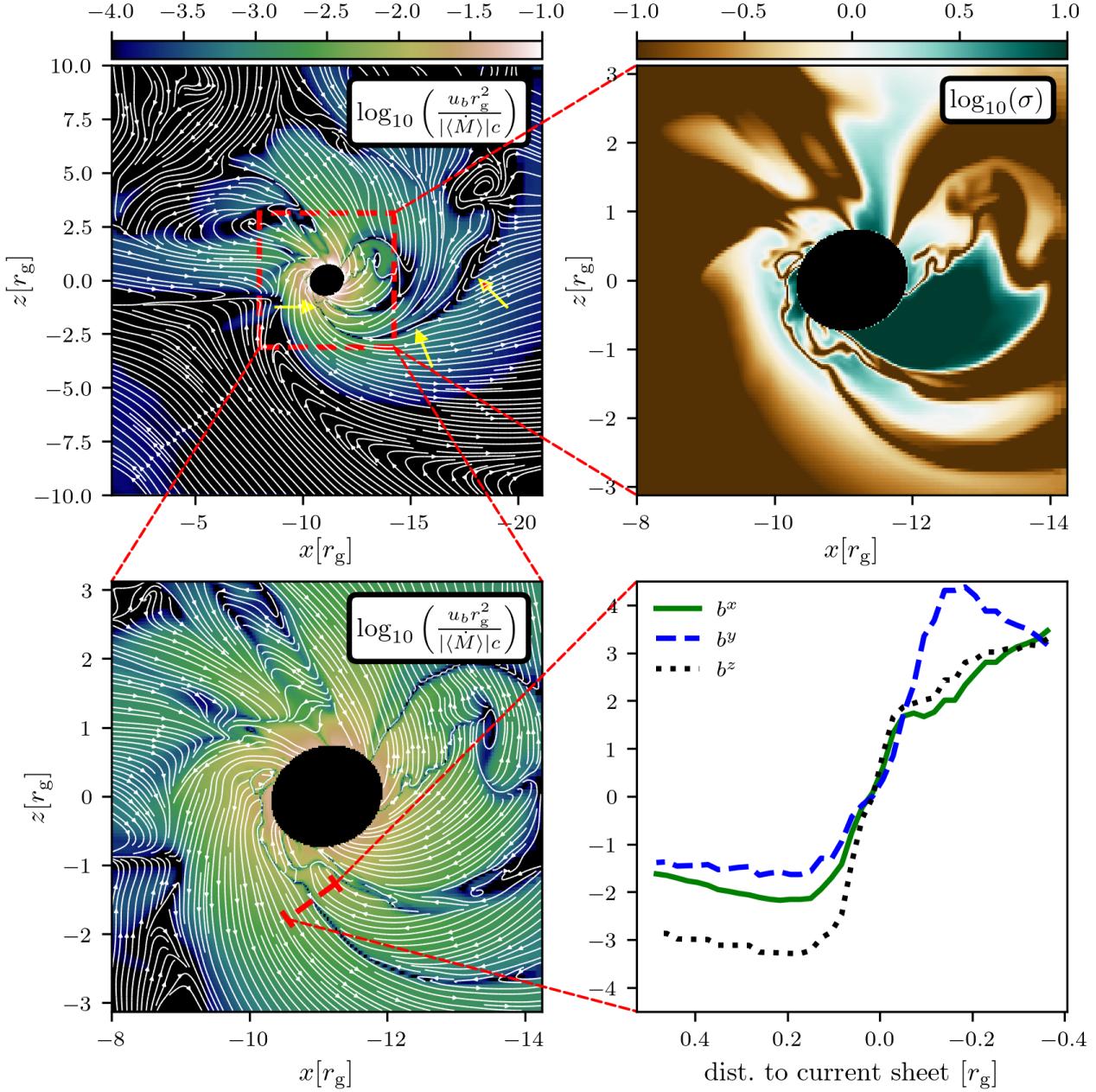


Figure 8. Properties of the magnetic reconnection layer formed just before the eruption event in the tilted simulation plotted in Figure 6. Top left: Two-dimensional slice centered on the second black hole of magnetic energy density normalized to the time-averaged accretion rate, $u_b r_g^2 / (|\langle \dot{M} \rangle| c)$, with the reconnection layer indicated by yellow arrows. Top right: Two-dimensional slice of $\sigma = b^2/\rho$. Bottom left: same as top left but on a ~ 4 times smaller scale. Bottom right: 1D profiles through the reconnection layer (along the line indicated in the bottom left panel) of the three spatial components of the co-moving magnetic field, b^μ . The available energy for reconnection is highest near the horizon, with $u_b r_g^2 / (|\langle \dot{M} \rangle| c) \sim 0.075$, where the layer is surrounded by plasma with $\sigma \sim$ a few. Furthermore, there is negligible guide field, with all three spatial components of b^μ changing sign across the layer.

B.3. Thermal Emission

We can also make a rough estimate of the thermal emission properties of the accretion flow. If we assume that the thermal temperature of the electrons in the near-horizon flow is some fraction $f_e \leq 1$ of the ion temperature, then this can be compared to the “thermal” Lorentz factor of $\Theta_e \equiv k_B T_e / (m_e c^2) = (m_p/m_e) f_e P / (2\rho)$, again assuming hydrogen ions. Measuring this temperature in a mass-weighted average in our simulations results in $\langle \Theta_e \rangle_\rho \lesssim 200 f_e$. Note that this value should be taken as an upper-limit to the actual emitting temperature of the thermal electrons since gas at slightly larger radii likely contribute significantly. This results in a characteristic synchrotron frequency of $\nu_{\text{synch}} = \Theta_e^2 \omega_b / (2\pi)$:

$$\begin{aligned} (\nu_{\text{synch}})_{\text{th}} &\approx 2 \times 10^{17} \text{ Hz} \left(\frac{\Theta_e}{200} \right)^2 \left(\frac{u_b r_g^2}{|\dot{M}|c} \middle| 0.075 \right)^{1/2} \\ &\quad \times f_{\text{Edd}}^{1/2} \left(\frac{M}{10^6 M_\odot} \right)^{-1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{-1/2}, \end{aligned} \quad (\text{B14})$$

where we have used the near-horizon value of $u_b r_g^2 / (|\dot{M}|c) \sim 0.075$ as in Appendix B.2.

We can now compare this frequency to the characteristic synchrotron frequency of the reconnection events. For the jet-jet reconnection layer we estimate

$$\begin{aligned} \frac{(\nu_{\text{synch}})_{\text{jet}}}{(\nu_{\text{synch}})_{\text{th}}} &\approx 10^5 \left(\frac{\Theta_e}{200} \right)^{-2} \left(\frac{u_b r_g^2}{|\dot{M}|c} \middle| 0.075 \right)^{-1/2} \\ &\quad \times f_{\text{Edd}}^{-1/2} \left(\frac{M}{10^6 M_\odot} \right)^{1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{1/2}, \end{aligned} \quad (\text{B15})$$

while for the magnetic bridge eruptions we estimate

$$\frac{(\nu_{\text{synch}})_{\text{bridge}}}{(\nu_{\text{synch}})_{\text{th}}} \approx 1.3 \times 10^3 \left(\frac{\Theta_e}{200} \right)^{-2} \left(\frac{\sigma_{\text{bridge}}}{4} \right)^2. \quad (\text{B16})$$

We can also compare $(\nu_{\text{synch}})_{\text{jet}}$ and $(\nu_{\text{synch}})_{\text{bridge}}$ directly, finding:

$$\begin{aligned} \frac{(\nu_{\text{synch}})_{\text{jet}}}{(\nu_{\text{synch}})_{\text{bridge}}} &\approx 80 \left(\frac{\sigma_{\text{bridge}}}{4} \right)^{-2} \left(\frac{u_b r_g^2}{|\dot{M}|c} \middle| 0.075 \right)^{-1/2} \\ &\quad \times f_{\text{Edd}}^{-1/2} \left(\frac{M}{10^6 M_\odot} \right)^{1/2} \left(\frac{\eta_{\text{rad}}}{0.1} \right)^{1/2}. \end{aligned} \quad (\text{B17})$$

B.4. Summary

To summarize, we generally estimate that both jet-jet reconnection events and magnetic bridge reconnection events in our simulations can produce a significant amount of luminosity, between a few to ten percent of the total luminosity provided by the bulk of the accretion flow. We predict that this luminosity would appear as synchrotron emission at higher frequencies than the thermal synchrotron peak by factors of $> 10^3$. For all reasonable values of $f_{\text{Edd}} \gtrsim 10^{-7}$

and $10^6 M_\odot \lesssim M \lesssim 10^{10} M_\odot$, our analysis finds that the jet-jet emission will appear at higher frequencies than the magnetic bridge eruption emission (by at least a factor of $\gtrsim 80$ and by as much as $\gtrsim 10^7$ depending on M and f_{Edd}), with the latter having a slightly higher luminosity (a factor of ~ 2 for the particular parameters we measure in the simulations). Additionally, inverse Compton scattering has the potential to upscatter photons to even higher frequencies than those estimated here.

Finally, we emphasize that the estimates made in this section should be interpreted cautiously as they rely on several assumptions and do not take into account general relativistic effects of photon propagation. They are only meant to give an approximate range of luminosities and photon frequencies and need to be followed up with more detailed calculations.