Coding Example: The Mandelbrot Set (Python approach)

In this lesson, we are going to look at the Python implementation of the Mandelbrot set case study.



Python Implementation

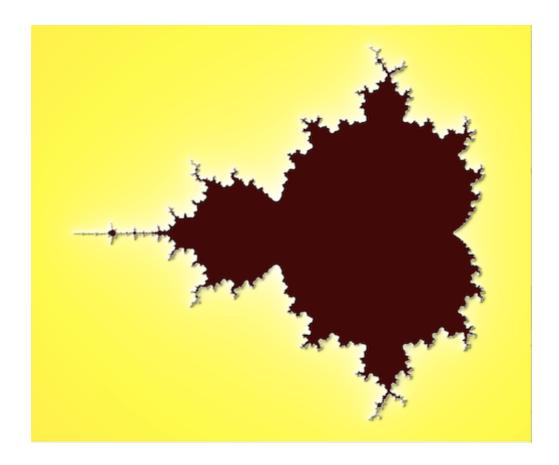
A pure python implementation is written as:

```
main.py
tools.py
     # From Numpy to Python
    # Copyright (2017) Nicolas P. Rougier - BSD license
    # More information at https://github.com/rougier/numpy-book
     import numpy as np
     def mandelbrot_python(xmin, xmax, ymin, ymax, xn, yn, maxiter,
       def mandelbrot(z, maxiter):
         c = z
         for n in range(maxiter):
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           if abs(z) > horizon:
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             return n
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           z = z*z + c
         return maxiter
       r1 = [xmin+i*(xmax-xmin)/xn for i in range(xn)]
       r2 = [ymin+i*(ymax-ymin)/yn for i in range(yn)]
17
       return [mandelbrot(complex(r, i), maxiter) for r in r1 for i i
21
     def mandelbrot(xmin, xmax, ymin, ymax, xn, yn, itermax, horizon
 22
         # Adapted from
```

```
# https://tnesamovar.wordpress.com/2009/03/22/fast-fractals
Xi, Yi = np.mgrid[0:xn, 0:yn]
Xi, Yi = Xi.astype(np.uint32), Yi.astype(np.uint32)
X = np.linspace(xmin, xmax, xn, dtype=np.float32)[Xi]
Y = np.linspace(ymin, ymax, yn, dtype=np.float32)[Yi]
C = X + Y*1j
N_ = np.zeros(C.shape, dtype=np.uint32)
Z_ = np.zeros(C.shape, dtype=np.complex64)
Xi.shape = Yi.shape = C.shape = xn*vn
```

Output

The output of the above code would look like this:



The interesting (and slow) part of this code is the mandelbrot function that actually computes the sequence $f_c(f_c(f_c...))$. The vectorization of such code is not totally straightforward because the internal return implies a differential processing of the element. Once it has diverged, we don't need to iterate any more and we can safely return the iteration count at divergence. Now the problem is to do the same in NumPy.

In the next lesson, we'll solve this example using the numpy approach.