Exploratory Data Analysis (EDA)

Outline

- Types of data
- Data objects and attributes
- Types, properties, and sources of datasets
- Data exploration
- Issues of data quality
- Handling data quality issues

Variable

- A variable or a feature is any characteristic, number, or quantity that can be measured or counted
- E.g.,
  - Age (21, 35, 62, …)
  - Gender (male, female)
  - Income ($25000, $35000, $50000, …)
  - House price ($450000, $980000, …)
  - Country of birth (Qatar, Australia, Saudi, …)
  - Eye colour (blue, brown, green, …)
  - Vehicle make (Toyota, Kia, …)

Variable Types

Type	Subtype	Examples
Categorical (Qualitative)	**Nominal**	Product type, name
	Ordinal	Size measured as small<medium<large
	Binary	Spam email (yes/no, true/false, 0/1)
	Date / Time	Job start date
Numerical (Quantitative)	**Discrete**	Number of students in a class
	Continuous	Height, weight

Understanding the type of variables is crucial for selecting appropriate statistical methods, visualization techniques, and ML algorithms

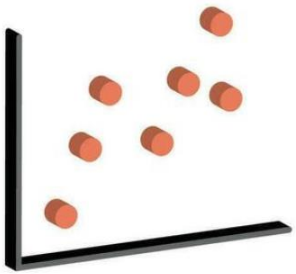
Categorical Variables

- **Categorical data are strings that represent qualitative data**
  - **Often selected from a group of categories, also called labels**
- **Nominal**, e.g., country of birth, gender, eye color, etc.
  - No inherent order or ranking
  - Operators applicable: **=, ≠**
  - 1:1 transformation permissible, e.g. ID: 974 ⇒ Qatar

- **Ordinal**, e.g. grade (A, B, C, D, F), degree (bachelor, master, PhD), height (tall, medium, short), etc.

  - Represent categories that can be meaningfully ordered
  - Operator applicable: **=, ≠, <, >, ≥, ≤**
  - Order-preserving transformation permitted,
    - e.g. height (tall, medium, short) to (1, 2, 3)

Numerical Variables



- **Discrete**
  - Whole numbers (counts) typically integers
  - E.g., The number of cars in a parking lot, the number of students in a class, or the count of items in a basket.

- **Continuous**
  - Measurable numeric variable that may contain any value within a range
  - Typically represented decimal numbers and fractions
  - E.g., Height, weight, temperature, or distance

Data Objects and Attributes

- **Data object:** (also known as record, sample, or entity) individual object/event
  - Characterized by its recorded values on a fixed set of features

- **Feature or attribute:** (also known as variable, field, or characteristic) a specific property or characteristic of the data object
  - **Raw Features:**
    - **Collected or measured** value of an attribute according to an appropriate measurement scale
  - **Derived Features**
    - Constructed from data in one or more raw features

Attributes

Objects

Tid	Refund	Marital Status	Taxable Income	Cheat
1	Yes	Single	125K	No
2	No	Married	100K	No
3	No	Single	70K	No
4	Yes	Married	120K	No
5	No	Divorced	95K	Yes
6	No	Married	60K	No
7	Yes	Divorced	220K	No
8	No	Single	85K	Yes
9	No	Married	75K	No
10	No	Single	90K	Yes

Derived Features

- **Aggregates:** defined over a group or period, e.g., count, sum, average, minimum, or maximum of the values
- **Flags:** indicate presence or absence of some characteristic within a dataset, e.g., a flag indicating whether or not a bank account has ever been overdrawn
- **Ratios:** capture relationship between two or more raw data values, e.g., a ratio between a loan applicant's salary and the amount for which they are requesting
- **Mappings:** convert continuous features into categorical features, e.g., map the salary values to low, medium, and high
- **Others:** no restrictions to the ways in which we can combine data to make derived features, e.g., use satellite photos to count the number of cars in the parking lots and use this as a proxy measure of activity within a competitor's stores!

Goals for Derived Features

- To **improve** the accuracy and performance of machine learning models by transforming the raw data into a more meaningful representation that can better capture the underlying relationships in the data

- To help to **reduce** the dimensionality of a dataset and make it easier to visualize and understand the relationships between variables

Types of datasets

Age Group	Own Car	Income Band	Class
young	yes	low	risky
young	no	low	risky
middle aged	yes	middle	risky
middle aged	no	high	safe
middle aged	yes	low	risky
young	yes	high	risky
middle aged	no	low	safe
retired	yes	middle	safe
retired	no	middle	safe
retired	yes	high	safe

Relational Table

No.	studentID Numeric	Homework1 Numeric	Homework2 Numeric	Homework3 Numeric	Final Exam Numeric
1	1.0		94.0	34.0	42.0
2	2.0	35.0	94.0	85.0	45.0
3	3.0	31.0	46.0	22.0	48.0
4	4.0	46.0	90.0	60.0	50.0
5	5.0	52.0	94.0	49.0	50.0
6	6.0	58.0	94.0	30.0	51.0
7	7.0	47.0	90.0		52.0
8	8.0	37.0	94.0	25.0	52.0
9	9.0	35.0	94.0	45.0	54.0
10	10.0	57.0	94.0	100.0	54.0
11	11.0	51.0	94.0	5.0	54.0
12	12.0	45.0	94.0	33.0	55.0
13	13.0	44.0	0.0	35.0	55.0
14	14.0	52.0	95.0	56.0	56.0
15	15.0	35.0	94.0		57.0
16	16.0	57.0	97.0	57.0	57.0
17	17.0	45.0	90.0	71.0	57.0
18	18.0	39.0	94.0	54.0	57.0
19	19.0	31.0	94.0	63.0	57.0
20	20.0	45.0	94.0		59.0
21	21.0	35.0	90.0	84.0	59.0
22	22.0	37.0	90.0	40.0	61.0
23	23.0	83.0	97.0	26.0	61.0
24	24.0	68.0	97.0	55.0	62.0
25	25.0	50.0	95.0	56.0	62.0
26	26.0	77.0	93.0		63.0
27	27.0	84.0	48.0	18.0	63.0

Data Matrix

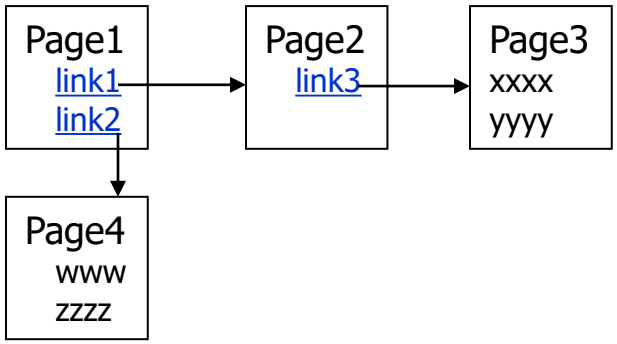
TID	Items
100	apple, milk, newspaper
200	apple, beef, milk, newspaper, potato
300	beef, potato
400	beef, noodles
500	beef, potato

Transaction Data

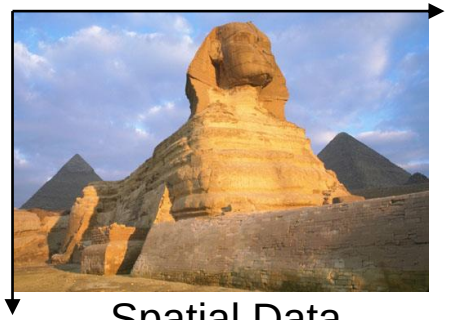
	team	coach	play	ball	score	game	win	lost	timeout	season
Document 1	3	0	5	0	2	6	0	2	0	2
Document 2	0	7	0	2	1	0	0	3	0	0
Document 3	0	1	0	0	1	2	2	0	3	0

Document-term Matrix

Types of data sets (cont.)



Web Structure



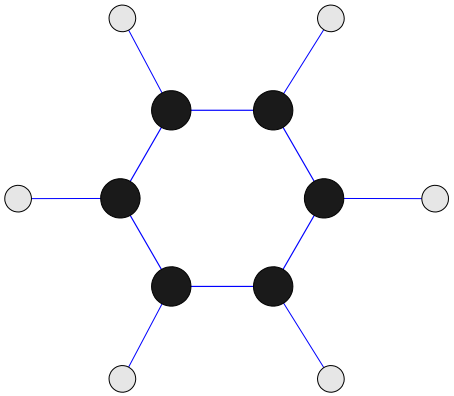
Spatial Data

GGTTCCGCCTTCAGCC
CCGCGCCCGCAGGG...

Data Sequence

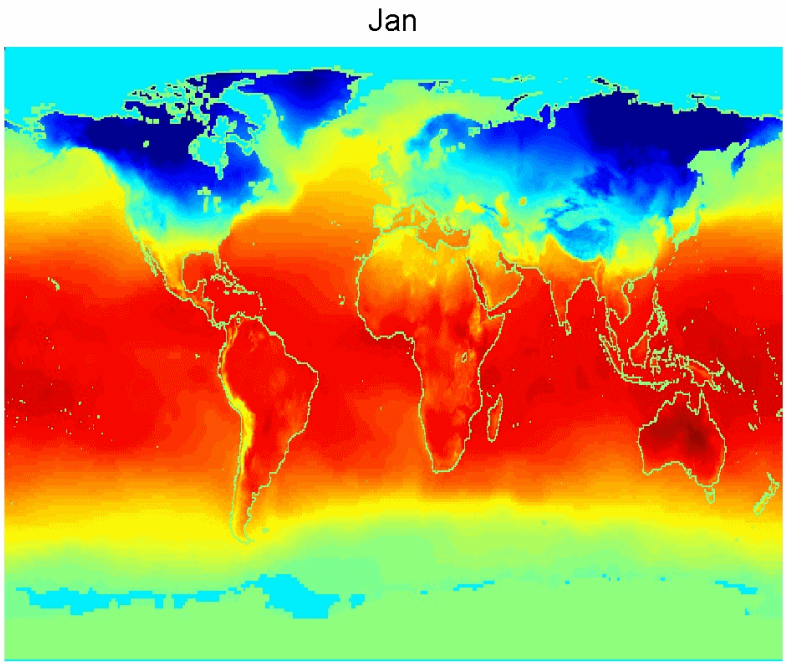
Types of data sets (cont.)

Chemical Data



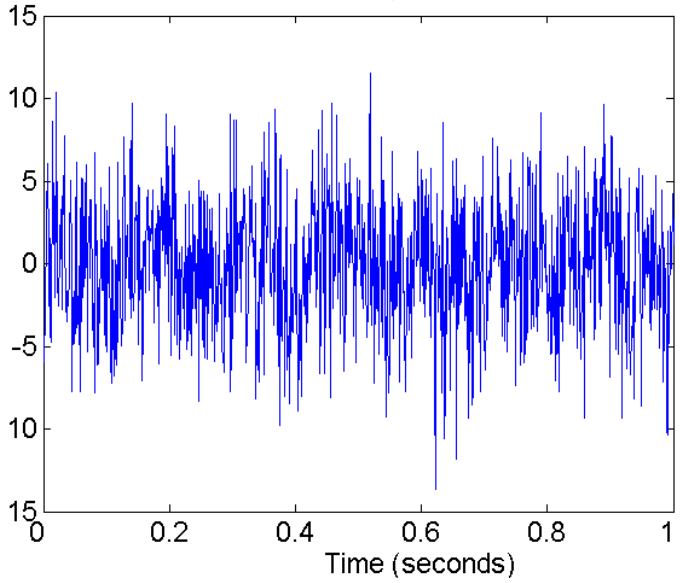
Benzene Molecule: C_6H_6

Spatio-Temporal Data



Average Monthly Temperature of land and ocean

Time Series



Data Matrix

- Data can often be represented or abstracted as an $n \times d$ *data matrix*, with n rows and d columns, given as

$$\boldsymbol{D} = \begin{array}{c|cccc} & X_1 & X_2 & \cdots & X_d \\ \hline \boldsymbol{x}_1 & x_{11} & x_{12} & \cdots & x_{1d} \\ \boldsymbol{x}_2 & x_{21} & x_{22} & \cdots & x_{2d} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ \boldsymbol{x}_n & x_{n1} & x_{n2} & \cdots & x_{nd} \end{array}$$

- **Rows:** Also called *instances*, *examples*, *records*, *transactions*, *objects*, *points*, *feature-vectors*, etc. Given as a d-tuple

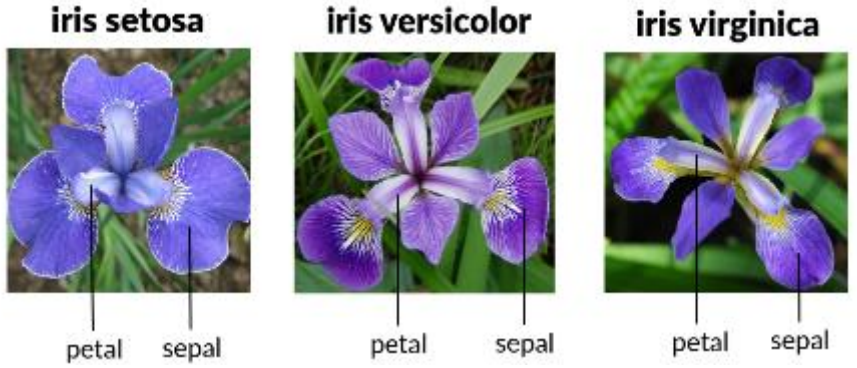
$$\boldsymbol{x}_i = (x_{i1}, x_{i2}, \ldots, x_{id})$$

- **Columns:** Also called *attributes*, *properties*, *features*, *dimensions*, *variables*, *fields*, etc. Given as an n-tuple

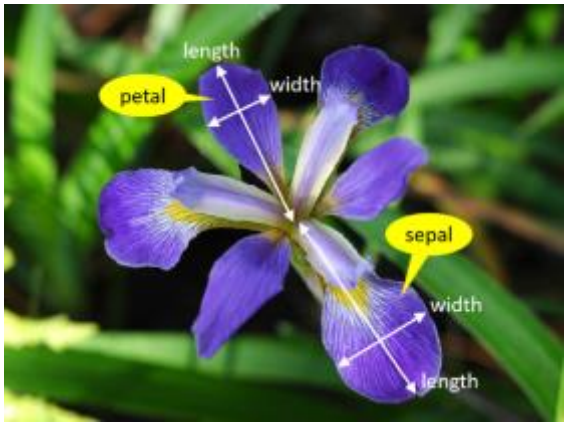
$$\boldsymbol{X}_j = (x_{1j}, x_{2j}, \ldots, x_{nj})$$

Iris Dataset Extract

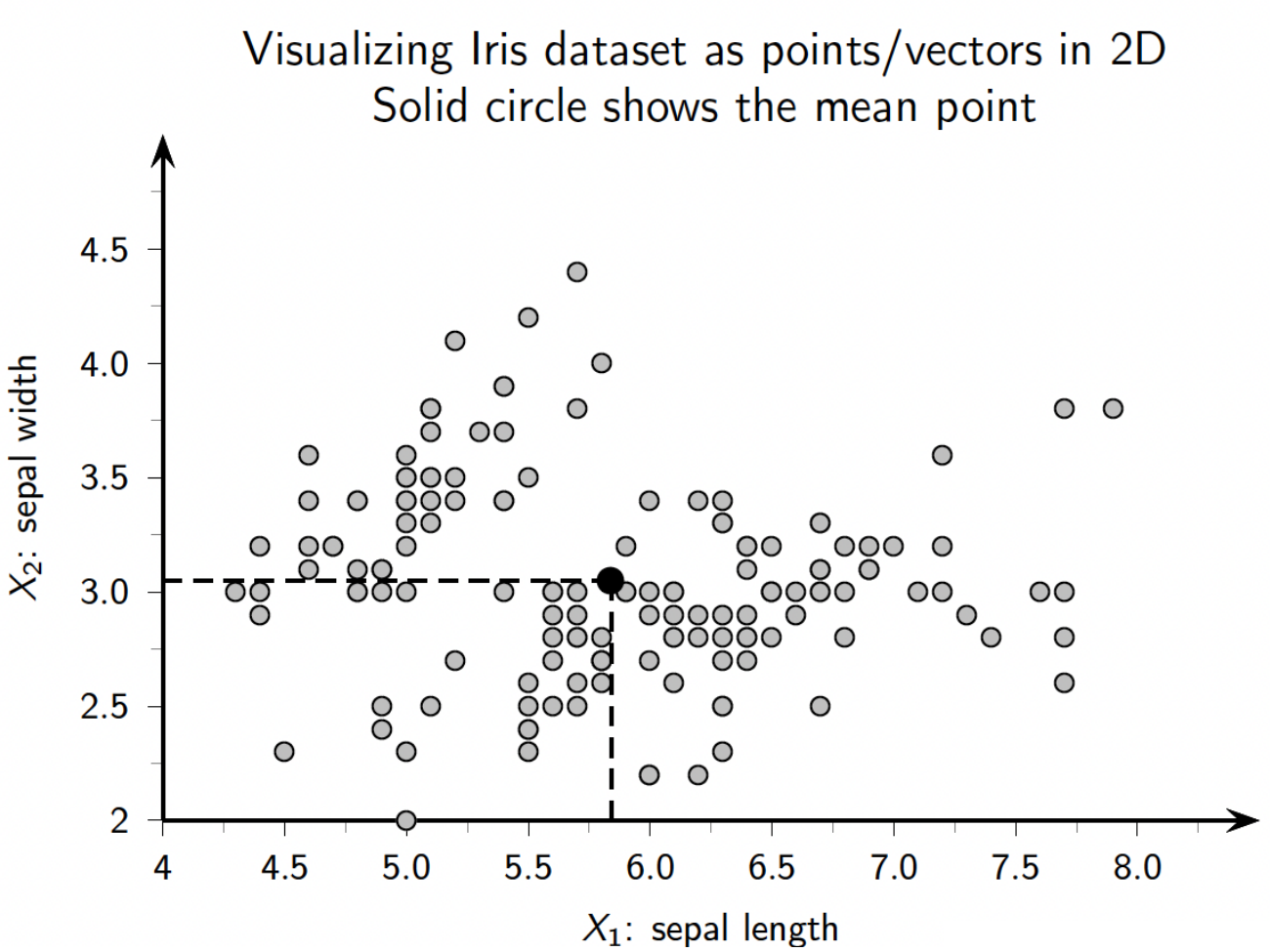
Data to quantify the morphologic variation of *Iris* flowers
Wikipedia



	Sepal length X_1	Sepal width X_2	Petal length X_3	Petal width X_4	Class X_5
x_1	5.9	3.0	4.2	1.5	Iris-versicolor
x_2	6.9	3.1	4.9	1.5	Iris-versicolor
x_3	6.6	2.9	4.6	1.3	Iris-versicolor
x_4	4.6	3.2	1.4	0.2	Iris-setosa
x_5	6.0	2.2	4.0	1.0	Iris-versicolor
x_6	4.7	3.2	1.3	0.2	Iris-setosa
x_7	6.5	3.0	5.8	2.2	Iris-virginica
x_8	5.8	2.7	5.1	1.9	Iris-virginica
⋮	⋮	⋮	⋮	⋮	⋮
x_{149}	7.7	3.8	6.7	2.2	Iris-virginica
x_{150}	5.1	3.4	1.5	0.2	Iris-setosa



Scatterplot: 2D Iris Dataset
sepal length **versus** sepal width



Dataset Properties

Size:	Measured in terms of the total number of records or total number of bytes, e.g. Small (MB), medium (GB) and large (TB)
Dimensionality:	Number of attributes
Sparsity:	• Values are skewed to some extreme or sub-ranges • Asymmetric values (some are more important than others)
Resolution:	• Right level of data details • Related to the intended purpose

Data Sources

- **Public data**
  - Data hubs https://www.kaggle.com/datasets
  - Machine learning challenges
  - Data conferences
  - Many others…
- **Enterprise/Organisational data warehouse**
  - An organisational database for decision making
  - A central data repository separate from operational systems
  - Equipped with data analysis and reporting tools
- **Your own generated/collected data**

Putting the ML Project Lifecycle into Practice

- A strategy to approach any machine learning project:
  - **Phase 1: Discovery (Data Gathering/Exploration)**
  - Phase 2: Data Preparation
  - Phase 3: Model Planning
  - Phase 4: Model Building
  - Phase 5: Results Presentation
  - Phase 6: Deployment

Data Exploration

- **Purpose:**
  - Better understanding of the characteristics of data
  - Better decision over data pre-processing tasks

- **Categories of data exploration techniques**
  - **Summary statistics:** using a small set of descriptors to describe the characteristics of a large data set

  - **Data visualisation:** using graphical or tabular forms to reveal hidden data patterns

Summary Statistics - Central Tendency

- Mean and Median for continuous attributes:

  - **Mean**

$$\bar{x} = \frac{1}{n}\sum_{i=1}^{n} x_i$$

  - **Median** (Middle value if odd number of values, or average of the middle two values otherwise)

  Median is a better indication of "average" when data distribution is skewed, or outliers are present

  - Trimmed Mean and Median (after trimming top and bottom p%)

Summary Statistics - Central Tendency

- **Mode** for categorical attributes:
  - Frequency counts of values that a feature takes
  - Proportion: Frequency count for a value divided by the total sample size
  - **Mode**: the most frequently occurred value

Summary Statistics - Measures of Spread

- Range

$$range(x) = \max(x) - \min(x)$$

- Variance (σ^2)

$$\sigma^2 = \frac{1}{m-1}\sum_{i=1}^{m}(x_i - \bar{x})^2$$

- Standard Deviation (σ)

$$\sigma = \sqrt{\frac{1}{m-1}\sum_{i=1}^{m}(x_i - \bar{x})^2}$$

- Percentiles continuous attributes:
  - Given an attribute x and an integer p ($0 \leq p \leq 100$), the percentile x_p is a value of x such that $p\%$ observed values of x are less than x_p. Q_1 (25th percentile), Q_3 (75th percentile)
  - Inter-quartile range: IQR = $Q_3 - Q_1$

Summary Statistics using Pandas

`df.describe()`

Python: Using Python statistics module

In [71]:

```
#Using Python statistics Module: Mathematical statistics functions in Python
from statistics import *
import random
data = [1,2,4,1,8,9,4,3,5,8,3,7,1,2]
print(sorted(data))
print("mean",mean(data))
print("median",median(data))
print("mode",mode(data)) #Single mode (most common value) of discrete or nominal data.
print("multimode",multimode(data)) #List of modes (most common values) of discrete or nominal data.
print("quantiles",quantiles(data)) #Divide data into intervals with equal probability
print("variance",variance(data)) #sample variance of data
print("std",stdev(data))  #sample standard deviation
```

```
[1, 1, 1, 2, 2, 3, 3, 4, 4, 5, 7, 8, 8, 9]
mean 4.142857142857143
median 3.5
mode 1
```

Data Exploration

- **Summary Statistics (cont.)**

2- Measures of Spread:

```
#Using Python statistics Module: Mathematical statistics functions in Python
from statistics import *
import random
data = [1,2,4,1,8,9,4,3,5,8,3,7,1,2]
print(sorted(data))
print("mean",mean(data))
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print("quantiles",quantiles(data)) #Divide data into intervals with equal probability
print("variance",variance(data)) #sample variance of data
print("std",stdev(data))  #sample standard deviation
```

```
[1, 1, 1, 2, 2, 3, 3, 4, 4, 5, 7, 8, 8, 9]
mean 4.142857142857143
median 3.5
mode 1
multimode [1]
quantiles [1.75, 3.5, 7.25]
variance 7.978021978021978
std 2.824539250572025
```

Numeric Data Matrix

If all attributes are numeric, then the data matrix $\boldsymbol{D}$ is an $n \times d$ matrix, or equivalently a set of n row vectors $\boldsymbol{x}_i^T \in \mathbb{R}^d$ or a set of d column vectors $X_j \in \mathbb{R}^n$

$$\boldsymbol{D} = \begin{pmatrix} x_{11} & x_{12} & \cdots & x_{1d} \\ x_{21} & x_{22} & \cdots & x_{2d} \\ \vdots & \vdots & \ddots & \vdots \\ x_{n1} & x_{n2} & \cdots & x_{nd} \end{pmatrix} = \begin{pmatrix} — \boldsymbol{x}_1^T — \\ — \boldsymbol{x}_2^T — \\ \vdots \\ — \boldsymbol{x}_n^T — \end{pmatrix} = \begin{pmatrix} | & | & & | \\ X_1 & X_2 & \cdots & X_d \\ | & | & & | \end{pmatrix}$$

The *mean* of the data matrix $\boldsymbol{D}$ is the average of all the points: $mean(\boldsymbol{D}) = \boldsymbol{\mu} = \frac{1}{n}\sum_{i=1}^{n} \boldsymbol{x}_i$

The *centered data matrix* is obtained by subtracting the mean from all the points:

$$\boldsymbol{Z} = \boldsymbol{D} - 1 \cdot \boldsymbol{\mu}^T = \begin{pmatrix} \boldsymbol{x}_1^T \\ \boldsymbol{x}_2^T \\ \vdots \\ \boldsymbol{x}_n^T \end{pmatrix} - \begin{pmatrix} \boldsymbol{\mu}^T \\ \boldsymbol{\mu}^T \\ \vdots \\ \boldsymbol{\mu}^T \end{pmatrix} = \begin{pmatrix} \boldsymbol{x}_1^T - \boldsymbol{\mu}^T \\ \boldsymbol{x}_2^T - \boldsymbol{\mu}^T \\ \vdots \\ \boldsymbol{x}_n^T - \boldsymbol{\mu}^T \end{pmatrix} = \begin{pmatrix} \boldsymbol{z}_1^T \\ \boldsymbol{z}_2^T \\ \vdots \\ \boldsymbol{z}_n^T \end{pmatrix} \tag{1}$$

where $\boldsymbol{z}_i = \boldsymbol{x}_i - \boldsymbol{\mu}$ is a centered point, and $1 \in \mathbb{R}^n$ is the vector of ones.

Multivariate Summary Statistics

- Measures relationship between pairs of continues features
  - Covariance

$$\sigma_{xy} = \text{covariance}(x, y) = \frac{1}{m-1}\sum_{i=1}^{m}(x_i - \bar{x})(y_i - \bar{y})$$

    - a measure of the linear relations
    - measures the extent to which the variables change together.

  - The covariance matrix is a d x d (square) symmetric matrix

$$\begin{pmatrix} \sigma_1^2 & \sigma_{12} & \cdots & \sigma_{1d} \\ \sigma_{21} & \sigma_2^2 & \cdots & \sigma_{2d} \\ \cdots & \cdots & \cdots & \cdots \\ \sigma_{d1} & \sigma_{d2} & \cdots & \sigma_d^2 \end{pmatrix}$$

  - Correlation (Pearson's Correlation Coefficient)

$$\rho_{x,y} = \text{correlation}(x, y) = \frac{\text{covariance}(x, y)}{\sigma_x \sigma_y}$$

    - a measure of the linear relations
    - Between −1 and +1
    - If >0 or < 0, positively/negatively correlated (x's values increase/decrease as y's).
    - The closer to +1 or -1, the stronger correlation.
    - If = 0: independent.
  - The correlation matrix is a d x d (square) symmetric matrix

$$\begin{pmatrix} \rho_1^2 & \rho_{12} & \cdots & \rho_{1d} \\ \rho_{21} & \rho_2^2 & \cdots & \rho_{2d} \\ \cdots & \cdots & \cdots & \cdots \\ \rho_{d1} & \rho_{d2} & \cdots & \rho_d^2 \end{pmatrix}$$

Pearson's correlation coefficient

- Pearson's correlation coefficient is a parametric measure of the linear relationship between two continuous variables. As a parametric method, it makes certain assumptions about the data, including:
  - Linearity: there is a linear relationship between the two variables. If the relationship between the variables is not linear, Pearson's correlation may not accurately reflect the relationship.
  - Normality: the data is normally distributed. This means that the distribution of the residuals (the difference between the values) should follow a normal distribution.
  - Independence: the observations are independent of one another. This means that the value of one observation does not influence the value of another observation.

  If these assumptions are not met, Pearson's correlation may not accurately reflect the relationship between the variables. In these cases, non-parametric methods, such as Spearman's rank correlation, may be more appropriate.

Spearman's Rank Correlation

- Spearman's Rank Correlation
  - non-parametric
  - measure of the monotonic relations
  - measures the relationship between two discrete variables or between a continuous variable and an discrete variable.
  - calculated based on the ranks of the data points instead of the actual values.

- Example:

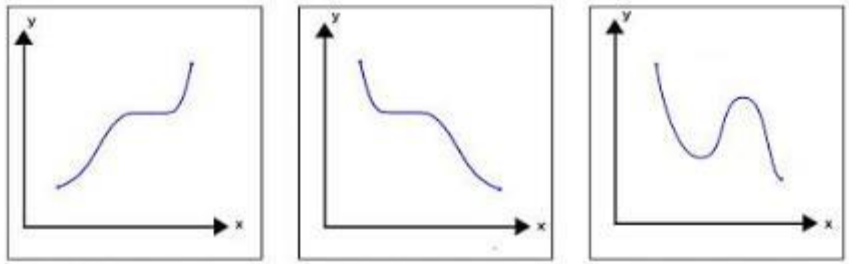


Figure 1 - A Monotonically Increasing function

Figure 2 - A Monotonically decreasing function

Figure 3 - A function that is not Monotonic

Students	Maths	Science
A	35	24
B	20	35
C	49	39
D	44	48
E	30	45

Students	Maths	Rank	Science	Rank	d	d square
A	35	3	24	5	2	4
B	20	5	35	4	1	1
C	49	1	39	3	2	4
D	44	2	48	1	1	1
E	30	4	45	2	2	4
						14

$$\rho = 1 - \frac{6 \sum d_i^2}{n(n^2 - 1)}$$

ρ = Spearman's rank correlation coefficient

d_i = difference between the two ranks of each observation

n = number of observations

1 - (6 * 14) / 5(25 - 1) = 0.3

The Spearman's Rank Correlation for the given data is 0.3. The value is near 0, which means that there is a weak correlation between the two ranks.

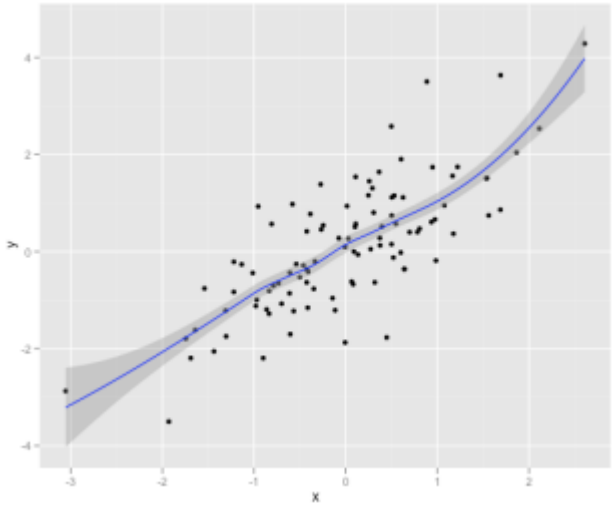
Data Exploration (Visualization)

Summary statistics give us some sense of the data:

- Mean vs. Median.
- Standard deviation
- Quartiles, Min/Max
- Correlations between variables.

```
Summary(data)
       x                       y
 Min.   :-3.05439   Min.   :-3.50179
 1st Qu.:-0.61055   1st Qu.:-0.75968
 Median : 0.04666   Median : 0.07340
 Mean   :-0.01105   Mean   : 0.09383
 3rd Qu.: 0.56067   3rd Qu.: 0.88114
 Max.   : 2.60614   Max.   : 4.28693
```

Why Visualize?



Visualization gives us a more holistic sense

Anscombe's Quartet

4 data sets, characterized by the following. Are they the same, or are they different?

Property	Values
Mean of x in each case	9
Exact variance of x in each case	11
Exact mean of y in each case	7.5 (to 2 d.p)
Variance of Y in each case	4.13 (to 2 d.p)
Correlations between x and y in each case	0.816
Linear regression line in each case	Y = 3.00 + 0.500x (to 2 d.p and 3 d.p resp.)

i

X	y
10.00	8.04
8.00	6.95
13.00	7.58
9.00	8.81
11.00	8.33
14.00	9.96
6.00	7.24
4.00	4.26
12.00	10.84
7.00	4.82
5.00	5.68

ii

x	y
10.00	9.14
8.00	8.14
13.00	8.74
9.00	8.77
11.00	9.26
14.00	8.10
6.00	6.13
4.00	3.10
12.00	9.13
7.00	7.26
5.00	4.74

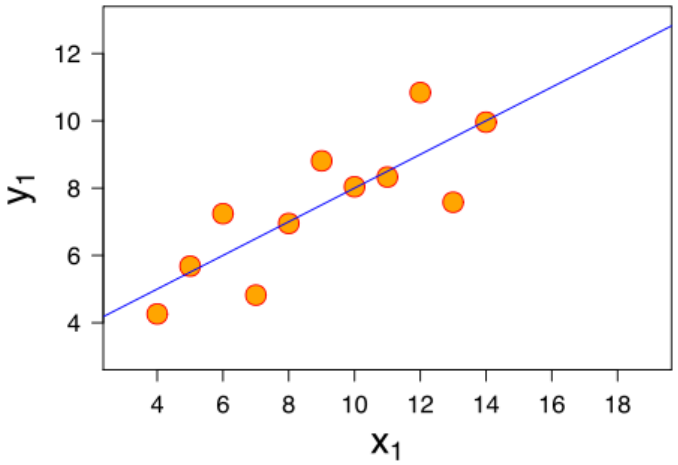
iii

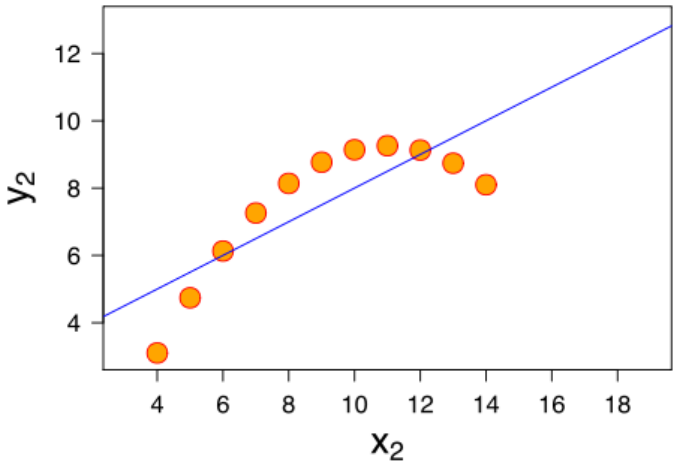
x	y
10.00	7.46
8.00	6.77
13.00	12.74
9.00	7.11
11.00	7.81
14.00	8.84
6.00	6.08
4.00	5.39
12.00	8.15
7.00	6.42
5.00	5.73

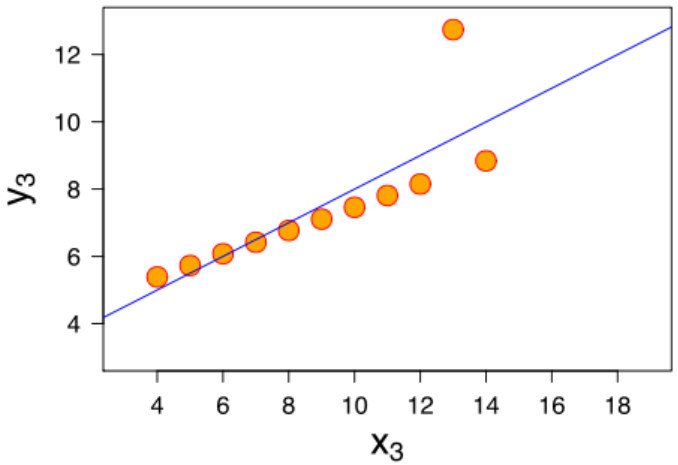
iv

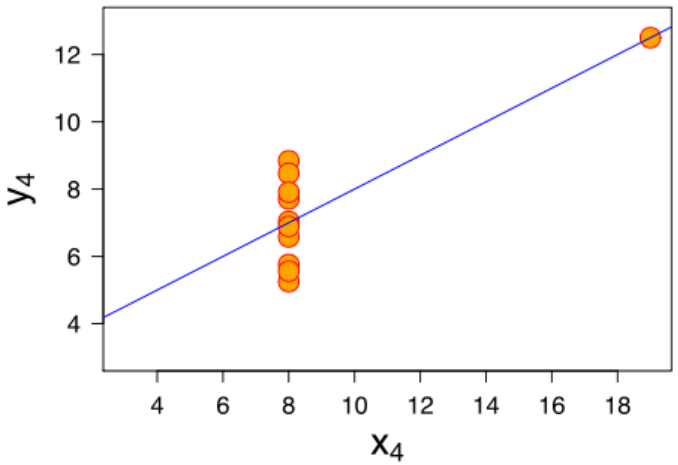
x	y
8.00	6.58
8.00	5.76
8.00	7.71
8.00	8.84
8.00	8.47
8.00	7.04
8.00	5.25
19.00	12.50
8.00	5.56
8.00	7.91
8.00	6.89

Moral: Visualize Before Analyzing!









Visualizing Your Data

- Examining the distribution of a single variable
- Analyzing a single variable over time
- Analyzing the relationship between two variables
- Establishing multiple pair wise relationships between variables

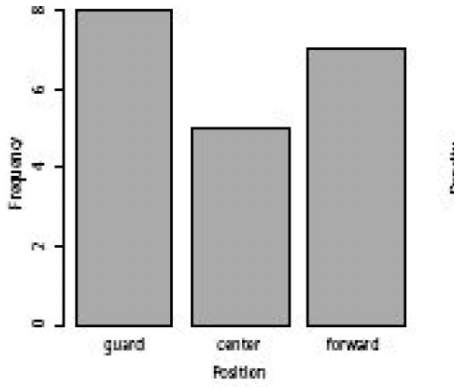
Data visualization for a single feature

- Bar plot

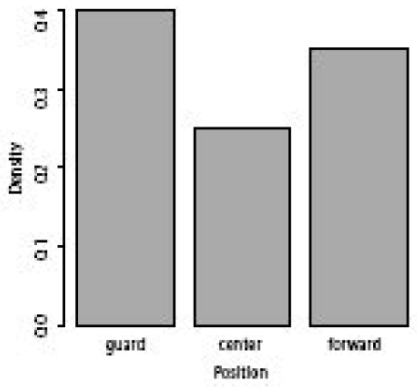
A dataset showing the positions and monthly training expenses of a basketball team.

ID	POSITION	TRAINING EXPENSES
1	center	56.75
2	guard	1,800.11
3	guard	1,341.03
4	forward	749.50
5	guard	1,150.00
6	forward	928.30
7	center	250.90
8	guard	806.15
9	guard	1,209.02
10	forward	405.72

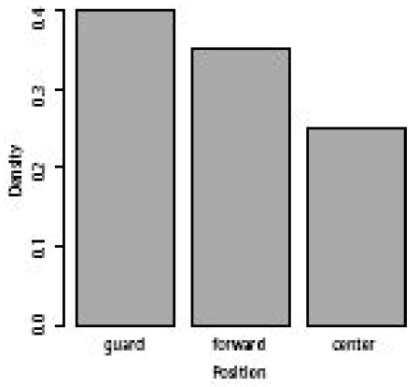
ID	POSITION	TRAINING EXPENSES
11	center	550.00
12	center	223.89
13	center	103.23
14	forward	758.22
15	forward	430.79
16	forward	675.11
17	guard	1,657.20
18	guard	1,405.18
19	guard	760.51
20	forward	985.41



Frequency bar plot for
for the POSITION feature



Density bar plot.
(Probability distribution)

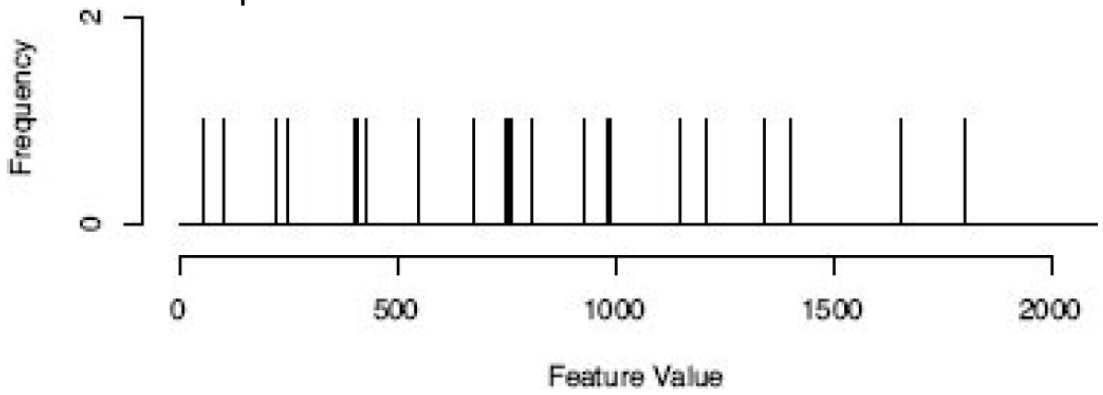


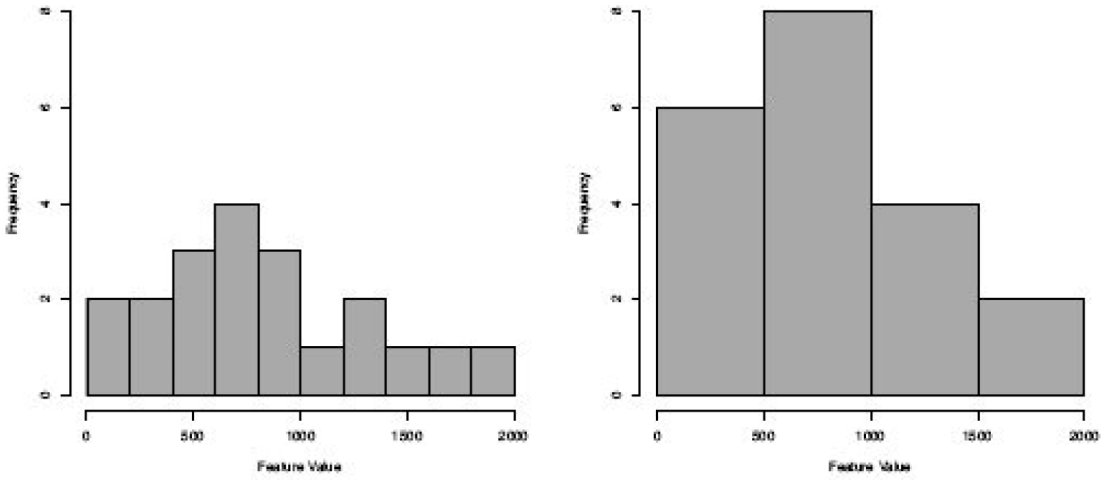
Order density bar plot.

Data visualization for a single feature

- Histogram,

Bar plot of the continuous TRAINING EXPENSES feature

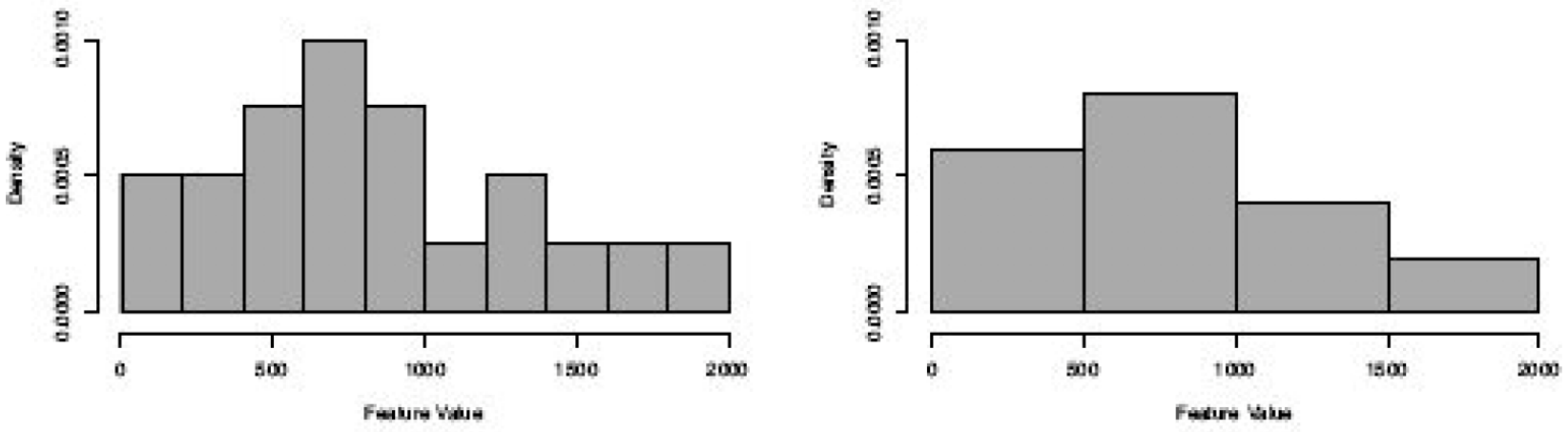




Frequency histograms (200/500-unit intervals) for the continuous TRAINING EXPENSES feature

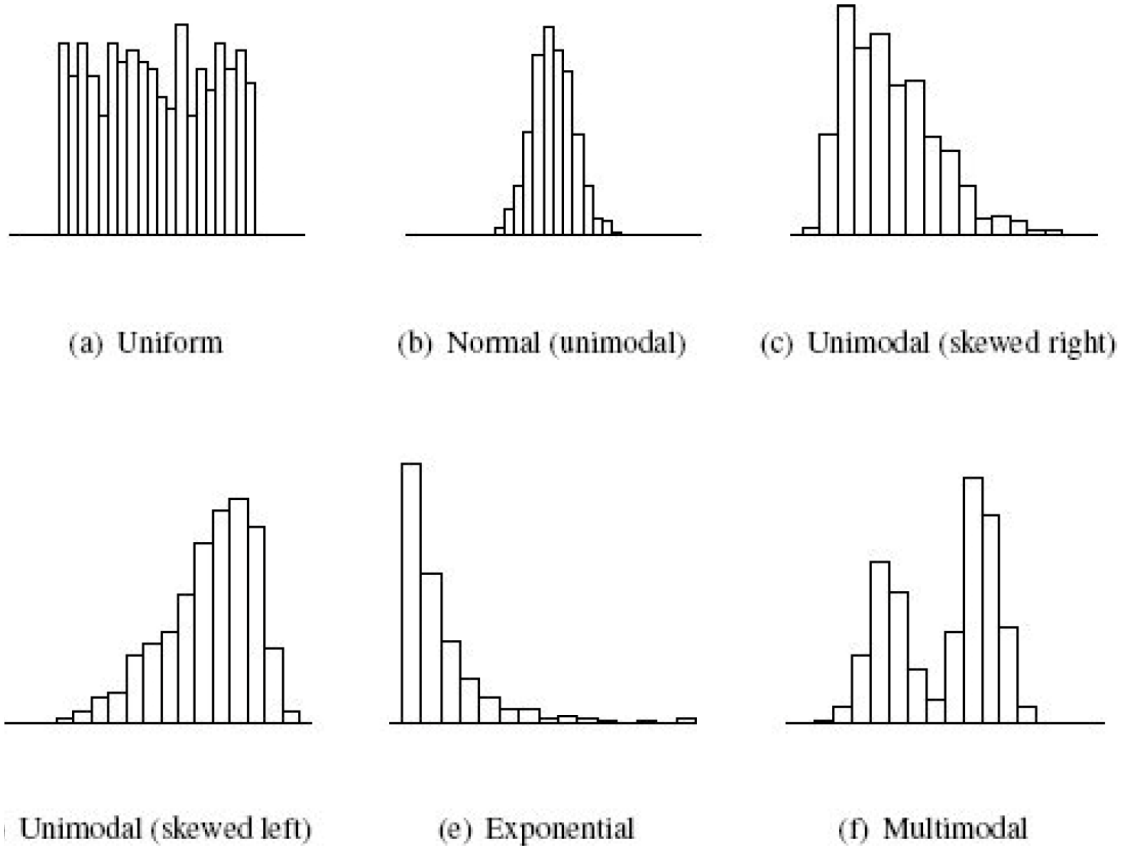
Data visualization for a single feature

- Histogram to probability distribution
  - divide the count for each interval by the total number of observations in the dataset multiplied by the width of the interval



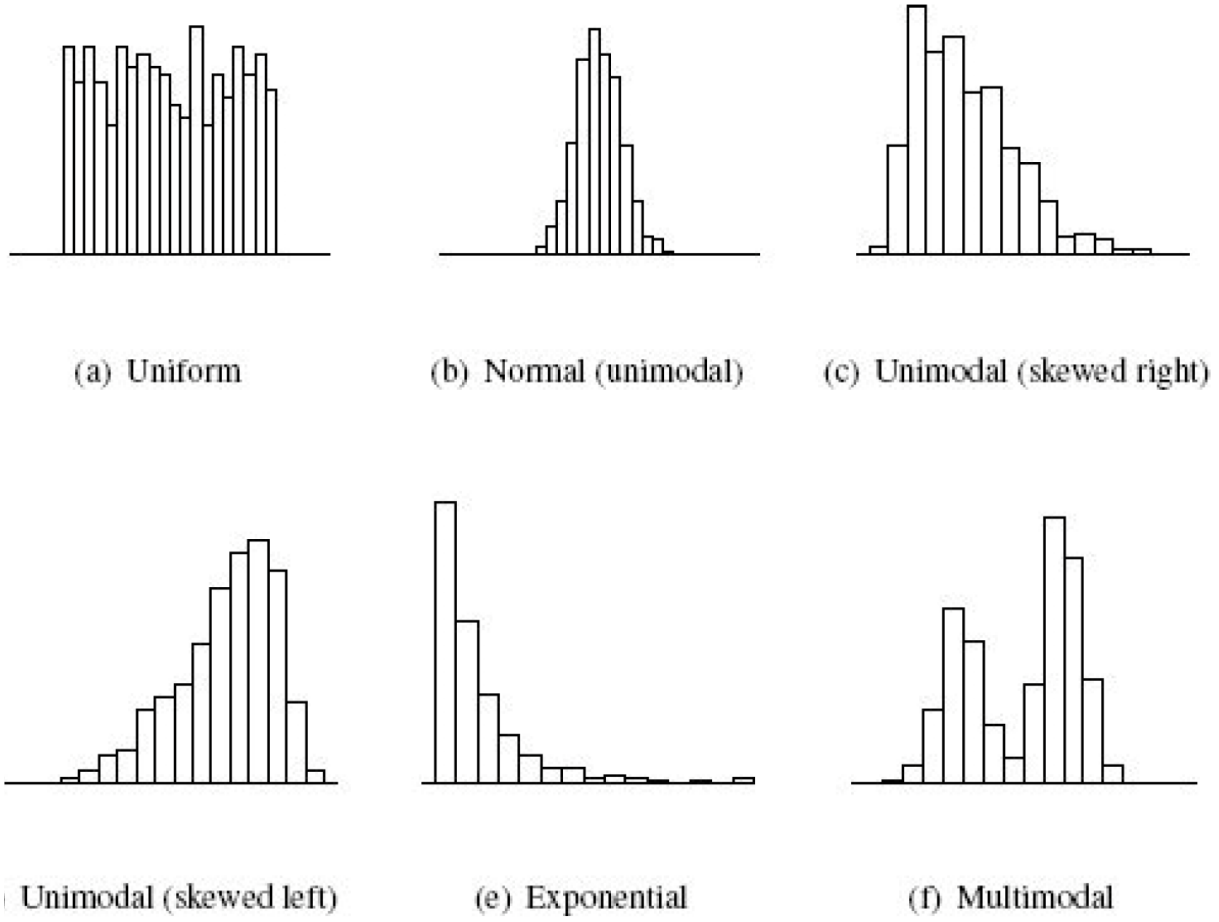
Density histograms (200/500-unit intervals) for the continuous TRAINING EXPENSES feature

Probablity Distributions



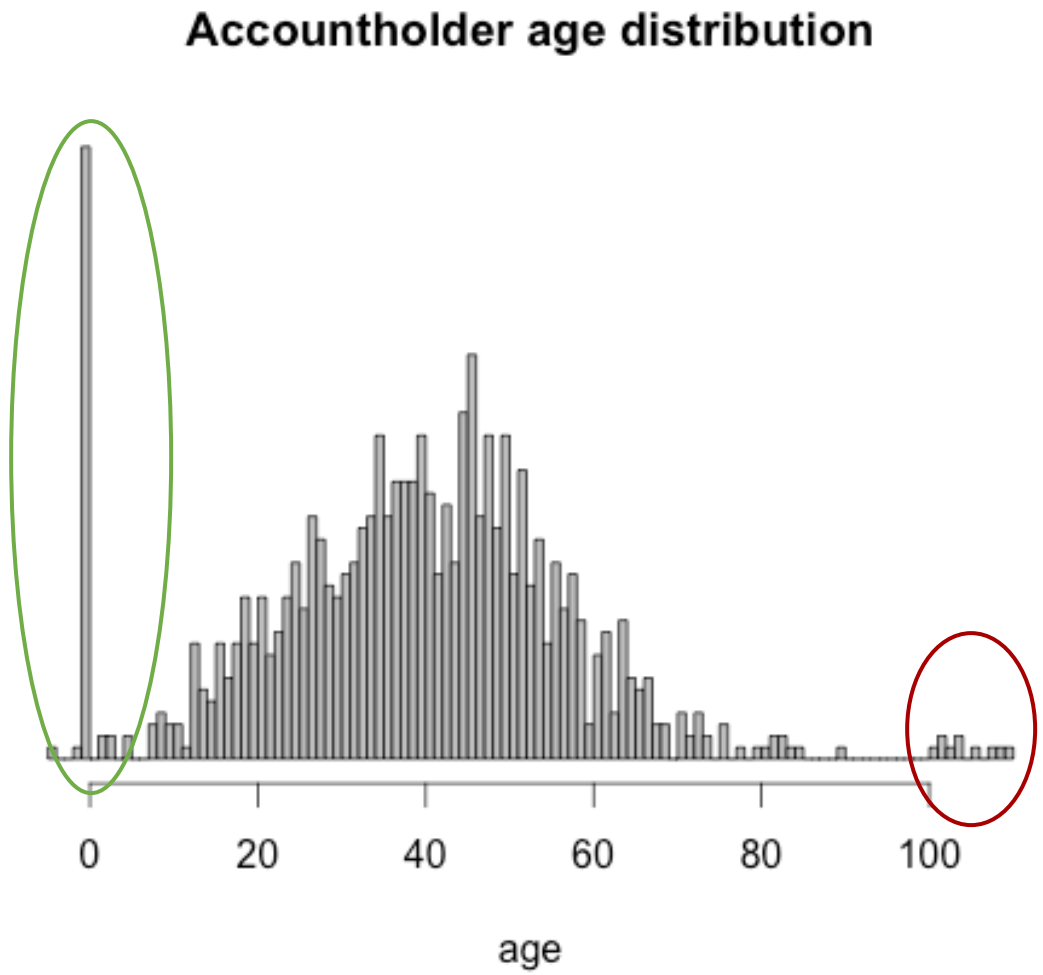
Histograms for six different sets of data, each of which exhibit well-known, common characteristics.

Probablity Distributions



Histograms for six different sets of data, each of which exhibit well-known, common characteristics.

Evidence of Dirty Data



Missing values?

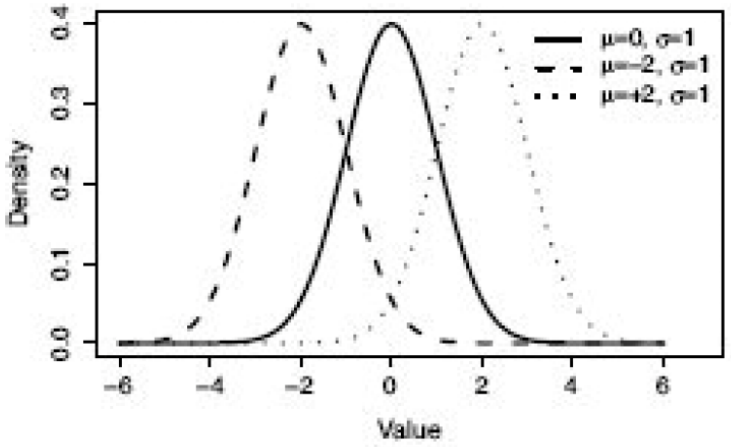
Mis-entered data? Inherited accounts?

The Normal/Gaussian distribution

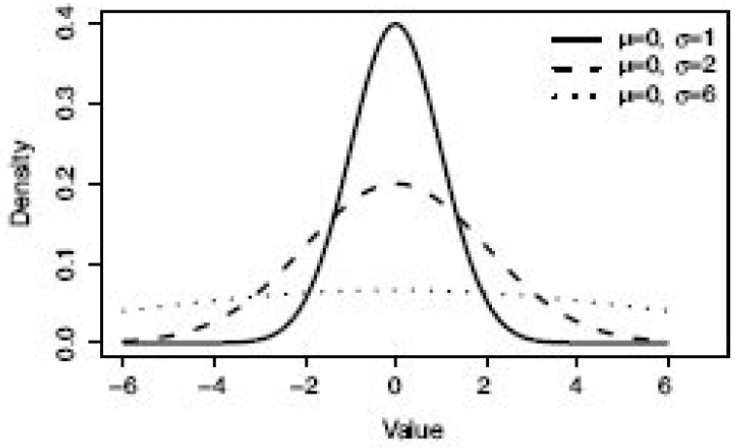
- Probability density functions, which define the characteristics of the distribution, the normal distribution is:

$$N(x, \mu, \sigma) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

where x is any value, and μ and σ are parameters that define the shape of the distribution.



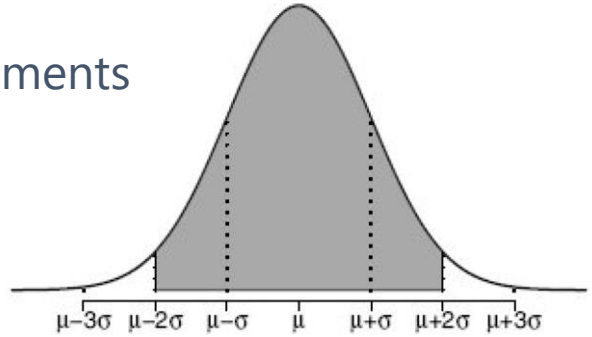
(a) Different means

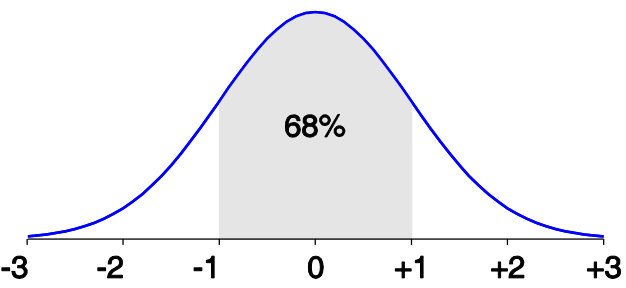


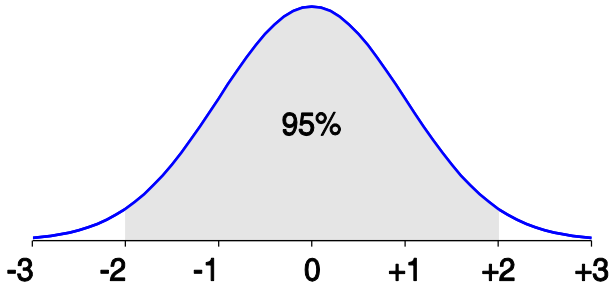
(b) Different standard deviations

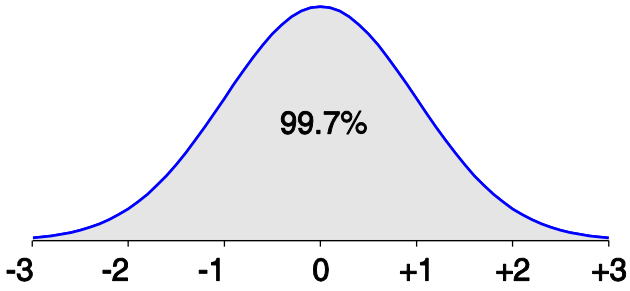
Spread Properties of Normal Distribution Curve

- The 68–95–99.7 rule:
  - From μ–σ to μ+σ: contains about 68% of the measurements
  - From μ–2σ to μ+2σ: contains about 95% of it
  - From μ–3σ to μ+3σ: contains about 99.7% of it





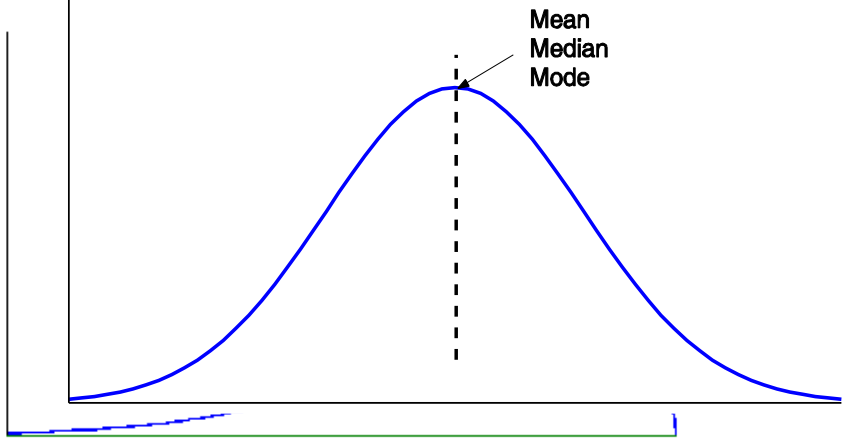




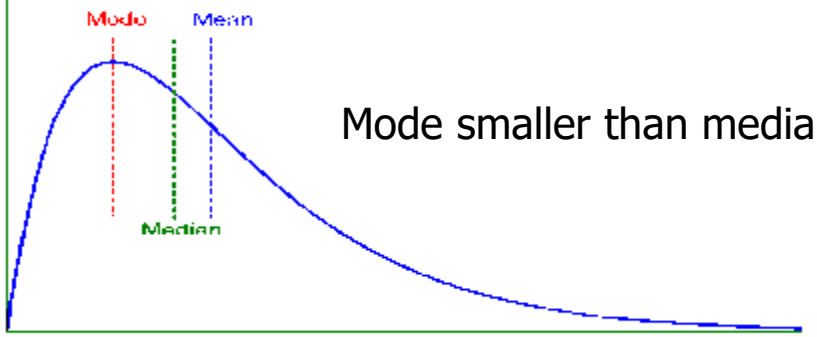
Symmetric vs. Skewed Data

- Central measures can indicate level of symme data
- Median, mean and mode of symmetric, posit and negatively skewed data

Symmetric



Positive (right) Skew



Mode smaller than median

Negative (left) Skew

Mode larger than median

What are we looking for?

A sense of the data range

- If it's very wide, or very skewed, try computing the log

Outliers, anomalies

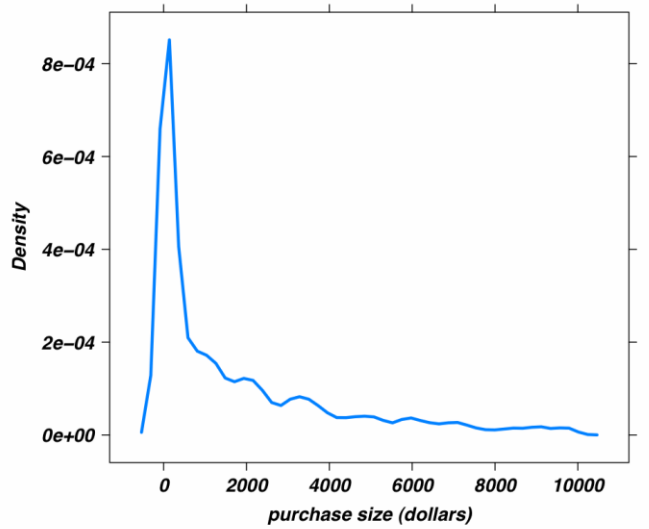
- Possibly evidence of dirty data

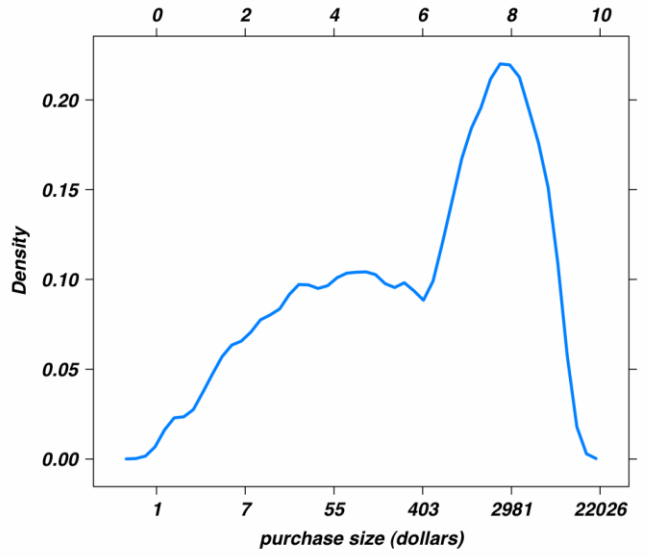
Shape of the Distribution

- Unimodal? Bimodal?
- Skewed to left or right?
- Approximately normal? Approximately lognormal?

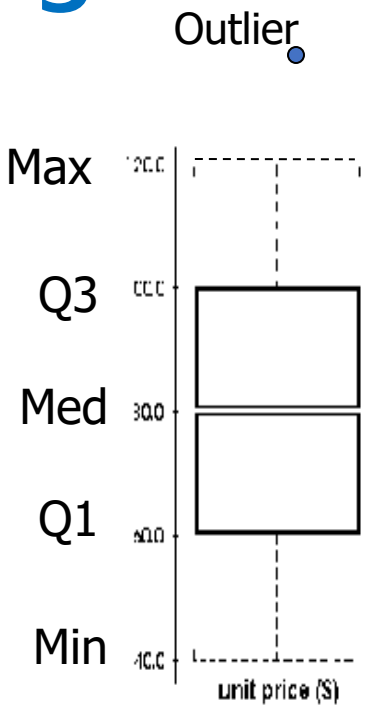
Example - Distribution of purchase size ($)

- Range from 0 to > $10K, right skewed
- Typical of monetary data
- Plotting log of data gives better sense of distribution
- Two purchasing distributions
  - ~ $55
  - ~ $2900





Data visualization for a single feature

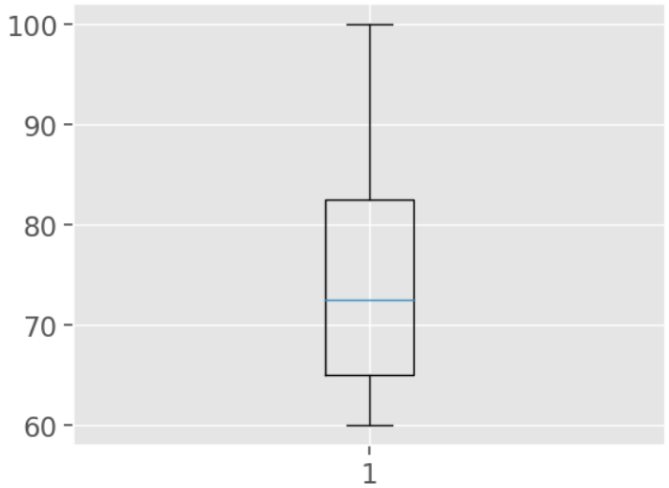


- Box plot
- Five-number summary of a distribution:
  Min, Q1, Med, Q3, Max
- Boxplot
  - Data is represented with a box
  - The ends of the box are at the first and third quartiles, i.e., the height of the box is IQR
  - The median is marked by a line within the box
  - Whiskers: two lines outside the box extend (usually) to Minimum and Maximum

Quartiles, outliers and boxplots

- Quartiles: Q_1 (25^{th} percentile), Q_3 (75^{th} percentile)
- Inter-quartile range: IQR = $Q_3 - Q_1$
- Five number summary: min, Q_1, Med, Q_3, max
- Boxplot: ends of the box are the quartiles, median is marked, whiskers, and plot outlier individually
- Outlier: usually, a value higher/lower than Q3/Q1 by 1.5 x IQR
- Example:

```
X = np.array([60,65,65,70,75,80,90,100])
plt.boxplot(X)
plt.show()
```



Grade:
65
70
80
90
65
100
60
75

60	Min
65	Q1
72.5	Med
85	Q3
100	MAX
20	IQR

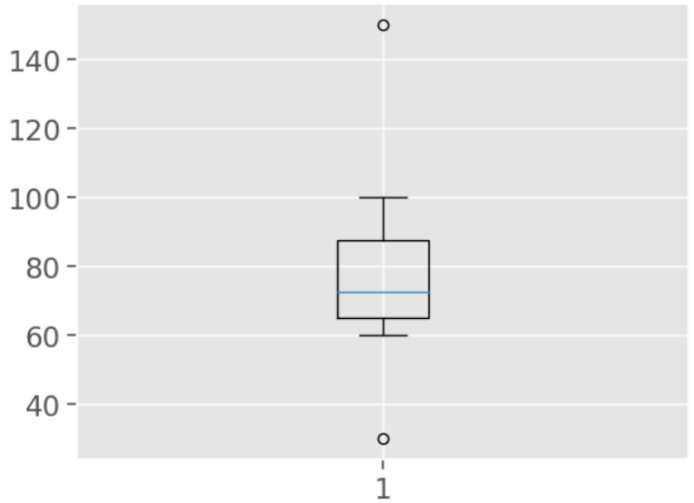
Outlier Grades:
Higher than:
85 + 1.5*20 = 115,

and Lower than:
65 – 1.5*20 = 35

Quartiles, outliers and boxplots

- Quartiles: Q_1 (25^{th} percentile), Q_3 (75^{th} percentile)
- Inter-quartile range: IQR = $Q_3 - Q_1$
- Five number summary: min, Q_1, Med, Q_3, max
- Boxplot: ends of the box are the quartiles, median is marked, whiskers, and plot outlier individually
- Outlier: usually, a value higher/lower than Q3/Q1 by 1.5 x IQR
- Example:

```
X = np.array([30,60,65,65,70,75,80,90,100,150])
plt.boxplot(X)
plt.show()
```



Grade:

65
70
80
90
65
100
60
75

60	Min
65	Q1
72.5	Med
85	Q3
100	MAX
20	IQR

Outlier Grades:
Higher than:
Q3 + 1.5 * IQR
85 + 1.5*20 = 115,

and Lower than:
Q1 - 1.5 * IQR
65 – 1.5*20 = 35

Analyzing a Single Variable over Time

What?

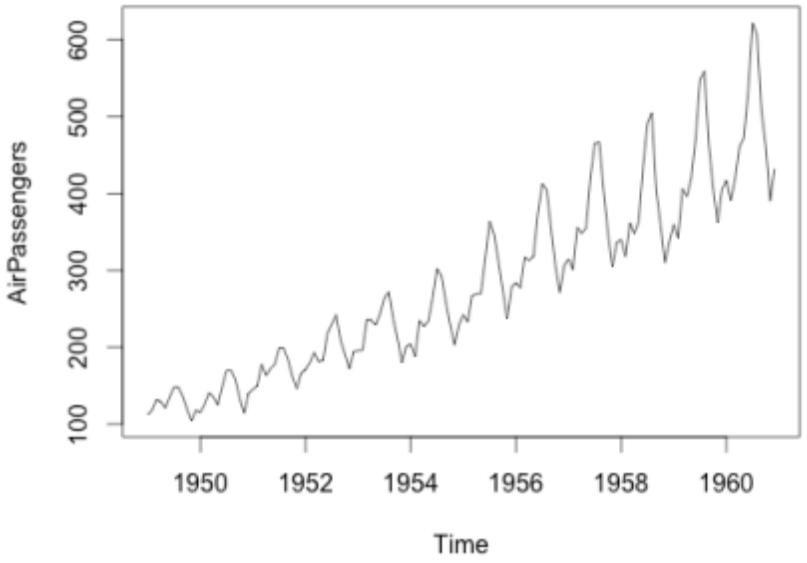
- Looking for …
  - Data range
  - Trends
  - Seasonality

How?

- Use time series plot

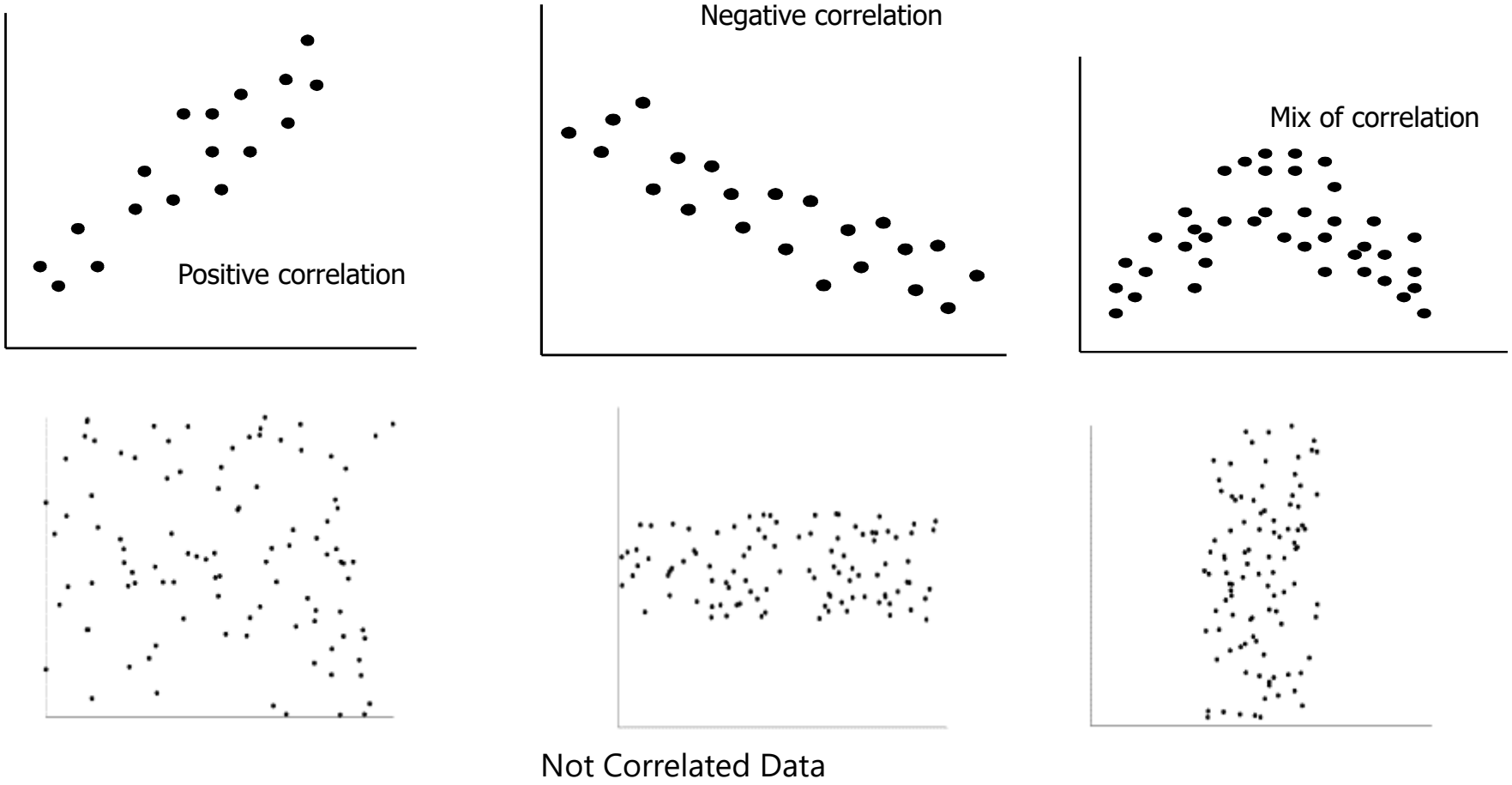
Example

- International air travel (1949-1960)
- Upward trend: growth appears superlinear
- Seasonality
  - Peak air travel around Nov. with smaller peaks near Mar. and June



Analyzing the Relationship Between Two Variables

- **Scatter Plot:** Visualizing Pairs of Continuous Features



Analyzing the Relationship Between Two Variables

- Visualizing Pairs of Continuous Features
  - Iris Characteristics: Strong linear relationship between petal length and width

Using Seaborn Library: statistical data visualization

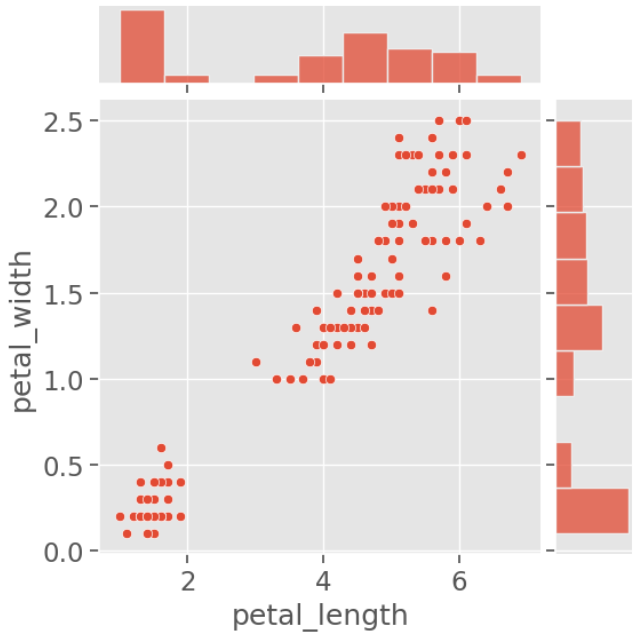
```
In [52]: import seaborn as sns
         sns.set_context("notebook", font_scale=1.5, rc={"lines.linewidth": 2.5})
         iris = sns.load_dataset('iris') #load iris dataset as a dataframe

In [53]: iris.head()
```

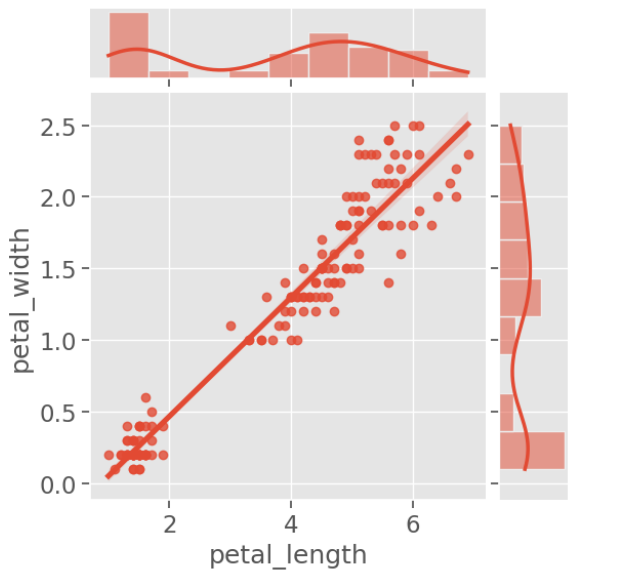
Out[53]:

	sepal_length	sepal_width	petal_length	petal_width	species
0	5.1	3.5	1.4	0.2	setosa
1	4.9	3.0	1.4	0.2	setosa
2	4.7	3.2	1.3	0.2	setosa
3	4.6	3.1	1.5	0.2	setosa
4	5.0	3.6	1.4	0.2	setosa

```
sns.jointplot(x='petal_length', y='petal_width', data=iris, kind='scatter')
pass
```

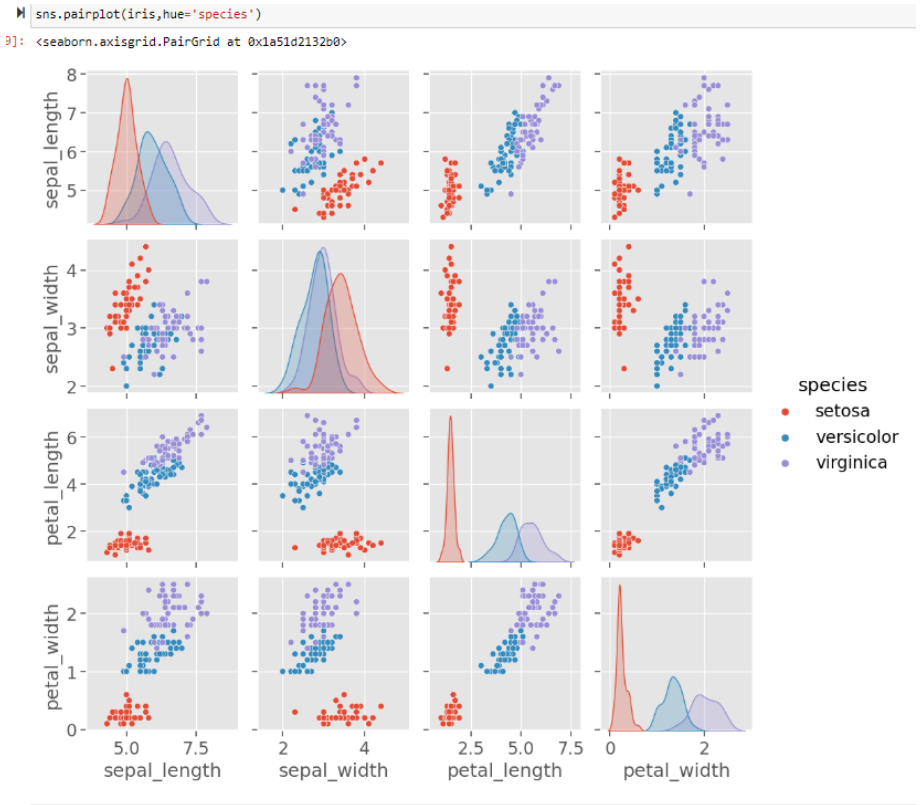



```
sns.jointplot(x='petal_length', y='petal_width', data=iris, kind='reg')
pass
```



Analyzing the Relationship Between Two Variables

- Visualizing Pairs of Continuous Features: Iris Characteristics
  - **Scatter Plot matrix**
    - Strong linear relationship between petal length and width
    - Petal dimensions discriminate species more strongly than sepal dimensions



Analyzing the Relationship Between Two Variables

- Visualizing Pairs of Continuous Features
  - **Correlation values**

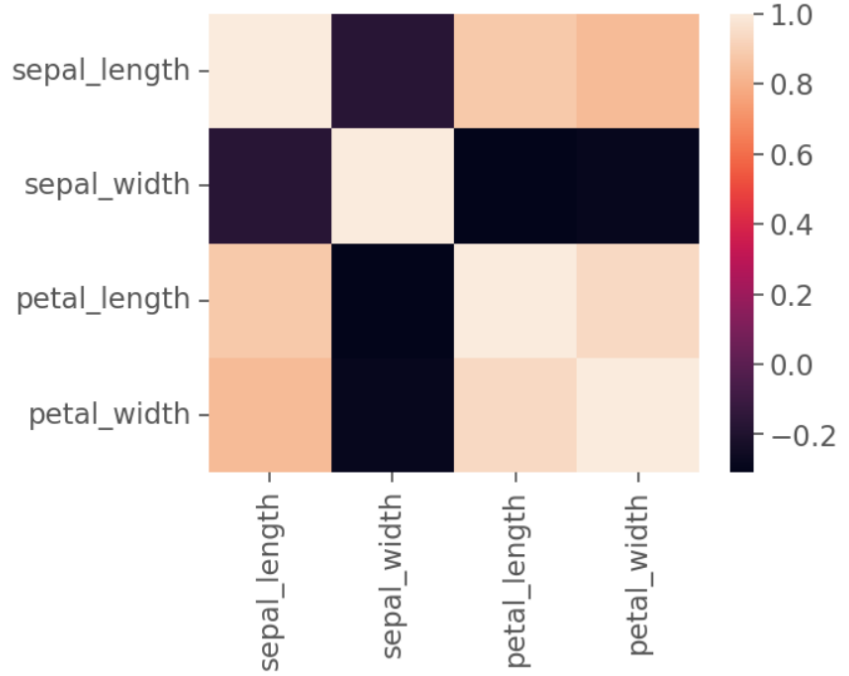
```
cormat = iris.corr(method="pearson")
round(cormat,2)
```

]:

	sepal_length	sepal_width	petal_length	petal_width
sepal_length	1.00	-0.12	0.87	0.82
sepal_width	-0.12	1.00	-0.43	-0.37
petal_length	0.87	-0.43	1.00	0.96
petal_width	0.82	-0.37	0.96	1.00

```
sns.heatmap(cormat)
```

7]: <AxesSubplot:>



In [65]:

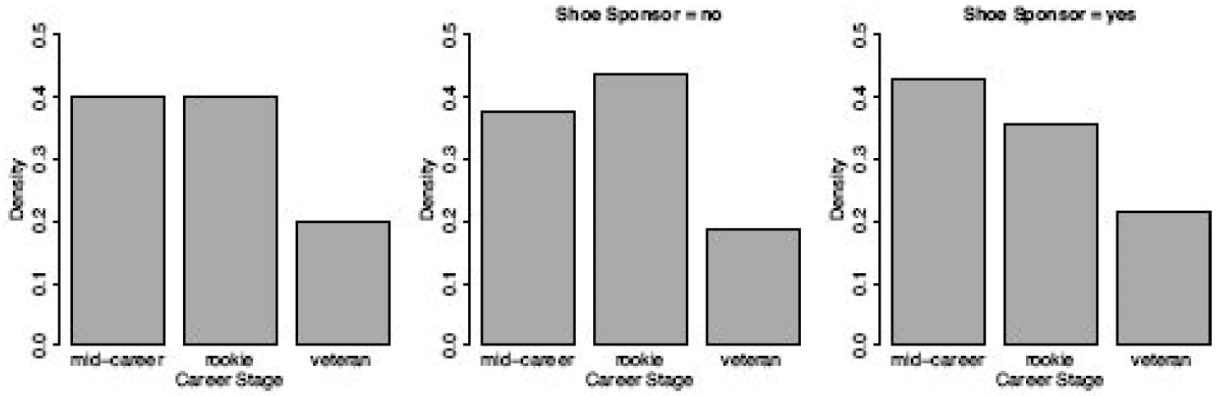
```
cormat = iris.corr(method="spearman")
round(cormat,2)
```

Out[65]:

	sepal_length	sepal_width	petal_length	petal_width
sepal_length	1.00	-0.17	0.88	0.83
sepal_width	-0.17	1.00	-0.31	-0.29
petal_length	0.88	-0.31	1.00	0.94
petal_width	0.83	-0.29	0.94	1.00

Analyzing the Relationship Between Two Variables

- Visualizing Pairs of Categorical Features
  - **Collection of bar plots**

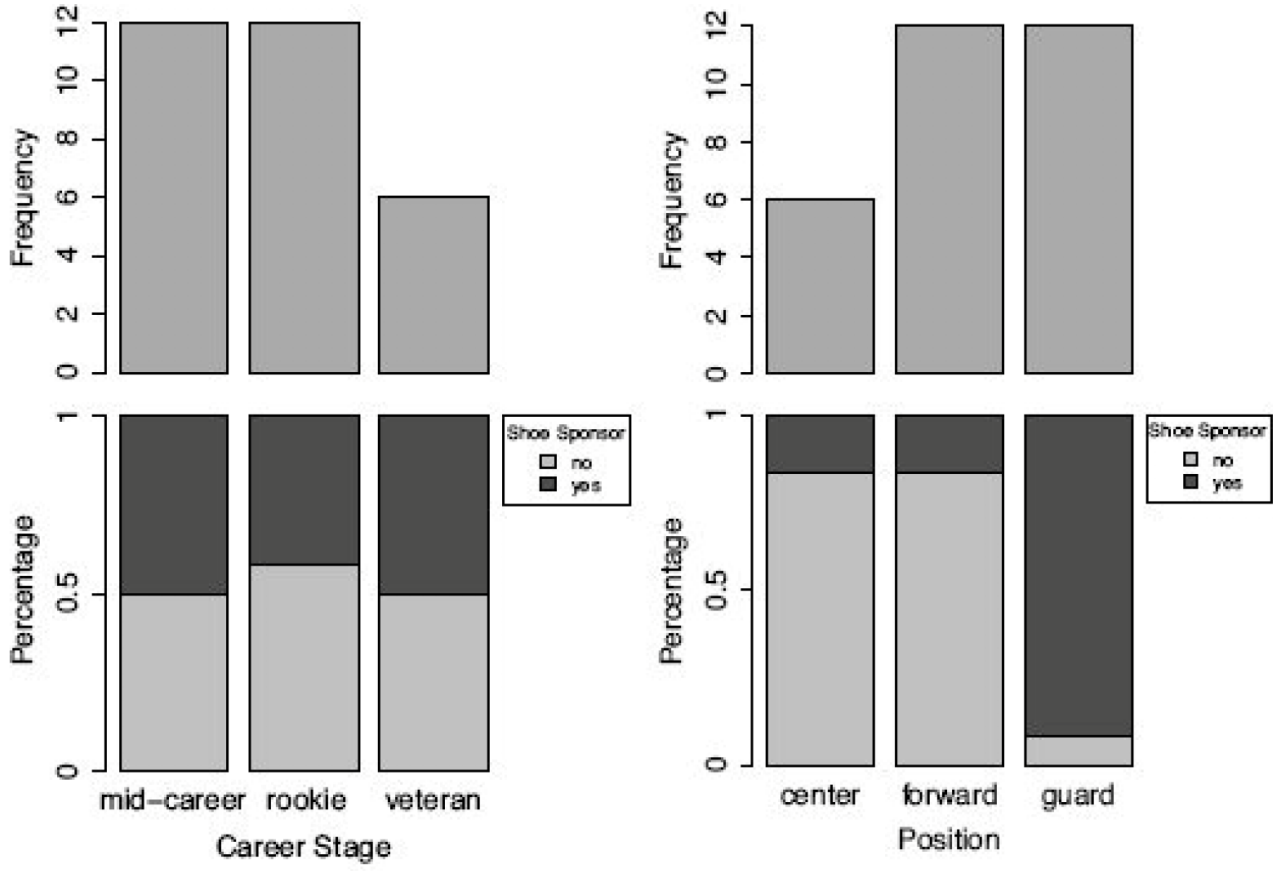


(a) Career Stage and Shoe Sponsor

(b) Position and Shoe Sponsor

Analyzing the Relationship Between Two Variables

- Visualizing Pairs of Categorical Features
  - **Stacked bar plots**

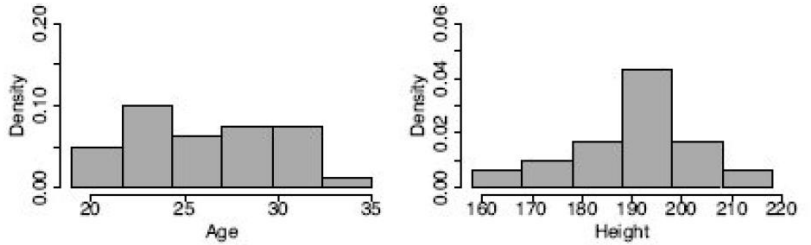


(a) Career Stage and Shoe Sponsor

(b) Position and Shoe Sponsor

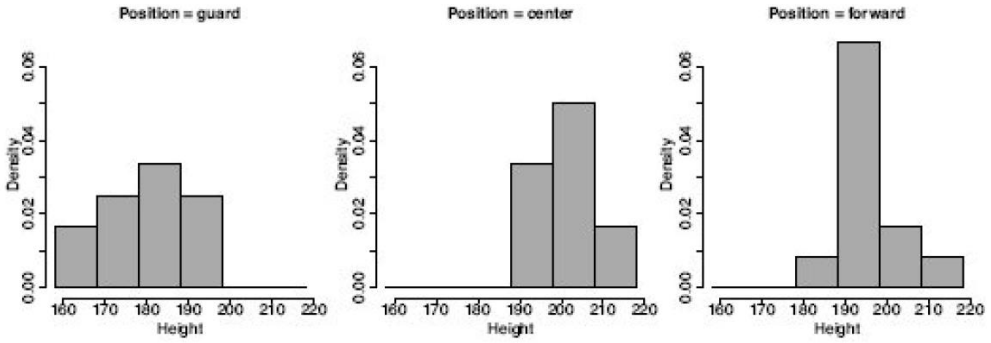
Analyzing the Relationship Between Two Variables

- Visualizing a Categorical Feature and a Continuous Feature
  - **Collection of bar plots**



(a) Age (b) Height

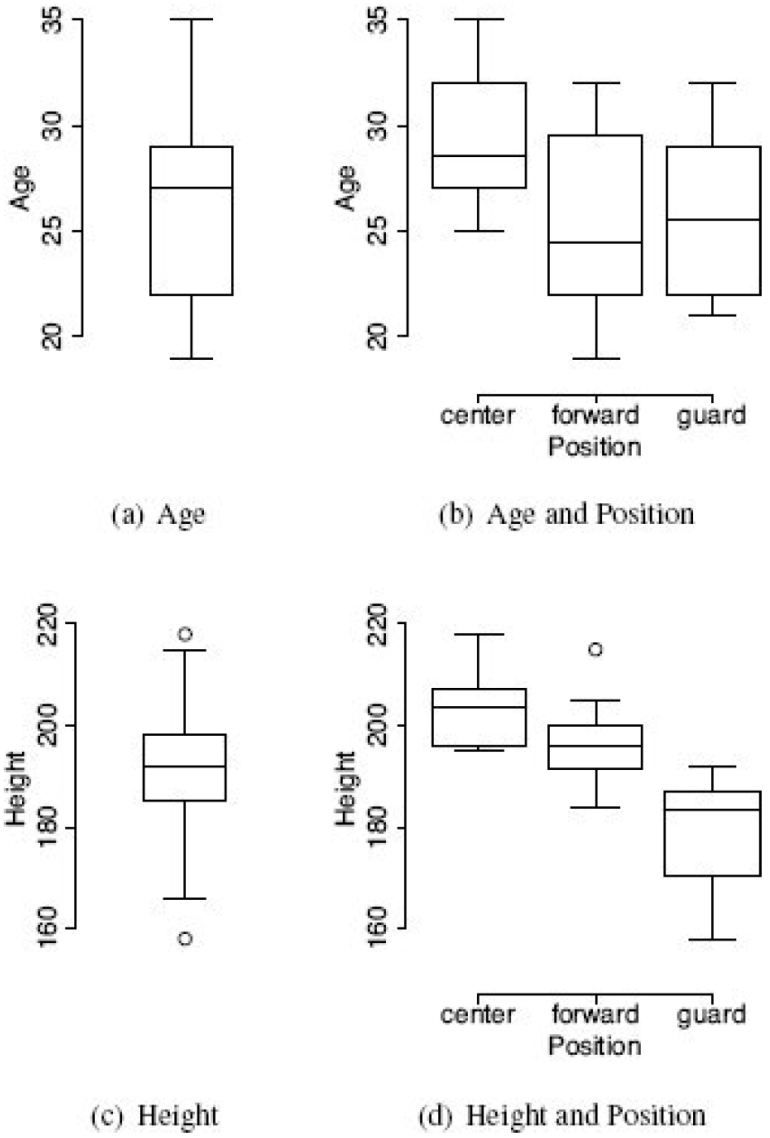
(c) Age and Position



(d) Height and Position

Analyzing the Relationship Between Two Variables

- Visualizing a Categorical Feature and a Continuous Feature
  - **Collection box plots**



(a) Age (b) Age and Position

(c) Height (d) Height and Position

Issues of Data Quality

- Quality issues due to **invalid data**
  - Caused by errors in the process to generate the features.
  - Fix: correct or regenerate them.

- Quality issues due to **valid data**
  - Exist because of domain-specific reasons.
  - Fix: correct in some cases or do not correct unless required by the trained models, e.g., models cannot be training with missing values or outliers.

Issues of Data Quality

- **Measurement & Data Collection Issues w.r.t. Quality**
  - **Precision:** the closeness of measurements to one another, represented by the standard deviation of the measurements, e.g. repeated measure of body temperature
  - **Bias:** a systematic variation of measurements from the intended quantity measurement, only known when external reference available, e.g. bias in weight measure instrument
  - **Noise:** modification of original values, e.g. distortion of a person's voice when talking on a poor phone, salary="-10".
  - **Outliers:** considerably different from most values in the dataset or unusual with respect to the typical values.
  - **Irregular values:** feature values do not match what we expect, e.g., features with the same value for every instance, (0, 1, m, f, M, and F) to for Male/Female.
  - **Missing values** (Null values): Not measured or Not available, e.g. people decline to give their age and weight, and annual income is not applicable to children.

Issues of Data Quality

- **Main Quality Indicators**
  - **Accuracy:** data recorded with sufficient precision and little bias
  - **Correctness:** data recorded without error and spurious objects
  - **Completeness:** any parts of data records missing
  - **Consistency:** compliance with established rules and constraints
  - **Redundancy:** unnecessary duplicates

Why Is Data Dirty?

- Incomplete data may come from
  - "Not applicable" data value when collected
  - Different considerations between the time when the data was collected and when it is analyzed.
  - Human/hardware/software problems
- Noisy data (incorrect values) may come from
  - Faulty data collection instruments
  - Human or computer error at data entry
  - Errors in data transmission
- Inconsistent data may come from
  - Different data sources, e.g., e.g., one rating "1,2,3", another rating "A, B, C"
- Duplicate records

Issues of Data Quality

- **Why Quality is Important?**
  - No quality data, no quality results; "Garbage in, garbage out!"
- Total data quality control requires a cultural change
- For most ML projects, *tackling the quality issue at the data source* cannot be always expected; **workaround?**
  - By cleaning the data as much as possible
  - By developing and using more tolerate ML solutions
- Data quality is relevant to the intended purpose of the ML project, e.g. Does spelling errors in student names really matter when the increase/decrease of student numbers in subject areas over the years are of interest only?

Handling Data Quality Issues

- **Missing Values:**
  - Remove features that are missing in excess of 60% of their values.
  - Replace missing values with an indicator (flag).
  - Impute with mean, median or mode features that < 30% of their values missing.
  - build a ML model that estimates a replacement for a missing value based on the other features.
- **Outliers**
  - Clamp values above an upper threshold and below a lower threshold to these threshold values.