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1. Similarities

- 2. Algorithms: Dijkstra / A-Star
- 3. Computational Results and Analysis
- 4. Conclusion

5. Difficulties / Complications



Topics

Similarities

(1-percentage)

(1-percentage)

First approach

 percentage: frequency of found edges in all historical routes

(1-percentage)

First approach

 percentage: frequency of found edges in all historical routes

Second approach

 percentage: frequency of found edges in historical routes taken in one hour, i. e. from 00_00_00 to 00_59_59

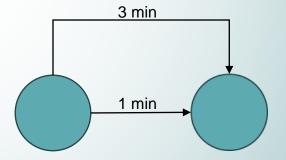
(1-percentage)

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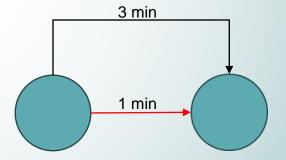
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First approach

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(1-percentage)

First approach

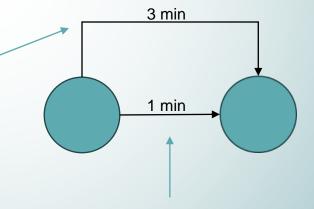
 percentage: frequency of found edges in all historical routes

Second approach

 percentage: frequency of found edges in historical routes taken in one hour, i. e. from 00_00_00 to 00_59_59

percentage: 80%

 \rightarrow new weight: 3 * (1-0.8) = 0.6



percentage: 10%

 \rightarrow new weight: 1 * (1-0.1) = 0.9

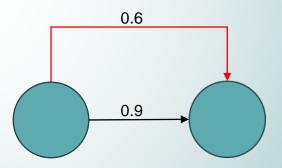
(1-percentage)

First approach

 percentage: frequency of found edges in all historical routes

Second approach

 percentage: frequency of found edges in historical routes taken in one hour, i. e. from 00_00_00 to 00_59_59



→ new shortest, more optimal path

Algorithms

Dijkstra / A-Star

<u>Dijkstra</u>

<u>Dijkstra</u>

<u>A*</u>

Dijkstra



edge weight: duration * similarity

<u>Dijkstra</u>

<u>A*</u>

edge weight: duration * similarity

Heuristic: euclidean distance from node 94 to node $Y \ \forall Y \in \{0, ..., 537\}$

```
def dijkstra_main(timestamp, per):
    city_graph2: WeightedGraph[str] = WeightedGraph([str(i) for i in range(538)])
    graph = pc.parse_csv()
    for i in range(1, len(graph)):
        fro = graph[i].get('from')
        to = graph[i].get('to')
        percentage = 1 - (per[i - 1])
        city_graph2.add_edge_by_vertices(str(fro), str(to),
            dur.get_edges_predicted_duration_new(timestamp)[i-1] * percentage)
```

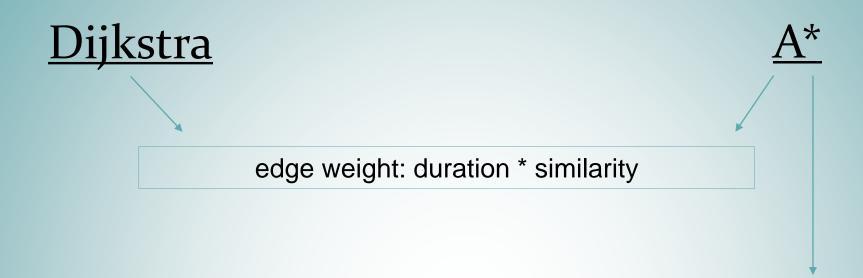
Dijkstra

Implementation Similarity

```
lst = []
for j in range(counter, len(p)-1):
    if fro == p[j+1].get("from"):
        percentage = 1 - per[j]
        lst.append((str(p[j+1].get("to")),
            dur.get_edges_predicted_duration_new(timestamp)[j] * percentage))
        if fro not in liste:
            liste.append(fro)
counter += 1
Graph_nodes[str(fro)] = lst
```

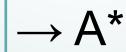


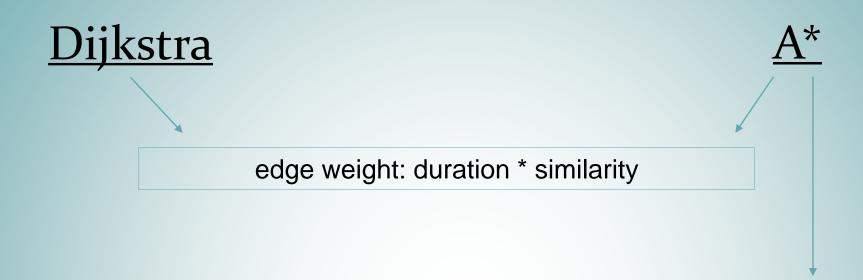
Implementation Similarity



Heuristic: euclidean distance from node 94 to node $Y \forall Y \in \{0, ..., 537\}$

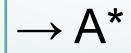
Final approach for optimal route with this similarity





Heuristic: euclidean distance from node 94 to node $Y \forall Y \in \{0, ..., 537\}$

Final approach for optimal route with this similarity



Why: is a better Dijkstra algorithm and returns the best optimal route out of all algorithms

Testing with the route-all.csv, validating with May instances from routeall-missing-last-day.csv

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First approach

The percentage of the routes, that are ≥75% similar to our optimal computed route, should lay between **5** and **10** %

Testing with the route-all.csv, validating with May instances from routeall-missing-last-day.csv

First approach

The percentage of the routes, that are ≥75% similar to our optimal computed route, should lay between **5** and **10** %

Second approach

The percentage of the routes, that are ≥75% similar to our optimal computed route, should lay between **10** and **30** %

First approach

The percentage of the routes, that are ≥75% similar to our optimal computed route, should lay between **5** and **30** %

Second approach

The percentage of the routes, that are ≥75% similar to our optimal computed route, should lay between **5** and **30** %

Final approach:

Computational Results and Analysis

Results

Computational



Mine

- A* optimal route
- Optimal in balance with similarity

Mengyuan

- 3 alternative routes to the computed optimal route
- As an addition to the optimal route
- Based on another similarity

Maharshi

- Dijkstra optimal route
- One alternativ route based on dtw-similarity
- Historical route
- → 3 routes the client can choose from

Final Result

- A* / Dijkstra optimal route
- 4 alternativ routes
- 1 historical routes

Analysis

Route

- Calculated route often also a historical route
- If not, then it is very similar to it
- → our route has with a high
 kklpossibility a good balance
 kklbetween optimal and similar

Similarity

- although the optimal route with similarities is longer than the shortest route, this is completely fine
- Balance between real life and theoretical world
- Shortest path algorithm without similarity is not applicable in real life

Conclusion

What you can expect from AMMA consulting group:

- Optimal routes everytime
- Additionally alternativ routes, similar to the optimal one
- Precise predictions

Difficulties / Complications

- Neural Network:
- → predicted speeds to high
- → balance
- → fine adjustment
- \rightarrow accuracy

- Similarities:
- → adjustments to similarity approach
- → implement past similarities in the algorithm
- → right approach?
- How to improve:
- → over time, add more historical data to have a more accurate algorithm
- → more testing: is the similarity approach still working?

- Implementing and Coding
- → bad runtime: A* and Dijkstra compute 30 minutes for one route
- How to improve?
- → implement more efficiently, hire skilled developer



Thank You!

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