

14.581 International Macroeconomics

— Lecture 17: Fragmentation (Theory) —

Today's Plan

- ① Trade in Tasks
- ② Sequential Production
- ③ Multinational Production

Fragmentation of production

Do we really need new theories?

- In the previous lecture, we have discussed how to measure fragmentation using global input-output tables
- **Question:**
Is “fragmentation” just a fancy name for “trade in intermediate goods”? Can we just relabel final goods as intermediates and recycle existing trade models?
- **Some answer(s):**
 - ① It is about trade in intermediate goods, but new models emphasize differences in trade costs across goods (e.g. how routine a particular “task” may be), which previous models abstract from
 - ② Sequential nature of production may also introduce new considerations (e.g. the magnification of trade costs that we saw in Yi 2003 and Yi 2010)
 - ③ It is *not just* about trade in intermediate goods, since “fragmentation” also usually includes a transfer of technology from one country to another (since same firm may be active in multiple countries)
- In the rest of this class we’ll discuss a number of neoclassical models aimed to shed light on these new considerations

1. Trade in Tasks

Grossman and Rossi-Hansberg (2008)

Assumptions

- As in Heckscher-Ohlin model:
 - There are two countries, Home and Foreign
 - There are 2 tradeable goods, $i = 1, 2$
 - There are two factors of production, L and H
- In contrast with Heckscher-Ohlin model:
 - Production process involves a large number of *tasks* $j \in [0, 1]$
- Tasks are of two types:
 - L -tasks which require 1 units of low-skilled labor
 - H -tasks which require 1 units high-skilled labor

Grossman and Rossi-Hansberg (2008)

Offshoring Costs

- Tasks vary in their offshoring costs
 - because some tasks are easier to codify
 - because some services must be delivered personally, while others can be performed at a distance with little loss in quality
- To capture this idea, GRH assume that:
 - H -tasks cannot be offshored
 - L -tasks can be offshored, but amount of low-skilled labor necessary to perform task j abroad is given by $\beta t(j) > 1$
- Under this assumption,
 - β reflects overall feasibility of offshoring at a point in time (e.g. communication technology)
 - $t(j)$ is an increasing function which captures differences in offshoring costs across tasks (e.g. cleaning room vs. call center)

Grossman and Rossi-Hansberg (2008)

The Offshoring Decision

- Suppose that wages for low-skilled labor are higher at Home

$$w_L > w_L^*$$

- Benefit of offshoring \equiv lower wages abroad
- Cost of offshoring \equiv loss in productivity captured by $\beta t(j)$
- In a competitive equilibrium, firm will offshore tasks if and only if:

$$\beta t(j) w_L^* < w_L$$

- Let $J \in [0, 1]$ denote the marginal task that is being offshored

$$\beta t(J) w_L^* = w_L \tag{1}$$

Grossman and Rossi-Hansberg (2008)

Offshoring as Factor Augmenting Technological Change

- The cost of producing one unit of some good is given by

$$c_i = a_{Li} [w_L(1 - J) + w_L^* \beta T(J)] + a_{Hi} w_H \quad (2)$$

with $T(J) \equiv \int_0^J t(j) dj$, $w_H \equiv$ wage of high-skilled workers at Home

- Substituting (1) into (2), we obtain

$$c_i = a_{Li} w_L \Omega + a_{Hi} w_H$$

where $\Omega = (1 - J) + \frac{T(J)}{t(J)} < 1$

- This looks just like the cost equation of a firm that employs low-skilled workers whose productivity is (inversely) measured by Ω
 - Hence, offshoring is economically equivalent to labor-augmenting technological progress

Grossman and Rossi-Hansberg (2008)

Productivity effect

- **Proposition** *If Home is a small open economy that produces both goods, a decrease in β increases w_L*
- **Proof:**

- ① Zero profit requires:

$$p_i = a_{Li}w_L\Omega + a_{Hi}w_H, \quad i = 1, 2$$

- ② Since Home a small open economy, p_i does not depend on β
- ③ This implies that $w_L\Omega$ (and w_H) do not depend on β either
- ④ Since Ω is decreasing in β , we get w_L increasing in β

Grossman and Rossi-Hansberg (2008)

Other effects

- **Productivity effect** implies that workers whose jobs are being offshored benefit from decrease in offshoring costs
- In general, a decrease in offshoring costs would also have:
 - ① **Relative-price effect**. If country is not small compared to the rest of the world, changes in β will also affect p_2/p_1
 - ② **Labor-supply effect**. If there are more factors than produced goods, changes in β will also affect $w_L\Omega$ and w_H at constant prices
- Simplest way to illustrate labor-supply effect is to consider case where Home is completely specialized in one good
 - this is the effect that has received the most attention in popular discussions
 - empirically, is it more or less important than the other two?

2. Sequential Production

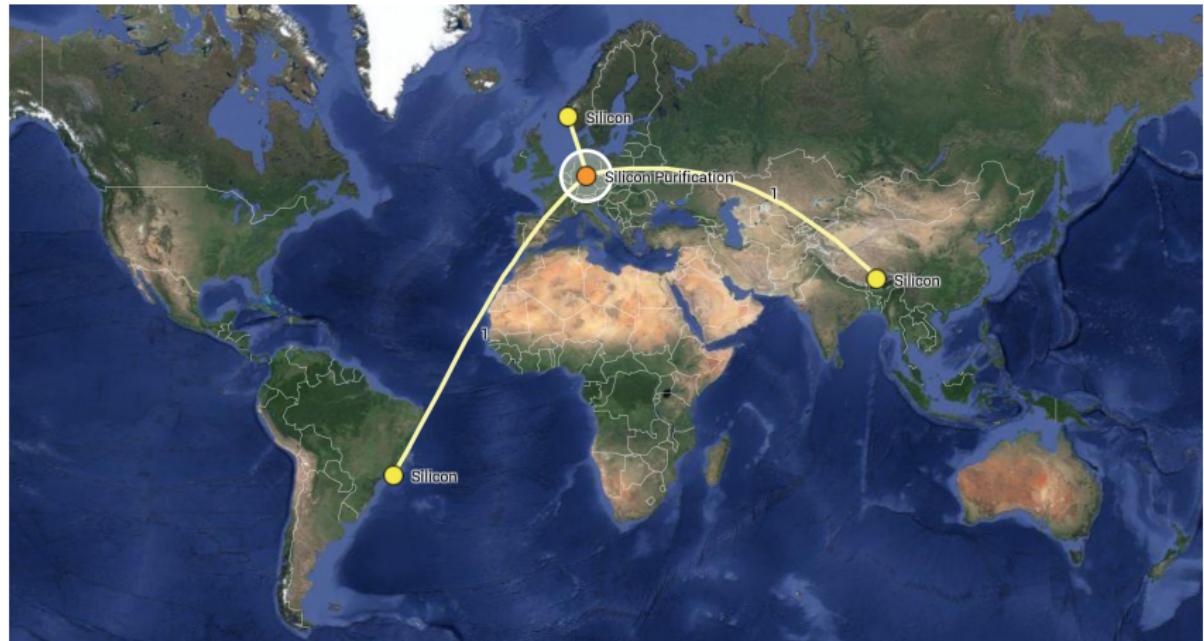
An Example of Sequential Production

Global Semiconductor Industry



An Example of Sequential Production

Global Semiconductor Industry



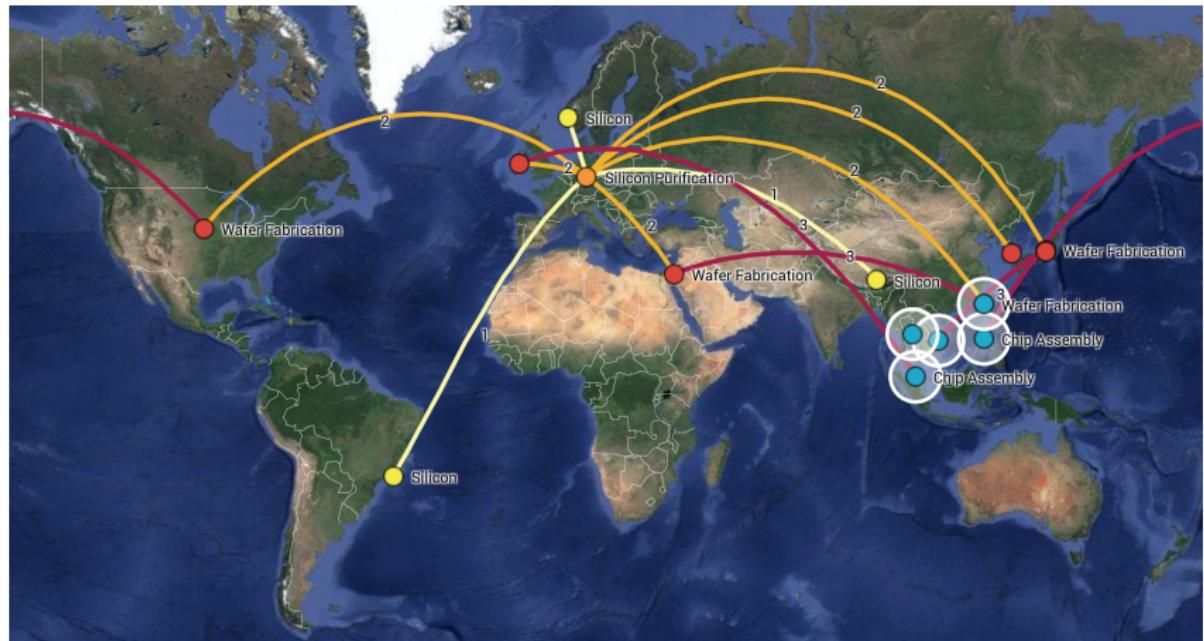
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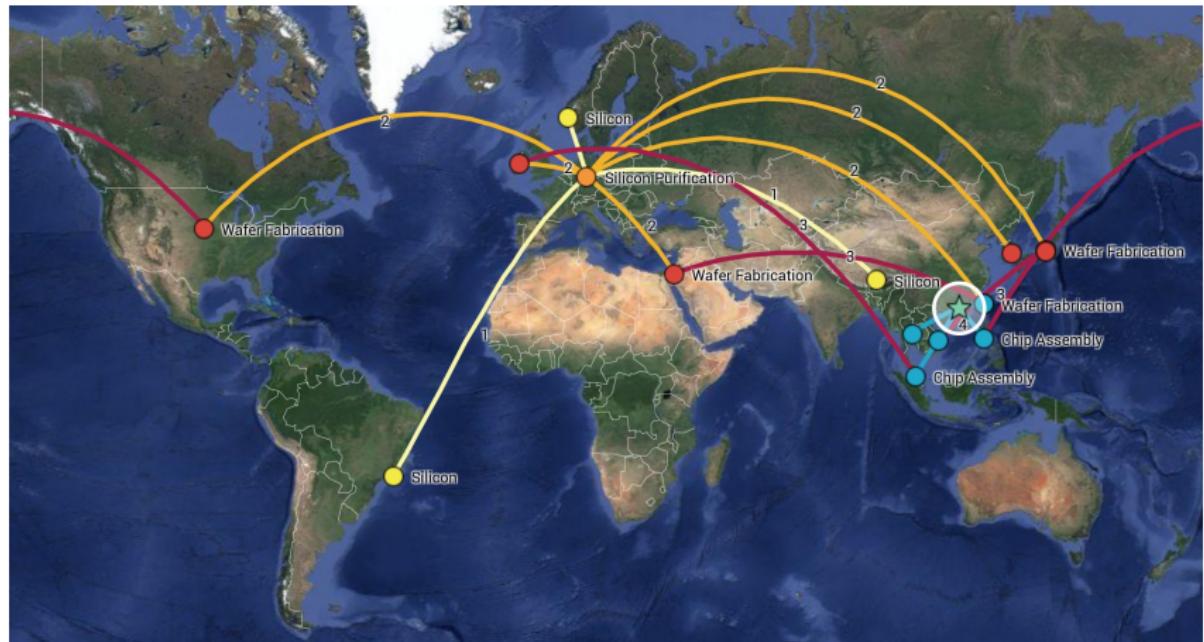
An Example of Sequential Production

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An Example of Sequential Production

Global Semiconductor Industry



- A simple trade model with sequential production:
 - Multiple countries, one factor of production (labor), and one final good
 - Production of final good requires a continuum of intermediate stages
 - Each stage uses labor and intermediate good from previous stage
 - Production is subject to mistakes (Sobel 1992, Kremer 1993)
- Key simplifications:
 - Intermediate goods only differ in the order in which they are performed
 - Countries only differ in terms of failure rate
 - All goods are freely traded

- Consider a world economy with multiple countries $c \in \mathcal{C} \equiv \{1, \dots, C\}$
- There is one factor of production, labor:
 - Labor is inelastically supplied and immobile across countries
 - L_c and w_c denote the endowment of labor and wage in country c
- There is one final good:
 - To produce the final good, a continuum of stages $s \in \mathcal{S} \equiv (0, S]$ must be performed (more on that on the next slide)
- All markets are perfectly competitive and all goods are freely traded
 - We use the final good as our numeraire

- At each stage, producing 1 unit of intermediate good requires a fixed amount of previous intermediate good and a fixed amount of labor
 - “Intermediate good 0” is in infinite supply and has zero price
 - “Intermediate good S ” corresponds to final good mentioned before
- Mistakes occur at a constant Poisson rate, $\lambda_c > 0$
 - λ_c measures total factor productivity (TFP) at each stage
 - Countries are ordered such that λ_c is strictly decreasing in c
- When a mistake occurs, intermediate good is entirely lost
- Formally, if a firm combines $q(s)$ units of intermediate good s with $q(s)ds$ units of labor, the output of intermediate good $s + ds$ is

$$q(s + ds) = (1 - \lambda_c ds) q(s)$$

- In spite of arbitrary number of countries, unique free trade equilibrium is characterized by simple system of first-order difference equations
- This system can be solved recursively by:
 - ① Determining assignment of countries to stages of production
 - ② Computing prices sustaining that allocation as an equilibrium outcome
- Free trade equilibrium always exhibits vertical specialization:
 - ① More productive countries, which are less likely to make mistakes, specialize in later stages of production, where mistakes are more costly
 - ② Because of sequential production, *absolute productivity differences* are a source of *comparative advantage* between nations
- Cross-sectional predictions are consistent with:
 - ① “Linder” stylized facts
 - ② Variations in value added to gross exports ratio (Johnson Noguera 12)

- Comprehensive exploration of how technological change, either *global* or *local*, affects different participants of a global supply chain
- Among other things, we show that:
 - ① Standardization—uniform decrease in failure rates around the world—can cause welfare loss in rich countries: a strong form of immiserizing growth
 - ② Spillover effects are different at the bottom and the top of the chain: monotonic effects at the bottom, but not at the top
- **Broad message:** *Important to model sequential nature of production to understand consequences of technological change in developing and developed countries on trading partners worldwide*

Antràs and de Gortari (2017)

Adding General Geography of Trade Costs

- Consider optimal location of production for the different stages in a sequential GVC
- Without trade frictions \approx standard multi-country sourcing model
- With trade frictions, matters become trickier
- Location of a stage takes into account upstream and downstream locations
 - Where is the good coming from? Where is it going to?
 - Need to solve jointly for the optimal path of production

Antràs and de Gortari (2017)

A Multi-Stage Ricardian Model

- Framework will accommodate:
 - Ricardian differences in technology across stages and countries
 - A continuum of final goods
 - Multiple GVCs producing each of these final goods
 - An arbitrary number of countries J and stages N
- Model will **not** predict the path of each specific GVC. Instead:
 - Characterize the relative prevalence of different possible GVC
 - Study average positioning of countries in GVCs
 - Intuitively, countries facing higher trading frictions should tend operate more upstream, where gross output losses associated with those tend to be lower
 - Related to Sobel/Kremer/CVW's channel
 - Trace implications for the world distribution of income

- Preferences are

$$u\left(\left\{y_i^N(z)\right\}_{z=0}^1\right) = \left(\int_0^1 \left(y_i^N(z)\right)^{(\sigma-1)/\sigma} dz\right)^{\sigma/(\sigma-1)}, \quad \sigma > 1$$

- Technology features CRS and Ricardian technological differences

$$p_j^F(\ell) = \tau_{\ell(N)j} \times \prod_{n=1}^{N-1} \left(\tau_{\ell(n)\ell(n+1)}\right)^{\beta_n} \times \prod_{n=1}^N \left(a_{\ell(n)}^n c_{\ell(n)}\right)^{\alpha_n \beta_n}$$

with α_n = share of composite input at stage n and $\beta_n = \prod_{m=n+1}^N (1 - \alpha_m)$

- Composite input = labor and CES aggregator in $u(\cdot)$

- $c_i = (w_i)^{\gamma_i} (P_i)^{1-\gamma_i}$, where P_i is the ideal consumer price index

- In Eaton and Kortum (2002) with $N = 1$, they assume $1/a^j(z)$ is drawn for each good z independently from the Fréchet distribution

$$\Pr(a_n^j(z) \geq a) = e^{-T_j a^\theta}, \text{ with } T_j > 0$$

- **Problem:** The distribution of the product of Fréchet random variables is **not** distributed Fréchet
 - The same would be true with fixed proportions (sum of Fréchets)
 - How can one recover EK's magic in a multi-stage setting?

Antràs and de Gortari (2017)

The Challenge: Two Solutions

- ① If a production chain follows the path $\{\ell(1), \ell(2), \dots, \ell(N)\}$, then

$$\Pr \left(\prod_{n=1}^N \left(a_{\ell^j(n)}^n \right)^{\alpha_n \beta_n} \geq a \right) = \exp \left\{ -a^\theta \prod_{n=1}^N \left(T_{\ell(n)} \right)^{\alpha_n \beta_n} \right\}$$

- Randomness can be interpreted as uncertainty on compatibility
- ② Decentralized equilibrium in which stage-specific producers do not observe realized prices before committing to sourcing decisions
 - Firms observe the productivity levels of their potential direct (or tier-one) suppliers
 - But not of their tier-two, tier-three, etc. suppliers

Antràs and de Gortari (2017)

Some Results

- Likelihood of a particular GVC ending in j is

$$\pi_{\ell^j} = \frac{\left(\tau_{\ell^j(N)j}\right)^{-\theta} \times \prod_{n=1}^{N-1} \left(\tau_{\ell^j(n)\ell^j(n+1)}\right)^{-\theta\beta_n} \times \prod_{n=1}^N \left(\left(c_{\ell^j(n)}\right)^{-\theta} T_{\ell^j(n)}\right)^{\alpha_n \beta_n}}{\Theta_j}$$

where Θ_j is the sum of the numerator over all possible paths

- Notice that trade costs again matter more downstream than upstream
- Can compute final-good trade shares and intermediate input shares as explicit functions of T_j 's, c_j 's, and τ_{ij} 's (conditional probabilities)
- Can also express labor market clearing as a function of transformations of these probabilities

Antràs and de Gortari (2017)

Gains from Trade

- Consider a ‘purely-domestic’ value chain that performs all stages in a given country j to serve consumers in the same country j
- Such value chain captures a share of country j ’s spending equal to

$$\pi_{jN} = \Pr(j, j, \dots, j) = \frac{(\tau_{jj})^{-\theta(1+\sum_{n=1}^{N-1} \beta_n)} \times (c_j)^{-\theta} T_j}{\Theta_j}$$

- We can then show

$$\frac{w_j}{P_j} = \left(\kappa (\tau_{jj})^{1+\sum_{n=1}^{N-1} \beta_n} \right)^{-1/\gamma_j} \left(\frac{T_j}{\pi_{jN}} \right)^{1/(\theta\gamma_j)}$$

- Under autarky $\pi_{jN} = 1$, so the (percentage) real income gains from trade, relative to autarky, are given by

$$\left(\pi_{jN} \right)^{-1/(\theta\gamma_j)} - 1$$

Antràs and de Gortari (2017)

Calibration to World-Input Output Database

- Map multi-country Ricardian framework to world Input-Output Tables
- World Input Output Database: Released in 2016
- 43 countries (86% of world GDP) + ROW
- Yearly: 2000-2014 (use 2014 data)
- Provides information on input and final output flows across countries

		Input use & value added			Final use			Total use
		Country 1	...	Country J	Country 1	...	Country J	
Intermediate inputs supplied	Country 1							
	...							
	Country J							
Value added								
Gross output								

- Normalizing $\tau_{ii} = 1$, it turns out that

$$(\tau_{ij})^{-\theta} = \sqrt{\frac{\pi_{ij}^F}{\pi_{ii}^F} \frac{\pi_{ji}^F}{\pi_{jj}^F}}$$

- Estimate (T_j, γ_j) for all j and α_n for all n targeting:
 - Diagonal of intermediate input and final-good share matrices
 - Ratio of value added to gross output by country
 - GDP shares by country (also take into account trade deficits)

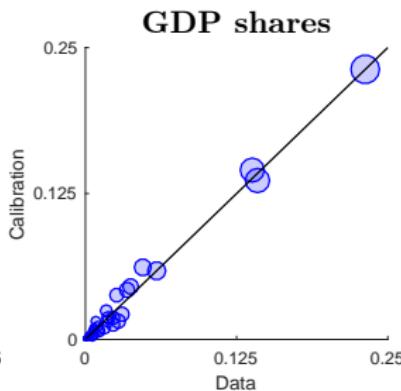
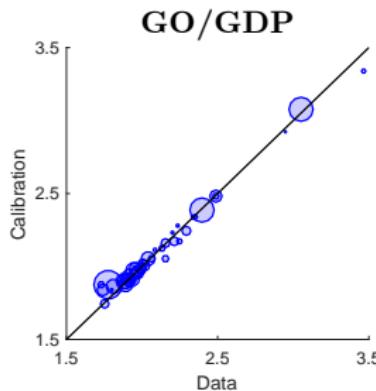
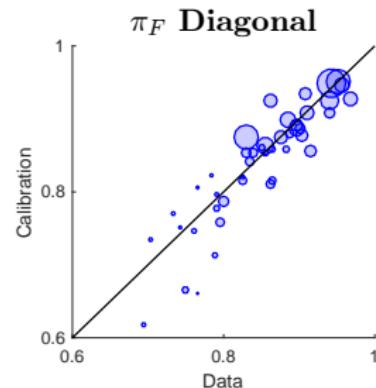
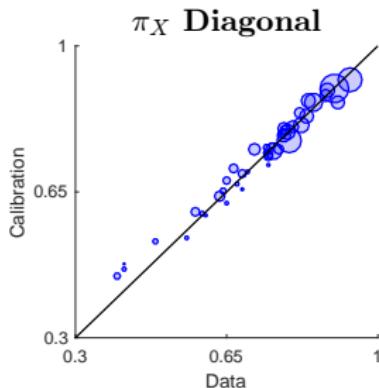
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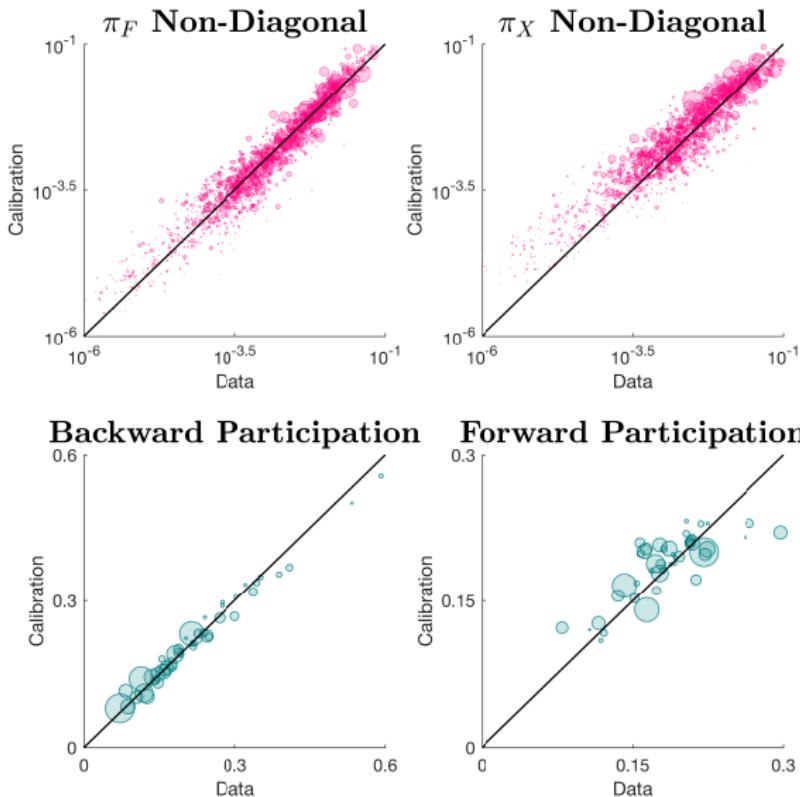
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 - Diagonal of intermediate input and final-good share matrices
 - Ratio of value added to gross output by country
 - GDP shares by country (also take into account trade deficits)
- We set $N = 2$ (so far data is 'rejecting' $N > 2$) and $\theta = 5$
- We find $\alpha_2 = 0.16$ (remember $\alpha_1 = 1$ by assumption)
 - Hence, data rejects a standard roundabout model ($\alpha_2 = 1$)

Antràs and de Gortari (2017)

Fit of the Model: Targeted Moments

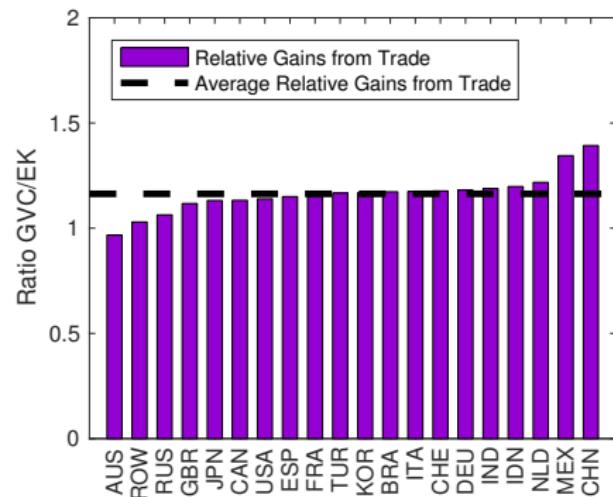
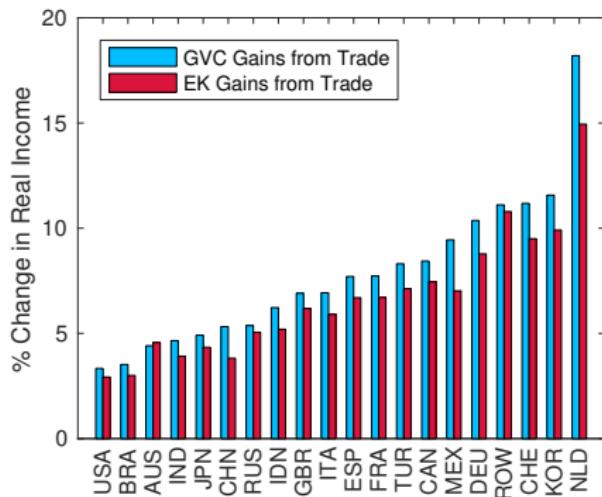


Fit of the Model: Untargeted Moments



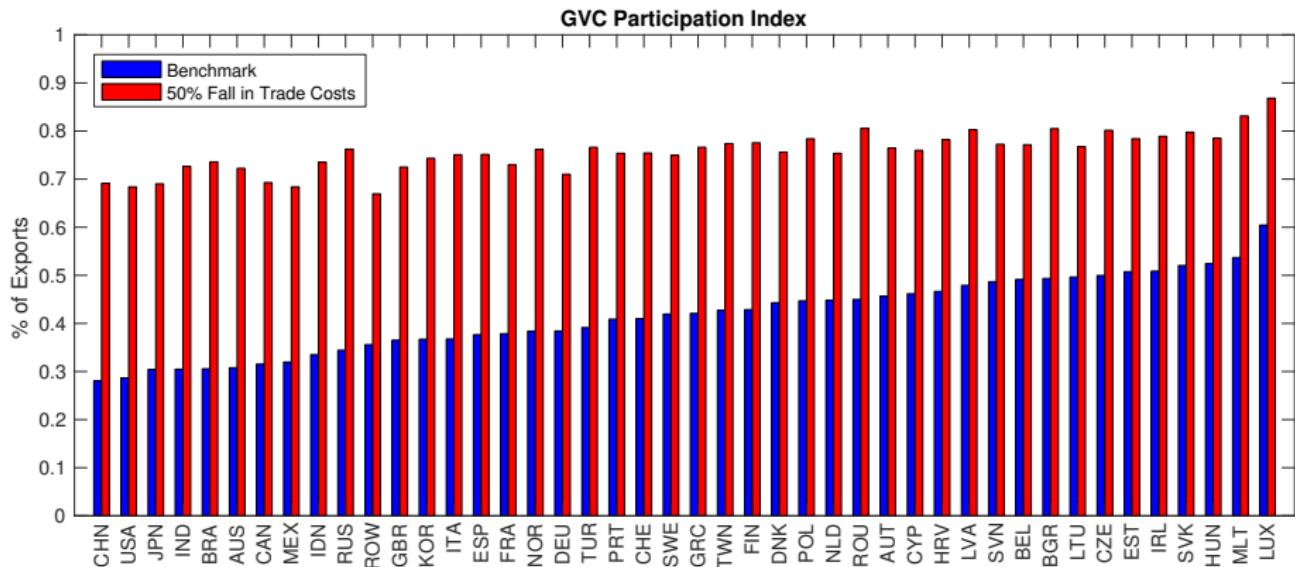
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Counterfactuals: Real Income Gains Relative to Autarky



- GVC model with $N = 1$, i.e. EK model, underestimates gains from trade by 17.5% on average

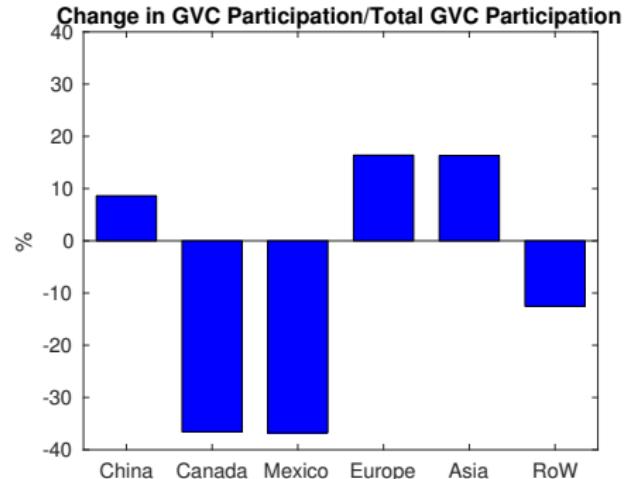
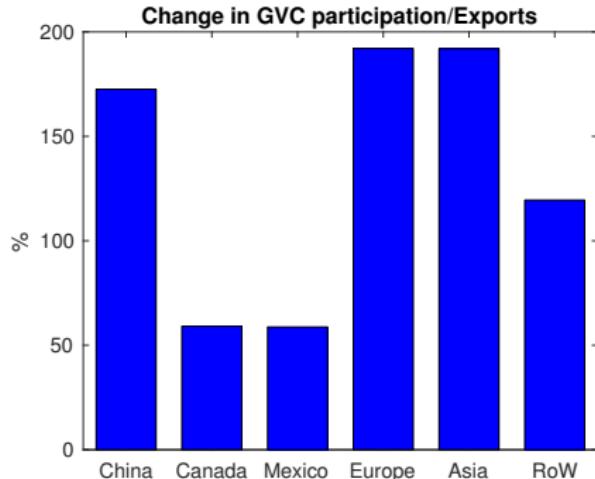
- All countries integrate more



Antràs and de Gortari (2017)

Counterfactuals: 50% Fall in Trade Costs

- USA integrates more with all regions...
- ...but global integration increases relative to regional integration



3. Multinational Production

Ramondo and Rodriguez-Clare (2013)

Basic Model

- Extension of Eaton and Kortum (2002) with both trade and multinational production (MP)
- For each good $v \in (0, 1)$:
 - Ideas gets originated in country $i = 1, \dots, I$
 - Production takes place in country $l = 1, \dots, I$
 - Consumption takes place in country $n = 1, \dots, I$
- Trade versus MP:
 - If $l \neq n$, then good v is traded
 - If $i \neq l$, then MP occurs (in EK, $i = l$)

Ramondo and Rodriguez-Clare (2013)

Basic Model (Cont.)

- Model is Ricardian:
 - Labor is the only factor of production
 - Constant returns to scale
 - (Like EK, full model also includes tradable intermediate goods)
- Constant unit cost of production *and* delivery for a good v given by

$$\frac{d_{nl} h_{li} c_{li}}{z_{li}(v)}$$

where:

- $d_{nl} \equiv$ iceberg trade costs from country l to country n
- $h_{li} \equiv$ iceberg costs from using technology from i in l
- $c_{li} \equiv$ average unit cost of production for firms from i in country l
- $z_{li}(v) \equiv$ productivity of firms from i producing good v in country l
- $\mathbf{z}_i(v) \equiv (z_{1i}(v), \dots, z_{li}(v))$ is drawn from multivariate Fréchet

- **Main result:**

- Gains from trade are larger in the presence of MP because trade facilitates MP
- Gains from openness are larger than gains from trade because of MP and complementarity between trade and MP

- A model of MP without a model of MNEs?:

- in any given country and sector, technology is assumed to be freely available to a large number of price-taking firms
- discipline only comes from aggregate predictions of the model

- **North-North Fragmentation:**

- In GRH (2008), rationale for offshoring \equiv factor price differences
- More important for “North-South,” but not “North-North” fragmentation
- In GRH (2012), rationale for offshoring \equiv EES (at the task level)

- **Open Questions:**

- Can static models really get at sequential nature of GVCs?
 - Kim and Shin (AER, 2012) study payment delays as a way to provide incentives along a supply chain. Interesting connection between GVCs and trade finance
- How do GVCs affect gains from trade, incentives for trade protection, industrial policy etc.?
 - Blanchard, Bown and Johnson (2016) offer an interesting first attempt. Much more needed