

ML | stats | EDA & FE | DL Brund
4 1 2 3 5

(1)

Task 1 → PYTHON — DAILY at (H) & W at (S) & (S) → 3, 3

Task 2 → STATS

Task 3 → EDA & Feature Engineering.

Task 4 → ML

INTRO TO STATS:

1. Descriptive STATS

* Measure of central tendency.

* Measure of dispersion.

↓

Summarizing the data.

Probability, permutation, Mean
Mode, variance, median, SD
standard deviation.

1. Gaussian Distribution

2. Lognormal "

3. Binomial "

4. Bernoulli's "

5. Pareto " (power law)

6. standard normal dist.

7. Transformation & standardization.

8. Q-Q plot

2. Inferential stats.

→ Z-test — PY

→ T-test — PY

→ ANOVA

→ CHISQUARE

→ Hypothesis testing.

↓
NULL Hypothesis

&

Alternate Hypothesis

→ confidence intervals.

→ Z table, t-table, Chi square table.

What is statistics?

②

* Stats is a science of collecting, organizing and analysing data.

* It helps out how to use the data in proper way.

* Better decision Making.

define data?

Pieces of information that can be ~~data~~ & measured.

Eg: The IQ of a class.

{98, 97, 60, 55, 75, 85}

Ages of students of a class.

{30, 25, 24, 23, 27, 28} - DATA.

types of statistics:

① Descriptive stats.

It consists of organizing and summarizing data.

② Inferential stats.

It is technique where we use the data that we have measured to form conclusions.

1. Descriptive stats.

(3)

Eg: * class room of Maths student (20)

Marks of the 1st sem

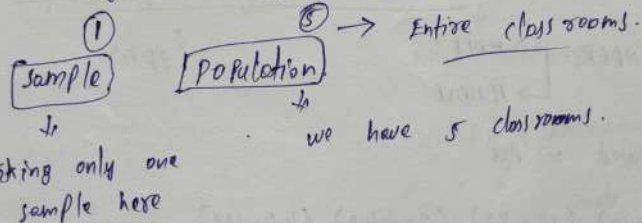
84, 86, 78, 72, 95, 65, 80, 81, 92, 95, 96, 97, ---

2. Inferential stats.

* What is the average marks of the student in the class?

Mean, Median, Mode (or) SD.

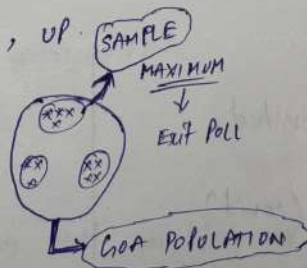
Eg: Are the marks of the students of this classroom similar to the age of the maths classroom in the college?



POPULATION AND SAMPLE

Elections → Goa, UP

Exit Poll



POPULATION (N)

SAMPLE (n)

→ Here Goa Population is big. → So media will take samples from different locations.

SAMPLING TECHNIQUES:

- 1) Simple Random Sampling: Every member of the population (N) has an equal chance of being selected for your sample (n).



- 2) STRATIFIED SAMPLING: where the population (N) is split into non-overlapping groups (strata).

Eg1: GENDER

- MALE
- FEMALE

↓
BP (1)

Eg2: Based on Age

(0-10) (10-20) (20-40) (40-100)

Eg3:

- 3) Systematic Sampling:

(N) → n^{th} individual.

Eg: Mall - survey (covid)

↳ 8th person → survey.

↳ Every 1st person → survey.

In whole population (N). Here we select sample (n) in a systematic way.

4) convenience sampling: Doing survey on specific topic. (5)

Survey will be based on domain knowledge (or) interest.

Data Science



we will survey only who has knowledge about data science.

Stack overflow



we will survey only developers.

Eg: EXIT POLL

RBI

→ survey with house hold.



what sampling.



WOMEN (convenience sampling
(or)
streets)

Eg: DRUG TEST



what kind of sample?



VARIABLES:

A variable is a property that can take any value.

Eg: Height = {182, 172, 180, 190}

Weight = {78, 75, 85, 90}

Two kinds of variables.

1) quantitative variables.

2) qualitative variables (or) categorical variables.

1) QV \rightarrow Measured Numerically

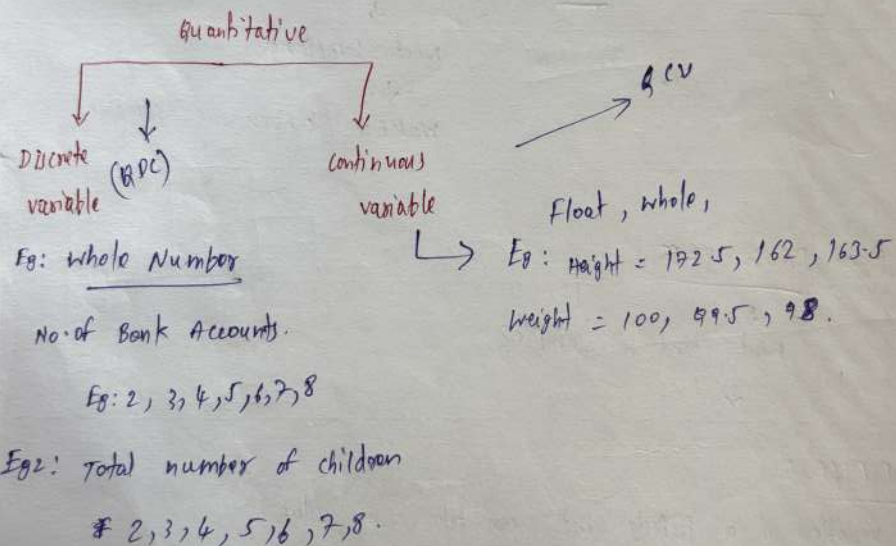
Eg: Age, weight, Height

2) CV \rightarrow It should be converted to numeric data.

Eg: Gender $\begin{cases} \rightarrow M \\ \rightarrow f \end{cases}$ Based on some characteristics we can derive categorical variable.

Eg: T-shirt sizes.

L, XL, M, S



1) What kind of variable Gender is? QCV (Categorical)
Marital status? CV
River length? QCV
Song length! QCV

Variable Measurement scales :

(7)

4 types of measured variable.

1) Nominal data

categorical data → colors, Gender, Type of flower.

2) ordinal data

order of the data matters. But value does not

Eg: Students (marks)

100

96

85

88

RANK

1

2

3

4

ordinal
data.

3) Interval data:

Both order of data & value matters.

Eg: Temperature.

* Fahrenheit

70-80 80-90 90-100 0

You will some range of values & order also matters.

* 4) RATIO DATA:

FREQUENCY DISTRIBUTION:

(3)

sample dataset: Rose, lilly, sunflower, Rose, lilly, lilly, Rose

sunflower.

frequency distribution table

flower type	frequency
Rose	3
lilly	3
Sunflower	2

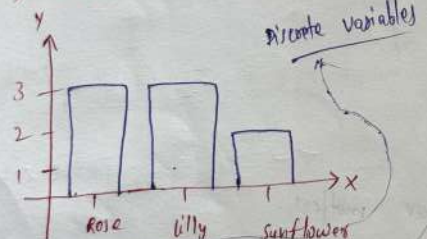
total number of flowers
↓
cumulative frequency

3

6

8

1) BAR GRAPH



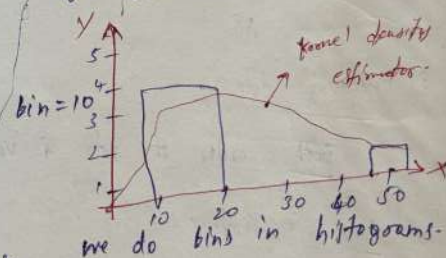
BAR VS HISTOGRAM

PDF: Probability Density Function.

↓
smoothing of histograms.

2) HISTOGRAMS

continuous variables.
Ages = 10, 12, 14, 18, 50, 80, 88



1) ARITHMETIC MEAN for POPULATION & sample.

Mean (Average)

Population (N)

sample (n)

1, 1, 2, 2, 3, 3, 4, 5, 5, 6.

$$\mu = \frac{\sum_{i=1}^N x_i}{N}$$

$$x = \{1, 1, 2, 2, 3, 3, 4, 5, 5, 6\}$$

$$N = \frac{1+1+2+2+3+3+4+5+5+6}{10} \rightarrow (n)$$

$$N = \frac{38}{10} = 3.8 \rightarrow \text{Average}$$

Mean = 1) a part of central tendency.

central Tendency:

→ It refers to the measure used to determine the centre of the distribution of data.

→ centre of the data.

1) Mean 2) Median 3) Mode.

2) Median.

data = $\{1, 1, 2, 2, 3, 3, 4, 5, 5, 6, 100\}$ ^{new element} we consider these as outliers

$$\text{Mean} = \frac{38 + 100}{11} \Rightarrow \frac{138}{11} \Rightarrow 12.54 \rightarrow \boxed{M=12}$$

① $M = 3.2$ ^{huge}
② $M = 12$ ^{difference}

* we must be careful with outliers.

MEDIAN: $\{1, 1, 2, 2, 3, 3, 4, 5, 5, 6, 100, 112\}$ ^{Median} ^{outliers}

1st thing to do 1) Sort the numbers in median.

odd number = 11

Median = 3

When you got 2 outliers median works better than mean.

MEDIAN WORKS BETTER WITH OUTLIERS

Sample

$$\bar{x} = \frac{\sum_{i=1}^n x_i}{n}$$

$$= 3.2$$

⑧

MODE: {1, 2, 2, 3, 4, 5, 6, 6, 6, 7, 8, 100, 200}

Measure of central tendency.

MODE = { MOST FREQUENT ELEMENT }

MODE = 6

Type of flower Petal length Petal width DATASET

ROSE

LILY

SUNFLOWER

—

—

—

→ Missing value → can be replaced with Most frequent occurring element.

↓
work well with categorical variable.

Ages of students.

Age

25

26

—

—

—

32

34

38

⇒ we use Mean

MEASURE of Dispersion:

1) VARIANCE

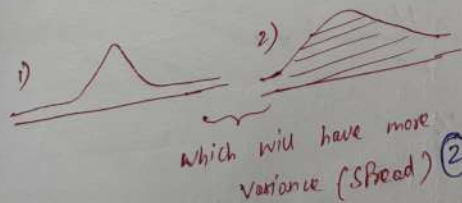
2) STANDARD DEVIATION

1) VARIANCE

POPULATION VARIANCE

$$\sigma^2 = \sum_{i=1}^N \frac{(x_i - \mu)^2}{N}$$

x	μ	x - μ	(x_i - μ)^2
1	2.83	-1.83	3.34
2	2.83	-0.83	0.68
2	2.83	+0.83	0.68
3	2.83	0.17	0.03
4	2.83	1.17	1.37
5	2.83	2.17	4.71
<hr/>			10.84
$\mu = \frac{17}{6}$			$\Rightarrow \frac{10.84}{6}$
$\mu = 2.83$			$\Rightarrow 1.81$



Dispersion

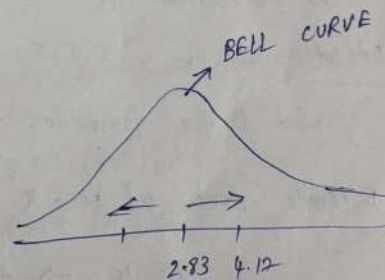
↳ SPREAD

How Good your data is spread.

①

SAMPLE VARIANCE

$$s^2 = \sum_{i=1}^n \frac{(x_i - \bar{x})^2}{n-1}$$



$$SD = \sqrt{\text{variance}}$$

$$= \sqrt{1.81}$$

$$= 1.345$$

$$\begin{array}{r} \textcircled{1} \\ 2.83 \\ 1.34 \\ \hline 4.17 \end{array}$$

Percentiles and Quartiles § 1st step to find outliers §. (12)

Percentage: 1, 2, 3, 4, 5

% of the numbers that are odd?

$$\Rightarrow \% = \frac{\# \text{ of numbers that are odd}}{\text{total numbers}}$$

$$\% = \frac{3}{5} = 0.6 = 60\%$$

Percentiles:

A percentile is a value below which a certain percentage of observation lie.

Data set: 2, 2, 3, 4, 5, 5, 5, 6, 7, 8, 8, 8, 8, 9, 9, 10, 11, 11, 12.

What is the percentile ranking of 10?

Percentile Rank of $x = 10$

$$x = 10 \Rightarrow \frac{\# \text{ of values below } x}{n} \times 100$$
$$= \frac{16}{20} \times 100$$

$$= 80\%$$

$$\Rightarrow x = 11 \Rightarrow \frac{\overset{20}{\cancel{17}} \overset{5}{17}}{20} \times 100$$
$$\Rightarrow 85\%$$

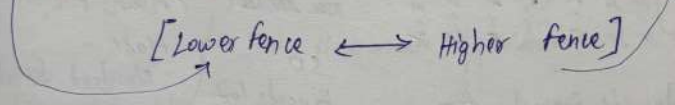
Five Number Summary :

- 1) MINIMUM 2) First Quartile (Q_1)
- 2) Median 4) Third Quartile (Q_3)
- 5) MAXIMUM

* This is used to remove outliers.

$Q_1, 2, 2, 2, 3, 3, 4, 5, 5, 5, 6, 6, 6, 6, 7, 8, 8, 9, 29$
↑
outlier

so
When ever you want to remove outliers?



Lower fence = $Q_1 - 1.5 (IQR)$

upper fence = $Q_3 + 1.5 (IQR)$ Interquartile Range.
↳

$(IQR) = Q_3 - Q_1 \Rightarrow Q_3 = (75\%)$
 $Q_1 = (25\%)$

1) Distributions: To have idea about dataset.

Age = { 24, 26, 27, 28, 30, 32 } ----- }

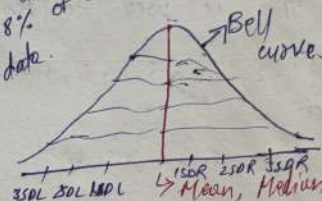
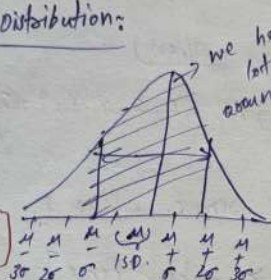
2) Gaussian / Normal distribution:

Empirical formula.

68-95-99.7% Rule.

it follows:

68-95-99.7% = Rule



SD towards left } Mode standard deviation Right.

1SD = 68% data is present from entire data

2SD = 95% data is present from entire data.

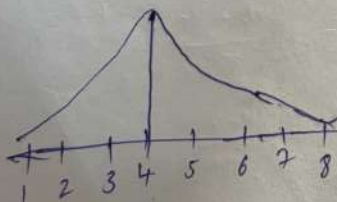
3SD = 99.7% data is present from entire data.

Eg: Height \rightarrow Normally distributed.

Domain expert \rightarrow {Doctor}

Weight, IRIS DATASET.

Eg: $\mu = 4$, $\sigma = 1$



Z-Score:

$$Z\text{-score} = \frac{x_i - \mu}{\sigma}$$

$$= \frac{4.75 - 4}{1} = 0.75$$

+ve value.

Z-score is measured in terms of SD from the mean.

After applying z-score.

(15)

$$\text{Data} = \{1, 2, 3, 4, 5, 6, 7, 8\}$$

$$z(1) = \frac{1-4}{1} = -3, \quad z(2) = \frac{2-4}{1} = -2, \quad z(3) = \frac{3-4}{1} = -1$$

It is easy to calculate S.D. using z-score.

$$\text{SD} = \{-3, -2, -1, 0, 1, 2, 3, 4\}$$

$\{1, 2, 3, 4, 5, 6, 7, 8\}$ After Applying z-score $\{-3, -2, -1, 0, 1, 2, 3, 4\}$

↳ This is normal distribution. ↳ standard normal distribution.

PRACTICAL APPLICATION:

DATASET:

AGE	SALARY	WEIGHT
Years	RS	Kg
24	40k	70
25	80k	80
26	60k	85
27	80k	90

our mean should be $\mu=0$, & $\text{SD}=1$

$$\mu=0, \sigma=1$$

↳ Convert this to standard normal distribution using z-score.



This process is called as

STANDARDIZATION



Inside z-score will be applied

NORMALIZATION:

↳ MINMAX SCALER → (0 to 1)

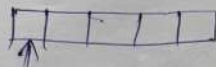
Normalization gives you the process where you can define lower and upper bound.

CNN → Image classification



0-255 is converted to ①

①



Normalization.

Practical eg:

In 2021

$$\mu = 250, x_i = 240, \sigma = 10$$

In 2020

$$\mu = 260, x_i = 245, \sigma = 12$$

Day-3

1) distributions

↳ Normal dist

↳ standard

India vs SA3

1) ODI Series

2021

Score Average 2021 = 250 $\Rightarrow \mu$

Standard deviation = 10 $\Rightarrow \sigma$

Rishab Pant final score = 240
Avg

2020

Score Average 2020 = 260

SD = 12

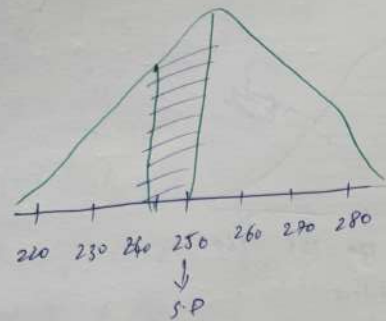
Rishab Pant final score = 245
Avg

compare both the series in which year Rishab Pant final score was better?

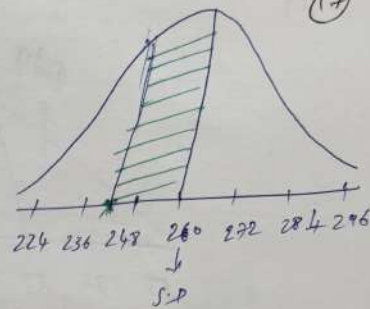
\rightarrow Here we apply Z-score for 2021

$$Z\text{-Score} = \frac{x_i - \mu}{\sigma} = \frac{240 - 250}{10} \Rightarrow \frac{-10}{10} = -1$$

$$Z\text{-Score} = \frac{x_i - \mu}{\sigma} = \frac{245 - 260}{12} \Rightarrow \frac{-15}{12} = -1.25$$



$$z\text{ score} = -1$$



$$z\text{ score} = -1.25$$

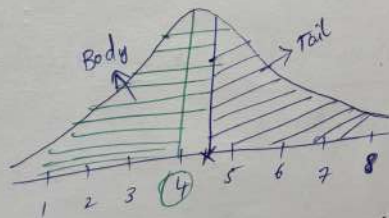
Example for z score :

stat interview question.

$$\mu = 4$$

$$\sigma = 1$$

x.



What percentage of score falls above 4.25?

$$z = \frac{x_i - \mu}{\sigma} = \frac{4.25 - 4}{1}$$

$$z = 0.25$$

z score helps you to find area of the body curve.

Look At z-table

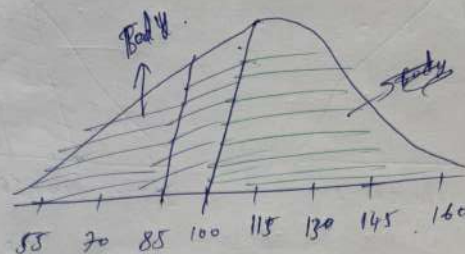
$$1 - 0.5987 \Rightarrow 0.4013$$

* In india the avg IQ is 100, with a S.D of 15. What % of population would you expect to have an IQ lower than 85?

$$\mu = 100$$

$$\sigma = 15$$

$$z\text{ score} = \frac{85 - 100}{15} = \frac{-15}{15} = -1$$



$$= -1 - 0.05394$$

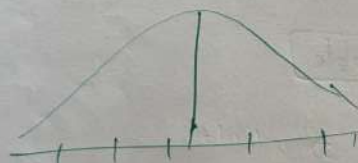
$$= \frac{-1.1586}{4}$$

In b/w 90 to 120.

$$z = \frac{90 - 100}{15} \Rightarrow$$

$$z = -1.33$$

Day - 4



$$SD1 \Rightarrow 68\%$$

$$SD2 \Rightarrow 95\%$$

$$SD3 \Rightarrow 99.7\%$$

After SD3 all are outlier.

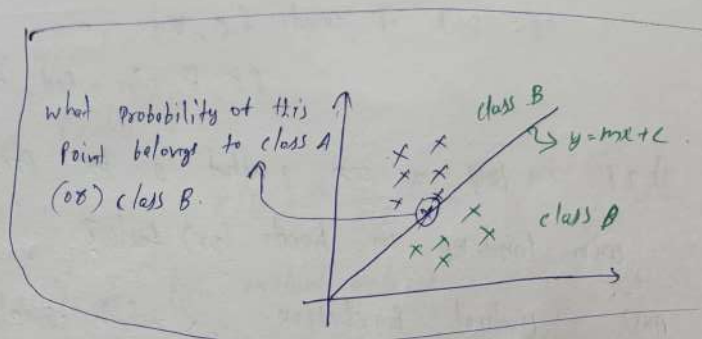
It can be treated as outlier after SD3.

$$Z\text{-Score} = \frac{x_i - \mu}{\sigma} \quad \text{or} \quad \frac{x_i - \mu}{\frac{\sigma}{\sqrt{n}}}$$

(9)

* Probability:

Probability is a measure of the likelihood of an event.



Eg: Roll a dice $\{1, 2, 3, 4, 5, 6\}$.

What is $\text{Prob}(6) = \frac{\# \text{ of way an event can occur}}{\# \text{ of possible outcomes}}$

$$= \frac{1}{6}$$

Eg: Toss a coin. (H, T)

$$P(H) = 1/2$$

2) Addition Rule (Probability, "or")

Mutual Exclusive Events:

Two events are mutually exclusive if they cannot occur at same time.

Eg: Rolling a dice $\{1, 2, 3, 4, 5, 6\}$

Non - Mutual Exclusive

Multiple events can occur at the same time.

Eg: Deck of cards {Q, ♠}

{K, ♠, color, Red, Black}

1) If i toss a coin, what is the probability of the coin landing on heads (or) tails?

Ans) Mutual Exclusive. → which is also called or for (H or T) mutual exclusive.

$$P(A \text{ or } B) = P(A) + P(B)$$
$$= \frac{1}{2} + \frac{1}{2}$$

$$P(A \text{ or } B) = 1$$

Roll a dice

$$P(1 \text{ or } 3 \text{ or } 6) = P(A) + P(B) + P(C)$$

$$= \frac{1}{6} + \frac{1}{6} + \frac{1}{6}$$

$$= \frac{1}{6} + \frac{1}{6} + \frac{1}{6} = \frac{3}{6} = \frac{1}{2}$$

$$= \frac{1}{2}$$

$$= 0.5$$