

Euclidean algorithm for finding GCD

$$\text{gcd}(a,b) = \begin{cases} b & \text{if } a=0 \\ \text{gcd}(b \% a, a) & \text{otherwise} \end{cases}$$

extended euclidean Algorithm

The extended version also finds a way to represent GCD in terms of a and b , i.e., coefficient of $x \equiv y$

$$a \cdot x + b \cdot y = \text{gcd}(a,b)$$

All we need is to figure out how the coefficients $x \equiv y$ change during the transition from (a,b) to $(b \bmod a, a)$

let us assume coefficients

$$(x_1, y_1) \text{ for } (b \bmod a, a)$$

$$(b \bmod a)x_1 + a \cdot y_1 = g \rightarrow 0$$

and we want to find pair (x,y) to (a,b)

$$a \cdot x + b \cdot y = g \rightarrow 0.$$

we can represent $b \bmod a$ as

$$\boxed{b \bmod a = b - \left\lfloor \frac{b}{a} \right\rfloor \cdot a}$$

after removing terms

$$g = (b \bmod a)x_1 + a \cdot y_1$$

We found values of x and y

$$\boxed{\begin{aligned} x &= y_1 - \left\lfloor \frac{b}{a} \right\rfloor x_1 \\ y &= x_1 \end{aligned}}$$

Implementation:

```
int gcd(int a, int b, int &x, int &y)
{
    if(a==0)
        x=0;
        y=1;
    return b;
}
```

```
int x1,y1;
```

```
int d = gcd(b%a, a, &x1, &y1);
```

```
x = y1 - (b/a)*x1;
```

```
y = x1;
```

modular inverse by extended euclidean

```
int x,y  
int g = gcd(a,m,x,y)
```

```
if(g!=1)  
cout << "no solution"
```

```
else
```

```
x = (x%m+m)%m; // x may be negative, in order to avoid negative
```

```
cout << x << endl; // we add m.
```

20/09/19

subset sum by dp:

```
bool isSubsetSum (int set[], int n, int sum);  
bool subsetSumUtil (int set[], int n, int sum);
```

```
for (int i=0; i<n; i++)
```

```
subset[i][j] = true;
```

```
subset[0][0] = false;
```

```
for (int i=1; i<n; i++)
```

```
for (int j=1; j<sum; j++)
```

```
if (j < set[i-1])
```

```
subset[i][j] = subset[i-1][j];
```

if ($j \geq set[i-1]$)
 $subset[i][j] = subset[i-1][j] \cup$
 $subset[i-1][j-set[i-1]]$

3

```
return subset[n][sum];
```

3

```
int main ()
```

```
int set [] = {3,3,4,4,12,5,23};
```

```
int sum=9;
```

```
int n = sizeof (set) / sizeof (set[0]);  
if (isSubsetSum (set, n, sum) == true)
```

```
cout << "subset found".
```

```
else cout << "subset not found".
```

4

answering

Next greater number with same set of digits

~~ex~~: 218765

Output: 251678

algorithm:

- algorithm:

 - 1) from end of array traverse till $a[i-1] < a[i]$ is reached
 - 2) if found then from with $i-1$ traverse till

~~last~~ ~~current~~ (then ~~break~~)
 add $\{^i\}$ ~~last~~ ~~current~~ (then ~~break~~)
 now scrap (end, $i-1$) elements
 then reverse segment (end + 1, $i\}$)

c) point away

Tag: DP

Tag: DP

```
return minIndex);
```

Ex. pp. 10, 5, 7, 10

(skip first & last task)

EN:

۲۷

$$^{o\text{nc}} = ^{o\text{nc}} \text{new}$$

$\text{incl} = \text{incl-new}$;

`int each_new= incl; // when excess task
selected so this not included current task
else it must be included,`

$$\text{incl_new} = \text{anc}[\text{?}] + \min(\text{incl}, \text{excl});$$

for (i=1; peni++)

$\text{ent} \equiv \text{incl} = \text{out}(c)$

~~if~~ ($n \leq 0$) return 0;

```
int mintime (int arr[], int n)
```

24-09-2019

Longest increasing subsequence (LIS)

ex: arr = [3, 10, 2, 1, 20] (3, 10, 20)

length of LIS = 3

```
int lis(int arr[], int n)
{
    int lis[n];
    lis[0]=1;

    for(i=1; i<n; i++)
    {
        lis[i]=1;
        for(j=0; j<i; j++)
        {
            if(arr[i]>arr[j] & lis[j]<
            lis[i])
            lis[i] = lis[j]+1;
        }
    }
    return lis[n-1];
}
```

lis[i]=j

ans.push_back(i);

ans.push_back(sol[i]);

for (i=ans.size()-1; i>=0; i--)
cout << strAns[i] << " ";

25-09-10 cutting rod to maximize profit:

ex: length 1 2 3 4 5 6 7 8

price

output is 22

length 6 + length 2

y

return

*maxElement(lis, lis[n]), -

// returns max of array lis.

to print LIS start with index which has max value in lis[i] array

and move back

for (i=1; i<n; i++)
dp[i]=prices[i];

let prices be the array, dp be solution

has max value in lis[i]

and move back

for pointing LIS let it be lis

find max index in lis then

"Index" then

ans.push_back(index);

for (i=index; i>0) (i)

ans.push_back(sol[i]);

i = sol[i];

initialize sol[1] with -1

$\text{dproj} = 0;$

$\theta = \pi/2$ just

just copy diagonal element

for (k=2; k<=n; k++)

for $(\mathbf{R}, \mathbf{q} + \mathbf{i})$ and $(\mathbf{R}, \mathbf{q} - \mathbf{i})$

$$dp^{ck}_j = \max\{dp^{ck}_j', dp^{ck}_j + dp^{(i-k)}_j\}$$

out < cd \$HOME;

25/10/19

edit distance: minimum cost to convert one string to another

Sto₁ to Sto₂ decreased ($p < 0.05$)

(c) Insert

(iii) replace.

any operation

卷之三

→ insert
| Remove.

It's a great place to go shopping.

Replace	Remove
$\min(\text{Replace}, \text{Insert-Remove})$	$\min(\text{Replace}, \text{Insert})$

long int minimumeditdistance (string str1, string str2)

long int p = str1.length(), q = str2.length;

long int dpcpj[i][q+1];

dpcj[0] = p; i++;

dpcj[q+1] = q; i++;

for (i=0; i<=q; i++) dpcj[i] = i;

for (i=1; i<=p; i++) dpcpj[i] = i;

for (i=1; i<=q; i++) dpcpj[i] = i;

if (str[i-1] == str[j-1])

dpcj[i] = dpcj[i-1];

else

dpcj[i] = minimum(dpcj[i-1],

dpcj[i-1]+1, dpcj[i-1]);

for (i=0; i<=len; i++) dpcj[i] = 0;

for (i=0; i<=len; i++) dpcj[i] = i;

for (i=1; i<=len; i++) { // code for LCS

{ if (str[i-1] == rev[j-1])

for (j=1; j<=len; j++) {

if (str[i-1] == rev[j-1])

dpcj[i] = max(dpcj[i-1], dpcj[i-1]+1);

else

dpcj[i] = max(dpcj[i-1], dpcj[i-1]);

return dpcpj[q];

}

}

else

dpcj[i] = max(dpcj[i-1], dpcj[i-1]);

long int longest_palindromic_subsequence (string str)

longest CommonSubsequence (LCS), let
str1 be given string, make str2 as
by reversing the given string then
find LCS

long int longest_palindromic_subsequence (string str)

long int len = str.length();

long int dpcj[len+1][len+1];

string rev = str;

reverse (rev.begin(), rev.end());

for (i=0; i<=len; i++) dpcj[i] = 0;

for (i=0; i<=len; i++) dpcj[i] = i;

for (i=1; i<=len; i++) { // code for LCS

{ if (str[i-1] == rev[j-1])

for (j=1; j<=len; j++) {

if (str[i-1] == rev[j-1])

dpcj[i] = max(dpcj[i-1], dpcj[i-1]+1);

else

dpcj[i] = max(dpcj[i-1], dpcj[i-1]);

}

}

}

12-11-19

Disjoint Union Set Union:

At beginning every element starts as single element set



void makeSet(int v)

{ parent[v] = v; size[v] = 1; }

if (size[a] < size[b]) { attaching lower weight tree to higher weight

Swap(a,b); parent[b] = a; size[a] += size[b]; }



*max sum of subsequence such that no two adjacent elements are taken (Stackless thief)

dp[i] = max (dp[i-2]+arr[i], dp[i-1])

int find_set(int v)

{ if(v == parent[v]) return v;

return parent[v] = find_set(parent[v]); }

return parent[v] = find_set(parent[v]);

This is for path compression

dp[i-1] is case, when thief decided to not to stole the house.

```
void unionSetc(int a, int b)
{
    a = find_set(a);
    b = find_set(b);
    if(a==b)
```

```
    { if(size[a]<size[b]) { attaching lower weight
        Swap(a,b);
        parent[b]=a;
        size[a] += size[b];
    }}
```

```
    parent[a] = b;
    size[b] += size[a];
}
```


7-12-19

minimum no.of jumps to reach end

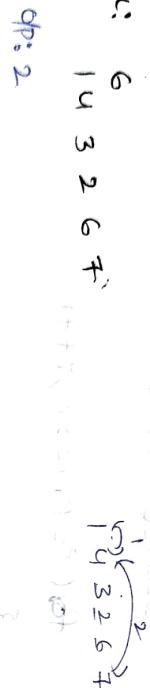
Given an array where each element represents the max number of steps that can be made forward from that element, find

minimum number of jumps to reach end of array , if an element is 0 then cannot move through that element.

ex:

6
1 4 3 2 6 7

op: 2



```
int solve(int arr[], int n)
{
    if(n==1) return 0;
    if(arr[0]==0) return -1;
}
```

```
int max_index, jumps, steps;
```

```
max_index = steps = arr[0];
```

```
jumps = 1; steps++;
```

```
for(i=1; i<n; i++)

```

```
    if(i==n-1) return jumps;
```

```
    max_index = max(max_index, arr[i]);
    steps--;

```

```
    if(steps==0)

```

```
        jumps++;

```

```
        if(i>=max_index)

```

```
            return -1;
        steps = max_index-i;
    }
}
```

11-12-19

frequency of array elements (1...n) in O(1) extra space and O(n) time,

$1 \leq A_i \leq N$

```
void printfrequency(int arr[], int n)
```

```
{ for(j=0; j<n; j++)

```

cout << arr[j] << endl; // to make sure all elements are in ~~arr~~

```
    for(i=0; i<n; i++)

```

```
        arr[arr[i]%n] = arr[arr[i]%n] + n

```

cout << arr[0]/n << "\n";

lower-bound & upper-bound:

`lower-bound(vec.begin(), vec.end(), num)`

`upper-bound(vec.begin(), vec.end(), num)`

```
int knapsack(int w, int wt[], int val[], int n)
{
    if(n==0 || w==0)
        return 0;
```

lower-bound:

(i) Single occurrence of num, returns pointer to position of num.

(ii) multiple occurrence (pointer of num) returns first position of num.

(iii) no occurrence of num returns higher number than num

Subsetting the pointer to by `vec.begin()`
returns actual index

`int index=itr->begin()`

upper-bound:

(i) Single occurrence of num returns pointer to position of next higher number than num

(ii) multiple occurrence of num. Returns pointer to first position of next higher number than last occurrence of num,

(iii) no occurrence of num returns pointer to position of next higher number than num.

```
int knapsack(int w, int wt[], int val[], int n)
{
    if(n==0 || w==0)
        return 0;
    else if(wt[0]>w)
        return 0;
    else
    {
        int dp[n+1][w+1];
        for(i=0; i<n; i++)
            for(j=0; j<=w; j++)
                if(i==0 || j==0)
                    dp[i][j]=0;
                else if(j>=wt[i])
                    dp[i][j]=max(val[i]+dp[i-1][j-wt[i]], dp[i-1][j]);
                else
                    dp[i][j]=dp[i-1][j];
    }
    return dp[n][w];
}
```

0/1 knapsack with duplicates allowed

```
int unboundedKnapsack(int w, int n, int val[], int wt[])
```

{

```
int dp[w+1];
```

```
memset(dp, 0, sizeof(dp));
```

```
int ans=0;
```

```
for(int i=0; i<=w; i++)
```

```
    for(int j=0; j<=n; j++)
```

```
        if (wt[j] <= i)
```

```
            dp[i][j] = max(dp[i][j], dp[i-wt[j]][j]+
```

```
val[j]);
```

```
return dp[w];
```

1-2-20

longest common substring:

ex: x = "GeeksforGeeks" y = "GeeksQuiz"

output: 5

as subsequences

this is similar to LCS

ex: str1 = "geek" str2 = "eke"

Output: geek

int longestCSubstr(string x, string y)

int xlen = x.length(), ylen = y.length();

```
int dp[xlen+ylen+1][ylen+1];
```

```
for(i=1; i<=xlen; i++)
```

```
    for(j=1; j<=ylen; j++)
```

```
        if (x[i-1] == y[j-1])
```

```
            dp[i][j] = dp[i-1][j-1] + 1;
```

maxlen = max (maxlen, dp[i][j]);

y

x

return maxlen;

1-2-20

shortest common supersequence,

Given two strings str1, str2 find the

Shortest string that has both str1, str2

as subsequences

1-2-20

2

```
int scs(string str1, string str2)
```

```
t = int(input());
```

```
for _ in range(t):
```

```
n = int(input());
```

```
mp = list(input().split());
```

```
str = input();
```

```
len1 = len(str);
```

```
len2 = len(str);
```

```
dp = [[False] * (len1 + 1) for _ in range(len2 + 1)];
```

```
for i in range(len1 + 1):
```

```
    if(str[i - 1] == str[i]):
```

```
        dp[i][i] = True;
```

```
for i in range(1, len1 + 1):
```

```
    for j in range(1, len2 + 1):
```

```
        if(str[i - 1:j] in mp):
```

```
            dp[i][j] = dp[i - 1][j - 1] | dp[i - 1][j];
```

```
        else:
```

```
            dp[i][j] = dp[i - 1][j];
```

```
    if(dp[i][len2]):
```

```
        print("YES")
```

```
else:
```

```
    print("NO")
```

it is similar to LCS,

5/2/2020

word break problem: Given a input string and a dictionary of words s. find out if the input string can be segmented into sequence of dictionary words.

ex: likeSamsung

like, sam, sung, samsung, mobile, icey

YES

minimum cost to make string free of a Subsequence.

Given a string str, and an array arr, remove characters from the given string such that no subsequence forms the string "code", cost of removing str[i] is arr[i], minimize cost and to the task.

Ex: str = "ccode", arr = {3, 2, 1, 3, 2, 1, 6}

Output: 4 (Remove both 'e')

```
int findCost(string str, int arr[], int n)
```

```
{ int cost0, cost1, cost2; }
```

```
cost0 = cost1 = cost2 = 0;
```

for (int i=0; i<n; i++)

```
{ if (str[i] == 'c')
```

cost0 = cost0 + arr[i];

```
else if (str[i] == 'o')
```

cost0 = min(cost0, cost0 + arr[i]);

```
else if (str[i] == 'd')
```

cost0 = min(cost0, cost0 + arr[i]);

```
else if (str[i] == 'e')
```

cost0 = min(cost0, cost0 + arr[i]);

```
return cost0;
```

Sieve of eratosthenes:

```
void Sieve(int n)
```

```
{ bool prime[n+1];
```

```
memset(prime, true, sizeof(prime));
```

```
for (int p=2; p*p<=n; p++)
```

```
{ if (prime[p]==true)
```

```
for (int i=p*p; i<=n; i+=p)
```

```
prime[i]=false;
```

3 = 3*3*3 (1-120) 3^3 = 27

time complexity: $O(n \log(\log(n)))$

($n = 10^6$) $\Rightarrow 3^{18}$

Check whether a given graph is Bipartite or Not

g // end function

```

bool isBipartite(int G[][MAX], int v)
{
    queue <int>q;
    int vis[MAX][COLNO], i, j, v;
    memset(vis, 0, sizeof(vis));
    memset(col, -1, sizeof(col));
    for(j=0; j<n; j++)
    {
        if(vis[j][j]==1) break;
        continue;
        q.push(j); vis[j][j]=1; col[j]=0;
        while(!q.empty())
        {
            v=q.front(); q.pop();
            for(i=0; i<n; i++)
            {
                if(G[v][i])
                {
                    if(vis[i][v]==0)
                    {
                        q.push(i), vis[i][v]=1;
                        if(col[i]==-1)
                            col[i]=!col[v];
                        else if(col[i]==col[v])
                            return false;
                    }
                }
            }
        }
    }
    return true;
}

```

g // end while.

return true;

g // end function

bool isBipartite(int G[][MAX], int v)

{

queue <int>q;

int vis[MAX][COLNO], i, j, v;

memset(vis, 0, sizeof(vis));

memset(col, -1, sizeof(col));

for(j=0; j<n; j++)

// for disconnected components

{

if(vis[j][j]==1) break;

continue;

q.push(j); vis[j][j]=1; col[j]=0;

while(!q.empty())
{

v=q.front(); q.pop();

for(i=0; i<n; i++)
{

if(G[v][i])
{

if(vis[i][v]==0)
{

q.push(i), vis[i][v]=1;

if(col[i]==-1)
{

col[i]=!col[v];

else if(col[i]==col[v])
{

return false;

}

}

}

}

}

}

}

01-03-20 Given undirected, connected weighted graph
Kruskal's algorithm for minimal spanning tree.

#include<bits/stdc++.h>
using namespace std;

bool cmp(pair<ll, pair<ll, ll>>p1, pair<ll, pair<ll, ll>>p2)
{

if(p1.first < p2.first)
{

return true;

return false;

return par[i].first < par[j].first;

return i;

return par[par[i]]!=findpar(par[i].par);

return par[par[j]]!=findpar(par[j].par);

return par[par[i]]==par[par[j]];

return par[par[i]]<par[par[j]];

return par[par[i]]>par[par[j]];

$c_{in} > t_j$

```
cout << "minimum spanning tree cost is " << cost << endl;
```

while (t--)

Y // time complexity $O(E \log E)$ or $O(E \log V)$

```
vector<L> g[n+1];
```

卷之三

```
vector<pair<ll, pair<ll, ll>>> edges;
```

Given weighted directed graph,

```
for(i=0; i<n; i++) parity[i] = 0;
```

```
for(i=0; i<m; i++)  
    cout >> w >> v >> c;
```

`edges_pb({c, u, v})`;

gluJ.p6(N);

卷之三

soil.edges.deg[m], edges.end(), cmp);

for (auto iter = edges.begin(); iter != edges.end(); ++iter)

$U = \text{itr.S.F}$; $V = \text{itr.S.S}$;

```
uz = find-par(x,par);  
v = find-par(y,par);
```

$$\text{cost} = \text{ctr} \cdot F$$

Pseudo code

let $dist[V \times V]$ be contains distances,

```

for(k=0;k<V;k++)
    for(i=0;i<V;i++)
        for(j=0;j<V;j++)
            if( dist[i][k]+dist[k][j] < dist[i][j])
                dist[i][j]=dist[i][k]+dist[k][j];

```

detecting negative weight cycle:
any element in diagonal of distance matrix
is negative, then negative weight cycle is present
because, initially length of path (i,i) is zero
A path linking can only improve upon this
if it has length less than zero (ie) denotes
a negative cycle.

0003-20

Diameter of a tree (Diameter is the longest path between two nodes of a tree)

```

int main()
{
    int nLab;
    cin>>nLab;
    vector<int> arr(nLab);
    for(i=0;i<nLab;i++)
        arr[i].push_back(6), arr[i].push_back(5);
    maxD=-1;
    dfs(1,0);
    memset(vis,0,sizeof(vis));
    maxD=-1;
    dts(maxNode,0);
    cout<<maxD;
}

void dfs(int node,int d)
{
    vis[node]=1;
    if(d>maxD)
        maxD=d, maxNode=node;
    for(int child:arr[node])
        if(vis[child]==0)
            dfs(child,d+1);
}

```

28-03-20

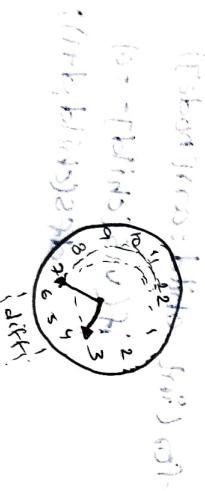
find angle between hour hand and minute hand.

we first find the angle of hour and minute w.r.t 12'oclock then subtract difference of them, we get angle between them, inorder to get smaller angle we print min(ans, 360-ans)

```

int main()
{
    int t;
    double h,m,ans;
    cin>>t;
    while(t--)
    {
        cin>>h>>m;
        if(m==60)
            m=0;
        double angle_h = h*30 + m*0.5;
        double angle_m = m*6;
        ans = fabs(angle_h - angle_m);
        cout << int(min(ans, 360-ans)) << endl;
    }
    return 0;
}

```



34/20

Segment tree

segment tree can perform update and range operations in $O(\log n)$, following code finds all inputs are indexed, minimum in segment tree

```

int main()
{
    int arr[4*100005];
    if (tree[4*100005] < 0)

```

```

        cout << "No answer found"
    else
        cout << tree[4*100005];
    for (i=0; i<n; i++)
        cin>>arr[i];
    build(arr, 1, 0, n-1);
    cin>>type;
    if (type=='U')
        cin>>x;
    else
        cin>>r;
    update(arr, 1, 0, n-1, x, r);
    cout << range_min(arr, 1, 0, n-1) << endl;
}

```

```

int range_min(int arr[], int l, int r)
{
    if (l > r)
        return INT_MAX;
    if (l == r)
        return arr[l];
    int mid = (l+r)/2;
    return min(range_min(arr, l, mid), range_min(arr, mid+1, r));
}

```

```

void build(ull arr[], ll v, ll l, ll r)
{
    if(l==r)
        tree[v]=arr[l];
    else
        {
            ll mid=(l+r)/2;
            build(arr, 2*v, l, mid);
            build(arr, 2*v+1, mid+1, r);
            tree[v]=min(tree[2*v]+tree[2*v+1]);
        }
}

void update(ll arr[], ll v, ll l, ll r, ll x, ll y)
{
    if(l==r)
        tree[v]=y;
    else
        {
            arr[v]=y;
            return;
        }
}

ll mid=(l+r)/2;

if(x<=x && x<=mid)
    update(arr, 2*v, l, mid, x, y);
else
    update(arr, 2*v+1, mid+1, r, x, y);

tree[v]=min(tree[2*v], tree[2*v+1]);
}

```

```

11 range-min(int arr[], int v, int s, int e, int l, int r)
12 {
13     if(s > r || l > e)
14         return INT-MAX;
15     if(l <= s & e <= r)
16         return tree[v];
17
18     int mid = (s+e)/2;
19
20     return min(range-min(arr, 2*v, s, mid, l, r),
21                range-min(arr, 2*v+1, mid+1, e, l, r));
22 }
23
24 // Reversing a linked list
25 void reverse(node *head)
26 {
27     node *curr, *forward, *pre;
28     curr = head->next;
29     pre = head;
30
31     while(curr != NULL)
32     {
33         forward = curr->next;
34         curr->next = pre;
35         pre = curr;
36         curr = forward;
37     }
38 }

```

~~Construct a Binary Tree from Postorder and Inorder~~

```

Node * buildtree(int in[], int post[], int n)
{
    int idx = n-1; // for preorden set idx=0;
    return construct(0, n-1, &idx, in, post);
}

Node * construct(int l, int r, int *idx, int in[], int post[])
{
    if(l>r) return NULL;

    int currroot = post[*idx];
    (*idx)++; // ++ if preorden

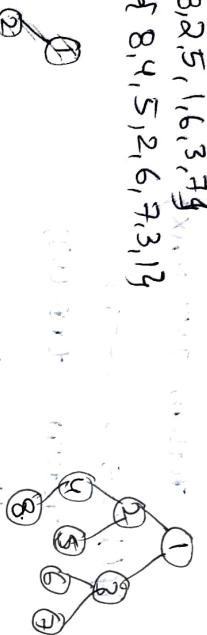
    Node *node = (struct Node*) malloc(sizeof(struct Node));
    node->data = currroot;
    node->left = node->right = NULL;

    int currL = l;
    int currR = r;
    while(currL <= currR && in[currL] != currroot)
        currL++;

    node->right = construct(currL+1, r, idx, in, post);
    node->left = construct(l, currL-1, idx, in, post);

    return node;
}

```



reverse linked list in groups of size K
Node *reverse(Node *head, int K)

merge overlapping intervals.

```

void merge_intervals(vector<pair<int,int>>&arr, int n)
{
    sort(arr.begin(), arr.end(), cmp);

    pre_end = arr[0].S
    min_start = arr[0].F
    id = 0;
    for(i=1; i<n; i++)
    {
        if(arr[i].F <= pre_end)
            pre_end = max(arr[i].S, pre_end);
        else
            arr[id].F = min_start;
            arr[id].S = pre_end;
            id++;
            pre_end = arr[i].S
            min_start = arr[i].F
    }
    arr[id].F = min_start;
    arr[id].S = pre_end;
}

for(i=0; i<id; i++)
    cout << arr[i].F << " " << arr[i].S << endl;
cout << endl;

```

Ex: In: [[1,3],[2,4],[5,8],[9,10]]
Op: [[1,4][5,8],[9,10]]

temp = head;

185-20 Egg dropping puzzle

```
while(temp!=NULL && temp->next!=NULL) {
    if(temp->arb==NULL) // assigning random pointers
        to clone nodes.
        temp->next->arb = temp->arb->next;
    else
        temp->next->arb = NULL;
    temp = temp->next->next;
}

clone_head = head->next;

temp = head; clone = clone_head;
while(clone!=NULL && temp!=NULL) {
    if(temp->next==NULL)
        temp->next = temp->next->next;
    temp = temp->next;
    temp = temp->next->arb;
    if(clone->next==NULL)
        clone->next = clone->next->next;
    clone = clone->next;
}

return clone_head;
```

```
int egg_drop (int e, int n) {
    int dp[e+1][n+1];
    for(i=1; i<=e; i++)
        dp[i][0] = i;
    for(i=1; i<=e; i++)
        for(j=1; j<=n; j++) {
            if(dp[i][j]==0) // if one floor one trail,
                dp[i][j]=i;
            else
                dp[i][j] = min(dp[i-1][j], dp[i][j-1]);
                if(dp[i][j]<INT_MAX)
                    dp[i][j] = max(dp[i][j], dp[i-1][j-1]+1);
        }
    return dp[e][n];
}
```

eggs - floors

matrix chain multiplication

$$\frac{B}{\frac{40,20,30}{A}} \cdot \frac{D}{\frac{10,30}{C}}$$

for n, n-1 matrices will be

```
memset(dp,0,sizeof(dp));
```

```
int mcm(int l, int r)
```

```
{ if(l==r) return 0;
```

```
if(dp[l][r]==-1) {
```

```
    if(dp[l][r]==-1)
        return dp[l][r];

```

```
int ans=INT_MAX,temp;
```

```
for(i=l;i<r;i++)
```

```
temp=mcm(l,i)+mcm(i+1,r)+dp[0][l]*ans[i]*ans[r];
```

```
if(temp<ans) { ans=temp; i++; }
```

```
if(i==r) { dp[l][r]=ans; return ans; }
```

```
cout<<dp[l][r]; i++;
```

```
return dp[l][r];
```

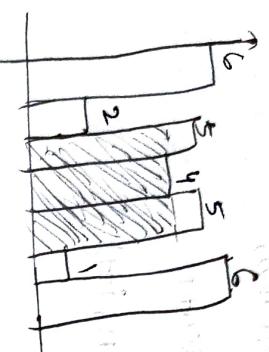
3

```
ex: [40,20,30,10,30]
```

```
op: 26000
```

tabulation for matrix chain multiplication.

Largest Rectangular Area in Histogram.



```

int max_area(int arr[], int n)
{
    int i = 0, max_area = 0, i_top;
    stack<int> s;
    while (i < n)
    {
        if (s.empty() || arr[s.top()] <= arr[i])
            s.push(i++);

        else
            -top = s.top(); s.pop();
            curr_area = arr[-top] * (s.empty() ? i - top - 1 : i - s.top() - 1);
            max_area = max(max_area, curr_area);
    }
    return max_area;
}

```

Coin change problem:

We have infinite supply of given coins in how many ways we can obtain given amount.

```

int change(int amount, vector<int>&coins)
{
    int i, j, n = coins.size(), coin;
    int dp[amount + 1];
    dp[0] = 1;
    for (i = 0; i <= amount; i++)
    {
        for (j = 0; j < n; j++)
        {
            if (coin > j) dp[i][j] = dp[i][j] + dp[i - j][j - coin];
        }
    }
    return dp[amount];
}

```

we can't cover any amount except amount zero obtained from any denomination just taking none of them

29-06-20

Celebrity problem
you are given a grid $grid[i][j]$ where $grid[i][j]$ represent whether person j is known to i . celebrity doesn't know anyone, and everyone knows celebrity.

```
int getId(int grid[MAX][MAX], int n)
{
    int candidate = 0;
    for(i=0; i<n; i++)
        if(grid[candidate][i] == 1)
            candidate = i;
    // checking candidate is really celebrity
    for(i=0; i<n; i++)
        if(i==candidate) continue;
        if(grid[candidate][i] != grid[candidate][i])
            return -1;
    return candidate;
}
```