Pattern Recognition Practical 6

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Assignment 1

1

When we take k=2 the Minkowski metric is the same as the Euclidean distance between the points, which is used as error function in other clustering methods such as K-means clustering.

 $\mathbf{2}$

See the code A in the appendix for our implementation.

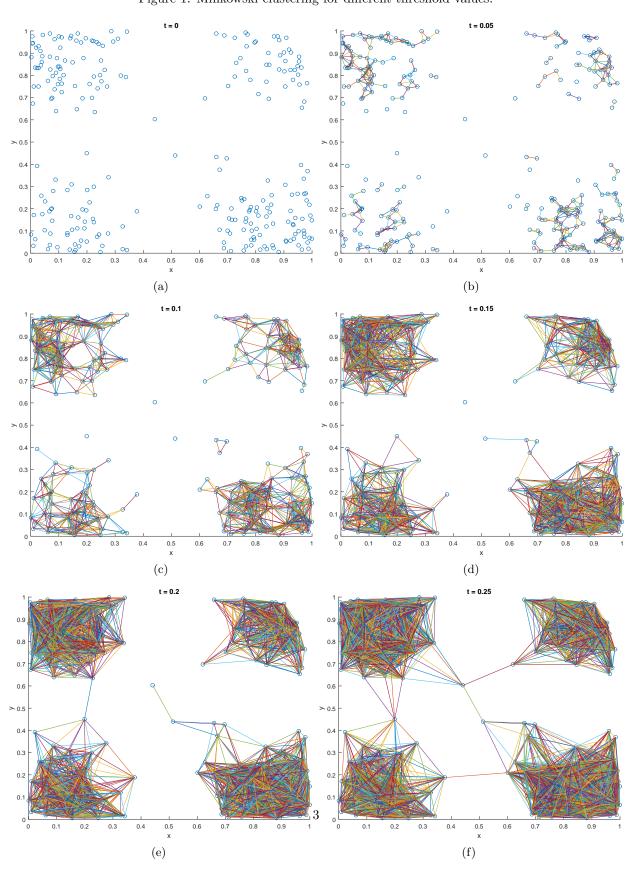


Figure 1: Minkowski clustering for different threshold values.

Appendix

A kmeans.m

../Code/Ass1.m

```
close all;
   load('cluster_data.mat', 'cluster_data');
   dat = cluster_data;
   k = size(dat, 2);
   % Calculate the minkowski distances between the points for k dimensions
   dist = pdist2(dat, dat, 'minkowski', k);
   \% Make a new figure for every t-value and plot the relevant connections
   for t = 0.00 : 0.05 : 0.25
9
        figure;
10
11
        hold on;
12
        plot(dat(:,1), dat(:,2), 'o');
        % Loop over all points and plot the connections when the distance
13
        \% between two points is smaller than t
14
15
        for point = 1 : length(dat)
            for point2 = point+1 : length(dat)
16
17
                if dist(point, point2) < t</pre>
                     plot ([dat(point,1) dat(point2,1)], [dat(point,2) dat(point2,2)])
18
19
                end
20
            end
21
        xlabel('x'); ylabel('y'); title(['t = ' num2str(t)]);
22
        print(sprintf(['../Report/Ass1_', num2str(t*100)]), '-depsc');
23
24
25
   \quad \mathbf{end} \quad
```