best\_split

March 7, 2024

- 1 Analyze data split using 80-20 Balancing score, Jensen-Shannon distance, % Appearing families
- 1.1 Setup the data frame and define the functions

```
[1]: from utils.best_split_utils import *
     import seaborn as sns
     import matplotlib.pyplot as plt
[2]: # Get the merged malware data
     df = pd.read_csv("vt_reports/merge.csv")
     df.head()
[2]:
                                                   sha256 first_submission_date \
     0 98f8e26e12b978102fa39c197f300ebe5fe535617737d5...
                                                                      1630575593
     1 7b2999ffadbc3b5b5c5e94145ca4e2f8de66ac1e3ddd52...
                                                                      1629375559
     2 e7569d494fe00be04ef6c9fcc5e54720c0df623b08e79d...
                                                                      1362057319
     3 1ed60c04f572b6acb9f64c31db55ef5c6b5465bd4da1eb...
                                                                      1630624233
     4 4c4aaff20a57213d9a786e56ad22f1eaa94694a2f1042b...
                                                                      1592186154
          family
     0
          tnega
     1
          quasar
     2
          pasta
     3
          cjishu
     4 kingsoft
[3]: fsd = "first_submission_date"
     # Convert the timestamps to datetime format
     df_dt = df.copy()
     df_dt[fsd] = df_dt[fsd].apply(lambda t: pd.to_datetime(t, unit='s'))
[4]: from typing import Callable
     from scipy.spatial.distance import jensenshannon
     def compute_scores(df: pd.DataFrame, ref_df: pd.DataFrame, date_split: pd.
      →Timestamp):
         Compute the scores given a dataset and a timestamp as data split:
```

```
Jensen-Shannon score, Train-Test balancing, % Appearing families in testing ∪
\hookrightarrowset
   11 11 11
   # JS
   df_train_all = split_and_group(src_df=df, split_condition=df[fsd] <__</pre>
→date_split, ref_df=ref_df)
   df_test_all = split_and_group(src_df=df, split_condition=df[fsd] >=__
→date_split, ref_df=ref_df)
   js = jensenshannon(np.array(df_train_all["count"]), np.
→array(df_test_all["count"]))
   # Train-Test balancing: this score increases as the training test length
   # in % is approaching 80% of the samples
   train_prop = len(df[df[fsd] < date_split]) / len(ref_df)</pre>
   bs = 1 - np.abs(train_prop - 0.8) / 0.8
   # % Appearing families in testing set
   df_train_nonzero = split_and_group_nonzero(src_df=df,__
→split_condition=df[fsd] < date_split)</pre>
   df_test_nonzero = split_and_group_nonzero(src_df=df, split_condition=df[fsd]_
→>= date_split)
   test_families = df_test_nonzero["family"].unique()
   af = ((len(test_families) - len(np.intersect1d(df_train_nonzero["family"]).
→unique(), test_families))) /
         len(ref_df["family"].unique()))
   return {"js": js, "bs": bs, "af": af}
```

# 1.2 Compute the scores using the first day of each month as data splits

```
[5]: # Min and maximum dates
date_min = df_dt[fsd].min()
date_max = df_dt[fsd].max()

date_min_n = pd.Timestamp(f"{date_min.year}-{date_min.month}-{date_min.day}")
date_max_n = pd.Timestamp(f"{date_max.year}-{date_max.month}-{date_max.day}")

# Create 1-month equidistant splits
# "MS": use the Start of each Month from the minimum date to the maximum
date_splits = pd.date_range(start=date_min_n, end=date_max_n, freq="MS").tolist()
```

```
[6]: df_scores, df_ref_scores = df_dt.copy(), df_dt.copy()
    js_scores, perc_app_families, balance_scores = [], [], []
    for date_split in date_splits:
```

```
scores = compute_scores(df=df_scores, ref_df=df_ref_scores,

date_split=date_split)

js_scores.append(scores["js"])

perc_app_families.append(scores["af"])

balance_scores.append(scores["bs"])
```

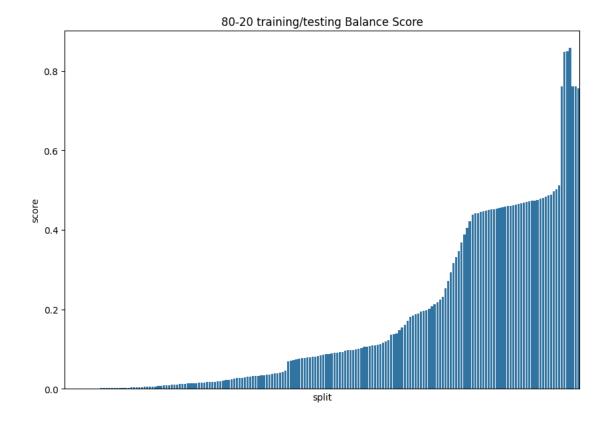
# 1.3 Plot the 80-20 Balancing score between train and test set

As shown below, the highest balancing score is achieved using 2021-12-01 as the timestamp split. However, very few number of families are introduced in the test set (9 families, 1.34%). We further investigate the data on the latest years where there's both an increase and peak of BS to see if we can choose a point where the number of appearing families is higher.

Max balance score 0.8575

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```
Report: Best split based on Balance score at: 2021-12-01 00:00:00
Training set length: 45962, (68.6%)
Testing set length: 21038, (31.4%)
Num families in training: 661
Num families in testing: 611
Common families: 602
Families in training but not in testing: 59 (8.81%)
Families in testing but not in training: 9 (1.34%)
```



### 1.4 Score focus

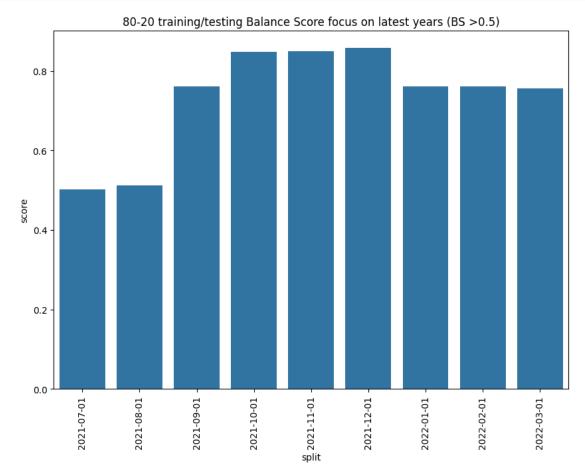
From later on, the analysis will focus on the latest years, where there's both an increase and peak of BS. Splits at and after 2021-07-01 are considered, where the BS > 0.5.

#### 1.4.1 Observations

- Choosing BS > 0.5 implies initiating with a basis comprising 40.18% of the training set length;
- In 2021-08 lots of samples are submitted: at split 2021-08-01 the training length in percentage is 40.92%, and at 2021-09-01 it's 60.93%. In the first case 74 (11.04%) of new families are introduced, 16 in the second (2.39%);
- At 2021-09-01 16 families are introduced in the test set as opposed to 9 of the subsequent three splits, while having 60.93% as training set length;
- From 2021-10-01 to 2021-12-01 (included), the number of appearing families remain stable at 9 (as described before), while the training set length goes from 67.84% to 68.6%;
- In the last three splits (from 2022-01-01) there isn't any new appearing family. Those splits are not interesting to study family drift, so they will be not considered;

```
[8]: plt.figure(figsize=(10, 7))

df_bs_focus = df_bs[df_bs["score"] > 0.5]
t_focus = df_bs_focus["split"].min()
```



-----

Report: 2021-07-01 00:00:00, BS: 0.502276119402985

Training set length: 26922, (40.18%) Testing set length: 40078, (59.82%)

Num families in training: 595 Num families in testing: 650

Common families: 575

Families in training but not in testing: 20 (2.99%)

Families in testing but not in training: 75 (11.19%) \_\_\_\_\_\_ Report: 2021-08-01 00:00:00, BS: 0.5114925373134328 Training set length: 27416, (40.92%) Testing set length: 39584, (59.08%) Num families in training: 596 Num families in testing: 650 Common families: 576 Families in training but not in testing: 20 (2.99%) Families in testing but not in training: 74 (11.04%) -----Report: 2021-09-01 00:00:00, BS: 0.7616044776119403 Training set length: 40822, (60.93%) Testing set length: 26178, (39.07%) Num families in training: 654 Num families in testing: 636 Common families: 620 Families in training but not in testing: 34 (5.07%) Families in testing but not in training: 16 (2.39%) \_\_\_\_\_ Report: 2021-10-01 00:00:00, BS: 0.8480223880597015 Training set length: 45454, (67.84%) Testing set length: 21546, (32.16%) Num families in training: 661 Num families in testing: 616 Common families: 607 Families in training but not in testing: 54 (8.06%) Families in testing but not in training: 9 (1.34%) -----Report: 2021-11-01 00:00:00, BS: 0.8501492537313433 Training set length: 45568, (68.01%) Testing set length: 21432, (31.99%) Num families in training: 661 Num families in testing: 613 Common families: 604 Families in training but not in testing: 57 (8.51%) Families in testing but not in training: 9 (1.34%) \_\_\_\_\_\_ Report: 2021-12-01 00:00:00, BS: 0.8575 Training set length: 45962, (68.6%) Testing set length: 21038, (31.4%) Num families in training: 661 Num families in testing: 611 Common families: 602 Families in training but not in testing: 59 (8.81%) Families in testing but not in training: 9 (1.34%) \_\_\_\_\_\_

Report: 2022-01-01 00:00:00, BS: 0.7609141791044776

```
Training set length: 66415, (99.13%)
       Testing set length: 585, (0.87%)
       Num families in training: 670
       Num families in testing: 75
       Common families: 75
       Families in training but not in testing: 595 (88.81%)
       Families in testing but not in training: 0 (0.0%)
   ______
Report: 2022-02-01 00:00:00, BS: 0.7600559701492539
       Training set length: 66461, (99.2%)
       Testing set length: 539, (0.8%)
       Num families in training: 670
       Num families in testing: 72
       Common families: 72
       Families in training but not in testing: 598 (89.25%)
       Families in testing but not in training: 0 (0.0%)
     ._____
Report: 2022-03-01 00:00:00, BS: 0.7551492537313433
       Training set length: 66724, (99.59%)
       Testing set length: 276, (0.41%)
       Num families in training: 670
       Num families in testing: 56
       Common families: 56
       Families in training but not in testing: 614 (91.64%)
       Families in testing but not in training: 0 (0.0%)
```

## 1.5 Jensen-Shannon distance and % Appearing families: Considerations

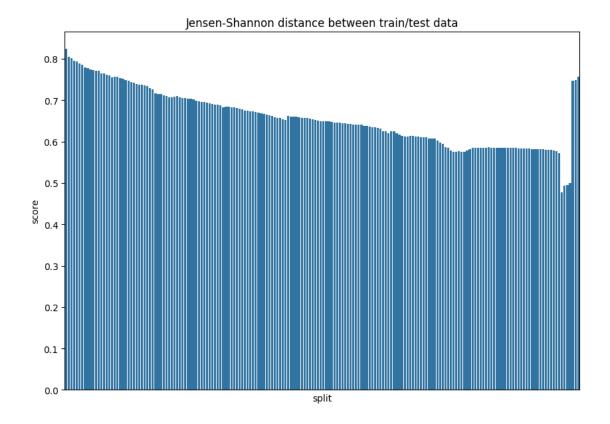
As discussed before, in the last three bins there isn't any new appearing family in the test set.

The drastic increase of Jensen-Shannon distance is due to the fact that lots of families are disappearing e.g. are seen in the training set but not in the testing set.

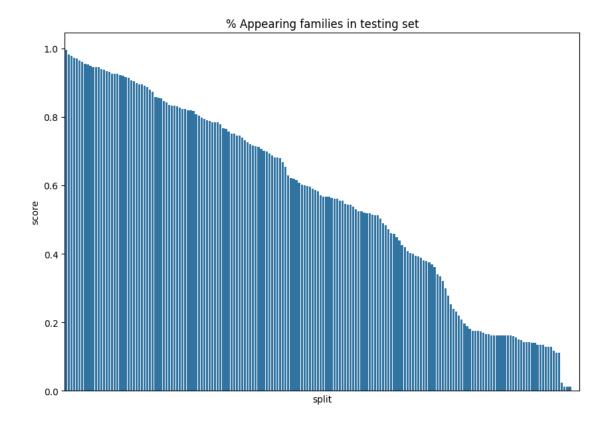
In 2021-12-01 8.81% of families are seen only on the training set, while 88.81% at 2022-01-01.

Those three splits are not interesting for studying family drift.

```
[9]: df_js = pd.DataFrame({"split": date_splits, "score": js_scores})
    plt.figure(figsize=(10, 7))
    ax = sns.barplot(data=df_js, x="split", y="score")
    plt.title("Jensen-Shannon distance between train/test data")
    plt.xticks([])
    plt.show()
```



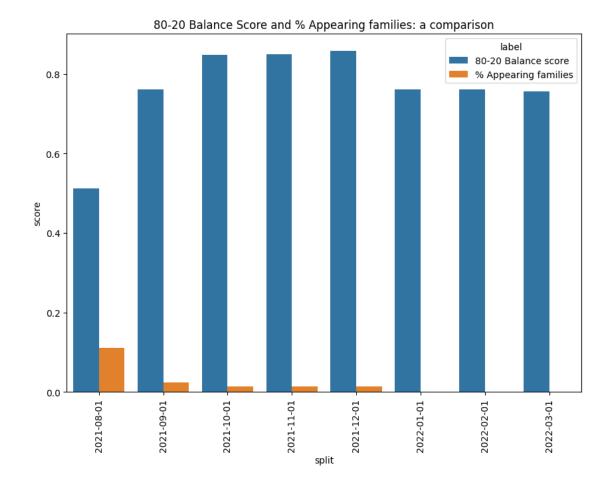
```
plt.figure(figsize=(10, 7))
df_af = pd.DataFrame({"split": date_splits, "score": perc_app_families})
ax = sns.barplot(data=df_af, x="split", y="score")
plt.title("% Appearing families in testing set")
plt.xticks([])
plt.show()
```



```
[11]: df_bs["label"] = "80-20 Balance score"
    df_js["label"] = "Jensen Shannon distance"
    df_af["label"] = "% Appearing families"

    df_concat_scores = pd.concat([df_bs, df_af])
    df_concat_scores = df_concat_scores[df_concat_scores["split"] > t_focus]

    plt.figure(figsize=(10, 7))
    ax = sns.barplot(data=df_concat_scores, x="split", hue="label", y="score")
    plt.title("80-20 Balance Score and % Appearing families: a comparison")
    plt.xticks(rotation=90)
    plt.show()
```



# 1.6 Best split based on 80-20 Training-Test Balance Score and % Appearing families

Using BS > 0.5 e.g. 40.18% of the training set length as a basis, the best split is computed using BS + % Appearing families as optimization criteria.

```
[12]: df_merge_scores = pd.merge(left=df_bs, right=df_af, on="split")
    df_merge_scores = df_merge_scores[df_merge_scores["split"] > t_focus]
    s_scores = df_merge_scores["score_x"] + df_merge_scores["score_y"]

max_v, max_v_idx = np.max(s_scores), np.argmax(s_scores)
    best_split = list(df_merge_scores['split'])[max_v_idx]
    print_statistics(df_scores, best_split, best_split)
```

Report: 2021-12-01 00:00:00

Training set length: 45962, (68.6%) Testing set length: 21038, (31.4%) Num families in training: 661 Num families in testing: 611

Common families: 602

Families in training but not in testing: 59 (8.81%) Families in testing but not in training: 9 (1.34%)

## 1.7 Conclusions

Using a Training-Testing Balance score that increases when the training set length is approaching 80% of the overall data + % of appearing families in the test set gives 2021-12-01 as the best split, with new 9 families seen in the testing set.

As described before, there's another time split that is interesting to consider: 2021-09-01. The training set here is composed of  $^{\sim}60\%$  of data points (still has a large percentage of samples) and 16 families are appearing in the testing set, as opposed to 9.

This indicates that the Training-Testing balance score isn't much appropriate because it linearly decrease as the percentage deviates from 80%, impacting too much negatively for still quite good splits.

Furthermore, equidistant splits of one day might be considered on later analysis, especially for 2021-08, where a sudden increase of training set length verifies (40.92% to 60.93%).