## **Program 5**

Implement the 8-puzzle problem using A\* algorithm, using Heuristic function as Manhattan distance with depth not more than 3.If goal state is not reached within this limit, agent must report "NOSOLUTION".

8	2	3
	4	6
7	5	1

8	2	3
	4	6
7	5	1

Initial state

Goal state

### **Code:**

```
GoalNode=[[1,2,3],[4,5,6],[7,8,0]]
StartNode=[[8,2,3],[0,4,6],[7,5,1]]
temp = []
h1 = -1
print("Given StartNode is: ",StartNode)
print("\n\n\t Given GoalNode is: ",GoalNode)
print("\n\n######################")
for i in range(len(StartNode)):
   for j in range (len(StartNode)):
       if StartNode[i][j] != GoalNode[i][j]:
print("\n\h t h1 : Number of misplaced tiles =>", h1)
for i in StartNode:
   for j in i:
      print("StartNode",j)
print("############"")
for i in GoalNode:
  for j in i:
      print("GoalNode",j)
```

```
print("###########"")
for i in range(len(StartNode)):
   for j in range (len(StartNode)):
       print("i is ",i,"j is :",j)
print("\n\n###########"")
print("\n\nDistances of the tiles from their goal positions are: \n")
for i in range(len(StartNode)):
   for j in range (len(StartNode)):
       if (StartNode[i][j]==0):
          pass
       else:
           if (GoalNode[0][0] == StartNode[i][j]):
               temp.append(abs(i-0) + abs(j-0))
               print("\t", temp)
           elif (GoalNode[0][1] == StartNode[i][j]):
               temp.append(abs(i-0) + abs(j-1))
               print("\t",temp)
           elif (GoalNode[0][2] \Longrightarrow StartNode[i][j]):
               temp.append(abs(i-0) + abs(j-2))
               print("\t",temp)
           elif (GoalNode[1][0] == StartNode[i][j]):
               temp.append(abs(i-1) + abs(j-0))
               print("\t",temp)
           elif (GoalNode[1][1] == StartNode[i][j]):
               temp.append(abs(i-1) + abs(j-1))
```

```
elif (GoalNode[0][2] == StartNode[i][j]):
                temp.append(abs(i-0) + abs(j-2))
                print("\t",temp)
            elif (GoalNode[1][0] == StartNode[i][j]):
                temp.append(abs(i-1) + abs(j-0))
                print("\t",temp)
            elif (GoalNode[1][1] == StartNode[i][j]):
                temp.append(abs(i-1) + abs(j-1))
                print("\t",temp)
            elif (GoalNode[1][2] == StartNode[i][j]):
                temp.append(abs(i-1) + abs(j-2))
                print("\t",temp)
            elif (GoalNode[2][0] == StartNode[i][j]):
                temp.append(abs(i-2) + abs(j-0))
                print("\t",temp)
            elif (GoalNode[2][1] == StartNode[i][j]):
                \texttt{temp.append}(\mathsf{abs}(\texttt{i-2}) + \mathsf{abs}(\texttt{j-1}))
                print("\t",temp)
            elif (GoalNode[2][2] == StartNode[i][j]):
                temp.append(abs(i-2) + abs(j-2))
                print("\t",temp)
            else:
                print("Warning!!! This is for 8-puzzle program.So, don't cross the array limit.")
print("\n\n#############"")
for i in range(len(temp)):
   h2+=temp[i]
```

```
temp.append(abs(i-2) + abs(j-2))
    print("\t",temp)
else:
    print("Warning!!! This is for 8-puzzle program.So, don't cross the array limit.")

print("\n\n##############################")

for i in range(len(temp)):
    h2+=temp[i]
print("\nh2 : The sum of the distances of the tiles from their goal positions =>",h2)

h=h1+h2

print("\n\n\tSo, the instance of given 8-puzzle solution is",h,"steps long.")
```

# **Output:**

```
Given StartNode is: [[8, 2, 3], [0, 4, 6], [7, 5, 1]]
        Given GoalNode is: [[1, 2, 3], [4, 5, 6], [7, 8, 0]]
h1 : Number of misplaced tiles => 4
StartNode 8
StartNode 2
StartNode 3
StartNode 0
StartNode 4
StartNode 6
StartNode 7
StartNode 5
StartNode 1
GoalNode 1
GoalNode 2
GoalNode 3
GoalNode 4
GoalNode 5
GoalNode 6
GoalNode 7
GoalNode 8
GoalNode 0
i is 0 j is: 0
i is 0 j is: 1
i is 0 j is: 2
```

### 

Distances of the tiles from their goal positions are:

```
[3]

[3, 0]

[3, 0, 0]

[3, 0, 0, 1]

[3, 0, 0, 1, 0]

[3, 0, 0, 1, 0, 0]

[3, 0, 0, 1, 0, 0, 1]

[3, 0, 0, 1, 0, 0, 1, 4]
```

### 

 ${\rm h2}$  : The sum of the distances of the tiles from their goal positions =>  ${\rm 9}$ 

So, the instance of given 8-puzzle solution is 13 steps long.