

**ANLT 207**  
**Time Series Analysis**  
**Assignment #2**

For all problems below, show your work with a PY or an IPYNB file.

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|---|---|---------------|
| 1 | Assume the 'robberies.csv' dataset from Brownlee Chapter 30:  |               |
|   | a. Perform a Dickey-Fuller test on the series. Is the series stationary?  | 2             |
|   | b. Detrend the series with a polynomial fit (up to order 3)   | 5             |
|   | c. At what polynomial order does the detrended series become stationary?  | 3             |
|   | d. Perform differencing on the original series to induce stationarity   | 4             |
|   | e. At what order of differencing does the series become stationary?   | 1             |
|   |   | <hr/> 15 pts. |
| 2 | Assume the 'champagne.csv' dataset from Brownlee Chapter 32:  |               |
|   | a. Perform a Dickey-Fuller test on the series. Is the series stationary?  | 1             |
|   | b. Perform seasonal differencing to eliminate seasonality   | 1             |
|   | c. Is the resulting series stationary?  | 1             |
|   | d. Perform a seasonal decomposition on the original series and plot the results   | 2             |
|   | e. Plot a 1 year period (Jan-Dec) for only the seasonal component   | 5             |
|   |   | <hr/> 10 pts. |
| 3 | Assume the 'series.csv' dataset:  |               |
|   | a. Using ACF & PACF plots, estimate the ARMA(p,q) order   | 5 pts.        |
|   | b. Going with your answer for p, calculate the $a_1 - a_p$ coefficients using the Yule-Walker equations<br>(Hint: <code>np.linalg.det(matrix)</code> makes calculating determinants easy) | 15 pts.       |
| 4 | The sunspot cycle is estimated at 11 years. Based on the ACF of the "Monthly Sunspots" dataset, what is the sunspot cycle to the nearest month?   | 5 pts.        |