

University Of Bourgogne

Digital Signal Processing

Fast Fourier Transform (FFT)

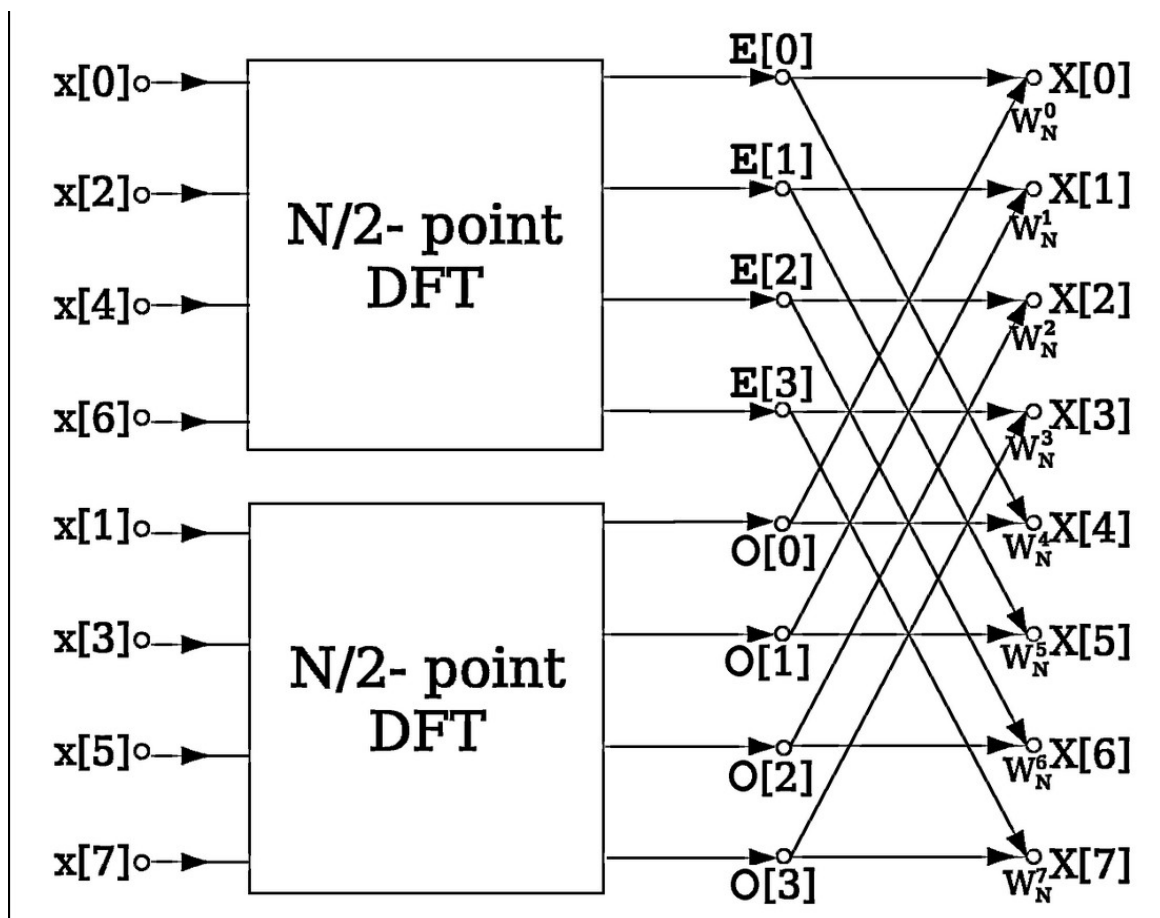
Ali Mahmoud Ahmed Mohamed

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Fast Fourier Transform (FFT):

A fast Fourier transform (FFT) is an [algorithm](#) that computes the [discrete Fourier transform](#) (DFT) of a sequence, or its inverse (IDFT). [Fourier analysis](#) converts a signal from its original domain (often time or space) to a representation in the [frequency domain](#) and vice versa. The DFT is obtained by decomposing a [sequence](#) of values into components of different frequencies.[\[1\]](#) This operation is useful in many fields, but computing it directly from the definition is often too slow to be practical. An FFT rapidly computes such transformations by [factorizing](#) the [DFT matrix](#) into a product of [sparse](#) (mostly zero) factors.[\[2\]](#) As a result, it manages to reduce the [complexity](#) of computing the DFT from $O(N^2)$, which arises if one simply applies the definition of DFT, to $O(N \log N)$, where N is the data size. The difference in speed can be enormous, especially for long data sets where N may be in the thousands or millions. In the presence of [round-off error](#), many FFT algorithms are much more accurate than evaluating the DFT definition directly or indirectly. There are many different FFT algorithms based on a wide range of published theories, from simple [complex-number arithmetic](#) to [group theory](#) and [number theory](#).



DSP System (FFT):

Add to The application the **fast Fourier transform (FFT)** features:

