



## CSEN 901 - Introduction to Artificial Intelligence

### Lecture 8 - Classical Planning

**Dr. Nourhan Ehab**

[nourhan.ehab@guc.edu.eg](mailto:nourhan.ehab@guc.edu.eg)

# Recall: What We Did So Far

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- We studied search agents and knowledge-based agents.
- Both need to represent an **exponentially large** search space.

# Outline

1 Classical Planning

2 State Space Planning

3 Recap

# Planning Agents

- Planning is the process of deliberation to find a sequence of actions from an initial state to a goal.

# Planning Agents

- Planning is the process of deliberation to find a sequence of actions from an initial state to a goal.
- It is a combination of both search and knowledge-based agents.

# Classical Representations of Planning

## Representations

- **States:** a set of ground atoms (*closed world assumption*).
  - If  $p$  holds in  $s$ , then  $p \in s$ .
  - If  $p$  does not hold in  $s$ , then  $p \notin s$ .
- **Operators:** an operator  $o$  is  $\langle name(o), preconds(o), effects(o) \rangle$ .
- **Actions:** ground instances of operators.
- **Goal:** a set of literals.

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- **Operators:** an operator  $o$  is  $\langle name(o), preconds(o), effects(o) \rangle$ .
- **Actions:** ground instances of operators.
- **Goal:** a set of literals.
- A planning problem is defined as  $\langle O, s_0, g \rangle$  with:
  - ①  $O$  is a set of operators.
  - ②  $s_0$  is the initial state.
  - ③  $g$  is the goal.

# Back to the Blocks World

## Example

Assume a planning problem  $(O, s_0, g)$  where  $O$ :

- PickUp( $x$ )
  - **Preconditions:** Clear( $x$ ), OnTable( $x$ ), EH
  - **Effects:**  $\neg$ OnTable( $x$ ),  $\neg$ Clear( $x$ ),  $\neg$ EH, Holding( $x$ )
- PutDown( $x$ )
  - **Preconditions:** Holding( $x$ )
  - **Effects:** OnTable( $x$ ), Clear( $x$ ), EH,  $\neg$ Holding( $x$ )
- Stack( $x, y$ )
  - **Preconditions:** Holding( $x$ ), Clear( $y$ )
  - **Effects:** On( $x, y$ ), Clear( $x$ ), EH,  $\neg$ Clear( $y$ ),  $\neg$ Holding( $x$ )
- Unstack( $x, y$ )
  - **Preconditions:** On( $x, y$ ), Clear( $x$ ), EH
  - **Effects:** Holding( $x$ ), Clear( $y$ ),  $\neg$ On( $x, y$ ),  $\neg$ Clear( $x$ ),  $\neg$ EH

# Back to Blocks World

## Example

- $s_0 = \{\text{On}(A, B), \text{On}(B, C), \text{OnTable}(C), \text{Clear}(A), \text{EH}\}$
- $g = \{\text{Clear}(C), \neg \text{Holding}(x)\}$

# Goal Satisfaction

## Definition

A state  $s$  **satisfies** a goal  $g$  (denoted  $s \models g$ ) if there is a substitution  $\theta$  such that:

- ① For every **positive** literal  $p \in g$ ,  $SUBST(\theta, p) \in s$ .
- ② For every **negative** literal  $\neg n \in g$ ,  $SUBST(\theta, n) \notin s$ .

## Example

Let  $s = \{P(A, B), Q(B, C)\}$  and  $g = \{P(x, B), \neg Q(x, C)\}$ .

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## Example

Let  $s = \{P(A, B), Q(B, C)\}$  and  $g = \{P(x, B), \neg Q(x, C)\}$ .  
 $s \models g$  under  $\theta = \{A/x\}$

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- Two ways of doing this:
  - ① Start from the **initial state** and apply all possible operators to compute **next states** till a **goal** is reached → **Progression Planning**.

# Progression and Regression Planning

- Our approach will be reducing the planning problem to a search problem.
- Two ways of doing this:
  - ① Start from the **initial state** and apply all possible operators to compute **next states** till a **goal** is reached → **Progression Planning**.
  - ② Start from the **goal** and compute possible **previous states** till the **initial state** is reached → **Regression Planning**.

# Progression Planning

Progression	
Initial State	$s_0$
Operators	applicable actions
Transition fn $\gamma(s, a)$	$s \cup effects^+(a) - effects^-(a)$
Goal test	$s \models g$

An action  $a$  and substitution  $\theta$  are **applicable** in state  $s$  if:

- ① every positive precondition  $p$  of  $a$ ,  $SUBST(\theta, p) \in s$ .
- ② every negative precondition  $\neg n$  of  $a$ ,  $SUBST(\theta, n) \notin s$

# Progression Planning Algorithm

```
function PROGRESSION-PLANNER( $O, s_0, g$ ) returns a plan
     $s \leftarrow s_0$ 
     $\pi = ()$ 
    loop
        if  $s$  satisfies  $g$ , then return  $\pi$ 
         $app = \{a | a \text{ is a ground instance of some } o \in O \text{ which is applicable to } s\}$ 
        if  $app = \emptyset$  then return failure
        nondeterministically choose  $a \in app$ 
         $s \leftarrow \gamma(s, a)$ 
         $\pi \leftarrow \pi \cdot a$ 
```

# Regression Planning

	Regression
Initial State	$g$
Operators	relevant operators (has effects in $s$ and does not negate anything in $s$ )
$\gamma^{-1}(s,a)$	$s - \text{effects}(a) \cup \text{preconds}(a)$
Goal test	$s_0 \models s$

An action  $a$  and substitution  $\theta$  are relevant for  $g$  if:

- ①  $SUBST(\theta, g) \cap \text{effects}(SUBST(\theta, a)) \neq \emptyset$ ;
- ②  $SUBST(\theta, g^+) \cap \text{effects}^-(SUBST(\theta, a)) = \emptyset$ ; and
- ③  $SUBST(\theta, g^-) \cap \text{effects}^+(SUBST(\theta, a)) = \emptyset$ ;

# Regression Planning Algorithm

```
function REGRESSION-PLANNER( $O, s_0, g$ ) returns a plan
     $\pi = ()$ 
    loop
        if  $s_0$  satisfies  $g$  with substitution  $\sigma$ , then return SUBST( $\sigma, \pi$ )
         $rel = \{(o, \sigma) | (o, \sigma)$  is relevant for  $g\}$ 
        if  $rel = \emptyset$  then return failure
        nondeterministically choose  $(o, \sigma) \in rel$ 
         $g \leftarrow \gamma^{-1}(g, (o, \sigma))$ 
         $\pi \leftarrow \text{SUBST}(\sigma, o) \cdot \text{SUBST}(\sigma, \pi)$ 
```

# Back to Blocks World

## Example

Trace Progression and Regression planning on the previously defined planning problem.

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# Points to Take Home

- ① Classical Planning Representations.
- ② Progression Planning.
- ③ Regression Planning.
- ④ **Reading Material:**
  - R&N, Chapter 11, Section 11.1, 11.2.1, 11.2.2.

Next Lecture: Partial Order Planning!

# Due Credits

The presented material is based on previous editions of the course at the GUC due to Prof. Haythem Ismail.