# **Introduction to Arrays**

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & \dots & n \end{bmatrix}$$

#### < **Question** >: Print all elements of the array

$$A = [1, 2, 3]$$

```
print (A)
```



✓ 0s

```
for i in A:
erint (i)
```

```
TC: 10 access A(i)
TC: O(1)
```

```
A = [5, 2, 9, 6, 1]
# Option 1
print(A)

print("############"")
# Option 2
for i in range(len(A)):
    print(A[i], end = " ")

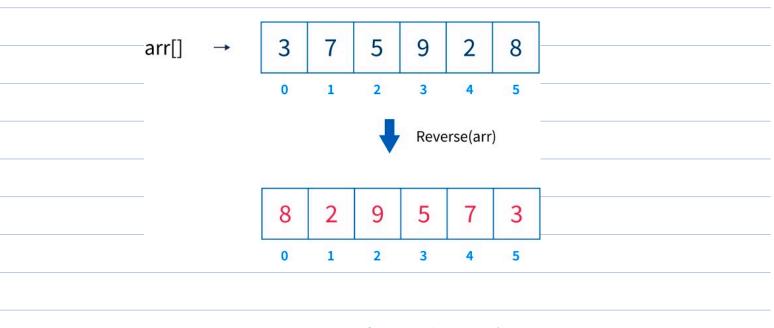
print("#############"")
# Option 3
for val in A:
    print(val, end = " ")
```

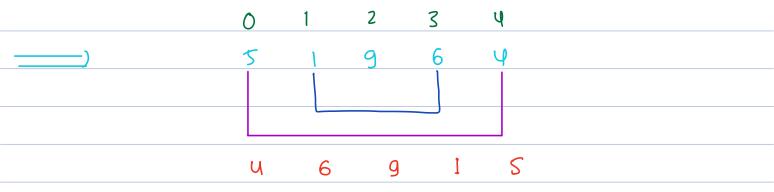
5 2 9 6 1 ###############

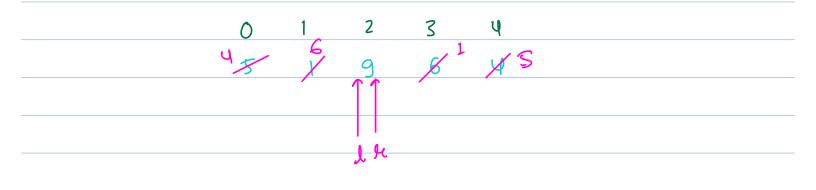
5 2 9 6 1

int arr $[5] = \{5, -4, 8, 9, 10\};$ A = [5, -4, 8, 9, 10]Find sum of 1st and 5th element print ( ATOT + ATUT)

## 2. Reverse the given array







A = [5, 9, 2, 1, 6, 8]	
# l r	
print("before", A)	
l = 0	
r = len(A) - 1	
while l < r:	
A[l], $A[r] = A[r]$ , $A[l] # swap$	
# 8, 5	
<pre>print(A)</pre>	
l += 1	
r -= 1	
print("after", A)	
# TC : 0(N)	
# SC : 0(1)	



### 3. Reverse part of an array

rr → 13 7 8 4 12 9 6 5 1 18

l = 3, r = 8

13 7 8 1 5 6 9 12 4 18

 $A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 & 3 \\ 5 & 9 & 6 & 2 & 4 & 1 \end{bmatrix}$ 

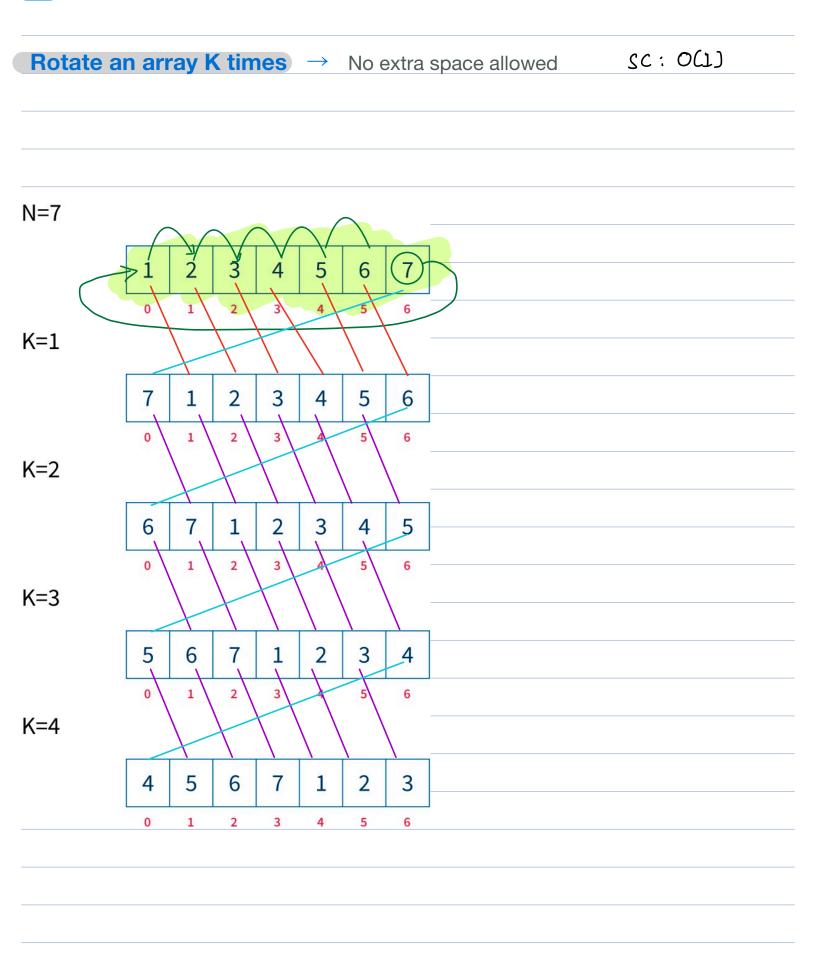
leverk a part of averay from index s to index e

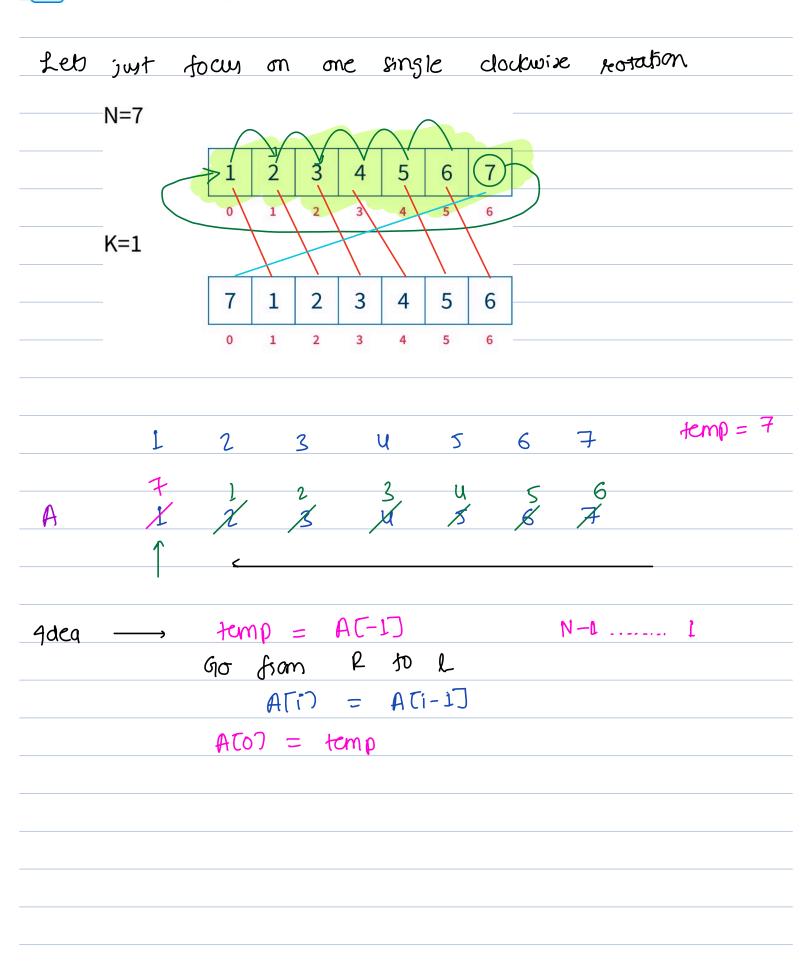
def reverse (A, S, e): l = S k = eO(N)

while I < te:

ATET, ATRT = ATRT, ATET<math>L + = L

H-=1





```
A = [5, 9, 2, 1, 6, 8]
   def rotate(A): # Rotating the array one step towards the right
      temp = A[-1] # store the last value
                    # [start, end)
      for i in range(len(A) -1, 0, -1): # N-1....1
        A[i] = A[i-1]
     A[0] = temp
print("before", A)
    K = 3
    for _ in range(K): # Loop runs exactly K times
      rotate(A)
    print("after", A)
    #####################
    # TC: 0(KN)
  # SC: 0(1)
```

0/p

## **Optimisation**

reverse (A, K, N-1) 5

K = 100 N = 7

A = [1, 2, 3, 4, 5, 6, 7]

Note: Our idea doesn't work for k>N

deg rotate k to the second 
$$(A, k)$$
:  $TC: O(N)$ 
 $N = len(A)$ 
 $k = k'i. N$ 
 $everice(A, O, N-k)$ 
 $everice(A, O, k-l)$ 
 $everice(A, O, k-l)$ 
 $everice(A, N-l)$ 
 $e$ 

TC: O(N)

Break: 9:46

A = T						
A.append (1)	#	[1]				
A.append (27	廿	F1,27				
A.pop()	井	CLJ				
Google Stock						
$\frac{\text{changes} = [-5, 10, 20]}{0, 1, 2}$	, 40	o, 50, °	-10,80, 5 6	<del>-90</del> ,	-20 8	-1D) 9

N	et	change	ίN	De	stock	frice	JE am	day	0	ю	day	9

Start day	End day	change	
	g	65	
1	ų	120	
0	0	-5	
干	9	- 120	
Ч	6	120	

< **Question** >: Given an array of N integers and Q queries. For each query calculate the sum of elements in the range - [L, R]

**Note :** L and R are indices such that  $L \le R$ .

 $1 \le N, Q \le 10^5$ 

0 1 2 3 4 5 6 7 8 9

#### Queries

L	R	
4	8	$\longrightarrow$ g
3	7	<i>→</i> 10
1	3	
0	4	——————————————————————————————————————
7	7	<i>→ - g</i>

Bruteforce -- For every query

print sum tram R.-. R

```
# 0 1 2 3 4
                                    TC: O(Q*N)
A = [1, 2, -1, 4, 9]
                                    SC: O(1)
Q = [
    [0, 1], # Q1
    [3, 4] # Q2
print(A)
for L, R in Q: ---- Q times
  total = 0
  for i in range(L, R+1): \longrightarrow N times
    total += A[i]
  print([L, R], "total = ", total)
[1, 2, -1, 4, 9]
[0, 1] total = 3
[3, 4] total = 13
```

· Given Royal Challengers Bengaluru's cricket scores for first 10 overs of batting.

	OVERS	1	2	3	4	5	6	7	8	9	10	
ROB	SCORE	2	8	14	29	31	49	65	79	88	97	

• Runs scored in 7th over = ATFI - AT67

• Runs scored from 6 - 10th over = 
$$\frac{\text{luny}}{\text{ofter}} = \frac{\text{luny}}{\text{ofter}} = \frac{\text{Ato}}{\text{offer}} = \frac{\text{A$$

• Runs scored in 10th over =  $A_{10} - A_{9} = 92 - 88 = 9$ 

	OVERS	1	2	3	4	5	6	7	8	9	10	
ROB	SCORE	2	8	14	29	31	49	65	79	88	97	

- Runs scored from 3 6th over =  $A_6 A_2 = 49 8 = 41$
- Runs scored from 4 9th over = 49 43 = 83 14 = 74
- Runs scored in lth rth over = = A(L) A(L-L)if L ! = 0

Prefix sum = cummulative sum.

#### How to create psum()

$$arr[10] \rightarrow [ -3 6 2 4 5 2 8 -9 3 1 ]$$

psum[10] = [-3 3 5 9 14 16 24 15 18 19

$$arr[6] \rightarrow [10 \ 32 \ 6 \ 12 \ 20 \ 1]$$

$$psum[10] = [10 \ 42 \ 4] \ 60 \ 10 \ 11$$

$$P = COJ * N$$
 $P(O) = A(O)$ 

for i in range 
$$(1, N)$$
:

 $P(i) = P(i-1) + A(i)$ 

```
0123456789
     arr[10] \rightarrow [-3 6 2 4 5 2 8 -9 3 1]
              123456789
    PC) -3 3 5 9 14 16 24 15 18 19
 Queries
 よ
          L
                                           \frac{14-5=g}{}
                    PTY) - PT27 =
          U
                              <del>= 16</del>
  \bigcirc
                     p(TT) - p(S) = -1
[21]
        # Optimisation using prefix sum
              0 1 2 3 4
         A = [1, 2, -1, 4, 9]
         Q = [
             [0, 1], # Q1
             [3, 4] # Q2
         1
         import itertools
         print(A)
         P = list(itertools.accumulate(A)) # This calculate prefix sum
         print(P)
         for L, R in Q:
                                     TC: OCQ)
           if L == 0:
             total = P[R]
           else:
             total = P[R] - P[L-1]
           print([L, R], "total = ", total)
     \rightarrow
         [1, 2, -1, 4, 9]
         [1, 3, 2, 6, 15]
         [0, 1] total = 3
         [3, 4] total = 13
```

By using same ouray.

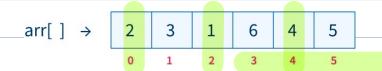
### Modification of same array into psum

$$A = \begin{bmatrix} 1 & \frac{3}{2} & \frac{6}{3} \\ v = \frac{3}{2} & \frac{1}{3} & \frac{3}{2} \end{bmatrix}$$

for i in range 
$$(1, N-1)$$
:

 $A(i) = A(i) + A(i-1)$ 

< Question > : Given an arr[N] and Q queries with start(s) and end(e) index. For every query print sum of all even indexed elements from s to e.



#### Queries

