divide 997, which is a contradiction.

GRADE 100%

Change Money

TOTAL POINTS 4 ${\bf 1.} \quad {\bf What is the smallest amount of money for which greedy strategy fails with coin denominations of } 1,$ $8 \ \mathrm{and} \ 20?$ 24 ✓ Correct The optimal solution is 24=8+8+8, but the greedy algorithm will suggest 24=20+1+1+1+1 . For all the numbers less than 24, the greedy algorithm gives correct 2. What is the minimum number of coins needed to change 32 into coins with denominations 1, 8, 20? 1 / 1 point O 5 O 3 4 O 6 ✓ Correct 32 = 8 + 8 + 8 + 8What is the running time of the dynamic programming algorithm to change \boldsymbol{m} using \boldsymbol{n} different coin 1/1 point denominations? O(nm) $\bigcirc O(n+m)$ $\bigcirc O(m \log n)$ ✓ Correct For each value up to m, we need to try to start changing it with each of n coin denominations, thus the running time is O(nm) . See the lectures for more details. 4. Is it possible to change 997 using coins with denominations $2,\,4$ and 8?1 / 1 point O Yes Proof by contradiction. If it was possible to change 997 using only coins of denominations $2,\,4$ and 8, it would mean that 2 divides 997, because 2 divides $2,\,4$ and 8. However, 2 does not