

INDEX

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Sl No.	Date	Title	Page No.	Teacher Sign/ Remarks
01.	01/10/24	Implement Tic-tac-toe game . Implement Vacuum cleaner agent	01-03	Nanette M. 15/10/2024
02	08/10/24	8-Puzzle problem Iterative deepening search algorithm-	09-11	Nanette M. 15/10/2024
03.	15/10/24	A* algorithm for 8-puzzle.	12-15	Nanette M. 15/10/2024
04.	22/10/24	Hill climbing search for N-Queens's.	17-20	Nanette M. 29/10/2024
05.	29/10/24	8-queen's problem using simulated Annealing.	21.	Nanette M. 19/11/2024
06.	12/11/24	Propositional logic.	22-23.	
07.	19/11/24	English language to FOL.	24.	
08.	26/11/24	Unification in FOL.	25-26	Nanette M. 3/12/2024
09.	03/12/24	FOL- forward Reasoning .	27-29	
10.	03/12/24	Resolution	30-32	
11.	17/12/24	Alpha-beta pruning	33-34	

Date: 01/10/2024:-

Q. Implement tic-tac-toe game.

(1). Program title:

Implement tic-tac-toe game.

(2). Algorithm:

function print-board(board)

print board format

function check-winner(board)

for each row in board:

if all elements in row are same and not empty:

return the element

for each column:

if all elements in column are same and not empty:

return the element

if diagonal checks yield same element and not empty

return the element

return None

function is-board-full(board):

return True if no empty spaces, else False

function main():

initialize board with empty spaces

iteration = 0

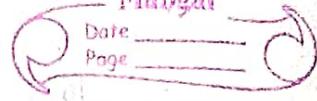
winner = None

while winner is None:

if iteration is even:

print-board(board)

get user input for row and column



validate input

place 'o' in board

else:

randomly select empty position for 'X'.

iteration += 1

winner = check_winner(board)

if winner is not None:

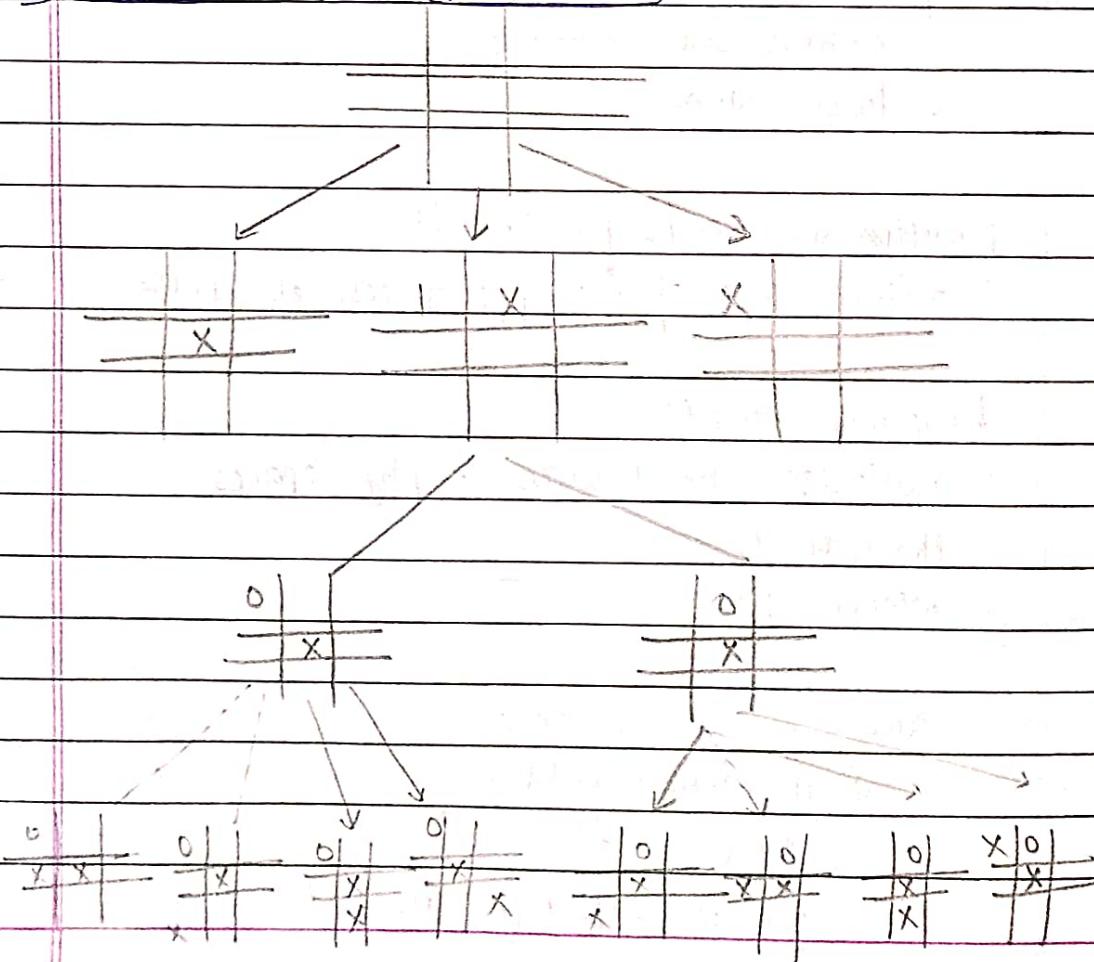
print winner message

break

~~print game introduction~~

~~main()~~

#) State space tree (Tic Tac Toe):



Date: 01/10/2024

(#) Program title: Implement Vacuum Cleaner Agent

(#) Algorithm:

function VacuumCleanerAgent(environment):

 position = (0,0)

 cleaned-cells-count = 0

 while True:

 if environment[position] is dirty:

 clean(environment[position])

 cleaned-cells-count += 1

 print("cleaned position: ", position)

 next-position = findNextDirty(environment)

 if next-position exists:

 position = next-position

 else:

 print("No more dirty cells found. Cleaning complete!")

 break

function findNextDirty(environment):

 for each cell in environment:

 if cell is dirty:

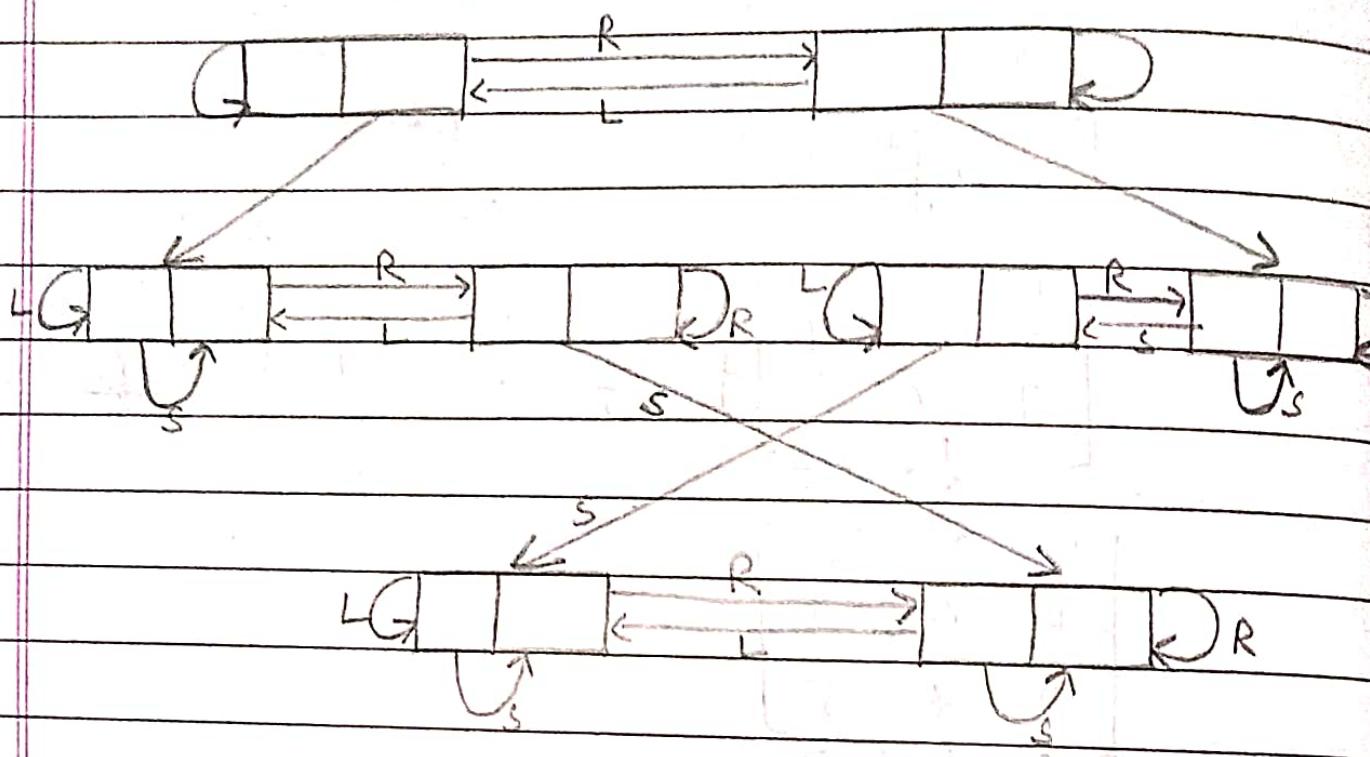
 return cell's position.

 return None.

~~80~~

11/10/24

(1) State space Tree (Vacuum cleaner):





Date: 08/10/24

(1) Solve - 8 puzzle problem.

Pseudocode:

class Node

function init(state, parent, action, path-cost = 0):

set self.state = state

set self.parent = parent

set self.action = action

set self.path-cost = path-cost

function expand():

create children

set row, col = find-blank()

create possible-actions

if row > 0 then add 'up' to possible-actions

if row < 2 then add 'down' to possible-actions

if col > 0 then add 'left' to possible-actions

if col < 2 then add 'right' to possible-actions

for action in possible-actions:

create new-state as a copy of self.state

if action == 'up' then swap new-state[row]

[col] with new-state[row][col]

else if action == 'down' then swap

new-state[row][col] with new-state[row+1][col]

else if action == 'left' then swap new-state

[row][col] with new-state[row][col-1]

else if action == 'right' then swap

new-state[row][col] with new-state[row][col+1]

append new Node {new-state, self, action, self.path-cost},

to children

return children.

function final-blank();
from row from 0 to L:
 for col from 0 to 2:
 if self.state[row][col] == 0 then
 return row, col

function depth-first-search (initial-state, goal-state);
set frontier = [Node (initial-state)]

set explored = empty set

while frontier is not empty:

 set node = frontier.pop()

 if node.state == goal-state then

 return node

 add tuple of node state to explored

 for child in node.expand():

 if tuple of child state not in

 explored then append child to frontier

return none

function print-solution (node):

 create path

 while node is not none:

 append (node.action, node.state)

 to path

 set node = node.parent

 reverse path

 for (action, state) in path:

 if action is not none then print
 "action!", action

 print state

 print " "

set initial-state = $\{[1, 2, 3], [0, 4, 6], [7, 5, 8]\}$

set goal-state = $\{[1, 3, 2], [4, 5, 6], [7, 8, 0]\}$

set solution = depth-first-search(initial-state, goal-state)

if solution is not none then

print "solution found:"

call print-solution(solution)

else

print "solution not found".

② Implement iterative deepening search algorithm.

→ function iterative-deepening-search(initial-state, goal-state, max-depth):

for depth from 0 to max-depth:

set result = depth-limited-search(initial-state, goal-state, depth)

if result is not none then

return result

return none

function depth-limited-search(node, goal-state, limit):

if node.state == goal-state then

return node

if node.depth >= limit then

return none

for each child in expand(node):

set result = depth-limited-search(child, goal-state, limit)

if result is not none then

return result

return none

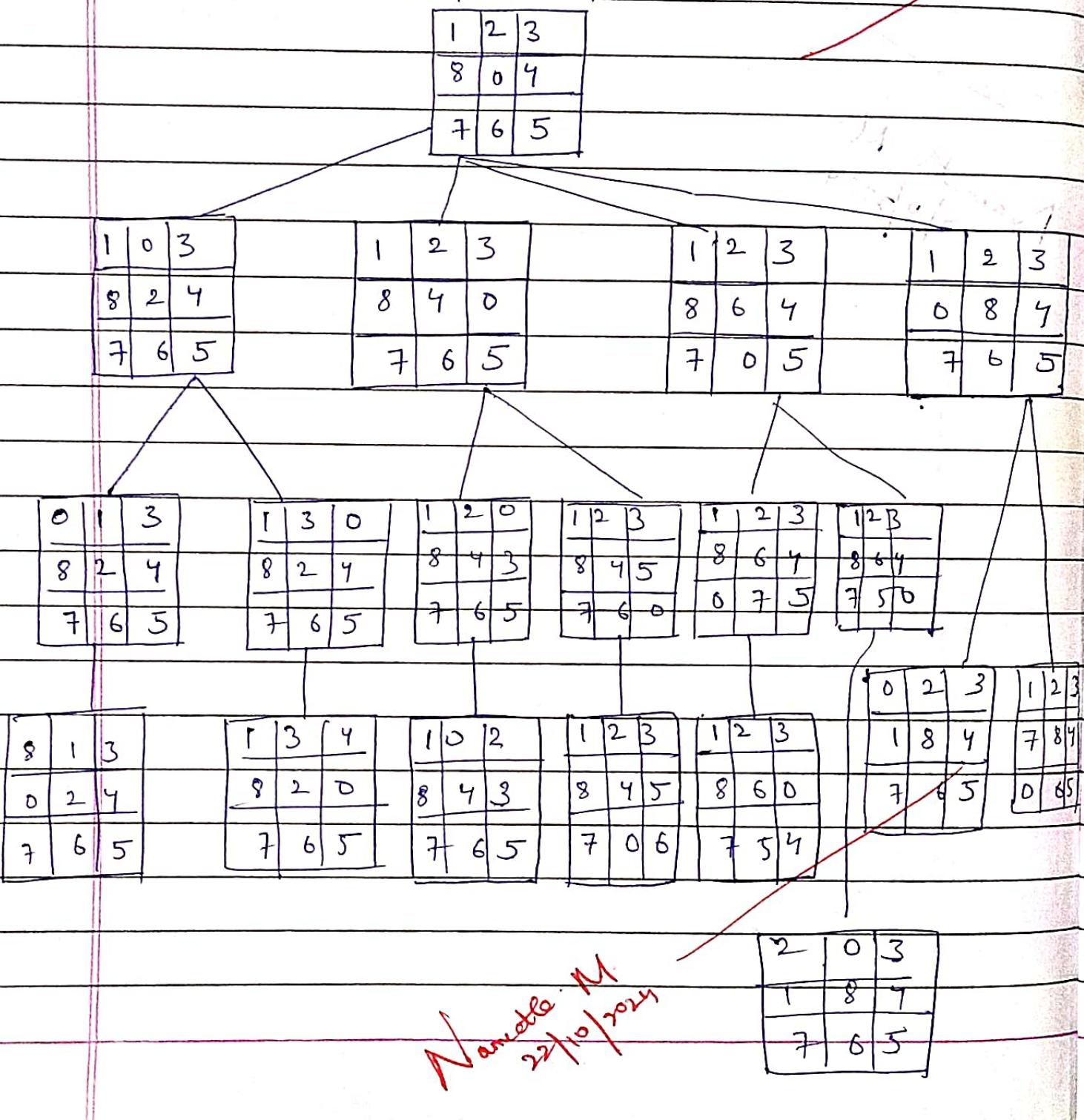
set initial-state, goal-state, max-depth

set solution = iterative-deepening-search(initial-state, goal-state, max-depth)

if solution is not none then print solution

else print "No solution found!"

(#)- State space tree (8-puzzle problem):



Date: 15/10/24:-

Q. A* algorithm for 8-Puzzle problem:

$$f(n) = g(n) + h(n)$$

Pseudocode & Algorithm:

To implement the A* algorithm for the 8-puzzle problem, we define two heuristics, $h(n)$:

1. No. of Misplaced Tiles:

2. Manhattan Distance

The A* algorithm will use $f(n) = g(n) + h(n)$, where, $g(n)$ is the depth of the node.

$h(n)$ is the heuristic, either misplaced tiles or Manhattan distance.

Algorithm:1. Initialize:

- Start with the initial state of the puzzle.

- Use a priority queue to hold the nodes, ordered by $f(n) = g(n) + h(n)$.

- Keep a set of visited nodes to avoid re-exploring nodes.

2. Expand Nodes:

- While the priority queue is not empty.

- Remove the node with the lowest $f(n)$ from the queue.

- If this node is the goal, return the solution.

- Generate all possible child nodes (neighboring states) by moving the blank tile.

For each child:

Calculate $g(n)$ (current depth by 1 from parent)
Calculate $h(n)$ using the chosen heuristic.

If the child has not been visited or if it has a better $f(n)$ than before, add it to the queue.

3. Termination:

- If the goal is found, return the path and total cost.
- If no solution is found, return failure.

A. State space tree (Misplaced tiles):

Final state:

1	2	3
8	0	4

Initial state:

2	8	3
1	6	4
7	0	5

$g=1$
 $h=5$
 $f=1+5=6$

$g=1$
 $h=3$
 $f=1+3=4$

$g=1$
 $h=5$
 $f=6$

$g=2$
 $h=3$
 $f=5$

$g=2$
 $h=3$
 $f=5$

$g=2$
 $h=4$
 $f=6$

$g=3$
 $h=4$
 $f=7$

$g=3$
 $h=4$
 $f=7$

$g=3$
 $h=2$
 $f=5$

$g=3$
 $h=4$
 $f=6$

$g=\frac{3}{3}$
 $h=3$
 $f=6$

$g=4$
 $h=1$
 $f=5$

$$\begin{bmatrix} 1 & 2 & 3 \\ 0 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad g=4 \\ h=1 \\ f=5$$

$$\begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad g=5 \\ h=0 \\ f=5$$

$$\begin{bmatrix} 1 & 2 & 3 \\ 7 & 8 & 4 \\ 0 & 6 & 5 \end{bmatrix} \quad g=5 \\ h=2 \\ f=7$$

Final state

State space tree (Manhattan distance):

Initial state:

$$\begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 0 & 5 \end{bmatrix}$$

Final state:

$$\begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$g=0 \quad \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 0 & 5 \end{bmatrix} \quad h = 1+1+0+0+0+0 \\ 1+0+0+1=4$$

$$\begin{array}{ccc} \xleftarrow{g=1} & & \xrightarrow{g=1} \\ \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 0 & 7 & 5 \end{bmatrix}_{\text{left}} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix}_{\text{up}} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 5 & 0 \end{bmatrix}_{\text{right}} \\ h=4 & f=3+1=4 & h=1+1+1+1=4 \\ \boxed{f=5} & & \boxed{f=1+4=5} \end{array}$$

up
 $\downarrow g=2$

Right

$$\begin{bmatrix} 2 & 0 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad \begin{array}{l} \rightarrow g=2 \\ 1+1+2 \end{array} \quad \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 0 \\ 7 & 6 & 5 \end{bmatrix} \quad \begin{array}{l} 1+1+0 \\ +1+1 \\ 1+2 \end{array} \\ f=2+4=6 \quad f=2+6=8$$

Left

down

Right

$$\begin{bmatrix} 0 & 2 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad \begin{array}{l} \xleftarrow{g=3} \\ 1+1=f=3+2=5 \end{array} \quad \begin{bmatrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad \begin{array}{l} f=3+3=6 \end{array} \quad \begin{bmatrix} 2 & 3 & 0 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$g = 4$$

$$\begin{bmatrix} 0 & 2 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad f = 1+1=2$$

$$f = 4+2=6$$

$$g = 4$$

down

Right

$$\begin{bmatrix} 1 & 2 & 3 \\ 0 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$n = 1$$

$$f = 4+1=5$$

$$\begin{bmatrix} 2 & 0 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$X$$

$$f = 4+4=8$$

$$\downarrow \text{Right}$$

$$\begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$n = 0$$

final start

Name: N.
15/10/2024

22/10/2024:

(1). Project title:-

Implement hill climbing search algorithm to solve N-Queens problem.

(2). Algorithm:-

function HILL-CLIMBING(problem) returns a state that is local maximum

current \leftarrow MAKE-NODE(problem, INITIAL-STATE)

loop do

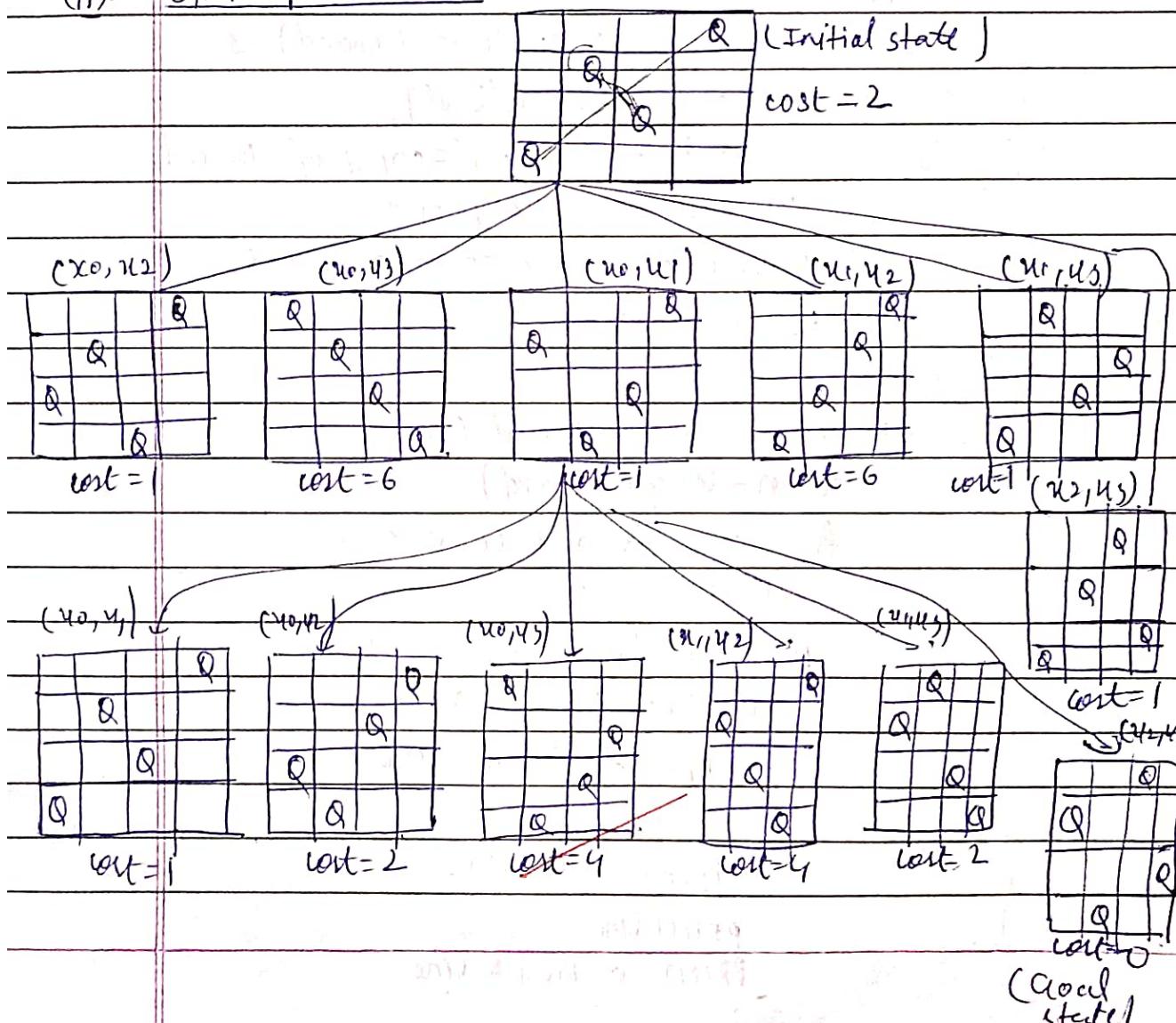
neighbour \leftarrow a highest-valued successor of current

if neighbour.VALUE $<$ current.VALUE then return

current.STATE

current \leftarrow neighbour.

(3). State space tree:-



(#) State Space Tree!

(#) PSEUDOCODE:

FUNCTION calculate-conflicts (board):

Set $n = \text{length}(\text{board})$

Set conflicts = 0

For i From 0 to $n-1$:

 For j from $i+1$ to $n-1$:

 if $\text{board}[i] == \text{board}[j]$ OR

$|\text{board}[i] - \text{board}[j]| == |\text{board}[i-j]|$:

 increment conflicts.

Return conflicts

FUNCTION

generate-neighbours(board):

SET neighbours = Empty list

FOR col from 0 to $\text{length}(\text{board})-1$:

 FOR row from 0 to $\text{length}(\text{board})-1$:

 if $\text{row} == \text{board}[col]$:

 SET new-board = copy of board

 SET new-board[col] = new

 APPEND new-board to neighbours

 RETURN neighbours.

FUNCTION print-board (board):

SET n = $\text{length}(\text{board})$

FOR row from 0 to $n-1$:

 SET line = ""

 FOR col from 0 to $n-1$:

 IF $\text{board}[col] == \text{new}$:

 APPEND "Q" to line

 ELSE

 APPEND " " to line

PRINT line

PRINT a blank line

FUNCTION hill-climbing(n):

Set board = list of m random integers ($0 \leq n-1$)

set current-conflicts = calculate-conflicts(board)

PRINT "Initial board:"

CALL print-board(board)

PRINT "conflicts: current-conflicts".

WHILE TRUE:

SET neighbours = generate-neighbours(board)

SET next-board = None

SET next-conflicts = current-conflicts

FOR each neighbour IN neighbours:

SET neighbour-conflicts = calculate-conflicts(neighbour)

IF neighbour-conflicts < next-conflicts:

SET next-board = neighbour

SET next-conflicts = neighbour-conflicts

IF next-board is None OR next-conflicts == 0:

BREAK

print("Current board:"

call print-board(board)

PRINT "conflicts: current-conflicts"

Print "Best neighbour:"

call print-board(next-board)

PRINT "conflicts: next-conflicts"

Set board = next-board

~~Set current-conflicts = next-conflicts~~

print "final board"

call print-board(board)

print "conflicts: current-conflicts"

Return board, current-conflicts

Set $n=4$

Set solution, conflicts = CALL

hill-climbing(n)

(#). State space tree!

				Q4		
			Q2			cost = 2
				Q3		
		Q1				

Movement of Q1

	Q1		Q4		Q4			Q4
cost = 3		Q2		Q1	Q2		Q2	
			Q3		Q3		Q1	Q3

Movement of Q2

			Q4				Q2	Q4
cost = 1	Q1							
		Q3					Q1	Q3
		Q2						

Movement of Q3

			Q3	Q4			Q2	Q4
cost = 1	Q1							
		Q3					Q1	
		Q2						Q3

Movement of Q4

			Q3				Q2	
cost = 0	Q1							Q4
			Q4				Q1	
		Q2						Q3

Least cost first search

Name: N.
29/10/2021

Date: 15/11/2021
Page: 114

Date: 23/11/2024:

Simulated Annealing Algorithm:

(#) Project title: 8 queen's problem using simulated Annealing Algorithm.

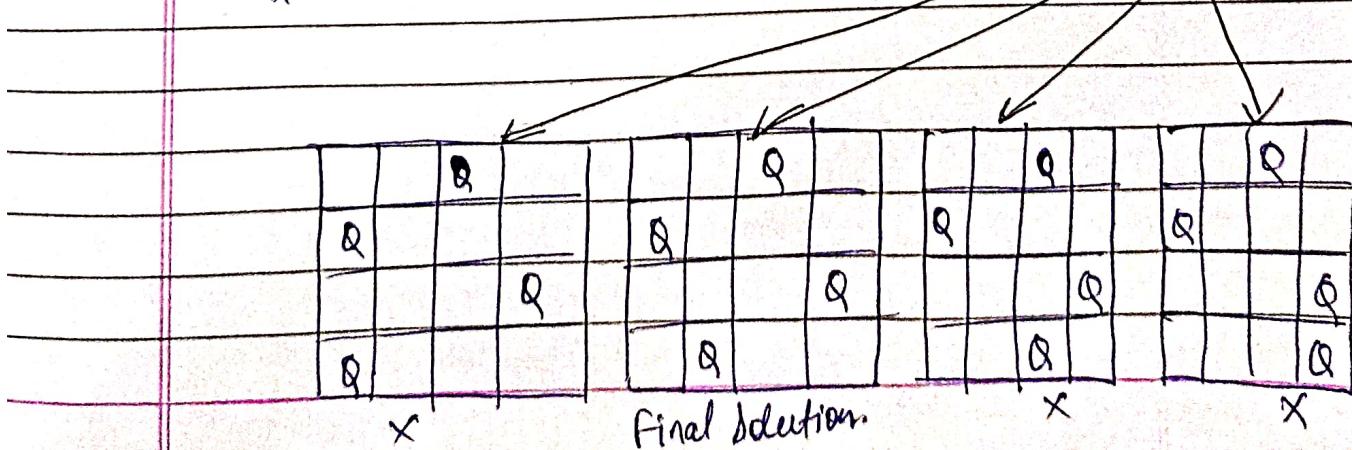
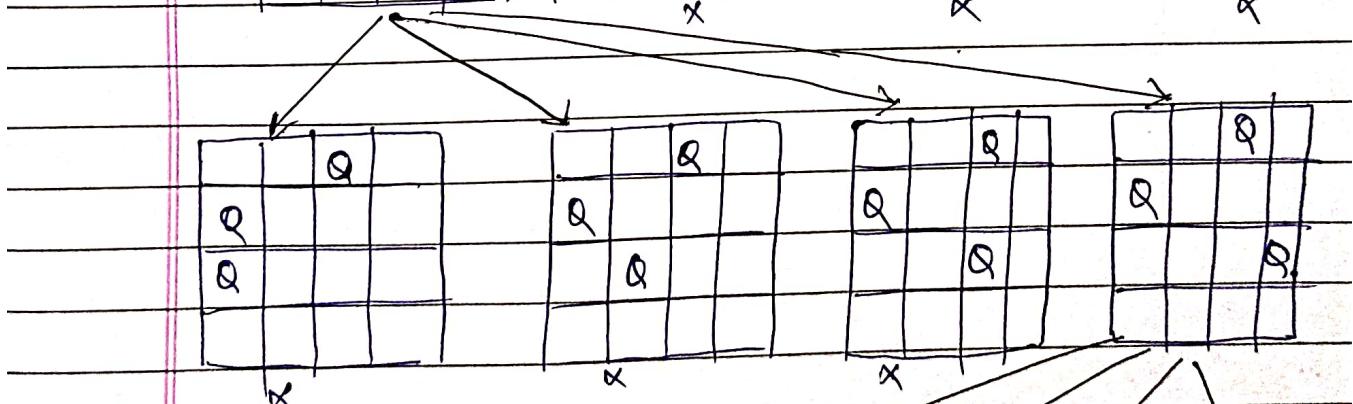
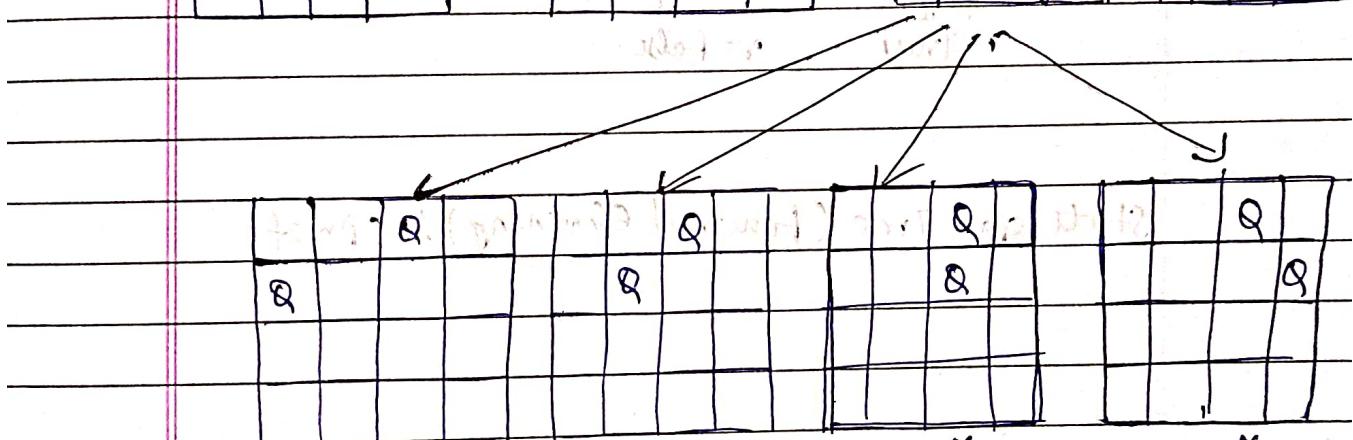
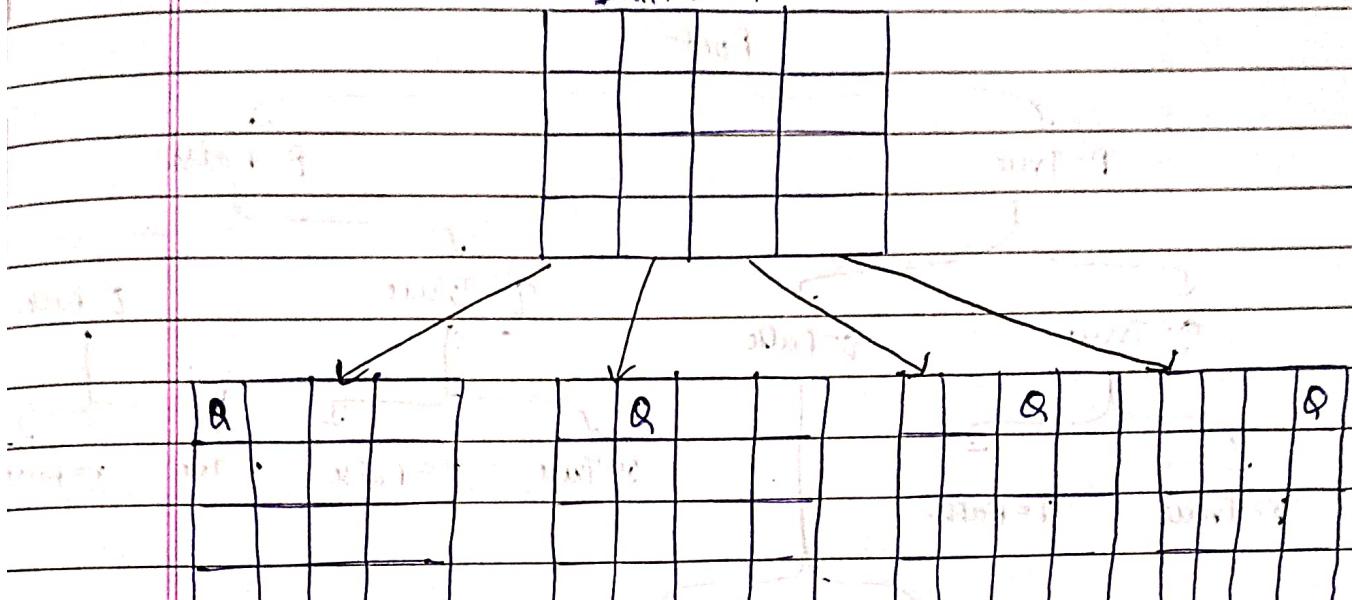
→ The algorithm can be described in 4 simple steps:

1. Start at a random point x .
2. Choose a new point x_j on a neighbourhood $N(x)$.
3. Decide whether or not to move to the new point x_j . The decision will be made based on the probability function $P(x, x_j, T)$.
4. $P(x, x_j, T)$ is the function that will guide us on whether we move to the new point or not:

$$P(x, x_j, T) := \begin{cases} 1 & \text{if } F(x_j) \geq F(x) \\ e^{\frac{F(x_j) - F(x)}{T}} & \text{if } F(x_j) < F(x). \end{cases}$$

State Space Tree? (Simulated Annealing)

Initial state



(ii). Project Titles create a knowledge base using propositional logic and show that the given query entails the knowledge base or not.

Algorithm :

1. Input: The user enters the knowledge base (kb) and the query (q).
2. Generate Truth Combinations: Iterate through all combinations of truth assignments for the variables P_1, q_1 and r (total 8 combinations).
3. Convert to Postfix: For both the knowledge base and the query, convert the infix expressions to postfix notation.
4. Evaluate Postfix Expressions: For each combination of truth values, evaluate both the knowledge base and the query.
5. Check Entailment: If there is any combination where knowledge base evaluates to True and the query evaluates to False, return False (indicating that the knowledge base does not entail the query). If no such combination is found, return True.
6. Output: Print whether the knowledge base entails the query.

Output:

Enter null: p ^ q ^ r

Enter the query: p

Truth Table Reference:

kb	alpha
True	True
False	False
False	False
False	False

#Result: The knowledge base evals query.

state space Table

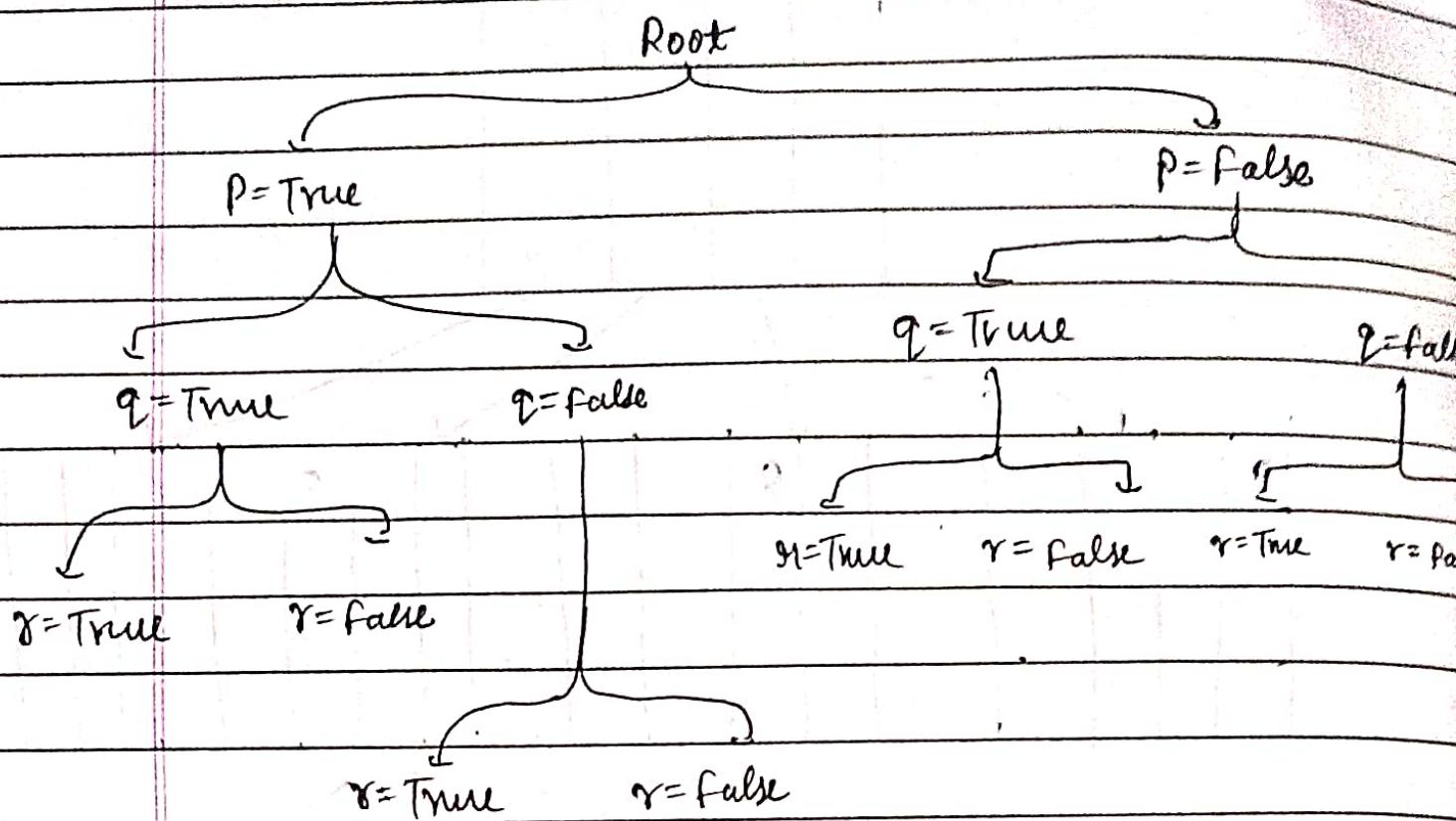
combination(p,q,r)	KB evaluation	Query evaluation	Entailment check
(T,T,T)	True	True	True
(T,T,F)	False	True	True
(T,F,T)	False	True	True
(T,F,F)	False	True	True
(F,T,T)	False	False	True
(F,T,F)	False	False	True
(F,F,T)	False	False	True
(F,F,F)	False	False	True

Nandita M.
19/11/2024#Result: The knowledge base does not entail query
state we found KB: True and query:
false in state 2.

Mangal

Date _____
Page _____

State space Tree (Propositional Logic)!



Date: 19/11/2024.

Q. English language to FOL:

1. "John is a Human".

 $\rightarrow H(j)$

2. "Every human is mortal".

 $\rightarrow \forall n(H(n) \rightarrow M(n))$

3. "John loves many".

 $\rightarrow L(j, m)$

4. "There is someone who loves many".

 $\rightarrow \exists n(L(n, m))$

5. "All dogs are animals".

 $\rightarrow \forall n(D(n) \rightarrow A(n))$

6. "Some dogs are barking".

 $\rightarrow \exists n(D(n) \wedge B(n))$

Q. FOL to English:-

(a) $\forall n(H(n) \rightarrow$

#) Algorithm:-

1. Initialize predicates dictionary with natural phrases and FOL templates.

2. Initialize quantifiers dictionary with natural language quantifiers and FOL representation.

3. Convert sentence to lower case.

4. Split 'sentence' to 'words'.

5. Initialize 'fol' as an empty string.

6. For each 'quantifier' in 'quantifiers'

- If 'quantifiers' is found in 'sentence' :

- Append its FOL representation to 'fol' :

7. For each 'phrase' in 'predicates'

- If 'phrase' is found in 'sentence'

- split 'sentence' into 'parts' of 'phrases'.

- Extract entities before & after the phrase.

- Capitalize entities for proper naming.

- Append the phrase with current entities found in 'fol'.

- Break the word.

8. If 'fol' is not empty return 'fol'.

9. Else, return "located not matching sentence to fol".

#Output : There is no person who is both a Bachelor & mammal.

FOL: not exists X(Bachelor(X) and mammal(X)).

Date: 26/11/2024:

- (#). Project title: Unification Algorithm for first-order logic.
- Unification is used to match logical expressions by finding a substitution that makes them identical.

(##) Algorithm:-

Input: Two expressions E_1 and E_2

Output: A substitution θ or failure if E_1 and E_2 cannot be unified.

Step 1: Initialize Substitution

start with an empty substitution $\theta = \{\}$.

Step 2: Compare Expressions:

case 1: E_1 and E_2 are constants.

- If $E_1 = E_2$, return θ (no substitution)
- If $E_1 \neq E_2$, return failure.

case 2: Either E_1 or E_2 is a variable

- Let X be a variable
- If $X \notin \theta$ (not yet substituted)
 - Add $\{X \mapsto E\}$ to θ , where E is the other term
 - Ensure no cyclic substitution (ex. $X \neq E_1$)
- If $X \in \theta$, recursively unify $\theta[X]$ with other term.

case 3: E_1 and E_2 are compound terms (eg. $f(a, b)$ & $f(c, d)$)

- Decompose E_1 and E_2 into their functors and arguments;

(ex. $f(a, b) \rightarrow$ functor: f , arguments: (a, b))

- If their functors differ, return failure.
- If their argument lengths differ, return failure.
- Otherwise, recursively unify each pair of arguments and accumulate substitutions.

- case 4: E_1 or E_2 is neither a variable nor a term
- Return failure.

Step 3:

Apply substitutions

- After obtaining θ , apply it consistently to all variables in E_1 and E_2 .

Step 4:

Repeat until fully unified or failure.

- If θ is complete, return it as the result.
- If unification fails at any step, return failure.

##). Project title :- (create a knowledge base consisting of first order logic statements and frame the given query using forward reasoning)

(##). Forward Reasoning Algorithm:-

A conceptually straightforward, but very inefficient forward-chaining algorithm. On each iteration, it adds to KB all the atomic sentences that can be inferred in one step from the inferred sentences and the atomic sentences already in KB.

The function STANDARDIZE-VARIABLES replaces all variables in its arguments with new ones that have not been used before.

function FOL-FC-ASK(KB, α) returns a substitution or false

inputs: KB, the knowledge base, a set of first-order definite clauses α , the query, an atomic sentence.

local variables: new, the new sentences inferred on each iteration.

~~repeat until new is empty~~

new $\leftarrow \{\}$

for each rule in KB do

$(p_1 \wedge \dots \wedge p_n \Rightarrow q) \leftarrow \text{STANDARDIZE-}$

VARIABLES(rule)

for each θ such that SUBST($\theta, p_1 \wedge \dots \wedge p_n$)

= SUBST($\theta, p'_1 \wedge \dots \wedge p'_n$)

for some p'_1, \dots, p'_n in KB

$q' \leftarrow \text{SUBST}(\theta, q)$

if q' does not unify with some sentence already in KB or new then

add q' to new

$\phi \leftarrow \text{UNIFY } (\varphi', \alpha)$

if ϕ is not fail then return ϕ

add new GPRB

return false

Given case study:

As per the law, it is a crime for an American to sell weapons...

To prove: "Robert is a criminal".

Representation in FOL:

- It is a crime for an American to sell weapons to hostile nations.

Let's say p , q , and r are variables,

American(p) \wedge weapon(q) \wedge Sells(p, q, r) \wedge Hostile(r) \Rightarrow Criminal(p).

- Country A has some missiles.

$\exists n \text{ Missiles}(A, n) \wedge \text{Missile}(n)$

Existential instantiation, introducing a new constant $T1$:

Missile($T1$)

Missile($T1$)

- All of the missiles were sold to country A by Robert.

$\forall n \text{ Missile}(n) \wedge \text{Missile}(n) \wedge \text{Owens}(A, n) \Rightarrow \text{Sells}(\text{Robert}, n, A)$

- Missiles are weapons.

Missile(n) \Rightarrow weapon(n)

5. Enemy of America is known as hostile & n
 $\text{Enemy}(n, \text{America}) \Rightarrow \text{Hostile}(n)$.

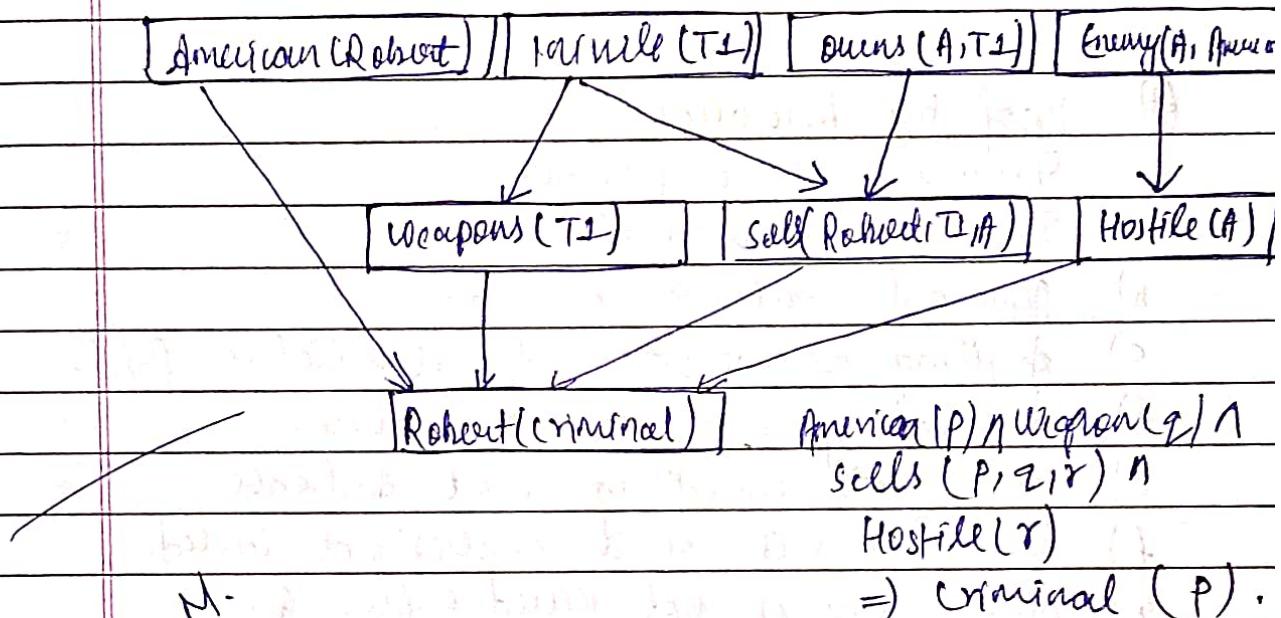
6. Robert is an American
 $\text{American}(\text{Robert})$

7. The country A, an enemy of America.
 $\text{enemy}(A, \text{America})$

(#). Output:

Is 'criminal(Robert)' provable? True.

(#). Forward chaining Proof:



Name: M-
 Date: 20/2/2021

Date: 03/12/2024

Mangal

Date _____
Page 30.

(#). Project title:- Create a knowledge base consisting of first order logic statements and prove the given query using Resolution.

(#). Algorithm:-

- 1) Convert all sentences to CNF.
- 2) Negate conclusion S & convert result to CNF.
- 3) Add negated conclusion S to the premise clauses.
- 4) Repeat until contradiction or no progress is made.
 - (a) Select 2 clauses (call them parent clauses)
 - (b) Reduce them together, performing all required unification
 - (c) If redundant in the empty clause, a contradiction has been found.
 - (d) If not, add resolution to the premises. If we reach step 4, we have proved the conclusion.

(#). Proof by Resolution:

Given the KB or premises

- a) John likes all kind of food.
- b) Apple and vegetables are food.
- c) Anything anyone eats and not killed is food.
- d) Anil eats peanut and still alive.
- e) Harry eats everything that Anil eats.
- f) Anyone who is alive implies not killed.
- g) Anyone who is not killed implies alive.
- h) John likes peanuts.

⇒ Representation in FOL:

- a) $\forall x: \text{food}(x) \rightarrow \text{likes}(\text{John}, x)$
- b) $\text{food}(\text{apple}) \wedge \text{food}(\text{vegetables})$
- c) $\forall x \forall y: \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y)$
- d) $\text{eats}(\text{Anil}, \text{peanuts}) \wedge \text{alive}(\text{Anil})$

c) $\forall x: \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Hany}, x)$

f) $\forall y: \neg \text{killed}(x) \rightarrow \text{alive}(x)$

g) $\forall z: \text{alive}(x) \rightarrow \neg \text{killed}(x)$

h) $\text{likes}(\text{John}, \text{peanuts})$

→ eliminate implications:

a) $\forall x \neg \text{food}(x) \vee \text{likes}(\text{John}, n)$

c) $\forall x \forall y \neg [\text{eats}(u, y) \wedge \neg \text{killed}(x)] \vee \text{food}(y)$

e) $\forall x \neg \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Hany}, x)$

f) $\forall x \neg [\neg \text{killed}(x)] \vee \text{alive}(x)$

g) $\forall n \neg \text{alive}(x) \vee \neg \text{killed}(x)$

→ More negation (\neg) inwards:

c) $\forall u \forall y \neg \text{eats}(u, y) \vee \neg \text{killed}(x) \vee \text{food}(y)$

f) $\forall u \neg \text{killed}(x) \vee \text{alive}(x)$

→ Standardize variables:

c) $\forall y \forall z \text{eats}(y, z) \vee \neg \text{killed}(y) \vee \text{food}(z)$

e) $\forall w \neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Hany}, w)$

f) $\forall g \neg \text{killed}(g) \vee \text{alive}(g)$

g) $\forall u \neg \text{alive}(u) \vee \neg \text{killed}(u)$

→ Drop universal:

a) $\neg \text{food}(x) \vee \text{likes}(\text{John}, n)$

b) $\text{food}(\text{Apple})$

c) $\text{food}(\text{vegetables})$

d) $\neg \text{eats}(y, z) \vee \neg \text{killed}(y) \vee \text{food}(z)$

e) $\text{eats}(\text{Anil}, \text{peanuts})$

f) $\text{alive}(\text{Anil})$

g) $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Hany}, w)$

- h) $\neg \text{killed}(g) \vee \text{alive}(g)$
 i) $\neg \text{alive}(k) \vee \neg \text{killed}(k)$

(ii) Proof:

$$\neg \text{Likes}(\text{John}, \text{peanuts})$$

$$\neg \text{food}(x) \vee \text{Likes}(\text{John}, x)$$

$\{\text{peanuts} / x\}$

$$\neg \text{food}(\text{Peanuts})$$

$$\neg \text{eats}(y, z) \vee \text{killed}(y) \vee$$

$\text{food}(z)$

$\{\text{Peanuts} / z\}$

$$\neg \text{eats}(y, \text{Peanuts}) \vee \text{killed}(y)$$

$$\text{eats}(\text{April}, \text{Peanuts})$$

$\{\text{April} / y\}$

$$\text{killed}(\text{April})$$

$$\neg \text{alive}(k) \vee \neg \text{killed}(k)$$

$\{\text{April} / k\}$

$$\neg \text{alive}(\text{April})$$

$$\text{alive}(\text{April})$$

$\{\}$ Hence proved.

Date: 17/12/2024

(#). Project title - Adversarial search, Implement Alpha-Beta Pruning.

(#). Alpha Beta Pruning (cutoff) search Algorithm:

A modified variant of the minimax method is alpha-beta pruning. It's a way for improving the minimax algorithm.

It involves two threshold parameters, Alpha and Beta, for future expansion.

(#). Algorithm:

↳ Alpha(α) - Beta(β) purposes to find the optimal path without looking at every node in the game tree.

↳ Max contains Alpha(α) and Min contains Beta(β) bound during the calculation.

↳ In both MIN and MAX node, we return when $\alpha \geq \beta$ which compares with its parent node only.

↳ Both minmax and Alpha(α) - Beta(β) cut-off give same path.

↳ Alpha(α) - Beta(β) gives optimal solution as it takes less time to get the value for the root node.

(#). Problem:

