



Digital Communications Project 3

Modulation Techniques

Presented for ELC 3070 MATLAB Project

Presented to:

Dr. Mohamed Khairy

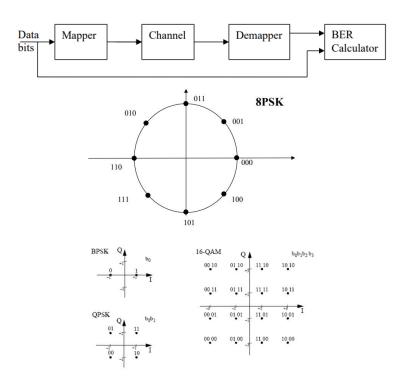
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Role of each member:

Each one of us created his own code, and in one meeting we came together on the best version by merging the 2 codes and wrote the documentation





Binary Phase Shift Keying

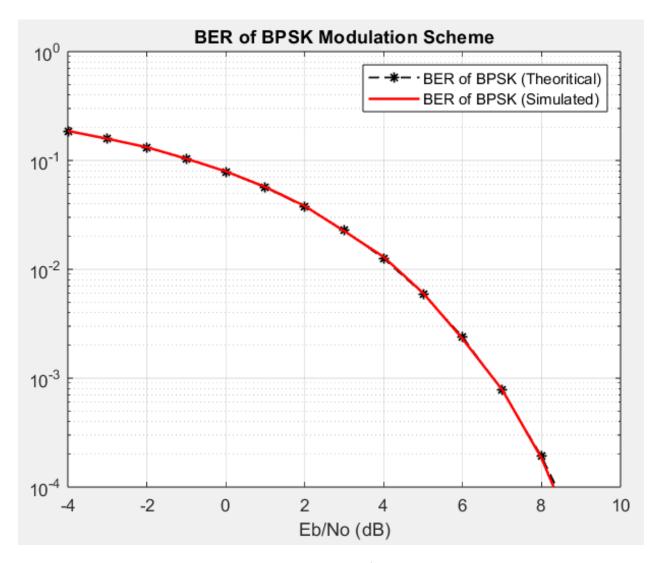


Figure 1: BER vs SNR for BPSK

COMMENTS

As shown in Fig. (1) the simulated value of the BER is very close to the theoretical value which is

$$BER_{theoritical} = \frac{1}{2} erfc \left(\sqrt{\frac{E_b}{N_o}} \right)$$



Quadrature Phase Shift Keying

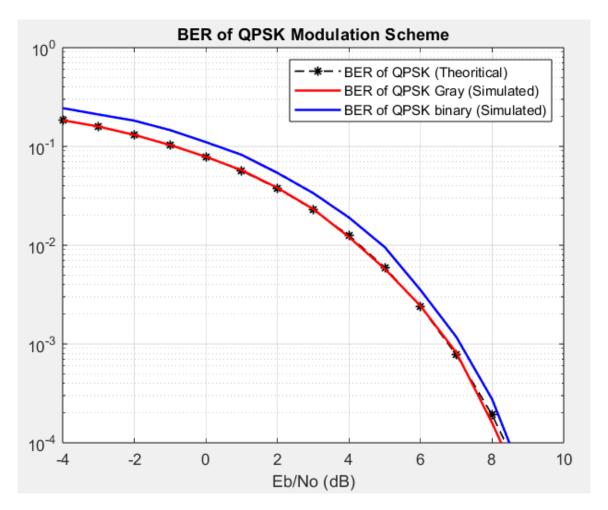


Figure 2: BER vs SNR for QPSK

COMMENTS

The theoretical BER of QPSK is the same as BER of the BPSK which is

$$BER_{theoritical} = \frac{1}{2} erfc \left(\sqrt{\frac{E_b}{N_o}} \right)$$

As we notice from Fig. (2), in binary coded QPSK, the bit error rate tends to be higher compared to Gray coding. This outcome aligns with expectations since neighboring symbols in binary coding can differ by more than one bit, unlike gray coding where adjacent symbols vary by only a single bit. Consequently, Gray coding offers superior performance with lower bit error rates.



8 - Phase Shift Keying

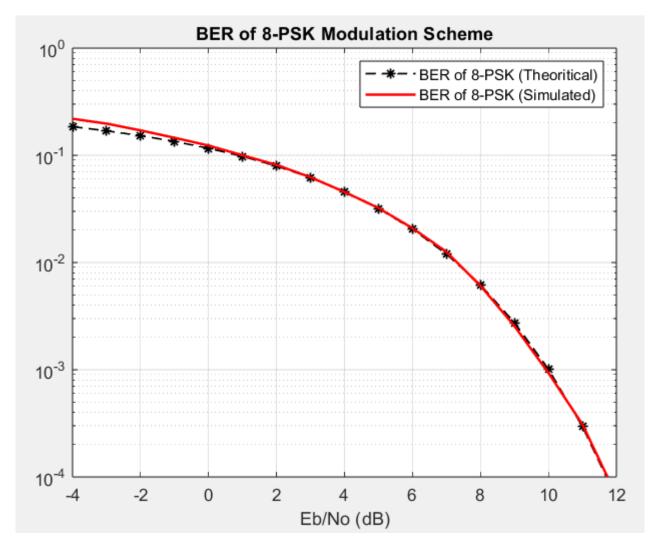


Figure 3: BER vs SNR for 8 - PSK.



From Fig. (3) we notice that 8-PSK has a higher BER compared to the BPSK & QPSK. Therefore, we can conclude that in General phase shift keying as the number of symbols increase (M) → the BER will also increase.



16 - Quadrature Amplitude Modulation

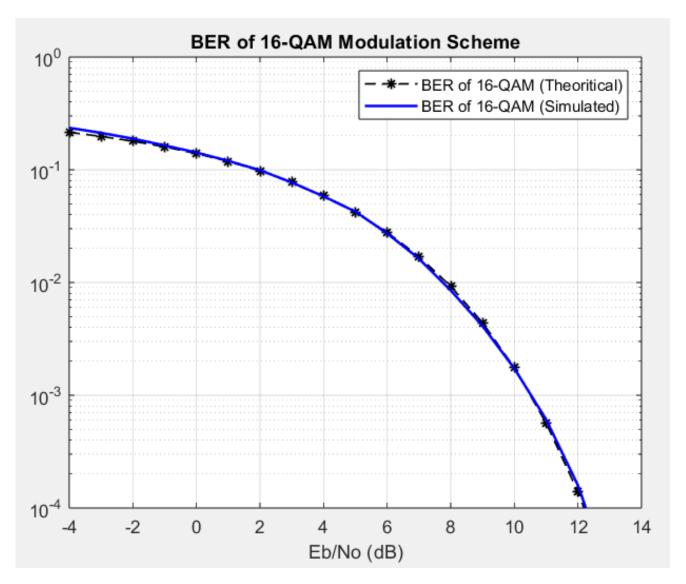


Figure 4: BER vs SNR for 16 - QAM.



Binary Frequency Shift Keying

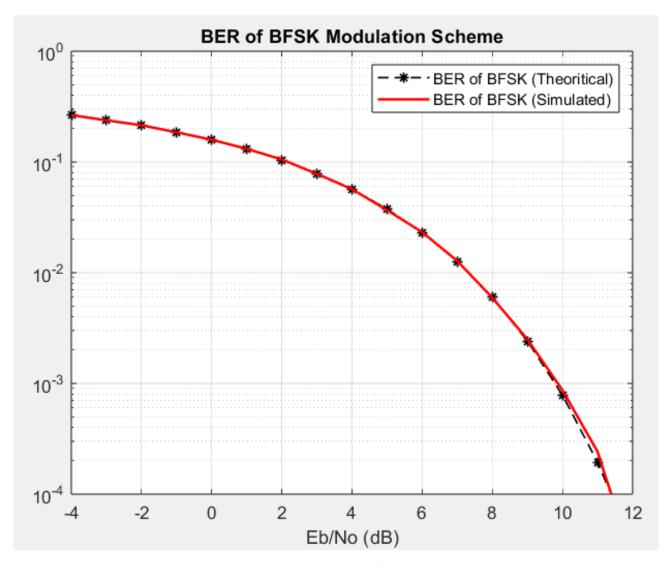


Figure 5: BER vs SNR for BFSK



The Basis Function of the BFSK is:

$$\emptyset_1(t) = \sqrt{\frac{2E_b}{T_b}} \cos(2\pi f_1 t)$$

$$\emptyset_2(t) = \sqrt{\frac{2E_b}{T_b}} \cos(2\pi f_2 t)$$
 where $f_i = \frac{n_c + i}{T_b}$ $(i = 1,2)$ $(0 \le t \le T_b)$

Note: n_c represent the (number of cycles -1) of the first symbol & $\Delta f = \frac{n}{2T_b}$

Where Δf represent the separation frequency, in most cases we deal with its minimum value $\left(\frac{1}{2T_b}\right)$

The Baseband Equivalent Signals of the BFSK:

$$S_{BB} = S_I + j \times S_O$$

Where the \mathcal{S}_I represent the in-phase component & \mathcal{S}_Q represent the quadrature component

$$S_I = \sqrt{\frac{2E_b}{T_b}}\cos\left(\frac{\pi t}{T_b}\right)$$
 , $S_Q = \mp \sqrt{\frac{2E_b}{T_b}}\sin\left(\frac{\pi t}{T_b}\right)$

Therefore, in the base band we can represent the first symbol (which refer to zero) by

$$S_{1_{BB}} = \sqrt{\frac{2E_b}{T_b}}$$
 and represent the second symbol (which refer to one) by

$$S_{2_{BB}} = \sqrt{\frac{2E_b}{T_b}} \left(\cos\left(\frac{2\pi t}{T_b}\right) + j \sin\left(\frac{2\pi t}{T_b}\right) \right)$$



Power Spectral Density For Binary Phase Shift Keying

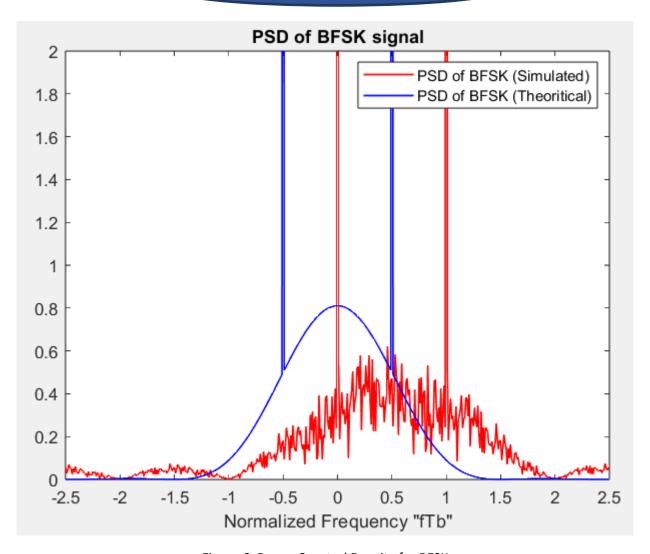


Figure 6: Power Spectral Density for BFSK

COMMENTS

we calculate the simulated PSD from generating certain ensemble with random bits then mapping these bits to $(S_{1_{BB}} \& S_{2_{BB}})$. After that we calculate the PSD and compare this result with the Theoretical PSD

$$PSD_{theoritical} = \frac{2E_b}{T_b} \left(\delta \left(f - \frac{1}{2T_b} \right) + \delta \left(f + \frac{1}{2T_b} \right) \right) + \frac{8E_b \cos^2(\pi T_b f)}{\pi^2 (4T_b^2 f^2 - 1)^2}$$

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All in One

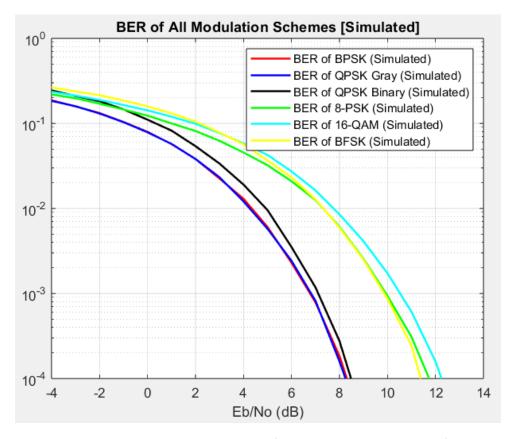


Figure 7: All Simulated BER vs SNR (For All Modulation Schemes)

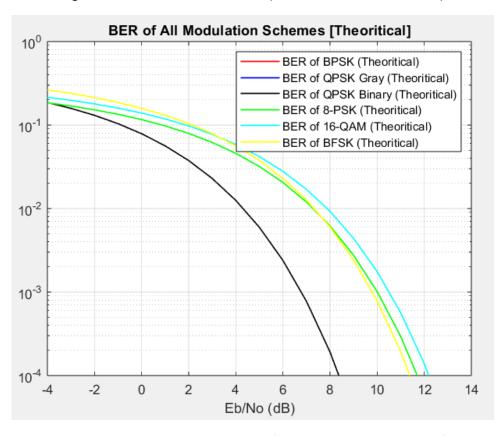


Figure 8: All Theoretical BER vs SNR (For All Modulation Schemes)

Full MATLAB Code

```
clc
clear
close all;
\%\% ----- Generating the Random Data Sequence ----- \%\%
% we can choose any value of number of bits under conditions that it can be divided into number of
bits in each symbol that is 1(for BPSK & BFSK) & 2(QPSK) & 3(8 – PSK) & 4(16 – QAM)
Number of Bits = 120000;
Random Data = randi([0\ 1], Number of Bits, 1); % generate all the random bits
          % Eb represent the bit energy
SNR_range_db = (-4:15);
% where SNR_range = Eb/No that exactly represent (1/2) * SNR in DB values
SNR range linear = zeros(length(SNR range db),1);
%% − − − General Mapper stage for BPSK & QPSK & 8 − PSK & 16 − QAM & BFSK − − − − − %%
\% ------ Declare binary phase shift keying (BPSK) ------
BPSK = sqrt(Eb) * (2 * Random_Data - 1);
\% ----Declare Quadrature phase shift keying (QPSK) in gray coding -----
QPSK gray = zeros(Number of Bits/2,1);
for i = 1:2: Number of Bits
 if(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 0)
   QPSK_gray((i + 1)/2) = sqrt(Eb) * complex(-1, -1);
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 1)
   QPSK gray((i + 1)/2) = sqrt(Eb) * complex(-1,1);
 elseif(Random_Data(i) == 1 \&\& Random_Data(i + 1) == 0)
   QPSK_gray((i + 1)/2) = sqrt(Eb) * complex(1, -1);
 elseif(Random Data(i) == 1 \&\& Random Data(i + 1) == 1)
   QPSK_gray((i + 1)/2) = sqrt(Eb) * complex(1,1);
 end
end
\% ---- Declare Quadrature phase shift keying (QPSK) in binary coding -----
QPSK_binary = zeros(Number_of_Bits/2,1);
for i = 1:2: Number of Bits
 if(Random Data(i) == 0 \&\& Random Data(i + 1) == 0)
   QPSK_binary((i + 1)/2) = sqrt(Eb) * complex(-1, -1);
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 1)
   QPSK_binary((i + 1)/2) = sqrt(Eb) * complex(-1,1);
 elseif(Random_Data(i) == 1 \&\& Random_Data(i + 1) == 0)
   QPSK_binary((i + 1)/2) = sqrt(Eb) * complex(1,1);
 elseif(Random Data(i) == 1 \&\& Random Data(i + 1) == 1)
   QPSK_binary((i + 1)/2) = sqrt(Eb) * complex(1, -1);
 end
end
```

```
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% ----- Declare 8 - PSK in Gray coding -------
MPSK = zeros(Number_of_Bits/3,1);
for i = 1:3: Number of Bits
 if(Random_Data(i)) == 0 \&\& Random_Data(i+1) == 0 \&\& Random_Data(i+2) == 0)
   MPSK((i + 2)/3) = sqrt(3 * Eb) * complex(1,0);
% Here we multiply by factor sqrt(Es) and Es = 8 * Eb
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 0 \&\& Random_Data(i + 2) == 1)
   MPSK((i + 2)/3) = sqrt(1.5 * Eb) * complex(1,1);
% where we multiply by factor sqrt(Es/2) as this symbol exist at phase 45
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 1 \&\& Random_Data(i + 2) == 0)
   MPSK((i + 2)/3) = sqrt(1.5 * Eb) * complex(-1,1);
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 1 \&\& Random_Data(i + 2) == 1)
   MPSK((i + 2)/3) = sqrt(3 * Eb) * complex(0,1);
 elseif(Random Data(i) == 1 && Random Data(i + 1) == 0 && Random Data(i + 2) == 0)
   MPSK((i + 2)/3) = sqrt(1.5 * Eb) * complex(1, -1);
 elseif(Random Data(i) == 1 && Random Data(i + 1) == 0 && Random Data(i + 2) == 1)
   MPSK((i + 2)/3) = sqrt(3 * Eb) * complex(0, -1);
 elseif(Random Data(i) == 1 && Random Data(i + 1) == 1 && Random Data(i + 2) == 0)
   MPSK((i + 2)/3) = sqrt(3 * Eb) * complex(-1,0);
 elseif(Random_Data(i) == 1 \&\& Random_Data(i + 1) == 1 \&\& Random_Data(i + 2) == 1)
   MPSK((i + 2)/3) = sqrt(1.5 * Eb) * complex(-1, -1);
 end
end
\% ------ Declare 16 – QAM in Gray coding – – – – – – – – \%
Eo = 1; % Eo represent symbol energy
MQAM = zeros(Number_of_Bits/4,1);
real MOAM = zeros(Number of Bits, 1):
img_MQAM = zeros(Number_of_Bits, 1);
for i = 1:4: Number of Bits
 if(Random_Data(i)) == 0 \&\& Random Data(i+1) == 0)
% First two bits control the real part of the MQAM signal
   real_MQAM((i + 3)/4) = -3;
 elseif(Random_Data(i) == 0 \&\& Random_Data(i + 1) == 1)
   real MQAM((i + 3)/4) = -1;
 elseif(Random_Data(i) == 1 && Random_Data(i + 1) == 1)
   real_MQAM((i+3)/4) = 1;
 elseif(Random Data(i) == 1 \&\& Random Data(i + 1) == 0)
   real_MQAM((i+3)/4) = 3;
 if(Random_Data(i + 2) == 0 \&\& Random_Data(i + 3) == 0)
% Second two bits control the imaginary part of the MQAM signal
   img_MQAM((i + 3)/4) = -3;
 elseif(Random_Data(i + 2) == 0 && Random_Data(i + 3) == 1)
   img MQAM((i+3)/4) = -1;
```

 $MQAM((i + 3)/4) = sqrt(Eo) * complex(real_MQAM((i + 3)/4), img_MQAM((i + 3)/4));$

elseif(Random_Data(i + 2) == 1 && Random_Data(i + 3) == 1)

elseif(Random_Data(i + 2) == 1 && Random_Data(i + 3) == 0)

 $img_MQAM((i+3)/4) = 1;$

 $img_MQAM((i+3)/4) = 3;$

end

```
\% ---- Declare Binary frequency shift Keying (BFSK) --------
BFSK = zeros(length(Random_Data),1);
for i = 1 : length(BFSK)
 if(Random Data(i) == 0)
   BFSK(i) = sqrt(Eb) * complex(1,0);
 else
    BFSK(i) = sqrt(Eb) * complex(0,1);
 end
end
\%\% - - - - - BPSK [Channel stage & DeMapper stage & BER calculation] - - - - - - \%\%
\% ---- BPSK Channel stage [Adding the Noise term] ---- \%
BPSK_recieved = zeros(length(BPSK),1);
BER BPSK Theoritical = zeros(length(SNR range db),1);
BER BPSK Simulated = zeros(length(SNR range db),1);
for i = 1 : length(SNR_range_db)
 SNR range linear = 10^{(SNR \text{ range db(i)}/10)}:
 No BPSK = Eb / SNR range linear;
% No BPSK signal specified to the noise generated for BPSK signal
 noise = sqrt(No_BPSK/2).* randn(length(BPSK),1);
%sgrt((No/2) * Eb) refer to standard deviation ---> sgrt(variance)
 BPSK recieved = BPSK + noise;
% ----- BPSK DeMapper stage -----
BPSK_demapped = zeros(length(BPSK),1);
for j = 1: length(BPSK) % here I use the concept of the decision region as the threshold = 0
 if(BPSK recieved(i) > 0)
   BPSK_demapped(j) = 1;
   BPSK_demapped(j) = 0;
 end
end
\% ----- BER calculation for the BPSK Scheme ---- \%
error_bits_BPSK = 0;
 for j = 1 : length(Random_Data)
   if(BPSK\_demapped(j) \sim = Random\_Data(j))
     error bits BPSK = error bits BPSK + 1;
   end
 end
BER BPSK Theoritical(i, 1) = 0.5 * erfc(sqrt(Eb/No BPSK));
BER BPSK Simulated(i, 1) = error bits BPSK/Number of Bits;
end
\%\% --- QPSK(Gray coding)[Channel stage & DeMapper stage & BER calculation] ---\%\%
\% ---- OPSK Grav channel stage [Adding the noise term] ---------
QPSK_gray_recieved = zeros(length(QPSK_gray),1);
BER_QPSK_gray_Theoritical = zeros(length(SNR_range_db),1);
BER_QPSK_gray_Simulated = zeros(length(SNR_range_db),1);
```

```
for i = 1: length(SNR range db)
 SNR_range_linear = 10^(SNR_range_db(i)/10);
 No_QPSK_gray = Eb/SNR_range_linear;
% since the baseband signal has two components (in phase, quadrature)
                                              therefore the noise will also has two components
 real_noise = sqrt(No_QPSK_gray/2).* randn(length(QPSK_gray),1);
 img_noise = sqrt(No_QPSK_gray/2).* randn(length(QPSK_gray),1);
 QPSK_gray_recieved = QPSK_gray + complex(real_noise, img_noise);
\% ------OPSK (Gray) DeMapper stage ----
 QPSK_gray_demapped = zeros(length(QPSK_gray),1);
 for j = 1:length(QPSK_gray)
                             % loop specified for the gray coding
   if(real(QPSK\_gray\_recieved(j)) > 0 \&\& imag(QPSK\_gray\_recieved(j)) > 0)
     QPSK gray demapped(j) = 3;
   elseif(real(QPSK gray recieved(j)) > 0 \&\& imag(QPSK gray recieved(j)) < 0)
     QPSK_gray_demapped(j) = 2;
   elseif(real(QPSK_gray_recieved(j)) < 0 && imag(QPSK_gray_recieved(j)) > 0)
      QPSK gray demapped(j) = 1;
   elseif(real(QPSK_gray_recieved(j)) < 0 && imag(QPSK_gray_recieved(j)) < 0)</pre>
      QPSK_gray_demapped(j) = 0;
   end
 end
QPSK gray demapped = de2bi(QPSK gray demapped, 2, 'left - msb');
% de2bi() function convert the decimal values into equivalent binary values
\% ---- BER calculation for QPSK (Gray coding) ---- \%
error_bits_QPSK_gray = 0;
inc<sub>var</sub> = 1; % this variable specified for incrementing the index of Random_Data variable in the loop
 for j = 1 : length(Random_Data)/2
   for k = 1 : 2
     if(QPSK\_gray\_demapped(j, k) \sim = Random\_Data(inc\_var))
       error bits QPSK gray = error bits QPSK gray + 1;
     inc_var = inc_var + 1;
   end
 end
BER OPSK gray Theoritical(i, 1) = 0.5 * erfc(sqrt(Eb/No OPSK gray));
BER_QPSK_gray_Simulated(i, 1) = error_bits_QPSK_gray/Number_of_Bits;
end
\%\% --- QPSK(Binary coding)[Channel stage & DeMapper stage & BER calculation] ---\%\%
\% ---- QPSK Binary channel stage [Adding the noise term] -------
QPSK_binary_recieved = zeros(length(QPSK_binary),1);
BER_QPSK_binary_Theoritical = zeros(length(SNR_range_db),1);
BER QPSK binary Simulated = zeros(length(SNR range db),1);
for i = 1 : length(SNR_range_db)
 SNR_range_linear = 10^(SNR_range_db(i)/10);
 No_QPSK_binary = Eb/SNR_range_linear;
 real noise = sqrt(No QPSK binary/2).* randn(length(QPSK binary),1);
 img_noise = sqrt(No_QPSK_binary/2).* randn(length(QPSK_binary),1);
 QPSK binary_recieved = QPSK_binary + complex(real_noise,img_noise);
```

```
% ----- QPSK (Binary) DeMapper stage ------%
  QPSK_binary_demapped = zeros(length(QPSK_binary),1);
  for j = 1: length(QPSK_binary) % loop specified for the binary coding
   if(real(QPSK_binary_recieved(j)) > 0 \&\& imag(QPSK_binary_recieved(j)) > 0)
      QPSK binary demapped(j) = 2;
   elseif(real(QPSK_binary_recieved(j)) > 0 \&\& imag(QPSK_binary_recieved(j)) < 0)
     QPSK_binary_demapped(j) = 3;
   elseif(real(QPSK_binary_recieved(j)) < 0 \&\& imag(QPSK_binary_recieved(j)) > 0)
     QPSK binary demapped(j) = 1;
   else
     QPSK_binary_demapped(j) = 0;
   end
  end
QPSK binary demapped = de2bi(QPSK binary demapped, 2, 'left - msb');
\% ----- BER calculation for QPSK (Binary coding) ----
error_bits_QPSK_binary = 0;
 inc var = 1;
  for j = 1: length(Random Data)/2
   for k = 1 : 2
     if(QPSK_binary_demapped(j,k) \sim = Random_Data(inc_var))
       error bits QPSK binary = error bits QPSK binary + 1;
     inc_var = inc_var + 1;
   end
  end
BER_QPSK_binary_Theoritical(i, 1) = 0.5 * erfc(sqrt(Eb/No_QPSK_binary));
BER OPSK binary Simulated(i, 1) = error bits OPSK binary/Number of Bits:
End
\%\% - - 8 - PSK [Channel stage & DeMapper stage & BER calculation] - - - - - - - \%\%
\% -----8 - PSK channel stage [Adding the noise term] -------\%
MPSK recieved = zeros(length(MPSK),1);
BER_MPSK_Theoritical = zeros(length(SNR_range_db),1);
BER_MPSK_Simulated = zeros(length(SNR_range_db),1);
for i = 1: length(SNR range db)
  SNR range linear = 10^{(SNR range db(i)/10)};
  No MPSK = Eb/SNR range linear;
% since the baseband signal has two components (in phase, quadrature) therefore the noise will also has two components
  real noise = sqrt(No MPSK/2).* randn(length(MPSK),1);
% we divide by 6 (2 * 3) as the Es = 3 * Eb
  img_noise = sqrt(No_MPSK/2) .* randn(length(MPSK),1);
  MPSK_recieved = MPSK + complex(real_noise, img_noise);
% ----- DeMapper for 8 - PSK Scheme -----
MPSK demapped = zeros(length(MPSK),1);
MPSK\_table = sqrt(3 * Eb) * [complex(1,0); (1/sqrt(2)) * complex(1,1); (1/sqrt(2))
            * complex(-1,1); complex(0,1); (1/sqrt(2))
            * complex(1,-1); complex(0,-1); complex(-1,0); (1/sqrt(2)) * complex(-1,-1)];
   for j = 1: length(MPSK)
      [\sim, Min index] = min(abs(MPSK recieved(j) - MPSK table));
      MPSK_demapped(j) = Min_index - 1;
   end
MPSK_demapped = de2bi(MPSK_demapped, 3, 'left - msb');
```

```
% - - - - - - - - BER calculation for 8 - PSK scheme - - - - - - - - - - - %
error_bits_MPSK = 0;
 inc var = 1:
 for j = 1: length(Random Data)/3
   for k = 1 : 3
     if(MPSK_demapped(j,k) \sim = Random_Data(inc_var))
       error_bits_MPSK = error_bits_MPSK + 1;
     inc var = inc var + 1;
   end
 end
BER_MPSK_Theoritical(i, 1) = (1/3) * erfc(sqrt((3*Eb)/No_MPSK)) * sind(180/8));
BER MPSK Simulated(i, 1) = error bits MPSK/Number of Bits;
\%\% - - - - 16 - QAM [Channel stage & DeMapper stage & BER calculation] - - - - - \%\%
\% -----16 - 0AM channel stage [Adding the noise term] -------%
MQAM recieved = zeros(length(MQAM),1);
BER MQAM Theoritical = zeros(length(SNR range db),1);
BER MQAM Simulated = zeros(length(SNR range db),1);
for i = 1: length(SNR range db)
 SNR range linear = 10^{(SNR range db(i)/10)};
 No MQAM = Eb/SNR range linear;
% since the baseband signal has two components (in phase, quadrature) therefore the noise will also has two components
 real_noise = sqrt((No_MQAM/2) * 2.5).* randn(length(MQAM),1);
% As in QAM the Eb = 2.5 Eo
 img_noise = sqrt((No_MQAM/2) * 2.5) .* randn(length(MQAM),1);
 MQAM_recieved = MQAM + complex(real_noise, img_noise);
MQAM demapped = zeros(length(MQAM),1);
% In this table we will store all the 16 sybmols for the QAM
MQAM\_table = sqrt(Eo) * [complex(-3, -3); complex(-3, -1); complex(-3, 3); complex(-3, 3); complex(-3, -3);
 complex(-1,-1); complex(-1,3); complex(-1,1); complex(3,-3); complex(3,-1); complex(3,3); complex(3,1);
                    complex(1,-3); complex(1,-1); complex(1,3); complex(1,1)];
for j = 1: length(MQAM)
 [\sim, Min\_index] = min(abs(MQAM\_recieved(j) - MQAM\_table));
 MQAM_demapped(j) = Min_index - 1;
end
MQAM demapped = de2bi(MQAM demapped, 4, 'left - msb');
% - - - - - - BER calculation for 16 - QAM scheme - - - - - - - - - - - - - - - %
error bits MOAM = 0;
 inc var = 1;
 for j = 1: length(Random Data)/4
   for k = 1 : 4
     if(MQAM\_demapped(j, k) \sim = Random\_Data(inc var))
       error bits MQAM = error bits MQAM + 1;
     inc_var = inc_var + 1;
   end
 end
BER_MQAM_Theoritical(i, 1) = (1.5/4) * erfc(sqrt(Eb/(2.5 * No_MQAM)));
BER MOAM Simulated(i, 1) = error bits MOAM/Number of Bits:
end
```

```
\%\% - - - - BFSK [Channel stage & DeMapper stage & BER calculation] - - - - -
\% ----- BFSK channel stage [Adding the noise term] ------
BFSK_recieved = zeros(length(BFSK),1);
BER BFSK Theoritical = zeros(length(SNR range db),1);
BER_BFSK_Simulated = zeros(length(SNR_range_db),1);
for i = 1: length(SNR range db)
  SNR_range_linear = 10^(SNR_range_db(i)/10);
  No BFSK = Eb/SNR range linear;
% since the baseband signal has two components (in phase, quadrature) therefore the noise will also has two components
 real noise = sqrt(No BFSK/2).* randn(length(BFSK),1);
 img_noise = sqrt(No_BFSK/2) .* randn(length(BFSK),1);
  BFSK recieved = BFSK + complex(real noise, img noise);
% ----- BFSK DeMapper stage -----%
BFSK_demapped = zeros(length(BFSK),1);
BFSK_table = sqrt(Eb) * [complex(1,0); complex(0,1)];
for j = 1: length(BFSK)
  [\sim, Min index] = min(abs(BFSK recieved(j) - BFSK table));
  BFSK demapped(j) = Min index -1;
end
\% - - - - - - - BER calculation for BFSK scheme - - - - - - - - - \%
error bits BFSK = 0:
 for j = 1 : length(Random Data)
   if(BFSK\_demapped(j) \sim = Random\_Data(j))
     error bits BFSK = error bits BFSK + 1;
 end
BER_BFSK_Theoritical(i, 1) = 0.5 * erfc(sqrt(Eb/(2 * No_BFSK)));
BER BFSK Simulated(i, 1) = error bits BFSK/Number of Bits:
end
\%\% - - - - - Plotting the BER vs EB/No for different Schemes - - - - -
\% ----- plotting the BER for BPSK ------
figure:
semilogy(SNR_range_db, BER_BPSK_Theoritical, k * - - l, 'linewidth', 1);
hold on;
semilogy(SNR range db, BER BPSK Simulated, 'r', 'linewidth', 1.5);
hold off;
title('BER of BPSK Modulation Scheme');
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0});
grid on;
legend('BER of BPSK (Theoritical)', 'BER of BPSK (Simulated)', 'Location', 'NorthEast')
\% ----- plotting the BER for QPSK (Gray & Binary) ------
semilogy(SNR_range_db, BER_QPSK_gray_Theoritical, k - - l, l linewidth, 1);
hold on:
semilogy(SNR_range_db, BER_QPSK_gray_Simulated, 'r', 'linewidth', 1.5);
hold on;
semilogy(SNR range db, BER QPSK binary Simulated, 'b', 'linewidth', 1.5);
hold off;
title('BER of QPSK Modulation Scheme');
xlabel('Eb/No (dB)');
```

```
y\lim([10^{-4}) 10^{0});
grid on;
legend('BER of QPSK (Theoritical)', 'BER of QPSK Gray (Simulated)', 'BER of QPSK binary (Simulated)', 'Location', 'NorthEast')
figure;
semilogy(SNR_range_db, BER_MPSK_Theoritical, k * - - l, 'linewidth', 1);
hold on:
semilogy(SNR range db, BER MPSK Simulated, 'r', 'linewidth', 1.5);
hold off;
title('BER of 8 - PSK Modulation Scheme');
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0});
grid on;
legend('BER of 8 – PSK (Theoritical)', 'BER of 8 – PSK (Simulated)', 'Location', 'NorthEast')
\% ----- plotting the BER for 16 - QAM -----
figure:
semilogy(SNR range db , BER MOAM Theoritical, k * - - l, 'linewidth', 1);
hold on:
semilogy(SNR_range_db, BER_MQAM_Simulated, 'b', 'linewidth', 1.5);
hold off:
title('BER of 16 – OAM Modulation Scheme');
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0});
grid on;
legend('BER of 16 – QAM (Theoritical)', 'BER of 16 – QAM (Simulated)', 'Location', 'NorthEast')
\% ----- plotting the BER for BFSK -----
figure;
semilogy(SNR range db , BER BFSK Theoritical, k * - - l, 'linewidth', 1);
hold on;
semilogy(SNR_range_db, BER_BFSK_Simulated, 'r', 'linewidth', 1.5);
hold off:
title('BER of BFSK Modulation Scheme');
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0});
grid on:
legend('BER of BFSK (Theoritical)', 'BER of BFSK (Simulated)', 'Location', 'NorthEast')
\% ---- General Plot for All Modulation Schemes [simulated] ----
semilogy(SNR range db, BER BPSK Simulated, 'r', 'linewidth', 1.5);
hold on;
semilogy(SNR_range_db, BER_QPSK_gray_Simulated, 'b', 'linewidth', 1.5);
hold on;
semilogy(SNR range db, BER QPSK binary Simulated, 'k', 'linewidth', 1.5);
hold on;
semilogy(SNR range db, BER MPSK Simulated, 'g', 'linewidth', 1.5);
hold on;
semilogy(SNR_range_db, BER_MQAM_Simulated, 'c', 'linewidth', 1.5);
hold on;
semilogy(SNR range db, BER BFSK Simulated, 'y', 'linewidth', 1.5);
hold off:
title('BER of All Modulation Schemes [Simulated]');
```

```
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0});
grid on:
legend('BER of BPSK (Simulated)', 'BER of OPSK Gray (Simulated)', 'BER of OPSK Binary (Simulated)'
,' BER of 8 – PSK (Simulated)', 'BER of 16 – QAM (Simulated)', 'BER of BFSK (Simulated)', 'Location', 'NorthEast')
\% ----- General Plot for All Modulation Schemes [Theoritical] -----%
figure:
semilogy(SNR range db, BER BPSK Theoritical, 'r', 'linewidth', 1);
semilogy(SNR_range_db, BER_QPSK_gray_Theoritical, 'b', 'linewidth', 1);
hold on:
semilogy(SNR range db, BER QPSK binary Theoritical, 'k', 'linewidth', 1);
semilogy(SNR range db , BER MPSK Theoritical , 'g', 'linewidth', 1);
hold on;
semilogy(SNR range db, BER MQAM Theoritical, 'c', 'linewidth', 1);
semilogy(SNR range db , BER BFSK Theoritical , 'v', 'linewidth', 1);
hold off:
title('BER of All Modulation Schemes [Theoritical]');
xlabel('Eb/No (dB)');
y\lim([10^{-4}) 10^{0}];
grid on:
legend('BER of BPSK (Theoritical)', 'BER of QPSK Gray (Theoritical)', 'BER of QPSK Binary (Theoritical)',
'BER of 8 – PSK (Theoritical)', 'BER of 16 – QAM (Theoritical)', 'BER of BFSK (Theoritical)', 'Location', 'NorthEast')
\%\% - - - Calculating the power spectral density (PSD) of BFSK Scheme - - -
\% -----Generate random data (Ensemble) ------%
Number of bits = 100;
Number of realizations = 1000;
Number of samples = 5:
ensemble_data = randi([0, 1], Number_of_realizations, Number_of_bits);
ensemble_data_rep = repelem(ensemble_data, 1, Number_of_samples);
% repeat each element in the ensemble
Fs = 100:
                            % Sampling frequency (Hz)
Ts = 1/Fs:
                            % Sampling Period
Tb = Ts * Number_of_samples;
                                        % Bit duration period
t = 0: Ts: Tb - 0.01:
TX data = zeros(Number of realizations, Number of bits * Number of samples);
\% ---- Mapping the ensemble data into BFSK baseband symbols ----
S1 = \operatorname{sqrt}((2 * Eb)/Tb);
                             % this represent the first BFSK symbol that represent 0
S2 = \operatorname{sqrt}((2 * \operatorname{Eb})/\operatorname{Tb}) * \operatorname{complex}(\cos((2 * \operatorname{pi}/\operatorname{Tb}) * t), \sin((2 * \operatorname{pi}/\operatorname{Tb}) * t));
% this represent the second BFSK symbol that represent 1
count = 1;
for i = 1: size(TX data, 1)
  for j = 1: size(TX data, 2)
    if(ensemble data rep(i, i) == 0)
      TX data(i, j) = S1;
      if(count > Number_of_samples)
        count = 1;
      end
      TX_{data(i,j)} = S2(count);
```

```
count = count + 1;
    end
  end
end
\% ----- Calculate the statistical Autocorrelation Function -----%
stat_ACF = zeros(1, Number_of_bits * Number_of_samples); % Initialize array for autocorrelation
N = length(stat\_ACF);
for tau = (-N/2 + 1): N/2
  stat\_ACF(tau + N/2) = sum(conj(TX_data(:, N/2)).* TX_data(:, N/2 + tau)) / Number_of_realizations;
\% ----- Calculate the PSD of the BFSK (Simulated & Theoritical) -----\%
PSD BFSK simulated = abs(fftshift(fft(stat ACF)));
freq_range = (-N/2: N/2 - 1) * (Fs/N); % frequency range before Normalization
freq_range_norm = (-N/2: N/2 - 1) * (Fs/N) * Tb; % frequency range after Normalization
delta1 = abs(freq\_range - 0.5 / Tb) < 0.01;
% This is an approximate method to produce impulse signal
delta2 = abs(freq range + 0.5 / Tb) < 0.01;
PSD_Theoritical = (2 * Eb/Tb) * (delta1 + delta2) +
    (8 * Eb * cos(pi * Tb * freq_range).^2)./(pi^2 * (4 * Tb^2 * freq_range.^2 - 1).^2);
figure:
plot(freq_range_norm, (PSD_BFSK_simulated/Fs)/(2 * Eb), 'r', 'linewidth', 1);
% we divide by 2Eb for normalization
plot(freq_range_norm, PSD_Theoritical, 'b', 'linewidth', 1)
title('PSD of BFSK signal');
xlabel('Normalized Frequency "fTb"');
legend ('PSD of BFSK (Simulated)', 'PSD of BFSK (Theoritical)')
ylim ([0 2])
xlim([-2.5 \ 2.5])
```

The END Thank You