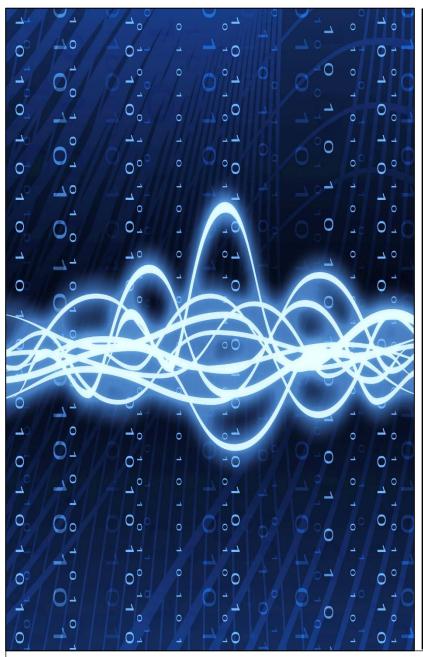
# Communication Systems Project



#### **Projects description.**

This project involves simulating and evaluating the performance of different line coding schemes and a binary phase shift-keying (BPSK) system.

In Part I, the experiment involves generating a stream of random bits and line coding the bits using various schemes such as Polar non-return to zero, Uni-polar return to zero, Bipolar return to zero, and Manchester coding. The eye diagram and spectral domains of the pulses are plotted, and a receiver is designed to calculate the bit error rate (BER) and count the number of errors. Noise is added to the received signal, and the experiment is repeated for different levels of noise.

In Part II, the experiment involves generating a stream of random bits and line coding the bits using Polar non-return to zero. The modulated BPSK signal is plotted in the time and frequency domains, and a receiver is designed to calculate the bit error rate (BER) and count the number of errors.

Overall, this project aims to provide a hands-on experience in simulating and evaluating the performance of communication systems using different line coding schemes and a BPSK system.

ASU - ENG

[ECE252s] – Fundamentals of Communications Systems

GITHUB Link: <a href="https://github.com/Mahmoud-">https://github.com/Mahmoud-</a>

Abdelraouf/Fundamentals-of-Communications-Systems-Project



# Fundamentals of Communications Systems Project

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# 3 BRIEF ABOUT PROJECT PART ONE

This part outlines a simulation experiment for evaluating the performance of different line coding schemes in a communication system. The experiment consists of two parts: transmitter and receiver. The transmitter generates a stream of random bits and line codes the bits using Uni-polar non return to zero scheme. The eye diagram and spectral domains of the pulses are plotted. The receiver consists of a decision device that compares the received waveform with the transmitted stream of bits and calculates the bit error rate (BER). The experiment is repeated for different line coding schemes, including Polar non return to zero, Uni-polar return to zero, Bipolar return to zero, and Manchester coding.

Additionally, noise is added to the received signal, and the experiment is repeated for different levels of noise (sigma). The BER is calculated for each value of sigma, and the results are plotted in a graph with the y-axis in log scale. Finally, for case of Bipolar return to zero, an error detection circuit is designed, and the number of detected errors is counted for different values of sigma.



Fundamentals of Communications Systems 2<sup>nd</sup> Year Electrical Engineering Spring 2023

# **4 IMPORTANT NOTES**

# <u>Hint</u>

- Throughout the project, we divided project into a sub functions, and all functions were be built from scratch without using any built-in functions.
- The report contains all the functions with its implementation as a text.



In our report you can find the code of the bonus mark of Part I Receiver implemented.

# 5 PART I TRANSMITTER

#### 5.1 LINE CODING SYSTEMS

I. unipolar\_nrz(bits, high\_voltage\_level, samples\_per\_bit): The `unipolar\_nrz` function generates a Unipolar Non-Return-to-Zero (NRZ) digital signal based on a sequence of binary bits. It takes three input arguments: `bits`, `high\_voltage\_level`, and `samples\_per\_bit`.

The function first checks if the `samples\_per\_bit` input argument is provided, and if not, it sets its default value to 100. It then initializes the output signal, sets the voltage levels for the signal, and generates the signal by iterating through the `bits` input vector.

After generating the signal, the function creates a new figure and plots the generated signal with the appropriate axis labels and limits. Finally, it adds grid lines and labels to the plot and gives it a title.

```
function signal = unipolar nrz(bits, high voltage level, samples per bit)
    % Check the input arguments
    if nargin < 3</pre>
        samples per bit = 100;
    end
    % Initialize the output signal
    signal = zeros(1, length(bits)*samples per bit);
    % Set the voltage level
    v low = 0;
    v high = high voltage level;
    % Generate the signal
    for i = 1:length(bits)
        if bits(i) == 1
            signal((i-1)*samples per bit+1:i*samples per bit) = v high;
            signal((i-1)*samples per bit+1:i*samples per bit) = v low;
        end
    end
    % Create a new figure
    figure();
    % Create the time axis
```

```
t = linspace(0, length(signal)/samples_per_bit, length(signal));

% Plot the signal
plot(t, signal);
axis([0 t(end) -0.1*high_voltage_level 1.1*high_voltage_level]);

% Add grid and labels
grid on;
xlabel('Time (s)');
ylabel('Voltage (V)');
title('Unipolar NRZ Signal');
end
```

II. polar\_nrz(bits, high\_voltage\_level, samples\_per\_bit): The `polar\_nrz` function generates a Polar Non-Return-to-Zero (NRZ) digital signal based on a sequence of binary bits. It takes three input arguments: `bits`, `high voltage level`, and `samples per bit`.

The function first checks if the `samples\_per\_bit` input argument is provided, and if not, it sets its default value to 100. It then initializes the output signal, sets the voltage levels for the signal, and generates the signal by iterating through the `bits` input vector.

After generating the signal, the function creates a new figure and plots the generated signal with the appropriate axis labels and limits. Finally, it adds grid lines and labels to the plot and gives it a title.

```
function signal = polar nrz(bits, high voltage level, samples per bit)
   % Check the input arguments
   if nargin < 3</pre>
       samples per bit = 100;
    end
   % Initialize the output signal
   signal = zeros(1, length(bits)*samples per bit);
   % Set the voltage level
   v low = -high voltage level;
   v high = high voltage level;
   % Generate the signal
    for i = 1:length(bits)
       if bits(i) == 1
            signal((i-1)*samples per bit+1:i*samples per bit) = v high;
        else
            signal((i-1)*samples per bit+1:i*samples per bit) = v low;
        end
```

```
end
% Create a new figure
figure();
% Create the time axis
t = linspace(0, length(signal)/samples_per_bit, length(signal));
% Plot the signal
plot(t, signal);
axis([0 t(end) 1.2*v_low 1.2*v_high]);
% Add grid and labels
grid on;
xlabel('Time (s)');
ylabel('Voltage (V)');
title('Polar NRZ Signal');
end
```

III. unipolar\_rz(bits, high\_voltage\_level, samples\_per\_bit): The `unipolar\_rz` function generates a Unipolar Return-to-Zero (RZ) digital signal based on a sequence of binary bits. It takes three input arguments: `bits`, `high\_voltage\_level`, and `samples\_per\_bit`.

The function first checks if the `samples\_per\_bit` input argument is provided, and if not, it sets its default value to 100. It then initializes the output signal, computes the pulse width for the RZ pulse, and generates the RZ pulse waveform by iterating through the `bits` input vector.

After generating the signal, the function creates a new figure and plots the generated signal with the appropriate axis labels and limits. Finally, it adds grid lines and labels to the plot and gives it a title.

```
function y = unipolar_rz(bits, high_voltage_level, samples_per_bit)
% Bipolar RZ encoding of a binary sequence
% bits: input binary sequence (row vector)
% high_voltage_level: amplitude of the high voltage level for a logic high bit
% samples_per_bit: number of samples per bit
% Check the input arguments
if nargin < 3
    samples_per_bit = 100;
end
% Compute the number of samples in the waveform
num samples = length(bits) * samples per bit;</pre>
```

```
% Create a waveform vector of zeros
waveform = zeros(1, num samples);
% Compute the pulse width for the RZ pulse
pulse width = samples per bit / 2;
% Generate the RZ pulse waveform
for i = 1:length(bits)
   if bits(i) == 1
        % Set the amplitude to high voltage level for a logic high bit
        waveform((i-1)*samples per bit + 1:(i-1)*samples per bit +
pulse width) = high voltage level;
       waveform((i-1)*samples_per_bit + pulse_width + 1:i*samples per bit) =
0;
    else
        % Set the amplitude to zero for a logic low bit
        waveform((i-1)*samples per bit + 1:i*samples per bit) = 0;
    end
end
% Create a new figure
figure();
% Create the time axis
t = linspace(0, length(waveform)/samples per bit, length(waveform));
% Plot the signal
plot(t, waveform);
axis([0 t(end) -.1*high voltage level 1.1*high voltage level]);
% Add grid and labels
grid on;
xlabel('Time (s)');
ylabel('Voltage (V)');
title('Unipolar RZ Signal');
% Return the generated waveform
y = waveform;
end
```

IV. bipolar\_rz(bits, high\_voltage\_level, samples\_per\_bit): The 'bipolar\_rz' function generates a Bipolar Return-to-Zero (RZ) digital signal based on a sequence of binary bits. The function takes three input arguments: `bits`, `high\_voltage\_level`, and `samples\_per\_bit`.

The function first checks if the `samples\_per\_bit` input argument is provided, and if not, it sets its default value to 100. It then initializes the

output signal, computes the pulse width for the RZ pulse, and generates the RZ pulse waveform by iterating through the `bits` input vector.

After generating the signal, the function creates a new figure and plots the generated signal with the appropriate axis labels and limits. Finally, it adds grid lines and labels to the plot and gives it a title.

In summary, the 'bipolar\_rz' function generates a Bipolar RZ digital signal based on a sequence of binary bits using either a positive or negative voltage level for logic high bits depending on the bit's position in the sequence and the previous bit value, and 0 voltage level for logic low bits. The generated signal is plotted in a new figure with the appropriate axis labels and limits.

```
function y = bipolar rz(bits, high voltage level, samples per bit)
% Bipolar RZ encoding of a binary sequence
% bits: input binary sequence (row vector)
% high voltage level: amplitude of the high voltage level for a logic high
% samples per bit: number of samples per bit
% Check the input arguments
if nargin < 3</pre>
   samples per bit = 100;
end
% Compute the number of samples in the waveform
num samples = length(bits) * samples per bit;
% Create a waveform vector of zeros
waveform = zeros(1, num samples);
% Compute the pulse width for the RZ pulse
pulse width = samples per bit / 2;
pos flag = 1;
neg flag = 0;
% Generate the RZ pulse waveform
for i = 1:length(bits)
   if bits(i) == 1
        if neg flag == 0 && pos flag == 0
            pos flag = 1;
        if i > 1 && neg_flag == 1
            waveform((i-1)*samples_per_bit + 1:(i-1)*samples_per_bit +
pulse width) = - high voltage level;
```

```
waveform((i-1)*samples per bit + pulse width +
1:i*samples per bit) = 0;
            neg flag = 0;
        end
        if pos flag == 1
            % Set the amplitude to high voltage level for a logic high bit
            waveform ((i-1)* samples per bit + 1: (i-1)* samples per bit +
pulse width) = high voltage level;
            waveform((i-1)*samples per bit + pulse width +
1:i*samples per bit) = 0;
           pos flag = 0;
            neg flag = 1;
    else
        % Set the amplitude to zero for a logic low bit
        waveform((i-1)*samples per bit + 1:i*samples per bit) = 0;
    and
end
% Create a new figure
figure();
% Create the time axis
t = linspace(0, length(waveform)/samples per bit, length(waveform));
% Plot the signal
plot(t, waveform);
axis([0 t(end) -1.2*high voltage level 1.2*high voltage level]);
% Add grid and labels
grid on;
xlabel('Time (s)');
vlabel('Voltage (V)');
title('Bipolar RZ Signal');
% Return the generated waveform
y = waveform;
end
```

V. manchester\_coding(bits, high\_voltage, sampling\_per\_bit): The `manchester\_coding` function performs Manchester encoding on a sequence of binary bits, which is a form of differential encoding used in digital communication systems. It takes three input arguments: `bits`, `high\_voltage`, and `sampling\_per\_bit`.

The `bits` argument is a vector of binary bits to be encoded, the `high\_voltage` argument is the voltage level for a logic high bit, and the `sampling\_per\_bit` argument is the number of samples per bit.

The function generates the Manchester pulse waveform by encoding each bit using a positive or a negative pulse, and generates an output signal vector containing the Manchester encoded signal.

Finally, the function plots the encoded signal in a new figure with grid and axis labels.

```
function output signal = manchester coding(bits, high voltage,
sampling per bit)
   % SPLIT PHASE ENCODING Encode a sequence of binary bits using Split Phase
(Manchester) encoding
   9
   % INPUTS:
    % bits: a vector of binary bits to be encoded (1s and 0s)
    % high voltage: the voltage level for a logic high bit
    % low voltage: the voltage level for a logic low bit
    % sampling per bit: the number of samples per bit
   % OUTPUTS:
    % output signal: a vector containing the Split Phase (Manchester)
encoded signal
    % Check the input arguments
    if nargin < 3</pre>
       sampling per bit = 100;
    end
    % Compute the number of samples in the waveform
    num samples = length(bits) * sampling per bit;
    % Initialize the output signal
    output signal = zeros(1, num samples);
    % Compute the pulse width for the Manchester pulse
   pulse width = sampling per bit / 2;
   % Generate the Manchester pulse waveform
    for i = 1:length(bits)
       if bits(i) == 1
            % Encode a "1" bit as a positive pulse followed by a negative
pulse
           output signal((i-1)*sampling per bit + 1:(i-1)*sampling per bit+
pulse width) = high voltage;
           output signal((i-1)*sampling per bit + pulse width +
1:i*sampling per bit) = -high voltage;
        else
            % Encode a "0" bit as a negative pulse followed by a positive
pulse
            output signal((i-1)*sampling per bit + 1:(i-1)*sampling per bit +
pulse width) = -high voltage;
```

```
output signal((i-1)*sampling per bit + pulse width +
1:i*sampling per bit) = high voltage;
        end
    end
   % Create a new figure
   figure();
   % Create the time axis
   t = linspace(0, length(output signal)/sampling per bit,
length(output signal));
   % Plot the signal
   plot(t, output signal);
   axis([0 t(end) -1.2*high voltage 1.2*high voltage]);
   % Add grid and labels
   grid on;
   xlabel('Time (s)');
   ylabel('Voltage (V)');
   title('Manchester Coding');
end
```

#### 5.2 SPECTRAL DOMAIN FUNCTION

plot\_spectral\_domain(waveform): This function, 'plot\_spectral\_domain', takes a time-domain signal as input and generates a plot of its power spectral density (PSD) on a linear scale. The function applies a Hamming window to the input signal to reduce spectral leakage and improve the accuracy of the PSD estimate. It then computes the Fourier transform of the windowed signal, the absolute value of the Fourier transforms squared, and divides by the number of samples in the waveform to obtain the PSD. Negative values of the PSD are set to zero, and the square root of the PSD is computed and divided by 10 to obtain the root-mean-square (RMS) PSD.

The function checks for impulses in the RMS PSD and excludes them from the maximum value calculation used to set the y-axis limit of the plot. The frequency axis is defined as a vector of normalized frequencies ranging from -1/2 to 1/2, and the RMS PSD is plotted against the normalized frequency. The x-axis limit is set based on the maximum frequency of the signal and the number of samples in the waveform, and the y-axis limit is set based on the maximum value of the RMS PSD with some padding added.

The function provides a simple way to visualize the PSD of a given signal and identify any impulses or other irregularities in the PSD that may indicate noise or other issues with the signal.

```
function plot spectral domain(waveform)
    % Apply a Hamming window to the input waveform
   N = length(waveform);
   window = hamming(N)';
   waveform = waveform .* window;
   % Compute the Fourier transform of the input waveform
    spectrum = fftshift(fft(waveform));
    % Compute the power spectral density (PSD)
   psd = abs(spectrum).^2 / (N);
   % Set negative values of the PSD to zero and take the square root
   psd(psd < 0) = 0;
   rms psd = sqrt(psd)/10;
    % Check for impulses in the PSD
    threshold = 60 * mean(rms psd); % set threshold as 10 times the mean RMS
PSD
    if any(rms psd > threshold)
        % If there are impulses, exclude them from the max value calculation
       max psd = max(rms psd(rms psd <= threshold)) * 1.5;</pre>
       disp('Impulse detected in the PSD');
    else
       % If there are no impulses, use the max value of the RMS PSD
       max psd = max(rms psd) * 1.5;
    end
   % Define the frequency axis for the plot in normalized frequency
    f norm = linspace (-1/2, 1/2, N);
    % Create a new figure
    figure();
    % Plot the RMS PSD on a linear scale
    plot(f norm, rms psd);
    % Set the axis labelsand title
    xlabel('Normalized Frequency');
    ylabel('Power/Frequency (V/Hz)');
    title('Power Spectral Density');
   % Set the x-axis limit based on the input waveform
    f \max = 1/2;
    f step = 1/N;
```

```
x_lim = [-(f_max-f_step)/6, (f_max-f_step)/6];
xlim(x_lim);

% Set the y-axis limit based on the input waveform
y_lim = [0, max_psd*1.1];
ylim(y_lim);
end
```

#### 5.3 THE MAIN.M FILE

```
% Load the Communications Toolbox package
pkg load communications
% Generate a sequence of 10000 random bits
bits = generate bits(10000);
% Generate a Unipolar NRZ signal from the bit sequence with a high voltage
level of 1.2V
signal 1 = unipolar nrz(bits, 1.2);
%check polar nrz
signal 2 = polar nrz(bits,1.2);
%check unipolar rz
signal 3 = unipolar rz(bits,1.2);
%check bipolar rz
signal 4 = bipolar rz(bits,1.2);
%check manchester coding
signal 5 = manchester coding(bits,1.2);
plot spectral domain(signal 2);
% Plot the eye diagram and set the plot limits
eyediagram(signal 2, 300,1,1);
xlim([-0.165, 0.5]);
```

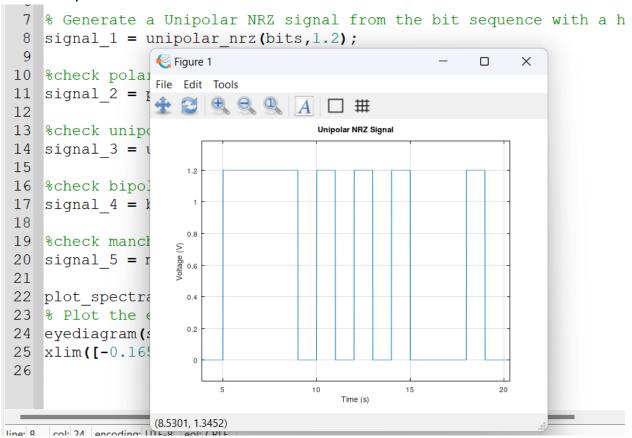
#### 5.4 HERE IS A SUMMARY OF THE CODE

- The code loads the Communications Toolbox package in Octave, a numerical computing software. It then generates a sequence of 10000 random bits using the `generate\_bits` function, which is not shown in the code snippet.
- Next, the code generates several different types of baseband digital signals from the bit sequence using different encoding techniques:
  - 1. unipolar\_nrz(bits,1.2): generates a Unipolar NRZ (Non-Return-to-Zero) signal from the bit sequence, using a high voltage level of

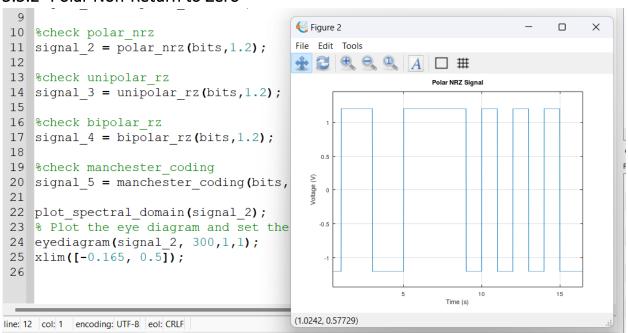
- 1.2V. Unipolar NRZ signal encodes a 1 bit as a high voltage level and a 0 bit as a low voltage level.
- 2. polar\_nrz(bits,1.2): generates a Polar NRZ signal from the bit sequence, which is similar to Unipolar NRZ except that it encodes a 0 bit as a negative voltage level.
- unipolar\_rz(bits,1.2): generates a Unipolar RZ (Return-to-Zero) signal from the bit sequence, which encodes a 1 bit as a high voltage level followed by a zero-voltage level, and a 0 bit as a zerovoltage level.
- 4. bipolar\_rz(bits,1.2): generates a Bipolar RZ signal from the bit sequence, which encodes a 1 bit as a positive or negative voltage leveldepending on the previous bit, and a 0 bit as a zero-voltage level.
- 5. manchester\_coding(bits,1.2): generates a Manchester encoded signal from the bit sequence, which is a form of differential encoding that represents each bit using a transition between two voltage levels.
- The output signals from all the encoding techniques are assigned to different variables, 'signal\_1' to 'signal\_5', respectively.
- The code also includes some commented lines that demonstrate different signal analysis techniques using the Communications Toolbox package:
  - 1. plot\_spectral\_domain(signal\_2): is a commented line that would plot the spectral domain of the Polar NRZ signal, which would show the frequency content of the signal.
  - 2. eyediagram(signal\_2, 300,1,1): is a commented line that would plot the eye diagram of the Polar NRZ signal, which would show the signal quality and the timing jitter. The `xlim` command sets the limits of the plot to focus on a specific part of the signal.
- Overall, the code demonstrates how to generate and analyze different types of digital baseband signals from a bit sequence, using different encoding techniques.

#### 5.5 SNAPSHOTS

#### 5.5.1 Unipolar Non-Return to Zero

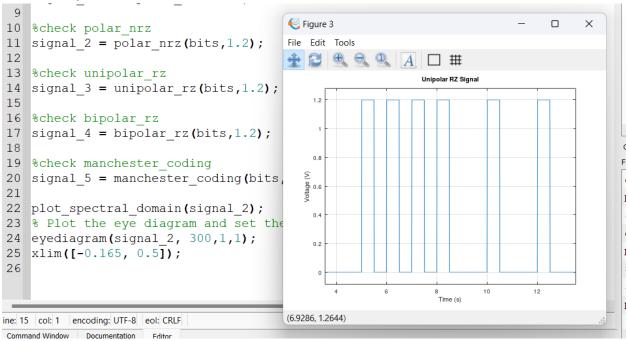


#### 5.5.2 Polar Non-Return to Zero

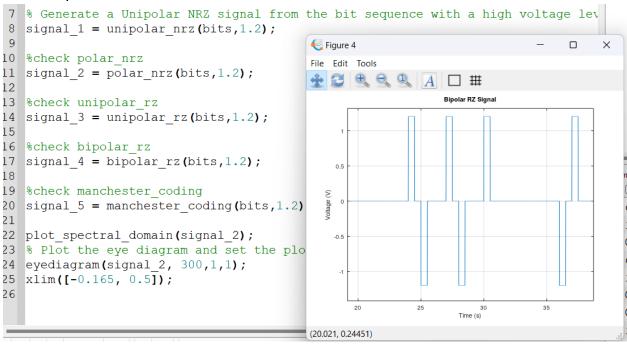


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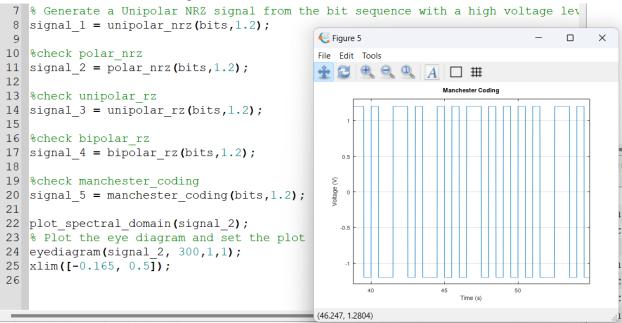
# 5.5.3 Unipolar Return to Zero



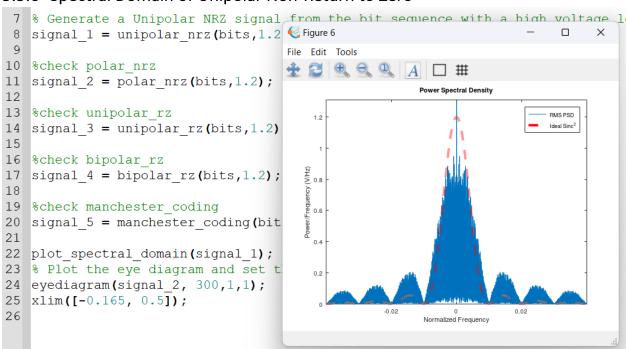
## 5.5.4 Bipolar Return To Zero



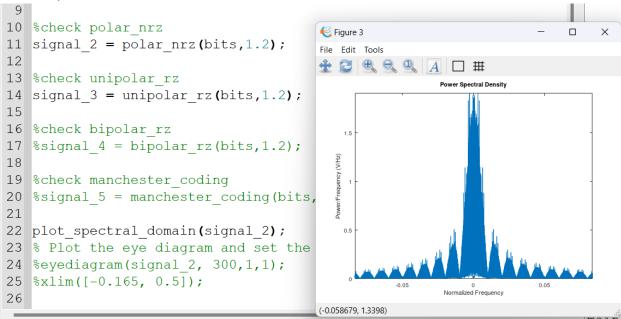
#### 5.5.5 Manchester Coding



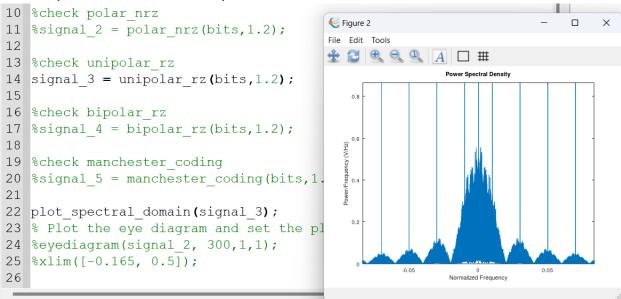
## 5.5.6 Spectral Domain of Unipolar Non-Return to Zero



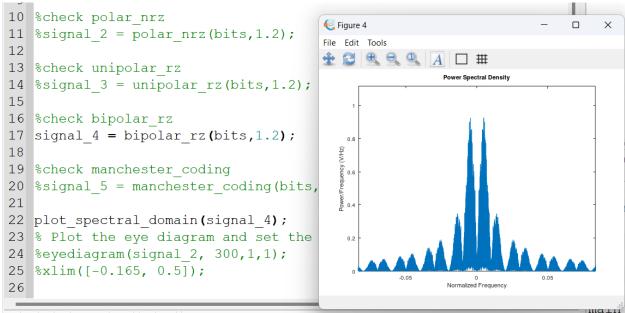
## 5.5.7 Spectral Domain of Polar Non-Return to Zero



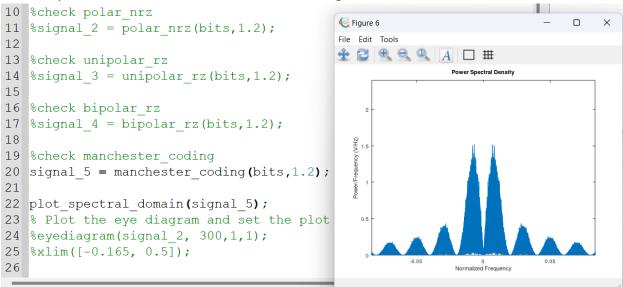
# 5.5.8 Spectral Domain of Unipolar Return to Zero



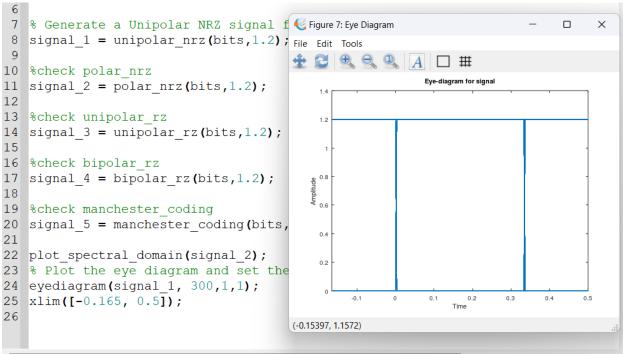
# 5.5.9 Spectral Domain of Bipolar Return to Zero



## 5.5.10Spectral Domain of Manchester Coding



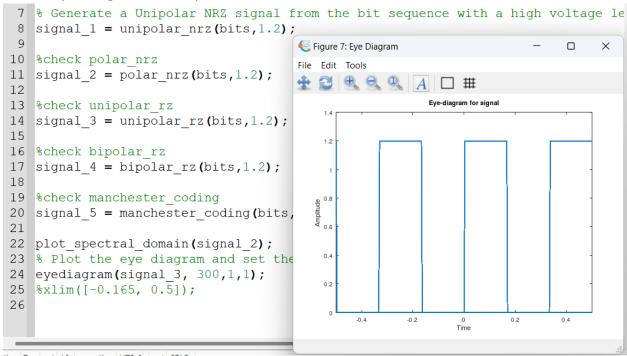
## 5.5.11Eye Diagram of Unipolar Non-Return to Zero



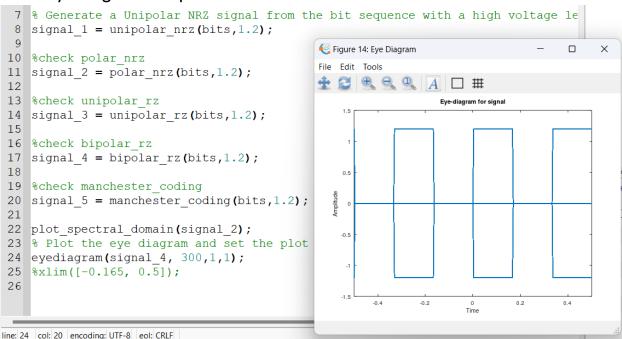
# 5.5.12 Eye Diagram of Polar Non-Return to Zero

```
7 % Generate a Unipolar NRZ signal from the bit sequence with a high voltage le
 8 signal 1 = unipolar nrz(bits,1.2);
                                              Figure 7: Eye Diagram
                                              File Edit Tools
10 %check polar nrz
                                              + 2 0 0
                                                                  11 signal 2 = polar nrz(bits,1.2);
12
                                                                 Eye-diagram for signal
13 %check unipolar rz
14 signal 3 = unipolar rz(bits,1.2);
16 %check bipolar rz
17 signal 4 = bipolar rz(bits,1.2);
                                                  0.5
18
19 %check manchester coding
20 signal 5 = manchester coding(bits,1.2);
21
22 plot spectral domain(signal 2);
23 % Plot the eye diagram and set the plot
24 eyediagram(signal 2, 300,1,1);
25 xlim([-0.165, 0.5]);
26
                                              (0.29805, -1.1085)
```

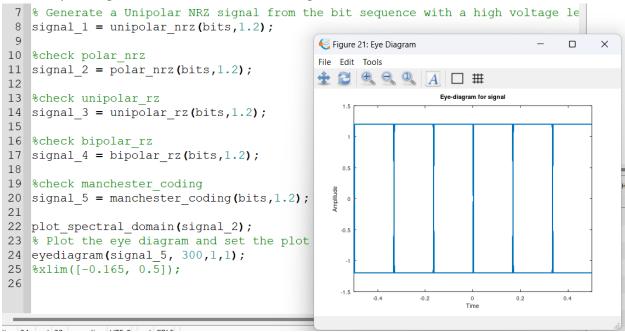
## 5.5.13 Eye Diagram of Unipolar Return to Zero



# 5.5.14Eye Diagram of Bipolar Return to Zero



#### 5.5.15 Eye Diagram of Manchester Coding



# 6 PART I RECEIVER

#### 6.1 USED FUNCTIONS

- I. generate\_bits(num\_of\_bits) "Repeated"
- II. unipolar\_nrz(bits, high\_voltage\_level, samples\_per\_bit) "Repeated"
- III. plot\_spectral\_domain(waveform) "Repeated"
- IV. eyediagram "Repeated"
- V. unipolar\_rz\_reciever(signal,N,decision)

```
% function to extract stream of bits in reciever
function recieved_bits = unipolar_rz_reciever(signal,N,decision)
   index = 40;
if nargin <3
     decision = 0.6;
end
recieved_bits = zeros(1,N);
for i=1:N
   if(signal(index) >= decision)
     recieved_bits(i) = 1;
   index = index + 100;
else
   recieved_bits(i) = 0;
   index = index + 100;
end
```

```
end end
```

# VI. calculate\_ber(tx\_bits,rx\_bits)

```
% it is a function that calculate BER
% it takes two parmeters tx_bits
% tx_bits -> stream of bits of the transmitter
% rx_bits -> stream of bits of the Reciever
function BER = calculate_ber(tx_bits,rx_bits)
% calculate number of error bits
number_of_error_bits = sum(tx_bits ~= rx_bits);
% calculate bit error rate
BER = number_of_error_bits / length(tx_bits);
end
% important !!!!
% we have to calculate number of error in the main
% use this formula
% number_of_error_bits = BER * length(tx_bits);
```

## VII. add\_noise(signal,sigma,samples\_per\_bit)

```
% function to add noise to the signal with a specified sigma
function noisy_signal = add_noise(signal, sigma, samples_per_bit)
if nargin < 2
    sigma = 0.2;
endif
t = linspace(0, length(signal)/samples_per_bit, length(signal));
n = sigma * randn(1,length(t));
noisy_signal = signal + n;
end</pre>
```

# VIII. plot\_noisy\_signal(signal,samples\_per\_bit)

# IX. sweep\_sigma(signal,decision,bits,samples\_per\_bit)

```
% function to sweep values of sigma and calculate ber for each value of sigma
function ber_values = sweep_sigma(signal, decision, bits, samples_per_bit)
N=10000;
sigma = linspace(0,1.2,10);
```

```
t = linspace(0, length(signal)/samples per bit, length(signal));
   ber values = zeros(1, 10);
for i = 1:10
    % Add noise to the received signal
   n = sigma(i) .* randn(1,length(t));
   noisy signal = signal + n;
   % Decode
   index = 1;
   received bits noise = zeros(1,N);
    for j = 1:N
        if noisy signal(index) >= decision
            received bits noise(j) = 1;
            index = index + 100;
        else
            received bits noise(j) = 0;
            index = index + 100;
        end
    end
    % Calculate BER
    ber values(i) = calculate ber(bits, received bits noise);
end
end
```

- X. polar\_nrz(bits, high\_voltage\_level, low\_voltage\_level, samples\_per\_bit) "Repeated"
- XI. polar\_nrz\_reciever(signal\_2,N,decision)

```
% function to extract stream of bits in reciever polar nrz
function recieved bits = polar nrz reciever (signal 2, N, decision)
   index=50;
if nargin <3
     decision = 0;
end
  recieved bits = zeros(1, N);
  for i=1:N
    if(signal 2(index)>=decision)
    recieved bits (i) = 1;
    index = index + 100;
    recieved bits(i)=0;
     index = index +100;
 end
 end
end
```

XII. plot\_noisy\_signal\_polar\_rz(signal,samples\_per\_bit)

```
function plot_noisy_signal_bipolar_rz(signal,samples_per_bit)
% Create a time vector for the signal
```

```
t = linspace(0, length(signal)/samples_per_bit, length(signal));
figure
% Plot the Unipolar NRZ signal with time
plot(t, signal);
ylim([-3, 3]);
xlabel('Time (s)');
ylabel('Amplitude (V)');
title('Bipolar RZ Signal');
end
```

- XIII. unipolar\_rz(bits, high\_voltage\_level, samples\_per\_bit) "Repeated"
- XIV. sweep\_sigma\_uni\_rz(signal,decision,bits,samples\_per\_bit)

```
function ber values =
sweep sigma uni rz(signal, decision, bits, samples per bit)
 N=10000;
    sigma = linspace(0, 1.2, 10);
    t = linspace(0, length(signal)/samples per bit, length(signal));
   ber values = zeros(1, 10);
for i = 1:10
    % Add noise to the received signal
    n = sigma(i) .* randn(1,length(t));
   noisy signal = signal + n;
   % Decode
   index = 1;
   received bits noise = zeros(1, N);
    received bits noise = unipolar rz reciever(noisy signal, 10000, 0.6);
    % Calculate BER
    ber values(i) = calculate ber(bits, received bits noise);
end
end
```

- XV. bipolar\_rz(bits, high\_voltage\_level, samples\_per\_bit) "Repeated"
- XVI. bipolar\_rz\_reciever(signal,N,decision,samples\_per\_bit)

```
function recieved_bits =
bipolar_rz_reciever(signal, N, decision, samples_per_bit)
index = 1;
if nargin <2
    decision = 0;
end
recieved_bits = zeros(1, N);
for i=1:N
   if(signal(index) > -0.6 && signal(index) < 0.6)
    recieved_bits(i) = 0;
   index = index+samples_per_bit;
else
   recieved_bits(i) = 1;</pre>
```

```
index = index + samples_per_bit ;
end
end
```

XVII. plot noisy signal bipolar rz(signal, samples per bit)

```
function plot_noisy_signal_bipolar_rz(signal, samples_per_bit)
% Create a time vector for the signal
t = linspace(0, length(signal)/samples_per_bit, length(signal));
figure
% Plot the Unipolar NRZ signal with time
plot(t, signal);
ylim([-3, 3]);
xlabel('Time (s)');
ylabel('Amplitude (V)');
title('Bipolar RZ Signal');
end
```

XVIII. sweep\_sigma\_toggle(signal,bits,samples\_per\_bit)

```
function ber values=sweep sigma toggle (signal, bits, samples per bit)
  N=10000;
    sigma = linspace(0, 1.2, 10);
    t = linspace(0, length(signal)/samples per bit, length(signal));
   ber values = zeros(1, 10);
for i = 1:10
    % Add noise to the received signal
   n = sigma(i) .* randn(1,length(t));
    noisy signal = signal + n;
   % Decode
    index = 1;
    received bits noise = zeros(1, N);
   received bits noise =
bipolar rz reciever (noisy signal, 10000, 0, samples per bit);
    % Calculate BER
    ber values(i) = calculate ber(bits, received bits noise);
end
end
```

- XIX. manchester\_coding(bits, high\_voltage, sampling\_per\_bit) "Repeated"
- XX. manchester\_coding\_reciever(signal,sampling\_per\_bit)

```
function recieved_bits = manchester_coding_reciever(signal,sampling_per_bit)
   N =10000;

index = 1;
recieved_bits = zeros(1,N);
for i=1:N
```

```
if(signal(index) >= 0)
    recieved_bits(i) = 1;
    index = index + sampling_per_bit;
else
    recieved_bits(i) = 0;
    index = index + sampling_per_bit;
end
end
end
```

#### XXI. plot noisy signal manchester(signal, samples per bit)

```
function plot_noisy_signal_manchester(signal, samples_per_bit)
    % Create a time vector for the signal
    t = linspace(0, length(signal)/samples_per_bit, length(signal));
    figure
    % Plot the Unipolar NRZ signal with time
    plot(t, signal);
    ylim([-3, 3]);
    xlabel('Time (s)');
    ylabel('Amplitude (V)');
    title('Manchester Signal');
end
```

#### XXII. sweep\_sigma\_manchester(signal,bits,samples\_per\_bit)

```
function ber_values = sweep_sigma_manchester(signal, bits, samples per bit)
  N=10000;
    sigma = linspace(0, 1.2, 10);
    t = linspace(0, length(signal)/samples per bit, length(signal));
   ber values = zeros(1, 10);
for i = 1:10
    % Add noise to the received signal
    n = sigma(i) .* randn(1, length(t));
   noisy signal = signal + n;
    % Decode
    index = 1;
   received bits noise = zeros(1,N);
   received bits noise =
manchester coding reciever (noisy signal, samples per bit);
   % Calculate BER
    ber values(i) = calculate ber(bits, received bits noise);
end
end
```

#### 6.2 UNIPOLAR NRZ

#### 6.2.1 CODE

```
%clear memory
clear
% include some files
# <include>sweep sigma toggle.m</include>
# <include>sweep sigma uni rz.m</include>
# <include>manchester coding reciever.m</include>
# <include>sweep sigma manchester.m</include>
% load package communications
pkg load communications
% define samples per bit
samples per bit = 100;
% Generate a sequence of 10000 random bits
bits = generate bits(10000);
% Generate a Unipolar NRZ signal from the bit sequence with a high voltage
level of 1.2V
signal 1 = unipolar nrz(bits, 1.2);
% define vector time
t = linspace(0, length(signal 1)/samples per bit, length(signal 1));
% plot spectral diagram
plot spectral domain(signal 1);
% Plot the eye diagram and set the plot limits
eyediagram(signal 1, 300,1,1);
xlim([-0.165, 0.5]);
% recieve unipolar nrz
recieved bits 1 = unipolar nrz reciever(signal 1,10000,0.6);
% bit error rate
ber_signal_1 = calculate ber(bits, recieved bits 1);
% calculate number of errors
number of errors signal 1 = ber signal 1 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 1 = add noise(signal 1,0.2,samples per bit);
% plot noisy signal
plot noisy signal (noisy signal 1, samples per bit);
% sweep value of sigma
sigma = linspace(0, 1.2, 10);
ber_values_signal_1 = sweep sigma(signal 1,0.6,bits,samples per bit);
```

# 6.2.2 GRAPHS

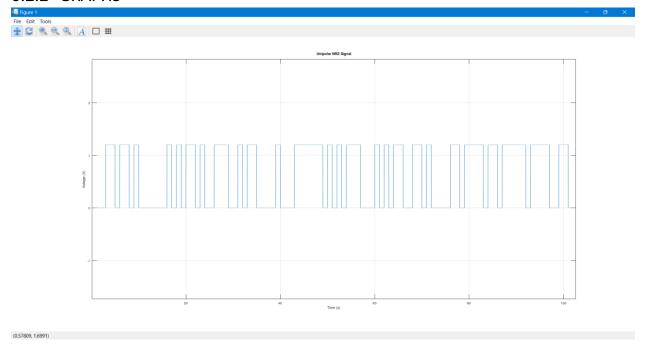


Figure 1: Unipolar NRZ vs Time

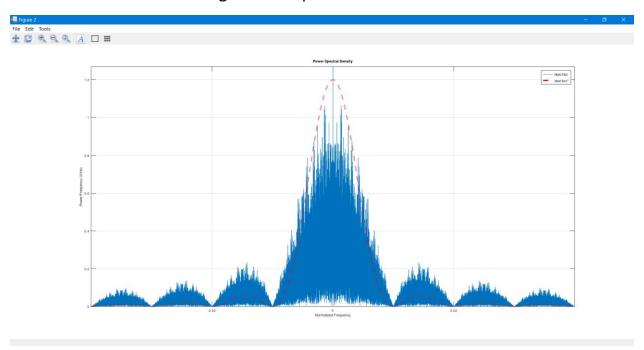


Figure 2: Unipolar NRZ power spectral vs Time

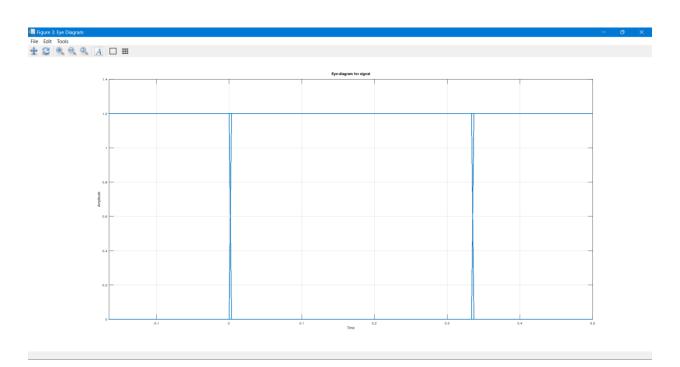


Figure 3: Unipolar NRZ Eye diagram

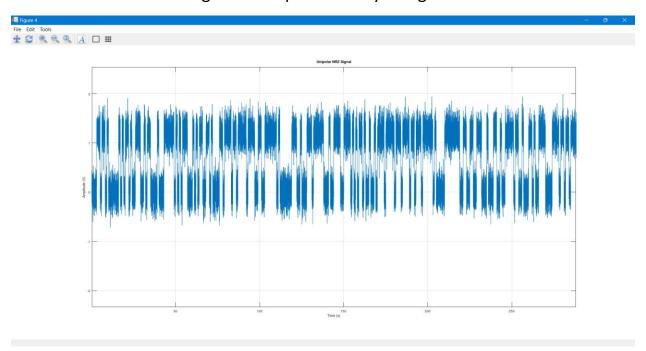


Figure 4: Unipolar NRZ signal "with noise" vs time

#### 6.2.3 POLAR NRZ

#### 6.2.3.1 CODE

#### 6.2.3.2 GRAPHS

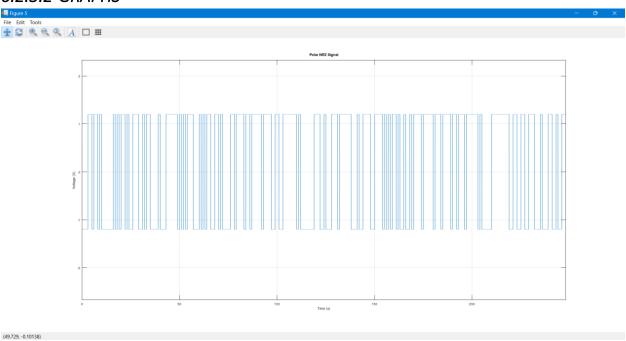


Figure 5: Polar NRZ signal vs Time

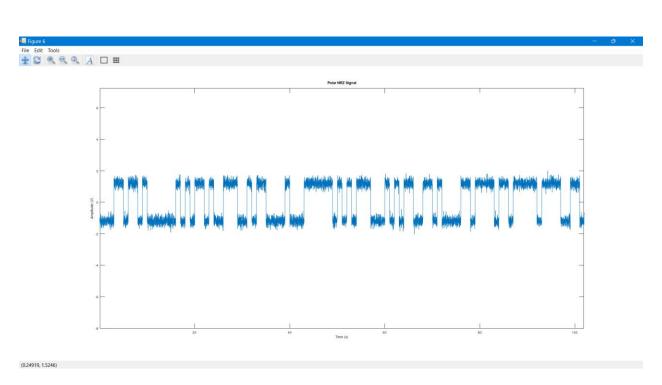


Figure 6: Polar NRZ signal "with noise" vs Time

#### 6.2.4 UNIPOLAR RZ

#### 6.2.4.1 CODE

```
%recieve unipolar rz line coding
% line code the stream of bits to unipolar return to zero
signal 3 = unipolar rz(bits,1.2);
% recieve unipolar rz
recieved_bits_3 = unipolar_rz_reciever(signal 3,10000,0.6);
% bit error rate
ber signal 3 = calculate ber(bits, recieved bits 3);
% calculate number of errors
number_of_errors_signal_3 = ber_signal_3 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 3 = \text{add noise}(\text{signal } 3, 0.2, \text{samples per bit});
% plot noisy signal
plot noisysignal unipolar rz(noisy signal 3, samples per bit);
% sweep sigma values from 0 -> 1.2
ber values signal 3 = sweep sigma uni rz(signal 3,0.6,bits,samples per bit);
```

#### 6.2.4.2 GRAPHS



Figure 7: Unipolar RZ signal vs Time

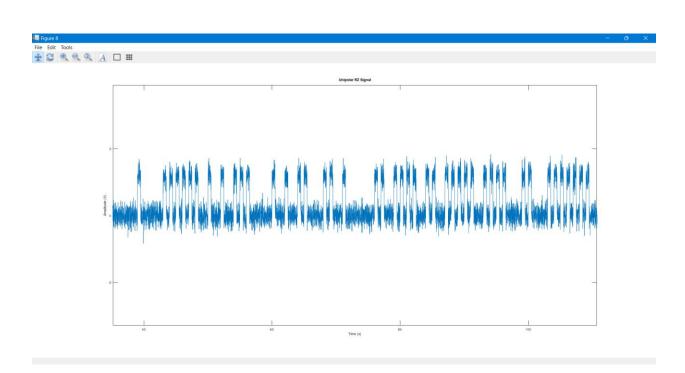


Figure 8: Unipolar RZ signal "with noise" vs Time

#### 6.2.5 BIPOLAR RZ

#### 6.2.5.1 CODE

```
%recieve bipolar rz line coding
% line code the stream of bits to bipolar return to zero
signal 4 = bipolar rz(bits,1.2);
%recieve bipolar rz. note : decision levels is determind inside this function
recieved bits 4 = bipolar rz reciever(signal 4,10000,0,100);
% calculate ber for bipolar rz
ber signal 4 = calculate ber(bits, recieved bits 4);
% calculate number of errors
number of errors signal 4 = ber signal 4 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 4 = add noise(signal 4, 0.2, samples per bit);
% plot noisy signal
plot noisy signal bipolar rz(noisy signal 4, samples per bit);
% sweep sigma 0 -> 1.2 and calculate ber
ber values signal 4 = sweep sigma toggle(signal 4,bits,samples per bit);
```

#### 6.2.5.2 GRAPHS

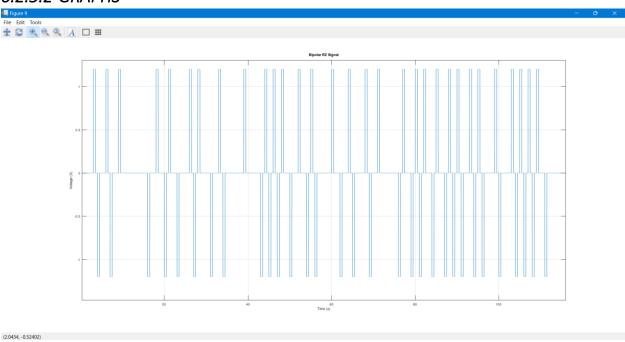


Figure 9: Bipolar RZ signal vs Time

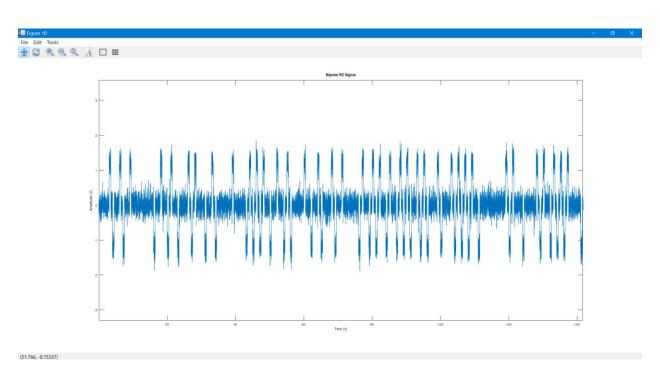


Figure 10: Bipolar RZ signal "with noise" vs Time

#### 6.2.6 MANCHESTER LINE CODING

#### 6.2.6.1 CODE

#### 6.2.6.2 GRAPHS

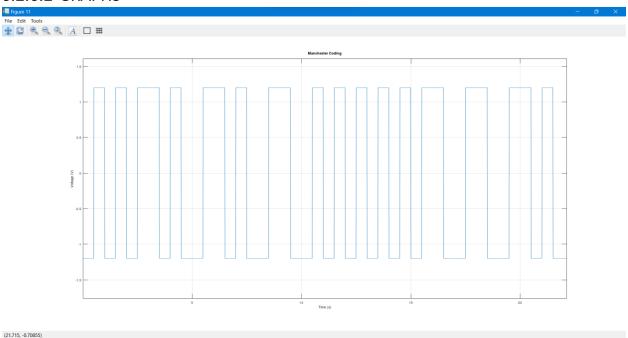


Figure 11: Manchester coding

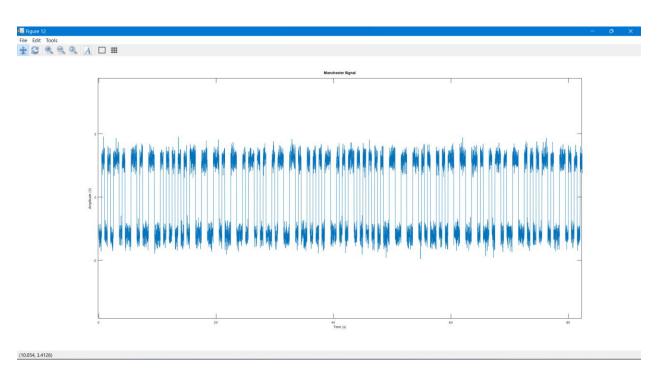


Figure 12: Manchester Signal "with noise"

# 6.2.7 Plot ber\_values of different line coding with sigma values

#### 6.2.7.1 CODE

#### 6.2.7.2 GRAPH

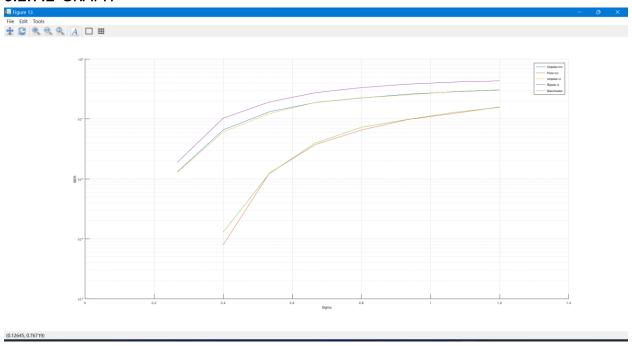


Figure 13: ber\_values of different line coding with sigma values

#### 6.3 MAIN.M FILE

```
%clear memory
clear all; close all;
% include some files
# <include>sweep_sigma_toggle.m</include>
# <include>sweep sigma uni rz.m</include>
# <include>manchester coding reciever.m</include>
#<include>sweep sigma manchester.m</include>
% load package communications
pkg load communications
% define samples per bit
samples_per_bit = 100;
% Generate a sequence of 10000 random bits
bits = generate bits(10000);
% Generate a Unipolar NRZ signal from the bit sequence with a high voltage
level of 1.2V
signal_1 = unipolar_nrz(bits,1.2);
% define vector time
t = linspace(0, length(signal 1)/samples per bit, length(signal 1));
% plot spectral diagram
plot spectral domain(signal 1);
% Plot the eye diagram and set the plot limits
eyediagram(signal 1, 300,1,1);
xlim([-0.165, 0.5]);
% recieve unipolar nrz
recieved bits 1 = unipolar nrz reciever(signal 1,10000,0.6);
% bit error rate
ber signal 1 = calculate ber(bits, recieved bits 1);
% calculate number of errors
number of errors signal 1 = ber signal 1 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 1 = add noise(signal 1,0.2,samples per bit);
% plot noisy signal
plot noisy signal (noisy signal 1, samples per bit);
% sweep value of sigma
sigma = linspace(0, 1.2, 10);
ber values signal 1 = sweep sigma(signal 1,0.6,bits,samples per bit);
```

```
%recieve polar nrz line coding
% line code the stream of bits to polar nrz
signal 2 = polar nrz(bits, 1.2, samples per bit);
recieved bits 2 = polar nrz reciever (signal 2,10000,0);
ber signal 2 = calculate ber(bits, recieved bits 2);
number of error signal 2 =ber signal 2*10000;
noisy signal 2=add noise(signal 2,0.2,samples per bit);
plot noisy signal polar rz(noisy signal 2, samples per bit);
% sweep sigma 0 -> 1.2 and calculate ber
ber values signal 2=sweep sigma(signal 2,0,bits,100);
%recieve unipolar rz line coding
% line code the stream of bits to unipolar return to zero
signal 3 = unipolar rz(bits, 1.2);
% recieve unipolar rz
recieved bits 3 = unipolar rz reciever(signal 3,10000,0.6);
% bit error rate
ber signal 3 = calculate ber(bits, recieved bits 3);
% calculate number of errors
number of errors signal 3 = ber signal 3 * 10000;
% add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 3 = add noise(signal 3,0.2,samples per bit);
% plot noisy signal
plot noisysignal unipolar rz(noisy signal 3, samples per bit);
% sweep sigma values from 0 -> 1.2
ber values signal 3 = sweep sigma uni rz(signal 3,0.6,bits,samples per bit);
%recieve bipolar rz line coding
% line code the stream of bits to bipolar return to zero
signal 4 = bipolar rz(bits, 1.2);
%recieve bipolar rz. note : decision levels is determind inside this function
recieved bits 4 = bipolar rz reciever(signal 4,10000,0,100);
% calculate ber for bipolar rz
ber signal 4 = calculate ber(bits, recieved bits 4);
% calculate number of errors
number of errors signal 4 = ber signal 4 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 4 = add noise(signal 4, 0.2, samples per bit);
% plot noisy signal
plot noisy signal bipolar rz(noisy signal 4, samples per bit);
```

```
% sweep sigma 0 -> 1.2 and calculate ber
ber values signal 4 = sweep sigma toggle(signal 4,bits,samples per bit);
%recieve manchester line coding
% start manchester code
signal 5 = manchester coding(bits, 1.2, samples per bit);
recieved bits 5 = manchester coding reciever(signal 5, samples per bit);
ber signal 5 = calculate ber(bits, recieved bits 5);
% calculate number of errors
number of errors signal 5 = ber signal 5 * 10000;
%add noise to tx signal and let sigma = 0.2 to plot the noisy signal
noisy signal 5 = add noise(signal 5,0.2,samples per bit);
% plot noisy signal
plot noisy signal manchester (noisy signal 5, samples per bit);
% sweep sigma 0 -> 1.2 and calculate ber
ber values signal 5 = sweep sigma manchester(signal 5, bits, samples per bit);
% plot ber values of different line codings with sigmas values
figure
hold on
semilogy(sigma, ber values signal 1);
semilogy (sigma, ber values signal 2);
semilogy(sigma, ber values signal 3);
semilogy (sigma, ber values signal 4);
semilogy(sigma, ber values signal 5);
legend("Unipolar nrz", "Polar nrz", "Unipolar rz", "Bipolar rz", "Manchester")
xlabel('Sigma')
vlabel('BER');
% BOUNS !!!!!!!!! % sigma = 0.2 0.3 0.4
sigma bouns = 0.2 : 0.1 : 0.4;
number of error in recieved noise bipolar rz =
detect number of errors(signal 4, sigma bouns, samples per bit, bits)
```

- **6.4 BONUS** (FOR THE CASE OF BIPOLAR RETURN TO ZERO, DESIGN AN ERROR DETECTION CIRCUIT. COUNT THE NUMBER OF DETECTED ERRORS IN CASE OF DIFFERENT NUMBER OF SIGMA (USE THE OUTPUT OF STEP 8).
  - First, we made a function that detects the no. of errors.

```
function number_of_errors =
detect_number_of_errors(signal, sigma, samples_per_bit, bits)
number_of_errors = zeros(1,length(sigma));
for i=1:length(sigma)
noisy_signal = add_noise(signal, sigma(i), samples_per_bit);
recieved_bits = bipolar_rz_reciever(noisy_signal,10000,0,100);
ber_noise_bipolar_rz = calculate_ber(bits,recieved_bits);
number_of_errors(i) = ber_noise_bipolar_rz*10000;
endfor
end
```

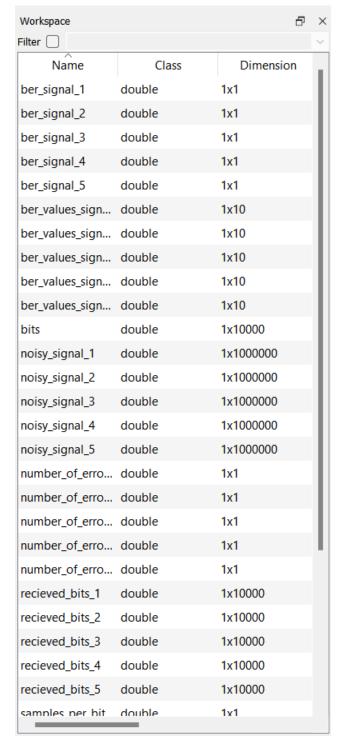
- Then we calculated the error in main

- Result

```
number_of_error_in_recieved_noise_bipolar_rz =

18 385 1046
```

## 6.5 WORKSPACE



samples_per_bit	double	1x1
sigma	double	1x10
signal_1	double	1x1000000
signal_2	double	1x1000000
signal_3	double	1x1000000
signal_4	double	1x1000000
signal_5	double	1x1000000
t	double	1x1000000

# 6.6 FOCUS ON SOME VARIABLES

# 6.6.1 NO. OF ERRORS SIGNALS 1 -> 5 without noise

numbe	er_of_error_signal_	2 [1x1 double]								Ð
1 <b>0</b>	1	2	3	4	5	6	7	8	9	10
_										
numbe	er_of_errors_signal	_1 [1x1 double]								Ð
	1	2	3	4	5	6	7	8	9	10
1 0										
-										
numbe	er_of_errors_signal	_3 [1x1 double]								Ð
	1	2	3	4	5	6	7	8	9	10
0										
_										
numbe	er_of_errors_signal	_4 [1x1 double]								
	1	2	3	4	5	6	7	8	9	10
1 0										
1 0										
	er_of_errors_signal	E [1v1 double]								5
IUIIIDE	a_or_errors_signal				-	-	_			
	1	2	3	4	5	6	7	8	9	10
0										

# 6.6.2 BER FOR SIGNALS 1 - > 5 without noise

er_sigr	nal_1 [1x1 double]									Ð
0	1	2	3	4	5	6	7	8	9	10
er_sigr	nal_2 [1x1 double]									
0	1	2	3	4	5	6	7	8	9	10
										1
er_sigr	nal_3 [1x1 double]									Ð
0	1	2	3	4	5	6	7	8	9	10
									1	1
er_sigr	nal_4 [1x1 double]									5
0	1	2	3	4	5	6	7	8	9	10
er sin	nal_5 [1x1 double]									5
er_sigi <b>0</b>	1	2	3	4	5	6	7	8	9	10

# 6.6.3 BER\_VALUES VS SIGMA FOR DIFFERENT VARIABLES

ber	_values_signal_	_1 [1x10 double]								5	7
	1	2	3	4	5	6	7	8	9	10	
	0	0	0.0131	0.066	0.1324	0.1888	0.2247	0.26	0.2842	0.3048	
		-5									
er	_values_signal_ 1	_2 [1x10 double]	3	4	5	6	7	8	9	10	,
	0	0	0	0.0008	0.0125	0.0375	0.0655	0.0981	0.1237	0.1591	
		i i									
er	_values_signal_	_3 [1x10 double]								5	1
	1	2	3	4	5	6	7	8	9	10	
	0	Θ	0.0129	0.0606	0.1233	0.1898	0.226	0.2527	0.2871	0.3086	
er	_values_signal_	_4 [1x10 double]								5	1
	1	2	3	4	5	6	7	8	9	10	
	0	Θ	0.0189	0.1036	0.1927	0.2751	0.3355	0.3817	0.4153	0.4344	
er		_5 [1x10 double]	2								_
	1	2	3	4	5	6	7	8	9	10	
	0	0	Θ	0.0013	0.0123	0.0399	0.0729	0.0985	0.129	0.1567	
igi	ma [1x10 doubl	e]									1
	1	2	3	4	5	6	7	8	9	10	_
	0	0.13333	0.26667	0.4	0.53333	0.66667	0.8	0.93333	1.0667	1.2	
,											

### 6.6.4 NOISY SIGNALS AT SIGMA = 0.2



#### 6.6.5 CONCLUSIONS

From previous calculations we can say that **Manchester** coding is the best line coding while **Bipolar** line coding is the worst.

#### 7.1 THE USED FUNCTIONS

- I. generate\_bits(num\_bits) "Repeated": This function generates a stream of random bits, where the num\_bits parameter specifies the number of bits to generate. This function would randomly select either a 1 or 0 for each bit.
- II. line\_code (bits,voltage\_high,voltage\_low): This function is used to generate a stream of polar NRZ bits, where bits is the random bits generated from generate\_bits(num\_bits).

```
function line_coded = line_code (bits, voltage_high, voltage_low)
  line_coded = [];
  for i = 1:length(bits);
    if bits(i) == 1
        line_coded = [line_coded ones(1,200)*voltage_high];
    elseif bits(i) == 0
        line_coded = [line_coded ones(1,200)*voltage_low];
    endif
  endfor
end
```

III. decision (bits): This function takes a signal as a parameter and decides whether each bit is one or zero then returns the reconstructed bits

```
function reconstructed = decision (bits)
  reconstructed = [];
  for index=1:length(bits)
    if bits(index) > 0
      reconstructed(index) = 1;
  elseif bits(index) <= 0
      reconstructed(index) = 0;
  endif
endfor
endfunction</pre>
```

IV. calculate\_ber(tx\_bits,rx\_bits): This function takes a stream of transimitted & received bits, compares between them then calculates the bit error rate from the formula:  $BER = \frac{no.\ of\ error\ bits}{Total\ no.\ of\ bits}$ 

```
% it is a function that calculate BER
% it takes two parmeters tx_bits
% tx_bits -> stream of bits of the transmitter
% rx_bits -> stream of bits of the Reciever
function BER = calculate_ber(tx_bits,rx_bits)
```

```
NumOfErrors = 0;
for index = 1:length(tx_bits);
   if tx_bits != rx_bits
        NumOfErrors = NumOfErrors +1;
   endif
endfor
BER = NumOfErrors/length(tx_bits);
end
```

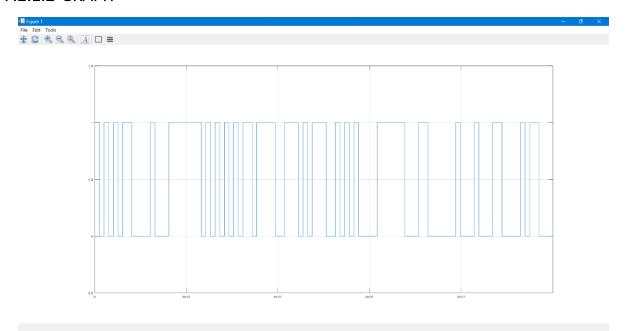
### 7.2 PART II TRANSIMITTER

7.2.1 Generate stream of random bits (100 bit) (This bit stream should be selected to be random, which means that the type of each bit is randomly selected by the program code to be either '1' or '0'.)

#### 7.2.1.1 CODE

```
clear all; close all;
# <include>generate bits.m</include>
# <include>line code.m</include>
# <include>decision.m</include>
# <include>calculate ber.m</include>
fc = 1e9; % Carrier frequency
Tb = 10/fc;
         % bit time
Rb = 1/Tb;
          % bit rate
ts = Tb/200; % sampling time
numOfBits = 100; % no. of bits
rand bits = generate bits(numOfBits);
t bits = linspace(0,Tb*numOfBits,numOfBits);
% Graph 100 random bits
figure
stairs (t bits, rand bits);
axis([0 t bits(end) -0.5 1.5]);
```

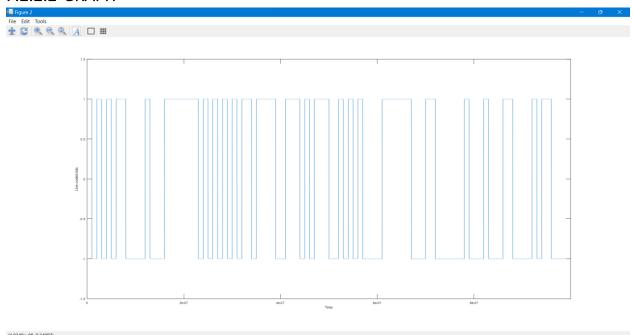
## 7.2.1.2 GRAPH



7.2.2 Line code the stream of bits (pulse shape) according to Polar non return to zero (Maximum voltage +1, Minimum voltage -1).

#### 7.2.2.1 CODE

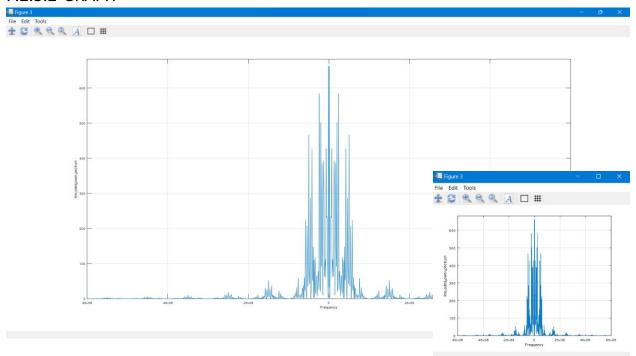
## 7.2.2.2 GRAPH



# 7.2.3 Plot the spectral domains.

# 7.2.3.1 CODE

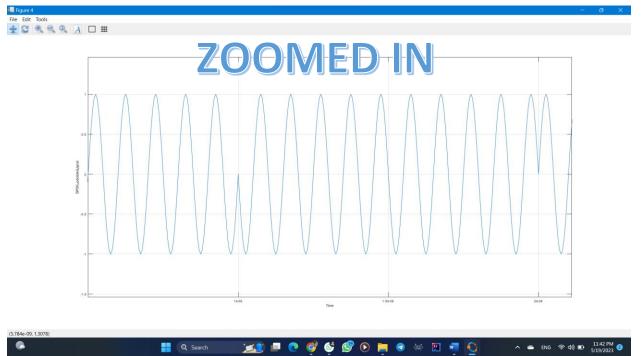
## 7.2.3.2 GRAPH

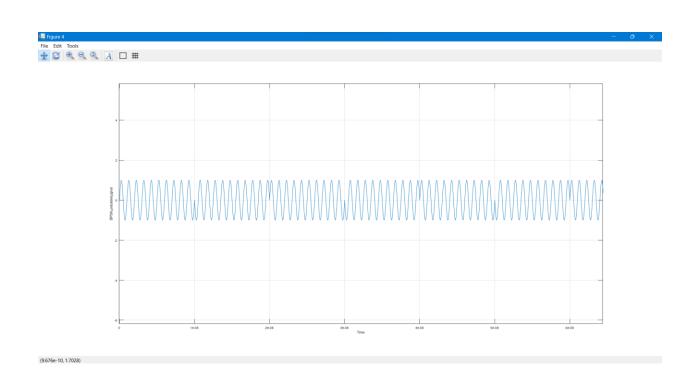


# 7.2.4 Plot the time domain of the modulated BPSK signal (fc = 1GHz)

## 7.2.4.1 CODE

# 7.2.4.2 GRAPH

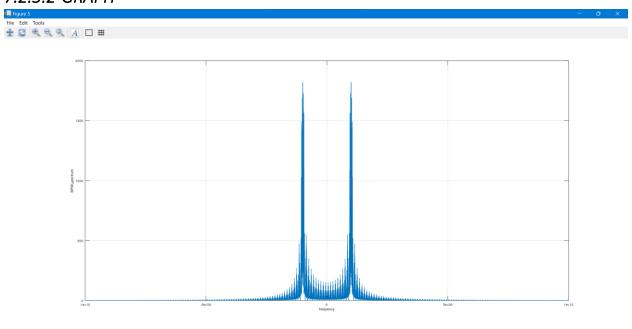




# 7.2.5 Plot the spectrum of the modulated BPSK signal.

## 7.2.5.1 CODE

## 7.2.5.2 GRAPH

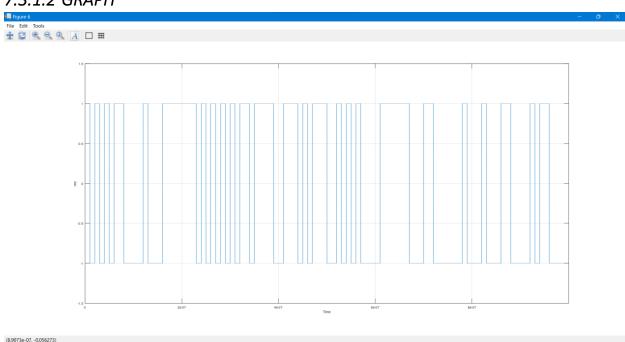


#### 7.3 PART II RECEIVER

7.3.1 Design a receiver which consists of modulator, integrator (simply LPF) and decision device.

## 7.3.1.1 CODE

#### 7.3.1.2 GRAPH



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7.3.2 Compare the output of decision level with the generated stream of bits in the transmitter. The comparison is performed by comparing the value of each received bit with the corresponding transmitted bit (step 1) and count number of errors. Then calculate bit error rate (BER) = number of error bits/Total number of bits.

#### 7.3.2.1 CODE

#### 7.3.2.2 Result

```
>> main
BER = 0
```

#### 7.4 PART II FULL CODE

```
clear all; close all;
# <include>generate bits.m</include>
# <include>line code.m</include>
# <include>decision.m</include>
# <include>calculate ber.m</include>
fc = 1e9; % Carrier frequency
Tb = 10/fc;
         % bit time
Rb = 1/Tb;
         % bit rate
ts = Tb/200; % sampling time
numOfBits = 100; % no. of bits
rand bits = generate bits(numOfBits);
t bits = linspace(0,Tb*numOfBits,numOfBits);
% Graph 100 random bits
figure
stairs(t bits, rand bits);
axis([0 t bits(end) -0.5 1.5]);
line coded bits = line code(rand bits, 1, -1);
Ns = length(line coded bits);
time = 0:ts:ts*(Ns-1);
```

```
figure
plot(time, line coded bits);
axis([0 length(line coded bits)*ts -1.5 1.5]);
xlabel("Time");
ylabel("Line coded bits");
df = 1/(Ns*ts);
fs = 1/ts;
N = length(time);
f = (-0.5*fs):df:(0.5*fs-df);
% Calculate the spectrum
line coded spectrum = abs((fftshift(fft(line coded bits)).^2)/N);
figure
plot(f, line coded spectrum);
axis([-6e8 6e8 0 max(line coded spectrum)+20]);
xlabel("Frequency");
ylabel("line coded power spectrum");
carrier = sin(2*pi*fc*time); % carrier is a sine wave
BPSK modulated signal = line coded bits.*carrier; % modulating the signal
% plotting BPSK modulated signal
plot(time, BPSK modulated signal);
axis([0 10/fc -1.5 1.5]);
xlabel("Time");
ylabel("BPSK modulated signal");
BPSK spectrum = abs(fftshift(fft(BPSK modulated signal)));
figure
plot(f, BPSK spectrum);
xlabel("frequency");
ylabel("BPSK spectrum");
BPSK demodulated signal = BPSK modulated signal.*carrier;
y=[];
for index = 1:200:length(BPSK demodulated signal);
 y = [y trapz(time(index:index+199),
BPSK demodulated signal(index:index+199))];
end
figure
reconstructed bits = line code(decision(y),1,-1);
plot(time, reconstructed bits);
```

# 7.5 WORKSPACE

Name	Class	Dimension	Value
BER	double	1x1	0
BPSK_demodul	double	1x20000	[0, 0.095492, 0.3
BPSK_modulate	double	1x20000	[0, 0.3090, 0.587
BPSK_spectrum	double	1x20000	[1.4742e-13, 0.0
N	double	1x1	20000
Ns	double	1x1	20000
Rb	double	1x1	1.0000e+08
Tb	double	1x1	1.0000e-08
carrier	double	1x20000	[0, 0.3090, 0.587
df	double	1x1	1000000
f	double	1x20000	-1e+10:1e+06:9
fc	double	1x1	1.0000e+09
fs	double	1x1	2.0000e+10
index	double	1x1	19801
line_coded_bits	double	1x20000	[1, 1, 1, 1, 1, 1, 1,
line_coded_spe	double	1x20000	[0, 2.5725e-06,
numOfBits	double	1x1	100
rand_bits	double	1x100	[1, 1, 1, 0, 0, 0, 0,
reconstructed_b	double	1x20000	[1, 1, 1, 1, 1, 1, 1,
t_bits	double	1x100	[0, 1.0101e-08,
time	double	1x20000	0:5e-11:9.9995e
ts	double	1x1	5.0000e-11
у	double	1x100	[4.9976e-09, 4.9