

How CCA security is achieved from CBC-MAC

“Encrypt and then authenticate”

$$c = (r, F_{k_1}(r) + m), \text{MAC}_{k_2}(r, F_{k_1}(r) + m)$$

Where

- $r$  is the random noise used for CPA security
- $K_1$  is the key for PRF
- $F$  is the PRF
- $m$  is plain text message
- $k_2$  is the key for CBC-MAC

Here encryption is done CPA security (confidentiality) and the authentication is done for CCA security (integrity)

### CONSTRUCTION 4.19

Let  $\Pi_E = (\text{Gen}_E, \text{Enc}, \text{Dec})$  be a private-key encryption scheme and let  $\Pi_M = (\text{Gen}_M, \text{Mac}, \text{Vrfy})$  be a message authentication code. Define an encryption scheme  $(\text{Gen}', \text{Enc}', \text{Dec}')$  as follows:

- $\text{Gen}'$ : on input  $1^n$ , run  $\text{Gen}_E(1^n)$  and  $\text{Gen}_M(1^n)$  to obtain keys  $k_1, k_2$ , respectively.
- $\text{Enc}'$ : on input a key  $(k_1, k_2)$  and a plaintext message  $m$ , compute  $c \leftarrow \text{Enc}_{k_1}(m)$  and  $t \leftarrow \text{Mac}_{k_2}(c)$  and output the ciphertext  $\langle c, t \rangle$
- $\text{Dec}'$ : on input a key  $(k_1, k_2)$  and a ciphertext  $\langle c, t \rangle$ , first check whether  $\text{Vrfy}_{k_2}(c, t) \stackrel{?}{=} 1$ . If yes, then output  $\text{Dec}_{k_1}(c)$ ; if no, then output  $\perp$ .

A CCA-secure private-key encryption scheme.

### References

- [1] J. K. a. Y. Lindell, Introduction to Modern Cryptography.
- [2] B. Micali, "Hardcord bits," [Online]. Available: <https://crypto.stanford.edu/pbc/notes/crypto/hardcore.html>.
- [3] Lecture Slides