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```
%Brain Connectivity
clear all
load('macaque71');

1)Degree and Similarity

%Node degree is the number of links connected to the node. The
indegree
% is the number of inward links and the outdegree is the number of
% outward links.

[id,od,deg2] = degrees_dir(CIJ);% calculates both outward and inward
links

figure();
subplot(2,1,1)
stem(id);
xlabel('Node no')
ylabel('Number of inward Links')
title('Node degree ')

subplot(2,1,2)
stem(od);
xlabel('Node no')
ylabel('Number of outward Links')
title('Node degree ')

[J,J_od,J_id,J_bl] = jdegree(CIJ); % joint degree distribution matrix

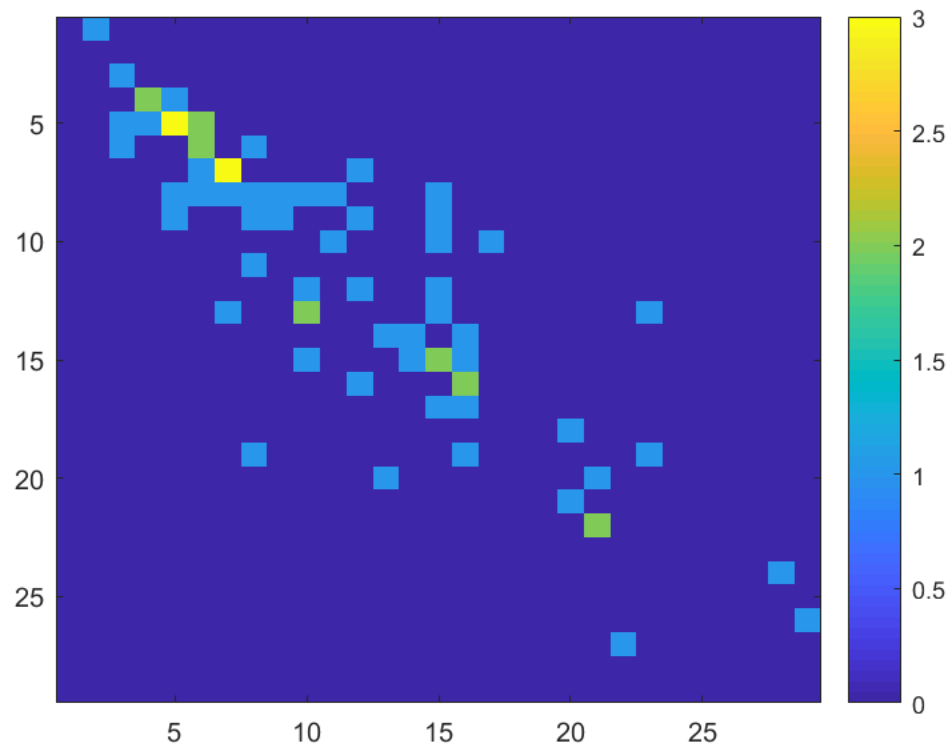
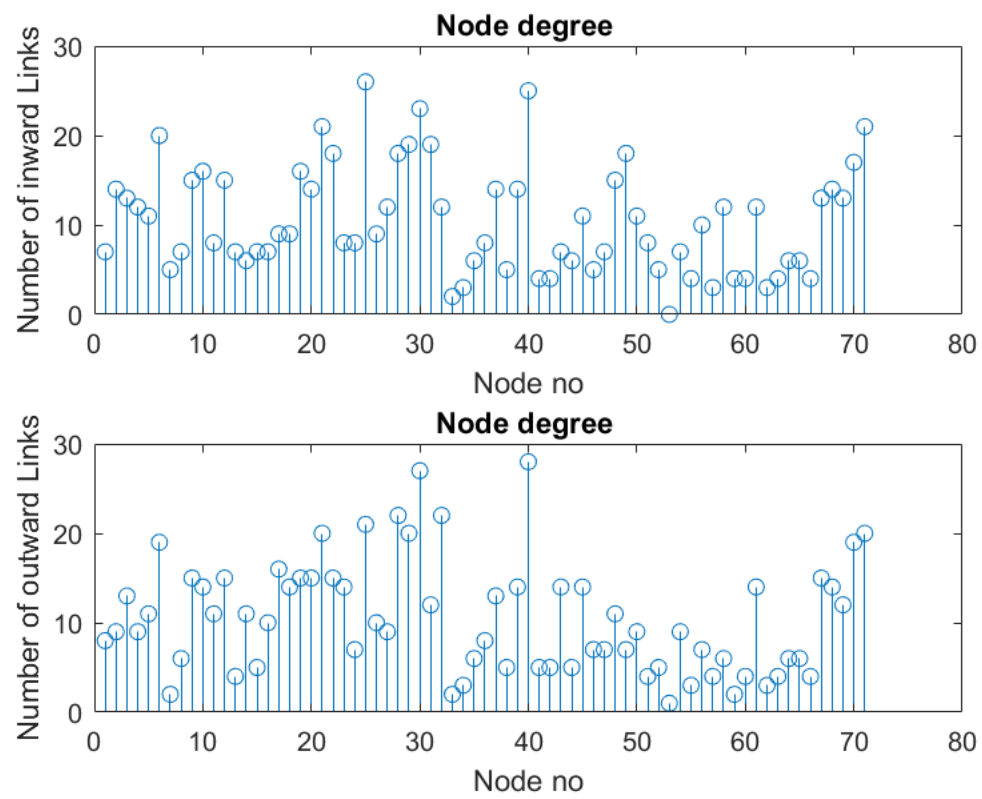
figure();
imagesc(J);
colorbar();
%

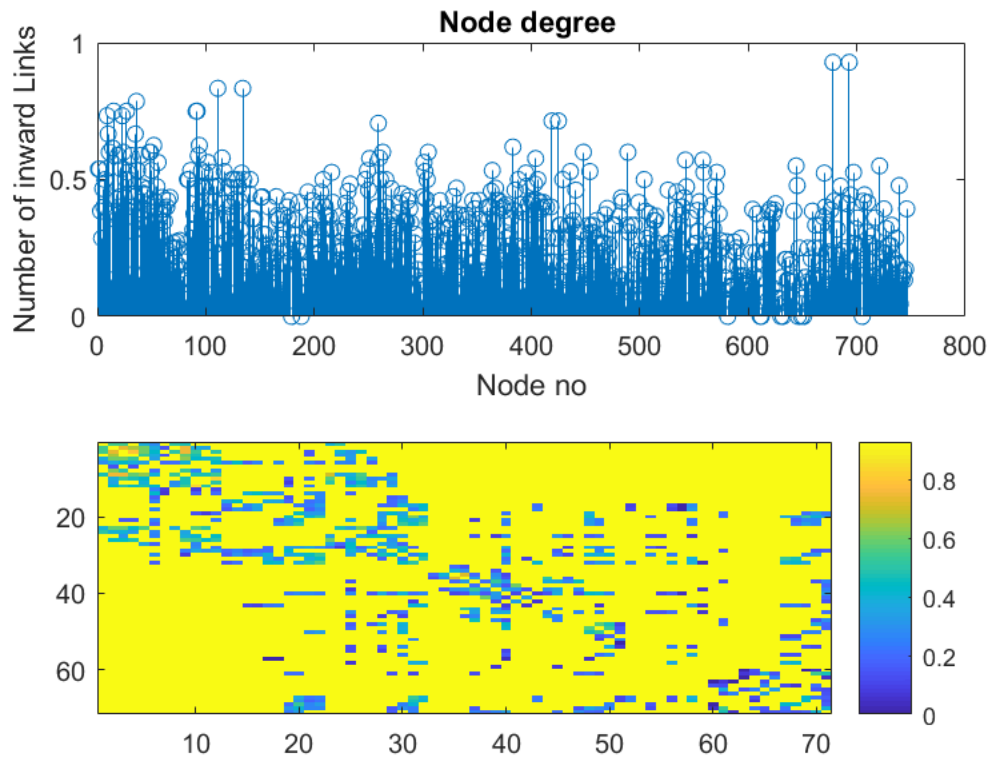
[EC,ec,degij] = edge_nei_overlap_bd(CIJ);% This function determines
the neighbors of two nodes that are linked by an edge, and then
computes their overlap.

figure();
subplot(2,1,1)
stem(ec);
xlabel('Node no')
ylabel('Number of inward Links')
title('Node degree ')

subplot(2,1,2)
imagesc(EC);
colorbar();
```

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## 2) Density and Rentian Scaling

`[kden,N,K] = density_dir(CIJ);` %Density is the fraction of present connections to possible connections. Connection weights are ignored in calculations.

## 3) Clustering and Community Structure

`C=clustering_coef_bd(CIJ);` %he fraction of triangles around a node and is equivalent to the fraction of node's neighbors that are neighbors of each other.

`T=transitivity_bd(CIJ);` %Transitivity:  
`E=efficiency_bin(CIJ,1);` % global efficiency (see below) computed on node neighborhoods, and is related to the clustering coefficient.

```
figure();
subplot(2,1,1)
stem(C);
xlabel('Node no');
ylabel('Clustering coefficient');
title('Clustering');
subplot(2,1,2)
stem(E);
xlabel('Node no');
ylabel('Efficiency Eloc');
title('Local Efficiency');
```

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```

[M,Q]=community_louvain(CIJ);%Louvain community detection algorithm
    with added finetuning.
[Ci,Q2]=modularity_und(CIJ); % MODULARITY
figure();
subplot(2,1,1)
stem(M);
xlabel('Node no');
ylabel('community affiliation vector');
title('Community structure and modularity');
subplot(2,1,2)
stem(Ci);
xlabel('Node no');
ylabel(' optimal community structure');

NCA=link_communities(CIJ);%

figure();
imagesc(NCA);
colorbar();
xlabel('Node no');
title('Nodal community affiliation vector');

hierarchy      1
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hierarchy     32

```

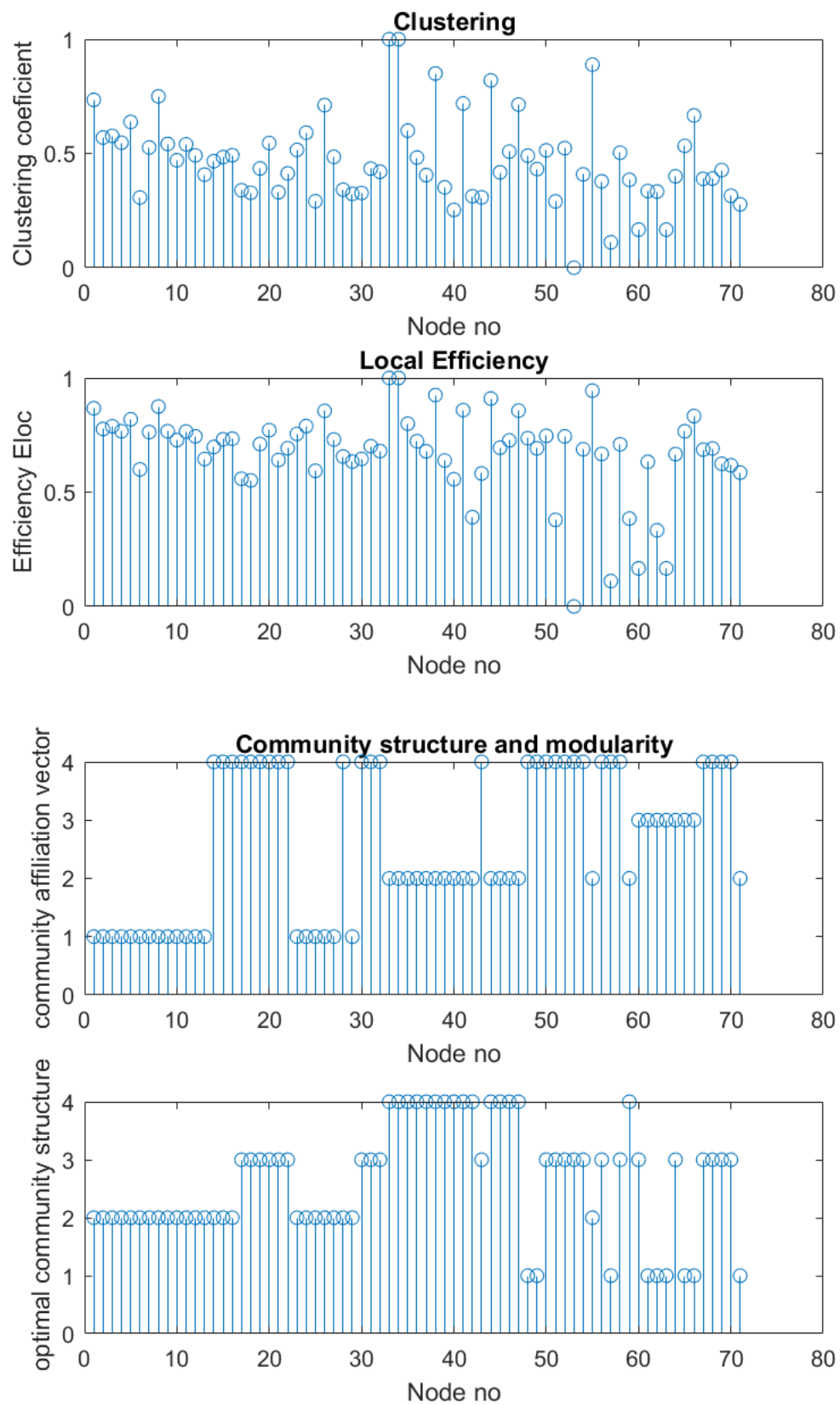
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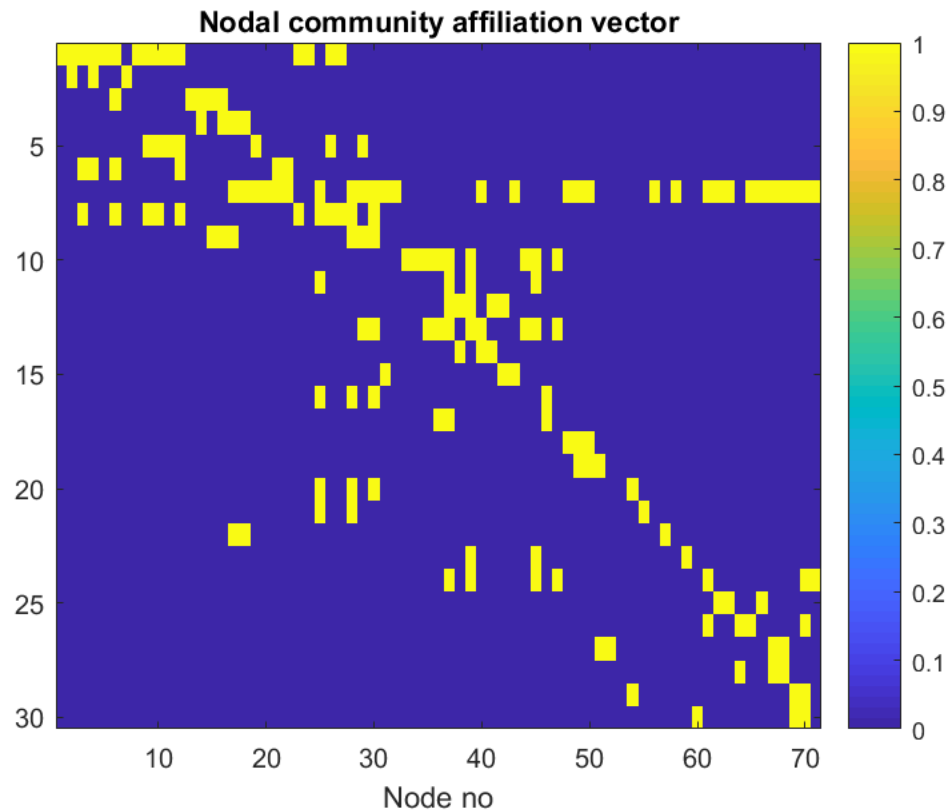
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<i>hierarchy</i>	138





#### 4) Assortativity and Core Structure

```

r = assortativity_bin(CIJ,0); % Assortivity coefficient

[R,Nk,Ek] = rich_club_bd(CIJ,40); % Rich club coefficients

figure();
subplot(3,1,1)
stem(R);
xlabel('Node no')
ylabel('R for levels 1 to 40')
title('Rich club coefficients')
subplot(3,1,2)
stem(Nk);
xlabel('Node no')
ylabel('Nk with degree>40')
subplot(3,1,3)
stem(Ek);
xlabel('Node no')
ylabel('Ek with degree>40')

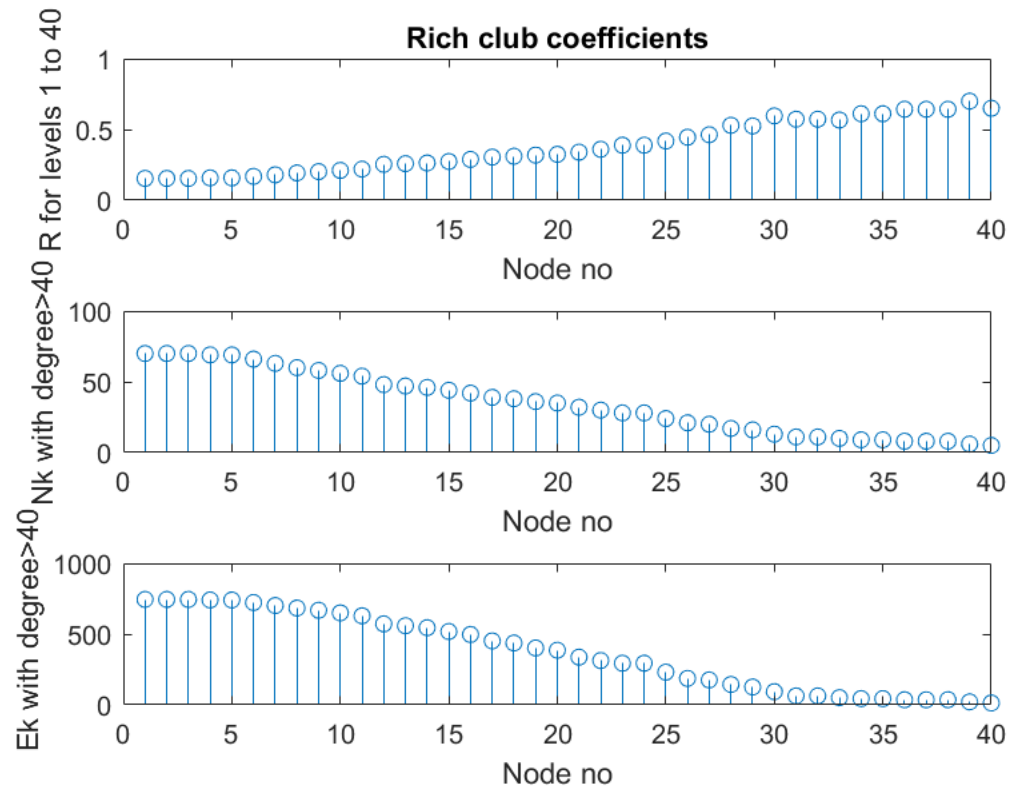
[C, q]=core_periphery_dir(CIJ); % partition into two non-overlapping
groups of nodes
C = categorical(C,[0 1 ],{'periphery','core'});
figure();
histogram( C);

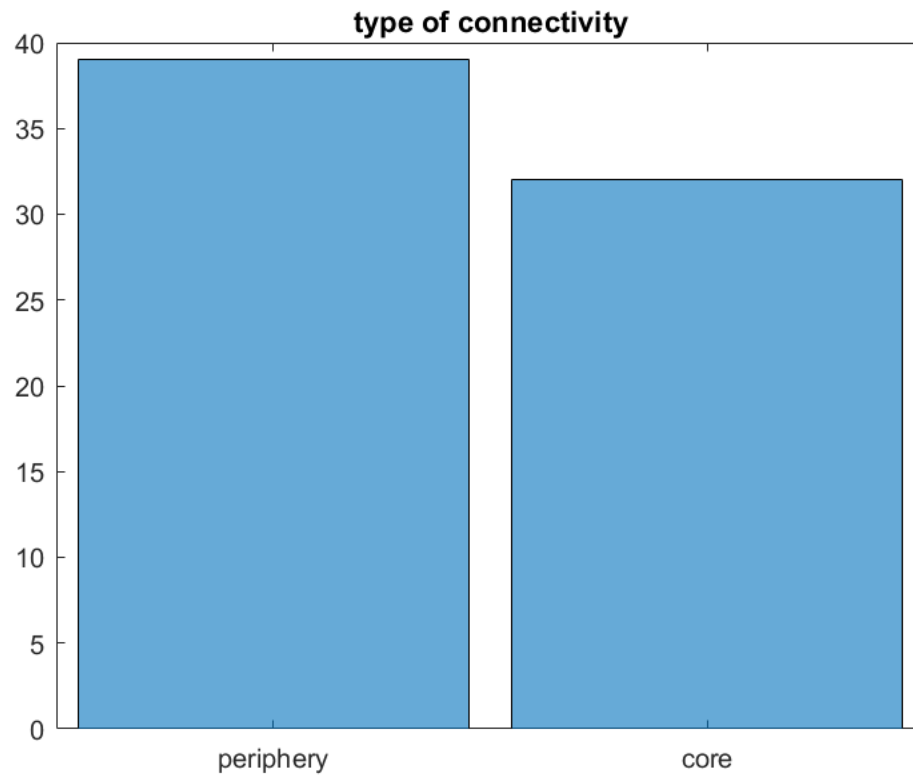
```



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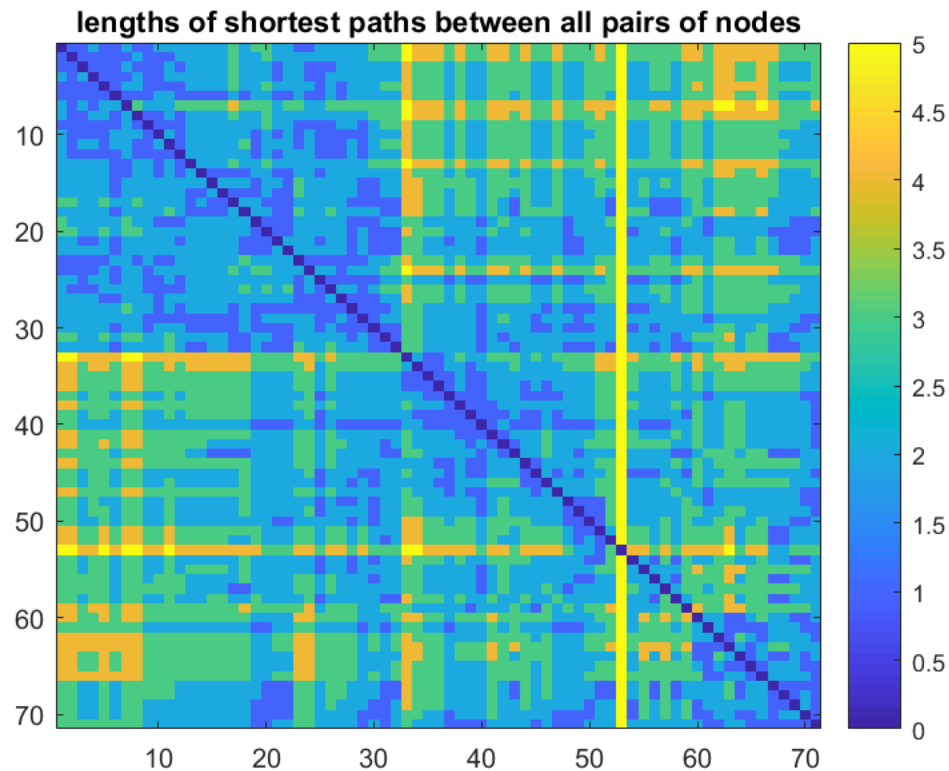
```
title('type of connectivity')
```





#### 5) Paths and Distances

```
[Pq,tpath,plq,qstop,allpths,util] = findpaths(CIJ,70,4,1);%sequences  
of linked nodes, that never visit a single node more than once.  
  
D=distance_bin(CIJ); % Distance matrix, shortest distance between  
nodes  
figure();  
imagesc(D);  
colorbar();  
title('lengths of shortest paths between all pairs of nodes')  
  
current pathlength (q) = 2    number of paths so far (up to q-1)= 19  
current pathlength (q) = 3    number of paths so far (up to q-1)= 264  
current pathlength (q) = 4    number of paths so far (up to q-1)= 3320
```



#### 6)Efficiency and Diffusion

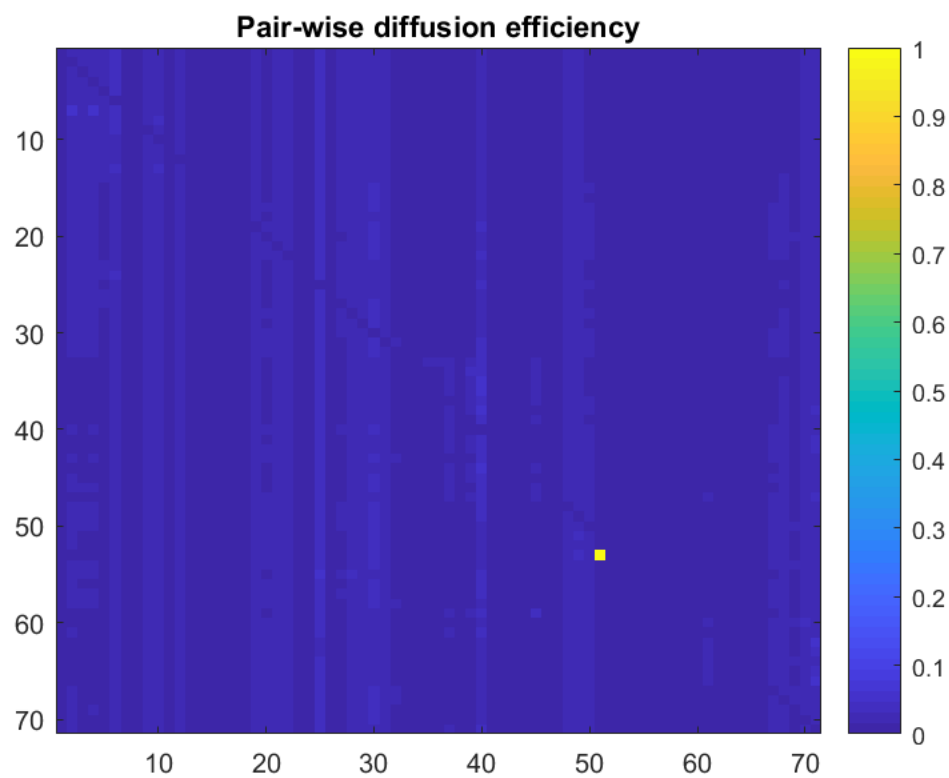
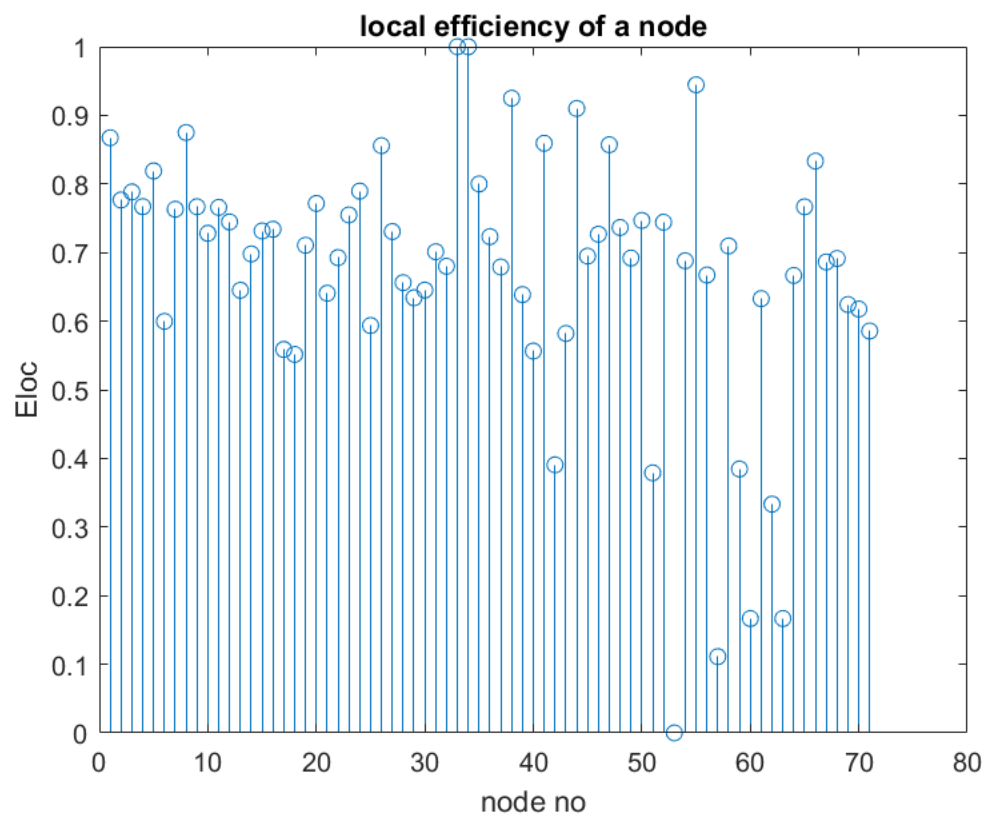
```
Eloc=efficiency_bin(CIJ,1);%local efficiency is the global efficiency
computed on the neighborhood of the node
EGlo=efficiency_bin(CIJ,0);%global efficiency is the average of
inverse shortest path length
disp(EGlo);

figure();
stem(Eloc);
title('local efficiency of a node');
xlabel('node no');
ylabel('Eloc');
[GEdiff,Ediff] = diffusion_efficiency(CIJ);% DIFFUSION_EFFICIENCY
Global mean and pair-wise diffusion efficiency
disp(GEdiff);% Mean Global diffusion efficiency

figure();
imagesc(Ediff);
colorbar();
title('Pair-wise diffusion efficiency');

0.4961

0.0128
```

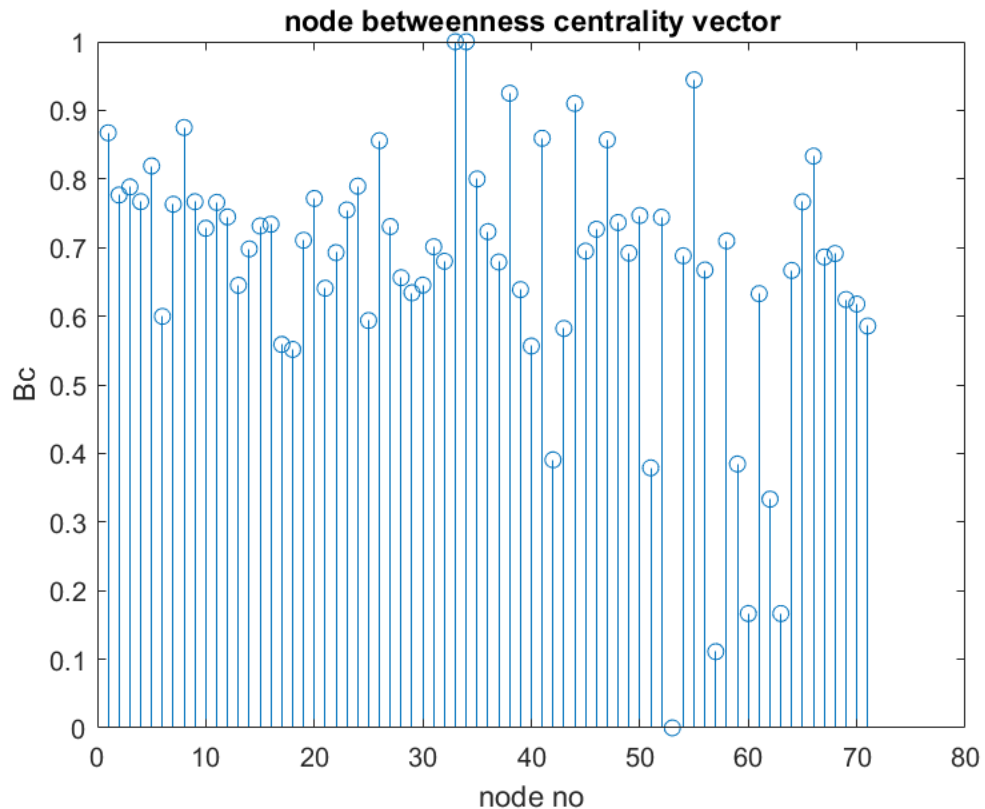


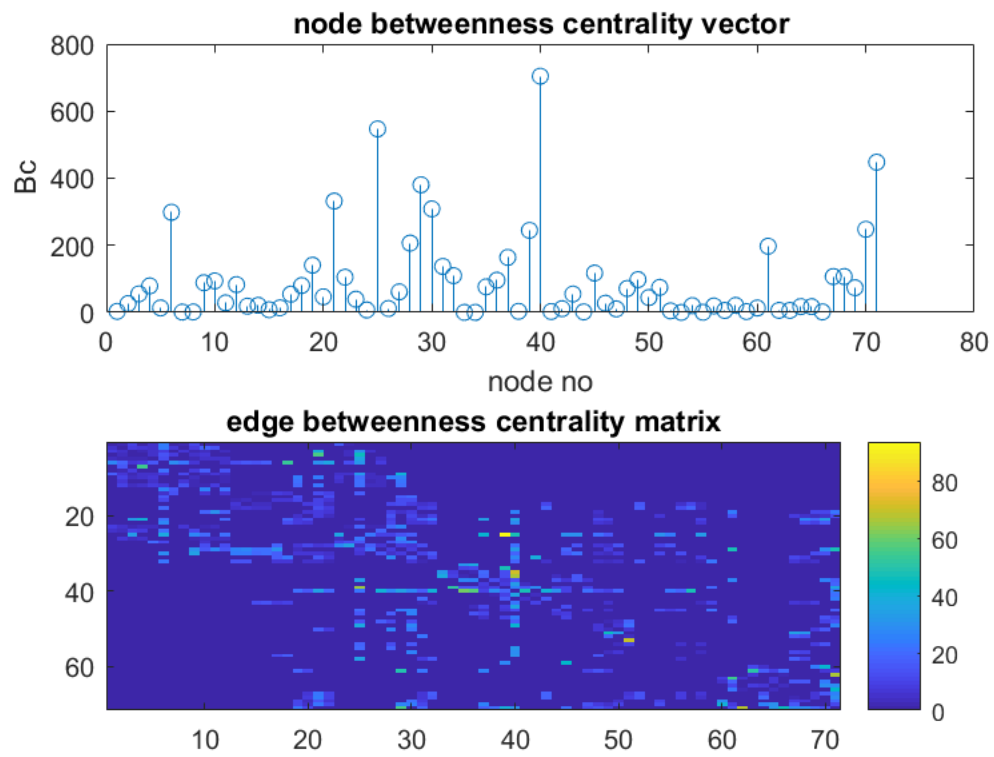
---

## 7)Centrality Measure

```
BC=betweenness_bin(CIJ); %BETWEENNESS_BIN    Node betweenness
centrality
figure();
stem(Eloc);
title('node betweenness centrality vector');
xlabel('node no');
ylabel('Bc');

[EBC,BC_EDGE]=edge_betweenness_bin(CIJ);% Edge betweenness centrality
figure();
subplot(2,1,1)
stem(BC_EDGE);
title('node betweenness centrality vector');
xlabel('node no');
ylabel('Bc');
subplot(2,1,2)
imagesc(EBC);
colorbar();
title('edge betweenness centrality matrix');
```





#### 8) Motifs

```
% [f,F]=motif3funct_bin(CIJ); %Frequency of functional class-3 motifs
% [f_struct,F_struct]=motif3struct_bin(CIJ); %Frequency of structural class-3 motifs
```

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