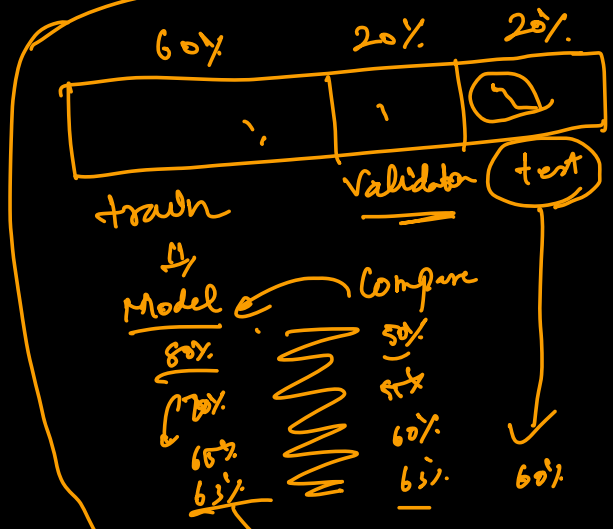
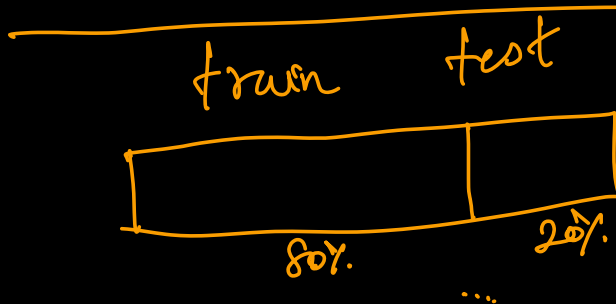


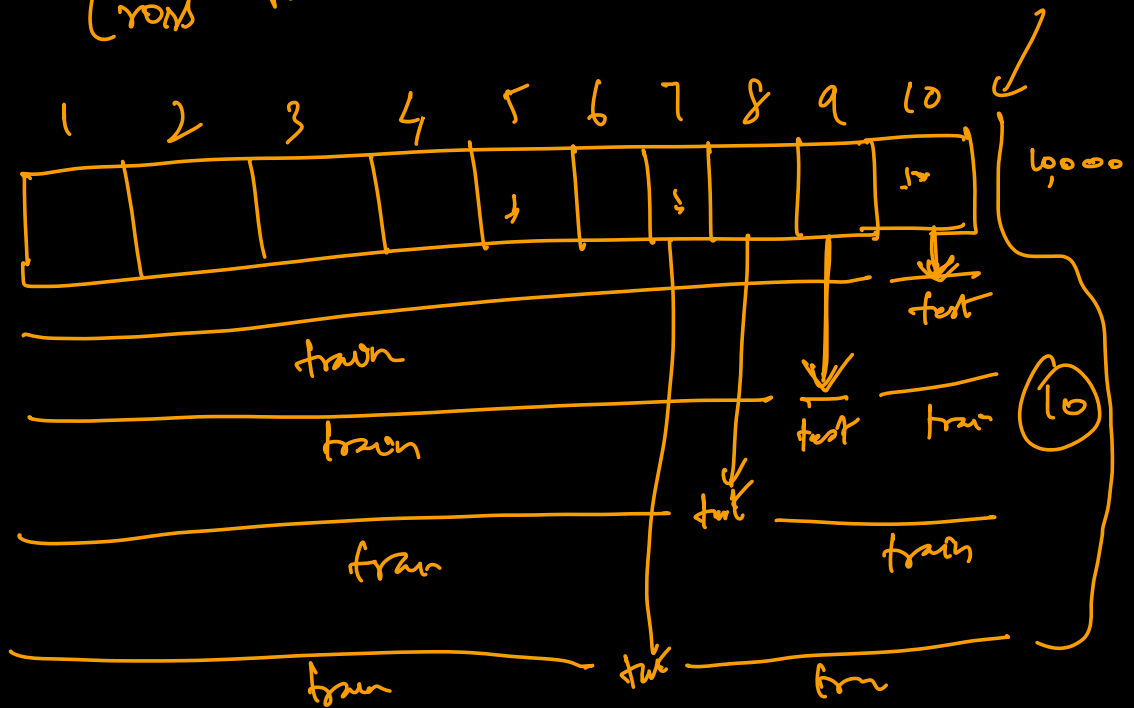
Overfitting

1. Quality of Data
2. Complex model
3. lot of adjustment done in tuning the result in train
4. Building the model without test validation



(K) fold Validation Cross validation

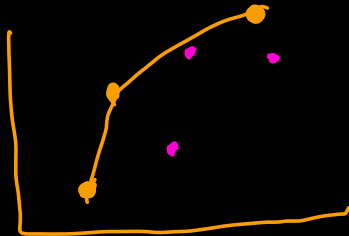
10
(K)-fold
(5)



High Variance

Overfitting

Model is complex

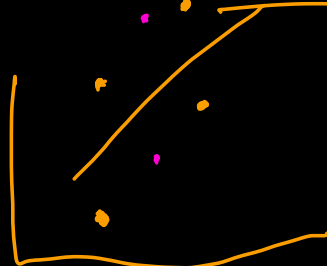


If there is a small change in train data there will be a big shift in the model

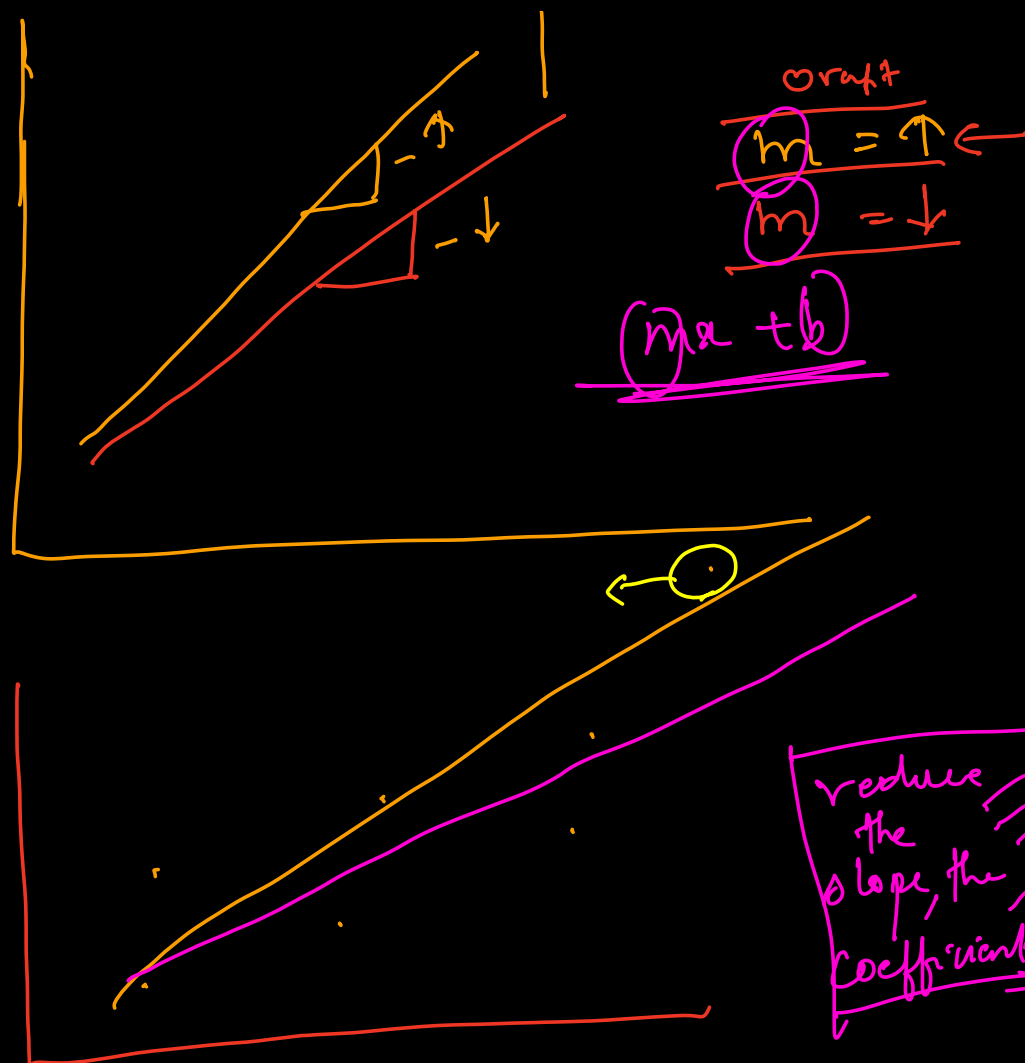
High Bias

Underfitted

Model is simple



If there is a small change in train data there won't be a big change in the model



1. Ridge Regression
2. Lasso Regression
3. Elastic Net Regression

Ridge Regression (12)

$$\text{Cost MSE} = \frac{\sum (y - \hat{y})^2}{n}$$

$$\text{Cost} = \frac{\sum (y - (m \cdot x + b))^2}{n}$$

Objective = find m and b where Cost is minimum

Started with Random numbers ↓

Penalize my Cost function
whenever you chose big Random numbers

$$\text{Cost} = \frac{\sum (y - (\beta_0 + \beta_1 x))^2}{n} + \lambda \sum_{j=1}^n \beta_j^2$$

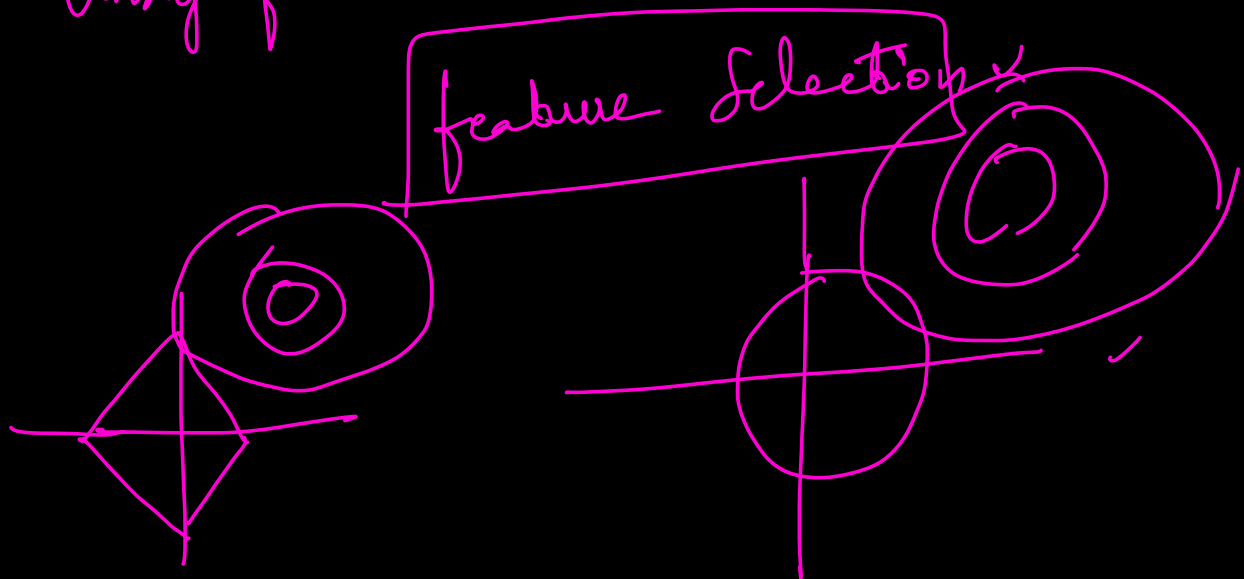
Make the slope of Unsignificant Column near to Zero

Lasso Regression (L1)

Least Absolute and Selection Operation:

$$\text{Cost} = \sum_{i=1}^n (y_i - (\beta_0 + \beta_1 x_i))^2 + \lambda \sum_{j=0}^p |\beta_j|$$

Unsignificant column will become Zero



$$\text{Salary} = 5000 + \underline{2.5} \text{ Experience} + \underline{1.0} \text{ Education} + \underline{0.02} \text{ phone number}$$

$$\text{Salary} = 4000 + 2.45 \text{ Experience} + \underline{0.8} \text{ Education} + \underline{0} (\text{phone number})$$

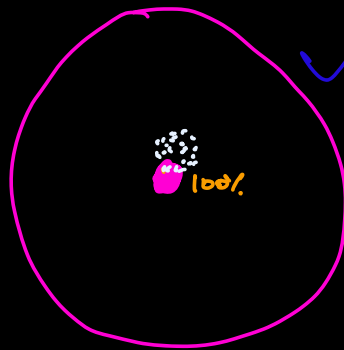
Shrinks the less important features coefficient

Elastic Net

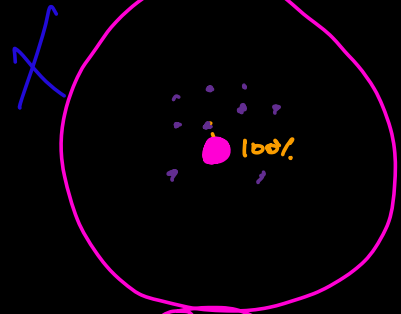
$$\text{Cost} = \sum_{i=1}^n (y_i - (\beta_0 + \beta_1 x_i))^2 + \lambda \left(\sum_{j=1}^p \beta_j^2 + \alpha \sum_{j=1}^p |\beta_j| \right)$$

Low
Bias

Low
Variance



Regularization
High
Variance ✓



more information to
increase model
complexity

High Bias

