

Program 1: Tic Tac Toe

Choose one random between O & X using choice
= random.choice (0, 1)
print the choice

take input from the input player 1 using
for i range (9):

print and ask square in which player will
want to play
i = input square :
arr [i] = choice

store the value 0 or 1 in the square player
input in form of array of 1 to 9

Take input 4 times, 2 times for player
one and 2 times for player two without
using any condition

From 5th input start checking the condition
in horizontal, vertical & diagonal using index
like for

Horizontal = arr[1] = arr[2] = arr[3]

Vertical = arr[1] = arr[4] = arr[7]

Diagonal = arr[1] = arr[5] = arr[9]

With every input from 5th check condition
and if out of 8 conditions any one
condition get true end program

print the winner according to last input
of player if mean less than 0 or more

NP
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if last input is less than 0
then print "Player 1 wins"

if last input is more than 0
then print "Player 2 wins"

else print "Draw"

if last input is less than 0
then print "Player 1 wins"

if last input is more than 0
then print "Player 2 wins"

else print "Draw"

if last input is less than 0
then print "Player 1 wins"

if last input is more than 0
then print "Player 2 wins"

else print "Draw"

if last input is less than 0
then print "Player 1 wins"

Program

```
a = [ ] for i in range(3):
    flag=0
    choice= random.choice([0,1])
    for i in range(3):
        if choice == 0:
            choice == 1
            row = int(input("Player 1 enter row : ")),
            col = int(input("Player 2 enter column : "))
            if 0 <= row <= 2 and 0 <= col <= 2 and a[row][col] == 0:
                a[row][col] = 1
                print("Player 1 marks")
                break
            else:
                print("invalid move, Try again")
                print("Enter a valid input")
                break
        else:
            row = int(input("Player 2 enter row : ")),
            col = int(input("Player 1 enter column : "))
            if 0 <= row <= 2 and 0 <= col <= 2 and a[row][col] == 0:
```

```
                a[row][col] = 2
                print("Player 2 marks")
                break
            else:
                print("invalid move, Try again")
                print("Enter a valid input")
                break
    if arr[1] == arr[2] == arr[3] or arr[4] == arr[5] == arr[6] or arr[7] == arr[8] == arr[9] or arr[1] == arr[4] == arr[7] or arr[2] == arr[5] == arr[8] or arr[3] == arr[6] == arr[9] or arr[1] == arr[5] == arr[9] or arr[3] == arr[5] == arr[7]:
        print("Game over")
```

flag = 1

break;

```
print(" ", " ", " ")
```

```
print(" ", arr[1], " ", arr[2], " ", arr[3])
print(" ", " ", arr[4], " ", arr[5], " ", arr[6])
print(" ", " ", " ", arr[7], " ", arr[8], " ", arr[9])
```

```

print (" " + arr[4] + " | " + arr[5] + " | " + arr[6])
print (" " + arr[7] + " | " + arr[8] + " | " + arr[9])
if flag == 3:
    print ("Final player 3 wins!")
else:
    print ("It's draw")

```

Output

player 0

Choose the row (0-2): 0

row]

Choose the column (0-2): 0

0		

player 1

Choose the row (0-2): 0

Choose the column (0-2): 1

0		-
X		-

player 0

Choose the row (0-2): 1

Choose the column (0-2): 1

0		-
X		O

:))

player 1
Choose the row (0-2): 0
Choose the column (0-2): 1

$$\begin{array}{c|c} 0 & 1 \\ \hline x & 0 \end{array}$$

player 0:
Choose the row (0-1): 2
Choose the column (0-2): 2

$$\begin{array}{c|c} 0 & 1 \\ \hline x & 0 \end{array}$$

player 0 wins

$$\begin{array}{c|c|c} 0 & 1 & 2 \\ \hline 2 & 1 & 0 \end{array}$$

2 (n
m)

2 1

3

4

5
m

8 puzzle program (BFS)

Algorithm

- ✓ 1. Create a list of 9 elements which represents 3×3 matrix with shuffled numbers from 1 to 8 and blank space with '0' or '-'
- ✓ 2. This will be a shuffled list and the goal state where we need to reach

3. Initial state:

1	2	3
0	4	5
7	8	6

Final state:

1	2	3
4	5	6
7	8	0

- 4. To implement & using the BFS there will be one queue to explore the grid in bfs manner.

- 5. The empty space will get swap with the all the (right), (up) numbers by using the (right) (up) (down) (left) element

There is one visited queue to record the unvisited queue

$$\begin{aligned} \text{Time complexity} &= \frac{\text{all possible moves}}{\text{no. of tiles}} \\ &= \frac{2^8}{9} = 2.69 \end{aligned}$$

Example

To get:

1	2	3
4	6	
7	5	8

1	2	3
4	5	6
7	8	-

right

up

down

1	2	3
4	6	6
7	5	8

-1	2	3
1	24	6
7	5	8

1	2	3
7	4	6
-	5	8

down

up

down

right

1	2	3
4	5	6
7	-	8

1	-	3
4	2	6
7	5	8

1	2	3
4	5	6
7	5	8

left

right

1	2	3
4	5	6
-2	7	8

1	2	3
4	5	6
-	7	8

Program-

from collections import deque

def find_blank(board):

for i in range(3):

for j in range(3):

if board[i][j] == 0:

return i, j

def generate_moves(board):

moves = []

blank_row, blank_col = find_blank(board)

possible_moves =

(1, 0), (-1, 0), (0, 1), (0, -1)

for dr, dc in possible_moves:

new_row, new_col = blank_row + dr, blank_col + dc

if 0 <= new_row < 3 and 0 <= new_col < 3:

new_board = new_board[i] for row in board]

new_board[blank_col] = [blank_col]

new_board[new_row][new_col] =

- new_board[new_row][new_col];

new_board[blank_row][blank_col]

moves.append(new_board)

def solve_puzzle(initial_state, goal_state):

visited = set()

queue = deque([initial_state])

while queue:

current_state, path = queue.pop(0)

visited.add(tuple(current_state))

return path

possible_moves = generate_moves(current_state)

for move in possible_moves:

if tuple((tuple, move)) not in visited

queue.append([move_path + [move]])

return None.

```
def print_step(solution_path):
    if solution_path:
        print("step to reach the goal:")
        for step in solution_path:
            print("  ", end=" ")
            for row in step:
                print("  ", end=" ")
                if val := 0:
                    print("  ", end=" ")
                else:
                    print(val, end=" ")
            print()
        print()
    else:
        print("No solution exists for this puzzle")
```

initial:	1	2	3	
	4		6	
	7	5	8	

final state

0	1	2
3	4	5
6	7	8

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solution path = solve-puzzle (initial, goal)
print steps (solve-path)

output:

1	2	3
4		6
7	5	8

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1	2	3
4		6
7	5	8

2nd

1	2	3
4	5	6
7		8

4th

1	2	3
4	5	6
7	8	

8 puzzle using A* search

Final state

1	2	3
4	5	6
7	8	

1	2	3
4	6	5
7	8	5

be

heuristic value =
no of misplaced value
by checking the goal state
 $h=3$

$$g + h \text{ or } g + 3$$

1	2	3
4	6	5
7	8	5

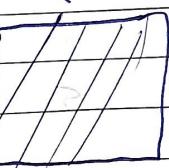
$$h=3$$

1	2	3
7	4	6
5	8	

$$h=3$$

1	2	3
4	6	5
7	8	5

$$h=2$$



$$g=1$$

Take the minimum value
and explore that state

1	2	3
4	2	6
7	5	8

$$h=3$$

1	2	3
4	5	6
7	8	

$$h=1 \text{ (min)}$$

1	2	3
4	6	5
7	5	8

$$h=3$$

1	2	3
4	6	
7	5	8

$$h=3$$

1	2	3
4	5	6
7	8	

1	2	3
4	5	6
7	8	

goal state

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Algorithm Code

```
class Node:  
    def __init__(self, data, level, fval):  
        self.data = data  
        self.level = level  
        self.fval = fval
```

```
def generate_child(self):  
    x, y = self.find(self.data[0])
```

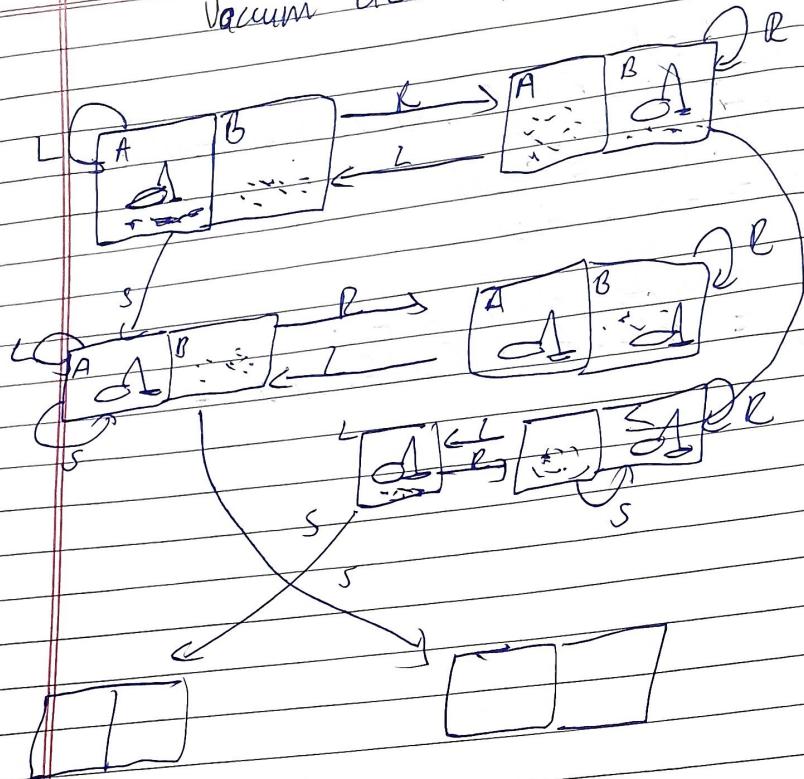
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Vacuum cleaner program



Code:

```
def vacuum_world():
    goal_state = {'A': '0', 'B': '0'}
    cost = 0
    location_input = input("Enter loc of vacuum")
    status_input = input("Enter status of " + location_input)
    status_input_complement = input("Enter the
status of the other room ")
    print("Initial location condition " + str(goal_state))
    if location_input == 'A':
        print("Vacuum is placed in location A")
        goal_state['A'] = '0'
        cost += 1
    print("Cost for A")
```

22nd

```
print(" Vacuum is placed in loco B")  
if status_input == 'j':  
    print("location B has dirt")  
goal_state['B'] = '0'  
cost += 1  
print("Cost for cleaning" + str(cost))  
else:  
    print(cost)  
    print("location B is already clean")  
    if status_input_complement == 'j':  
        print("location A is dirty")  
        print("Moving left for location A")  
        cost += 1  
        print("Cost for left")  
        goal_state['A'] = '0'  
        cost += 1  
    else:  
        print("No action" + str(cost))  
print("Goal state:")  
print("vacuum world")
```

Output:

Enter location of vacuum D

Enter status of 0

Enter states of other room J

Initial location condition & 'A' = '0'

Performance measure = 2.

Knowledge based entailment.

- (i) Define the function weather the entailment
wea (hypo premise a, b, c) where
a, b, c are predetermined conditions
- (ii) Check the entailment condition based
on criteria:

if premise = "humid" and as to:
return true
else if premise = "cloudy and b" to:
return true
else if premise = "other-condition" and
or
return true
else
return false.

example usage of the condition

premise condition = "humid" or

premise condition = "cloudy" or

premise condition = "other condition"

hypothesis test = "The weather is uncomfortable."

4= Assume predetermined condition
for humidity : cloudiness and
other conditions like

cloudiness-condition = 60

other condition = 40

5= call the function weather_entailment()

6= Check the result and print appropriate

message

Output
knowledge base = implies $(p, q) \wedge (q, r)$

Query: p

Query \vdash entails knowledge base = True

Knowledge based resolution

```
def KB = P, -PVQ, PV -> QVR, T CVR
```

```
from sympy.logic import Or, And, Not
from sympy import abc import P, Q, R
```

```
def main():
```

```
try:
```

```
expression1 = P
```

```
expression2 = Or(Not(P), Q)
```

```
expression3 = Or(Not(Q), R)
```

```
expression4 = Or(Not(R), T)
```

```
knowledge_base = And(expression1, expression2,  
                     expression3, expression4)
```

```
print("Knowledge Base:")
print(knowledge_base)
```

```
resolved_kb = knowledge_base.simplify()
print("In Resolved Knowledge base:")
print(resolved_kb)
```

```
negation_of_P = Not(P)
```

```
negation_of_Q = Not(Q)
```

```
negation_of_R = Not(R)
```

```
print("In Negation of P:")
print(not negation_of_P)
```

```
print("In Negation of Q:")
print(not negation_of_Q)
```

```
print ("In Negation of R:")
print (negation_of_R)
```

else

except Exception as e:
 print ("An error occurred: " + str(e))

```
if name_ == "__main__":
    main()
```

Output -

Knowledge Base:

$$P \wedge (\neg P) \wedge (R \wedge \neg Q) \wedge (P \vee R \wedge \neg Q)$$

Resolved knowledge base:

True

Negation of P:

$\neg P$

Negation of Q:

$\neg Q$

Negation of R:

$\neg R$

Program - 8

Implement unification in first order logic

def unify_var (var, x, theta):

if var in theta:

return unify (theta[var], x, theta)

else if x in theta:

return unify (var, theta[x], theta)

else:

theta [var] = x

return theta

def unify (x, y, theta = {}):

if theta is None:

return None

else if x == y

return theta

else if is instance (x, str) and x(0). is lower():

return unify_var (x, y, theta)

else if is instance (y, str) and y(0). is lower():

return unify_var (y, x, theta)

else if is instance [x, list] and is instance (y, list):

if len(x) != len(y)

return None

for x_i, y_i in zip (x, y):

theta = unify (x_i, y_i, theta)

if theta is None:

return None

return theta

else:

return None.

~~x = ['p', 'a', 'x']~~

~~y = ['p', 'y', 'z']~~

~~result = unify (x,y)~~

Input:

Expression 1: ['p', 'a', 'x']

Expression 2: ['p', 'y', 'z']

Output

Unification successful

Substitution theta : { 'x': 'z', 'y': 'a' }

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Program 9

→ Implement a given first order logic statement into conjunctive Normal form (CNF).

from sympy import symbols, to_cnf, parse_expr

def convert_to_cnf(logic_statement):

 parsed_statement = parse_expr(logic_statement)

 cnf = to_cnf(parsed_statement)

 return cnf.

```
if __name__ == "__main__":
    logic_statement = "(p1 ∼ q) ∧ (p2 ∨ r)"
    cnf_result = convert_to_cnf(logic_statement)
    print("Original Statement:", logic_statement)
    print("CNF Form:", cnf_result)
```

Output

Original Statement : $(A \wedge B) \vee (\neg C \wedge D)$

CNF Form : $(A \wedge \neg C) \wedge (A \wedge D) \wedge (B \wedge \neg C)$

$\wedge (B \wedge D)$

Program 10

Create a knowledge base consisting of first order logic statements & prove the given query using forward reasoning

from sympy import symbols, Eq, And, Or, Implies
ask satisfiable

John, Mary, Alice, Bob = symbols ('John', 'Mary', 'Alice', 'Bob')

Parent = symbols ("Parent")

Grandparent = symbols ("Grandparent")

Knowledge_base = [Eq(� Parent(John, Alice), True),
 Eq(� Parent(Mary, Alice), True),
 Eq(� Parent(Alice, Bob), True),
 Implies(� Parent(x, y), Grandparent(x, y)),
]

query = Grandparent(John, Bob)

def forward_reasoning(knowledge_base, query):
 new_facts = set()

while True:

for fact in knowledge_base:

if ask(fact):

continue

if satisfiable(fact):

new_facts.add(fact)

if not new_facts:

break

knowledge-base extend (new-facts)
return ask (query)

result = forward-reasoning (knowledge-base query)
print ("Query", query)
print ("Result", result)

Output:
Query: Grandparent (John, Bob)

Result: Rule:

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