Introduction 编译器定义: Translate on language to 獨年金尺上: Inalisate Unitalyuage to another, source language (input) to target language (output). Source language: high-level language, c or c++. Target language: object code, machine code (machine language). 编译过程: (Source code) scanner (tokens) parser (syntax tree) semantic analyzer (annotated trae) services order onticipier. (annotated tree) source code optimizer (mintermediate code) code generator (target code) target code optimizer (target code) 中间过程表格: Literal table, Symbol table, Frror Handler Analysis: lexical analysis, syntax analysis, semantic analysis (optimization).

Synthesis: Code generation (optimization) Front end: the scanner, parser, semantic analyzer, intermediate code synthesis. From source code to intermediate order. source code to intermediate code. Back end: the code generator, some ontimization Passes: process the entire source program several times, a pass consist of several phases Lexical Analysis Regular Expression Describe programming language tokens using regular expressions! A Regular Expression (RE) is defined inductively:

1. a ordinary character stands for itself 2. ϵ the empty string 3. R|S either R or S (alternation), where R, S = 4. RS R followed by S (concatenation), where R.S = RE

5. R* concatenation of a RE R zero or more times (R* = s|R|RR|RRR|RRRR..., repetition) 优先级: Alternation < Concatenation < Repetition

R+: one or more strings from L(R), R(R*)
R?: optional R: (R|e)
[abce] one of the listed characters: (a|b|c|e)

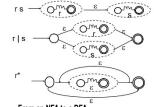
| a-z| one character from this range: |a|b|c|d|e|...|y|z| |^ab| anything but one of the listed chars |^a-z| one character not from this range | 1.Numbers

nat = [0-9]+
signedNat = (+|-)?nat
number = signedNat("." nat)? (E
signedNat)?

2. Reserved Words and Identifiers reserved = if | while | do | letter = [a-z A-Z] digit = [0-9] identifier = letter (letter | digit)*

3. Comment

3. Comment
C: ("f\") (\[forall^n\] \[forall^n\] \[forall^ From a regular expression to an NFA



From an NFA to a DFA e-closure of a Set of states:

e-closure of a single state s is the set of states reachable by a series of zero or more transitions. The the union of the e-closure of a set of states :

2. the Subset Construction:

Compute the e-closure of the start state of M; this becomes the start state.

2) Given a set S of states and a character a in the alphabet, compute the set S' a = { t | for some s in S there is a transition from s to t on a }.

Then, compute, the e-closure of 3) Continue with this process until no new states or transitions are created. Mark as accepting those states constructed in this manner that contain an accepting state of M.

Minimizing the number of states in a DFA
Given the algorithm as follow:

1.It begins with the most optimistic assumption possible: it creates two sets: One consisting of all the accepting states. The other consisting of all the nonaccepting states.

2. Given this partition of the states of the original DFA, consider the transitions on each character a of the alphabet.

a of the alphabet.

a) If all accepting states have transitions on a to accepting states. Defines an a-transition from the new accepting state (the set of all the old accepting states) to itself.
b) If all accepting states have transitions on a to

on naccepting states. Defines an a-transition from the new accepting state to the new nonaccepting state (the set of all the old nonaccepting states). have transitions on a that land in different sets, no a-transition can be defined for this grouping of the states. We say that a distinguishes the states

d) If there are two accepting states s and t such that s has an a-transition to another accepting state, while t has no a-transition at all (i.e., an error transition), then a distinguishes s and t. e) If any further sets are split, we must return and repeat the process from the beginning. This process continues until

(1) All sets contain only one element (in which case, we have shown the original DFA to be

(2) Until no further splitting of sets occurs. Context-free grammar Left Recursive: the nonterminal A appears as

the first symbol on the right-hand side of the rule definina Á.

Right Recursive: the nonterminal A appears as the last symbol on the right-hand side of the

Context-Free Grammars and Parsing

Parse Trees
A left-most derivation: a derivation in which the leftmost nonterminal is replaced at each step in the derivation. Corresponds to the preorder numbering of the internal nodes of its associated narse tree

A rightmost derivation: a derivation in which the rightmost nonterminal is replaced at each step in the derivation. Corresponds to the postorder numbering of the internal nodes of its ssociated parse tree.

Remove ambiguity
State a disambiguating rule that establishes the relative precedences of the three operations

represented.
The associativity of each of the operations of addition, subtraction, and multiplication
Precedence and associativity 优先权和结合性。
优先权: Appear "higher" (that is, closer to the root) in the parse and syntax trees, and thus receive News precedence.

receive lower precedence.
For example, the precedence of multiplication over addition and subtraction can be added to our simple expression grammar as follows: exp -> exp addop exp [term

addop -> + | -term -> term mulop term| factor

term -> term mulop term| tactor mulop -> * (exp)| number 在这个文法中,乘法被归结在 term 规则下,而加法和减法被归在 exp 规则下,有加法和减法在分析树和语法树中将被表现地更高一些(也就是更接近于根)因此也就接受了更低一级的优大权。

A left recursive rule makes its operators associate on the left. A right recursive rule makes them associate on the right.
利用左递归来实现左结合,右递归来实现右结合

The dangling else problem 悬挂 else 问题 An else-part should always be associated with the nearest if-statement that does not yet have an associated else-part. Called the most closely

nested rule In C: statement → matched-stmt | unmatched-stmt

statement → indicated-stint | unintactived-stint | matched-stint | other | unmatched-stint | other | ot , →0|1

if-stmt → if condition then statement-sequence end if | if condition then statement-sequence else statement-sequence end if

Inessential ambiguity 无关紧要的二义性 Sometimes a grammar may be ambiguous and yet always produce unique abstract syntax trees. Eg: Arithmetic addition or string concatenation. that represent associative operations

(a binary operator • is associative if (a • b) • c = a (b • c) for all values a, b, and c).

The syntax trees are still distinct, semantic value are the same. 语法树不同,但语义分析是 相同的。 EBNF

 $A \rightarrow A \alpha \mid \beta$ $A \rightarrow \alpha \mid \beta$ (left recursive) (right recursive) EBNF opts to use curly brackets { . . . } to express repetition.

 $A \to \beta \{\alpha\}$ $A \to \{\alpha\}$ β (left recursive) (right recursive)

Top-Down Parsing

LL(1) Parsing The two actions:

(1) Generate: replace a non-terminal A at the top of the stack by a string lpha (in reverse) using a

grammar rule A (2) Match: match a token on top of the stack with hé next input token.

LL(1) Parsing Table and algorithm 对每个非终结符记号给出唯一的选择如果文法 G 相关的 LL(1)分析表的每个项目中之多只有一个产生式,则该文法就是 LL(1)文法,即 LL1 没有二义性

定 LL(1)文法,即 LL 1 沒有 — 文性 The general LL(1) Parsing table definition: 1) The table is a two-dimensional array indexed by non-terminals and terminals

The table contains production choices to use the appropriate parsing step, which called

M[N,T]. N is the set of non-terminals of the grammar; T is the set of terminals or tokens (including \$); 3) Any entrances remaining empty represent

o) Any entraines remaining emply represent potential errors. <u>Left Recursion Removal and Left Factoring</u> Case1: Simple immediate left recursion 直接左递归

 $A \rightarrow A \alpha \mid \beta$ Rewrite this grammar rule into two rules;

 $\begin{array}{lll} A \rightarrow \beta A' & A' \rightarrow \alpha \, A' \mid \mathcal{E} & \text{Example is as} \\ \text{exp} \rightarrow & \text{exp addop term} \mid \text{term} \\ \text{exp} \rightarrow & \text{term exp'} \\ \text{exp'} \rightarrow & \text{addop term exp'} \mid \quad \epsilon \end{array}$

Case 2: General immediate left recursion

般形式

一般形式 $A \to A \ \alpha_1 \mid A \ \alpha_2 \mid \dots \mid A \ \alpha_n \mid \beta_1 \mid \beta_2 \mid \dots \mid \beta_m$ Where none of β_1, \dots, β_m begin with A. The solution is similar to the simple case: $A \to \beta_1 A' \mid \beta_2 A' \mid \dots \mid \beta_m A'$ $A' \to \alpha_1 A' \mid \alpha_2 A' \mid \dots \mid \alpha_n A' \mid \epsilon$

Example: exp → exp + term | exp - term | term remove the left recursion as follows:

→ term exp'

→ + term exp' | - term exp' | ε

Case 3: General left recursion Grammars with no ε-productions and no cycles.
(1) A cycle is a derivation of at least one step the begins and ends with same non-terminal: A=> =>* A;

(2) Programming language grammars do have εproductions, but usually in very restricted forms. Algorithm for general left recursion removal: Example: consider the following grammar $A \rightarrow Ba|Aa|c$ $B \rightarrow Bb|Ab|d$

 $A \rightarrow Ba|Aa|c$ $B \rightarrow Bb|Ab|d$ Where, A1=A, A2=B and n=2 (1) When i=1, the inner loop does not execute, So only to remove the immediate left recursion of

 $A \rightarrow BaA \ cA'$ $A' \rightarrow aA \ \varepsilon$ $B \rightarrow Bb \ Ab \ d$ (2) when i=2, the inner loop execute once, with i=1. To eliminate the rule $B \rightarrow Ab$ by replacing A

with it choices $A \rightarrow BaA' \mid c A' \quad A' \rightarrow aA' \mid \epsilon$ $B \rightarrow Bb \mid BaA'b \mid cA'b \mid d$

(3) remove the immediate left recursion of B to obtain

oblaiii A→BaA'| c A' A'→aA'| ε B→cA'bB'| dB' B'→bB'|aA'bB'|ε Now, the grammar has no left recursion. Left Factoring

Left factoring is required when two or more grammar rule choices share a common prefix string

 $\rightarrow \alpha \beta \mid \alpha \gamma \Rightarrow A \rightarrow \alpha A', A' \rightarrow \beta \mid \gamma$ Example: Stmt-sequence→stmt; stmt-sequence | stmt Stmt→ε

Left Factored as follows:

Stmt-sequence → stmt stmt-seq'
Stmt-seq → ; stmt-sequence | ε
FIRST and FOLLOW SET
First Sets

Definition: If X is a terminal or ε , then First(X) = {X}: Arminal and let $X \rightarrow X_1X_2...X_n$

If X is a non-terminal, and let $X \to X_1X_2$. be a string of terminals and non-terminals,.

Sa a stang of terminals and notine animals.

First(X) is defined as follows:

1) First(X) contains First(X₁) - {ε};

2) For each i=2,...,n, if for all k=1,...,i-1, First(X_k) contains ε, then First(X) contains First(X_k)-{ε}.

3) If all the set First(X₁)...First(X_n) contain ε, the First(X) contains ε.

Nullable

A non-terminal A is nullable if there exists a derivation A=>*ɛ.

Theorem:

A non-terminal A is nullable if and only if First(A)

FOLLOW SETS

Given a non-terminal A, the set Follow(A) is defined as follows.

1) If A is the start symbol, the \$ is in the Follow(A).

If there is a production B→αAy, then First(y)-

{έ} is in Follow(A)

All fithers is a production B→αAy, such that ε in First(y), then Follow(A) contains Follow(B).

Note: symbol \$ is used to mark the end of the input, the empty ε is never an element of a follow

set, Follow are defined only for non-terminal Example:

(1) exp → exp addop term (2) exp → term (2) exp → term (3) addop → + (4) addop → -(5) term → term mulop factor

(7) mulop →* (9) factor →number (6) term → factor (8) factor → (exp)

The First Sets:

First(exp)={(,number} First(term)={(,number} First(factor)={(,number} First(addop)={+,-} First(mulop)={*}

The Follow Sets:

Ine Follow Sets:
Follow (exp)={ \$,+,-, }
Follow (addop)={(number}
Follow (term)={ \$,+,*,*, }
Follow (mulop)={(number}
Follow (factor)={ \$,+,*,*, }
Constructing LL(1) Parsing Tables
Theorem:
Accompany in DNE is LL(4) the form

conditions are satisfied. containons are satisfied.

1) For every production $A \rightarrow \alpha_1 \alpha_2 ... | \alpha_n$, First(α) \cap First(α) is empty for all i and i, $1 \le i_1 \le n$, $i \ne i$.

2) For every non-terminal A such that First(A) contains ϵ , First(A) \cap Follow(A) is empty.

也就是说 LL(1) table 表中每项最多一个,

A grammar in BNF is LL(1) if the following

The LL(1) parsing **table-constructing rules**: 1) Figure 1 (1) parsing table-constructing rules: 1) Figure 2 (1) parsing table-construction rules: 1) Figure

2) If ε is in First(α), for each element a of

Follow(A) (a token or \$). add $A \rightarrow \alpha$ to M[A,a]. Bottom-Up Parsing

Parsing actions: a sequence of shift and reduce operations Parse State: a stack of terminals and non-

terminals(grows to the right) Current derivation step: always stack + input Shift: shift a terminal from the front of the input

to the top of the stack **Reduce:** Reduce a string α at the top of the stack to a non-terminal A, given BNF choice -> α One further feature of bottom-up parsers: grammars are always augmented with a new start symbol.

start symbol, a new start symbol S' is added to the grammar: S' → S LR(0) DFA figure
The LR(0) Parsing Algorithm

Definition

Let s be the current state (at the top of the parsing stack). Then actions are defined as

follows:

1) If state s contains any item of the form $A \rightarrow a \cdot X\beta$ (X is a terminal). Then the action is to shift the current input token on to the stack. 2. If state s contains any complete item (an item

of the form $A \to \gamma$), then the action is to reduce by the rule $A \to \gamma$? A **reduction** by the rule S' \to S, where S' is the

start state, Acceptance if the input is empty

Acceptance if the input is empty
Error if the input is not empty.
A grammar is said to be LR(0) grammar if the above rules are unambiguous. A grammar is LR(0) if and only if Each state is a shift state(a

s, the following two conditions are satisfied: 1) For any item A $\rightarrow \alpha^{\bullet}$ X β in s with X a terminal, there is no complete item B $\rightarrow \gamma^{\bullet}$ in s with X in Follow(B).

2) For any two complete items A → α* and B → β* in s, Follow(A) ∩ Follow(B) is empty.

Two kinds of parsing conflicts in SLR(1) parsing shift-reduce conflicts.

reduce-reduce conflicts.

In the case of shift-reduce conflicts, there is a natural disambiguating rule: always prefer the shift over the reduce.

The case of reduce-reduce conflicts is more difficult. Such conflicts often (but not always) omicult. Such conflicts often (but not always) indicate an error in the design of the grammar. SLR 的困难在于它在 LRO 项的 DFA 构造之后提供先行,而构造却又忽略了先行。 LR(1) Parsing 分析算法:
Write LR(1) items using square brackets as [A→q・8, a] LR(1)的 1 就是带上了规约或者移进的条件

where $A \to \alpha\beta$ is an LR(0) item and a is a token (lookahead). The major difference between the LR(0) and LR(1) automata is Definition of the ϵ transitions.

The start symbol of the NFA of LR(1) items becomes the item [S' -> •S, \$] Parsing algorithm:

The General LR(1) parsing algorithm: Let s be the current state (a the top of the parsing stack). Then actions are defined as 1) If state s: any LR(I) item of the form [A $\rightarrow \alpha^{\bullet}$ X β , a], X is a terminal, and X is the next token in

the input string. 2) If state s: the complete LR(1) item [$A \rightarrow \alpha^{\bullet}$, a] the next token: in the input string is a.

3) If the next input token is such that neither of the above two cases applies, an error is

declared. A grammar is an LR(1) grammar :
If the application of the above general LR(1)

parsing rules results in no ambiguity. A grammar is LR(1) if and only if, for any state s. the following two conditions are

nor any state s. the following two conditions a satisfied.

1) For any item $[A \rightarrow \alpha^* X \beta, a]$ in s with X a terminal, there is no item in s of the form $[B \rightarrow X]$ (otherwise there is a shift-reduce conflict).

2) There are no two items in s of the form IX and IX are IX.

A] Other was there is a simil-reduce conflict. 2] There are no two items is of the form [A-*,a] and $[B-\beta*,a]$ (otherwise, there is a reduce-reduce conflict). LALR(1) Parsing 分析算法: These two principles allow us to construct the DFA of LALR(I) items

Identifying all states that have the same core Forming the union of the lookahead symbols for each LR(0) item.

may be reduce-reduce conflicts.

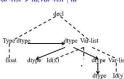


Some features
1) If a grammar is SLR(I), then it certainly is LALR(I) 2) LALR(1) parsers often do as well as general

onsequence of using LALR(1) parsing over general LR parsing as following in the presence of errors, Some spurious reductions may be

propagating lookaheads.

3.The graph must be acyclic(无环的) Dependency Graphs



Synthesized and inherited attributes: Synthesized attributes:

An attributes is synthesized: 1) If all its dependencies point from child to parent in the parse tree.
2) Given a grammar A -> X1X2..Xn, the only

associated attribute equation with an a on the left-hand side is of the form A.a = f(X1.a1, ...X1.ak,...Xn.a1,...Xn.ak) If all the attributes are synthesized, then it's

called S-attributed grammar. Be computed in post-order, often be treated as returned values of the call Inherited attributes:
if an attribute is not synthesized, then it's

Be computed in pre-order, often be treated as

parameters of the call parameters of the call
--attributed Definition: 在 Xi 处 ai 的值只依 颗于在交法规则中 Xi 左边出现的符号 X0,...Xi-1 的值。S 属性文法是 L 属性文法 Given an L-attributed grammar in which the

inherited attributes do not depend on the synthesized attributes:

1) Top-down parser: a recursive-descent parser can evaluate all the attributes by turning the

inherited attributes into parameters and synthesized attributes into returned values.

2) Bottom-up parameter are suited to handling primarily synthesized attributes, but are difficult for inherited attributes.

Computing synthesized attributes during LR

parsing.
Value stack: store synthesized attributes, be manipulated in parallel with the parsing stack

The Symbol table: Structure 1) Linear List

Provide easy and direct implementation of three basic operations: Insert operation is performed in constant time.

Lookup and delete operation are linear time in the size of the list. Good for a compiler implementation in which

speed is not a major concern. 2) Various Search Tree Structures (binary, AVL, B trees) Don't provide best case efficiency, the delete operation is very complexity

3) Hash tables All three operation can be performed in almost constant time, most frequently in practice, best

Collision resolution:
1) Open addressing

Inserting the collided new items in successive

buckets. Cause a significant degradation in performance

LR(1) parsers in removing typical conflicts that occur in SLR(I) parsing.

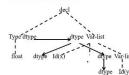
3) If the grammar is already LALR(I), the only

made before error is declared.
4) Compute the DFA of LALR(I) items directly from the DFA of LR(0) items through a process of

Semantic analysis

Directed acyclic graphs(DAG) 非循环图 1) Algorithm must compute the attribute at each node in the dependency graph before it attempts to compute any successor attributes. 2) A traversal order of the dependency graph that obeys this restriction is called a topological sort.

decl → type var-list type → int | float var-list → id,var-list | id



and make delete operation difficult. 2) Separate chaining Each bucket is a linear list , collisions are resolved by inserting the new item into the

It is the best scheme for compiler construction. The Size of the hash table
The actual size of the bucket array should be

The algorithm of the Hash function

Repeatedly use a constant number \(\alpha \) as a multiplying factor when adding in the value of the

next character $h_{i+1} = \alpha h_i + c_i$, $h_0 = 0$

 $n_{i+1} = \alpha n_i + \alpha_i, n_0 = 0$ final has value h = h m mod size $h = \{Sigma(i=1->n) c_i * \alpha^A(n-i)\}$ mod size The choice of α has a significant effect on the outcome, a reasonable choice for α is power of 2, such as 16 or 128, 因为这样乘法可以用移位来完成

Sequential declaration: Each declaration is added to the symbol table as it is processed.

Collateral declaration:

Declarations not be added immediately to the existing symbol table. Accumulated in a new table (or temporary structure).

Added to the existing table after all declarations

have been processed. Recursive declaration:

Declaration may refer to themselves or each

Runtime Environments

General organization of runtime storage



Fully Static Runtime Environment
All data are static, remaining fixed in memory for
the duration of program execution.
Used for a language, such as FORTRAN77.
no pointer or dynamic allocation. no recursive procedure calling. The global variables and all variables are

allocated statically.
Each procedure has only a single activation record

All variables (local or global) can be accessed directly via fixed address.

No extra information about the environment

needs to be kept in an activation record.

The calling sequence (simple)
Each argument is computed and stored into its appropriate parameter location in the activation of the procedure being called.

1) The return address in the code of the caller is

saved 2) A jump is made to the beginning of the code of

the called procedure. 3) On return, a simple jump is made to the return

In FORTRAN77:

1) an extra dereference is required to access parameter values.

array parameters do not need to be reallocated and copied.

3) constant arguments must be stored to a memory location and this location used during the call

The unnamed location is used to store temporary value during the computation of arithmetic

Stack-based runtime environment
1) Recursive calls are allowed

2) Local variables are newly allocated at each call
3) Activation records cannot be allocated

statically. Instead, activation records must be allocated in a stack-based fashion.

The stack of activation records grows and shrinks with the main of calls in the executing

program. 5) Each procedure may have several different activation records on the call stack at one time.

6) More complex strategy for bookkeeping and variable access

The calling sequence:

1) Compute the arguments and store them in their correct positions in the new activation

record of the procedure.
2) Store the fp as the control link in the new

activation record;
3) Change the fp so that it points to the beginning of the new activation record;
4) Store the return address in the new activation

record; 5) Perform a jump to the code of the procedure access link represents the defining environment

of the procedure; access link is sometimes also called the static link.

control link represents the calling environment of the procedure.

ot the procedure.
可以通过 Control Link 来找到每个函数中的 局部变量,但是必须在执行时保存用于 每个过程的局部符号表,这样才能允许 在每个活动记录中查询标识符,以及若 它退出的话也可以看到,并且可以判定

出它的偏移。这是运行时两境方量主要要领导复杂性。解决这个问题的方法也微外复杂性。解决这个问题的方法也微外情态作用域,是场对记录中。除了间域外信息标识过程的定义对键而不是调用是时度的方式的一个原因,即使它不是编译时决定的间径有时之极成为静态链(static link) Hean Management

Heap Management:
A standard method for maintaining the heap and implementing these functions: (1) A circular linked list of free blocks.

(2) Memory is taken by malloc. (3) Memory is return by free. **Drawbacks**:

(1) The free operation can not tell if the pointer is legal or not. (2) Care must be taken to coalesce blocks,

otherwise, the heap can quickly become

fragmented. A different implementation of malloc and free. use a circular linked list data structure that keep use a circular linked is total student that keep track of both allocated and free block.

Automatic Management of the heap:

Mark and sweep garbage collection

No memory is freed until a call to malloc fails, which does this in two passes.

(1) Follows all pointers recursively, starting with

(1) rollows an pointers recursively, starting with all currently accessible pointer values and marks each block of storage reached.
(2) Sweeps linearly through memory, returning unmarked blocks to free memory.

perform memory compaction to leave only one large block of contiguous free space at the other one

end. **Drawbacks**:1. Require extra storage 2. The

end.
Drawbacks:1. Require extra storage 2. The double pass through memory cause a significant delay pass through memory cause a significant delay in processing a part of the pass through memory cause a significant delay in processing a part of the pass through memory days and pass of the pass through memory days and pass of the pass of the

Stop-and-copy or two-space garbage collection

collection
(1) During the marking pass, all reached blocks are immediately copied to the second half of storage not in use;
(2) No extra mark bit is required and only one

pass is required;
(3) It also performs compaction automatically.
(4) It does little to improve processing delays

(4) It does little to improve processing delays during storage reclamation.

The processing delays de

General garbage collection:
Allocated objects that survive long enough are simply copied into permanent space and are never deallocated during subsequent storage

never deallocated during subsequent storage reclamations.
这就意味着垃圾回收程序在更新的存储
分配对只需要投存储器中很小的一不可的时间,是有效,当然不同有限,可能对自己的一个可以达到的不不可以达到的不可以是配为存储的一个可以是配为存储的方法。

Parameter Passing Mechanisms: Pass by value

The arguments are expressions that are evaluated at the time of the call. Their values becomes the values of the parameter during the execution of the procedure.

The only parameter passing mechanism available in C; C 常用的方式
The default in Pascal and Ada

Pass by reference Pass by reference passes the location of the variable.

The parameter becomes an alias for the argument.

The only parameter passing mechanism in Fortran77

In Pascal, pass by reference achieved with the use of var keyword In C++, by the use of special symbol & in the

parameter declaration 在引用传递中,自变量必须与分配的地址一起变化。并非传递变量的值,引用传递的是变量的地址,因此参数就变成了自变量的别名(alias),而且在参数上发生的任何变化都会出现在自变量上,同时不能地址的值的自变量提供一个位置如 P(2+3)是非法的,编译程序必须为 2+3 创造一个地址并把 2+3 存进去在进行引用 Pass by value-result The mechanism achieves a similar result to pass by reference except that no actual alias is

by reference, except that no actual alias is established.

established. Known as copy-in, copy-out, or copy-restore. The value of the argument is copied and used in

the procedure.
The final value of the parameter is copied back

The linal value of the parameter's copied back out to the location of the argument. This is the mechanism of Ada in out parameter. 在过程中复制和使用自变量的值,当过程退出时,再将参数的最终值复制回自变量的地址。

void p(int x, int y) $\begin{cases} ++x; \\ ++y; \end{cases}$ main() $\{int a=1;$ p(a, a); return 0;

If pass by reference, a is 3, if pass by valueresult a is 2

Pass by name
This is the most complex of the parameter passing mechanisms. (delayed evaluation) ldea:

The argument is not evaluated until its actual use

in the called program.
思想是知道在被调用的程序真正使用了 自变量(作为一个参数)之后才对这个 自变量赋值,所以它还被称为短迟赋值 (delayed evaluation)因此,自变量的名称或 是它在调用点上的结构表示取代了它对

main() int a[10]; i=1; a[1]=1;void p(int x)a[2]=2;{++i; p(a[i]);++x: return 0:

应的参数的名字。 对 p 的调用的结果是将 a[2]设置为 3 并保持 a[1]不变 在调用点上的自变量的文本被看成是它自己右边的函数,每当在被调用的过程的代码中到达相应的参数名时,就要计算它。

Code Generation

Three-Address Code: The most basic instruction of three address code is designed to represent the evaluation of arithmetic expressions and has the following general form:

yeneal lolini. x = yop z 其中 x 的地址必须不同于 yz 的地址, yz 可以代表常量, 但是 x 不行 2*a+(b-3)转换为 T1 = 2*a T2 = b - 3 T3 = T1 + T2

其中 T1, T2, T3 均为临时变量 Data Structures for the Implementation of

Three-Address Code:

1) Four fields are necessary: one for the operation and three for the addresses. Such a representation of three-address code is called a quadruple.
2) Those instructions that need fewer than three

2) Those histotichs that heed level than three addresses, one or more of the address fields is given a null or "empty" value.

3) The entire sequence of three-address instructions is implemented as an array or linked

4) We allow an address to be only an integer

4) We allow all aduless to be only all lineger constant or a string (representing the name of a temporary or a variable). 5) Since names are used, these names must be entered into a symbol table, and lookups will

need to be performed during further processing.
6) An alternative to keeping names in the quadruples is to keep pointers to symbol table entries. This avoids the need for additional lookups and is particularly advantageous in a language with nested scopes.

7) A different implementation of three-address code is use the instructions themselves to

represent the temporaries. Such an implementation of three-address code is called a

P-Code:
P-code began as a standard target assembly code produced by a number of Pascal compilers of the 1970s and early 1980s. It was designed to be the actual code for a hypothetical stack machine, called the P-machine, for which an interpreter was written on

various actual machines. The P-machine consists of a code memory, an unspecified data memory for named variables, and a stack for temporary data, together with whatever registers are needed to maintain the

stack and support execution. Example

2*a+(b-3):

ldc 2 ;load constant 2 (pushes 2 onto the lod a :load value of variable a(pushes a onto the

temporary)
mpi_integer multiplication (pops these two values
from the stack, multiplies them (in reverse order),
and pushes the result onto the stack.) lod b ;load value of variable b

ldc 3 :load constant 3

sbi ;integer subtraction(subtracts the first from the second)

adi ;integer addition

x:=y+1:

lda x ;load address of x lod y ;load value of y ldc 1 ;load constant 1

adi :add sto; store top to address below top & pop both

other: stn: stores the value to the address but leaves the value at the top of the stack, while discarding

the address.

1) P-code is in many respects closer to actual machine code than three-address code. P-code instructions also require fewer addresses: Instructions also require lewer addresses code in terms of numbers of instructions, and P-code is not * self-contained * in that the instructions operate implicitly on a stack.

3) Historically, P-code has largely been generated as a text file, but the previous descriptions of internal due to the text. descriptions of internal data structure implementations for three-address code will also

work with appropriate modification for P-code.

Code Generation
Intermediate code generation can be viewed as an attribute computation. This code becomes a synthesized attribute that can be defined using an attribute grammar and generated either directly during parsing or by a postorder traversal of the syntax tree.

If T is not nil then

not nil then
Generate code to prepare for code of left child of T;
Gencode(left child of T);
Generate code to prepare for code of right child of T;
Gencode(right child of T);
Generate code to implement the action of T;

Data Structure References
Three-Address Code: t1 = &x + 10P-Code:

ind ("indirect load") ind i
ixa ("indexed address")
Each address must be computed from the base address of a (its starting address in memory) and an offset that depends linearly on the value of the subscript.

The offset is computed from the subscript value as follows.

 An adjustment must be made to the subscript value if the subscript range does not begin at 0.
 The adjusted subscript value must be multiplied by a scale factor that is equal to the size of each array element in memory. Finally, the resulting scaled subscript is added to the base address to get the final address of the array

element

t1 = j * 2 t2 = t1 * elem_size(a) t3 = &a + t2 t4 = *t3 t5 = t4 + 3 t6 = j + 1 t7 = t6 * elem_size (a) t8 = &a + t7 *t8 = t5 P-Code:

Ida a lod i ldc 1 adi ixa elem_size(a) lda a lod j ldc 2 mpi ixa elem_size(a) ind 0 ldc 3 adi sto

Control Statement:
False Jump: if f, fig
Unconditional Jump: goto ujp
Three-Address Code:
if (E) S1 else S2

<code to evaluate E to t1>
if_false t1 goto L1
<code for \$1>
actor L2 aoto L2 label L1 <code for S2>

lahel I 2 while (E)S label L1 / <code to evaluate E to t1>

if_false t1 goto L2 <code for S> goto L1 label L2

P-Code: if (E) S1 else S2 <codé to evaluate E> fjp L1 <code for S 1> ujp L2 lab L1

<code for S 2> lah I 2 while (E)S lah I 1

<code to evaluate E>

ujp L1 lab L2 lab L2 Logical Expressions (x = 0) && (y = x) lod x ldc 0 neq fip L1 lod y lod x equ fip L1 uip L2 lab L1 lod FALSE lab L2 Procedure and Function Calls intf (int x, int y) {return x + y + 1;} Three-Address Code: entry f t1 = x + y t2 = t1 + 1 return r2

P-Code: entf lod x lod y adi ldc 1 adi ret The call f(2+3, 4) Three-Address Code: begin_args t1 = 2 + 3 arg t1 arg 4 call f

mst: mark stack, the same as begin_args in Three-Address Code cup: call user procedure mst ldc 2 ldc 3 adi ldc 4 cup f

Example: fn f(x) = 2+x

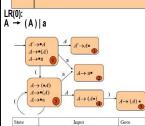
fn g(x,y) = f(x) +y; g(3,4) **P-Code:**

<code for S>

P-Code: entf Idc 2 lod x adi ret entg mst Iod x cupf Iod y adi ret mst Idc 3 Idc 4 cupg |More Examples

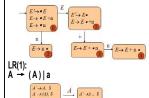
LL(1): $S \rightarrow ES'$ $S' \rightarrow \varepsilon \mid +S$ \rightarrow num | (S)

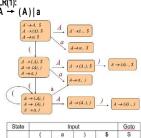




-	12	12	12	
3	s3	s2		4
4			s5	
5	r3	r3	r3	
_	Parsing stack	Input	Action	
1	\$0	((a))\$	Shift	
2	\$0 (3	(a))\$	Shift	
3	\$0 (3 (3	a))\$	Shift	
4	\$0 (3 (3 a2))\$	Reduce A	ы
5	\$0 (3 (3 A4))\$	Shift	

SLR(1): Not LR(0), but SLR(1)







LALR(1): A → (A)|a $A \rightarrow A$, S $A \rightarrow (A \cup , S')$ $A \rightarrow (A \cup , S')$