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SUBJECT: OPERATION RESEARCH

1. Create your own (Student Record) dataset and do the summary statistics and graphs with interpretation. Use at least 25 observations with five variables.

Solution:

Code:

```
> regNo <- c("19BBS0090","19BBS0091","19BBS0092","19BBS0093","19BBS0094","19BBS0095",  
+           "19BBS0096","19BBS0097","19BBS0098","19BBS0099","19BBS0100","19BBS0101",  
+           "19BBS0102","19BBS0103","19BBS0104","19BBS0105","19BBS0106","19BBS0107",  
+           "19BBS0108","19BBS0109","19BBS0110","19BBS0111","19BBS0112","19BBS0113")  
> age<-c(18,19,20,20,18,19,18,20,17,18,18,19,20,20,18,19,18,20,17,18,18,19,20,  
> Gender <- c("Female","Male","Male","Male","Female","Female","Male","Male","Male","Male",  
+           "Male","Male","Male","Male","Female","Female","Male","Male","Male","Male","F  
> marks <- c(9,8,7,5,4,3,8,7,9,6,10,4,5,9,8,7,5,4,3,8,7,9,6,10,4)  
> year<-c(1,1,2,3,1,2,1,3,2,1,1,1,2,3,1,2,1,3,2,1,1,1,2,3,1)  
> studentInfo = data.frame(regNo, age, Gender, marks, year)
```

Output:

```
> studentInfo
```

	regNo	age	Gender	marks	year
1	19BBS0090	18	Female	9	1
2	19BBS0091	19	Male	8	1
3	19BBS0092	20	Male	7	2
4	19BBS0093	20	Male	5	3
5	19BBS0094	18	Female	4	1
6	19BBS0095	19	Female	3	2
7	19BBS0096	18	Male	8	1
8	19BBS0097	20	Male	7	3
9	19BBS0098	17	Male	9	2
10	19BBS0099	18	Female	6	1
11	19BBS0100	18	Female	10	1
12	19BBS0090	19	Male	4	1
13	19BBS0101	20	Male	5	2
14	19BBS0102	20	Male	9	3
15	19BBS0103	18	Female	8	1
16	19BBS0104	19	Female	7	2
17	19BBS0105	18	Male	5	1
18	19BBS0106	20	Male	4	3
19	19BBS0107	17	Male	3	2
20	19BBS0108	18	Female	8	1
21	19BBS0109	18	Female	7	1
22	19BBS0110	19	Male	9	1
23	19BBS0111	20	Male	6	2
24	19BBS0112	20	Male	10	3
25	19BBS0113	18	Female	4	1

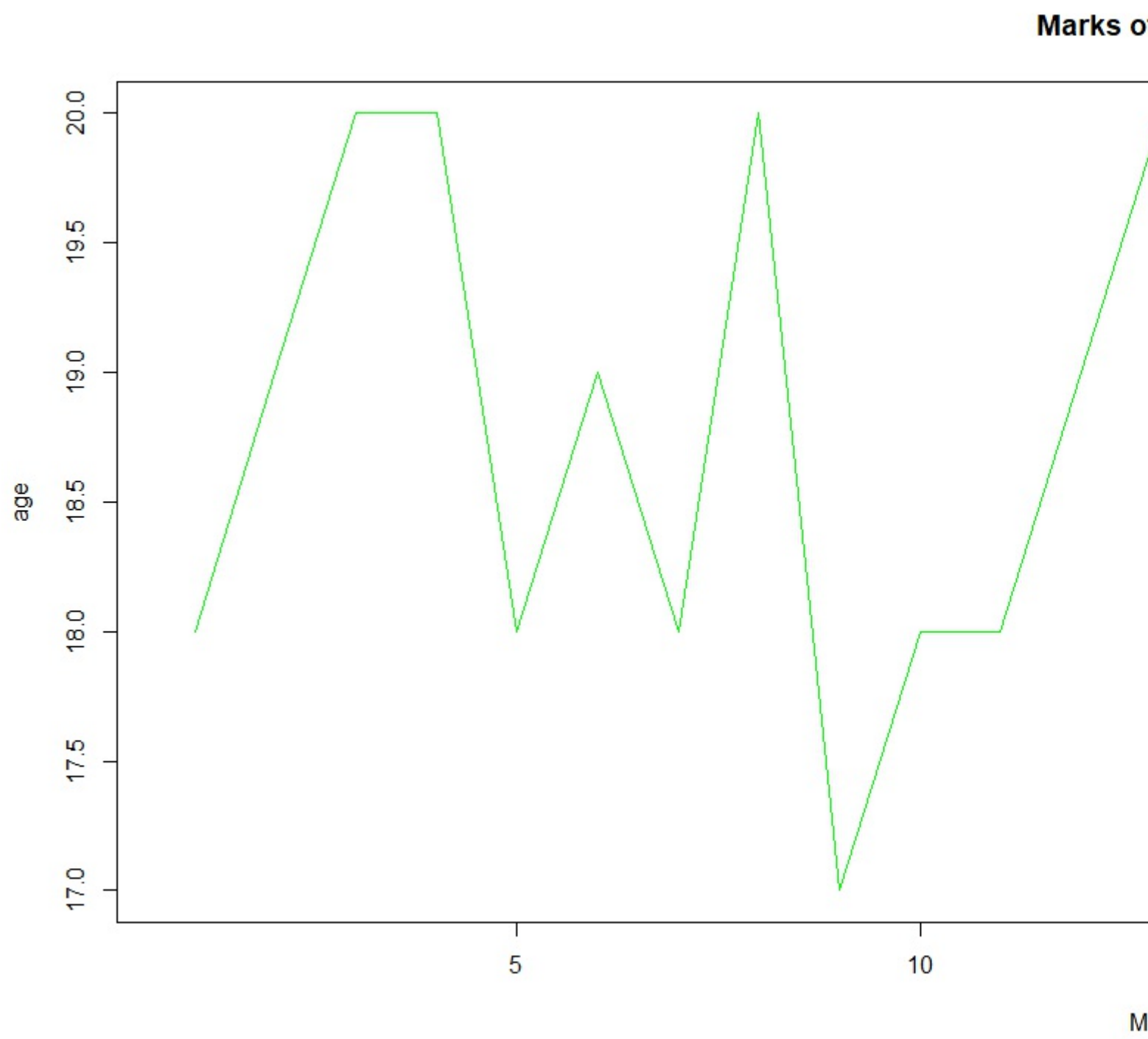
```
> summary(studentInfo)
      regNo      age      Gender      marks      year
19BBS0090: 2   Min.    :17.00   Female:10   Min.    : 3.0   Min.    :1.00
19BBS0091: 1   1st Qu.:18.00   Male  :15   1st Qu.: 5.0   1st Qu.:1.00
19BBS0092: 1   Median  :19.00           7.0   Median  :1.00
19BBS0093: 1   Mean    :18.76           6.6   Mean    :1.68
19BBS0094: 1   3rd Qu.:20.00           8.0   3rd Qu.:2.00
19BBS0095: 1   Max.    :20.00          10.0   Max.    :3.00
(Other)   :18
```

Graphs:

Codes:

```
> plot(studentInfo$age,type="l",main="Marks of Students",xlab="Marks",ylab="age")
```

Output:

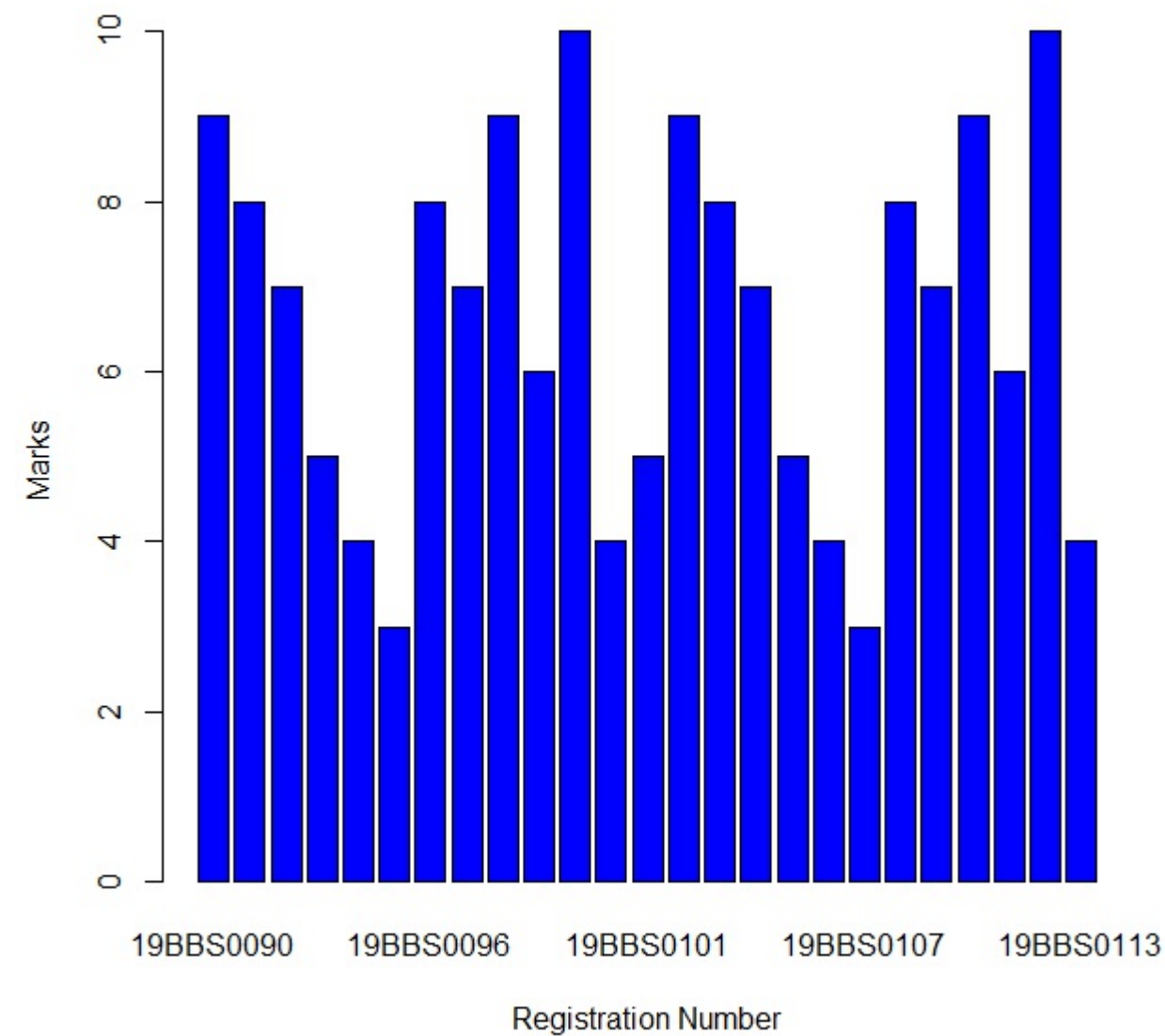


Barplot:

Code:

```
> barplot(marks, names.arg=regNo, xlab="Registration Number", ylab="Marks", col="b")
```

Output:

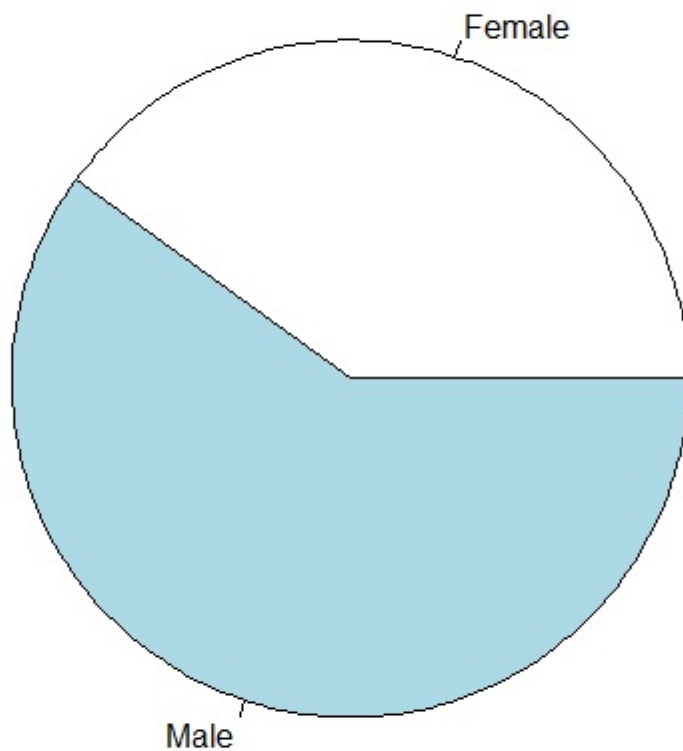


Pie Chart:

Code:

```
> table1<-table(studentInfo$Gender)  
> pie(table1)
```

Output:



2. Write the R programming code to draw the graph for the following LPP's:

i. An aviation fuel manufacturer sells two types of fuel A and B. Type A fuel is 25 % grade 1 gasoline, 25 % of grade 2 gasoline and 50 % of grade 3 gasoline. Type B fuel is 50 % of grade 1 gasoline, 50 % of grade 2 gasoline and 50 % of grade 3 gasoline. Available for production are 500 liters per hour grade 1 and 200 liters per hour of grade 2 and grade 3 each. Costs are 60 paise per liter for grade 1, 120 paise for grade 2 and 100 paise for grade 3. Type A can be sold at Rs. 7.50 per liter and B can be sold at Rs. 9.00 per liter. How much of each fuel should be made and sold to maximise the profit.

SOLUTION:

GIVEN PROBLEM IN R: AFTER DOING CALCULATIONS INSERTING THE FINAL EQUATIONS.


```

> # Max Z = 6.55x1+7.9x2
> # ie: Min Z = -6.55x1-7.9x2
> # S.T.C
> # 0.25x1<=500
> # 0.25x1+0.5x2<=200
> # 0.5x1+0.5x2<=200

```

CODE:

```

> obj.fun=function(x) -6.55*x[1] + -7.9*x[2]
> plot(1,xlim=c(0,500),ylim=c(0,500),xlab="X axis",ylab="Y axis",lty=2, lwd=
> lines(c(2000,0),lwd=2,col="blue")
> lines(c(800,0),c(0,400),lwd=2,col="blue")
> lines(c(400,0),c(0,400),lwd=2,col="blue")
> x.vert=c(0,400,0)
> y.vert=c(0,0,400)
> polygon(x.vert,y.vert,col="green")
> text(50,425,"optimal point(0,400)")
> points(0,400,pch=19,col="red")
> grad=function(x1,x2) c(-6.55,-7.9)
> minim=constrOptim(theta=c(0.1,0.1),f=obj.fun,grad=grad,ui=matrix(c(- 0.25,0,
+ 200)))

```

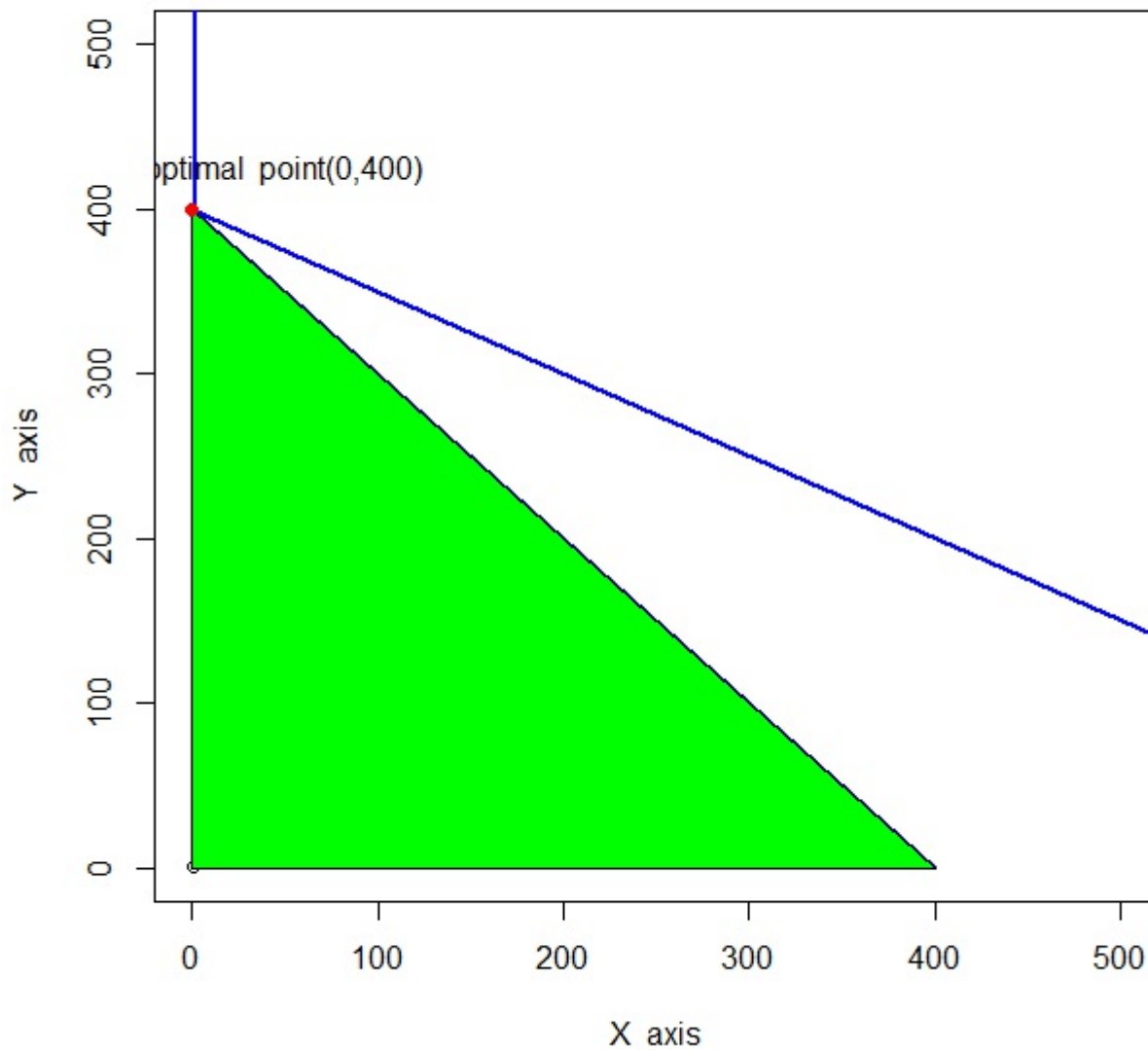
OUTPUT:

```

> minim$par
[1] 2.285244e-03 3.999977e+02
> # 0 litres of fuel A and 400 litres of fuel B should be made
> minim$val
[1] -3159.997
> # The maximum profit is ₹ 3160.

```

feasible set for linear optimization problem



ii. A company manufactures two products X_1 and X_2 on three machines A , B , and C . X_1 require 1 hour on machine A and 1 hour on machine B and yields a revenue of Rs.3/- . Product X_2 requires 2 hours on machine A and 1 hour on machine B and 1 hour on machine C and yields revenue of Rs. 5/-. In the coming planning period the available time of three machines A , B , and C are 2000 hours, 1500 hours and 600 hours respectively. Find the optimal product mix.

SOLUTION: GIVEN PROBLEM IN R

```
> # Max Z = 3x1+5x2
> # ie: Min Z = -3x1-5x2
> # S.T.C
> # x1+2x2<=2000
> # x1+x2<=1500
> # x2<=600
```

CODE:

```

> obj.fun=function(x) -3*x[1] + -5*x[2]
> plot(1,xlim=c(0,2000),ylim=c(0,800),xlab="X axis",ylab="Y axis",lty=2
+ ,lwd=1.5,main="feasible set for linear optimization problem")
> lines(c(2000,0),c(0,1000),lwd=2,col="blue")
> lines(c(1500,0),c(0,1500),lwd=2,col="blue")
> lines(c(0,600),lwd=2,col="blue")
> x.vert=c(0,1500,1000,800,0)
> y.vert=c(0,0,500,600,600)
> polygon(x.vert,y.vert,col="green")
> text(1000,550,"optimal point(1000,500)")
> points(1000,500,pch=19,col="red")
> grad=function(x1,x2) c(-3,-5)
> minim=constrOptim(theta=c(0.1,0.1),f=obj.fun,grad=grad,ui=matrix(c(-1,-2,-1

```

OUTPUT:

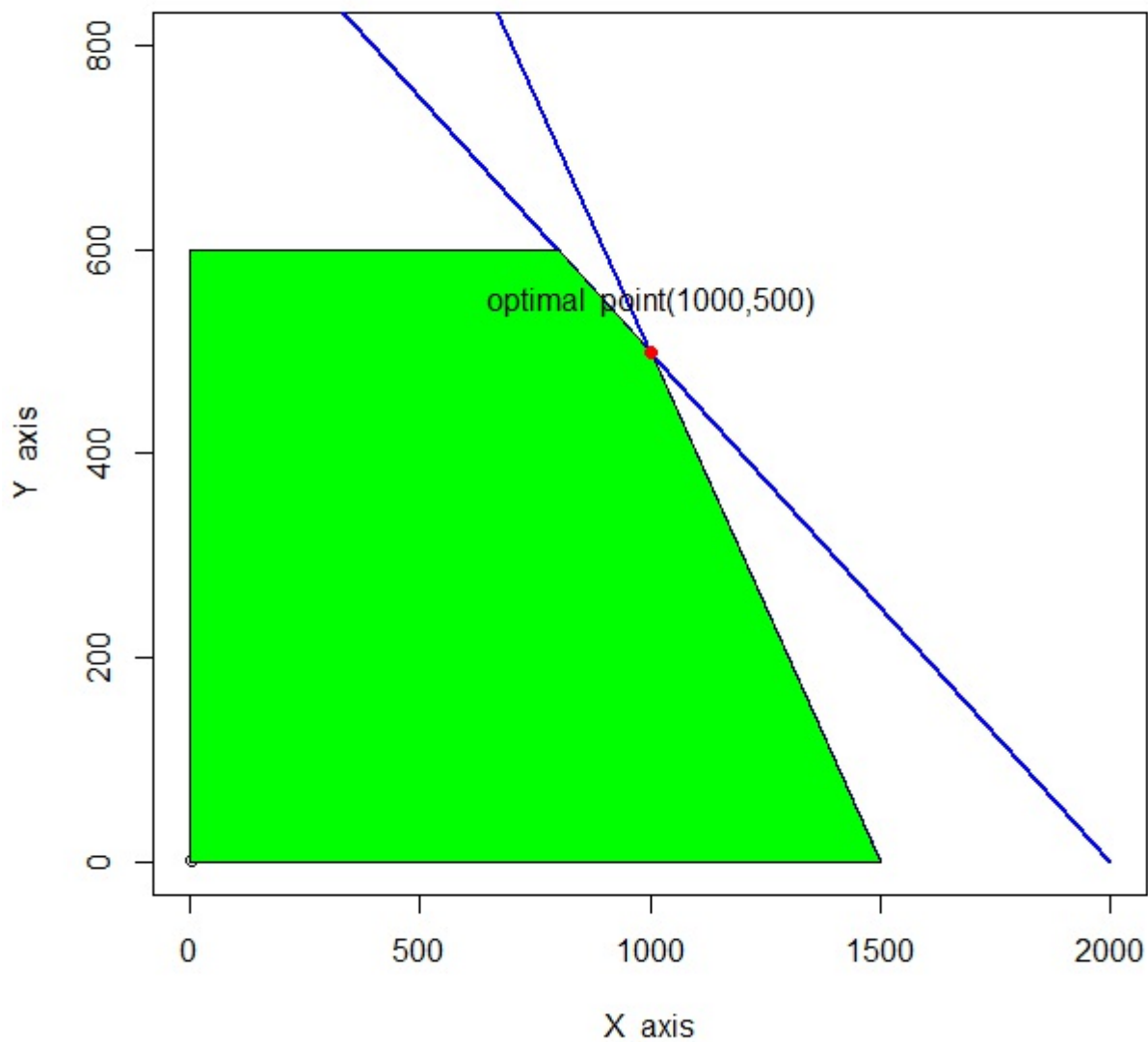
```

> minim$par
[1] 999.8393 500.0804
> minim$val
[1] -5499.92
> # Maximum revenue is ₹ 5500.
> # To maximize revenue, the company should manufacture 1000 products

```

GRAPH:

feasible set for linear optimization problem



iii. Minimize $Z = 1.5x + 2.5y$

S.T.C. $1x + 3y \geq 3$

$1x + 6y \geq 2$ and both x and $y \geq 0$.

SOLUTION:

GIVEN PROBLEM IN R:

```
> # Min Z = 1.5x+2.5y
> # S.T.C
> # x+3y>=3
> # x+6y>=2
> # x>=0
> # y>=0
```

CODE:


```

> obj.fun=function(x) 1.5*x[1] + 2.5*x[2]
> plot(1,xlim=c(0,4),ylim=c(0,1.25),xlab="X axis",ylab="Y axis",lty=2,lwd=1)
> lines(c(3,0),c(0,1),lwd=2,col="blue")
> lines(c(2,0),c(0,1/3),lwd=2,col="blue")
> x.vert=c(0,3,4,4,0)
> y.vert=c(1,0,0,1.25,1.25)
> obj.fun=function(x) 1.5*x[1] + 2.5*x[2]
> polygon(x.vert,y.vert,col="green")
> text(0.5,1.03,"optimal point(0,1)")
> points(0,1,pch=19,col="red")
> grad=function(x1,x2) c(1.5,2.5)
> minim=constrOptim(theta=c(0.1,1.1),f=obj.fun,grad=grad,ui=matrix(c(1, 3,1,6

```

OUTPUT:

```

> minim$par
[1] 5.191583e-09 1.000000e+00
> # Minimum value of Z occurs at (0,1)
> minim$val
[1] 2.5
> # Minimum value of Z is 2.5

```

GRAPH:

