

# INF-2310 Assignment 3

## Authentication Protocols

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### 1 Problem 1

The following protocol is designed to prove to A and B that they share a key  $K$  with each other.

```
A --> B: {N_A}K      where N_A is a fresh nonce
B --> A: {N_B}K, N_A  where N_B is a fresh nonce
A --> B: N_B
```

Figure 1:

Can A and/or B reach the wrong conclusion if attackers are present? If so, give the attack; otherwise, give an informal explanation of the protocol's correctness.

An assumption for our answer is that the encryption techniques are symmetric since there is use of nonce.

#### 1.1 Answer: Nonces and replay attacks

The use of nonces are a way to prove the originality of a message. A nonce is a random or semi-random number used only once for each message sent in a cryptography communication, to defend against replay attacks in such a way that if a message is received with the same nonce more than once, the additional messages will be discarded as invalid.

All the messages in figure 1 are protected against replay attacks since the nonces:  $N_A$  and  $N_B$  are fresh nonces for the receiving parts.

#### 1.2 Answer: Man in the middle attack (MITMA)

One type of attacks that nonces alone don't defend against are man-in-the-middle-attacks. As explained above, the nonce only checks for the messages originality and not whether it has been tampered with or viewed by an MITMA-agent.

Our perception of the protocol is that A encrypts a nonce ( $N_A$ ) and sends it to B. B will then receive and decrypt this nonce and send it back to A along with its own encrypted nonce ( $N_B$ ). If B's result of the decrypted nonce ( $N_A$ ) matches with the original nonce of A then A will know that it shares the same key with B. To let B know that it also shares the same key, A will decrypt B's nonce ( $N_B$ ) and send it back so that B knows that it share the same key with A.

The problem with this protocol is that the decrypted nonces ( $N_A$  and  $N_B$ ) is sent back without any

decryption, which in turn means that a third part C can pick up this result, modify it and forward it to A and B. This way both A and B will receive wrong results of the decryption and believe that they do not share the same key.

To summarise: In the first message, the nonce is encrypted with a key and the MITMA-agent have no way of interfering. In message two and three however, the confirming nonce (not the encrypted nonce) is vulnerable for modification by an MITMA-agent. The agent can modify the decrypted nonce and make it so that the A and B reach the conclusion that they don't have the same key, while in reality, they actually have the same key.

## 2 Problem 2

Does this protocol provide A and B with a shared key  $K_{AB}$  that they can trust for their secret communications? If not, describe the attack; otherwise, give an informal explanation of the protocol's correctness.

```

1. A --> KDC: A,B,N
2. KDC --> A: {N,A,B}K_A, {N,K_AB}K_A
3. KDC --> B: {N,A,B}K_B, {N,K_AB}K_B
4. A --> B: {N+1}K_AB   compare value N+1 with contents of message 3
5. B --> A: {N-1}K_AB   compare value N-1 with contents of message 2

```

Figure 2: Here KDC is a Key Distribution Center, and K-A denotes a key shared between A and the KDC. Key K-AB is shared between A and B.

### 2.1 Answer:

The first message exposes the variables  $A, B$  and  $N$  to MITM-agents and the possibility for the KDC to receive an altered value  $N$  (which we assume is a nonce). The KDC sends the variables and the shared key of A and B ( $K_{AB}$ ) encrypted and secure to both A and B. Our understanding of this exchange, is that both A and B can decrypt this  $K_{AB}$  key and use it safely in interactions between A and B.

However, the  $N$  variable that the KDC sends out which is used for comparison, may have been tampered with in the first stage. In return, the KDC will send the tampered nonce to A and B for them to use. One could think that sending a tampered nonce to A and B is not secure, but in reality it does not matter what the attacker switched the nonce to in the first stage, because when both A and B sends messages to each other in stage 4 and 5, they both use a fresh nonce with either  $N+1$  or  $N-1$ . Overall, this means that the "originality" of the messages between A and B is unique because the nonce is different. This also protects against replay attacks, when the nonce will never be the same because of stage 4 and 5.

We assume that the KDC and B shares a key  $K_{DC,B}$ . This protocol will provide A and B with a reliable shared key ( $K_{AB}$ ), because KDC provides this key to both parties as an encrypted message that can only be decrypted between KDC-B and only between KDC-A. However, A and B must blindly trust that KDC is a reliable key distribution source which will not modify any messages between A and B because KDC also knows the shared key between A and B. There is also important to know that even if KDC provides a reliable key between A and B, there may be no way for A and B to know that the key they share are secure. This is because we assume that the variable  $N$  that A sends to KDC is a variable used to prove that A and B shares the same key. This  $N$  variable is sent from A to KDC without any encryption and may therefore be picked up in a MITM attack and modified, but in reality this does not matter because of the freshly created nonces with the interaction between A and B, meaning that the originality of the messages

is contained even though A's message to the KDC was tampered with. Therefore, the protocol provides A and B with a shared key K-AB that they can trust for their secret communications.

### 3 Problem 3

The following protocol allows a client A to suggest a shared key K-AB for communicating with B rather than depending on a server to generate that key. So server S is used in the protocol only as a secure communications channel from A to B, because:

K-AS is shared between A and S  
K-BS is shared between B and S

```
A --> S: A, {T_A, B, K_AB}K_AS   where T_A is current time
S --> B: {T_S, A, K_AB}K_BS     where T_S is current time
```

Figure 3:

Assume that principals A, B, and S ignore any message they receive that contains a timestamp that is more than 5 seconds old.

#### 3.1 Discussion and solution

There are some aspects about this problem that we need to discuss before providing our solution. We assume that the time stamp used in the protocol is a unique time-stamp (unix time) and that it is not possible to resend the same message on the next day at the same time.

This protocol is flawed and an intruder  $T$  can force  $B$  to adopt an instance of K-AB that is arbitrarily old. This attack is based on two essential weaknesses in the protocol: 1. The message does not include a nonce which verifies the originality of the message. 2. the server  $S$  updates the timestamp each time a message is transported through the server.

In this protocol a MITM-attack can occur if an intruder  $T$  intercepts a message from server  $S$  to  $B$ , copy it, and send it back to the server  $S$ , imitating  $B$  wanting to send a message to  $A$ .  $B$  still receives this message as normally. If  $T$  intercepts and replies to  $S$  within 5 second's, the time-stamp will be valid in the server  $S$ . Server  $S$  will now update this timestamp and send a message to  $A$ . If the intruder  $T$  now again intercepts this message from  $S$  to  $A$ , and again replay it back to  $S$ , the server  $S$  will assume that  $A$  wants to establish connection with  $B$ . This involves verifying the message and once again updating the time-stamp.

The intruder will again intercept the the message from  $S$  to  $B$ , but will now not forward it to  $B$ , but send it back to  $S$  again and restart the loop. The intruder  $T$  have now established a loop in-between  $A$  and  $B$  which goes back and fourth between the server, updating the time-stamp at every interception with  $S$  and not letting the message end up at either  $A$  or  $B$ .

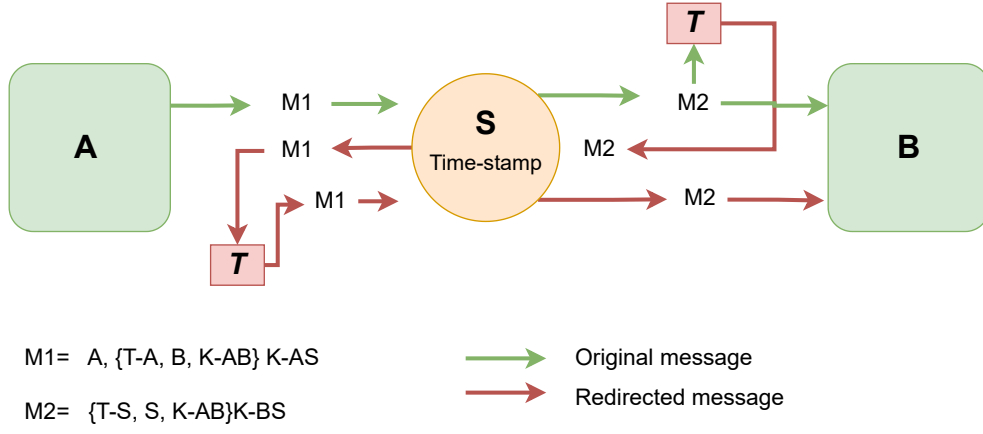


Figure 4: Illustration on how the Dolov-Yao attacker ( $T$ ) intercept and copies the message before sending it back to the server  $S$ .

Lets say that  $A$  sends a message to the server  $S$ :  $M1 (A, [T_A, B, K_{AB}]K_{AS})$ , where the time-stamp  $T_A$  is at 12:00 PM. The message contains the key  $K_{AB}$ . The server validates the timestamp and forwards the  $K_{AB}$  key to  $B$  in a new message:  $M2 ([T_S, A, K_{AB}]K_{BS})$ .  $B$  receives this message and can use the  $K_{AB}$  key. The message from server  $S$  to  $B$  is however intercepted by an intruder  $T$  that copies the message  $M2$  and sends it back to the server within 5 second's. The server receives the  $M2$  message, approves the timestamp, and forwards a message  $M1$ , with destination  $A$ , which is a request that  $A$  and  $B$  establish communication through  $S$ .  $T$  intervenes and "takes" the entire message, so that  $A$  does not receive it.  $T$  sends the message back to  $S$ , And  $S$  interprets this message as normal, validates it and again updates the timestamp before creating a message  $M2$  with the destination of  $B$ .

The intruder can keep this loop active for as long as it wants since the timestamp is updated continuously at the server  $S$ . If the intruder  $T$  can at a later time, lets say 19:00 PM, decide to stop the loop and let the message go trough to  $B$ , it will cause a replay attack.  $B$  will now receive a message with valid time-stamp containing a key  $K_{AB}$  that was created at 12:00 PM.

## 4 References

1. Cryptographic nonce [Internet]. Wikipedia. Wikimedia Foundation; 2023 [cited 2023Mar7]. Available from: [https://en.wikipedia.org/wiki/Cryptographic\\_nonce](https://en.wikipedia.org/wiki/Cryptographic_nonce)