

b. time complexity: $O(E \log E) + O(E \log n)$

because:

sorting the edges in decreasing order : $O(E \log E)$,

going through the edges with a loop: $O(E)$

each find and union is $O(\log n)$

space complexity : $O(n)$ because we use extra data structure to keep track of parent, height and adjacency list which they need spaces based on number of nodes

C.

In Kruskal algorithm : time complexity : $O(E \log E + E \log n)$ and space complexity : $O(n)$

In prim algorithm : time complexity: $O(E \log n)$ and space complexity is: $O(n + E)$

In reverse Kruskal algorithm: time complexity : $O(E \log E) + O(E \log n)$ and space complexity : $O(n)$

Prim has a better time complexity than two other algorithms when the graph is sparse but when the graph is dense prim has a worse time complexity than two other algorithm.

Choosing the appropriate algorithm depends on the situation, data we have and our priorities.