

Actions	(1,4) – 6.30	Perpendicular states	Justification
Up	Moving to (1,5) – 6.52	(1,3) & (1,4)	This is because if moved to (2,4), there is a probability of ending up in an inaccessible state
	$(0.8 \times 6.52) + (0.1) \times (6.02 + 6.30) = 6.448$		
Right	Moving to (2,4) – 6.52	(1,5) & (1,4)	They are the two highest states
	$(0.8 \times 6.52) + (0.1) \times (6.52 + 6.30) = 6.498$		
Left	Not possible, hence same as (1,4)	(1,5) & (1,4)	They are the two highest states
	$(0.8 \times 6.30) + (0.1) \times (6.52 + 6.30) = 6.322$		
Down	Moving to (1,3) – 6.02	(1,5) & (1,4)	This is because if moved to (2,4), there is a probability of ending up in an inaccessible state
	$(0.8 \times 6.02) + (0.1) \times (6.52 + 6.30) = 6.098$		

Optimal policy = 6.498 as this is the highest value, therefore moving to the right is the best option

Actions	(2,3) – 5.82	Perpendicular states	Justification
Up	Moving to (2,4) – 6.52	(2,2) & (1,3)	This is because if moved to (2,4), there is a probability of ending up in an inaccessible state
	$(0.8 \times 6.52) + (0.1) \times (5.46 + 6.02) = 6.364$		
Right	Moving to (3,3) – -5	(1,3) & (2,4)	They are the two highest states
	$(0.8 \times -5) + (0.1) \times (6.52 + 6.02) = -2.746$		
Left	Moving to (1,3) – 6.02	(2,3) & (2,2)	If moved up, can end up in inaccessible state, and if moved to the right, it is a terminal point and can also end up in an inaccessible state
	$(0.8 \times 6.02) + (0.1) \times (5.82 + 5.46) = 5.944$		
Down	Moving to (2,2) – 5.46	(2,3) & (1,3)	If moved up, can end up in inaccessible state, and if moved to the right, it is a terminal point and can also end up in an inaccessible state
	$(0.8 \times 5.46) + (0.1) \times (5.82 + 6.02) = 5.552$		

Optimal policy = 6.364 as this is the highest value, therefore moving to up is the best option

Actions	$(4,5) - 7.33$	Perpendicular states	Justification
Up	Not possible, hence same as $(4,5)$	$(1,5) \& (1,3)$	Going up is not an option, and down is inaccessible, also the state is already inaccessible
	$(0.8 \times 7.33) + (0.1) \times (7.58 + 7.08) = 7.33$		
Right	Moving to $(1,5) - 7.58$	$(4,5) \& (3,5)$	Going up is not an option, and down is inaccessible
	$(0.8 \times 7.58) + (0.1) \times (7.08 + 7.33) = 7.505$		
Left	Moving to $(1,3) - 7.08$	$(1,5) \& (1,4)$	Going up is not an option, and down is inaccessible
	$(0.8 \times 7.08) + (0.1) \times (7.33 + 7.58) = 7.155$		
Down	Not possible, hence same as $(4,5)$	$(1,5) \& (1,3)$	Going up is not an option, and down is inaccessible, also the state is already inaccessible
	$(0.8 \times 7.33) + (0.1) \times (7.58 + 7.08) = 7.33$		

Optimal policy = 7.505 as this is the highest value, therefore moving to the right is the best option