

```
PS D:\Mandip NM Lab> py .\bisection.py
```

```
Enter the lower bound (a): -1
```

```
Enter the upper bound (b): 1
```

```
Enter the number of iterations: 10
```

Iteration	a	b	c	f(c)
1	-1.000000	1.000000	0.000000	-4.000000
2	-1.000000	0.000000	-0.500000	-0.750000
3	-1.000000	-0.500000	-0.750000	1.062500
4	-0.750000	-0.500000	-0.625000	0.140625
5	-0.625000	-0.500000	-0.562500	-0.308594
6	-0.625000	-0.562500	-0.593750	-0.084961
7	-0.625000	-0.593750	-0.609375	0.027588
8	-0.609375	-0.593750	-0.601562	-0.028748
9	-0.609375	-0.601562	-0.605469	-0.000595

```
Convergence achieved!
```

```
The root of the equation is approximately: -0.605469
```

```
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```

```
PS D:\Mandip NM Lab> py .\Newton_Raphson.py
Enter the value of a:2
Enter the number of iterations:5
Iteration(i+1):a=2.0, x=1.375, f1.375=2.34375

The root of the equation is approximately: {1.375}
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```

```
PS D:\Wandip NM Lab> py .\secant.py
Enter the value of a: -3
Enter the value of b: -5
Enter the number of iterations: 5
Iteration 1: a=-3.0, b=-5.0, x=-1.75, f(x)=4.0625
Iteration 2: a=-5.0, b=-1.75, x=-0.2727272727272725, f(x)=6.983471074380166
Iteration 3: a=-1.75, b=-0.2727272727272725, x=-3.8045977011494254, f(x)=7.2565728629937905
Iteration 4: a=-0.2727272727272725, b=-3.8045977011494254, x=90.04054054054073, f(x)=8475.461102994923
Iteration 5: a=-3.8045977011494254, b=90.04054054054073, x=-3.8850154663398393, f(x)=7.5532833083404025

The root of the equation is approximately: -3.8850154663398393
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```

```
PS D:\Mandip NM Lab> py .\fixed_point.py
```

```
Enter the initial guess: 2
```

```
Enter the number of iterations: 10
```

Iteration	x	f(x)
1	0.000000	-4.000000
2	-0.666667	0.444444
3	-0.592593	-0.093278
4	-0.608139	0.018667
5	-0.605028	-0.003774
6	-0.605657	0.000762

```
Convergence achieved!
```

```
The root of the equation is approximately: -0.605657
```

```
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\lagrange.py
Enter x values: 1 2 3 4
Enter y values: 2 3 5 7
Enter the point to interpolate: 2.5
Interpolated value: 3.9375
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\Newton_divided.py
Enter x values: 1 2 3 4
Enter y values: 2 3 5 7
Enter the point to interpolate: 2.5
Interpolated value: 3.9375
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\newton_forward.py
```

```
Enter the number of positions: 4
```

```
Enter the value of x: 7
```

```
Enter the value of x at i = 0: 5
```

```
Enter the value of f(x) at i = 0: 12
```

```
Enter the value of x at i = 1: 6
```

```
Enter the value of f(x) at i = 1: 13
```

```
Enter the value of x at i = 2: 7
```

```
Enter the value of f(x) at i = 2: 14
```

```
Enter the value of x at i = 3: 8
```

```
Enter the value of f(x) at i = 3: 16
```

```
Interpolated Value = 14.000000
```

```
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```
PS D:\Mandip NM Lab> py .\newton_backward.py
Enter number of data points: 4
Enter x values: 1 2 3 4
Enter y value for x[0]: 1
Enter y value for x[1]: 8
Enter y value for x[2]: 17
Enter y value for x[3]: 63
First Derivative: 46.0
Second Derivative: 27.5
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```



```
PS D:\Mandip NM Lab> py '.\honer's.py'  
Enter the value of x: 2  
Result of polynomial evaluation: 63.0  
PS D:\Mandip NM Lab> 
```

Result of polynomial evaluation: 0.510

PS D:\Mandip NM Lab> `py .\Linear_regression.py`

Enter x values (space-separated): 1 2 3 4 5

Enter y values (space-separated): 2 4 5 4 5

Linear Regression Equation: $y = 2.2000 + 0.6000x$

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```
PS D:\Mandip NM Lab> py .\Exponential_regression.py
```

```
Enter the number of points: 4
```

```
Enter the values of x and y:
```

```
Point 1 (x and y): 1 2
```

```
Point 2 (x and y): 2 4
```

```
Point 3 (x and y): 3 8
```

```
Point 4 (x and y): 4 16
```

```
The curve is:  $y = 1.000 e^{(0.693 x)}$ 
```

```
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```
PS D:\Mandip NM Lab> py .\polynomial_regression.py
```

```
Enter the number of points: 4
```

```
Enter degree of polynomial to be fitted: 2
```

```
Enter the values of x and y:
```

```
Point 1 (x and y): 1 2
```

```
Point 2 (x and y): 2 3
```

```
Point 3 (x and y): 3 5
```

```
Point 4 (x and y): 4 7
```

```
The polynomial equation is:
```

```

$$y = 1.250 + 0.450 x^1 + 0.250 x^2$$

```

```
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```
PS D:\Mandip NM Lab> py .\gauss_elimination.py
Enter the number of variables: 3
Enter row 1 coefficients (space-separated): 2 1 -1
Enter row 2 coefficients (space-separated): -3 -1 2
Enter row 3 coefficients (space-separated): -2 1 2
Enter the constants (space-separated): 8 -11 -3
```

Solution:

$x_1 = 2.0000$

$x_2 = 3.0000$

$x_3 = -1.0000$

```
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```
PS D:\Mandip NM Lab> py .\gauss_jordan.py
Enter the number of variables: 3
Enter row 1 coefficients (space-separated): 1 2 3
Enter row 2 coefficients (space-separated): 0 1 4
Enter row 3 coefficients (space-separated): 5 6 0
Enter the constants (space-separated): 9 7 5
```

Solution:

$x_1 = -65.000000$

$x_2 = 55.000000$

$x_3 = -12.000000$

```
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```
PS D:\Mandip NM Lab> py .\matrix_inversion.py
Enter the number of rows/columns of the matrix: 3
Enter row 1 (space-separated values): 1 2 3
Enter row 2 (space-separated values): 0 1 4
Enter row 3 (space-separated values): 5 6 0

Inverse Matrix:
-24.000000 18.000000 5.000000
20.000000 -15.000000 -4.000000
-5.000000 4.000000 1.000000
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\matrix_LU_factorization.py
```

```
Enter matrix size: 3
```

```
Enter row 1: 4 3 2
```

```
Enter row 2: 3 6 3
```

```
Enter row 3: 2 3 5
```

```
L Matrix:
```

```
1.000000 0.000000 0.000000
```

```
0.750000 1.000000 0.000000
```

```
0.500000 0.400000 1.000000
```

```
U Matrix:
```

```
4.000000 3.000000 2.000000
```

```
0.000000 3.750000 1.500000
```

```
0.000000 0.000000 3.400000
```

```
PS D:\Mandip NM Lab> 
```



```
PS D:\Mandip NM Lab> py .\jacobi_iteration.py
```

```
Enter matrix size: 3
```

```
Enter row 1: 4 -1 0
```

```
Enter row 2: -1 4 -1
```

```
Enter row 3: 0 -1 4
```

```
Enter RHS values: 15 10 10
```

```
Solution:
```

```
x1 = 4.910714
```

```
x2 = 4.642857
```

```
x3 = 3.660714
```

```
Converged in 16 iterations.
```

```
PS D:\Mandip NM Lab> 
```

PS D:\Mandip NM Lab> py .\gauss_seidel.py

Enter matrix size: 3

Enter row 1: 4 -1 0

Enter row 2: -1 4 -1

Enter row 3: 0 -1 4

Enter RHS values: 15 10 10

Solution:

x1 = 4.910714

x2 = 4.642857

x3 = 3.660714

Converged in 10 iterations.

PS D:\Mandip NM Lab>

```
PS D:\Mandip NM Lab> py .\forward_Backward_diff.py
```

```
Enter x values: 1 2 3 4 5
```

```
Enter y values: 2 4 6 8 10
```

```
Forward Differences:
```

```
f'(1.0) ≈ 2.000000
```

```
f'(2.0) ≈ 2.000000
```

```
f'(3.0) ≈ 2.000000
```

```
f'(4.0) ≈ 2.000000
```

```
Backward Differences:
```

```
f'(2.0) ≈ 2.000000
```

```
f'(3.0) ≈ 2.000000
```

```
f'(4.0) ≈ 2.000000
```

```
f'(5.0) ≈ 2.000000
```

```
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\three_point.py
Enter the value at which derivative is required: 3
Enter increment h: 0.001
Value of Derivative = 23.99999999997357
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\derivative_newton_forward.py
```

```
Enter the number of points: 5
```

```
Enter values of x and f(x):
```

```
0 1
```

```
1 2
```

```
2 4
```

```
3 8
```

```
4 16
```

```
Enter the value at which derivative is needed: 2.5
```

```
Value of First Derivative = 3.057292
```

```
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\derivative_newton_backward.py
Enter the number of points: 5
Enter values of x and f(x):
0 1
1 2
2 4
3 8
4 16
Enter the value at which derivative is needed: 2.5
Value of First Derivative = 0.265625
PS D:\Mandip NM Lab> 
```

Value of First Derivative = 0.263625

PS D:\Mandip NM Lab> py .\trapozoidal.py

Enter Lower and Upper Limit: 0 2

Value of Integration: 16.0

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```
PS D:\Mandip NM Lab> py .\composite_trapezoidal.py
Enter Lower and Upper Limit: 0 2
Enter Number of Segments: 4
Value of Integration: 15.75
PS D:\Mandip NM Lab> 
```





```
PS D:\Mandip NM Lab\composite_simpson1> py .\3.py
```

```
Enter Lower and Upper Limit (in radians): 0 2
```

```
Enter number of intervals (even number): 4
```

```
Value of Integration: 0.9096228049035733
```

```
PS D:\Mandip NM Lab\composite_simpson1> 
```

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```
PS D:\Mandip NM Lab> py '.\simpson'\s_1.py'  
Enter Lower Limit (in radians): 0  
Enter Upper Limit (in radians): 1.56  
Value of Integration: 1.002157  
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\simpson_3.py
Enter Lower and Upper Limit (in radians): 0 3.14
Enter number of intervals (multiple of 3): 6
Value of Integration: 0.0015942500550911196
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\Romberg_integration.py
```

```
Enter Lower Limit: 1
```

```
Enter Upper Limit: 5
```

```
Enter p (row index) of required T(p,q): 2
```

```
Enter q (column index) of required T(p,q): 1
```

```
Romberg Estimate of Integration = 1.622222
```

```
PS D:\Mandip NM Lab> 
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```
PS D:\Mandip NM Lab> py .\taylor.py
Enter initial value of x: 1
Enter initial value of y: 2
Enter x at which function is to be evaluated: 2

Function Value at x = 2.000000 is 41.333333
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\picard_method.py
Enter initial value of x: 0
Enter initial value of y: 1
Enter x at which function is to be evaluated: 2

Function Value at x = 2.000000 is 17.909297
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\heun.py
Enter initial value of x: 1
Enter initial value of y: 1
Enter x at which function is to be evaluated: 2
Enter the step size: 0.1
Function Value at x = 2.000000 is 3.986676
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\Rk_method.py
Enter initial value of x (x0): 1
Enter initial value of y (y0): 2
Enter x at which function is to be evaluated (xp): 2
Enter step size (h): 0.1
Function value at x = 2.00 is y = 10.3097
PS D:\Mandip NM Lab> 
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```
PS D:\Mandip NM Lab> py .\laplace.py
Enter the dimension of plate (n,n): 4
Enter temperatures at left, right, top, and bottom: 100 50 75 25
Enter accuracy limit: 0.001
Solution:
[82.86790795612319, 74.10224259581327, 68.42042510702204, 62.41336381062865]
[82.43557592914661, 70.22772765706463, 62.273183511570096, 56.299214294860846]
[76.75375844035537, 62.273183511570096, 54.31863936607556, 50.61739680606962]
[62.41336381062865, 47.96588096152751, 42.284063472736285, 41.958819665134115]
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\poison.py
Enter the dimension of plate (n,n): 4
Enter temperatures at left, right, top, and bottom: 100 50 75 25
Enter accuracy limit: 0.001
Converged after 28 iterations

Temperature Distribution:
82.8679 74.1022 68.4204 62.4134
82.4356 70.2277 62.2732 56.2992
76.7538 62.2732 54.3186 50.6174
62.4134 47.9659 42.2841 41.9588
PS D:\Mandip NM Lab> 
```

```
PS D:\Mandip NM Lab> py .\shooting.py
Enter Boundary Conditions (xa): 0
Enter ya: 0
Enter xb: 1
Enter yb: 2
Enter x at which value is required (xp): 0.5
Enter step size (h): 0.1
Enter accuracy limit (E): 0.001
Initial g1 = 2.0000
█
```