

LING/C SC 581:

Advanced Computational Linguistics

Lecture 30

Today's Topic

- More "dot moving"!
 - recall dotted rule notation (*for parsing state information*) from last time

Bottom-Up Parsing

- ***LR(0) parsing***
 - An example of **bottom-up** tabular parsing
 - 0 = zero symbols of lookahead, generally N (*a bit like the left corner idea*)
- Similar to the **top-down Earley algorithm** described in the textbook in that it uses the idea of dotted rules
- *finite state automata revisited...*

Tabular Parsing

- **e.g. LR(*k*)** (Knuth, 1960)
 - *invented for efficient parsing of programming languages*
 - **disadvantage:** a potentially huge number of states can be generated when the number of rules in the grammar is large
 - *can be applied to natural languages* (Tomita 1985)
 - build a Finite State Automaton (FSA) from the grammar rules, then add a stack
- **tables encode the grammar (FSA)**
 - grammar rules are compiled, we no longer interpret the grammar rules directly
- **Parser = Table + Push-down Stack**
 - table entries contain instruction(s) that tell what to do at a given state
 - ... *possibly factoring in lookahead*
 - stack data structure deals with maintaining the history of computation and recursion

Tabular Parsing

- **Shift-Reduce Parsing**
 - example
 - LR(0)
 - left to right
 - **bottom-up**
 - (0) no lookahead (input word)
 - **Three possible machine actions**
 - ***Shift***: read an input word
 - i.e. advance current input word pointer to the next word
 - ***Reduce***: complete a nonterminal
 - i.e. complete parsing a grammar rule
 - ***Accept***: complete the parse
 - i.e. start symbol (e.g. S) derives the terminal string

Tabular Parsing

- **LR(0) Parsing**

- $L(G) = LR(0)$

- *i.e. the language generated by grammar G is $LR(0)$*

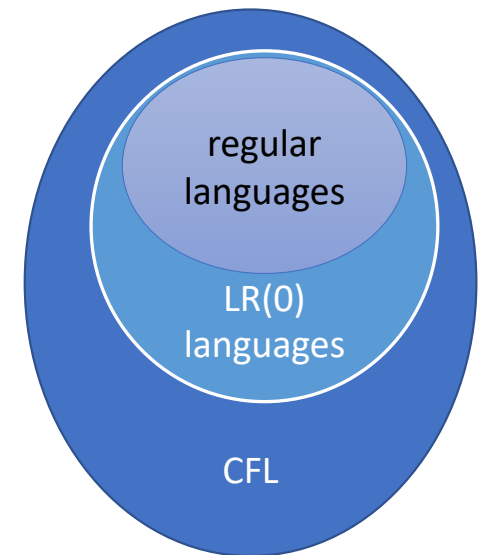
- if there is a unique instruction per state
(or no instruction = error state)

- $LR(0)$ is a proper subset of context-free languages

deterministic!

- **note**

- human language tends to be ambiguous
 - there are likely to be multiple or conflicting actions per state
 - *if we are using Prolog, we can let Prolog's computation rule handle it*
 - *via Prolog backtracking*



Tabular Parsing

- **Dotted rule notation**

- “dot” used to track the progress of a parse through a phrase structure rule

- **Examples:**

- $vp \rightarrow vbd \ . \ np$
means we’ve seen v and predict np
- $np \rightarrow \ . \ dt \ nn$
means we’re predicting a dt (followed by nn)
- $vp \rightarrow vp \ pp \ .$
means we’ve completed a vp (with pp modification)

- **state**

- a set of dotted rules encodes the state of the parse
- *set of dotted rules = name of the state*

- **kernel**

- $vp \rightarrow vbd \ . \ np$
- $vp \rightarrow vbd \ .$

- **completion** (of predict NP)

- $np \rightarrow \ . \ dt \ nn$
- $np \rightarrow \ . \ nnp$
- $np \rightarrow \ . \ np \ cp$

Tabular Parsing

compute all possible states through advancing the dot

- **Example:**

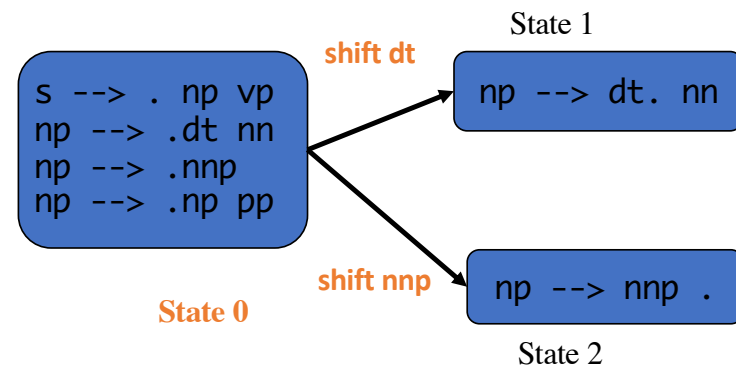
- (Assume *dt* is next in the input)

- `vp --> vbd . np`
- `vp --> vbd .` (eliminated)
- `np --> dt . nn`
- `np --> . nnp` (eliminated)
- `np --> . np cp`

Tabular Parsing

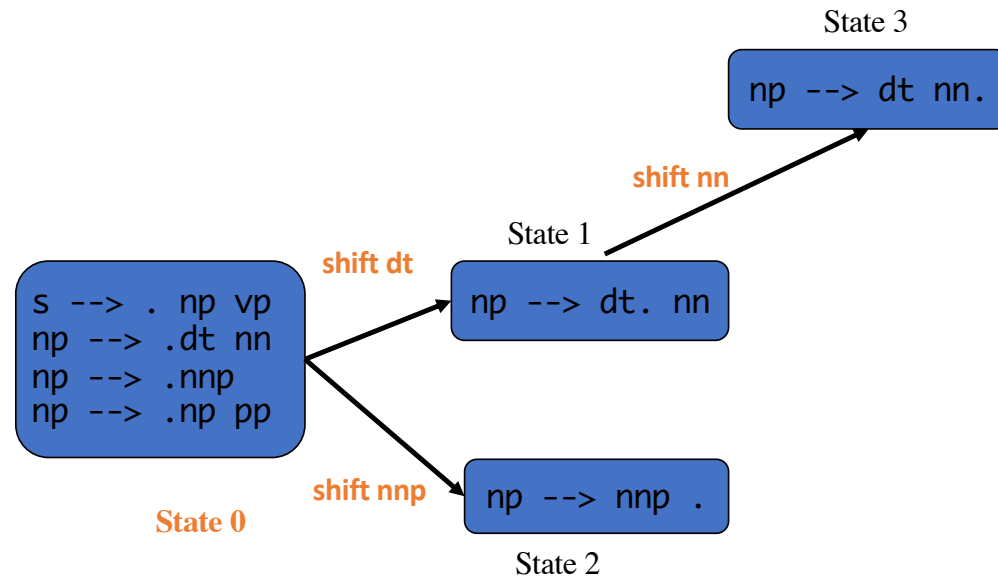
- Dotted rules
- Example:
 - State 0:
 - $s \rightarrow \cdot np \ vp$
 - $np \rightarrow \cdot dt \ nn$
 - $np \rightarrow \cdot nnp$
 - $np \rightarrow \cdot np \ pp$
 - possible actions
 - **shift** *dt* and go to new state
 - **shift** *nnp* and go to new state

- Creating new states



Tabular Parsing

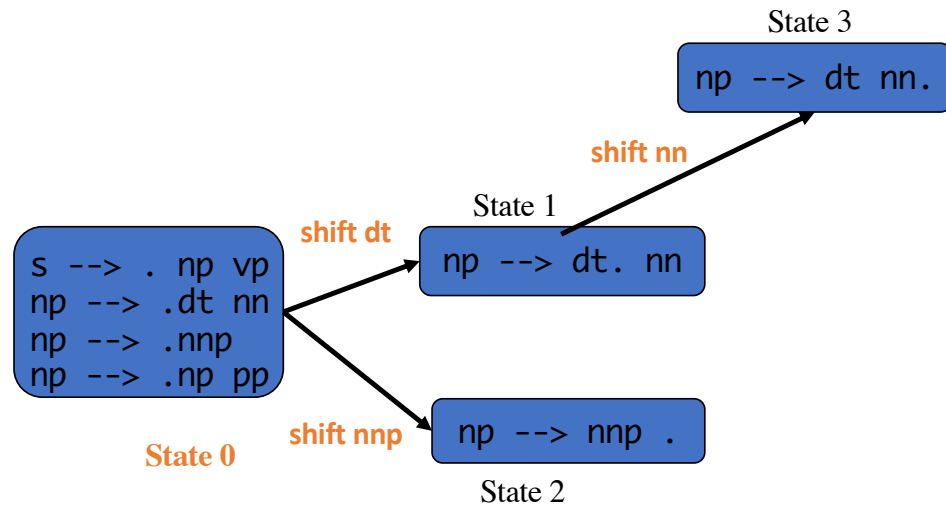
- **State 1: Shift *nn*, goto State 3**



Tabular Parsing

- **Shift**

- take input word, and
- put it on the stack



[_{VBD} hit] ...

Input

Stack

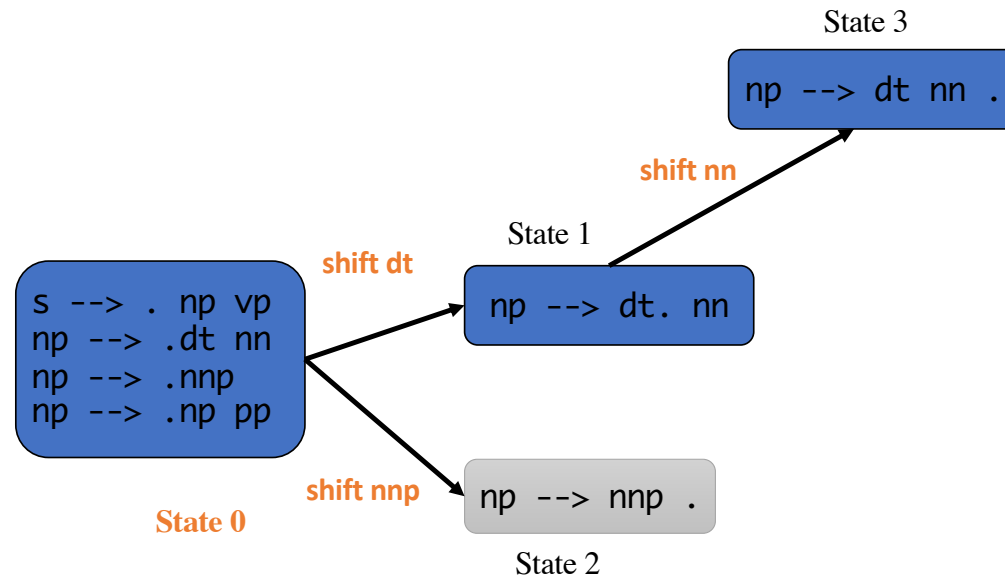
[_{NN} man]
[_{DT} a]

- **state 3**

(Powerpoint animation)

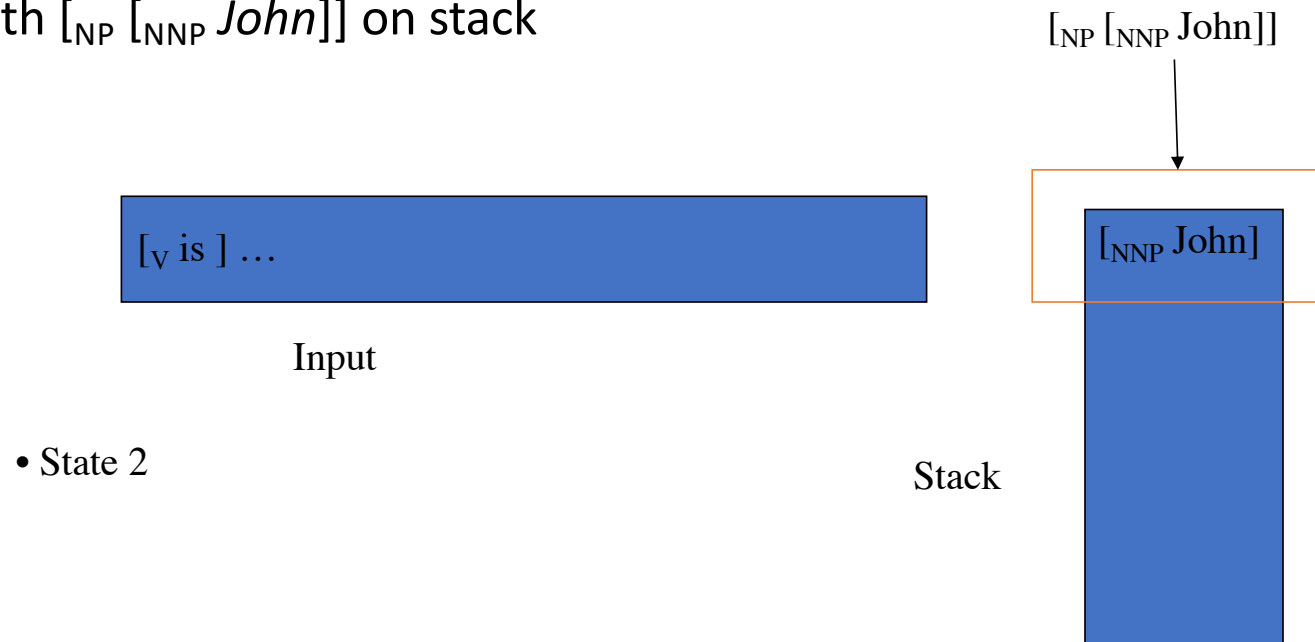
Tabular Parsing

- **State 2:** Reduce action $np \rightarrow nnp$.



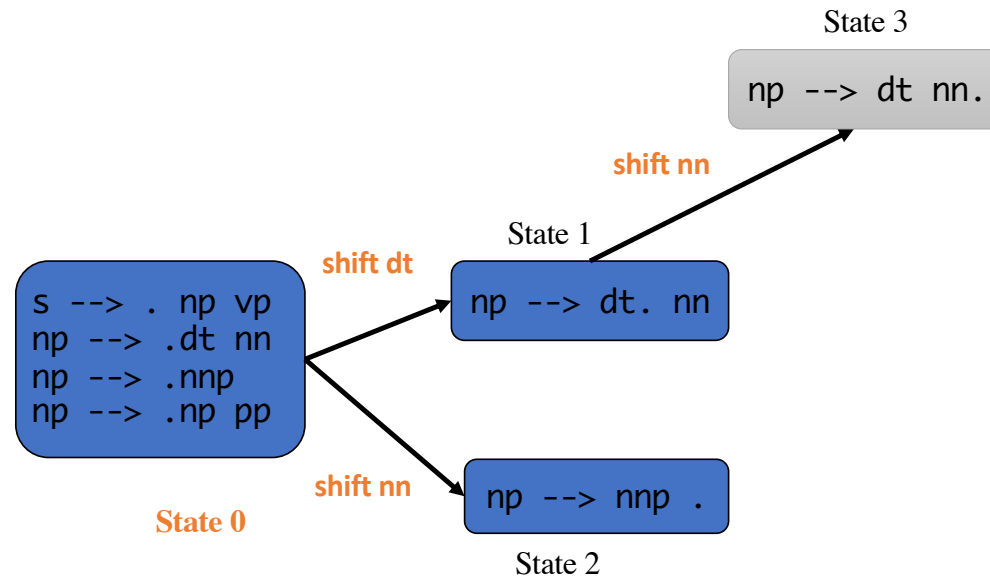
Tabular Parsing

- **Reduce** NP \rightarrow NNP .
 - pop $[_{NNP} John]$ off the stack, and
 - replace with $[_{NP} [_{NNP} John]]$ on stack



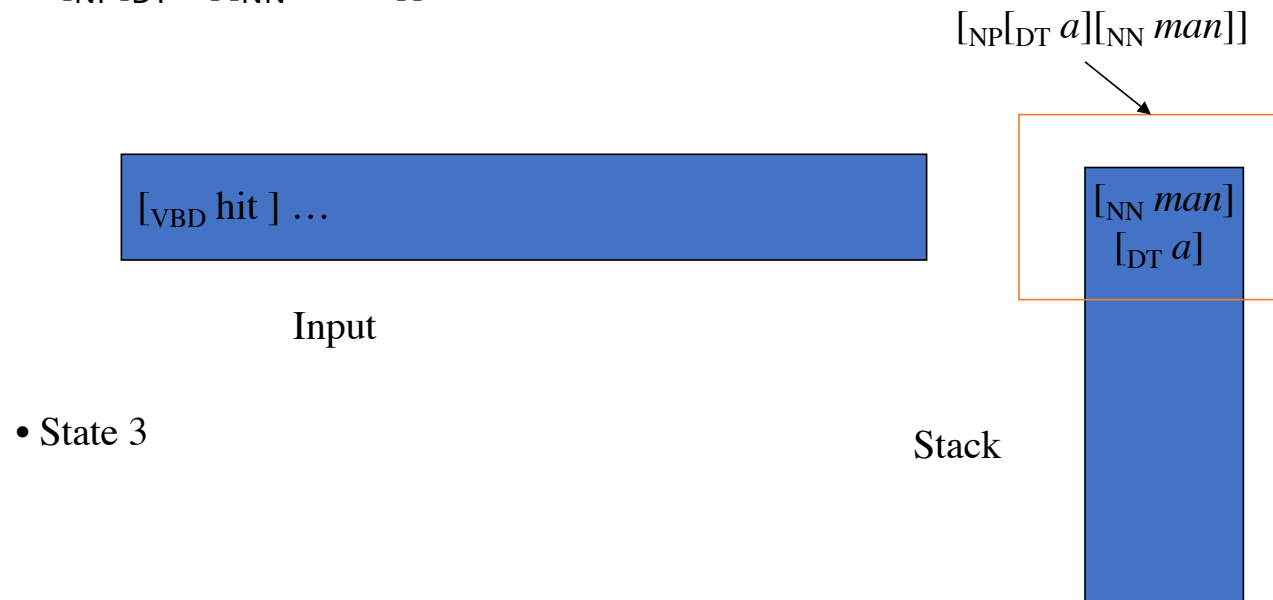
Tabular Parsing

- **State 3:** Reduce $np \rightarrow dt\ nn$.



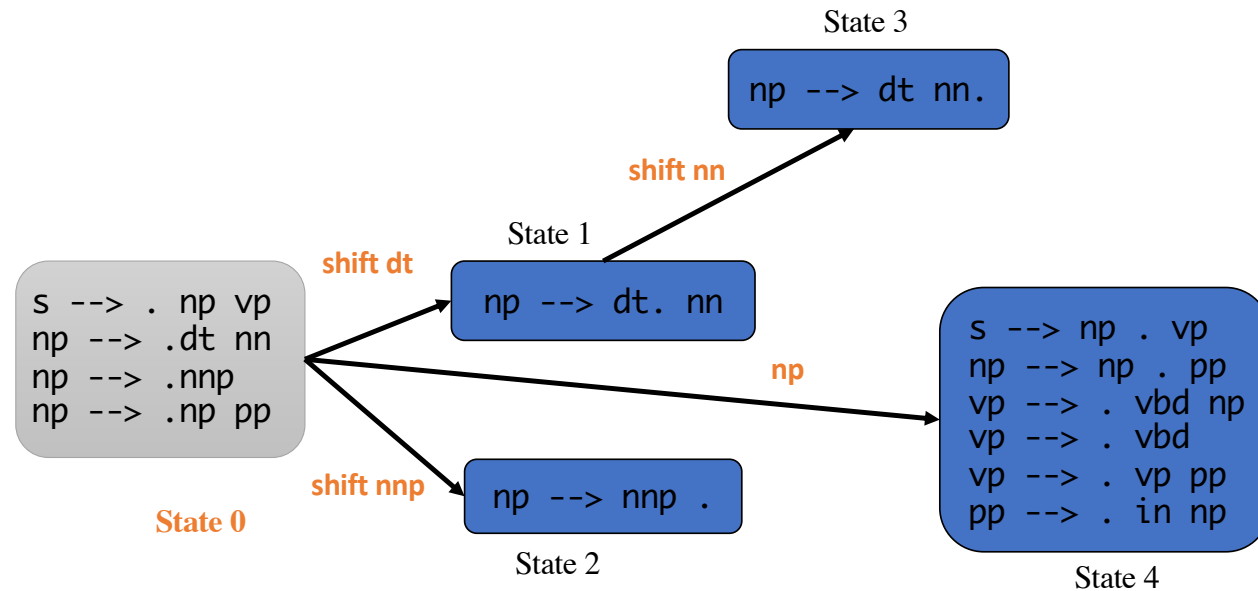
Tabular Parsing

- **Reduce** NP \rightarrow DT NN .
 - pop $[_{NN} \textit{man}]$ and $[_{DT} \textit{a}]$ off the stack
 - replace with $[_{NP}_{DT} \textit{a}][_{NN} \textit{man}]$



Tabular Parsing

- **State 0:** Transition NP



Tabular Parsing

- **for both states 2 and 3**
 - NP -> NNP . (reduce NP -> NNP)
 - NP -> DT NN . (reduce NP -> DT NN)
- **after Reduce NP operation**
 - **goto** state 4
- **notes:**
 - states are unique
 - grammar is finite
 - procedure generating states must terminate since the number of possible dotted rules is finite
 - no left recursion problem (*bottom-up means input driven*)

Tabular Parsing

- It's a table! (= **FSA**)

| State | Action | Goto |
|-------|---------------------|------|
| 0 | Shift DT | 1 |
| | Shift NNP | 2 |
| 1 | Shift NN | 3 |
| 2 | Reduce NP --> NNP | 4 |
| 3 | Reduce NP --> DT NN | 4 |
| 4 | ... | ... |

Tabular Parsing

- **Observations**

- 1. *table is sparse***

- **Example:**

- State 0, Input: [_{VBD} ..]
- parse fails immediately

- 2. *in a given state, input may be irrelevant***

- **Example:**

- State 2 (there is no shift operation)

- 3. *there may be action conflicts***

- **Example:**

- State 0: shift DT, shift NNP (*only if word is ambiguous...*)

- **more interesting cases**

- shift-reduce and reduce-reduce conflicts

Tabular Parsing

- **finishing up**

- an extra initial rule is usually added to the grammar
- $SS \rightarrow S \cdot \$$
 - SS = start symbol
 - $\$$ = end of sentence marker

- **input:**

- *milk is good for you \$*

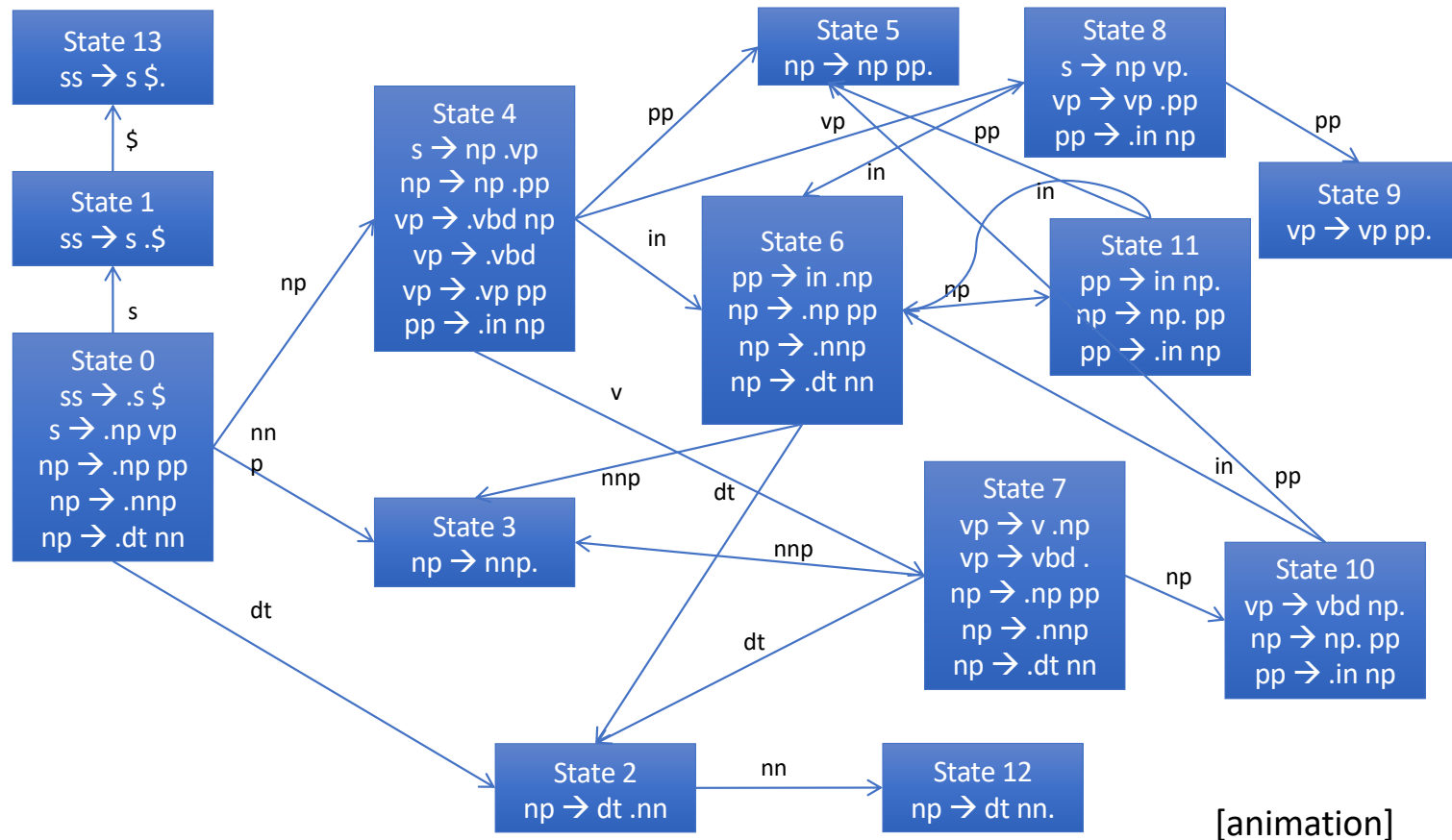
- **accept action**

- discard $\$$ from input
- return element at the top of stack as the parse tree

LR Parsing in Prolog

- **Recap**
 - **finite state machine technology + a stack**
 - *each state represents a set of dotted rules*
 - **Example:**
 - $s \rightarrow \cdot \text{ np vp}$
 - $\text{ np } \rightarrow \cdot \text{ dt nn}$
 - $\text{ np } \rightarrow \cdot \text{ nnp}$
 - $\text{ np } \rightarrow \cdot \text{ np pp}$
 - we transition, i.e. move, from state to state by advancing the “dot” over the possible terminal and nonterminal symbols

LR State Machine



Build Actions

- **two main actions**
 - ***Shift***
 - move a word from the input onto the stack
 - Example:
 - *read a word with POS tag d*
 - np --> .dt nn
 - ***Reduce***
 - build a new constituent
 - Example:
 - *build a new NP*
 - np --> dt nn.

Lookahead

- **LR(1)**
 - a shift/reduce tabular parser
 - *using one (terminal) lookahead symbol*
 - *(like the left corner idea)*
- **decide on whether to take a reduce action depending on**
 - *state x next input symbol*
 - **Example**
 - *select the valid reduce operation consulting the next word*
 - *cf. LR(0): select an action based on just the current state*

Lookahead

- **potential advantage**

- the input symbol may partition the action space
- resulting in fewer conflicts
 - *provided the current input symbol can help to choose between possible actions*

- **potential disadvantages**

1. larger finite state machine
 - more possible dotted rule/lookahead combinations than just dotted rule combinations
2. might not help much
 - depends on the grammar
3. more complex (off-line) computation
 - building the LR machine gets more complicated

Lookahead

- **formally**

- $X \dashrightarrow \alpha.Y\beta, L$
 - L = lookahead set
 - L = set of possible terminals that can follow X
 - α, β (possibly empty) strings of terminal/non-terminals

- **Example:**

- *State 0*
 - $ss \dashrightarrow .s \ \$$ $[[]]$
 - $s \dashrightarrow .np \ vp$ $[\$]$
 - $np \dashrightarrow .dt \ nn$ $[in, vbd]$
 - $np \dashrightarrow .nnp$ $[in, vbd]$
 - $np \dashrightarrow .np \ pp$ $[in, vbd]$

Lookahead

- **Central Idea**

- *for propagating lookahead in state machine*
- if dotted rule is complete,
- **lookahead** informs parser about what the next terminal symbol should be

- **Example:**

- $NP \rightarrow Dt\ NN. , L$
- *reduce by NP rule **only if** current input symbol is in lookahead set L*

LR Parsing

- **In fact**
 - LR-parsers are generally acknowledged to be the fastest parsers
 - *especially when combined with the **chart technique** (table: dynamic programming)*
- **reference**
 - (Tomita, 1985)
- **textbook**
 - **Earley's algorithm**
 - uses chart
 - but follows the dotted-rule configurations **dynamically at parse-time**
 - instead of ahead of time (*so slower than LR*)