

Symmetric Cryptography

**Classical Cipher:
Transposition**

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Module Objectives:

Classical Cipher: Transposition

Transposition Cipher, e.g.,
Rail-Fence and Transposition

Transposition Cipher Security

Product Cipher

Transposition Cipher

Re-arrange the order/positions of
the alphabets without altering their
values

Rail Fence Cipher

List the plaintext alphabets diagonally over a number of rows, and then retrieve alphabets row by row

Rail Fence Cipher (3 Rows)

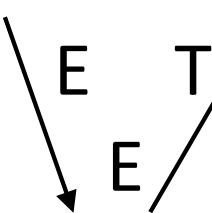
List the plaintext alphabets diagonally over a number of rows, and then retrieve alphabets row by row

E.g., M M T
 \ / ↑
 E T E A E
 \ / ↓
 E L R

Rail Fence Cipher (3 Rows)

List the plaintext alphabets diagonally over a number of rows, and then retrieve alphabets row by row

E.g., M M T MMT
 E T E A E ETEAE
 E L R ELR



Rail Fence Cipher (3 Rows)

List the plaintext alphabets diagonally over a number of rows, and then retrieve alphabets row by row

Ciphertext: MMTETEAEELR

E.g., M M T MMT
 \ \ \ |
 E T E A E ETEAE
 \ / \ \ \ |
 E L R R R ELR

Permutation Cipher

List the plaintext alphabets row by row
and retrieve the ciphertext alphabets
column by column

Key determines the column order and is
a permutation of a set of size n

Key length (n) corresponds to n columns

Permutation Cipher Example

Key = [4 3 1 2] // Key length specifies
the number of columns

M E E T

M E L A

T E R

Permutation Cipher Example

Key = [4 3 1 2] // Key length specifies
the number of columns

M E E T

M E L A

T E R x // Can also fill with
arbitrary alphabets

Permutation Cipher Example

Key = [4 3 1 2] // Key length specifies
 $n=4$ the number of columns

M E E T

M E L A

T E R

Permutation Cipher Example

Key = [4 3 1 2] // Key length specifies
 $n=4$ the number of columns

M E E T

M E If Key is n alphabets long,
T E there are $n!$ possible keys
 where $n! = n \cdot (n-1) \cdot (n-2) \cdots 1$

Permutation Cipher Example

Key = [4 3 1 2]

M	E	E	T
M	E	L	A
T	E	R	

Ciphertext: ELR

Permutation Cipher Example

Key = [4 3 1 2]

M	E	E	T
M	E	L	A
T	E	R	



Ciphertext: ELRTA

Permutation Cipher Example

Key = [4 3 1 2]

M	E		E	T
M	E		L	A
T	E	↓	R	

Ciphertext: ELRTAEEE

Permutation Cipher Example

Key = [4 3 1 2]

M	E	E	T
M	E	L	A
T	E	R	

Ciphertext: ELRTAEEEEMMT

Permutation Cipher and Transposition Cipher

Any transposition cipher can be generalized by a permutation cipher with a key of length equal to the plaintext

One row in the matrix in this case

Transposition Cipher Security

The alphabet values do not change

=> The frequency distribution is the same

Transposition Cipher Security

The alphabet values do not change

=> The frequency distribution is the same

Vulnerable to cryptanalysis,
e.g., known/chosen plaintext attack

Permutation Cipher Example

Key = [4 3 1 2]

M E E T

M E L A

T E R

Ciphertext: ELRTAEEEMMT

Known Plaintext Attack



Key = [? ? ? ?]

M	E	C	T
M	E	L	A
T	E	R	

“Where does MMT occur?”

Ciphertext: ELRTAEEEMMT

Known Plaintext Attack



Key = [4 ? ? ?]

M	E	C	T
M	E	L	A
T	E	R	

“Where does MMT occur?”

Ciphertext: ELRTAEEE~~MMT~~

Known Plaintext Attack



Key = [4 3 ? ?]

M	E	E	T
M	E	L	A
T	E	R	

Ciphertext: ELRTAEEEIMT

Known Plaintext Attack



Key = [4 3 1 2]

M	E	E	T
M	E	L	A
T	E	R	

Ciphertext: ELRTAEEEEMMT

Known Plaintext Attack



Key = [4 3 1 2]

M	E	E	T
M	E	L	A
T	E	R	?
...	...	ELR...TA?...EEE...MMT...	

ELR...TA?...EEE...MMT...

Chosen Plaintext Attack



Key = [? ? ? ?]

X Y Z A Try chosen plaintext

B C D E XYZABCDEFGHI

F G H I

Ciphertext: ZDHAEIYCGXBF

Chosen Plaintext Attack



Key = [4 3 1 2]

X	Y	Z	A	Try chosen plaintext
B	C	D	E	<u>XYZABCDEFGHI</u>
F	G	H	I	

Ciphertext: ZDHAEI~~Y~~CGXBF

Product Cipher

Combinations of substitution ciphers
and transposition ciphers in succession

Improve security

Modern ciphers use product ciphers

