

# MATLAB REPORT

COURSE CODE:MAT 2001 SLOT:L9+L10

Guided by:-

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# CONTENT

1	Introduction to Vectors MATRICES and Matrix operation in MATLAB
2	Gaussian Elimination and Solving system of Linear Equations
3	Application of Linear Systems of Equations-1
4	Traffic flow network analysis and Electrical Circuit
5	Diagonalization and Differential equation
6	Matrix Transformation: Hill Cipher Encryption
7	Matrix Transformation: Hill Cipher Decryption
8	Eigenvalues and Eigenvectors: Applications in Google Page-ranking
9	Diagonalization of a Matrix: Solving system of differential equations
10	Solving system of Differential equations: Mass Spring system Electrical circuits-1
11	Solving system of Differential equations: Mass Spring system Electrical circuits-2
12	Rabbit growth
13	Seriessoln
14	Fourier series
15	Bessel
16	Second order difference equation
17	Questions 1-6

```
%Valiveti Manikanta Bhuvanesh
% %19bcd7088
% %Lab 1
clc
clear all
a=4;
b=5;
c=a+b;
A=[1 2 3 4; 5 6 7 8; 7 6 5 4; 4 3 2 1;9 8 7 6]
A = 5  4
              3
    1
         2
                   4
        6 7 8
6 5 4
3 2 1
     5
    7
    4
    9
        8
              7
                    6
B=[4\ 5\ 6\ 7\ 8;\ 1\ 2\ 3\ 4\ 5;\ 9\ 8\ 7\ 6\ 5;\ 3\ 4\ 5\ 6\ 7]
B = 4 - 5
    4
                   7
          5
              6
                         8
                   4
                       5
          2
              3
     1
                       5
7
            7
5
                  6
6
     9
         8
     3
C=A*B
C = 5 \diamondsuit 5
   45
       49
            53
                  57
                       61
   113
       125 137 149
                       161
   91
        103 115
                        139
                   127
   40
        46
            52
                   58
                         64
   125
       141 157
                  173
                       189
C(:,3)
ans = 51
   53
   137
   115
   52
   157
C(2,:)
ans = 105
  113 125 137 149 161
C(:,4)=[1 2 3 4 5]
C = 5 \odot 5
   45 49 53 1 61
113 125 137 2 161
91 103 115 3 139
   40
       46 52
                  4 64
                  5 189
   125 141
             157
x=[1:10:100]
```

```
1 11 21 31 41 51 61 71 81
                                       91
y=[1:5:100]
y = 1420
  1 6 11 16 21
                        26
                            31 36
                                   41
                                       46 51 56 61
                                                          66
                                                              71
                                                                 7
z=[1:1:100]
z = 1 100
  1 2 3
               4 5
                                             11
                                                      13
                                                              15
                                                 12
                                                          14
p=[1:0.5:100]
p = 1 199
  1.0000 1.5000 2.0000
                        2.5000
                               3.0000
                                      3.5000
                                             4.0000
                                                    4.5000
                                                            5.0000
                                                                   5
p=linspace(1,100,200)
p = 1 200
                                                          4.9799
  1.0000 1.4975 1.9950 2.4925 2.9899 3.4874 3.9849
                                                   4.4824
                                                                   5
x=linspace(1,100,10)
x = 1 \textcircled{3} 10
  1 12 23 34 45 56 67 78 89
                                       100
y=linspace(1,100,20)
y = 1 20
  1.0000 6.2105 11.4211 16.6316 21.8421 27.0526 32.2632 37.4737 42.6842
                                                                  47
z=linspace(1,100,100)
z = 1 \ 100
 1 2 3 4 5 6 7 8 9
                                         10
                                             11
                                                 12 13
                                                          14
                                                              15
                                                                   1
length(x)
ans = 10
length(y)
ans = 20
length(z)
ans = 100
length(p)
ans = 200
Y=x.^2
Y = 1110
  1
          144 529 1156 2025 3136 4489
                                                                 608
plot(x,Y)
hold on
```

x = 1 1 10

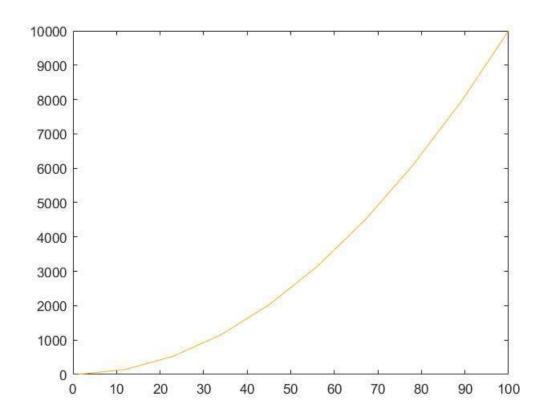
plot(x,Y)

```
hold on Y=x.^2

Y = 1 10

1 144 529 1156 2025 3136 4489 608

plot(x,Y)
```



```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 2
syms x1 x2 x3 x4
for x1=1:1:2
    x4=3*x1
    x3=4*x1
    x2=0.5*(x3+2*x4)
    disp(x1)
    disp(x2)
    disp(x3)
    disp(x4)
end
```

```
x4 = 3

x3 = 4

x2 = 5

1

5

4

3

x4 = 6

x3 = 8

x2 = 10

2
```

```
10
8
6
```

$$a = 3 - 3 - 3$$
 $-1$ 
 $3$ 
 $2$ 
 $1$ 
 $2$ 
 $-3$ 

2 1 -2

# X=[x;y;z]

$$X = \begin{pmatrix} x \\ y \\ z \end{pmatrix}$$

# b=[1;-9;-3]

b = 3**\darkin**1

-9 -3

# c=inv(a)

c = 3**\darkita**3

 0.0588
 -0.4706
 0.7647

 0.2353
 0.1176
 0.0588

 0.1765
 -0.4118
 0.2941

# p=c\*b

p = 3**1** 

2.0000

-1.0000

3.0000

# Х=р

X = 3**1** 

2.0000

-1.0000

3.0000

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 3
syms x1 x2 x3
x1=45
x1 = 45
x3 = 35 - x1
x3 = -10
x2=30-x3
x2 = 40
A=[1 0 0;0 1 1;1 0 1;0 1 0]
A = 4  3
    1
         0
               0
    0
         1
              1
    1
          0
               1
B=[45;30;35;40]
B = 4 1
   45
    30
   40
C=linsolve(A,B)
C = 3 1
  45.0000
  40.0000
  -10.0000
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 4
syms x y z
eqn=[x+z+30==0,x-y+35==0,y-45==0,z+40==0]
eqn = (x+z+30=0 \ x-y+35=0 \ y-45=0 \ z+40=0)
[x,y,z]=solve(eqn,[x,y,z])
x = 10
y = 45
z = -40
syms a b c d x
eqn=[c+d==700,a+d==700,a+b==1000,c+b==x+400]
```

eqn =  $(c + d = 700 \ a + d = 700 \ a + b = 1000 \ b + c = x + 400)$ 

```
[a,b,c,d,x]=solve(eqn,[a,b,c,d,x])
```

a = 700

b = 300

c = 700

d = 0

x = 600

eqn = 
$$(3b-2c+3=0 \quad 5a-4c-10=0 \quad a+b=c)$$

# [a,b,c]=solve(eqn,[a,b,c])

a =

 $\frac{2}{7}$ 

b =

 $-\frac{17}{7}$ 

c =

 $-\frac{15}{7}$ 

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 5
```

$$A = 3 \times 3$$
 $3 \quad 0 \quad -1$ 
 $0 \quad 1 \quad 0$ 
 $2 \quad 0 \quad 0$ 

# P=poly(A)

$$P = 1 \times 4$$
 $1 - 4 5 - 2$ 

ans = ' 
$$x^3 - 4 x^2 + 5 x - 2$$
'

# polyvalm(P,A)

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 6,7
clc
clear all
M='ILOVELINEARALGEBRA'
M = 'ILOVELINEARALGEBRA'
N=double(M)-65
N = 1 18
  8 11 14 21 4 11
                                           17
                            8
                                13
                                   4 0
                                                     11
                                                              4
M=N+7
M = 1 18
  15 18 21 28 11 18 15
                              20
                                   11 7 24 7 18
                                                         13
                                                              11
L=mod(M, 26)
L = 1118
  15
           21 2 11 18 15 20
                                    11 7 24 7 18
     18
                                                         13
                                                             11
encrypt_shift=char(L+65)
encrypt_shift = 'PSVCLSPULHYHSNLIYH'
L=L-7
L = 1118
  8 11 14 -5 4 11
                              13
                                   4 0
                                           17
                                                              4
                            8
                                                     11
                                                          6
L=mod(L,26)
L = 1 18
   8 11
          14 21 4 11 8 13 4 0 17 0
                                                     11
                                                         6
                                                              4
decrypt_shift=char(L+65)
decrypt_shift = 'ILOVELINEARALGEBRA'
N=reshape(N,3,[])
N = 3 \% 6
   8
           8
               0
       21
                  11
                       1
   11
      4
           13
               17 6
                        17
   14 11 4 0
key=[-5 -6 -59;1 1 12;2 3 22]
key = 3\darkita3
   -5
      -6 -59
      1 12
      3 22
   2
```

N=key\*N

```
N = 3 \% 6
 -932 -778 -354 -102 -327 -107
  187 157 69 17 65 18
  357 296 143 51 128
                          53
P=mod(N, 26)
P = 3 66
    4
       2 10 2 11 23
    5
       1 17 17 13 18
   19
        10
            13
                 25
                      24
                          1
encrypt_cipher=char(P+65)
encrypt_cipher = 3$6 char array
    'ECKCLX'
    'FBRRNS'
    'TKNZYB'
N=reshape(N,1,[])
N = 1 18
 -932 187 357 -778 157 296 -354 69 143 -102 17 51 -327
                                                               65
                                                                  128 -10
decrypt=inv(key)*P
decrypt = 3�6
10<sup>3</sup> 🏟
   -0.0220 -0.1690
  -0.0670
                          -0.1650
                                 -0.1500
                                         -0.1910
  -0.0380
         -0.0150 -0.0740 -0.0780 -0.0740
                                         -0.0780
decrypt=int16(decrypt)
decrypt = 3 6 int16 matrix
          203 1074 1118 1051 1145
    528
               -169 -165
    -67
          -22
                           -150
                                 -191
    -38
          -15 -74 -78
                            -74
                                  <del>-</del>78
decrypt=mod(decrypt,26)
decrypt = 3�6 int16 matrix
   8 21 8 0 11 1
  11
      4
          13 17
                 6
                      17
  14
      11
         4 0
decrypt=char(decrypt+65)
decrypt = 3�6 char array
    'IVIALB'
    'LENRGR'
    'OLEAEA'
decrypt cipher=reshape(decrypt,1,[])
decrypt_cipher = 'ILOVELINEARALGEBRA'
```

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 8
clc
clear all
a=[0 1 0 0;1/3 0 0 1/2;1/3 0 0 1/2;1/3 0 1 0]
a = 4 \times 4
        0
           1.0000
                           0
   0.3333
                0
                               0.5000
   0.3333
                           0
                               0.5000
   0.3333
                0 1.0000
                                    0
[V,D]=eig(a)
V = 4 \times 4
  -0.4575
          -0.8384
                    0.6229
                             -0.8018
  -0.4575
          0.1772 -0.4913 -0.0000
          0.1772 -0.4913
                             0.2673
  -0.4575
  -0.6100 0.4841
                    0.3596
                               0.5345
D = 4 \times 4
               0
                          0
                                    0
   1.0000
           -0.2113
                                    0
        0
                          0
        0
             0
                    -0.7887
                                    0
        0
                 0
                          0
                              -0.0000
p=null(a-eye(4,4))
p = 4 \times 1
   0.4575
   0.4575
   0.4575
   0.6100
Y=abs(p/norm(p))
Y = 4 \times 1
   0.4575
   0.4575
   0.4575
   0.6100
clc
clear all
a=[0 1/3 0 0;1 0 1/2 1/2;0 1/3 0 1/2;0 1/3 1/2 0]
a = 4 \times 4
             0.3333
                          0
                                    0
        0
   1.0000
                0
                      0.5000
                               0.5000
             0.3333
                      0
                               0.5000
        0
                      0.5000
             0.3333
                                    0
[V,D]=eig(a)
V = 4 \times 4
   0.3928
             0.5880 -0.2357
                             -0.0000
  -0.8586
            0.4034 -0.7071
                               0.0000
```

```
0.2329 -0.4957 -0.4714 -0.7071
   0.2329 -0.4957 -0.4714
                            0.7071
D = 4 \times 4
  -0.7287
                         0
                                  0
               0
       0
          0.2287
                          0
                                  0
        0
                0
                     1.0000
                                  0
        0
                 0
                          0
                            -0.5000
```

# p=null(a-eye(4,4))

 $p = 4 \times 1$ 

0.2357

0.7071

0.4714

0.4714

# Y=abs(p/norm(p))

 $Y = 4 \times 1$ 

0.2357

0.7071

0.4714

0.4714

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 9
clc
clear all
syms x1 x2 x3 X1 X2 X3 t c1 c2 c3
A=[0 \ 1 \ 0;0 \ 0 \ 1;8 \ -14 \ 7]
A = 3 \times 3
    0
               0
    0
    8
       -14
x=[x1;x2;x3]
x =
 x_1
 x_2
X(t)=[X1;X2;X3]
X(t) =
 X_1
 X_2
 X_3
[V,D]=eig(A)
V = 3 \times 3
                    -0.0605
   0.5774 0.2182
   0.5774 0.4364
                     -0.2421
    0.5774 0.8729 -0.9684
D = 3 \times 3
    1.0000
                            0
            2.0000
                            0
                       4.0000
11=D(1,1)
11 = 1.0000
12=D(2,2)
12 = 2.0000
13=D(3,3)
13 = 4.0000
V1=V(:,1)
V1 = 3 \times 1
    0.5774
```

0.5774

0.5774

V2=V(:,2)

 $V2 = 3 \times 1$ 

0.2182

0.4364

0.8729

V3=V(:,3)

 $V3 = 3 \times 1$ 

-0.0605

-0.2421

-0.9684

X1(t)=(c1\*(exp(11\*t))\*V1)

X1(t) =

$$\begin{pmatrix} \frac{\sqrt{3} c_1 e^t}{3} \\ \frac{\sqrt{3} c_1 e^t}{3} \\ \frac{\sqrt{3} c_1 e^t}{3} \end{pmatrix}$$

X2(t)=(c2\*(exp(12\*t))\*V2)

X2(t) =

X3(t)=(c3\*(exp(13\*t))\*V3)

X3(t) =

$$\begin{pmatrix}
-\frac{\sqrt{273} c_3 e^{4t}}{273} \\
-\frac{4\sqrt{273} c_3 e^{4t}}{273} \\
-\frac{16\sqrt{273} c_3 e^{4t}}{273}
\end{pmatrix}$$

X=X1+X2+X3

X(t) =

$$\begin{pmatrix} \frac{\sqrt{21} c_2 e^{2t}}{21} - \frac{\sqrt{273} c_3 e^{4t}}{273} + \sigma_1 \\ \frac{2\sqrt{21} c_2 e^{2t}}{21} - \frac{4\sqrt{273} c_3 e^{4t}}{273} + \sigma_1 \\ \frac{4\sqrt{21} c_2 e^{2t}}{21} - \frac{16\sqrt{273} c_3 e^{4t}}{273} + \sigma_1 \end{pmatrix}$$

where

$$\sigma_1 = \frac{\sqrt{3} c_1 e^t}{3}$$

```
clc
clear all
syms x1 x2 x3 X1 X2 X3 t c1 c2 c3
A1=[1 -1;2 4]
```

$$A1 = 2 \times 2$$
 $1 - 1$ 
 $2 4$ 

# x=[x1;x2]

x =

 $\begin{pmatrix} x_1 \\ x_2 \end{pmatrix}$ 

# X=[X1;X2]

X =

 $\begin{pmatrix} X_1 \\ X_2 \end{pmatrix}$ 

# [V,D]=eig(A1)

$$V = 2 \times 2$$

$$-0.7071 0.4472$$

$$0.7071 -0.8944$$

$$D = 2 \times 2$$

$$2 0$$

$$0 3$$

# 11=D(1,1)

11 = 2

$$12=D(2,2)$$

12 = 3

V1=V(:,1)

 $V1 = 2 \times 1$ 

-0.7071 0.7071

V2=V(:,2)

 $V2 = 2 \times 1$ 

0.4472

-0.8944

X1(t)=(c1\*(exp(11\*t))\*V1)

X1(t) =

$$\begin{pmatrix} -\frac{\sqrt{2}\,c_1\,\mathrm{e}^{2\,t}}{2} \\ \frac{\sqrt{2}\,c_1\,\mathrm{e}^{2\,t}}{2} \end{pmatrix}$$

X2(t)=(c2\*(exp(12\*t))\*V2)

X2(t) =

$$\begin{pmatrix} \frac{\sqrt{5} c_2 e^{3t}}{5} \\ -\frac{2\sqrt{5} c_2 e^{3t}}{5} \end{pmatrix}$$

X=X1+X2

X(t) =

$$\left(\frac{\sqrt{5} c_2 e^{3t}}{5} - \frac{\sqrt{2} c_1 e^{2t}}{2} \right) \\
\left(\frac{\sqrt{2} c_1 e^{2t}}{2} - \frac{2\sqrt{5} c_2 e^{3t}}{5}\right)$$

```
%Valiveti Manikanta Bhuvanesh
%19bcd7088
%Lab 10
clc
clear all
syms y1(t) y2(t) k
A=[-2*k \ k;k \ -2*k]
A =
 \begin{pmatrix} -2k & k \\ k & -2k \end{pmatrix}
Dy1=diff(diff(y1))
Dy1(t) =
\frac{\partial^2}{\partial t^2} y_1(t)
Dy2=diff(diff(y2))
Dy2(t) =
\frac{\partial^2}{\partial t^2} y_2(t)
[P lambda] = eig(A)
 \begin{pmatrix} 1 & -1 \\ 1 & 1 \end{pmatrix}
lambda =
if (rank(P)~=length(P))
fprintf('The matrix is not diagonlizable, thus solution is not possible using this method \n')
return
end
D = inv(P)*A*P
D =
Y = [y1(t);y2(t)]
Y =
 (y_1(t))
 y_2(t)
for i=1:length(A)
eqs=diff(diff(Y(i),t,1),t,1) - D(i,i)*Y(i) == 0
Sol(i)= dsolve(eqs)
end
eqs =
\frac{\partial^2}{\partial t^2} y_1(t) + k y_1(t) = 0
Sol = C_3 e^{\sqrt{-k}t} + C_4 e^{-\sqrt{-k}t}
eqs =
```

```
\frac{\partial^2}{\partial t^2} y_2(t) + 3 k y_2(t) = 0
Sol = (C_3 e^{\sqrt{-k}t} + C_4 e^{-\sqrt{-k}t} C_5 e^{\sqrt{3}\sqrt{-k}t} + C_6 e^{-\sqrt{3}\sqrt{-k}t})
disp(Sol)
\left(C_3 e^{\sqrt{-k}t} + C_4 e^{-\sqrt{-k}t} \quad C_5 e^{\sqrt{3}\sqrt{-k}t} + C_6 e^{-\sqrt{3}\sqrt{-k}t}\right)
clc
clear all
syms y1(t) y2(t) k G(t) u
Dy1=diff(diff(y1))
Dy1(t) =
\frac{\partial^2}{\partial t^2} y_1(t)
Dy2=diff(diff(y2))
Dy2(t) =
\frac{\partial^2}{\partial t^2} y_2(t)
A=[0 -1; -1 0]
A = 2 \times 2
      0 -1
     -1 0
G(t)=[-101*sin(10*t);101*sin(10*t)]
G(t) =
 \begin{pmatrix} -101\sin(10\,t)\\ 101\sin(10\,t) \end{pmatrix}
%cond10=y1(0)==0
%cond11=Dy1(0)==6
%cond20=y2(0)==8
%cond21=Dy2(0)==6
%cond=[cond10;cond20]
[P lambda] = eig(A)
P = 2 \times 2
    -0.7071 -0.7071
    -0.7071 0.7071
lambda = 2 \times 2
     -1 0
if (rank(P)~=length(P))
fprintf('The matrix is not diagonlizable, thus solution is not possible using this method \n')
return
end
D = inv(P)*A*P
D = 2 \times 2
     -1
             0
      0
Y = [y1(t);y2(t)]
Y =
```

```
\begin{pmatrix} y_1(t) \\ y_2(t) \end{pmatrix}
```

```
eqs=inv(P)*(diff(diff(Y,t,1),t,1) - D*inv(P)*Y -inv(P)*G(t) == 0)
```

eqs = 
$$\begin{pmatrix} \sigma_2 + \sigma_1 = 0 \\ \sigma_2 - \sigma_1 = 0 \end{pmatrix}$$

where

$$\sigma_{1} = \frac{\sqrt{2} \left( -\frac{\partial^{2}}{\partial t^{2}} y_{2}(t) + 101 \sqrt{2} \sin(10 t) - \frac{\sqrt{2} y_{1}(t)}{2} + \frac{\sqrt{2} y_{2}(t)}{2} \right)}{2}$$

$$\sigma_2 = \frac{\sqrt{2} \left( -\frac{\partial^2}{\partial t^2} y_1(t) + \frac{\sqrt{2} y_1(t)}{2} + \frac{\sqrt{2} y_2(t)}{2} \right)}{2}$$

u==inv(P)\*Y

ans =
$$\begin{pmatrix} u = -\frac{\sqrt{2} y_1(t)}{2} - \frac{\sqrt{2} y_2(t)}{2} \\ u = \frac{\sqrt{2} y_2(t)}{2} - \frac{\sqrt{2} y_1(t)}{2} \end{pmatrix}$$

l=inv(P)\*G(t)

```
1 = \begin{pmatrix} 0 \\ 101\sqrt{2}\sin(10t) \end{pmatrix}
```

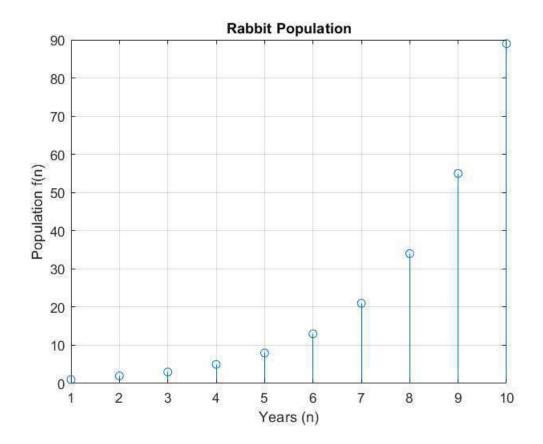
```
for i=1:length(A)
    eqs1=diff(diff(u(i),t,1),t,1) -D(i,i)*u(i)==0
    Sol(i)= dsolve(eqs1)
    pi(i)=l(i)/(-100-D(i,i))
    u(i)=Sol(i)+pi(i)
end
```

```
eqs1 = u = 0
Error using mupadengine/feval (line 195)
No differential equations found. Specify differential equations by using symbolic functions.
Error in dsolve>mupadDsolve (line 340)
T = feval(symengine,'symobj::dsolve',sys,x,options);
Error in dsolve (line 194)
sol = mupadDsolve(args, options);
```

Y=P\*u

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%Solve the DE
% x'(t)=x1-x2
% x2'(t)=2x1+4x2
 clc
clear all
syms x1(t) x2(t)
a=diff(x1)==x1-x2;
b=diff(x2)==2*x1+4*x2;
c=[a;b];
[x1(t),x2(t)]=dsolve(c)
x1(t) =
-C_1 e^{2t} - \frac{C_2 e^{3t}}{2}
x2(t) = C_1 e^{2t} + C_2 e^{3t}
clc
clear all
syms x1(t) x2(t) x3(t)
a=diff(x1)==x2
a(t) =
\frac{\partial}{\partial t} x_1(t) = x_2(t)
b=diff(x2)==x3
b(t) =
\frac{\partial}{\partial t} x_2(t) = x_3(t)
c=diff(x3)==8*x1-14*x2+7*x3
c(t) =
\frac{\partial}{\partial t} x_3(t) = 8 x_1(t) - 14 x_2(t) + 7 x_3(t)
S=[a;b;c];
cond=x1(0)==4;
cond1=x2(0)==6;
cond2=x3(0)==8;
[x1(t) x2(t) x3(t)]=dsolve(S,cond,cond1,cond2)
x1(t) =
3 e^{2t} - \frac{e^{4t}}{3} + \frac{4 e^{t}}{3}
6e^{2t} - \frac{4e^{4t}}{3} + \frac{4e^{t}}{3}
12 e^{2t} - \frac{16 e^{4t}}{3} + \frac{4 e^{t}}{3}
```

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%Program for finding rabbit population in n months
syms f(n) z F
eq = f(n+2) - f(n+1) - f(n)
 eq = f(n+2) - f(n+1) - f(n)
Zt = ztrans(eq,n,z)
 Zt = z f(0) - z z trans(f(n), n, z) - z f(1) + z^2 z trans(f(n), n, z) - z^2 f(0) - z trans(f(n), n, z)
Zt = subs(Zt, ztrans(f(n), n, z), F)
 Zt = z f(0) - F z - F - z f(1) + F z^2 - z^2 f(0)
F = solve(Zt,F)
 F =
  -\frac{z f(1) - z f(0) + z^2 f(0)}{-r^2 + r + 1}
pSol = iztrans(F,z,n);
pSol = simplify(pSol)
 pSol =
 2 \ (-1)^{n/2} \cos \left( n \ \left( \frac{\pi}{2} + \mathrm{asinh} \left( \frac{1}{2} \right) \mathrm{i} \right) \right) f(1) \\ + \frac{2^{2-n} \ \sqrt{5} \ \left( \sqrt{5} + 1 \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{1-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{1-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^{n-n} \ \sqrt{5} \ \left( 1 - \sqrt{5} \right)^{n-1} \sigma_1}{5} \\ - \frac{2 \ 2^
   where
     \sigma_1 = \frac{f(0)}{2} - f(1)
pSol = subs(pSol,[f(0) f(1)],[1 1])
 pSol =
 2 \left(-1\right)^{n/2} \cos \left(n \left(\frac{\pi}{2} + \operatorname{asinh}\left(\frac{1}{2}\right) i\right)\right) - \frac{2^{2-n} \sqrt{5} \left(\sqrt{5} + 1\right)^{n-1}}{10} + \frac{2^{1-n} \sqrt{5} \left(1 - \sqrt{5}\right)^{n-1}}{5}
nvalues = 1:10;
pSolValues = subs(pSol,n,nvalues);
pSolValues = double(pSolValues);
pSolValues = real(pSolValues);
stem(nvalues,pSolValues)
title('Rabbit Population')
xlabel('Years (n)')
ylabel('Population f(n)')
grid on
```



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%seriessoln
clc
clear all
syms x n
n=50
  n = 50
a = sym('a',[1 n+1])
   a =
    (a_1 \ a_2 \ a_3 \ a_4 \ a_5 \ a_6 \ a_7 \ a_8 \ a_9 \ a_{10} \ a_{11} \ a_{12} \ a_{13} \ a_{14} \ a_{15} \ a_{16} \ a_{17} \ a_{18} \ a_{19} \ a_{20} \ a_{21} \ a_{22} \ a_{23} \ a_{24} \ a_{25} \ 
y = sum(a.*(x).^[0:n])
    a_{51} x^{50} + a_{50} x^{49} + a_{49} x^{48} + a_{48} x^{47} + a_{47} x^{46} + a_{46} x^{45} + a_{45} x^{44} + a_{44} x^{43} + a_{43} x^{42} + a_{42} x^{41} + a_{41} x^{40} + a_{40} x^{44} + a_{44} x^{44} + a_{44} x^{45} + a_{45} x^{44} + a_{45} x^{45} + a_{45} x^{45
dy = diff(y);
d2y = diff(dy);
ode = collect(d2y-4*y,x)
  ode =
    (-4 a_{51}) x^{50} + (-4 a_{50}) x^{49} + (2450 a_{51} - 4 a_{49}) x^{48} + (2352 a_{50} - 4 a_{48}) x^{47} + (2256 a_{49} - 4 a_{47}) x^{46} + (2352 a_{50} - 4 a_{48}) x^{47} + (2450 a_{51} - 4 a_{49}) x^{48} + (2450 a_{51} - 4 a_{51}) x^{48
coef=coeffs(ode,x)
  coef =
    (2 a_3 - 4 a_1 \ 6 a_4 - 4 a_2 \ 12 a_5 - 4 a_3 \ 20 a_6 - 4 a_4 \ 30 a_7 - 4 a_5 \ 42 a_8 - 4 a_6 \ 56 a_9 - 4 a_7 \ 72 a_{10} - 4 a_{10} \ 10 a_{10} - 4 a_{
eq1=a(1)==0;
eq2=a(2)==1;
a=solve([eq1, eq2,coef(1:n-1)],a)
  a = struct with fields:
                                                  a1: [11 sym]
                                                    a2: [101 sym]
                                                  a3: [1�1 sym]
                                                  a4: [1�1 sym]
                                                  a5: [1�1 sym]
                                                  a6: [1�1 sym]
                                                  a7: [101 sym]
                                                  a8: [101 sym]
                                                 a9: [1�1 sym]
                                          a10: [11 sym]
                                          a11: [1�1 sym]
                                          a12: [1�1 sym]
                                          a13: [11 sym]
                                          a14: [11 sym]
soln=subs(y,a)
   soln =
      8644205195683235286768595007647709520704677734375
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                    58804116977436974739922415018011
```

```
% Solution using dsolve command syms z(t) dz = diff(z,t); % First order derivative d2z = diff(dz,t); % Second order derivative ode1 = d2z-4*z % given ode in series form ode1(t) = \frac{\partial^2}{\partial t^2} z(t) - 4z(t) ic1=z(0)==0 ic1 = z(0) = 0 ic2=dz(0)==1 ic2 = \left(\left(\frac{\partial}{\partial t} z(t)\right)\Big|_{t=0}\right) = 1 sol1=(dsolve(ode1,[ic1 ic2]))
```

% J0=besselj(1,1)
% Y0=bessely(1,1)
% J1=besselj(1,5)
% Y1=bessely(1,5)

% soln=subs(sol1)

hold on

fplot(soln,[0 4],'--b')

fplot(sol1,[0 4],'\*r')

% Comparison of exact and series solutions

```
% hold on
% fplot(soln(3))
% hold on
% fplot(soln(4))

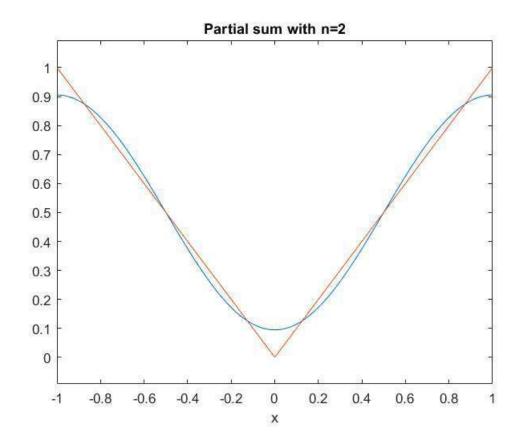
% xSol = sol.a0
% ySol = sol.a1
% zSol = sol.a2
% a3Sol = sol.a3
% p=taylor(exp(x), x, 1)
```

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%fourierseries
clc
clear all
close all
syms x k L n
% evalin(symengine, 'assume(k,Type::Integer)');
a= @(f,x,k,L) int(f*cos(k*pi*x/L)/L,x,-L,L);
b = @(f,x,k,L) int(f*sin(k*pi*x/L)/L,x,-L,L);
fs = @(f,x,n,L) a(f,x,0,L)/2 + ...
symsum(a(f,x,k,L)*cos(k*pi*x/L) + b(f,x,k,L)*sin(k*pi*x/L),k,1,n);
f=abs(x)
```

```
f = |\chi|
```

```
% pretty(fs(f,x,10,1))

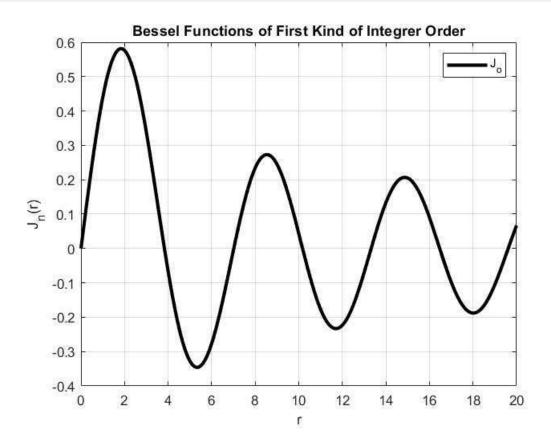
ezplot(fs(f,x,2,1),-1,1)
hold on
ezplot(f,-1,1)
hold off
title('Partial sum with n=2')
```



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%Bessel1st
clc;
clear all;
clf;
r=0:0.1:20;
% J=zeros(10,1)
J0=besselj(1,r);
J1=besselj(1,r);
J2=besselj(2,r);
figure(1)
plot(r,J0,'k','linewidth',2.5);
%hold on
% plot(r,J1,'b','linewidth',2.5);
% plot(r,J2,'r','linewidth',2.5)
 grid on
 legend('J_o','J_1','J_2')
```

Warning: Ignoring extra legend entries.

```
xlabel('r');ylabel('J_n(r)')
title('Bessel Functions of First Kind of Integrer Order')
```



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%secondorder_difference_eqn
clc
clear all
syms y(n) r
p= 2%input('Enter the coefficient of y(n+1): ')
```

p = 2

```
q= 4;
eqn=y(n+2)-p*y(n+1)-q*y(n)==0;
display('The given Difference equation is :')
```

The given Difference equation is :

display(eqn)

eqn = 
$$y(n+2) - 2y(n+1) - 4y(n) = 0$$

 $AE=r^2-p*r-q$ 

$$AE = r^2 - 2r - 4$$

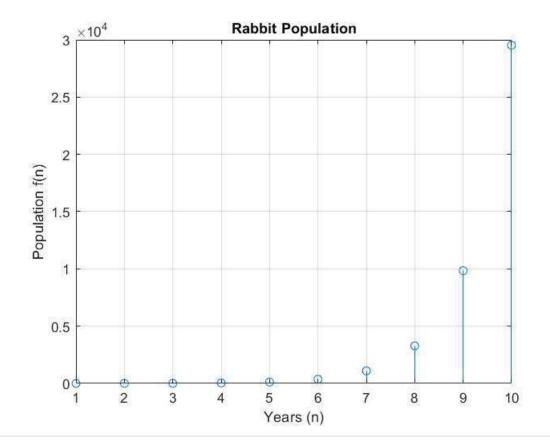
r=solve(AE)

$$\begin{array}{c}
r = \\
\left(1 - \sqrt{5}\right) \\
\sqrt{5} + 1
\end{array}$$

% if imag(r(1))~=0

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 3
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(3*(y(n+1)))+2*y(n)-(3^n)
f = y(n+2) - 3y(n+1) + 2y(n) - 3^n
fZT=ztrans(f,n,z)
fZT =
3\,z\,y(0) - 3\,z\,{\rm ztrans}(y(n),n,z) - \frac{z}{z-3} - z\,y(1) + z^2\,{\rm ztrans}(y(n),n,z) - z^2\,y(0) + 2\,{\rm ztrans}(y(n),n,z)
fZT=subs(fZT,ztrans(y(n),n,z),yZT)
2 \text{ yZT} - \frac{z}{z-3} + 3 z y(0) - z y(1) - 3 \text{ yZT } z - z^2 y(0) + \text{yZT } z^2
yZT=solve(fZT,yZT)
yZT =
\frac{z}{z-3} - 3zy(0) + zy(1) + z^2y(0)z^2 - 3z + 2
ysol=iztrans(yZT,z,n)
ysol =
y(0) \delta_{n,0} - (\delta_{n,0} - 1) \left(2 y(0) - y(1) + \frac{1}{2}\right) - \left(\frac{2^n}{2} - \frac{\delta_{n,0}}{2}\right) (2 y(0) - 2 y(1) + 2) + \frac{3^n}{2} - \frac{\delta_{n,0}}{2}
ysol=simplify(ysol)
ysol =
2y(0) - y(1) - 2^{n}y(0) + 2^{n}y(1) - 2^{n} + \frac{3^{n}}{2} + \frac{1}{2}
ysol=subs(ysol,[y(0) y(1)],[0 1])
ysol =
\frac{3^n}{2} - \frac{1}{2}
nvalues = 1:10;
ySolValues = subs(ysol,n,nvalues);
ySolValues = double(ySolValues);
ySolValues = real(ySolValues);
stem(nvalues,ySolValues)
title('Rabbit Population')
xlabel('Years (n)')
ylabel('Population f(n)')
```

grid on



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 4
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(4*(y(n+1)))+4*y(n)-(3*n)-2^n
```

$$f = y(n+2) - 4y(n+1) - 3n + 4y(n) - 2^n$$

# fZT=ztrans(f,n,z)

#### fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = 4 yZT - \frac{3 z}{(z-1)^2} - \frac{z}{z-2} + 4 z y(0) - z y(1) - 4 yZT z - z^2 y(0) + yZT z^2$$

#### yZT=solve(fZT,yZT)

yZT =
$$\frac{3z}{(z-1)^2} + \frac{z}{z-2} - 4zy(0) + zy(1) + z^2y(0)$$

$$z^2 - 4z + 4$$

#### ysol=iztrans(yZT,z,n)

ysol =

$$3n + \left(\frac{\delta_{n,0}}{4} + \frac{2^{n}(n-1)}{4}\right) (2y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + y(0) \delta_{n,0} - \frac{$$

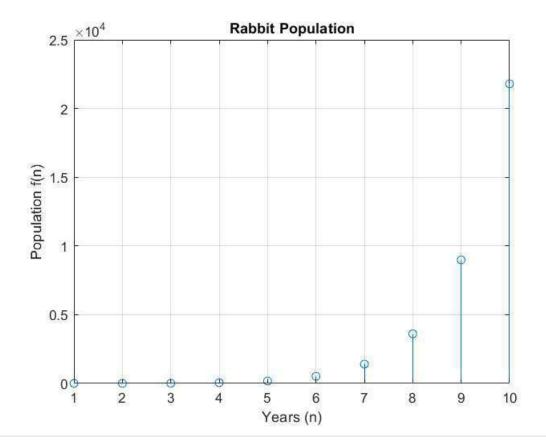
#### ysol=simplify(ysol)

ysol =
$$3n + \frac{2^{n} \binom{n-1}{2}}{4} + \frac{72^{n} n}{4} + 2^{n} y(0) - \frac{252^{n}}{4} - 2^{n} n y(0) + \frac{2^{n} n y(1)}{2} + 6$$

#### ysol=subs(ysol,[y(0) y(1)],[1 2])

ysol =
$$3n + \frac{2^{n} \binom{n-1}{2}}{4} + \frac{72^{n} n}{4} - \frac{212^{n}}{4} + 6$$

```
nvalues = 1:10;
ySolValues = subs(ysol,n,nvalues);
ySolValues = double(ySolValues);
ySolValues = real(ySolValues);
stem(nvalues,ySolValues)
title('Rabbit Population')
xlabel('Years (n)')
ylabel('Population f(n)')
grid on
```



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 5
syms y(n) z
assume(n>=0 & in(n,'integer'))
f=y(n)+((1/4)^n)*heaviside(n)
```

$$f = y(n) + \left(\frac{1}{4}\right)^n \text{heaviside}(n)$$

# fZT=ztrans(f,n,z)

$$fZT = \frac{1}{4z - 1} + ztrans(y(n), n, z) + \frac{1}{2}$$

# fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = z + \frac{1}{4z - 1} + \frac{1}{2}$$

$$f=(2*z)/(z-1)$$

$$f = \frac{2z}{z-1}$$

# inverse=iztrans(f,z,n)

inverse = 2

%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 6
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(5\*(y(n+1)))+6\*y(n)-5^n

$$f = y(n+2) - 5y(n+1) + 6y(n) - 5^n$$

# fZT=ztrans(f,n,z)

#### fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = 6 yZT - \frac{z}{z-5} + 5 z y(0) - z y(1) - 5 yZT z - z^2 y(0) + yZT z^2$$

# yZT=solve(fZT,yZT)

yZT =
$$\frac{z}{z-5} - 5zy(0) + zy(1) + z^2y(0)$$

$$z^2 - 5z + 6$$

#### ysol=iztrans(yZT,z,n)

#### ysol=simplify(ysol)

ysol = 
$$3 2^n y(0) - 2^n y(1) - 2 3^n y(0) + 3^n y(1) + \frac{2^n}{3} - \frac{3^n}{2} + \frac{5^n}{6}$$

# ysol=subs(ysol,[y(0) y(1)],[1 1])

ysol = 
$$\frac{72^n}{3} - \frac{33^n}{2} + \frac{5^n}{6}$$

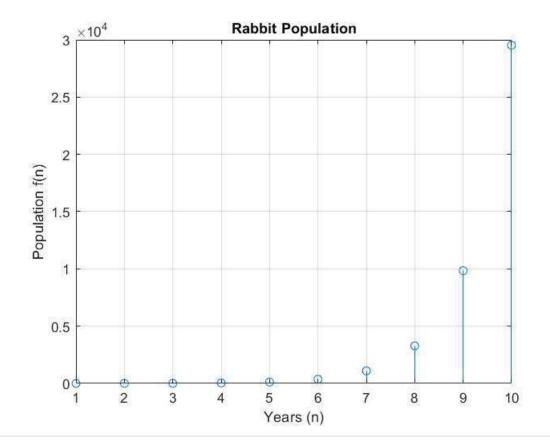
```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 1
syms x y
p=1
p = 1
q=p/2
q = 0.5000
x=0:1:5
X = 1
   0 1 2 3 4 5
y=[4,8,15,7,6,2]
y = 166
   4
      8 15 7 6 2
k=6
k = 6
1=6
1 = 6
a0=(2/k)*sum(y)
a0 = 14
for n=1:1
an=(2/k)*sum(y.*cos(n*pi*x/q))
bn=(2/k)*sum(y.*sin(n*pi*x/q))
end
an = 14
bn = -7.5928e - 15
bn = -1.5186e-14
an = 14
bn = -2.7515e-14
an = 14
bn = -3.0371e-14
an = 14
bn = -4.9806e-14
an = 14
bn = -5.5031e - 14
for n=1:1
S=an*cos(n*pi*x/q)+bn*sin(n*pi*x/q);
end
HS=(a0/2)+sum(S)
```

HS = 91

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 2
syms f(n) z p
assume(n>=0 & in(n,'integer'))
eq =f(n+2)-3*f(n+1)+2*f(n)==0
eq = f(n+2) - 3 f(n+1) + 2 f(n) = 0
Zt = ztrans(eq,n,z)
Zt =
3z f(0) - 3z z trans(f(n), n, z) - z f(1) + z^2 z trans(f(n), n, z) - z^2 f(0) + 2 z trans(f(n), n, z) = 0
Zt = subs(Zt, ztrans(f(n), n, z), p)
Zt = 2p + 3z f(0) - z f(1) - 3pz - z^2 f(0) + pz^2 = 0
p = solve(Zt,p)
\frac{z f(1) - 3 z f(0) + z^2 f(0)}{z^2 - 3 z + 2}
pSol = iztrans(p,z,n);
pSol = simplify(pSol)
pSol = 2 f(0) - f(1) - 2^n f(0) + 2^n f(1)
pSol = subs(pSol,[f(0) f(1)],[200 220])
pSol = 202^n + 180
```

```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 3
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(3*(y(n+1)))+2*y(n)-(3^n)
f = y(n+2) - 3y(n+1) + 2y(n) - 3^n
fZT=ztrans(f,n,z)
fZT =
3\,z\,y(0) - 3\,z\,{\rm ztrans}(y(n),n,z) - \frac{z}{z-3} - z\,y(1) + z^2\,{\rm ztrans}(y(n),n,z) - z^2\,y(0) + 2\,{\rm ztrans}(y(n),n,z)
fZT=subs(fZT,ztrans(y(n),n,z),yZT)
2 \text{ yZT} - \frac{z}{z-3} + 3 z y(0) - z y(1) - 3 \text{ yZT } z - z^2 y(0) + \text{yZT } z^2
yZT=solve(fZT,yZT)
yZT =
\frac{z}{z-3} - 3zy(0) + zy(1) + z^2y(0)z^2 - 3z + 2
ysol=iztrans(yZT,z,n)
ysol =
y(0) \delta_{n,0} - (\delta_{n,0} - 1) \left(2 y(0) - y(1) + \frac{1}{2}\right) - \left(\frac{2^n}{2} - \frac{\delta_{n,0}}{2}\right) (2 y(0) - 2 y(1) + 2) + \frac{3^n}{2} - \frac{\delta_{n,0}}{2}
ysol=simplify(ysol)
ysol =
2y(0) - y(1) - 2^{n}y(0) + 2^{n}y(1) - 2^{n} + \frac{3^{n}}{2} + \frac{1}{2}
ysol=subs(ysol,[y(0) y(1)],[0 1])
ysol =
\frac{3^n}{2} - \frac{1}{2}
nvalues = 1:10;
ySolValues = subs(ysol,n,nvalues);
ySolValues = double(ySolValues);
ySolValues = real(ySolValues);
stem(nvalues,ySolValues)
title('Rabbit Population')
xlabel('Years (n)')
ylabel('Population f(n)')
```

grid on



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 4
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(4*(y(n+1)))+4*y(n)-(3*n)-2^n
```

$$f = y(n+2) - 4y(n+1) - 3n + 4y(n) - 2^n$$

# fZT=ztrans(f,n,z)

#### fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = 4 yZT - \frac{3 z}{(z-1)^2} - \frac{z}{z-2} + 4 z y(0) - z y(1) - 4 yZT z - z^2 y(0) + yZT z^2$$

#### yZT=solve(fZT,yZT)

yZT =
$$\frac{3z}{(z-1)^2} + \frac{z}{z-2} - 4zy(0) + zy(1) + z^2y(0)$$

$$z^2 - 4z + 4$$

#### ysol=iztrans(yZT,z,n)

ysol =

$$3n + \left(\frac{\delta_{n,0}}{4} + \frac{2^{n}(n-1)}{4}\right) (2y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + \left(\frac{2^{n}}{2} - \frac{\delta_{n,0}}{2}\right) (y(1) - 4y(0) + 7) + \frac{2^{n}\binom{n-1}{2}}{4} + y(0) \delta_{n,0} - \frac{25\delta_{n,0}}{4} + y(0) \delta_{n,0} - \frac{$$

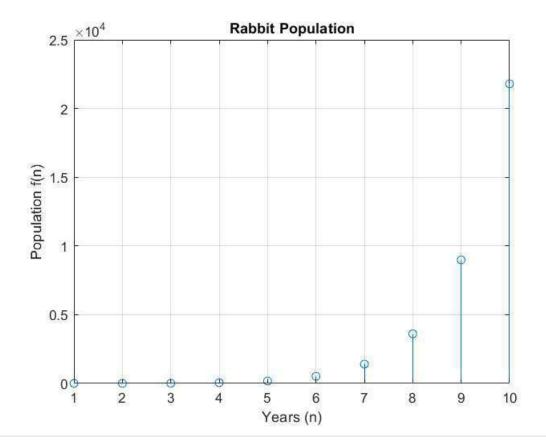
#### ysol=simplify(ysol)

ysol =
$$3n + \frac{2^{n} \binom{n-1}{2}}{4} + \frac{72^{n} n}{4} + 2^{n} y(0) - \frac{252^{n}}{4} - 2^{n} n y(0) + \frac{2^{n} n y(1)}{2} + 6$$

#### ysol=subs(ysol,[y(0) y(1)],[1 2])

ysol =
$$3n + \frac{2^{n} \binom{n-1}{2}}{4} + \frac{72^{n} n}{4} - \frac{212^{n}}{4} + 6$$

```
nvalues = 1:10;
ySolValues = subs(ysol,n,nvalues);
ySolValues = double(ySolValues);
ySolValues = real(ySolValues);
stem(nvalues,ySolValues)
title('Rabbit Population')
xlabel('Years (n)')
ylabel('Population f(n)')
grid on
```



```
%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 5
syms y(n) z
assume(n>=0 & in(n,'integer'))
f=y(n)+((1/4)^n)*heaviside(n)
```

$$f = y(n) + \left(\frac{1}{4}\right)^n \text{heaviside}(n)$$

# fZT=ztrans(f,n,z)

$$fZT = \frac{1}{4z - 1} + ztrans(y(n), n, z) + \frac{1}{2}$$

# fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = z + \frac{1}{4z - 1} + \frac{1}{2}$$

$$f=(2*z)/(z-1)$$

$$f = \frac{2z}{z-1}$$

# inverse=iztrans(f,z,n)

inverse = 2

%Valiveti manikanta bhuvanesh
%19BCD7088
%quetion 6
syms y(n) z yZT
assume(n>=0 & in(n,'integer'))
f=y(n+2)-(5\*(y(n+1)))+6\*y(n)-5^n

$$f = y(n+2) - 5y(n+1) + 6y(n) - 5^n$$

# fZT=ztrans(f,n,z)

 $\begin{aligned} & \text{FZT =} \\ & 5\,z\,y(0) - 5\,z\,\text{ztrans}(y(n), n, z) - \frac{z}{z-5} - z\,y(1) + z^2\,\text{ztrans}(y(n), n, z) - z^2\,y(0) + 6\,\text{ztrans}(y(n), n, z) \end{aligned}$ 

#### fZT=subs(fZT,ztrans(y(n),n,z),yZT)

$$fZT = 6 yZT - \frac{z}{z-5} + 5 z y(0) - z y(1) - 5 yZT z - z^2 y(0) + yZT z^2$$

# yZT=solve(fZT,yZT)

yZT =
$$\frac{z}{z-5} - 5zy(0) + zy(1) + z^2y(0)$$

$$z^2 - 5z + 6$$

#### ysol=iztrans(yZT,z,n)

#### ysol=simplify(ysol)

ysol = 
$$3 2^n y(0) - 2^n y(1) - 2 3^n y(0) + 3^n y(1) + \frac{2^n}{3} - \frac{3^n}{2} + \frac{5^n}{6}$$

# ysol=subs(ysol,[y(0) y(1)],[1 1])

ysol = 
$$\frac{72^n}{3} - \frac{33^n}{2} + \frac{5^n}{6}$$