

Set (Python approach)

Coding Example: The Mandelbrot

Coding Example: Game of life (NumPy approach)

This lesson discusses the case study Game of life and explains its solution using NumPy approach.

```
We'll cover the following

NumPy Implementation

Complete Solution

Output:
```

NumPy Implementation

Starting from the Python version, the vectorization of the Game of Life requires two parts,

- one responsible for counting the neighbors
- one responsible for enforcing the rules

Neighbor-counting is relatively easy if we remember we took care of adding a null border around the arena. By considering partial views of the arena we can actually access neighbors quite intuitively as illustrated below for the one-dimensional case:

```
Z[:-2] 0 1 1 1 0 (left neighbors)

Z[1:-1] 0 1 1 1 0 (actual cells)

Z[+2:] 0 1 1 1 0 (right neighbors)
```

Going to the two dimensional case requires just a bit of arithmetic to make sure to consider all the eight neighbors.

For the rule enforcement, we can write a first version using NumPy's argwhere method that will give us the indices where a given condition is true.

```
1  # Flatten arrays
2  N_ = N.ravel()  #create a 1 dimenional array N_
3  Z_ = Z.ravel()  #create a 1 dimensional array Z_
4
5  # Apply rules
6  R1 = np.argwhere( (Z_==1) & (N_ < 2) )
7  R2 = np.argwhere( (Z_==1) & (N_ > 3) )
8  R3 = np.argwhere( (Z_==1) & ((N_==2) | (N_==3)) )
9  R4 = np.argwhere( (Z_==0) & (N_==3) )
10
11  # Set new values
12  Z_[R1] = 0
13  Z_[R2] = 0
14  Z_[R3] = Z_[R3]
15  Z_[R4] = 1
16
17  # Make sure borders stay null
18  Z[0,:] = Z[-1,:] = Z[:,0] = Z[:,-1] = 0
```

Even the above code does not use nested loops, it is far from optimal because of the use of the four argwhere calls which makes it quite slow. We can instead factorize the rules into cells that will survive (stay at 1) and cells that will give birth. For doing this, we can take advantage of NumPy boolean capability and write quite naturally:

Note: In the above code we did not write Z=0 as this would simply assign the value 0 to Z that would then become a simple scalar.

```
birth = (N==3)[1:-1,1:-1] & (Z[1:-1,1:-1]==0) #active cell state
survive = ((N==2) | (N==3))[1:-1,1:-1] & (Z[1:-1,1:-1]==1)#deactive cell states
Z[...] = 0
Z[1:-1,1:-1][birth | survive] = 1
```

If you look at the birth and survive lines, you'll see that these two variables are arrays that can be used to set Z values to 1 after having cleared it.

The Game of Life. Gray levels indicate how much a cell has been active in the past.

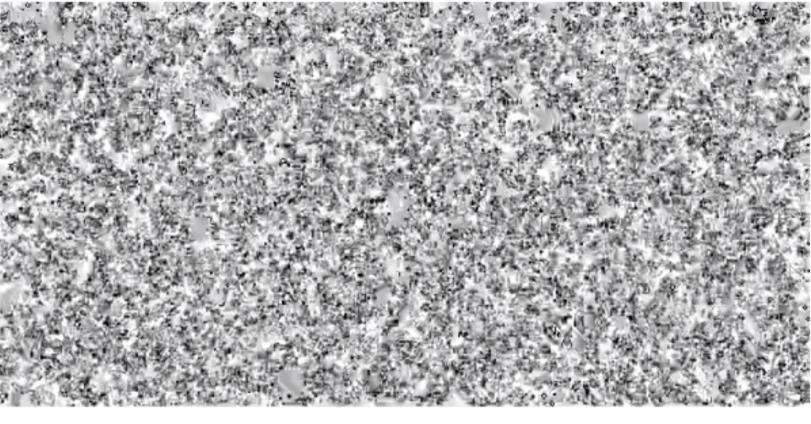
Complete Solution

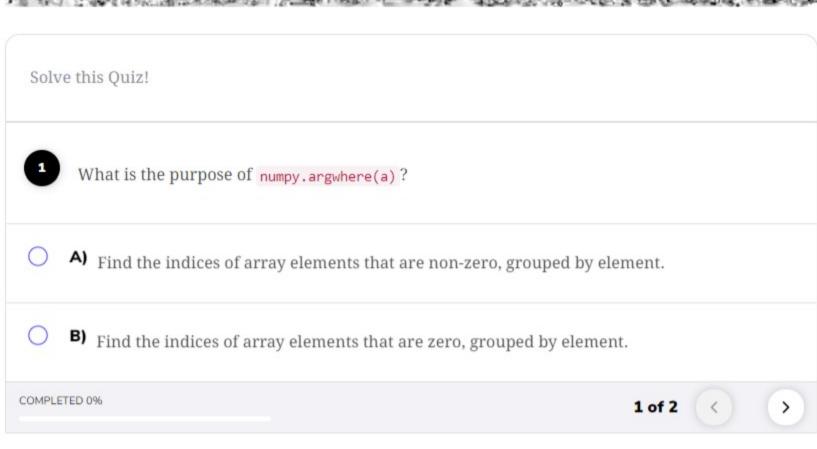
Given below is the complete solution that I have implemented using the NumPy approach.

```
6 import numpy as np
7 import matplotlib.pyplot as plt
8 import matplotlib.animation as animation
11 def update(*args):
     global Z, M
14 N = (Z[0:-2, 0:-2] + Z[0:-2, 1:-1] + Z[0:-2, 2:] +
         Z[1:-1, 0:-2] + Z[1:-1, 2:] +
         Z[2: , 0:-2] + Z[2: , 1:-1] + Z[2: , 2:])
17 birth = (N == 3) & (Z[1:-1, 1:-1] == 0)
   survive = ((N == 2) | (N == 3)) & (Z[1:-1, 1:-1] == 1)
      Z[\ldots] = 0
       Z[1:-1, 1:-1][birth | survive] = 1
       M[M>0.25] = 0.25
       M *= 0.995
       M[Z==1] = 1
       im.set_data(M)
                                                                               SAVE
                                                                                                    03
                                                                                                   ×
                                             ≛output.mp4
                                                 0 0
```

Output:

The output of this code would look like the following if you download the file. The animation below will help you visualize the game of life:







Now that you have learned about numpy approach for uniform vectorization, let's move to another

coding example in the next lesson!