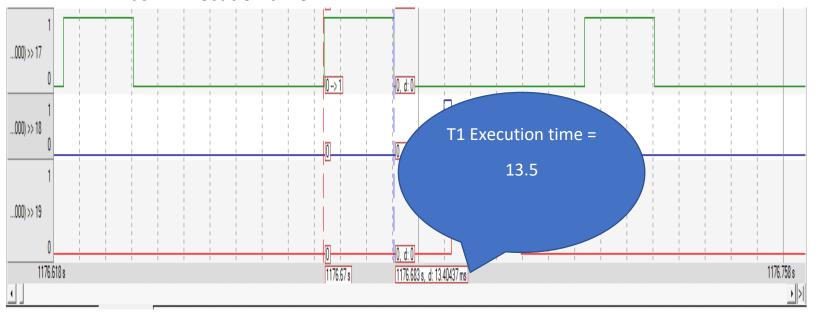
## > Task Set:

Tasks	Priority	Periodicity	Deadline	Execution Time
Task 1	3	50	50	13.5 Milliseconds
Task 2	3	90	90	1.3 Milliseconds
Task 3	3	180	180	13.5 Milliseconds

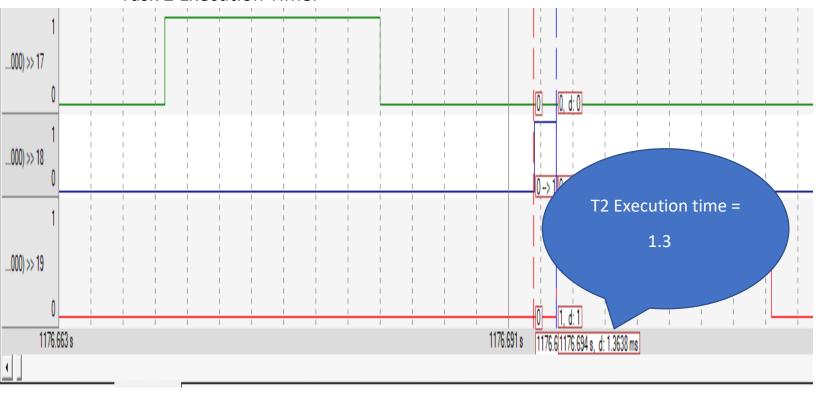
➤ Priority is not included here as a Task parameter as it`s useless and will not be used by the scheduling algorithm.

Validating our tasks` execution time:

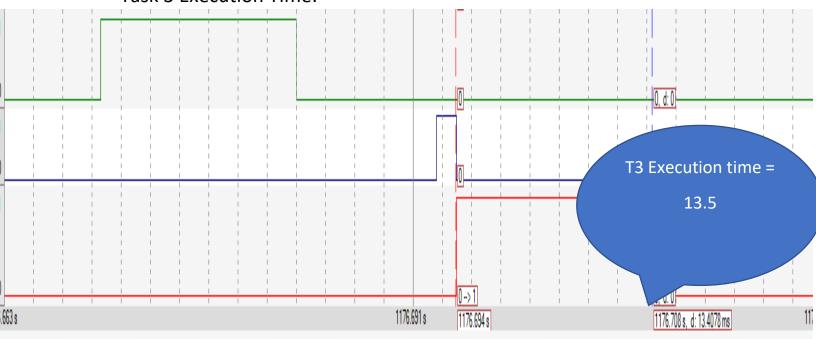
Task 1 Execution time:



Task 2 Execution Time:

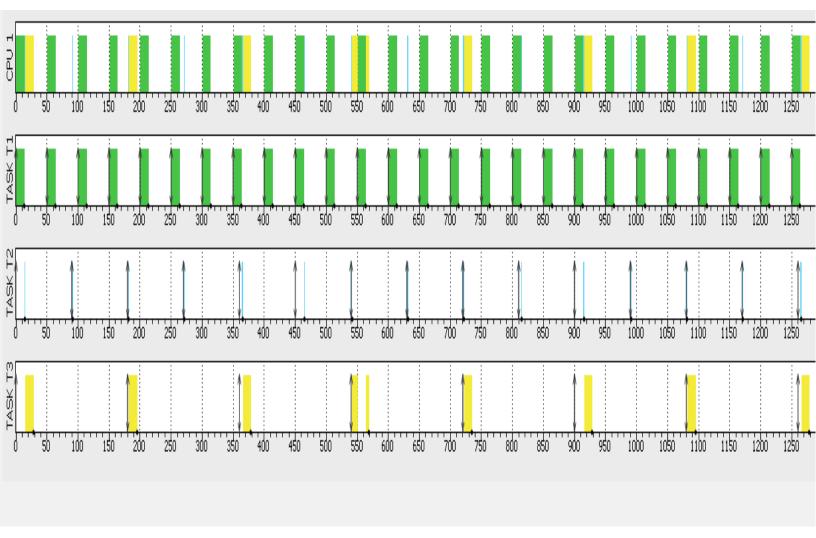


## Task 3 Execution Time:



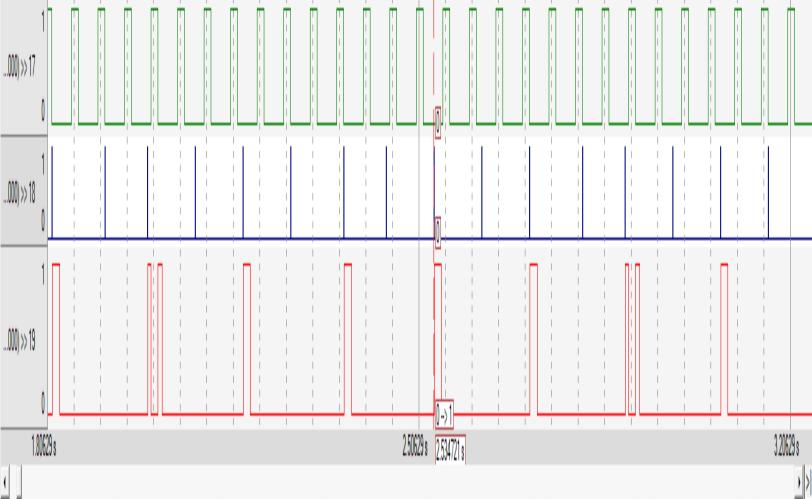
## Validating System Schedulability:

## 1- <u>Using Offline Simulator (SimSo):</u>



According to SimSo's output, system is schedulable (Feasible). Since no task misses it's deadline.

2-<u>Using online simulator:</u>



Based on keil's logic analyzer all tasks are scheduled and executes before it's deadline.

♣ Now Let`s calculate the CPU load analytically:

First, let's calculate the hyperperiod.

Hyperperiod = 
$$LCM(50,90,180) = 900$$

Let't calculate the CPU Load

CPU Load = 
$$(((900/50) * 13.5) + (((900/90) * 1.3)) + (((900/180) * 13.5))) / 900 = 0.359 * 100 =  $35.9\%$$$

Let's check if our system is schedulable or not using analytical method.

1- Using Rate-monotonic utilization bound:

This method is used with Rate-monotonic schedulers , but since our EDF scheduler undergoes to the same RM assumptions as:

a- Periodicity = Deadline.

b- All tasks are periodic.

$$URM = 3 * ((2 ^ 1/3) - 1) = 0.799$$

Since, CPU Loade < URM, then our system is schedulable.

2- Using Time Demand Analysis:

starting with Task1 as it is the earliest deadline which is equivalent to highest priority task.

Task 1:

$$W(50) = 13.5 + 0 = 13.5 < 50 \rightarrow Task 1 is schedulable.$$

Task 2:

$$W(90) = 1.3 + (90 / 50 * 13.5) = 28.3 < 90 \rightarrow Task 2 is schedulable$$

Task 3:

$$W(180) = 13.5 + (180 / 50 * 13.5) + (180 / 90 * 1.3) = 70.1 < 180$$

Task 3 is schedulable.

Since all tasks are schedulable then our system is schedulable.