



We only accept the homework **delivered via [Yekta](#), before the deadline**. If you have any questions or concerns about this homework, feel free to contact Mr. Ravaee via [Telegram](#) (Preferred) or [Email](#).

**Problem 1.** Find all of NEs in the 3-Player game given below.

Player 1/Player 2	L	R
T	0, 0, 0	-4, 1, 2
B	1, -4, 2	2, 2, -2

Player 3 Chooses X

Player 1/Player 2	L	R
T	3, 3, -2	1, -4, 2
B	-4, 1, 2	0, 0, 0

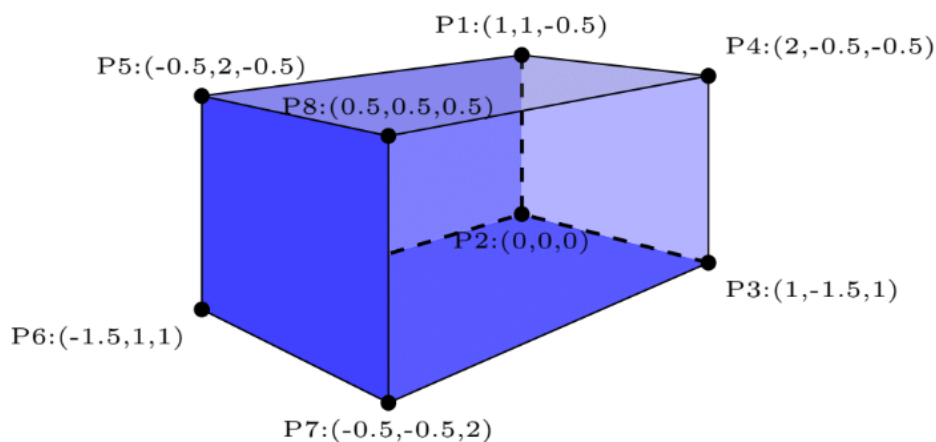
Player 3 Chooses Y

**Problem 2.** Prove that the Rock-Scissor-Paper game has a unique Nash equilibrium.

**Problem 3.** A crime is observed by a group of  $n$  people. Each person would like the police to be informed, but prefers that someone else makes the phone call. Specifically, suppose that each person attaches the value  $v$  to the police being informed and bears the cost  $c$  if she makes the phone call, where  $v > c > 0$ . Hence, each player's set of actions is Call, Don't Call, and she may get the payoff 0 if no one calls,  $v - c$  if she calls, and  $v$  if at least one person calls but she does not.

- Find all the pure Nash Equilibria of this game. Are they symmetric?
- Provided that the probability of a single person calling is  $p$ , what is the probability of no one calling the police? What's the probability of at least one person calling?
- Find the mixed strategy Nash Equilibrium of this game (i.e., find the probability  $p$ ).
- As the number of people observing the crime increases, what happens to probability  $p$ ? What about the probability of no one calling?

**Problem 4.** Consider this three player game:



- (a) Choose arbitrary names for strategies and re-write these profiles in a matrix form. Note that each player has two strategies.
- (b) Find the Nash Equilibrium.

**Problem 5.** Look into *Bertrand duopoly* and explain it in details. How is it different with *Cournot duopoly*? Describe the situation where each of these models fit better.

Good Luck.