

## **ADSP**

# LAB – 3: Investigate Phase and Magnitude

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## **EXERCISES**

## 1.) Plot 2 image signals.

### CODE:

```
% Reading the Image file
% imread function reads the image file and stores it as a matrix in MATLAB
% For grayscale images: 2D matrix (height x width)
% For RGB images: 3D matrix (height x width x 3, where the third dimension
% representing color channels: Red, Green and Blue)
image_manish = imread("My_pic_tie.png");
image ms dhoni = imread("ms-dhoni-image.jpg");
% imshow function is used for displaying the image
% imshow(image manish);
% imshow(image_ms_dhoni);
% Displaying images uploaded
% Creating a figure window
figure;
% Displaying image of myself
subplot(1, 2, 1); % means 1 row, 2 columns, 1st position
imshow(image_manish);
title('Manish Prajapati');
```

```
% Displaying image of MS Dhoni
subplot(1, 2, 2); % means 1 row, 2 columns, 2nd position
imshow(image_ms_dhoni);
title('MS Dhoni');
```

Manish Prajapati





## 2.) Plot Magnitude and Phase of image signals.

## **Answer:**

To plot the magnitude and phase of the images, we need to convert them into grayscale, as we will require to calculate the 2D Fourier Transform of the images.

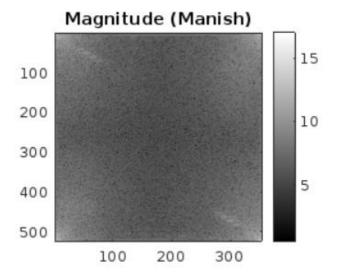
```
% PLOTTING MAGNITUDE AND PHASE OF 2 IMAGES
% FIRSTLY, we need to convert them to grayscale if they are RGB images
if size(image_manish, 3)==3
    image_manish = rgb2gray(image_manish);
end
if size(image_ms_dhoni, 3) == 3
    image_ms_dhoni = rgb2gray(image_ms_dhoni);
end

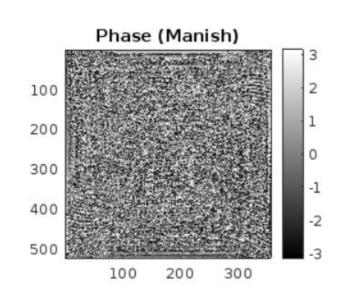
% Step - 2: Computing the 2D Fourier Transform

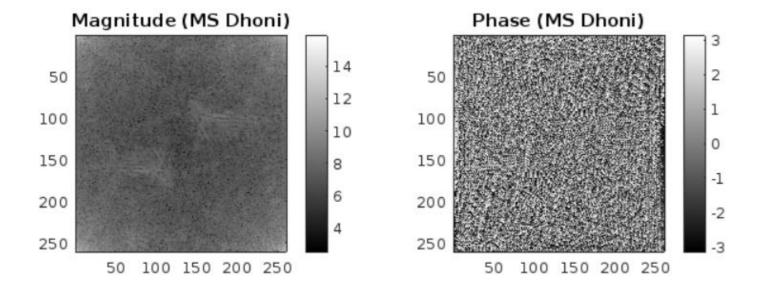
fft_manish = fft2(double(image_manish));
fft_ms_dhoni = fft2(double(image_ms_dhoni));

% Step - 3: Computing the magnitude and phase
```

```
magnitude_manish = abs(fft_manish);
phase_manish = angle(fft_manish);
magnitude_ms_dhoni = abs(fft_ms_dhoni);
phase_ms_dhoni = angle(fft_ms_dhoni);
% Step - 4: Plot Magnitude and Phase
% Plotting for myself
figure;
subplot(2, 2, 1);
% Using log-scale for better visualization
imagesc(log(1+magnitude_manish));
colormap gray;
colorbar;
title('Magnitude (Manish)');
subplot(2, 2, 2);
imagesc(phase_manish);
colormap gray;
colorbar;
title('Phase (Manish)');
% Plotting for MS Dhoni
subplot(2, 2, 3);
imagesc(log(1+magnitude_ms_dhoni));
colormap gray;
colorbar;
title("Magnitude (MS Dhoni)");
subplot(2, 2, 4);
imagesc(phase_ms_dhoni);
colormap gray;
colorbar;
title('Phase (MS Dhoni)');
```







# 3.) Exchanging Magnitude and Phase of both images and creating new ones.

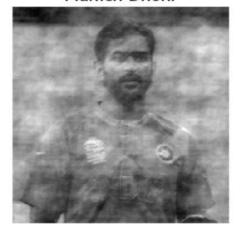
### **Answer:**

- a. ) To create these images, we need to combine the magnitude of one with the phase of the other, using polar form of complex numbers.
- b.) Then we compute the inverse fourier transform to reconstruct back the new images.

```
% EXCHANGING THE MAGNITUDE AND PHASE OF IMAGES
% Step - 1: Combining Magnitude and phase
% Combining magnitude of Manish and phase of Dhoni
manish_dhoni = magnitude_manish .* exp(1i*phase_ms_dhoni);
% Combining magnitude of MS Dhoni and phase of Manish
ms_prajapati = magnitude_ms_dhoni .* exp(1i*phase_manish);
% Step - 2: Computing Inverse Fourier Transform
manish_dhoni = real(ifft2(manish_dhoni));
ms_prajapati = real(ifft2(ms_prajapati));
```

```
% Step - 3: Normalizing and displaying the new images
% Normalizing images
manish_dhoni = mat2gray(manish_dhoni);
ms_prajapati = mat2gray(ms_prajapati);
% Displaying new images
figure;
subplot(1, 2, 1);
imshow(manish_dhoni);
title("Manish Dhoni");
subplot(1, 2, 2);
imshow(ms_prajapati);
title("MS_Prajapati");
```

Manish Dhoni



MS Prajapati



## 4.) Observations.

## **Answer:**

- ⇒ First image is combination of magnitude of Manish and phase of MS Dhoni, and the overall image created dominates to the face of MS Dhoni.
- ⇒ Second image is combination of magnitude of MS Dhoni and phase of Manish, and, overall image that was obtained, dominated to the face of Manish.
- ⇒ Hence, regardless of the Magnitude, the reconstruction of image signal heavily depends on the phase.

## Reason:

- ⇒ Phase contains critical information about the spatial structure and edges of the image, while the magnitude primarily represents the strength of the frequency components.
- ⇒ **Phase** of the Fourier transform encodes the relative timing (or alignment) of the sinusoidal components that make up the image.
- ⇒ Even small changes in the phase can significantly alter the appearance of the reconstructed image.
- ⇒ Phase determines the structure: The phase information is responsible for aligning the frequency components in such a way that they reconstruct original spatial features (e.g., edges, shapes, and textures)
- ⇒ Magnitude determines the contrast: The magnitude affects the contrast and intensity of the reconstructed image, but does not significantly alter the spatial arrangement of features.

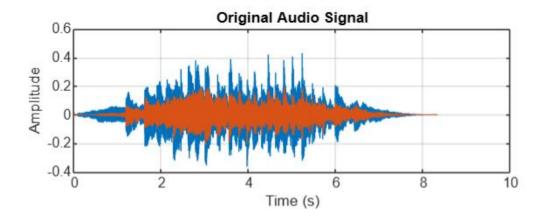
## 5.) Inverting an audio signal and listening it, i.e., convert x(t) to x(-t).

## Code:

```
% 202411012
% Inverting the audio signals and playing them
% Step - 1: Loading the audio signal/file
[audioSignal, Fs] = audioread('BAK.wav');

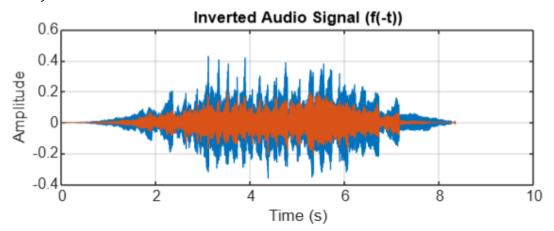
% Step - 2: Plotting the original audio signal
t = (0: length(audioSignal)-1)/Fs;

figure;
subplot(2, 1, 1);
plot(t, audioSignal);
xlabel('Time (s)');
ylabel('Amplitude');
title('Original Audio Signal');
grid on;
```



% Step - 3: Inverting the audio signal (time reversal)
% We use flip function to invert the audio file
invertedAudioSignal = flip(audioSignal);

```
% Step - 4: Plot the inverted audio signal
subplot(2, 1, 2);
plot(t, invertedAudioSignal);
xlabel('Time (s)');
ylabel('Amplitude');
title('Inverted Audio Signal (f(-t))');
grid on;
```



% Step - 5: Playing the inverted audio signal sound(invertedAudioSignal, Fs);

audiowrite('inverted\_BAK.wav', invertedAudioSignal, Fs);

