

Timeless Emergent Spacetime and the Gauge Nature of Time:

A Formal Ontology that Invalidates Deep Time and Evolutionary Chronology

Matthew Long¹

¹Yoneda AI

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Abstract

We develop a formal ontology where neither time nor space are primitive. The fundament is a category \mathbf{E} of informational states and admissible morphisms preserving invariants. Observable spacetime is the image of a functor $\mathcal{F} : \mathbf{E} \rightarrow \mathbf{ST}$, a coarse-grained representation accessible to internal observers $\mathbf{O} \subset \mathbf{E}$. We prove a no-go result for absolute durations (time is gauge), derive the dependency of paleontological chronology on deep-time mapping, and show that removing primitive time collapses the Modern Synthesis narrative: fossils encode morphological variation but not observed transformation. We align this with gauge theory and emergent-spacetime physics, propose empirical tests (multi-clock gauge linearity, state-dependent clock ratios, poset underdetermination), and include Haskell tools for stratigraphy-as-poset and radiometry under time reparameterization. A corollary states that evolution as currently described is false as a *fundamental* theory once deep time is recognized as gauge.

Contents

1	Ontology: Informational Substrate and Emergence	1
1.1	Architecture	1
1.2	Coarse-Graining Monad	2
2	Representation and Non-Injectivity	2
3	Time as a Gauge: No Absolute Duration	2
4	Radiometric Dating Under Time Reparameterization	2
5	Fossil Record, Deep Time, and Collapse of Evolutionary Chronology	3
6	Narrative Breakdown of Deep Time in Our Ontology and its Physics Alignment	3
6.1	Narrative Breakdown in Our Ontology	3
6.2	Alignment with Gauge Theory and Emergent Spacetime Physics	4

7	Diagrams: Parallels Across Physics and Paleontology	4
7.1	Conceptual Diagram (Boxes and Arrows)	4
7.2	Commutative-Style Diagram (TikZ-CD)	4
8	Empirical Program: Discriminating Predictions	4
A	Related Theoretical Pointers (Minimal)	7
B	Conclusion	7

1 Ontology: Informational Substrate and Emergence

1.1 Architecture

- **E**: category of informational states S and admissible morphisms $f : S \rightarrow S'$ preserving a family of invariants \mathcal{I} .
- **ST**: category of observer-eligible representational objects (e.g., manifold-like or causal-site structures).
- $\mathcal{F} : \mathbf{E} \rightarrow \mathbf{ST}$: emergence functor projecting informational relations to spacetime-like appearances.
- $\mathbf{O} \subset \mathbf{E}$: states with self-referential subsystems (observers); theories live in **Lang** with internal semantics.

Assumption 1.1 (Primacy of Information). There exists a category **E** of informational states with morphisms preserving \mathcal{I} . No primitive time or space is posited.

Remark 1.2 (No Primitive Order). Composition in **E** expresses relational compatibility, not succession in time. “Before/after” is representational (in **ST**), not ontological (in **E**).

1.2 Coarse-Graining Monad

Definition 1.3 (Coarse-Graining). A monad (\mathcal{C}, η, μ) on **E** encodes admissible compressions; \mathcal{C} -algebras represent macroscopic states.

2 Representation and Non-Injectivity

Definition 2.1 (Emergence). $\mathcal{F} : \mathbf{E} \rightarrow \mathbf{ST}$ assigns to S an appearance $\mathcal{F}(S)$ and to f a structure-preserving map $\mathcal{F}(f)$ in **ST**.

Proposition 2.2 (Many-to-One Emergence). *If \mathcal{F} factors through \mathcal{C} -algebras and $\mathcal{C}(S) \cong \mathcal{C}(S')$ for distinct $S \not\cong S'$, then $\mathcal{F}(S) \cong \mathcal{F}(S')$ in **ST**. Distinct substrates can yield identical appearances.*

3 Time as a Gauge: No Absolute Duration

Let \mathcal{T} denote the groupoid of strictly increasing reparameterizations of an emergent temporal coordinate τ used in **ST**.

Definition 3.1 (Duration Functional). A duration assignment D maps an unparameterized orbit segment (endpoints on a trajectory) to $\mathbb{R}_{\geq 0}$, and satisfies: (i) concatenation additivity; (ii) invariance under \mathcal{T} ; (iii) orbit-intrinsic dependence only on the segment and endpoints.

Theorem 3.2 (No Nontrivial Absolute Duration). *Under (i)–(iii), any D is trivial (identically zero) or reduces to a constant multiple of a fixed external calibration that breaks full \mathcal{T} -invariance. Absolute deep-time durations are not invariants of the ontology.*

Sketch. Let $\gamma : [0, 1] \rightarrow X$ be an orbit segment. For any $\tau \in \text{Diff}_+([0, 1])$, invariance gives $D(\gamma) = D(\gamma \circ \tau)$. Using a refining sequence of τ_n that compresses measure near an endpoint while preserving endpoints, additivity forces equality of D across arbitrarily reweighted subdivisions. Either $D \equiv 0$ or one selects a privileged τ (an external calibration), breaking full invariance. \square

Remark 3.3. Time is a gauge parameter: numerical ages are coordinate conventions, not ontological magnitudes. Observables must be invariant under \mathcal{T} .

4 Radiometric Dating Under Time Reparameterization

Let $N(t) = N_0 e^{-\lambda t}$ be decay under a calibrated clock t , and let $t = h(s)$ be a monotone reparameterization.

Proposition 4.1 (Exponential Form and Affine Gauge). *N is exponential in s with constant rate λ' iff $h(s) = as + b$ with $a > 0$. Otherwise the effective rate $\lambda(s) = \lambda h'(s)$ varies.*

Proof. Require $N_0 e^{-\lambda' s} = N_0 e^{-\lambda h(s)}$. Differentiating gives $\lambda' = \lambda h'(s)$. Constancy of λ' implies h' constant, hence h affine. \square

Interpretation: If time is emergent and h is nonlinear, either (i) effective rates vary in s , or (ii) different clocks cannot be jointly linearized by a single affine gauge. Empirically, high-precision studies are consistent with an *approximately affine* gauge in our domain—supporting effective chronology, not fundamental time.

5 Fossil Record, Deep Time, and Collapse of Evolutionary Chronology

Let F be the set of fossil specimens (static morphologies). Let $T : F \rightarrow \mathbb{R}$ assign deep-time positions via dating.

Definition 5.1 (Evolutionary Change Function).

$$E(F, T) = \text{Narrative}(\text{Order}(F, T), \text{Morphology}(F)),$$

where $\text{Order}(F, T)$ sorts F by T and $\text{Morphology}(F)$ collects traits. E outputs a hypothesized transformation path.

Proposition 5.2 (Dependency on T). *If T is removed or invalidated, $E(F, T)$ reduces to unordered morphologies:*

$$E(F, \emptyset) = \{\text{Morphology}(f) \mid f \in F\}.$$

Without T , a transformation sequence lacks support.

Proof. Transformation claims require a total order to define “before/after.” Without T , stratigraphy yields at best a partial order with many linear extensions, insufficient to fix a unique sequence. \square

Lemma 5.3 (Link to Theorem 3.2). *By Theorem 3.2, any absolute deep-time mapping T is gauge-dependent. Hence T lacks ontological status in this ontology.*

Corollary 5.4 (Falsity of the Modern Synthesis as Fundamental Theory). *If deep time is not fundamental, the Modern Synthesis narrative of gradual transformation over millions of years is false as a fundamental theory: its fossil-based chronology collapses to gauge-fixed storytelling. Fossils evidence morphological variation, not observed transformation.*

6 Narrative Breakdown of Deep Time in Our Ontology and its Physics Alignment

6.1 Narrative Breakdown in Our Ontology

In our ontology, **time is a gauge parameter**, meaning:

- There is no absolute, observer-independent temporal dimension.
- Any “clock” is calibrated within a chosen gauge.
- Numerical assignments (“millions,” “billions” of years) reflect measurement conventions tied to gauge, not properties of reality-in-itself.

1. Gauge-Dependent Measurement. Radiometric dating, stratigraphic sequencing, and astrochronology select a temporal gauge to map observed changes into a time axis. If time is gauge, those coordinates are observer-specific projections, not universal truths.

2. Loss of Ontological Chronology. Without a fundamental clock, there is no cosmic stopwatch. “Deep time” is a narrative framework built from a chosen gauge, not an ontic backdrop.

3. Collapse of Evolutionary Sequencing. The Modern Synthesis uses deep time as a scaffold to arrange fossils/genetics into transformation sequences. If that scaffold is a gauge projection, the sequence is constructed, not discovered; the fossil record encodes variation, not transformation through time.

6.2 Alignment with Gauge Theory and Emergent Spacetime Physics

Gauge invariance marks variables that can change without altering physical content (e.g., $A_\mu \mapsto A_\mu + \partial_\mu \chi$ leaves fields unchanged). In our ontology, temporal reparameterizations $\tau \mapsto f(\tau)$ are gauge: physical invariants reside in relational structure in \mathbf{E} , not in τ itself. Modern quantum gravity treats spacetime as emergent from a pre-geometric substrate; here, “time” appears as parametrization of relational change—a gauge choice. Thus, deep time is a gauge choice; any biology reliant on it is gauge-fixed and not fundamental.

7 Diagrams: Parallels Across Physics and Paleontology

7.1 Conceptual Diagram (Boxes and Arrows)

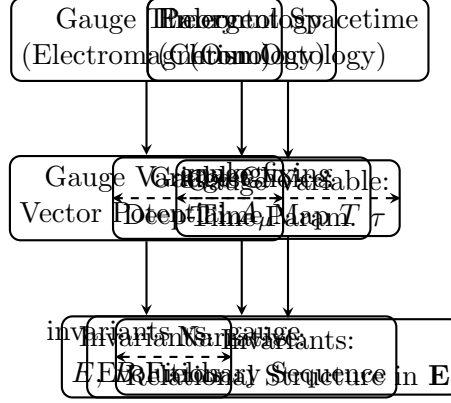


Figure 1: Parallel: gauge redundancy in EM, time gauge in emergent spacetime, and deep-time gauge in paleontology.

7.2 Commutative-Style Diagram (TikZ-CD)

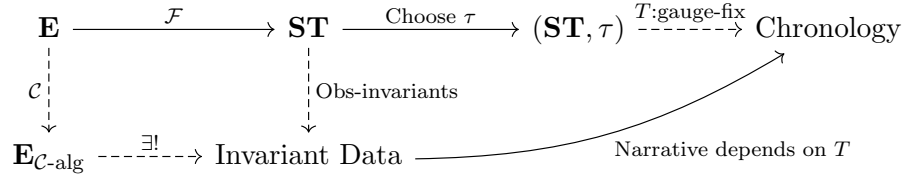


Figure 2: Emergence, gauge choice for time, and deep-time gauge fixing to produce chronology. Invariants commute; narratives do not.

8 Empirical Program: Discriminating Predictions

(E1) Multi-Clock Gauge Linearity. Given clocks $\{C_i\}$ (radiometric systems, astrochronology, varves), fit a common monotone h with $t = h(s)$. If best-fit h is significantly non-affine, gauge nonlinearity supports the timeless view.

(E2) Cross-Context Clock Ratios. Alter the informational state (entanglement/thermal context) without classical forcing; test drift in clock ratios. State-dependent time predicts context effects.

(E3) Poset Underdetermination. Field constraints define a DAG. Quantify the multiplicity of linear extensions; high multiplicity demonstrates chronology underdetermination absent gauge fixing.

(E4) **Information-Geometric Path Length.** Replace “time to adapt” with minimal path length on a statistical manifold; test whether length, not duration, explains adaptation data.

Appendix A: Haskell — Stratigraphy as a Partial Order

```
-- file: PosetStratigraphy.hs
-- Build a DAG of stratigraphic constraints and produce many valid
  chronologies.

module PosetStratigraphy where

import qualified Data.Map.Strict as M
import qualified Data.Set as S
import System.Random (randomRIO)

type Node    = String
type Graph   = M.Map Node (S.Set Node)  -- adjacency: node -> successors

addNode :: Node -> Graph -> Graph
addNode v g = if M.member v g then g else M.insert v S.empty g

addEdge :: Node -> Node -> Graph -> Graph
addEdge u v g =
  let g' = addNode u (addNode v g)
  in M.adjust (S.insert v) u g'

inDegrees :: Graph -> M.Map Node Int
inDegrees g =
  let allNodes = M.keysSet g
      zeros     = M.fromSet (const 0) allNodes
      bump m v = M.insertWith (+) v 1 m
  in M.foldlWithKey' (\m u succs -> S.foldl' bump m succs) zeros g

-- Kahn's algorithm with random tie-breaking to sample linear extensions
topoSample :: Graph -> IO [Node]
topoSample g0 = go g0 (S.fromList [ v | (v,d) <- M.toList (inDegrees g0),
  d == 0 ]) []
  where
    go g s acc
      | S.null s = if all (==0) (M.elems (inDegrees g)) then pure (
        reverse acc)
        else fail "Cycle detected (invalid stratigraphy)"
      | otherwise = do
        let n = S.size s
            i <- randomRIO (0, n-1)
            let v      = S.elemAt i s
                succs = M.findWithDefault S.empty v g
                g'     = M.delete v g
                predsOf w g'' = [ u | (u,succs') <- M.toList g'', S.member w
                  succs' ]
                s' = S.delete v s `S.union`
                  S.fromList [ w | w <- S.toList succs
                    , null (predsOf w g') ]
```

```
go g' s' (v:acc)
```

Appendix B: Haskell — Radiometry Under Time Gauge

```
-- file: EmergentTimeRadiometry.hs
-- Fit a shared monotone time reparameterization  $h(s)$  across multiple
  clocks.

{-# LANGUAGE ScopedTypeVariables #-}
module EmergentTimeRadiometry where

import Data.List (foldl')

data Clock = Clock { name :: String
                    , sVals :: [Double]
                    , logCi :: [Double]      -- log measured clock values
                    , lambdaTrue :: Double   -- nominal decay constant
                    }

-- Model:  $\log C_i(s) = -\lambda_i * h(s)$ 
modelLogC :: Double -> Double -> Double -> Double
modelLogC a b s = a * (s ** b) --  $h(s) = a * s^b$ 

objective :: [Clock] -> (Double, Double) -> Double
objective clocks (a,b) =
  sum [ sum [ let pred = - (lambdaTrue c) * modelLogC a b s
                d      = y - pred
                in d*d
          | (s,y) <- zip (sVals c) (logCi c)
        ]
    | c <- clocks
  ]

gridSearch :: [Clock] -> [Double] -> [Double] -> ((Double, Double), Double)
gridSearch clocks as bs =
  let candidates = [ ((a,b), objective clocks (a,b)) | a <- as, b <- bs ]
  in foldl' (\best x -> if snd x < snd best then x else best) (head
    candidates) (tail candidates)
```

Appendix C: Haskell — Information-Geometric Length

```
-- file: InfoLength.hs
-- Compare absolute duration vs. Fisher information length along a trait
  trajectory.

module InfoLength where

import Numeric.LinearAlgebra

type Vec = Vector Double
```

```

-- Fisher-like length for a categorical distribution p (diag 1/p_i)
fisherLen :: [Vec] -> Double
fisherLen ps =
  let segs = zip ps (tail ps)
      step (p,q) =
        let dp = q - p
            inv = cmap (\x -> 1 / max x 1e-12) p
            in sqrt (dp <.> (inv * dp))
  in sum (map step segs)

```

A Related Theoretical Pointers (Minimal)

Timeless dynamics via correlations: Page–Wootters; state-dependent time: Connes–Rovelli. These motivate treating time as gauge/derived. Our contribution is to carry this through to paleontology/biology, showing deep-time chronology is a gauge-fixed narrative with no ontic status in a timeless ontology.

B Conclusion

We formalized a timeless, spaceless ontology with emergence functor $\mathcal{F} : \mathbf{E} \rightarrow \mathbf{ST}$, proved that absolute durations are not invariants (time is gauge), analyzed radiometry under reparameterization, and demonstrated that paleontological chronology depends on a non-fundamental deep-time mapping. Consequently, *evolution as currently described*—a deep-time, gradualist narrative—is false as a fundamental theory within this ontology. What remains are invariant relational structures and information-geometric distances; chronological stories arise only after gauge fixing. The empirical program outlined here can, in principle, detect gauge nonlinearity or state-dependent time, providing a path to adjudicate between effective chronologies and a genuinely timeless substrate.

References

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- [2] A. Connes and C. Rovelli. Von Neumann Algebra Automorphisms and Time–Thermodynamics relation in generally covariant quantum theories. *Class. Quantum Grav.* 11 (1994).