

【Adding Reversed Numbers】

```
#include <iostream>      // Preprocessor Directive
#include <cstdio>
#include <cstring>
#include <string>
using namespace std;    // Using C + + Standard Libeary
int Num[3][1000];
void Read(int Ord)      // If Ord==0, input the first addend ; If Ord==1, input the second
addend
{
    int flag=0;
    string Tmp;
    cin>>Tmp;           // Input the string represent the integer
    for(int i=Tmp.length()-1;i>=0;i--) // Analyze each charchter from right to left
    {
        if(Tmp[i] > '0')           // Store the integer into Num[Ord]
            flag = 1;
        if(flag)
            Num[Ord][++Num[Ord][0]] = Tmp[i] - '0';
    }
    for(int i=Num[Ord][0],j=1;i>j;i--,j++) // Get reversed number Num[Ord]
    {
        flag = Num[Ord][i];
        Num[Ord][i] = Num[Ord][j];
        Num[Ord][j] = flag;
    }
}
void Add( )
{
    Num[2][0] = max(Num[0][0],Num[1][0]); // the number of additions is the maximum
length of two addends
    for(int i=1;i<=Num[2][0];i++) // Bitwise addition
        Num[2][i] = Num[0][i] + Num[1][i];
    for(int i=1;i<=Num[2][0];i++) // Carry
    {
        Num[2][i+1] += Num[2][i]/10;
        Num[2][i] %= 10;
    }
    if(Num[2][Num[2][0]+1] > 0) // Carry
        Num[2][0] ++;
    int flag = 0;
    for(int i=1;i<=Num[2][0];i++) // Output the reversed sum of two reversed numbers
    {
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        if(Num[2][i] > 0)
            flag = 1;
        if(flag)
            printf("%d",Num[2][i]);
    }
    printf("\n");
}
int main( )                // Main function
{
    int N;                  // The number of test cases
    cin>>N;
    for(N;N;N--)           // Input and process for each test case
    {
        memset(Num,0,sizeof(Num)); // Initialize arrays of high precision numbers 0
        Read(0);             // The first addend
        Read(1);             // The second addend
        Add( );              // Add two reversed numbers, and output their reversed sum
    }
    return 0;
}

```

【Fence Repair】

```
#include <iostream>
using namespace std;
const long maxn = 20000 + 10; //size of the heap
long n, len; //n: the number of planks, len: the length of the heap
long long p[maxn]; //heap
void heap_insert(long long k)
{ //insert k into the min heap, maintain the heap property
    long t = ++len;
    p[t] = k;
    while (t > 1)
        if (p[t/2] > p[t]) {
            swap(p[t], p[t / 2]);
            t /= 2;
        } else
            break;
}
void heap_pop(void) // Delete the root of the min heap, maintain the heap property
{
    long t = 1;
    p[t] = p[len--];
    while (t * 2 <= len) {
        long k = t * 2;
        if (k < len && p[k] > p[k + 1])
            ++k;
        if (p[t] > p[k]) {
            swap(p[t], p[k]);
            t = k;
        } else
            break;
    }
}
int main(void)
{
    cin >> n;
    for (long i = 1; i <= n; i++) //lengths of n planks
        cin >> p[i];
}
```

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len = 0;
for (long i = 1; i <= n; i++)          //a min heap is constructed with  $n$  planks
    heap_insert(p[i]);
long long ans = 0;
while (len > 1) {                      //construct a Huffman tree
    long long a, b;
    a = p[1];      //delete the root of heap (weight  $a$ ), maintain the heap property
    heap_pop();
    b = p[1];      // delete the root of heap (weight  $b$ ), maintain the heap property
    heap_pop();
    ans += a + b;      // the cost  $ans$  increases ( $a+b$ )
    heap_insert(a + b);    // A new node ( $a+b$ ) is inserted into the min heap
}
cout << ans << endl;                //Output the minimal cost
}

```

【Prime Path】

```
#include<iostream>
#include<string>
using namespace std;
struct node{
    int k, step;          // current prime number  $k$ , the length of the path (the number of changed
                           digits )  $step$ 
};
node h[100000];          //Queue
bool p[11000];           // Sieve
int x, y, tot, s[11000];  // Initial prime  $x$ , goal prime  $y$ , the number of remainder test
                           cases  $tot$ , the current shortest path  $s[x]$  for prime  $x$ 
void make(int n){         // Get primes in  $[2..n]$  by sieve method
    memset(p, 0, sizeof(p));
    p[0]=1;
    p[1]=1;
    for (int i=2; i<=n; i++) if (!p[i])
        for (int j=i*i; j<=n; j+=i) p[j]=1;
}
int change(int x, int i, int j){ // change the  $i$ -th digit of  $x$  into  $j$ 
    if (i==1) return (x/10)*10+j; else
    if (i==2) return (x/100)*100+x%10+j*10; else
    if (i==3) return (x/1000)*1000+x%100+j*100; else
    if (i==4) return (x%1000)+j*1000;
}
int main(){
    make(9999);           // Get primes in  $[2..9999]$ 
    cin>>tot;             // the number of test cases
    while (tot--){
        cin>>x>>y;        // initial prime  $x$  and goal prime  $y$ 
        h[1].k=x;         // initial prime  $x$  is pushed into the queue
        h[1].step=0;
        int l=1,r=1;       // Initialize pointers of the queue
        memset(s, 100, sizeof(s)); //Initialize the length of the path
        int ans=-1;        // Initialize the minimal cost
        while (1){
            if (h[l].k==y) { // goal prime  $y$  is gotten
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        ans=h[l].step;
        break;
    }
    int tk,ts;
    for (int i=1; i<=4; i++) // every digit of the front for the queue is changed
        for (int j=0; j<=9; j++) if (!(j==0)&&(i==4)){//Enumerate
            tk=change(h[l].k, i, j);
            if (p[tk]) continue; // If tk isn't a prime
            ts=h[l].step+1; // the length of the path to tk
            if (ts>=s[tk]) continue;
            if (tk==y){ // If tk is the goal prime
                ans=ts;
                break;
            }
            s[tk]=ts; // the length of the path to tk
            r++;
            h[r].k=tk; // Prime tk and its length of the path is pushed
            h[r].step=ts;
        }
    if (l==r||ans>=0) break; // If the queue is empty or the goal prime is arrived
    l++;
}
if (ans>=0) cout<<ans<<endl; else cout<<"Impossible"<<endl; // Output the result
}
}

```