



# Sri Chaitanya IIT Academy.,India.

A.P. T.S. KARNATAKA TAMILNADU MAHARASTRA DELHI RANCHI

A right Choice for the Real Aspirant

ICON Central Office - Madhapur - Hyderabad

Sec: Sr.Super60\_NUCLEUS-BT

Paper -2(Adv-2022-P2-Model)

Date: 03-09-2023

Time: 02.00Pm to 05.00Pm

GTA-01

Max. Marks: 180

## KEY SHEET

### MATHEMATICS

1	7	2	6	3	4	4	8	5	3	6	2
7	8	8	8	9	BCD	10	ABCD	11	BCD	12	BC
13	ABC	14	ABD	15	D	16	B	17	C	18	D

### PHYSICS

19	4	20	4	21	5	22	2	23	2	24	2
25	9	26	2	27	ABCD	28	AD	29	AD	30	BD
31	B	32	AD	33	C	34	A	35	A	36	A

### CHEMISTRY

37	4	38	6	39	6	40	2	41	5	42	4
43	9	44	4	45	ABCD	46	ABCD	47	CD	48	AB
49	ABD	50	ABD	51	A	52	B	53	D	54	C

## SOLUTIONS MATHEMATICS

1.  $\log L = \lim_{n \rightarrow \infty} \sum_{r=1}^n \log \left( 1 + \frac{r}{n^2} \right) \quad x - \frac{x^2}{2} < \log(1+x) < x$

So,  $\frac{n(n+1)}{2n^2} - \frac{n(n+1)(2n+1)}{12n^4} < \sum_{r=1}^n \log \left( 1 + \frac{r}{n^2} \right) < \frac{n(n+1)}{2n^2}$

Using sandwich theorem,  $\log L = \frac{1}{2}$  so  $\angle 4 = e^2$

2.  $f(x) + g(x) = a(x+1)(x+2)(x+3)$

$f(x) - g(x) = b(x-1)(x-2)(x-3)$

So  $f(0) = 3(a-b), g(0) = 3(a+b)$

Hence  $f^2(0) + g^2(0) = 18(a^2 + b^2) \geq 36$  (equality holds for  $a, b \in \{-1, 1\}$ )

3. Clearly  $n = 26$ .

4. Let  $I_i = \frac{(2x^7 + 3x^6 - 10x^5 - 7x^3 - 12x^2 + x + 1)}{(x^2 + 2)} dx$

$= \int_{-\sqrt{2}}^{\sqrt{2}} \frac{(2x^7 - 10x^5 - 7x^3 + x)}{(x^2 + 2)} dx + \int_{-\sqrt{2}}^{\sqrt{2}} \frac{(3x^6 - 12x^2 + 1)}{(x^2 + 2)} dx$

$= 0 + 2 \int_0^{\sqrt{2}} \frac{3x^2(x^4 - 4) + 1}{(x^2 + 2)} dx = 2 \int_0^{\sqrt{2}} \left( 3x^2(x^2 - 2) \frac{1}{x^2 + 2} \right) dx$

$= 2 \left\{ \frac{3x^5}{5} - 2x^3 + \frac{1}{\sqrt{2}} \tan^{-1} \left( \frac{x}{\sqrt{2}} \right) \right\}_0^{\sqrt{2}} = 2 \left\{ \frac{12\sqrt{2}}{5} - 4\sqrt{2} + \frac{1}{\sqrt{2}} \cdot \frac{\pi}{4} \right\}$

$= \frac{24\sqrt{2}}{5} - 8\sqrt{2} + \sqrt{2} \cdot \frac{\pi}{4} = \frac{\sqrt{2}}{20} (5\pi + 64) \quad \therefore k^2 = 64 \Rightarrow k = 8$

5. Let  $S = \sum_{k=0}^{100} \left( \frac{k}{k+1} \right)^{100} C_k$

$= \sum_{k=0}^{100} \frac{((k+1)-1)}{(k+1)}^{100} C_k = \left( \sum_{k=0}^{100} {}^{100}C_k \right) - \sum_{k=0}^{100} \frac{{}^{100}C_k}{k+1}$

$= 2^{100} - \frac{1}{101} \sum_{k=0}^{100} \left( \frac{101}{k+1} {}^{100}C_k \right) = 2^{100} - \frac{1}{101} \sum_{k=0}^{100} {}^{101}C_{k+1}$

$2^{100} - \left( \frac{2^{101} - 1}{101} \right) = \frac{(101)2^{100} - 2^{101} + 1}{101} = \frac{99(2^{100}) + 1}{101} = \frac{a(2^{100}) + b}{c} \text{ (Given)}$

So,  $a = 99, b = 1, c = 101$

Hence,  $(a+b+c)_{\text{least}} = 99 + 1 + 101 = 201$ .

6.  $\lim_{x \rightarrow 0^+} \left[ \frac{x}{\pi} \right] = \lim_{x \rightarrow 0^+} \left[ \frac{h}{\pi} \right] = 0$

$\lim_{x \rightarrow 0^+} \frac{\sin^2 x}{\left[ \frac{x}{\pi} \right] + \frac{x^2}{\pi^2}} \times \frac{\sin(\sin x) - \sin x}{ax^5 + bx^3 + c} = -\frac{\pi^2}{12}$

$$x = 0 + h$$

$$\lim_{h \rightarrow 0^+} \frac{\sin^2 h}{h^2} \times \frac{2 \cos\left(\frac{\sinh+h}{2}\right) \sin\left(\frac{\sinh-h}{2}\right)}{ax^5 + bx^3 + c} = -\frac{\pi^2}{12}$$

$$\lim_{h \rightarrow 0^+} \frac{\pi^2 \cdot \sin^2 h}{h^2} \times 2 \cos\left(\frac{\sinh+h}{2}\right)$$

$$\frac{\sin\left(\frac{\sinh+h}{2}\right)}{\frac{\sinh-h}{2}} \times \frac{\frac{\sinh-h}{2}}{ah^5 + bh^3 + c} = -\frac{\pi^2}{12} \Rightarrow \lim_{h \rightarrow 0} \frac{\sinh-h}{ah^5 + bh^3 + c} = -\frac{1}{12}$$

$$\lim_{h \rightarrow 0} \frac{\sinh-h}{(ah^2+b)} = -\frac{1}{12} (c=0) \quad -\frac{1}{6(b)} = -\frac{1}{12} \quad \therefore b=2$$

$$a \in R, b=2, c=0$$

$$a \in R, b=2, c=0$$

7. Let  $x + \lambda y - 1 = 0$  be the variable line and  $(h, k)$  be the foot of perpendicular on it

$$\text{from } (3, 4) \Rightarrow (h-2)^2 + (k-2)^2 = 5$$

$$\Rightarrow \text{Radius of } S(x, y) = 0 \text{ is } \sqrt{5}$$

$$\Rightarrow \text{Length of tangent from origin to } S(x, y) = 0 \text{ is } \sqrt{3}$$

8. Consider  $|x| + 2|y| + 3|z| \leq 6$

Volume =  $8 \times$  volume of tetrahedron in 1<sup>st</sup> octane

$$= 8 \times \frac{1}{6} \times 6 \times 3 \times 2 = 48$$

9. Let  $z = x + iy$

$$\Rightarrow \left[ \sqrt{x^2 + y^2} \right]^3 + 2(x^2 - y^2) + 4x - 8 + i(4xy - 4y) = 0$$

$$\text{If } 4xy - 4y = 0 \Rightarrow x = 1 (\because y \neq 0)$$

$$\text{If } x = 1 \Rightarrow \left( \sqrt{1 + y^2} \right)^3 - 2(1 - y^2) + 4 - 8 = 0$$

$$\Rightarrow \left( \sqrt{1 + y^2} \right)^3 = 2(1 + y^2) \Rightarrow y^2 + 1 = 4 \Rightarrow y^2 = 3$$

$$\therefore z = (1 + i\sqrt{3})(\text{or})(1 - i\sqrt{3})$$

10.  $l_1 : \vec{r}_1 = \lambda(i + j + k) = \vec{a} + \lambda\vec{b}$

$$l_2 : \vec{r}_2 = j - k + \mu(i + k) = \vec{c} + \mu\vec{d}$$

$$\text{Here, } \begin{bmatrix} \vec{a} - \vec{c} & \vec{b} & \vec{d} \end{bmatrix} = \begin{vmatrix} 0 & 1 & -1 \\ 1 & 1 & 1 \\ 1 & 0 & 1 \end{vmatrix} = 1 \neq 0$$

$\Rightarrow l_1$  and  $l_2$  are skew - lines.

$\therefore H_0$  is the plane containing  $l_1$  and parallel to  $l_2$

$$\Rightarrow \text{Equation of } H_2 \text{ is } \begin{vmatrix} x & y & z \\ 1 & 1 & 1 \\ 1 & 0 & 1 \end{vmatrix} = 0 \Rightarrow x - z = 0$$

P)  $d(H_0) = \text{Shortest distance between } d(H_0) \text{ and } l_2 = \frac{1}{\sqrt{2}}$

Q)  $d = \left| \frac{0-2}{\sqrt{2}} \right| = \sqrt{2}$

R)  $d = \left| \frac{0-0}{\sqrt{2}} \right| = 0$

$H_0$  passes through  $(0,0,0)$

S) Point of intersection of given planes and  $H_0$  is  $(1,1,1)$

Distance from origin  $= \sqrt{(1-0)^2 + (1-0)^2 + (1-0)^2} = \sqrt{3}$

11. For  $2ax^2 + bx + c = ax + c$

$x = 0, \frac{a-b}{2a}; \text{ so } a = b$

Now,  $2ax^2 + bx + c = ax + b$

Putting  $a = b, x^2 = \frac{1}{2} \left( 1 - \frac{c}{a} \right); \text{ so } \frac{c}{a} \geq 1$

Again  $2ax^2 + bx + c = cx + a$

Putting  $a = b$ , Diseriminant  $= \left( \frac{c}{a} - 1 \right) \left( \frac{c}{a} - 9 \right) \leq 0$

So  $\frac{c}{a} \leq 9$ .

12. Clearly  $S \equiv (4,0)$ ; Let  $P = (\alpha, \beta)$

$\Rightarrow a + e\alpha = 7 \Rightarrow 5 + \frac{4}{5}\alpha = 7 \Rightarrow \alpha = \frac{5}{2} \text{ and } \beta = \frac{3\sqrt{3}}{2}$

Hence, equation of tangent at  $P$  is  $\alpha = \frac{5}{2}$  and  $\beta = \frac{3\sqrt{3}}{2}$

As tangent is bisector of angle between  $SP$  and  $S'P$

$\Rightarrow PQ = PS = 3$ . As  $PS + PS' = 10 = \text{Length of major axis}$

When  $P$  is variable then  $S'Q = S'P + PQ = S'P + PS = 10$

$\Rightarrow$  Variable point  $Q$  is at a fixed distance from  $S'$

$\Rightarrow$  Locus is a circle with centre  $S'$  and radius = 10 units

13. Diffe  $f'(x) = (x+y)^2 - 1 \Rightarrow \frac{d(x+y)}{(x+y)^2} = dx \Rightarrow \frac{-1}{x+y} = x+c$

Since  $f(0) = 1 \Rightarrow C = -1 \Rightarrow \frac{-1}{x+y} = x-1 \Rightarrow y = \frac{1}{1-x} - x$

$y' = \frac{1}{(1-x)^2} - 1$

14.  $8P^3 + I = (2P+I)(4P^2 - 2P + I) = I$

Taking determinant  $|2P+I| \neq 0, |4P^2 - 2P + I| \neq 0$

Again  $I - 8P^3 = (I - 2P)(4P^2 + 2P + I) = I$

Taking determinant  $|I - 2P| \neq 0$

So  $|I + 2P||I - 2P| \neq 0$

$$\Rightarrow |I - 4P^2| \neq 0$$

If  $P$  has integral entries  $|I - 2P|$  and  $|I + 2P|$  can be 1 or  $-1$ . So  $\|I - 4P^2\| = 1$ .

$$15. \quad I_r = \int_0^1 \frac{(2+x) - (1+x)}{(1+x)^r (2+x)} dx = \int_0^1 \frac{dx}{(1+x)^r} - \int_0^1 \frac{dx}{(1+x)^{r-1} (2+x)}$$

$$I_r + I_{r-1} = \frac{2^{1-r}}{1-r} = \frac{1-2^{1-r}}{r-1}$$

$$I_{10} + I_9 = \frac{1-2^{-9}}{9} \Rightarrow 9(I_{10} + I_9) = 1 - 2^{-9}$$

$$I_9 + I_8 = \frac{1-2^{-8}}{8} \Rightarrow 8(I_9 + I_8) = 1 - 2^{-8}$$

$$\Rightarrow 9I_{10} + I_9 - 8I_8 = \frac{1}{2^9}$$

$$16. \quad |a + b\omega + c\omega^2|^2 = (a + b\omega + c\omega^2)(a + b\omega^2 + c\omega)$$

$$= a^2 + b^2 + c^2 - ab - bc - ca$$

$$= \frac{1}{2}((a-b)^2 + (b-c)^2 + (c-a)^2)$$

Now to minimize, choose  $a=3, b=4, c=5$ .

$$17. \quad \text{Let repeated roots be } \alpha$$

$$\alpha^4 + p\alpha^2 + q\alpha + r = 0 \quad (1)$$

$$4\alpha^3 + 2p\alpha + q = 0 \quad (2)$$

$$12\alpha^2 + 2p = 0 \quad (3)$$

$$\text{So } \alpha^2 = -\frac{p}{6}$$

$$\text{Putting in (2), } \frac{4p\alpha}{3} = -q$$

$$\text{Putting in (1), } \frac{p^2}{36} - \frac{p^2}{6} - \frac{4p}{3} \times \left(-\frac{p}{6}\right) + r = 0$$

$$\Rightarrow p^2 = -12r$$

Hence semilatus rectum = 6.

$$18. \quad \text{Let } Q(h, k)$$

$$\text{Equation of chord of contact to auxiliary circle } \frac{hx}{a^2} + \frac{ky}{a^2} = 1$$

$$\text{Equation of tangent to ellipse } \frac{x \cos \theta}{a} + \frac{y \sin \theta}{b} = 1$$

$$\text{Comparing } h = a \cos \theta, k = \frac{a^2}{b} \sin \theta$$

So clearly locus is an ellipse of same eccentricity.

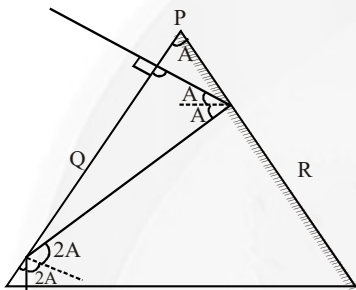
**PHYSICS**

$$19. \quad V_0 = \sqrt{\frac{2eR_0\sigma \ln(r/R_0)}{\epsilon_0 m_e}} \approx 3.7 \times 10^5 \text{ m/s}$$

$$20. \quad mg - qE = mg_{\text{eff}} \quad g - \frac{qE}{m} = g_{\text{eff}}$$

$$T = 2\pi \sqrt{\frac{l}{g - q\frac{E}{m}}} \quad T = 2\pi \sqrt{\frac{1}{10 - \frac{10^{-6} \times 7.5}{10^{-6}}}} = 4 \text{ sec.}$$

$$21. \quad \frac{\pi}{2} - \frac{A}{2} + \frac{\pi}{2} - 2A = \frac{\pi}{2}$$



$$\frac{5A}{2} = \frac{\pi}{2} \quad A = \frac{\pi}{5}$$

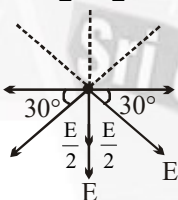
$$22. \quad \frac{Mgr}{2} = \frac{1}{2} \frac{Mr^2}{3} \omega^2 \quad \omega = \sqrt{\frac{3g}{r}}$$

$$\sqrt{5grm} \times r = \frac{Mr^2}{3} \times \sqrt{\frac{3g}{r}}$$

$$m = 2 \text{ kg}$$

23. The magnitude of electric field intensity due to each part of the hemispherical surface at the centre 'O' is same. Suppose, It is E.

$$E + \frac{E}{2} + \frac{E}{2} = E_0$$



$$2E = E_0 \quad E = \frac{E_0}{2}$$

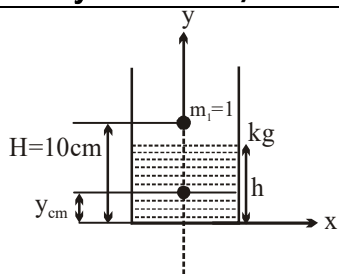
24. The position of centre of mass of the system is  $y_{cm}$ .

$$y_{cm} = \frac{m_1 \times H + m_2 \times \frac{h}{2}}{m_1 + m_2}$$

$$\text{Where } m_1 = 1 \text{ kg}, m_2 = (0.4 \times h \times 10^3) \text{ kg}$$

$$= (400h) \text{ kg}$$





$$y_{cm} = \frac{1 \times H + (400h) \times \frac{h}{2}}{(1+400h)} = \frac{H + 200h^2}{(1+400h)}$$

for  $y_{cm}$  to be lowest (minimum)

$$\frac{dy_{cm}}{dh} = 0 \quad 200h^2 + h - H = 0 \quad h = 2 \text{ cm}$$

25. In uniform electric in vertical direction if (+ve) charge feels extra acceleration in downward direction, then (–ve) charge will feel acceleration in upward direction.

$$v_{\text{uncharged}} = 5\sqrt{5} \text{ m/sec}$$

$$v = 0, h = \text{height}$$

$$v^2 - u^2 = -2(g)h = -2gh$$

$$u_{q+} = 13 \text{ m/sec}$$

$$v = 0, h = h$$

$$v^2 - u^2 = 2\left(g + \frac{F_E}{m}\right)h$$

$$0 - (13)^2 = -2\left(g + \frac{F_E}{m}\right)h$$

$$\text{Let } u_{q-} = u (\text{say})$$

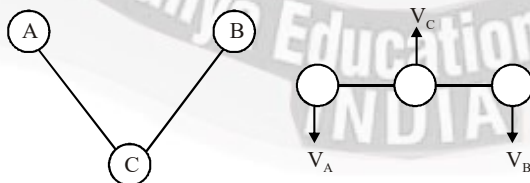
$$v = 0, h = h$$

$$v^2 - u^2 = -2\left(g - \frac{F_E}{m}\right)h$$

$$-u^2 = -2\left(g - \frac{F_E}{m}\right)h; u = 9 \text{ m/sec}$$

26. Takes all three bodies as system electrostatic force  
(1) Apply law of conservation of momentum in direction  
(2) Apply law of conservation of energy,

$$\text{So } m_A \vec{v}_A + m_B \vec{v}_B + m_C \vec{v}_C = 0 \Rightarrow v_C = -2v_A \text{ (as } V_A = V_B)$$



Change in electrostatic P.E. = Increase in KE

$$\frac{kQ^2}{l} - \frac{kQ^2}{2l} = \frac{1}{2}m_A v_A^2 + \frac{1}{2}m_B v_B^2 + \frac{1}{2}m_C v_C^2 \quad [v_A = v_B, v_C = -2v_A]$$

$$\text{So } v_C = 2 \text{ m/s}$$

27. Conceptual

$$\frac{2\pi}{\lambda} \left( \frac{dy}{D+v} \right) = 4\pi + \frac{\pi}{3}$$

$$\frac{dy}{D} = 3\lambda$$

$$\frac{2\pi \cdot 3D}{dx} \left( \frac{dy}{D+v} \right) = \frac{13\pi}{3}$$

$$\frac{6D}{D+v} = \frac{13}{3}$$

$$18D = 13D + 13v$$

$$\frac{5D}{13} = v$$

$$\frac{2\pi}{\lambda} \left( \frac{dy}{D+v'} \right) = 6\pi - \frac{\pi}{3}$$

$$\frac{dy}{D} = 3\lambda$$

$$\frac{2\pi \cdot 3D}{dx} \left( \frac{dy}{D+v'} \right) = \frac{17\pi}{3}$$

$$\frac{6D}{D+v'} = \frac{17}{3}$$

$$18D = 17D + 17v'$$

$$\frac{D}{17} = v'$$

28.

29. The magnetic field due to the outer loop is into the paper. The force on an element of the inner loop has the direction given by  $\vec{ds} \times \vec{B}$  where  $\vec{ds}$  is the element length in the direction of current. Thus the force is radially outward.

Since the force is symmetric, i.e. radially outwards everywhere and the loops are concentric, there is no net force on the inner loop.

30. Note that the intensity of light in the region AB (when the lens is absent) now gets distributed over the region CD. In the regions AC and BD light intensity is due to both the direct beam and the diverged light from the lens.

31. For both the atoms the second excited state corresponds to  $n=3$ . Therefore, the angular momentum for each of them is  $3(h/2\pi)$ . The energy, however, is proportional to  $Z^2$  where  $Z$  is the atomic number and hence numerical value of energy for hydrogen is less than that for lithium.

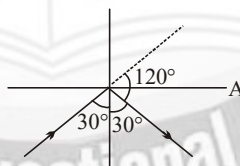
32. For T.I.R. at A

$$4 \sin 30^\circ = \mu_2 \sin 90^\circ$$

$$\mu_2 = 2$$

Case-I

If  $\mu_2 < 2$ , then always T.I.R. takes place & in this situation



angle of deviation is  $120^\circ$ .

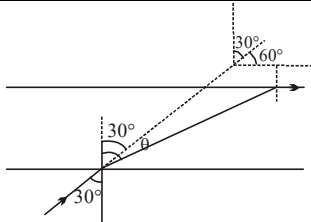
Case-II

$\mu_2 > 2$ , then for the given angle of incidence no. T.I.R. takes place at A, so light strikes on interface B for T.I.R.

$$\mu_2 \sin \alpha = 2 \sin 90^\circ$$

$$\text{or } \mu_2 = \sin \alpha < 1$$





$$\mu_2 > 2$$

33. Let A be the work function of metal.

$$\frac{hc}{\lambda_1} = A + \frac{mv_1^2}{2} \quad \frac{hc}{\lambda_2} = A + \frac{mv_2^2}{2}$$

$$hc \left[ \frac{1}{\lambda_1} - \frac{1}{\lambda_2} \right] = \frac{m}{2} (v_1^2 - v_2^2) = \frac{m}{2} [4v_2^2 - v_2^2] = \frac{3mv_2^2}{2}$$

$$\frac{mv_2^2}{2} = \frac{hc}{3} \left[ \frac{1}{\lambda_1} - \frac{1}{\lambda_2} \right]$$

$$A = \frac{hc}{\lambda_2} - \frac{mv_2^2}{2} = \frac{hc}{\lambda_2} - \frac{hc}{3} \left[ \frac{1}{\lambda_1} - \frac{1}{\lambda_2} \right] = \frac{4hc}{3\lambda_2} - \frac{hc}{3\lambda_1}$$

$$= -\frac{hc}{3} \left[ \frac{1}{\lambda_1} - \frac{4}{\lambda_2} \right] = \frac{6.62 \times 10^{-34} \times 3 \times 10^8}{3} \left[ \frac{4}{450 \times 10^{-9}} - \frac{1}{350 \times 10^{-9}} \right]$$

$$A = 3.93 \times 10^{-19} \text{ J.}$$

34. The least common multiple of resonant frequencies is 30 and it represent the fundamental frequency. here odd multiples  $\Rightarrow$  string is free at one end.

$$\therefore v = \frac{1}{4l} \sqrt{\frac{T}{\mu}} \quad \therefore 30 = \frac{1}{4 \times 0.8} \sqrt{\frac{T}{\mu}} \Rightarrow \sqrt{\frac{T}{\mu}} = 1.6 \times 60 = 96 \text{ m/s}$$

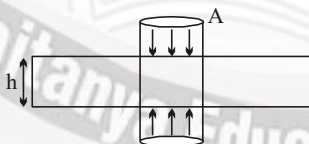
35.  $u = f(x \pm ct)$  is the general wave equation

$$\text{At } t=0, y = f(x) \Rightarrow y = \frac{1}{\sqrt{1+x^2}}$$

$$y = \frac{1}{\sqrt{2-2x+x^2}} = \frac{1}{\sqrt{1+(x-1)^2}} = f(x-1)$$

$$\Rightarrow f(x-ct) = f(x-1) \text{ at } t=1 \Rightarrow c = 1 \text{ m/s.}$$

36. Gauss law for gravitation



$$\int \vec{g} \cdot d\vec{s} = -m_{in} \cdot 4\pi G$$

$$g = \frac{GM}{R^2} \quad 2 \times \frac{GM}{R^2} \times A = \frac{M}{\frac{4}{3}\pi R^3} (h \times A) \times 4\pi G \Rightarrow h = \frac{2R}{3}$$

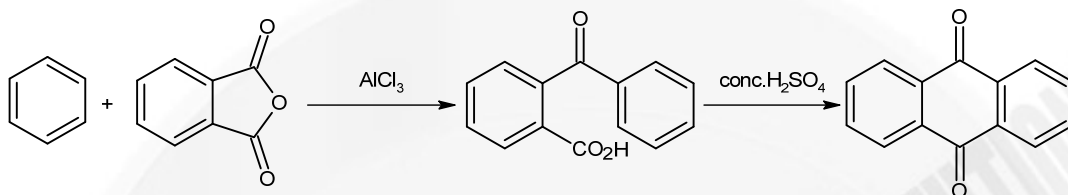
**CHEMISTRY**

37.  $BaSO_4, MgCO_3, Mg(OH)_2$  and  $CaF_2$  are sparingly soluble  $BeCl_2, Mg(ClO_4), BaCl_2$  and  $Ca(NO_3)_2$  dissolve in water without reaction  $CaO, SrH_2$  dissolve in water by reacting with water.

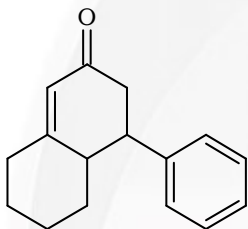
38. Refer to fig. structure of boric acid

39.  $(PO_3^-)_6$

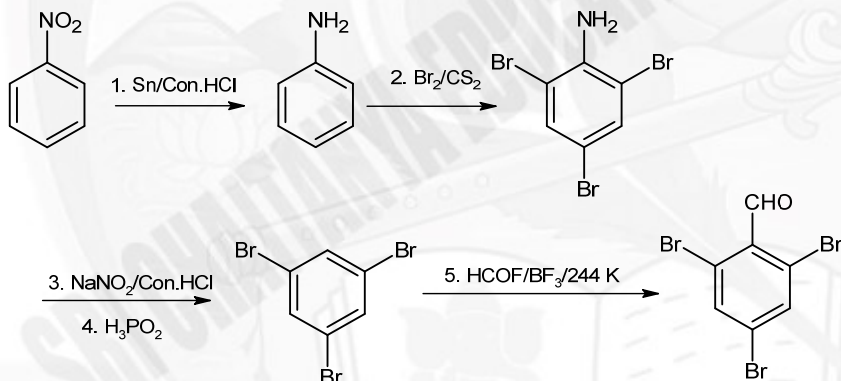
40.



41. Michael addition of enolate of cyclohexanone followed by aldol condensation gives



42.



43.



$$[OH^-] = \sqrt{K_b C} = 10^{-5} \Rightarrow [H^+] = 10^{-9}$$

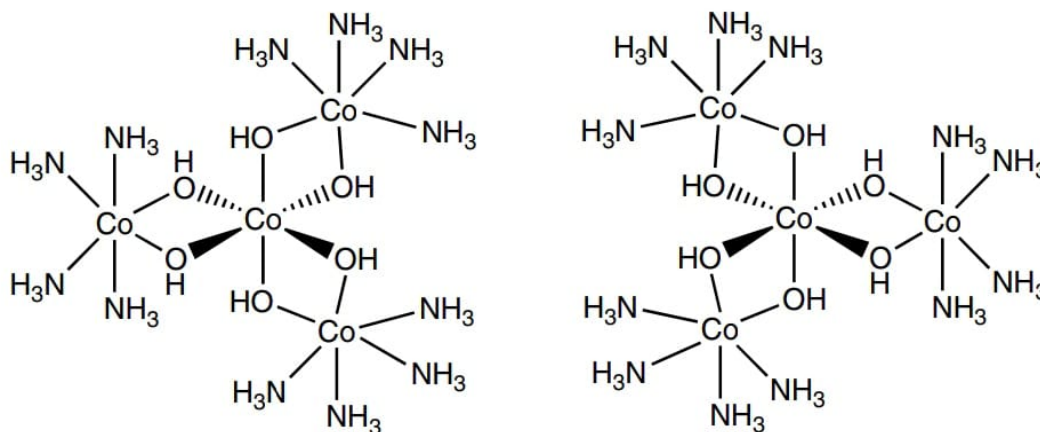
44.  $0.6 = 5 \times \frac{15.168}{79x} \times \frac{1000}{200} \Rightarrow x = 8$

45. The situation in B is well known and may be explained in terms of  $sp^3d$  hybridization or the VSEPR theory.

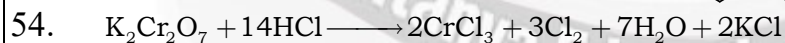
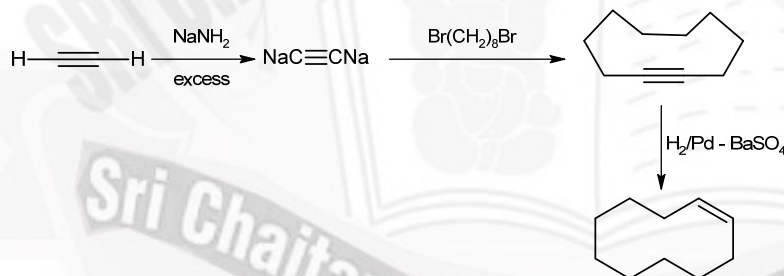
For  $Ni(CN)_5^{3-}$  in (C) the highest d-orbital  $d_{x^2-y^2}$  is empty, thus allowing the basal ligands to move in closer to the metal. For  $CuCl_5^{3-}$  the highest d-orbital  $d_{z^2}$  is only half filled leading to shorter axial bonds.

The lone pair in  $BrF_5$  is below the basal plane and repel the in-plane ligands upward. On the other hand no such effect is found in  $Ni(CN)_5^{3-}$ . In addition ligands repulsions will force the basal ligands downward.

46. View of the cationic part of the two enantiomers of



47. All have the formula  $C_8H_{12}$  all give single product on ozonolysis, but *B* exhibits geometrical isomerism.
48. *PCC* and *Cu* can oxidize alcohols without affecting double bonds.
49. A) Decrease in size of graphite pieces, increases the surface area which in turn increases the rate.  
B) Increase in temperature increases the rate due to increase in molecules with energy of activation.
50. Energy of activation is not the criteria for a process to be spontaneous and most of the reactions have non-zero energy of activation. Entropy of the **universe** increases during a spontaneous change.  $\Delta G$  keeps on becoming less negative and becomes zero at equilibrium. Work is maximum when the process is carried out reversibly.
51. In Bayer's process bauxite is heated with NaOH solution in an autoclave at about  $150^\circ\text{C}$  for few hours. If this process is carried at normal pressure the water evaporate. To prevent the boiling and evaporation of water, the process is carried at high pressure.
52.  $AgF$  is soluble but  $SrF_2$  is sparingly soluble
- 53.



$$n_{Cr_2O_7^{2-}} = 49 \times \frac{96}{100} \times \frac{1}{294} = 0.16$$

$$w_{HCl} = 325 \times 1.15 \times 0.301 = 112.5 \text{ g}$$

$$n_{HCl} = \frac{112.5}{36.5} = 3.08$$

Limiting reagent is dichromate.

$$w_{Cl_2} = \frac{3}{1} \times 0.16 \times 71 = 34.08 \text{ g}$$