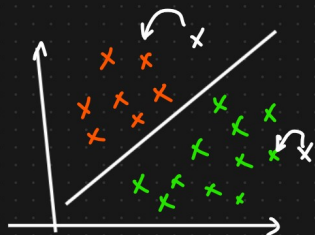


Performance Metrics, Accuracy, Precision, Recall And F-Beta

Topics to be covered

- ① Confusion matrix
- ② Accuracy
- ③ Precision
- ④ Recall
- ⑤ F-Beta Score



Logistic Regression

R squared
Adjusted R squared

① Confusion Matrix

	1	0	Actual Values
1	3	2	
0	1	1	

Dataset		o/p	pred by model
x_1	x_2	y	\hat{y}
-	-	0	1
-	-	1	1
-	-	0	0
-	-	1	1
-	-	1	1
-	-	0	1
-	-	1	0

Predicted values

	1	0	Actual
1	TP	FP	
0	FN	TN	

$$\begin{aligned}
 \text{Accuracy} &= \frac{TP + TN}{TP + FP + FN + TN} \\
 &= \frac{3 + 1}{3 + 2 + 1 + 1} \\
 &= \frac{4}{7}
 \end{aligned}$$

② Dataset Binary classification

\rightarrow 1000 datapoints $\left\{ \begin{array}{l} 900 \rightarrow 1 \\ 100 \rightarrow 0 \end{array} \right\}$ Imbalanced Dataset
 \downarrow
 90% Accuracy

④ Precision = $\frac{TP}{TP+FP}$ } Out of all the actual value
how many are correctly predicted

	1	0	Actual
1	TP	FP	
0	FN	TN	
Predicted			

② Recall = $\frac{TP}{TP+FN}$ } Out of all the predicted value
how many are correctly predicted

Usecase ①

Spam classification

Mail → Spam } Good
Model → Spam }

	Spam	Not Spam	
	1	0	Actual
Spam	TP	FP ✓	
Not Spam	FN	TN	

Mail → Not Spam } Blunder
Model → Spam }

$$\text{Precision} = \frac{TP}{TP+FP}$$

Usecase 2

To predict whether person has diabetes or not

✓ Truth → diabetes }
✓ Model → Doesn't diabetes } Blunder

	Diab	No Diab	
Diab	TP	FP	
No Diab	FN	TN	

$$\text{Recall} = \frac{TP}{TP+FN}$$

Truth → diabetes } good
Model → " }

usecase of diseases

Truth \rightarrow Not diabetes } \Rightarrow 2nd opinion
 Model \rightarrow Diabetes } \Downarrow
 check

Assignment

④ Tomorrow the stock market will crash or not

Reducing FPR or FNR

④ F-Beta Score : $(1 + \beta^2) \frac{\text{Precision} \times \text{Recall}}{\text{Precision} + \text{Recall}}$

① If FP & FN are both important

$$\beta = 1$$

$$F1 \text{ Score} = 2 \times \frac{\text{Precision} \times \text{Recall}}{\text{Precision} + \text{Recall}} \quad \Rightarrow \text{Harmonic Mean}$$

② If FP is more important FN

$$\beta = 0.5$$

$$F_{0.5} \text{ Score} = (1 + 0.25) \frac{P \times R}{P + R}$$

③ If FN \gg FP

$$\beta = 2$$

$$F_2 \text{ Score} = (1 + 4) \frac{P \times R}{P + R}$$