

(91)

- 1] Every child sees some witch no. witch has both a black cat and a pointed hat.
- 2] Every witch is good or bad.
- 3] Every child who sees any good witch gets candy.
- 4] Every child that is bad has a black cat.
- 5] Every child that is seen by any child has pointed hat.

→ a] Facts into FOL.

- 1) $\exists x \forall y$ (child (x) , witch $(y) \rightarrow \text{sees}(x, y)$)
 $\wedge \forall y$ (witch $(y) \rightarrow \text{has}(y, \text{black cat}) \wedge \text{has}(y, \text{pointed hat})$)
- 2) $\exists y$ (witch $(y) \rightarrow \text{good}(y) \vee \text{bad}(y)$)
 $(y, \text{pointed hat})$
- 3) $\forall x$ (sees $(x, y) \rightarrow (\text{witch}(y) \rightarrow \text{good}(y)) \rightarrow \text{get}(x, \text{candy})$)
- 4) $\forall y$ (witch $(y) \rightarrow \text{bad}(y) \rightarrow \text{has}(y, \text{black hat})$)
- 5) $\forall y$ (sees $(x, y) \rightarrow \text{has}(y, \text{pointed hat})$)

b] FOL into CNF.

- i) $\exists x \forall y$ (child (x) , witch $(y) \rightarrow \text{sees}(x, y)$)
 $\rightarrow \neg \exists y$, (witch $(y) \rightarrow \text{has}(y, \text{black cat})$)
 $\rightarrow \neg \exists y$ (witch $(y) \rightarrow \text{has}(y, \text{pointed hat})$)
- 2] $\forall y$ (witch $(y) \rightarrow \text{good}(y)$)
 $\forall y$ (witch $(y) \rightarrow \text{bad}(y)$)
- 3] $\forall x$ (bad $(y) \rightarrow \text{has}(y, \text{black hat})$)
- 4] $\forall y$ (seen $(x, y) \rightarrow \text{has}(y, \text{pointed hat})$)
- 5] $\neg \forall y$ (seen $(x, y) \rightarrow \text{has}(y, \text{black hat})$)

{ good v badly }

2 y. 1900 v had?

{ 2 / black cont v)

has (god, pointed)

lets v get (x and y)

seen (x-god) v

get(x, candy)

2] Example :-

$$\rightarrow \eta \vee x(\text{boy}(x) \vee \text{girl}(x) \wedge \text{child}(x))$$

e) $\forall y \text{ child}(y) \rightarrow \text{gets}(y, \text{doll}) \vee \text{gets}(y, \text{train})$
or $\text{gets}(y, \text{coal})$.

(2) A wchayewl e lger (widoil)

iv) For all z (child(z)) and $\text{bad}(z) \rightarrow \text{gets}(z, \text{candy})$
 $\forall y$ child(y) \rightarrow $\neg \text{gets}(y, \text{train})$.

s] child (ram) → gets (ram, local)

cnf clause:-

i) boy (x) or child (x)

1. girl(x) or child(x)

2) 1 child (y) or gets (y doll) or

3) 1 boy (w) or 1 girl (w/doll)

4) 1 child (2) or 1 bad (2) or 999 (2: total)

5) 1 child (room) \rightarrow gets (room, load)

G)	bad (year).
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Q.2 Differentiate between STRIPS and ADL

STRIPS Language	ADL
① Only allow positive literals in the states. for e.g. : A Valid sentence in STRIPS is expressed as $\Rightarrow \text{Intelligent} \wedge \text{Beautiful}$	① Can support both positive & negative literals for e.g. :- Same sentence is expressed as $\Rightarrow \text{Stupid} \wedge \neg \text{ugly}$
② STRIPS stands for standard Research Institute Problem Solver	② Stands for Actions Description Language
③ Makes use of closed world assumption (i.e.) unmentioned literals are false.	③ Makes use of open world Assumption (i.e.) unmentioned literals are unknown.
④ We only can find ground literals in goals for e.g. :- Intelligent \wedge Beautiful	④ We can find qualified variables in goal for e.g. :- $\exists x \text{ At}(P_1, x) \wedge \text{At}(P_2, x)$ is the goal of having P_1 & P_2 in the same place in e.g. of blocks.
⑤ Goals are conjunctions for e.g. :- (Intelligent \wedge beautiful)	⑤ Goals may involve conjunction & disjunctions for e.g. :- (Intelligent \wedge (Beautiful \vee Rich))

⑥ Conditional effects are allowed \therefore when P.E. means E is an effect only if P is satisfied

⑦ Equality predicate ($X=Y$)
is build in.

⑧ Support for types for eg
: The variable P: person

Differentiate between STRIPS and ADL.

STRIPS language

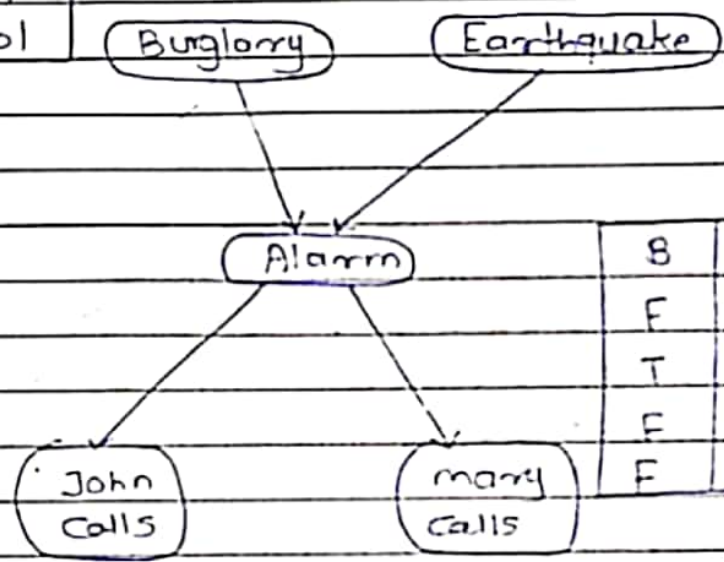
ADL

- | | |
|---|--|
| 1) Only allows positive literals in the states. | Can support both positive & negative literals. |
| 2) STRIPS stand for standard Research Institute problem Solver. | stands for action description language. |
| 3) we only can find ground literals in goals. | we can find qualified variables in goal. |
| 4) makes use of closed world assumption unmentioned literals are false. | makes use of open world assumption unmentioned literals are unknown. |
| 5) Goals are Conjunctions for eg: (intelligent \wedge beautiful) | Goals may involve conjunction for eg: (intelligent \wedge (beautiful \wedge rich)) |
| 6) Does not support equality. | equality predicate ($x=y$) is build in. |

Q.4)

You have two neighbours

$P(B)$		$P(E)$
0.001	Burglary	0.002



B	E	$P(A)$
F	T	0.95
T	F	0.94
F	T	0.29
F	F	0.001

A	$P(T)$
T	0.09
F	0.05

A	$P(M)$
T	0.70
F	0.01

- The topology of the net indicates that
 - Burglary & earthquake affect the probability of the alarms going off.
 - whether John & Mary call depends alarm.
 - They do not perceive any burglaries directly. They do not notice minor earthquakes & they do not confer before calling.
- Mary listening to loud music & John confusing phone ringing to sound of alarm can be read from net only implicitly as uncertainly associated to calling at work.

[illegible]

- 3) The probability actually summarize potentially infinite sets of circumstances.
 - The alarm might fail to go off due to high humidity, power failure, dead battery, cut wires, & dead mouse stuck inside the bell, etc.
- 4) The condition probability tables in nlw gives probability for values of random variables depending on combⁿ of values for the parent nodes.
- 5) Each row must be sum to 1 because entries represents exhaustive set of values for the variables.
- 6) all variables are-boolean.
- 7) In general, a table for a boolean variable with k parents contains 2^k independent specific probabilities.
- 8) A variable with no parents has only one row, representing prior probabilities of each possible value of the variable.
- 9) every entry in joint full joint probability distribution can be calculated from info. in bayesian nlw.

- 10) A generic entry in joint distribution is probability of a conjunction of partial assignments to each variable $P(\alpha_1 = \alpha_1 \wedge \dots \wedge \alpha_n = \alpha_n)$ abbreviated as $P(\alpha_1, \dots, \alpha_n)$
- 11) The value of this entry is $\prod_{i=1}^n p(1, \text{Parents}(x_i) | \text{Parents}(x_i))$ where $\text{Parents}(x_i)$ denotes the specific values of the variables $\text{Parents}(x_i)$
- $P(j \wedge m \wedge a \wedge b \wedge ne)$
- = $P(j|a) P(m|a) P(a|b \wedge ne) P(b) P(ne)$
- = $0.09 \times 0.07 \times 0.001 \times 0.999 \times 0.998$
- = 0.000628

12 Bayesian n/w.

