Xi'an Jiaotong-Liverpool University

西交利的浦太学

PAPER CODE	EXAMINER	DEPARTMENT	TEL
CSE102	_	Computer Science and Software	
		Engineering	

2nd SEMESTER 2015/16 EXAMINATIONS (RESIT)

BACHELOR DEGREE - Year 2

ALGORITHMIC FOUNDATIONS AND PROBLEM SOLVING

TIME ALLOWED: 2 Hours

INSTRUCTIONS TO CANDIDATES

READ THE FOLLOWING CAREFULLY:

- 1. The paper consists of Part A and Part B. Answer all questions in both parts.
- 2. Each of the questions in Part A comprises 5 statements, for which you should select the one most appropriate answer.
- 3. Answer all questions in Part A using the Multiple Choice Answer Sheet. Please read the instructions on the Multiple Choice Answer Sheet carefully and use a HB pencil to mark the Multiple Choice Answer Sheet. If you change your mind, be sure to erase the mark you have made. You may then mark the alternative answer.
- 4. Answer all questions in Part B using the answer booklet.
- 5. Enter your name and student ID No. on BOTH the Multiple Choice Answer Sheet and the answer booklet.
- 6. At the end of the examination, be absolutely sure to hand in BOTH the answer booklet AND the Multiple Choice Answer Sheet.
- 7. All answers must be in English.

THIS PAPER MUST NOT BE REMOVED FROM THE EXAMINATION ROOM

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PART B

Question 1 (17 marks)

1A. Briefly describe the idea of the divide-and-conquer technique.

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- 1B. Consider the following problem. Given an array A consisting of n distinct integers A[1], ... A[n]. It is known that there is a position p between 1 and n, such that A[1] < A[2] < ... < A[p-1] < A[p] and A[p] > A[p+1] > ... > A[n].
 - Design a divide-and-conquer algorithm to find the position p with running time of O(log n) in the worst case.
 - 2. Find the recurrence relation for its time complexity and explain it.

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3. Solve the recurrence relation to show that the complexity of your algorithm is $O(\log n)$ (for simplicity, you can assume that n = 2k).

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Question 2 (8 marks)

Apply the branch-and-bound algorithm to solve the travelling salesman problem for the following graph.

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