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Assignemnt

Lagrange Interpolation

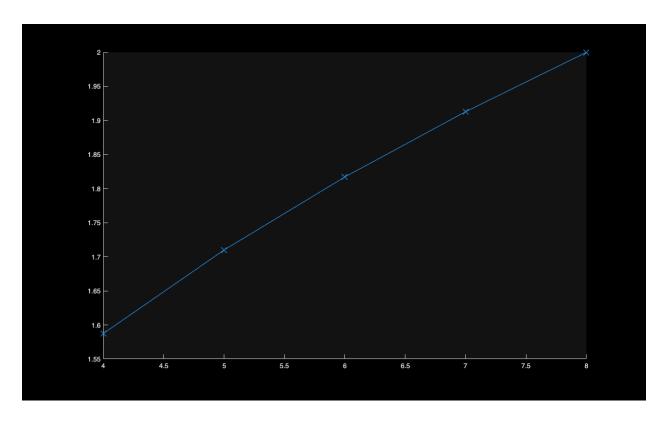
```
% Name : Mohamed Mafaz
% Roll Number : AM25M009
% Department : Applied Mechanics
clc
clear
close all
```

Part 1 (Preprocessing)

```
x = [4.0, 5.0, 6.0, 7.0, 8.0];
y = [1.58740105, 1.709976, 1.81712059, 1.912931, 2.0];

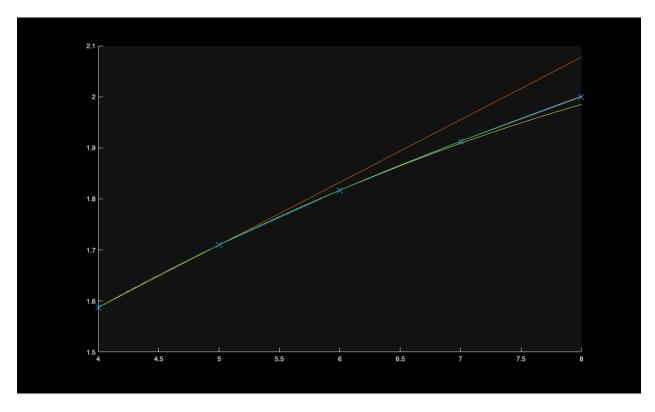
n = length(x);
xx = linspace(min(x), max(x), 500);

figure;
hold on;
plot(x, y, 'LineWidth', 1, 'DisplayName', 'Actual Data points', Marker='x',
MarkerSize=12);
```



Part 2 (Processing / Using the Interpolation Algorithm)

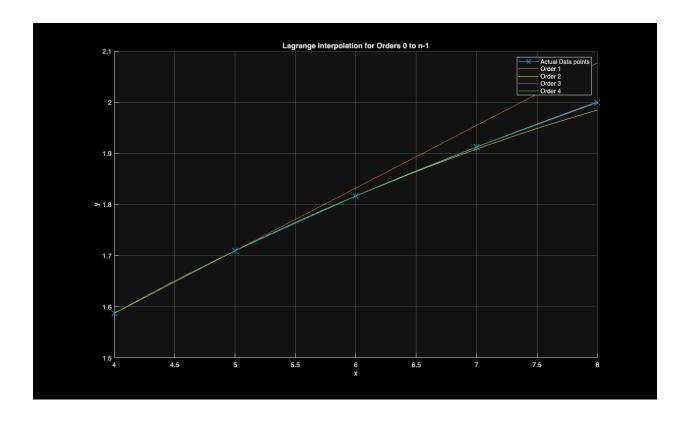
```
for order = 1:n-1
    % Take only the first (order+1) data points.
    % For example:
    % order = 1 -> first 2 points
    % order = 2 -> first 3 points, etc.
   xi = x(1:order+1);
   yi = y(1:order+1);
   yy = zeros(size(xx));
    % Loop through each evaluation point xx(k)
    for k = 1:length(xx)
       val = 0;
                                    % this will accumulate the polynomial
value at xx(k)
                                    % Build the Lagrange interpolation
polynomial term by term
       for i = 1:length(xi)
                                   % Start with basis polynomial L_i(xx(k))
= 1
            L = 1;
            for j = 1:length(xi)
                if j ~= i
                                    % Multiply the factors for L_i(xx(k))
                    L = L * (xx(k) - xi(j)) / (xi(i) - xi(j));
                end
```



Part 3 (Post Processing / Plotting)

Plotting actual Data plot(x, y, 'LineWidth', 1, 'DisplayName', 'Actual Data points', Marker='x', MarkerSize=12);

```
legend show;
title('Lagrange Interpolation for Orders 0 to n-1');
xlabel('x');
ylabel('y');
grid on;
hold off;
```



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