

Data Visualisation

Lecture Week 10 –

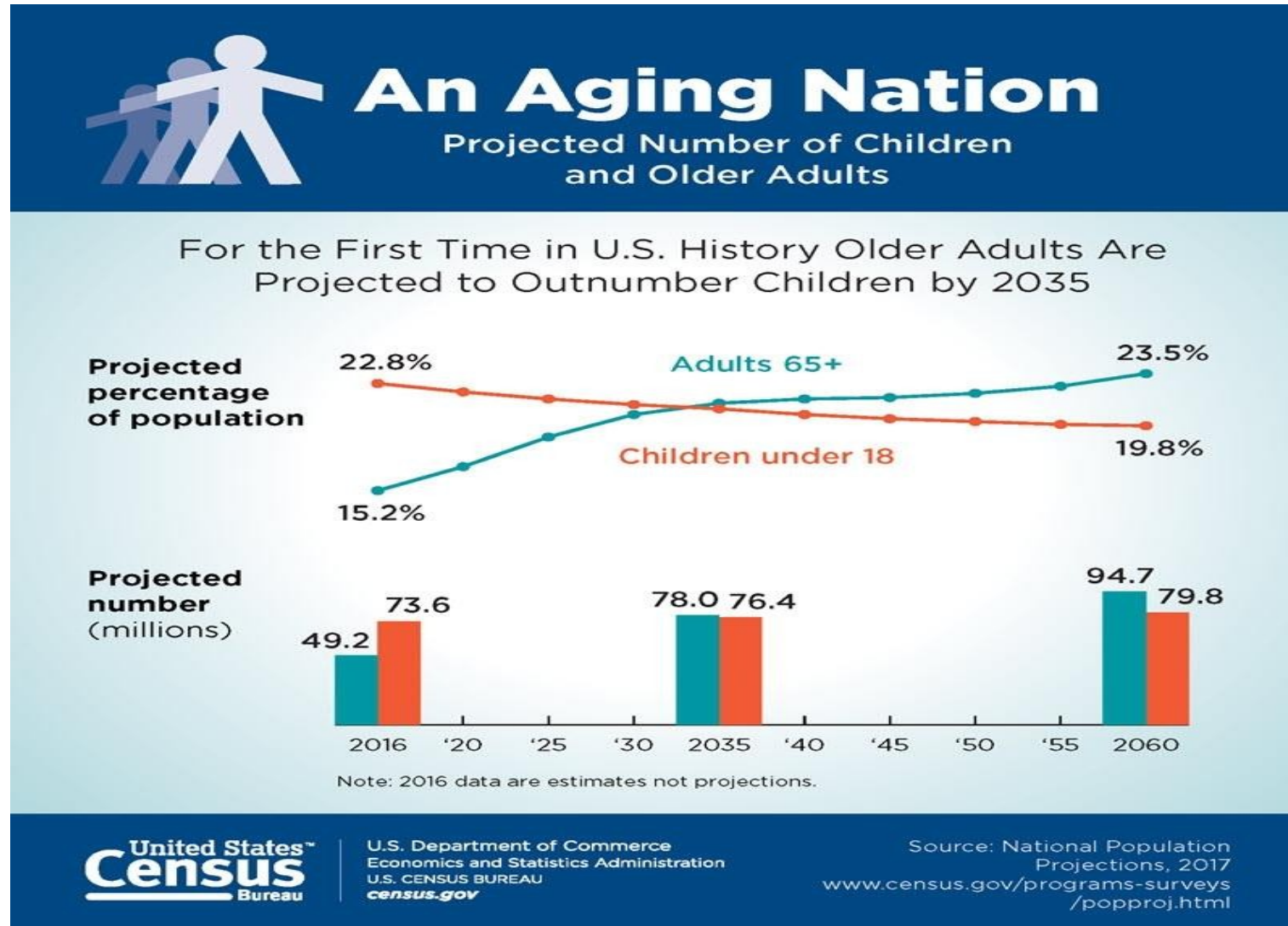
Visualising Geospatial Data

Dr. Cathy Ennis

Learning Outcomes Week 10

- Analyse and evaluate how mental models aid in the interpretation of complex visual displays.
- Select, formulate and integrate metaphors to suit data-driven tasks
- Create and deploy successful data visualisations using leading software tools
- Demonstrate an understanding how visualisation is used in data journalism to communicate complex ideas and stories

Visualisation of the Week



Overview

In this lecture we will cover:

- Introduction to spatial relationships
- Map projections
- ggplot commands for basic visualisations

INTRODUCTION

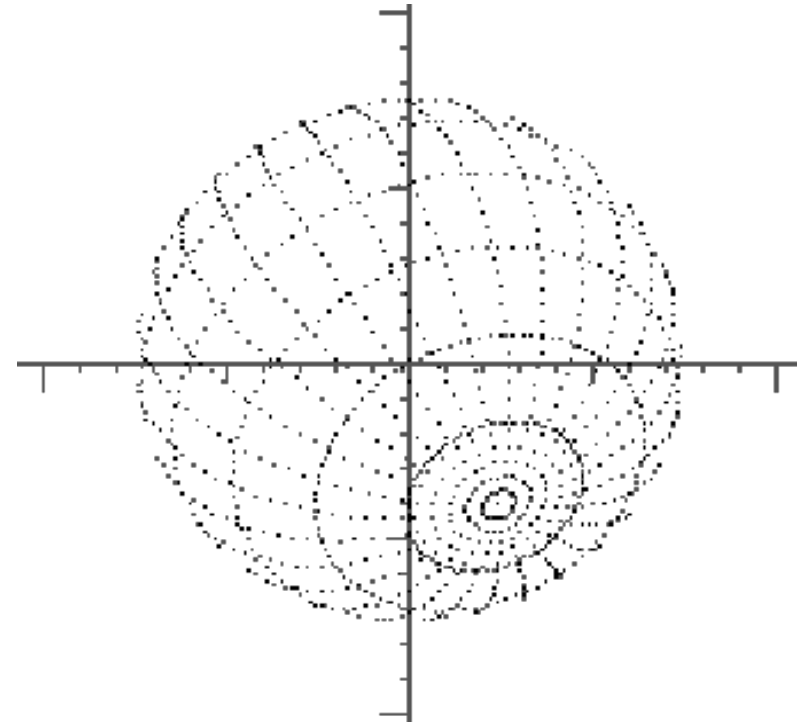
Introduction

- Maps are a sub-category of visualisation
- Maps are
 - usually very intuitive
 - a great way to understand your data
 - essentially scaled down, accurate versions of the physical world



What To Look For

- You read maps much the same way that you read statistical graphics
 - You still look for clustering in or comparisons of specific regions

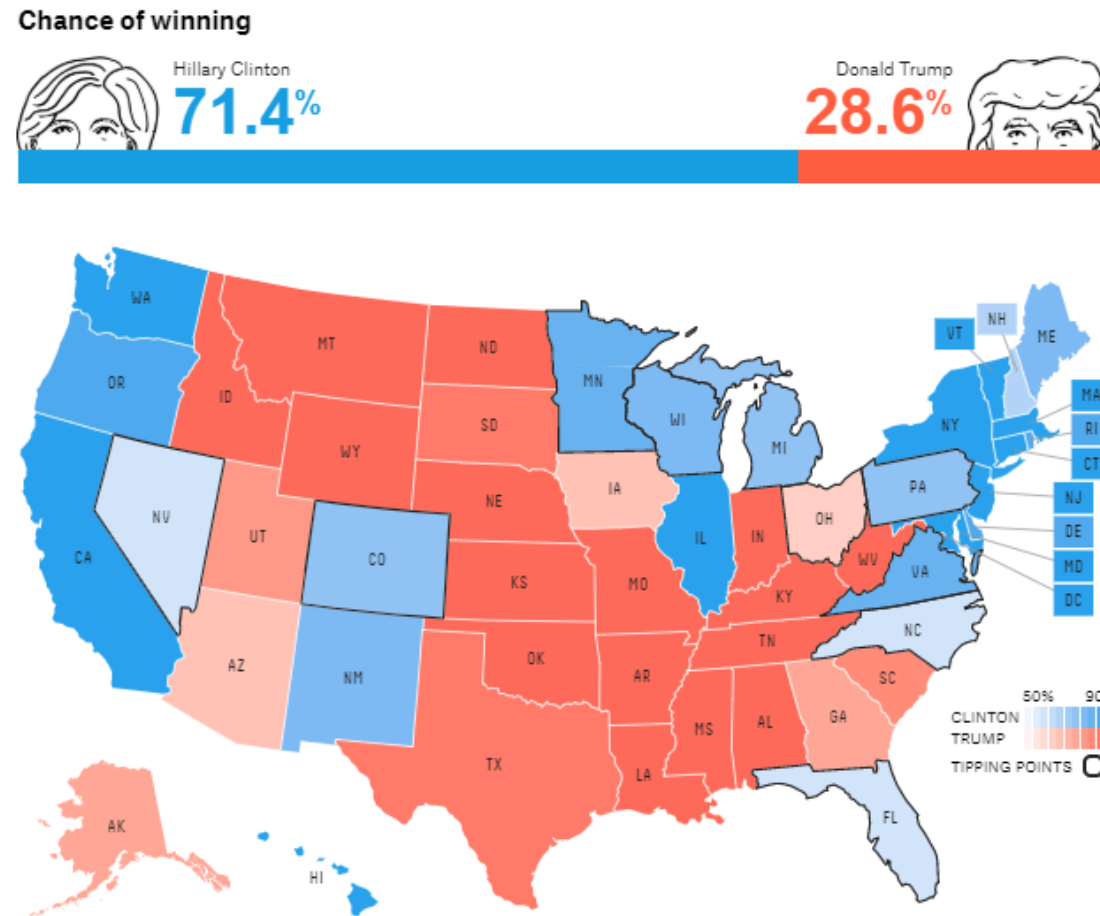


What To Look For

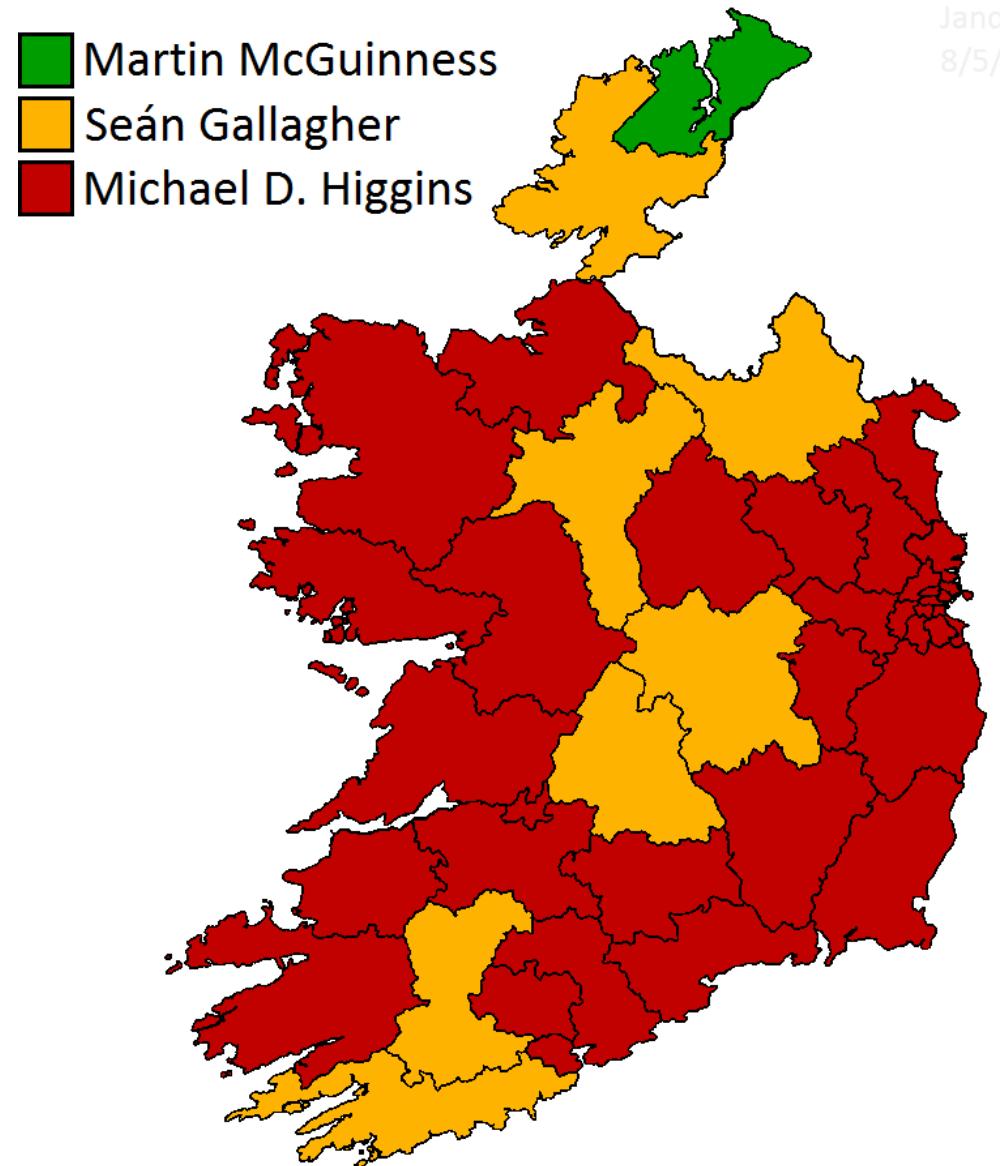
- Things can get especially interesting when you introduce time
- A single map represents a moment in time, but you can represent multiple timeframes with several maps
 - small multiples
- Can also animate changes If the map is interactive, readers can easily focus in on their area to see how things have changed



Clinton V Trump



Irish Elections



MAP PROJECTIONS

Map Projections

- A map projection is a method used to represent the 3- dimensional surface of the earth or other round body on a 2-dimensional plane in cartography
- This process is typically a mathematical procedure and the resulting 2D image is always a distorted version of reality
- The metric properties of a map are:
 - Area – Equal area projections maintain this
 - Shape – Conformal projections maintain this
 - Direction
 - Distance
 - Scale

Types of Projections

- **Azimuthal or zenithal** - Preserves **direction** from one or two points to every other point
- **Conformal** - Preserves **shape** locally
- **Equal-area** - Preserves **area**
- **Equidistant** - Preserves **distance** between one or two points and every other point

Map Projections



Cylinder, plane, and cone projections

Map Projections – Cylinder Projection



- Straight coordinate lines with horizontal parallels crossing meridians at right angles
- All meridians are equally spaced
- Scale is consistent along each parallel

Map Projections – Cone Projection

- Cone projections are defined by the cone constant
 - dictates the angular distance between meridians
- Meridians are equidistant and straight lines which converge in locations along the projection regardless of if there's a pole or not



Map Projections – Plane Projection

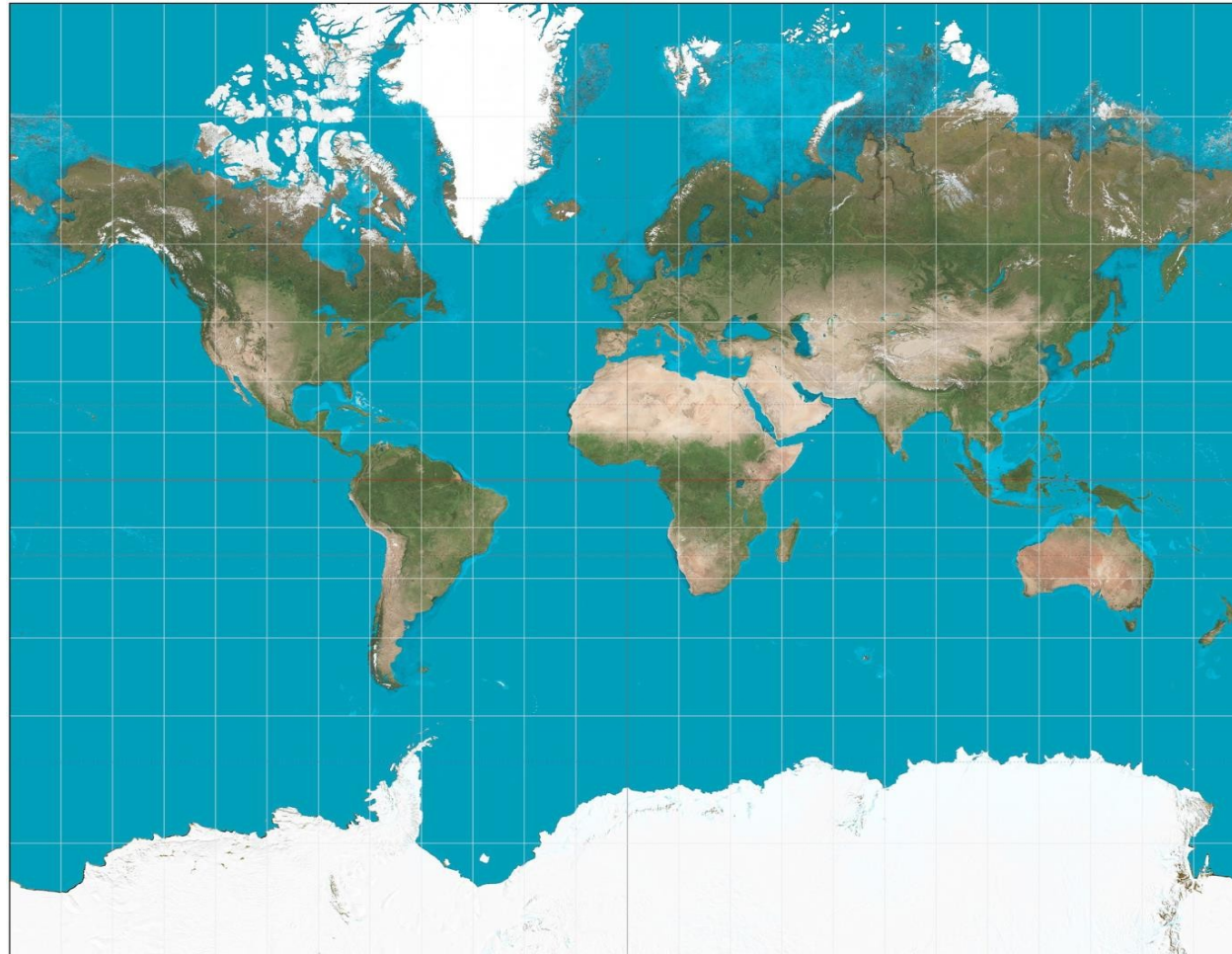


- Azimuthal projection is a projection of the globe onto a plane
- Straight meridian lines, radiating out from a central point, parallels that are circular around the central point, and equidistant parallel spacing

Map Projections

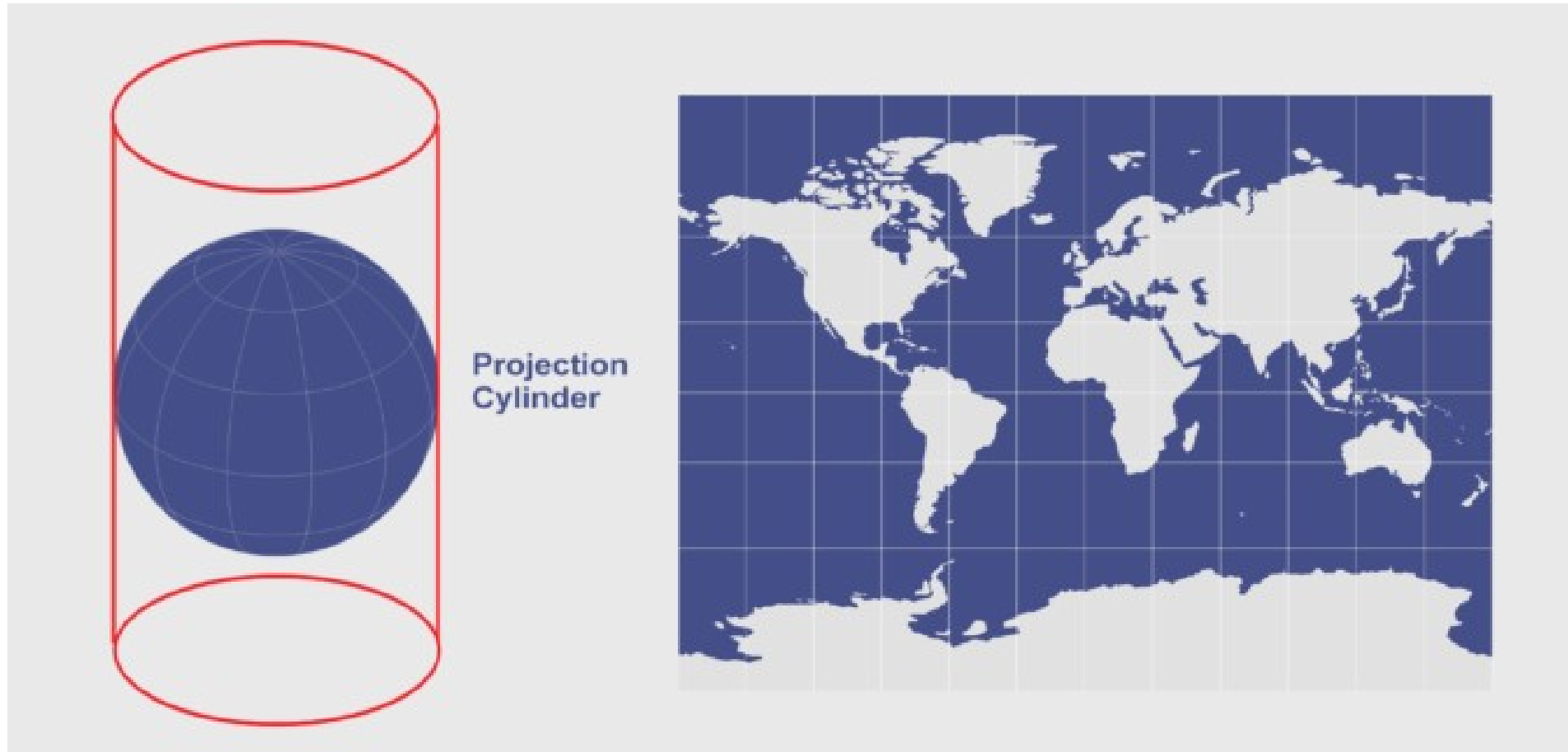
- Cylinder projections
 - Mercator
 - Lambert cylindrical
 - Galls-Peters
- Plane projections
 - Gnomonic
 - General perspective
- Cone projections
 - Albers conic
 - Lambert conic
- Compromise projection
 - Winkel Tripel

Mercator Projection

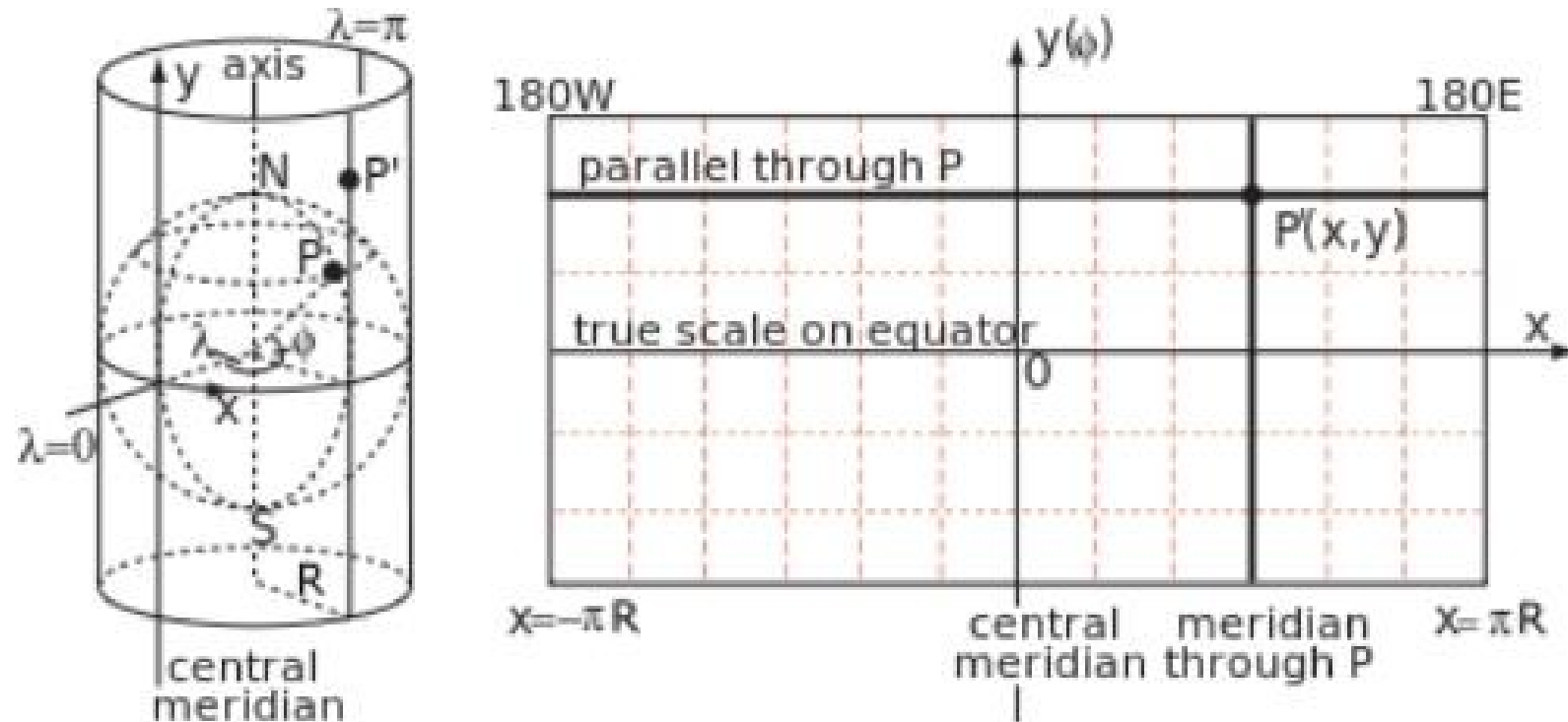


http://en.wikipedia.org/wiki/File:Mercator_projection_SW.jpg

Mercator Projection



Mercator Projection



Mercator Projection

- Mercator map projection (1569) shows **true direction** between places the best, but are not equal area or equidistant
- This is the projection of choice from Google maps for this reason, despite how the south and north poles distort land size
- Directions along a rhumb line (line of constant direction) are true between any two points on a map
- Distances are true only along the Equator
- Although it has a conformal property, areas are greatly distorted increasing size at poles

Mercator Projection

- The formulae for calculating the x and y coordinates for a point in a Mercator projection are:

$$x = \frac{W}{2\pi} (\lambda - \lambda_0)$$

$$y = \frac{W}{2\pi} \ln \left[\tan \left(\frac{\pi}{4} + \frac{\phi}{2} \right) \right]$$

where λ is a longitude, Φ is a latitude
and W is the width of the map

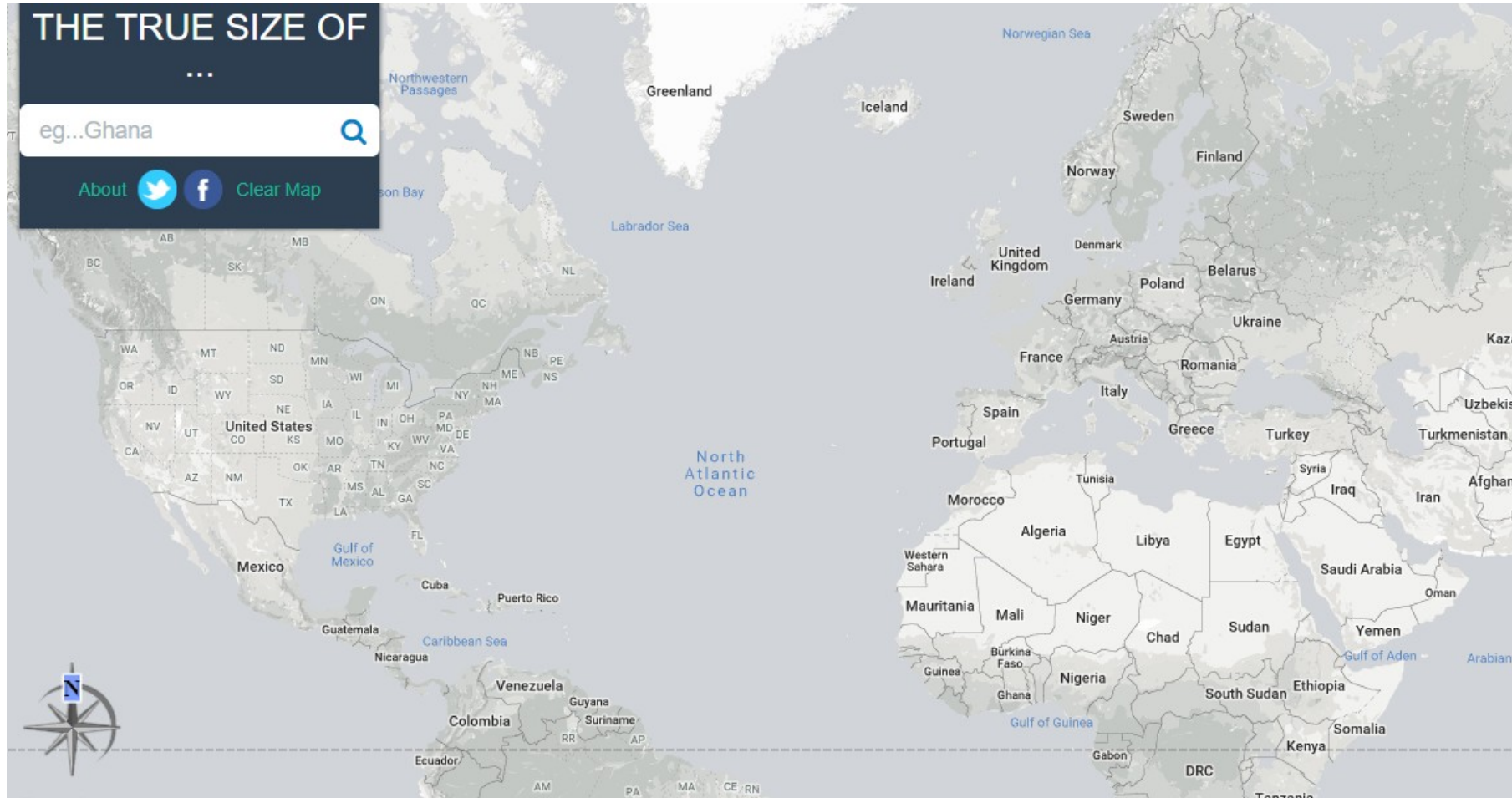


Mercator Projection

- The Mercator projection exaggerates areas far from the equator, for example:
 - Greenland takes as much space on the map as Africa, when in reality Africa's area is 14 times greater and Greenland's is comparable to Algeria's alone.
 - Alaska takes as much area on the map as Brazil, when Brazil's area is nearly five times that of Alaska
 - Finland appears with a greater north-south extent than India, although India's is greater
 - Antarctica appears as the biggest continent, although it is actually the fifth in terms of area

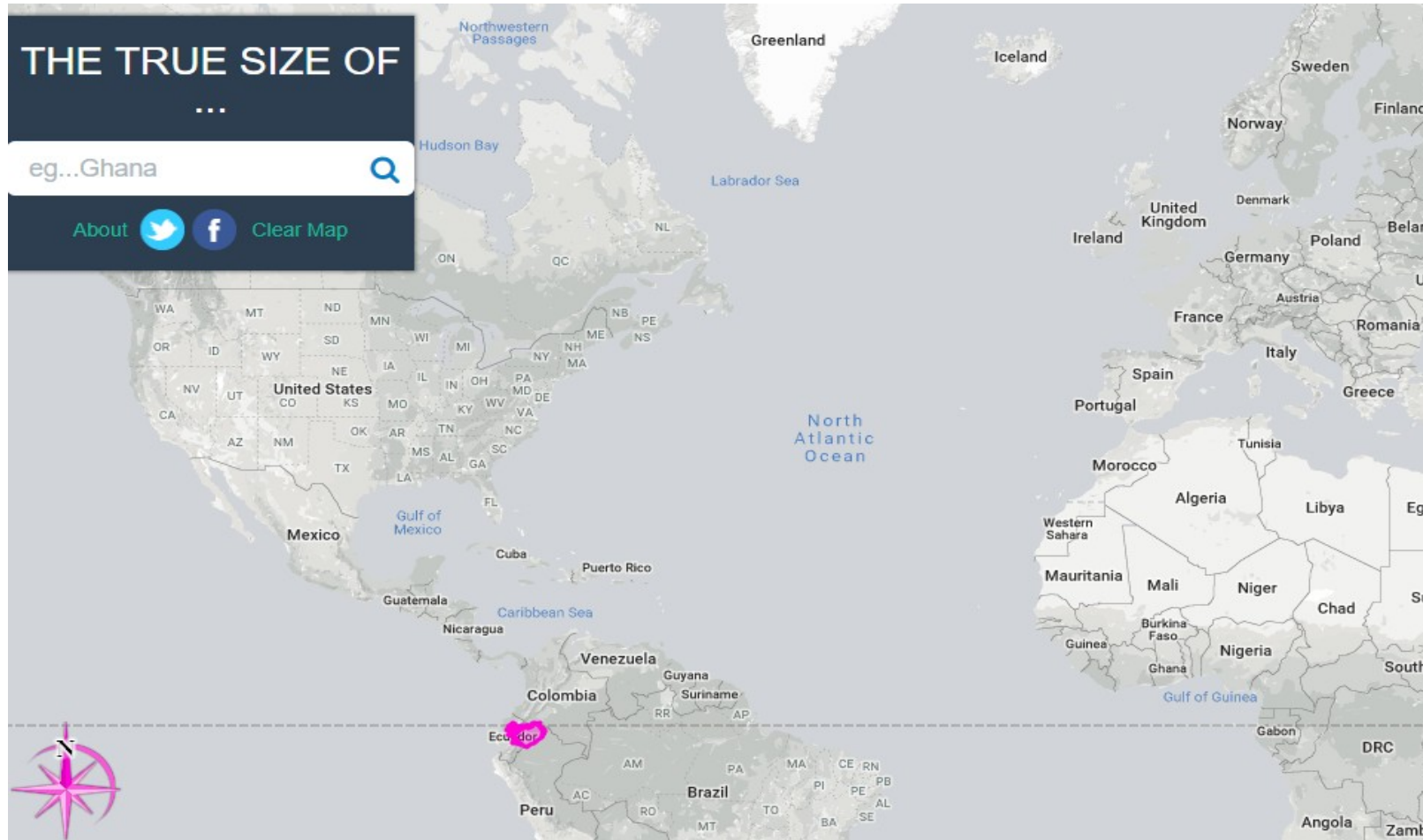
Mercator Projection

Compare size of Iceland and Ecuador



<http://thetruesize.com>

Mercator Projection



<http://thetruesize.com>

Data Visualisation

Lecture Week 10 –

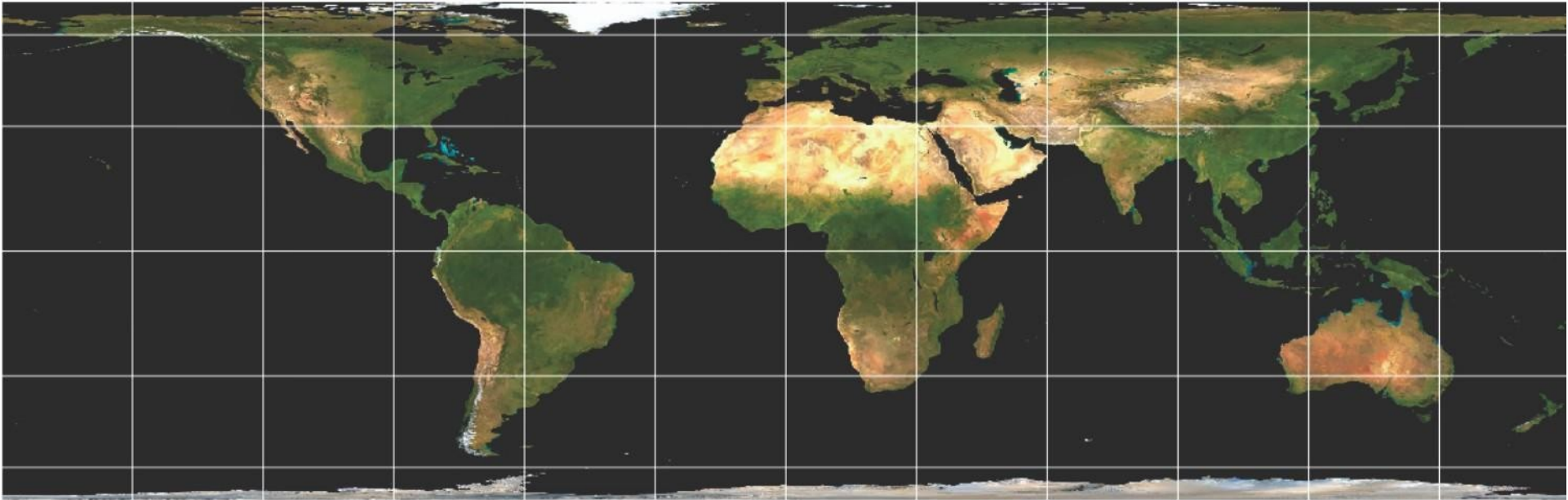
Visualising Geospatial Data

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Lambert Cylindrical Projection

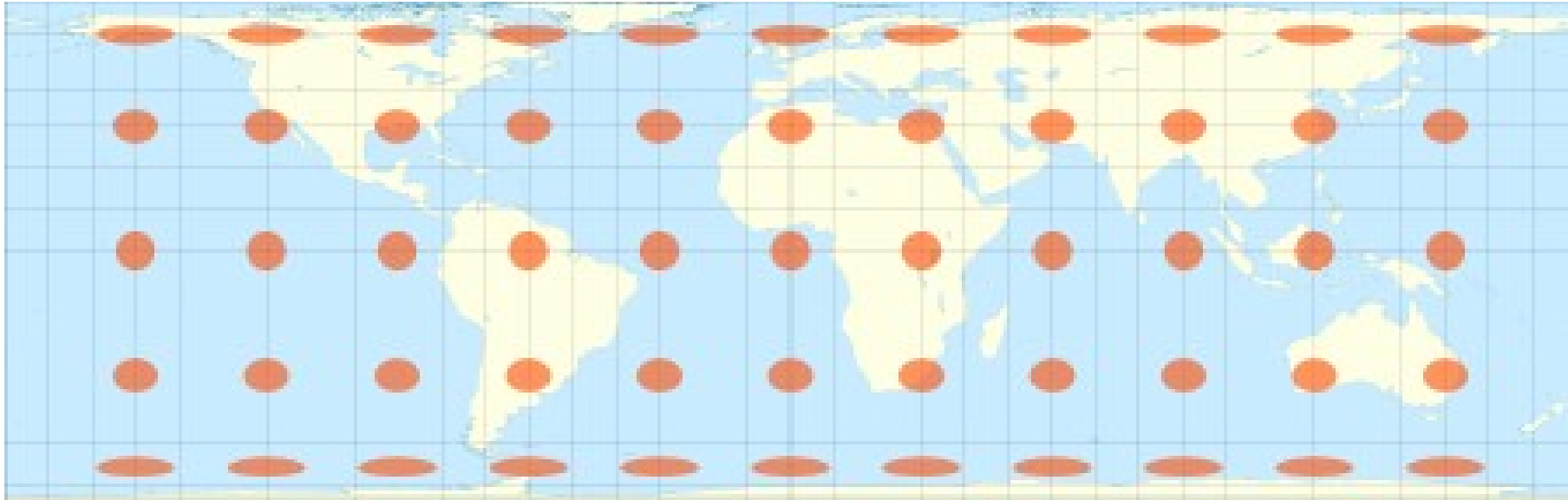
- Cylindrical **equal area** projection (1772)
- This projection is undistorted along the equator, which is its standard parallel, but distortion increases rapidly towards the poles
- Like any cylindrical projection, it stretches parallels increasingly away from the equator. The poles accrue infinite distortion, becoming lines instead of points

Lambert Cylindrical Projection



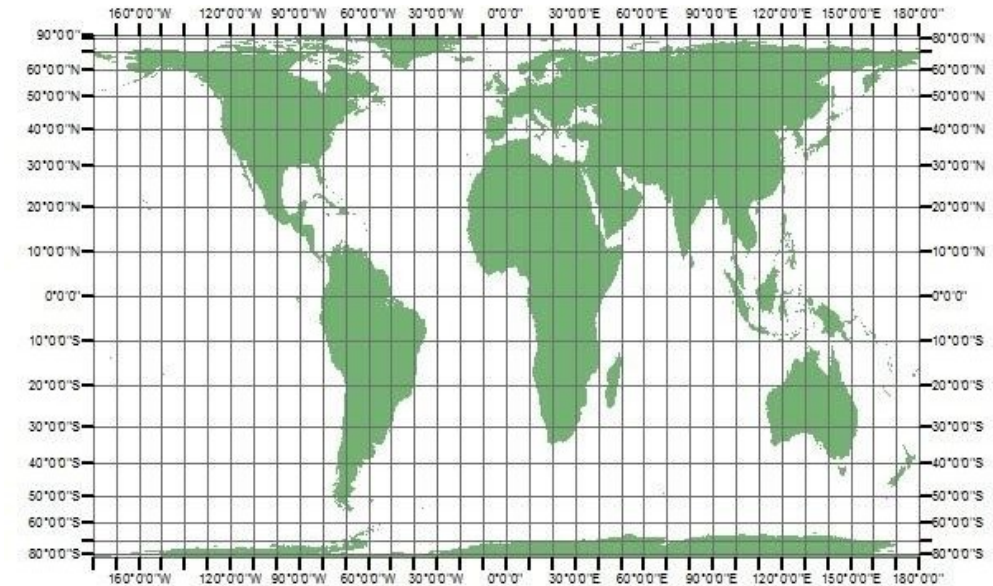
"Interactive Data Visualisation", M. Ward, G Grinstein, D Keirn, AK Peters, 2010

Lambert Cylindrical Projection

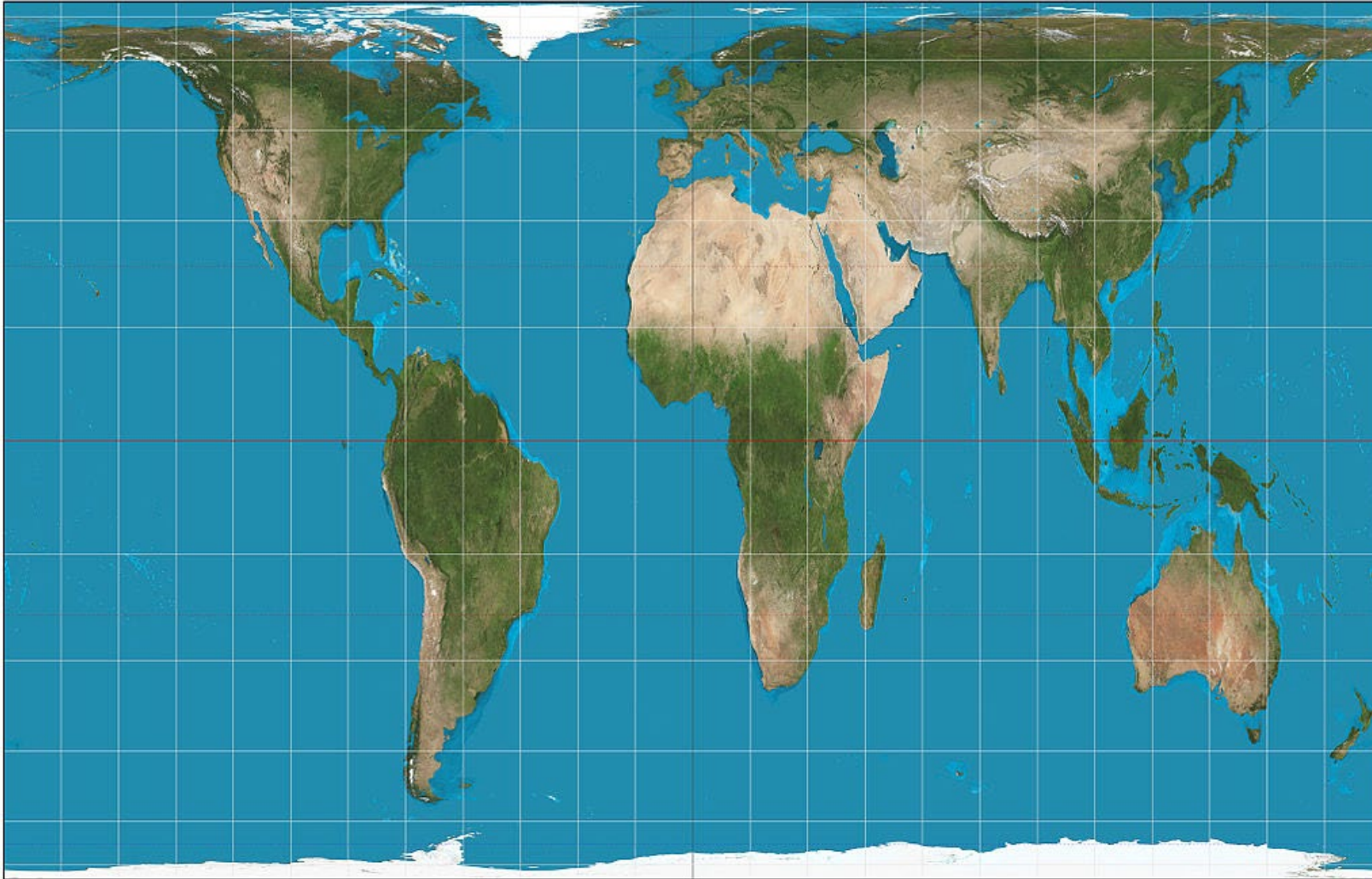


Gall-Peters Projection

- Equal area, cylindrical projection (1855-1973)
- Standard parallels 45° N/S
- All areas on the map are equal in size and all meridians and parallels are mapped as straight lines
- A downside with Gall-Peters projection is that it is geometrically inaccurate even around the equator

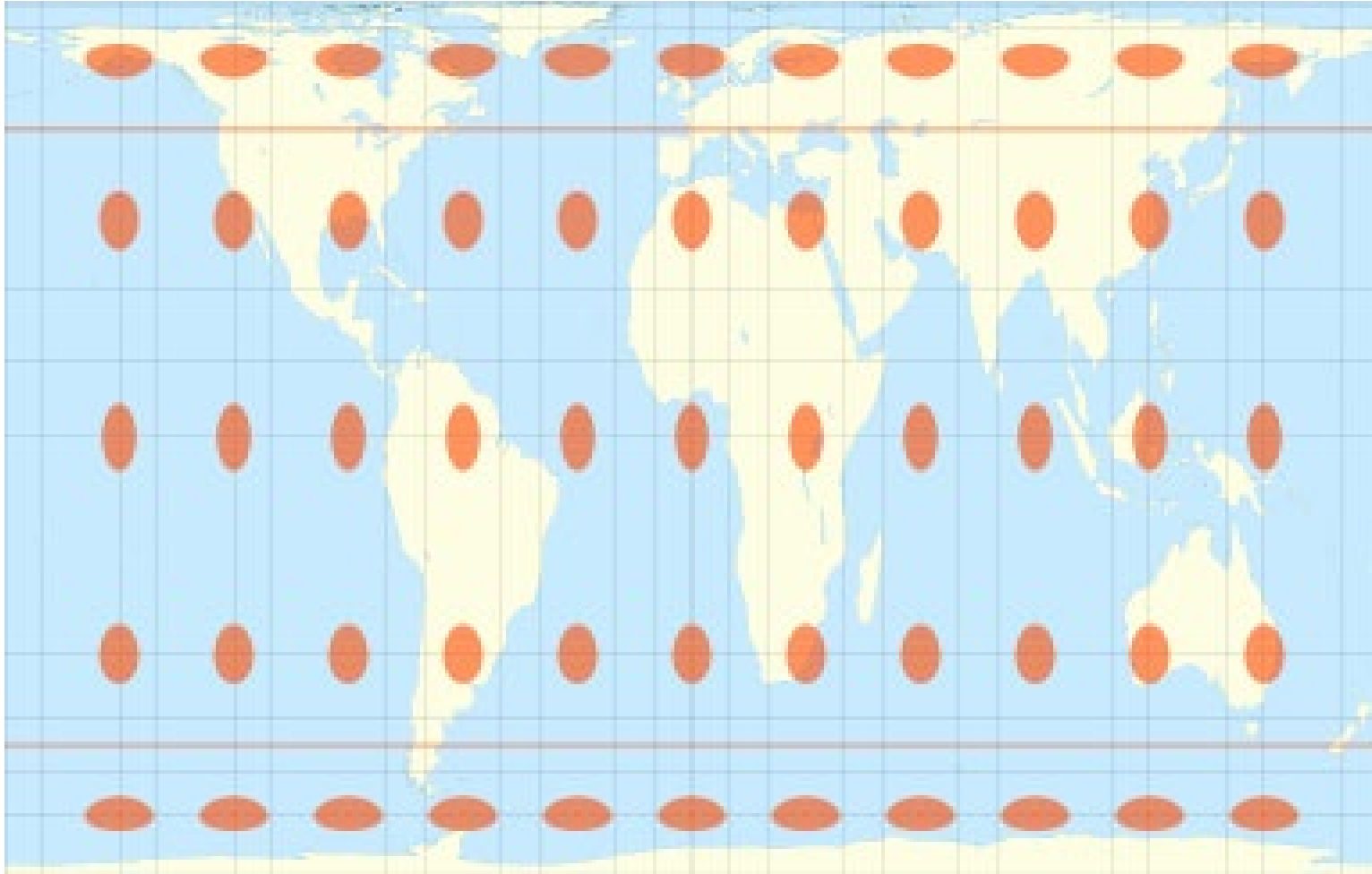


Gall-Peters Projection



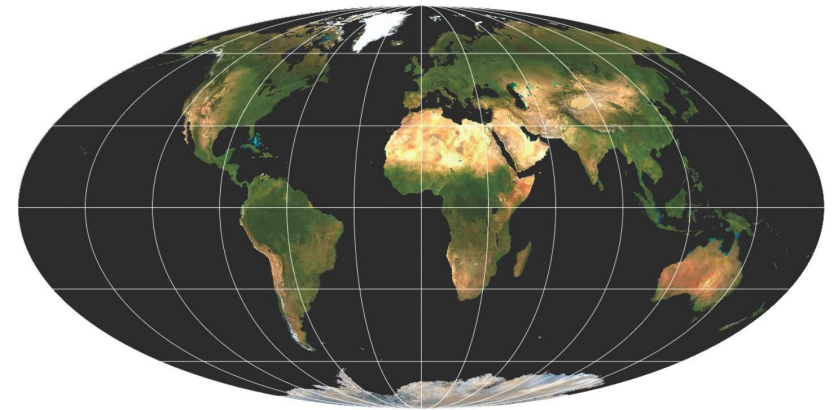
https://en.wikipedia.org/wiki/Gall%E2%80%93Peters_projection#/media/File:Gall%E2%80%93Peters_projection_SW.jpg

Gall-Peters Projection

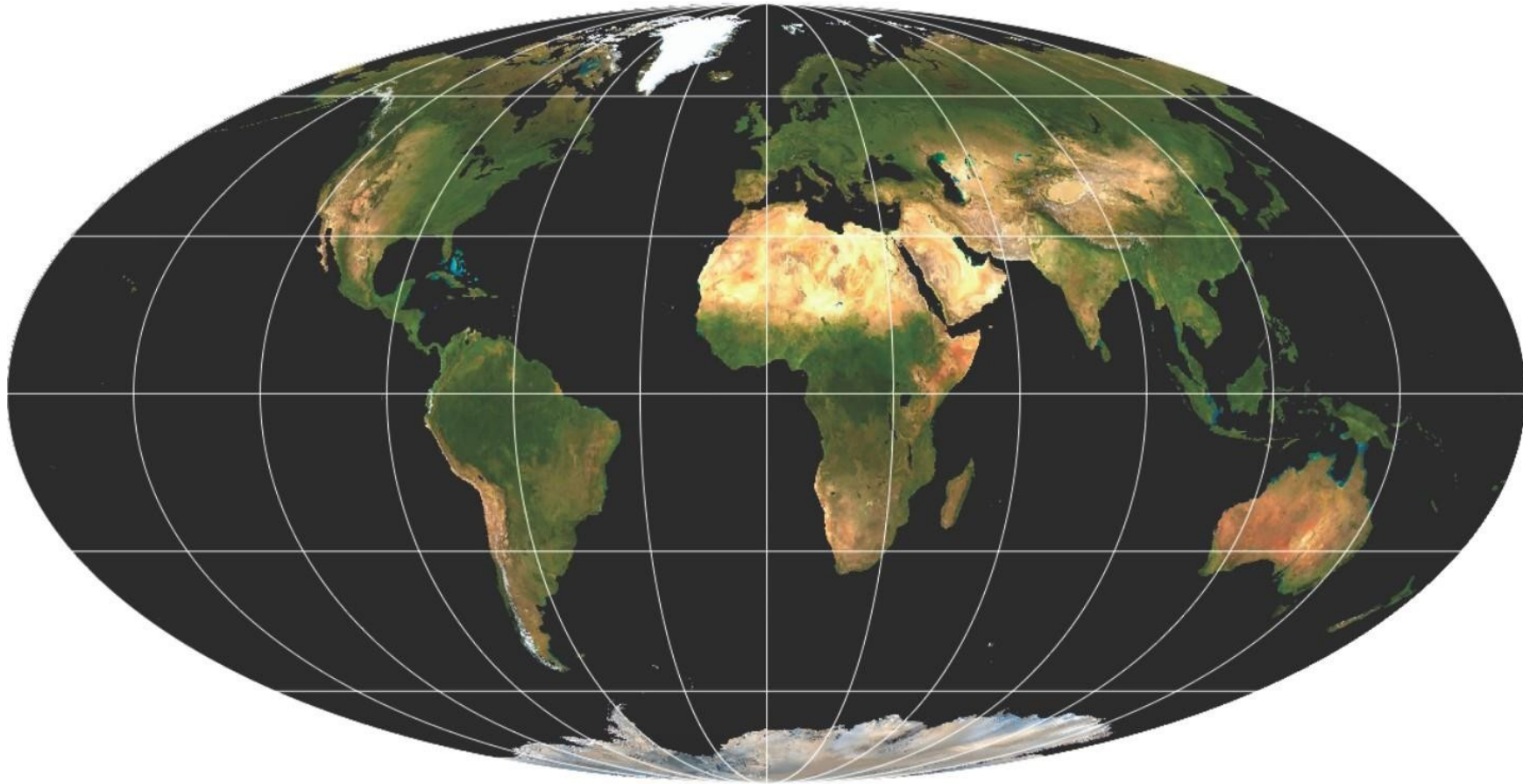


Mollweide Projection

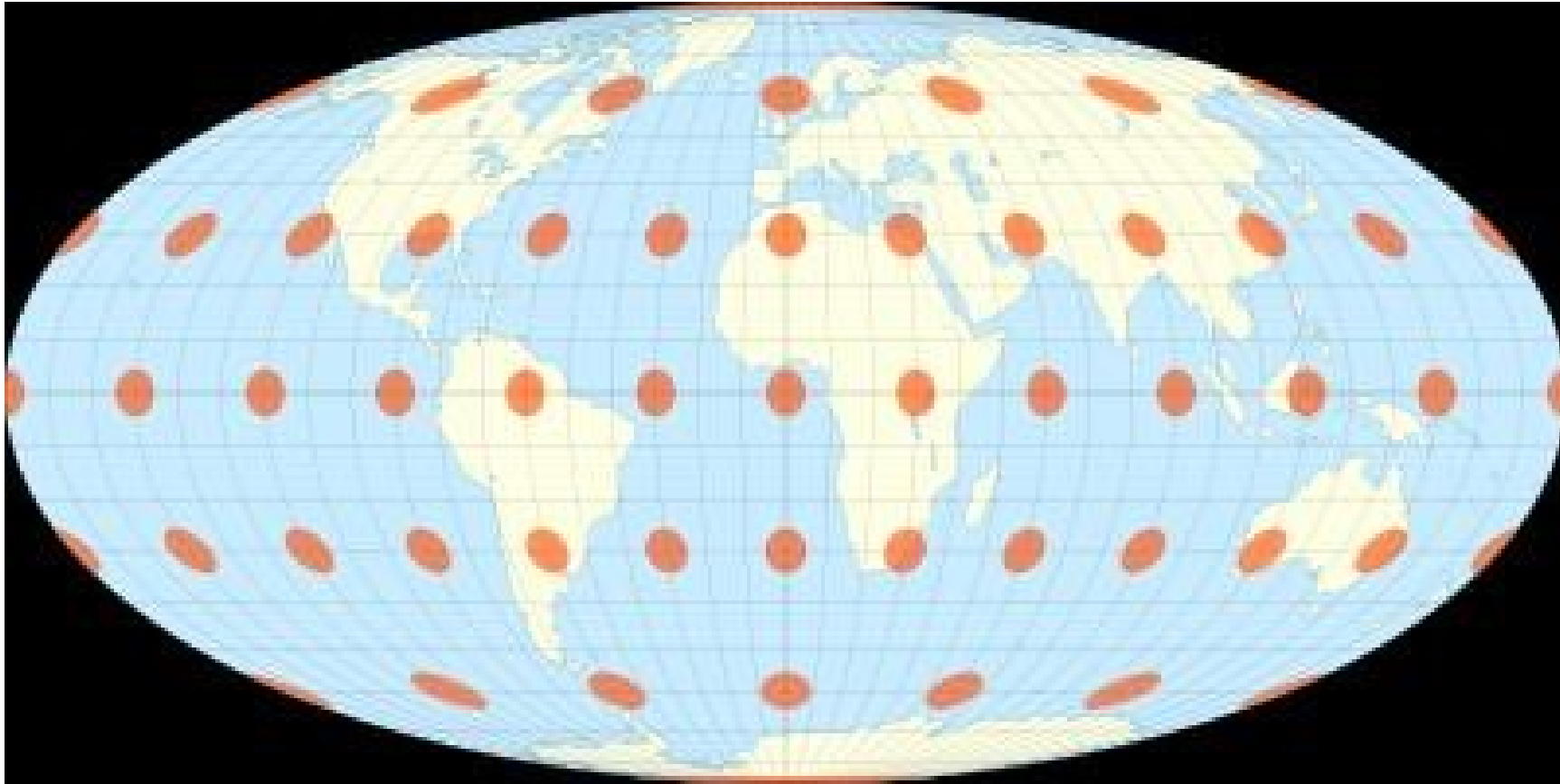
- Equal area
- Pseudocylindrical
- Non conformal - trades accuracy of shape and angle for area accuracy
- Converging meridians and straight parallels
- Used for maps where area is needed e.g., global distribution
- Ocean areas and sky



Mollweide Projection

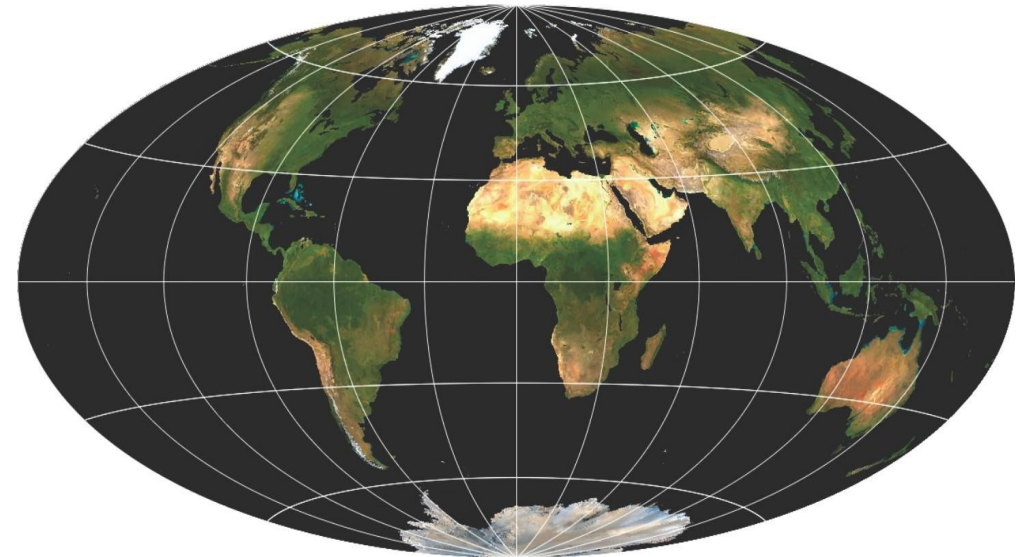


Mollweide Projection

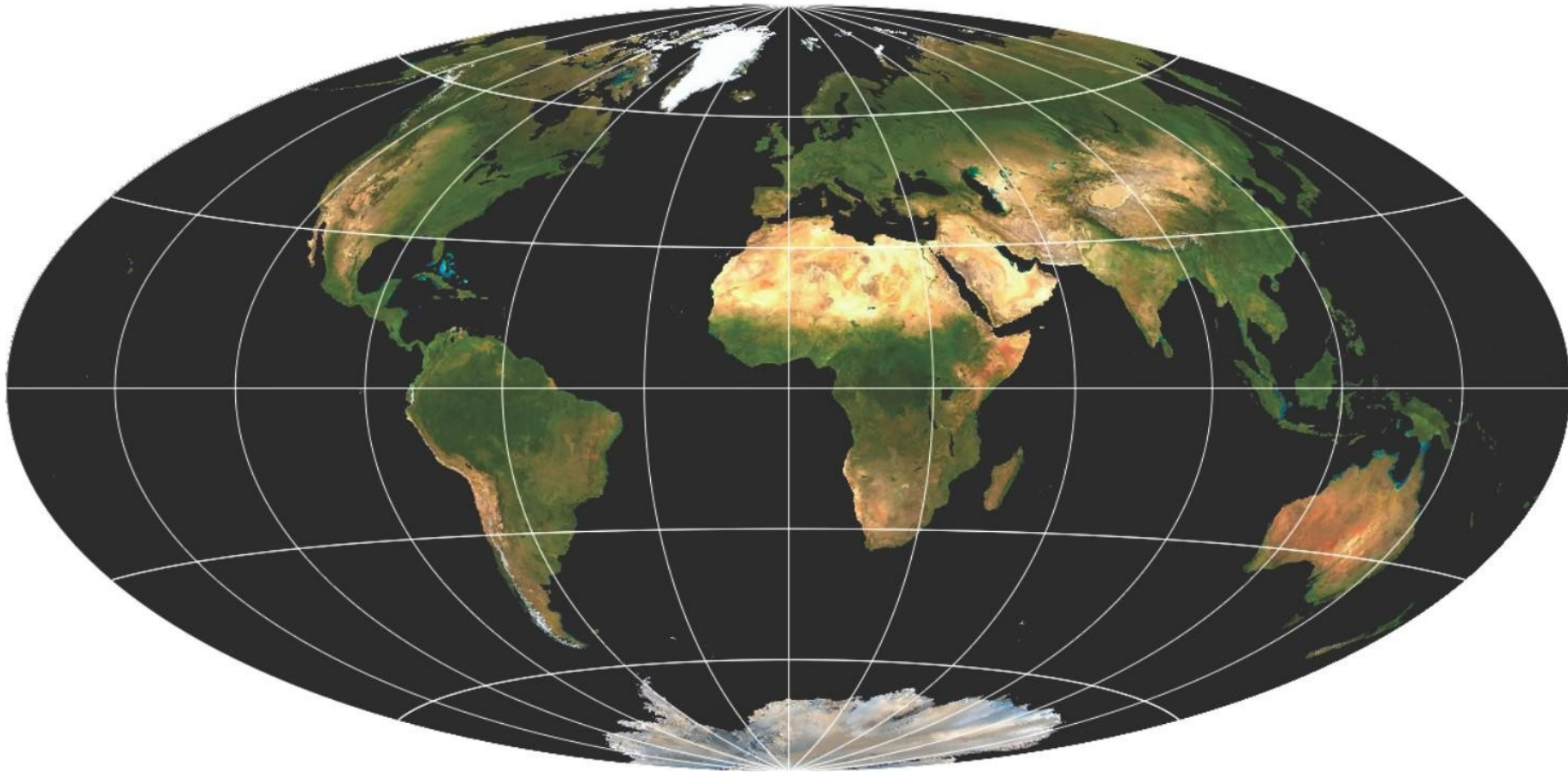


Hammer-Aitoff Projection

- Equal area
- Pseudocylindrical
- Non conformal
- Converging meridians
- Reduced distortion in outer meridians
- Curved parallels

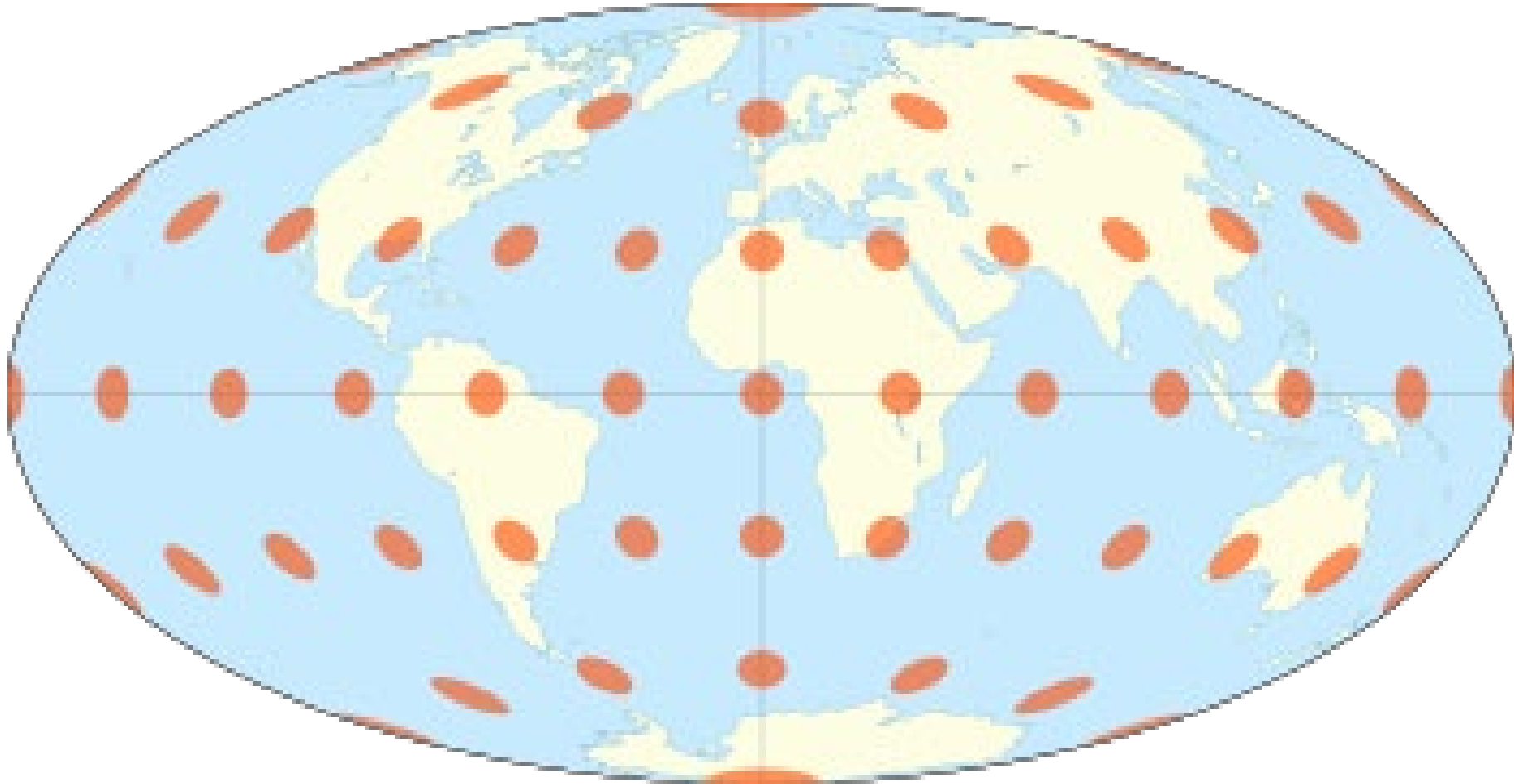


Hammer-Aitoff Projection



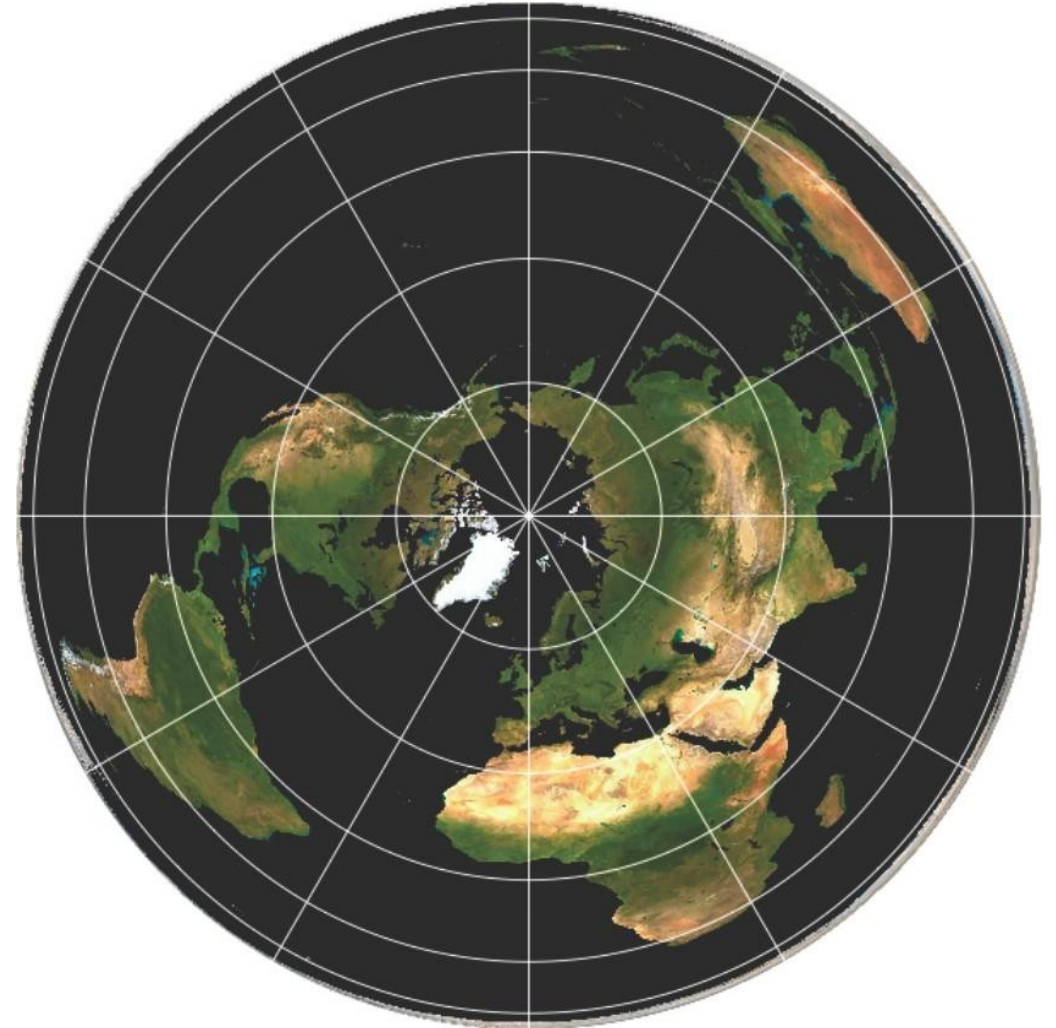
"Interactive Data Visualisation", M. Ward, G Grinstein 8: D Keirn, AK Peters, 2010

Hammer-Aitoff Projection

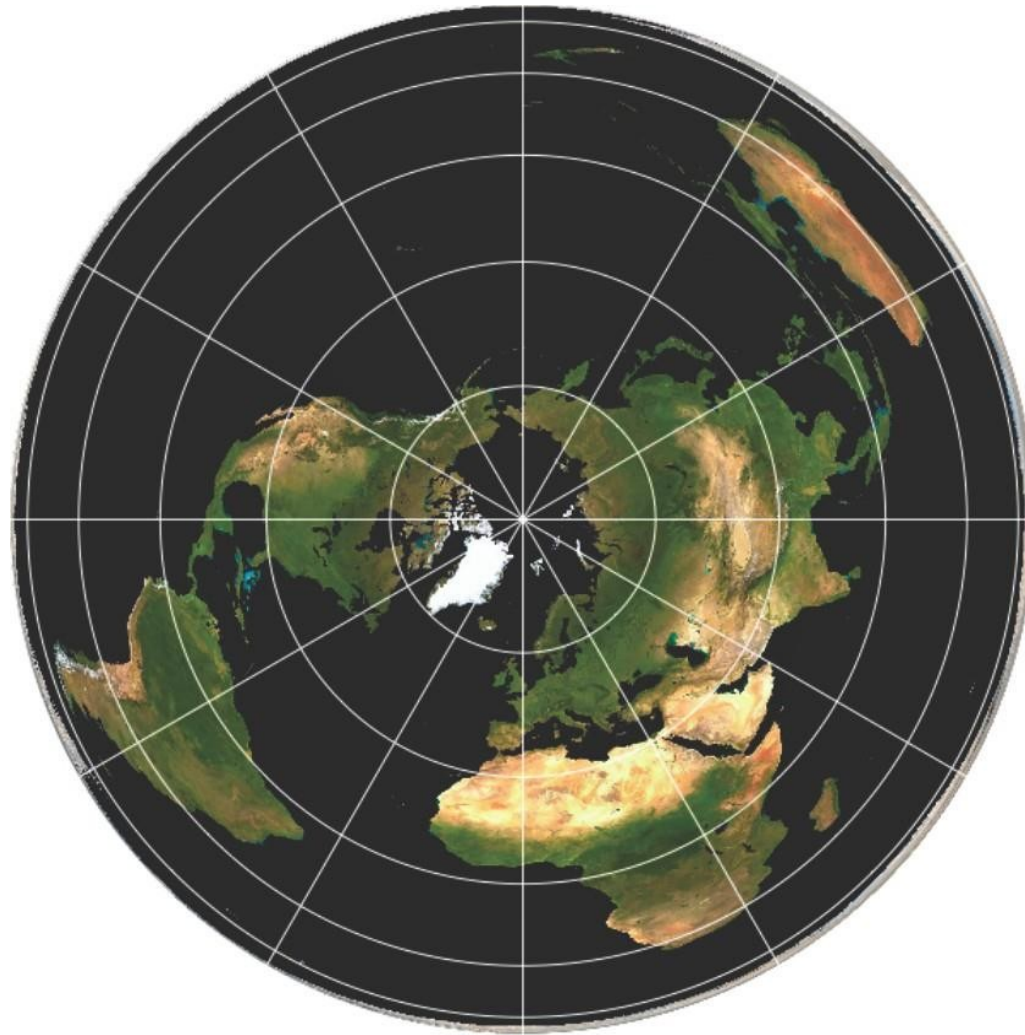


Albers Equal-area Conic Projection

- Equal area
- Uses 2 standard parallels to reduce distortion
- Non conformal
- Country or subcontinent view
 - Expanding East to West rather than North to South
- USA geological survey
- USA census

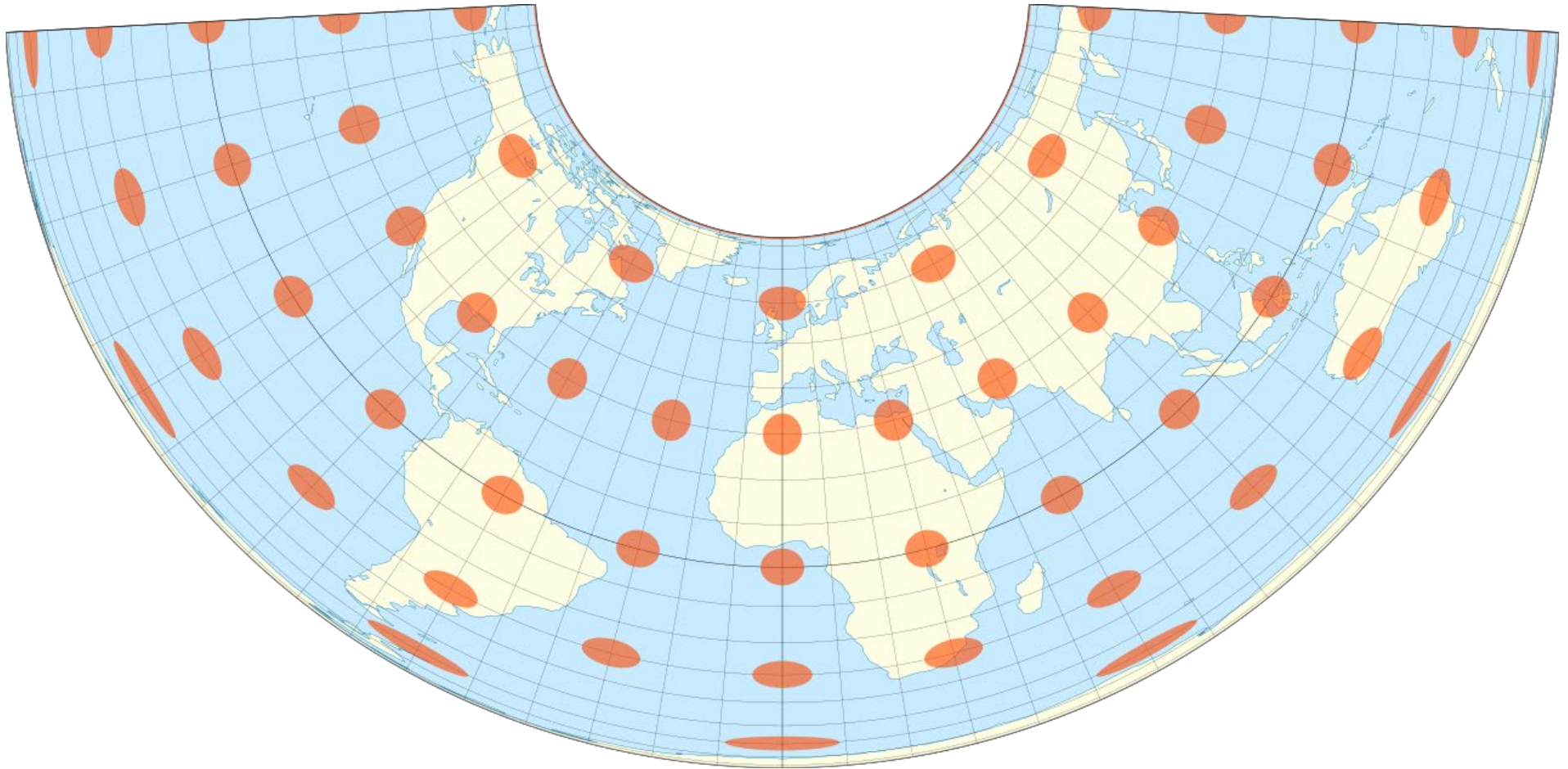


Albers Equal-area Conic Projection



"Interactive Data Visualisation", M. Ward, G Grinstein 8: D Keirn, AK Peters, 2010

Albers Equal-area Conic Projection



Gnomonic Azimuthal Projection

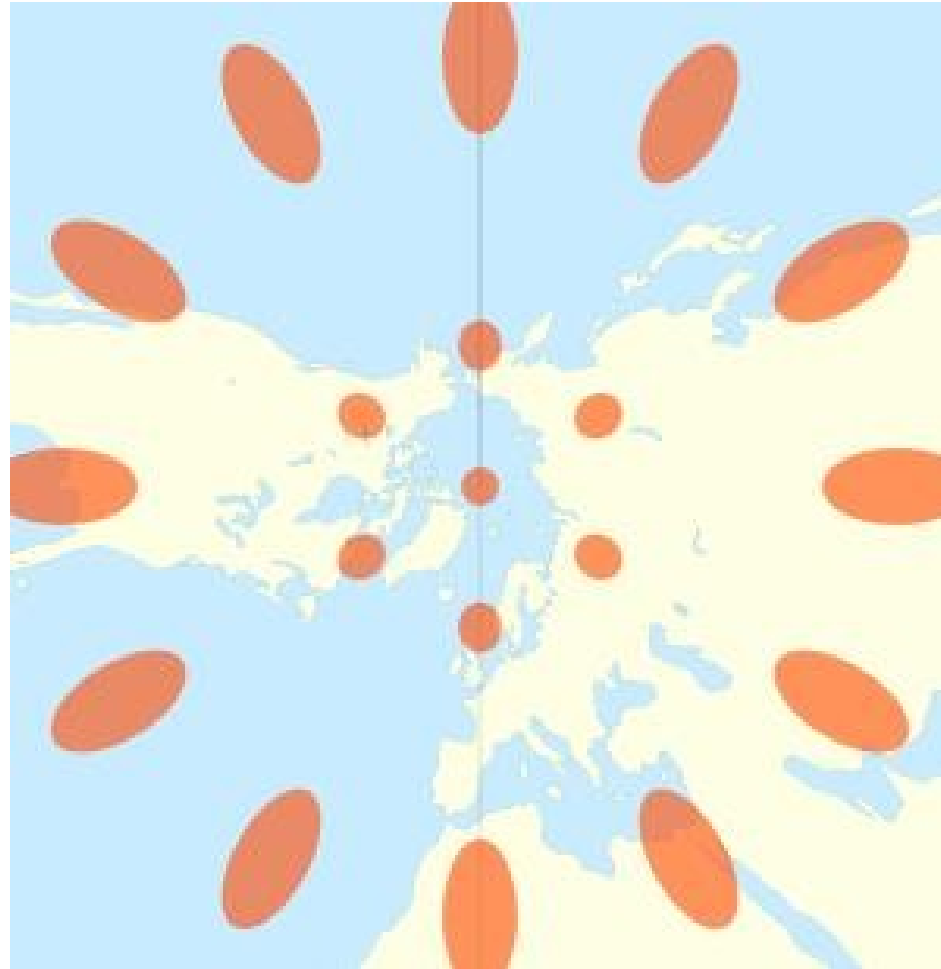
- Hemisphere or continent level
- Perspective, azimuthal projection
 - point of perspective at the centre of the globe
- Great distortion of shape, area and scale
 - Except at the centre
- Seismic work or navies plotting directions using radio waves



Gnomonic Azimuthal Projection

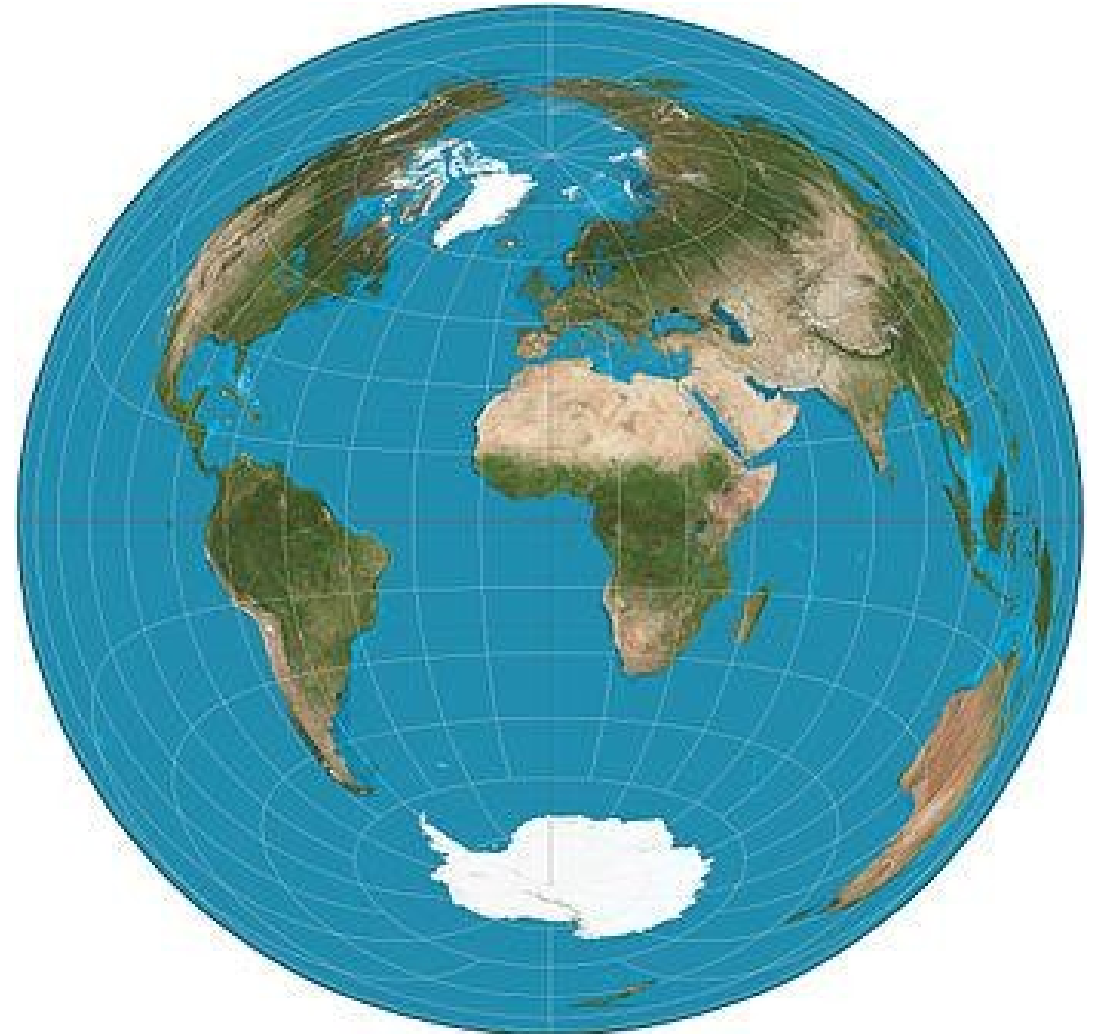


Gnomonic Azimuthal Projection

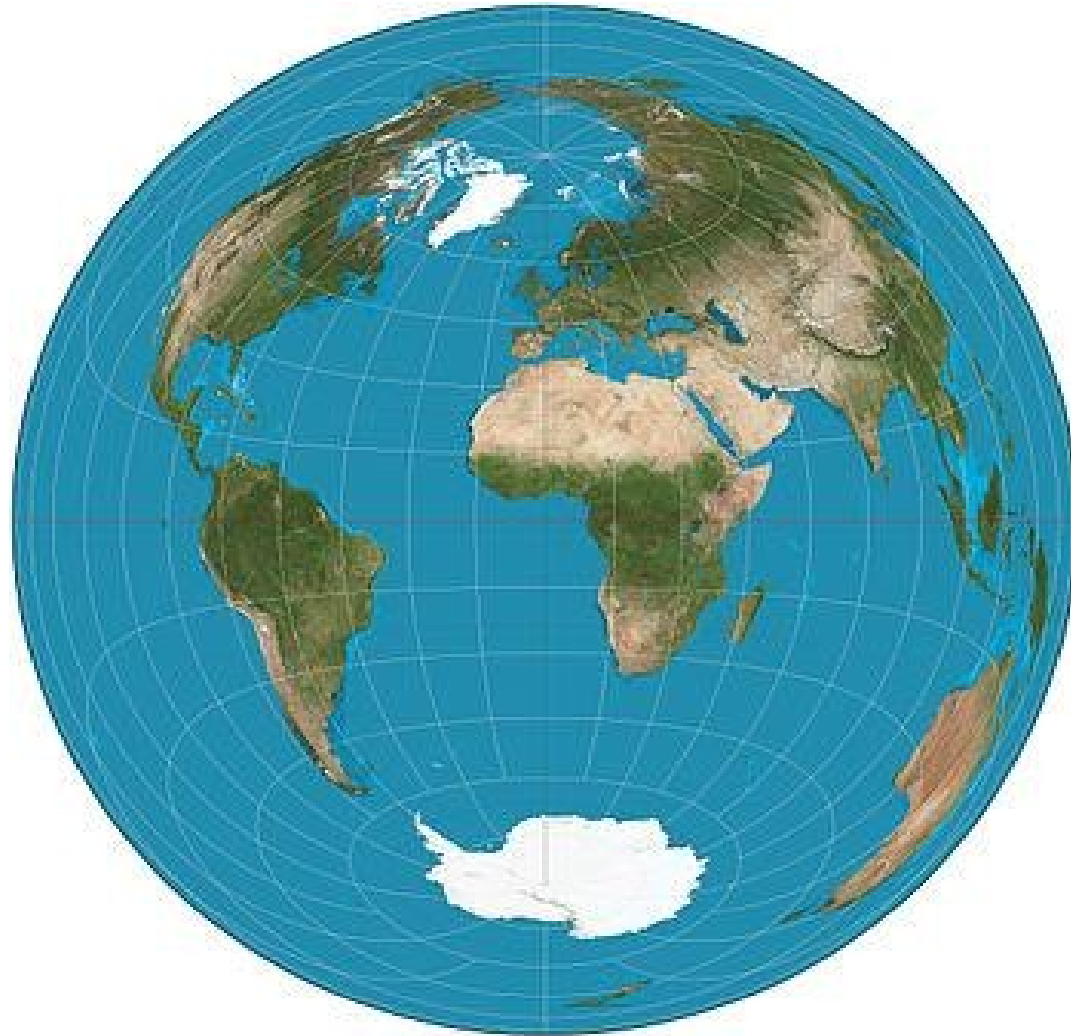


Lambert Azimuthal Equal Area Projection

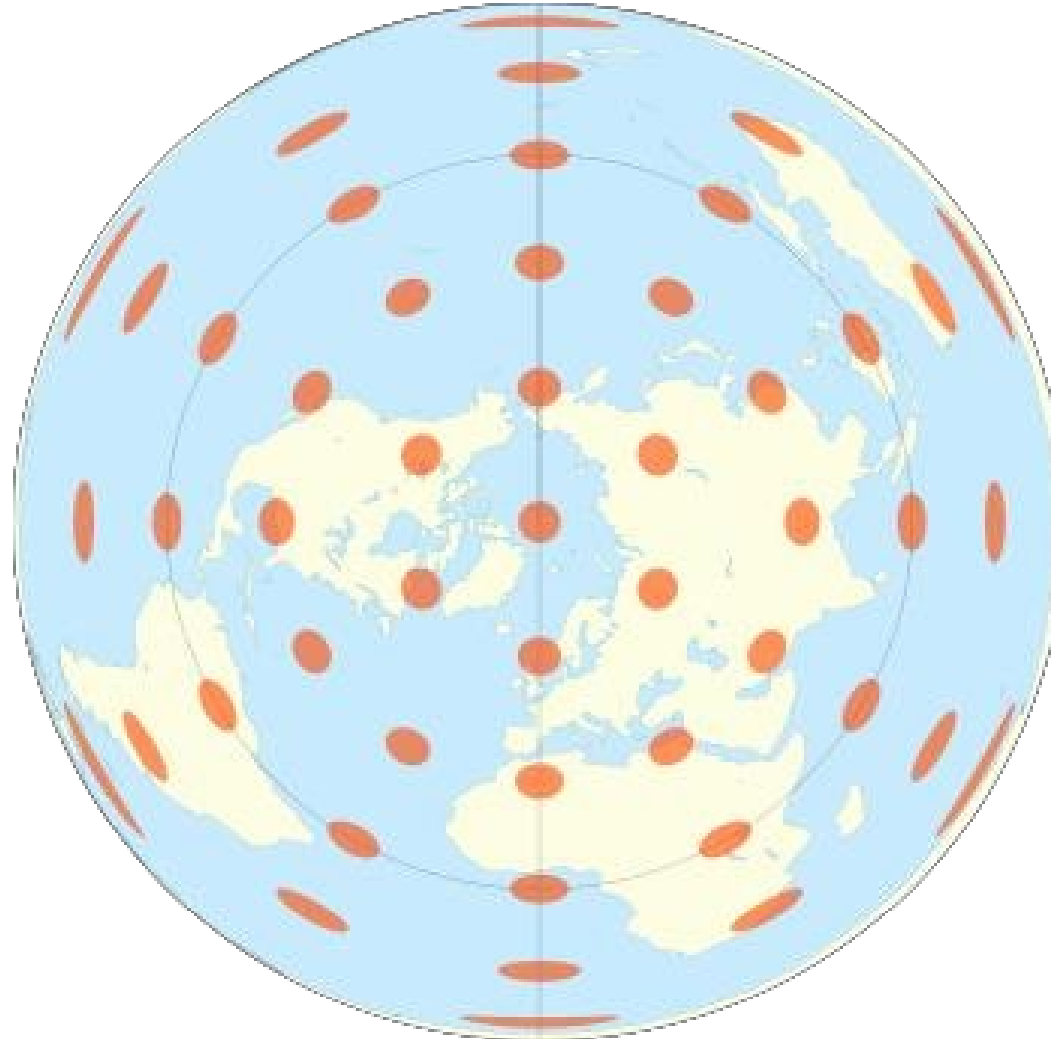
- Mapping sphere to a disk
- Equal area
- Non conformal
 - Does not accurately represent angles
- Hemisphere or continent level
- Geology – 3D mapping
- European Environment Agency



Lambert Azimuthal Equal Area Projection

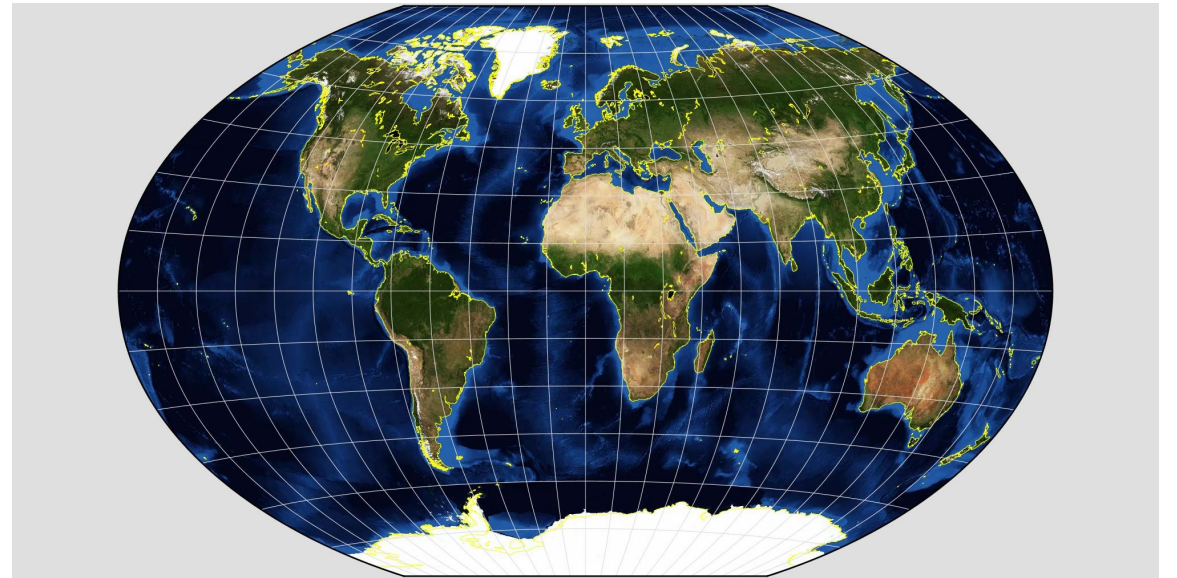


Lambert Azimuthal Equal Area Projection

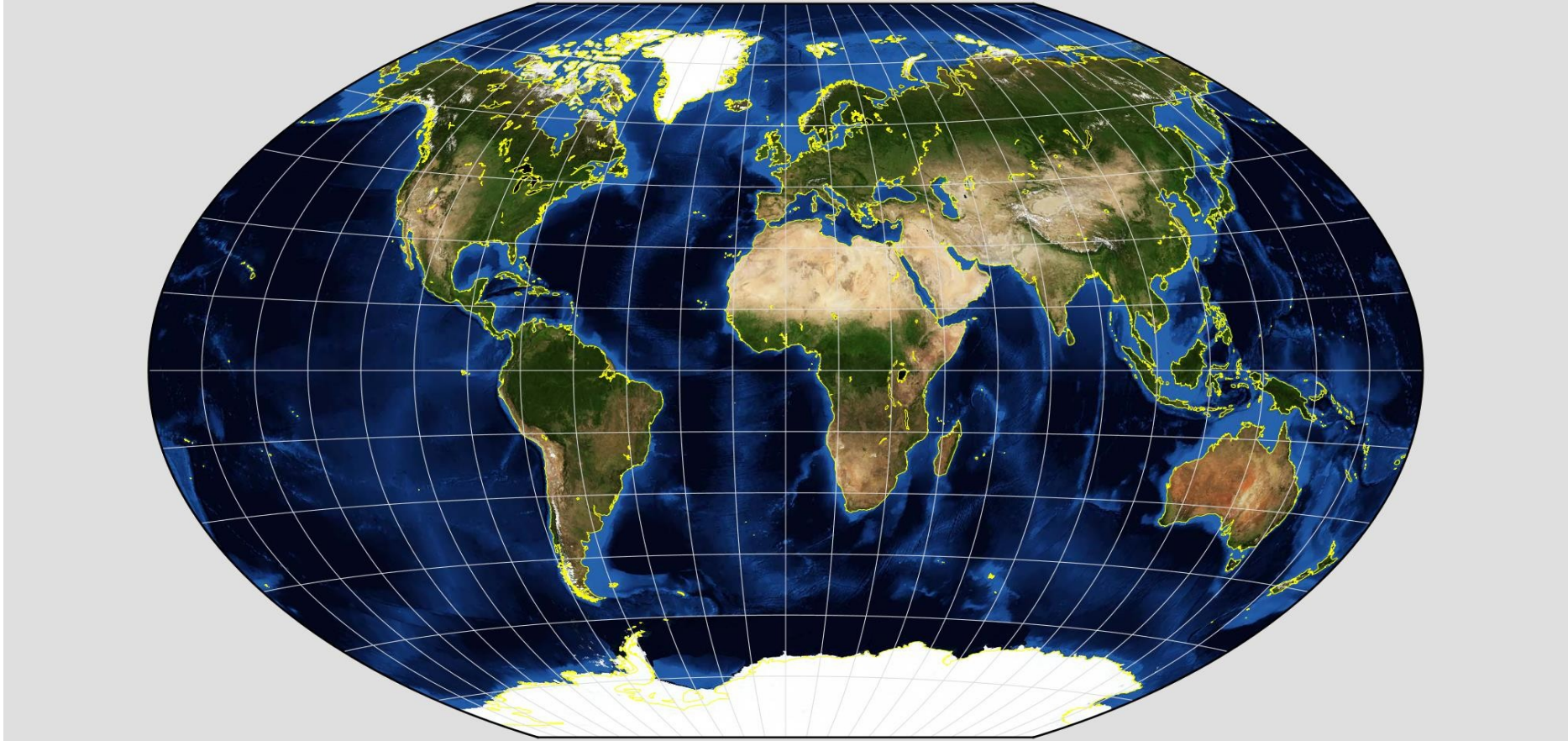


Winkel Tripel Projection

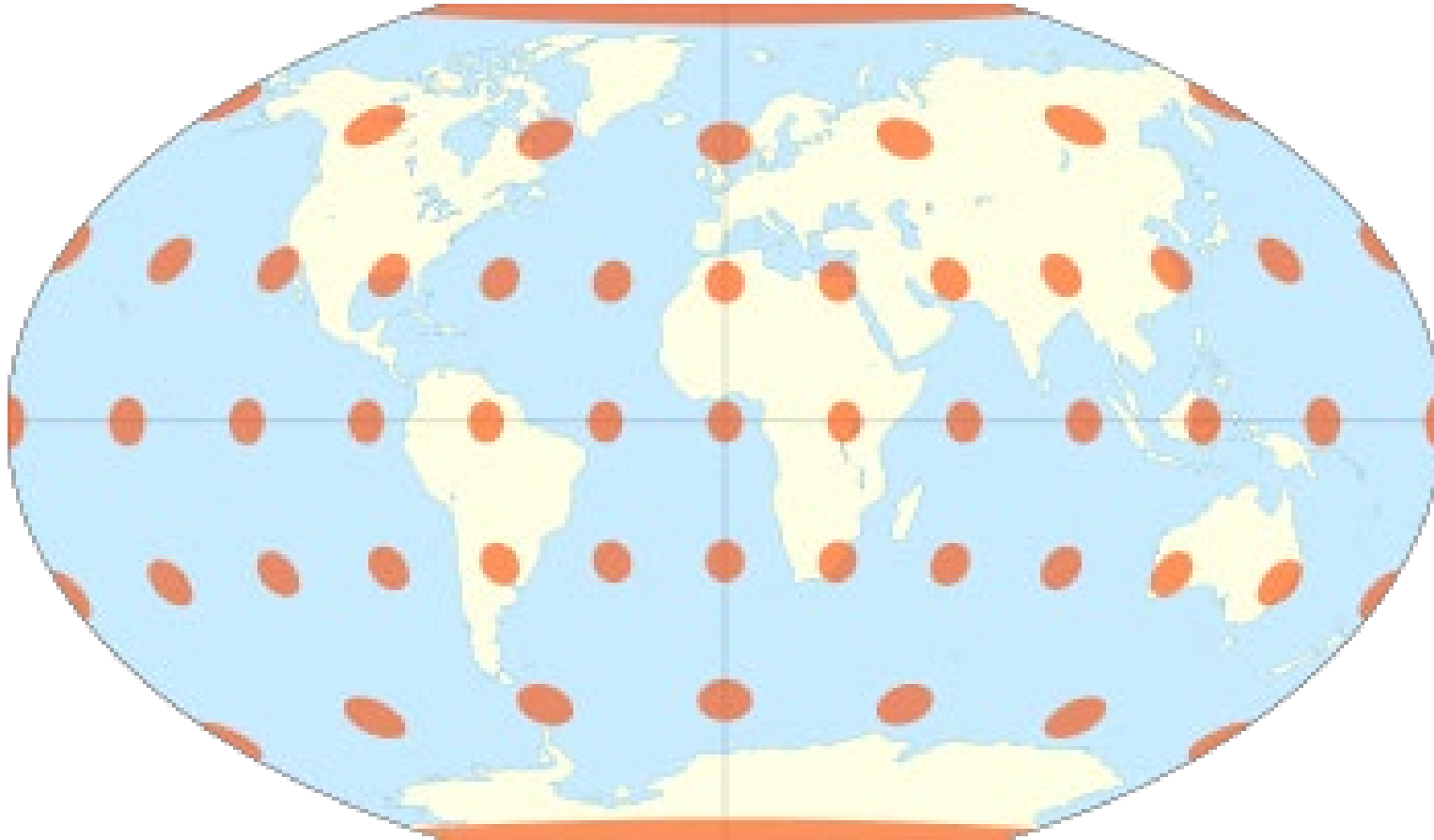
- Compromise projection
 - Give up the idea of perfectly preserving metric properties
 - Instead, strike a balance between distortions
- Neither conformal nor equal area
 - Minimizing distortions in area, direction, distance
- Whole world maps
- National Geographic



Winkel Tripel Projection



Winkel Tripel Projection



Gilbert Two world Perspective Projection

- Illusion
 - All countries are shown, even though only half the globe is visible
- Transformed conformally onto each hemisphere of a globe
- Resembles the world as people increasingly see it



Gilbert Two world Perspective Projection



Projections in R

- Different projections are included in the maps package

Projections in R

- Equatorial projections centered on the Prime Meridian (longitude 0).
Parallels are straight horizontal lines
- **mercator()** equally spaced straight meridians, conformal, straight compass courses
- **gall(lat0)** parallels spaced stereographically on prime meridian, equally spaced straight meridians, true scale on lat0
- **mollweide()** equal-area, hemisphere is a circle
- **gilbert()** sphere conformally mapped on hemisphere and viewed orthographically
- Others
- **sinusoidal()** **cylindrical()** **rectangular(lat0)** **cylequalarea(lat0)**

Projections in R

- Azimuthal projections centered on the North Pole. Parallels are concentric circles. Meridians are equally spaced radial lines.
- **azequidistant()** equally spaced parallels, true distances from pole
- **azequalarea()** equal-area
- **gnomonic()** central projection on tangent plane, straight great circles
- **perspective(dist)** viewed along earth's axis dist earth radii from center of earth
- Others
- **orthographic()** **stereographic()** **laue()** **fisheye(n)** **newyorker(r)**

Projections in R

- Polar conic projections symmetric about the Prime Meridian. Parallels are segments of concentric circles
- **conic(lat0)** central projection on cone tangent at lat0
- **simpleconic(lat0,lat1)** equally spaced parallels, true scale on lat0 and lat1
- **lambert(lat0,lat1)** conformal, true scale on lat0 and lat1
- **albers(lat0,lat1)** equal-area, true scale on lat0 and lat1
- **bonne(lat0)** equally spaced parallels, equal-area, parallel lat0 developed from tangent cone

Data Visualisation

Lab Recap Week 10

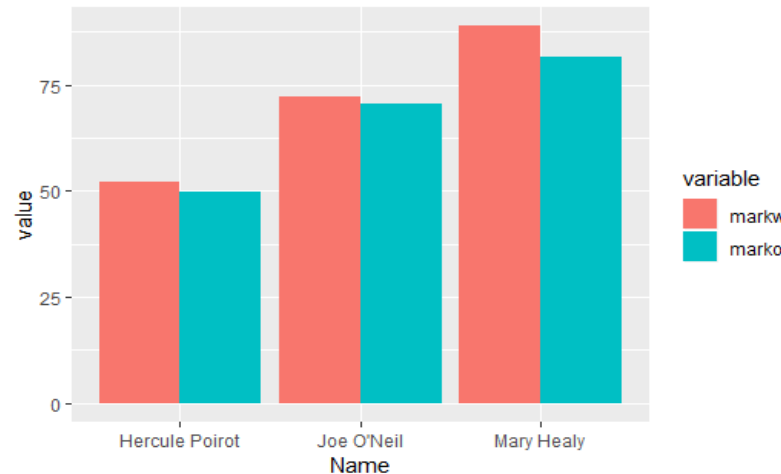
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Using ggplot in R

- Long Tables
- Bar charts
- Histograms
- Scatter plot and Bubble charts
- Line charts
- Smoothing

Long Tables in R

- Looking at last week's studentresults file, we may want to plot the results for the written and oral exams in two bars per student



- In order to plot those results in a bar chart with written and oral in separate bars, we need to convert the table into what is called long table format

Long Tables in R

Original Table

	Name	markw	marko
1	Hercule Poirot	52.06667	49.73333
2	Joe O'Neil	72.20000	70.40000
3	Mary Healy	88.86667	81.40000

Long Table

	Name	variable	value
1	Hercule Poirot	markw	52.06667
2	Joe O'Neil	markw	72.20000
3	Mary Healy	markw	88.86667
4	Hercule Poirot	marko	49.73333
5	Joe O'Neil	marko	70.40000
6	Mary Healy	marko	81.40000

Long Tables in R

- We can create the long table using the function melt from the reshape2 package:

```
library(reshape2)
```

```
resultsW_O2 <- sqldf ( "select Name, avg(Mark_Written) as markw,  
avg(Mark_Oral) as marko from studentresult group by Name")
```

```
head(resultsW_O2)
```

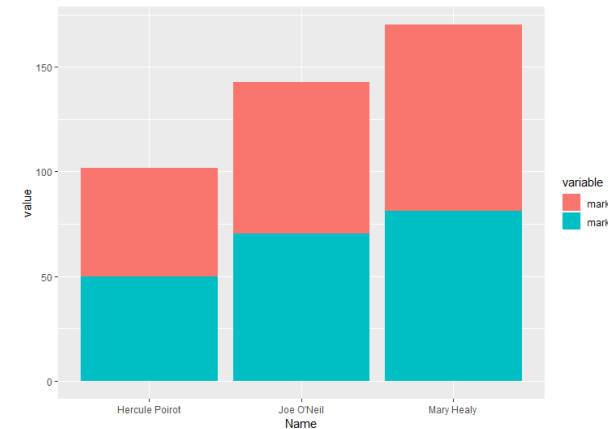
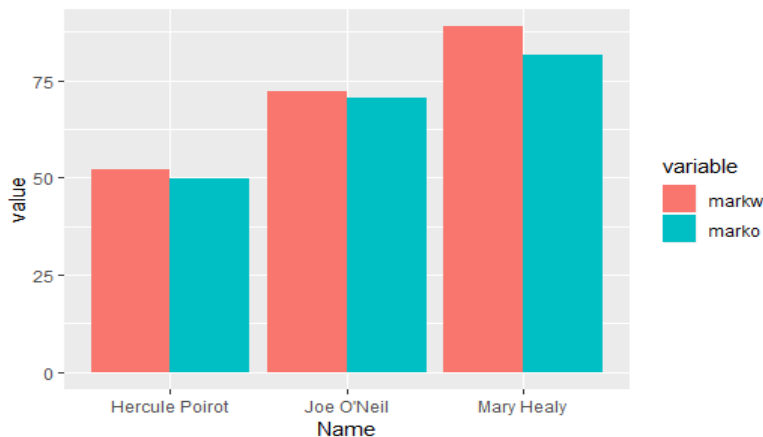
```
resultsW_Om<-melt(resultsW_O2,id.vars = c('Name'))
```

```
head(resultsW_Om)
```

Long Tables in R

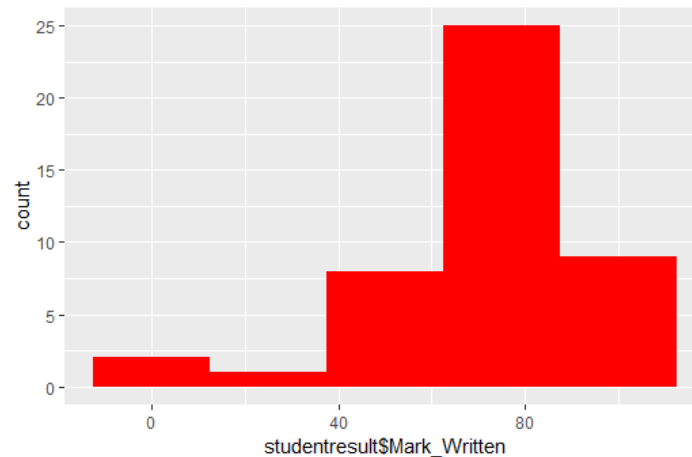
- Now, we can use ggplot to plot the different values, using value for y axis and variable for fill colour, as well as position dodge to place written and oral bars beside each other instead of stacked.

```
ggplot(resultsW_Om, aes(x = Name, y = value, fill = variable)) +  
geom_bar(stat="identity", position = 'dodge')
```



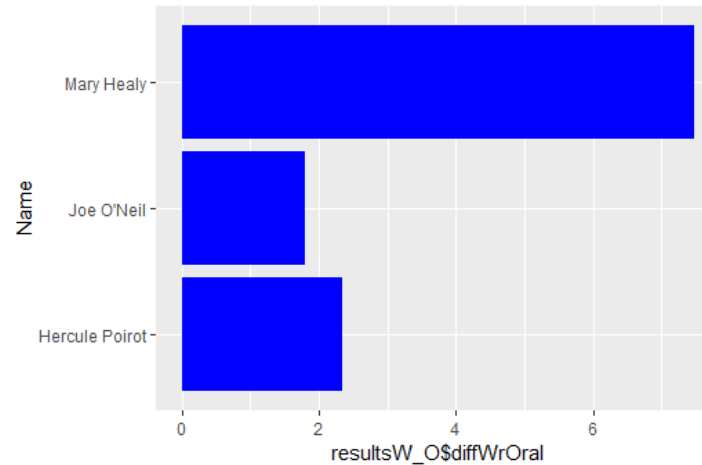
Visualisations using ggplot Histograms

- Plots one variable counting the instances that fall in each bin. Bin size can be adjusted with the command `binwidth`.



```
ggplot(data=studentresult, aes(studentresult$Mark_Written)) +  
geom_histogram(fill='red',binwidth = 25)
```

Visualisations using ggplot Horizontal Bar chart

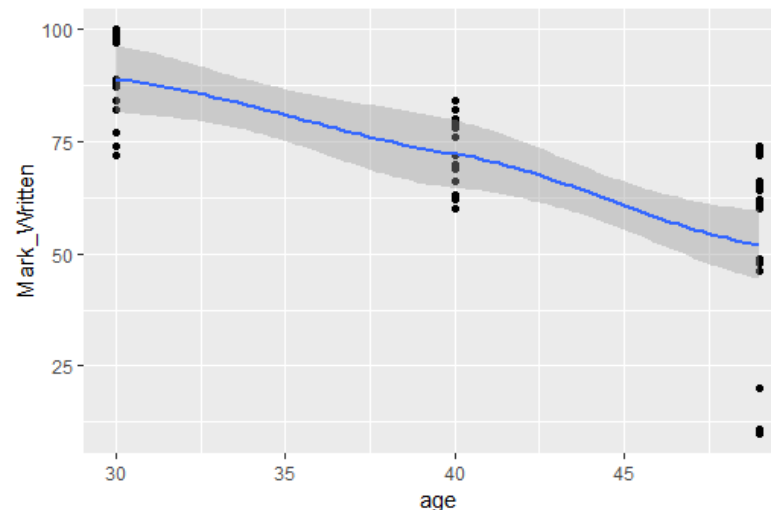


```
ggplot(resultsW_O , aes(x = Name, y = resultsW_O$diffWrOral) ) +  
geom_bar(stat="identity",fill='blue')+coord_flip()
```

Visualisations using ggplot

Fitting lines and smoothing methods

- Lines and curves can be fitted into scatter plots to help in the identification of patterns.
- Options
- method: LOESS, LM
- se: confidence interval display(TRUE,FALSE)



Visualisations using ggplot

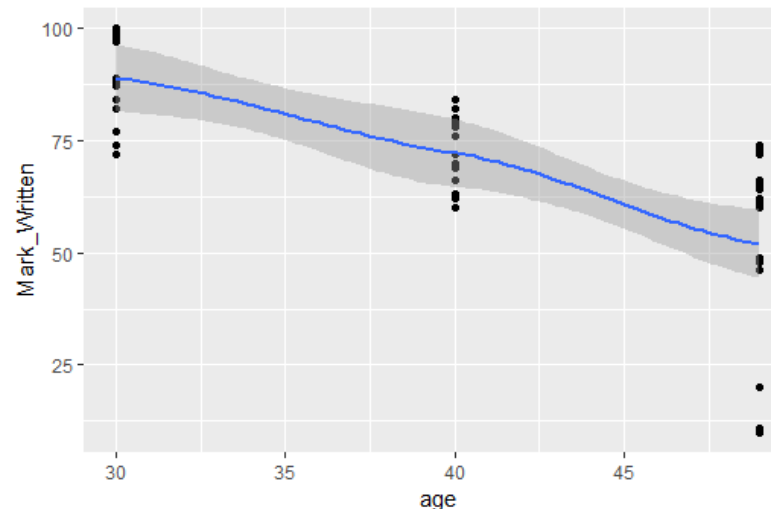
Fitting lines and smoothing methods

- Lines and curves can be fitted into scatter plots to help in the identification of patterns.

```
v<-ggplot(studentresult, aes(x = age, y =Mark_Written ) )
```

```
+geom_point()
```

```
v+geom_smooth(method='loess')
```

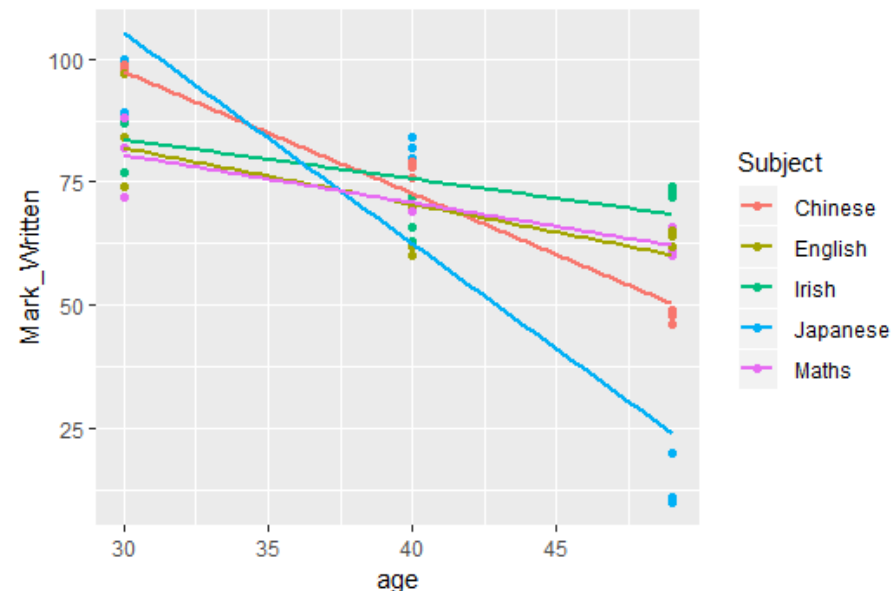


Visualisations using ggplot

Fitting lines and smoothing methods

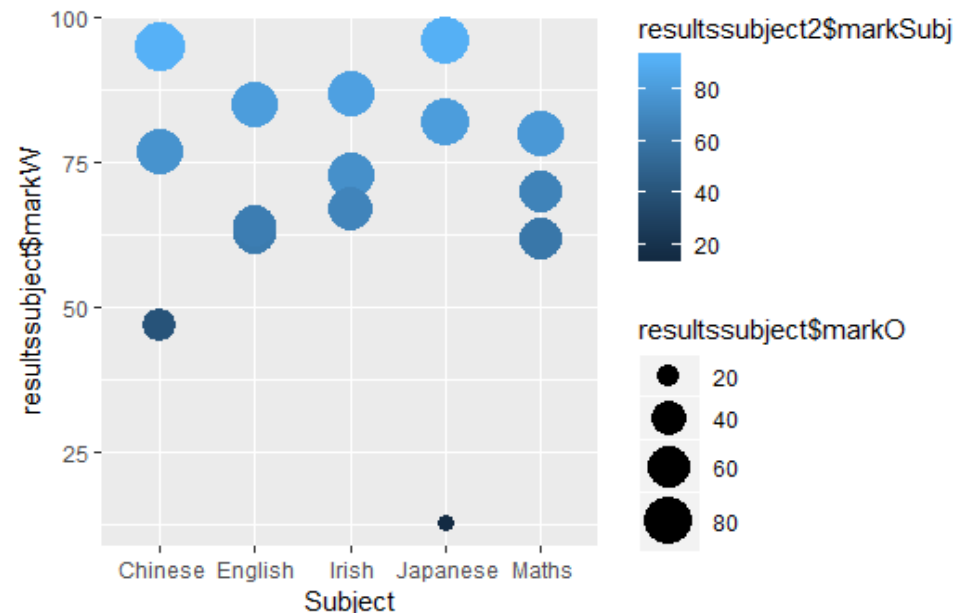
- Fitting separate lines for different data series (per subject)

```
v<-ggplot(studentresult, aes(x = age, y =Mark_Written ,color=Subject) )  
+geom_point()  
v+geom_smooth(method='lm',se=FALSE)
```



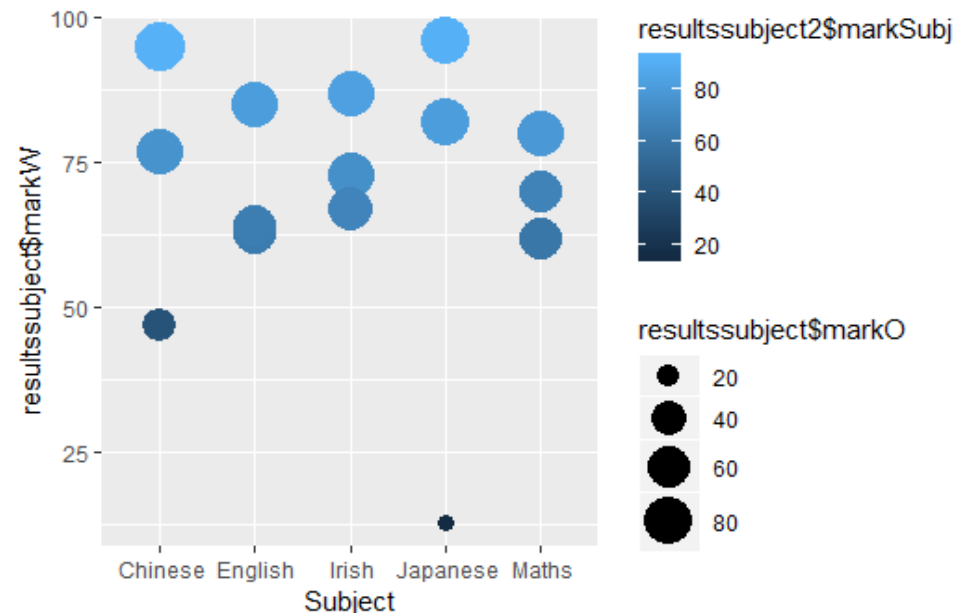
Visualisations using ggplot Bubble Charts

- Bubble charts are created using ggplot by creating a scatter plot and adding the third dimension in the aesthetic option size.
- A fourth dimension can be added using the colour fill.



Visualisations using ggplot Bubble Charts

```
ggplot(resultssubject, aes(x = Subject, y = resultssubject$markW)) +  
  geom_point(aes(size = resultssubject$markO,  
    color=resultssubject2$markSubj)) + scale_size(range = c(3, 9))
```



Question for Lab

- Find one message in our studentresult data
- Create the best visualization to show the message

Assignment 2 – 30%

- You are a Data Scientist. You are tasked with conducting some exploratory analysis. Your goal is to find “insights” in the data and present those findings to your colleagues.
-
1. Select, Clean and Wrangle a Dataset – 4%
 2. Decide on a story (user story) – 2%
 3. Using R, create three visualisations 21%
 4. Show previous iterations or alternatives 3%

Thanks To

- Marisa Llorens-Salvador, John McAuley, Colman McMahon and Brian Mac Namee for an earlier version of these lecture notes