

THE ACTUAL DOCUMENT STARTS ON NEXT PAGE. SOME INSTRUCTIONS:

HOW TO TRACK CHANGES

- Add your initials by `\definechangesauthor` above `\begin{document}`.

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- This is how you add^{HN} text:

`\added[id=HN]{add}`

- This is how you add (with comment) text:

[HN 1] comment

`\added[id=HN, remark={comment}]{add (with comment)}`

- This is how you ~~delete~~^{HN} text:

`\deleted[id=HN]{delete}`

- This is how you ~~delete (with comment)~~ text:

[HN 2] comment

`\deleted[id=HN, remark={comment}]{delete (with comment)}`

- This is how you make a note :

[HN 3] A note

`\note[id=HN]{A note}`

- This is how you replacerelapce^{HN} text:

`\replaced[id=HN]{relapce}{replace}`

- This is how you replace (with comment)~~relapce (wthi coment)~~ text:

[HN 4] mis-

`\replaced[id=HN, remark={mis-spelled}]{relapce}{replace}`

spelled

- All markups can be removed by changing the header to `\usepackage[final]{changes}` later.

DOI: 00.1000/xxx

Version(s): OpenFOAM[®] v19xx

Repo: <https://github.com/xxx>

ABSTRACT. This is the place for an abstract.

1. INTRODUCTION

This is the place for introduction.

1.1. Subsection. Example text:

We shall consider the specific transport property ϕ and note that its spatial and temporal variation is governed by a second-order partial differential equation (PDE), viz.

$$\frac{\partial}{\partial t}(\rho\phi) + \nabla \cdot (\rho\phi \mathbf{U}) - \Gamma_\phi \nabla^2 \phi - S_\phi(\phi) = 0. \quad (1.1)$$

Herein, $\phi = \phi(\mathbf{x}, t)$ is an arbitrary general intensive physical quantity, e.g., a fluid property (scalar or tensor of any rank). Thus, (1.1) is often referred to as generic transport equation.

OpenFOAM[®] (Open Field Operation And Manipulation) is a flexible and mature C++ Class Library for Computational Continuum Mechanics (CCM) and Multiphysics. Its Object-Oriented-Programming (OOP) paradigm enables to *mimic data types and basic operations* of CCM using top-level syntax as close as possible to the conventional mathematical notation *for tensors and partial differential equations*:

Received by the editors May 10, 2021.

TABLE 1. Finite Volume Notation

implicit differential operators	
rate of change	$\left[\left[\frac{\partial[\rho\phi]}{\partial t} \right] \right]$
convection term	$\left[\left[\nabla \cdot \left(F[\phi]_{f(F,S,\gamma)} \right) \right] \right]$
diffusion term	$\left[\left[\nabla \cdot (\Gamma \nabla[\phi]) \right] \right]$
linear part of source term	$\left[\left[S_p[\phi] \right] \right]$
explicit differential operators	
temporal term	$\frac{\partial \rho \phi}{\partial t}$
divergence term	$\nabla \cdot (\rho \mathbf{U} \phi_{f(\rho \mathbf{U}, S, \gamma)})$
laplacian term	$\nabla \cdot (\Gamma \nabla \phi)$
constant part of source term	S_u

```

13 solve
14 (
15     fvm::ddt(rho, Phi)
16     + fvm::div(phi, Phi)
17     - fvm::laplacian(Gamma, Phi)
18 ==
19     Sphi
20 );
21

```

23 Beside providing OpenFOAM code itself, spatial and temporal discretisation of Eq.
24 1.1 can be also described in a precise and concise manner using the finite-volume
25 notation [1] - see Tab. 1.

26 2. THEORETICAL BACKGROUD

27 Text in this section. Here is an exemplary figure 1.

28 3. CONCLUSION

29 This is a conclusion.

30 **Author Contributions:** Conceptualisation, J.S.; methodology, J.S.; software, J.S;
31 validation, J.S. and P.M.; formal analysis, J.S. and P.M.; investigation, J.S.; resources,

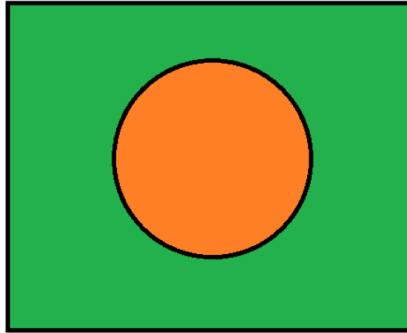


FIGURE 1. Exemplary figure

32 P.M.; data curation, P.M.; writing—original draft preparation, J.S.; writing—review and
33 editing, J.S. and P.M.; visualisation, J.S.; supervision, P.M.; project administration, P.M.;
34 funding acquisition, P.M. All authors have read and agreed to the published version of
35 the manuscript. *Please turn to the CRediT taxonomy for the term explanation.*

36 REFERENCES

- 37 [1] H. G. Weller, G. Tabor, H. Jasak, and C. Fureby, “A tensorial approach to computational
38 continuum mechanics using object orientated techniques,” *Computers in Physics*, vol. 12, pp.
39 620–631, 1998.